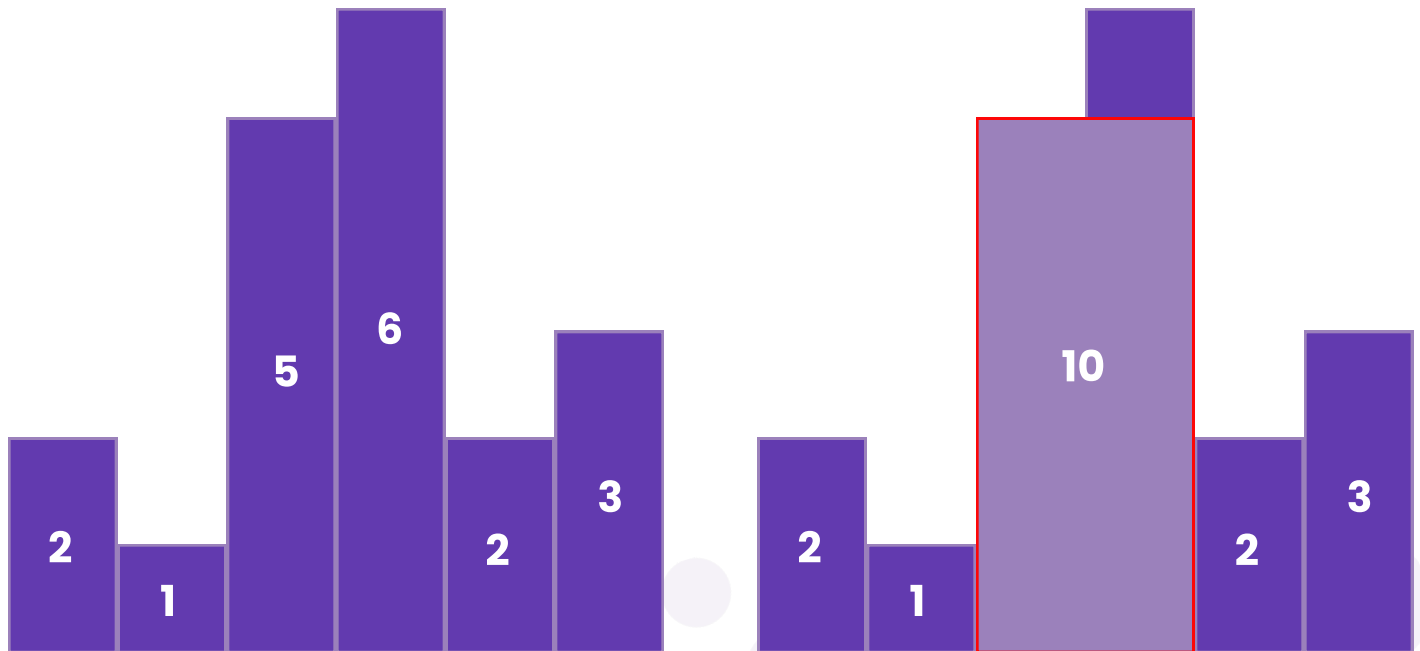


Q3. Given an array of integer heights representing the histogram's bar height where the width of each bar is 1, return the area of the largest rectangle in the histogram.

Example 1:

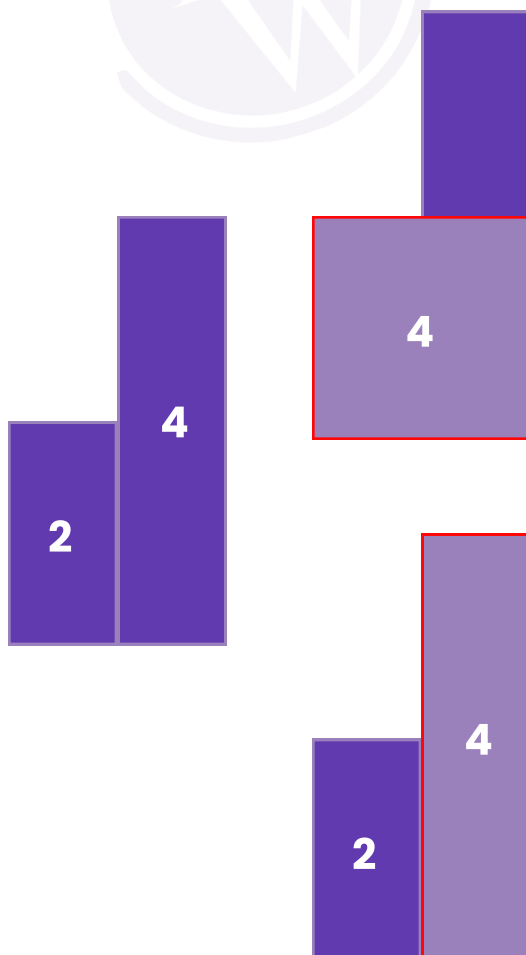


Input: heights = [2,1,5,6,2,3]

Output: 10

Explanation: The above is a histogram where the width of each bar is 1. The largest rectangle is shown in the red area, which has an area = 10 units.

Example 2:



Input: heights = [2,4]
Output: 4

Solution :

Code : [LP_Code3.java](#)

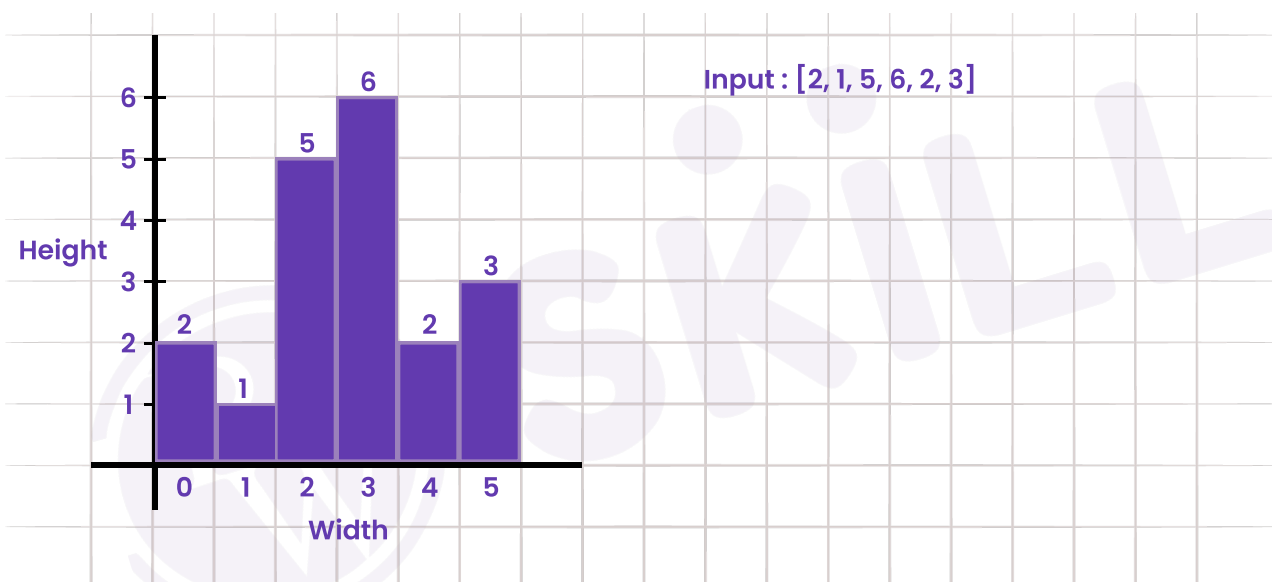
Output :

The maximum area is : 10

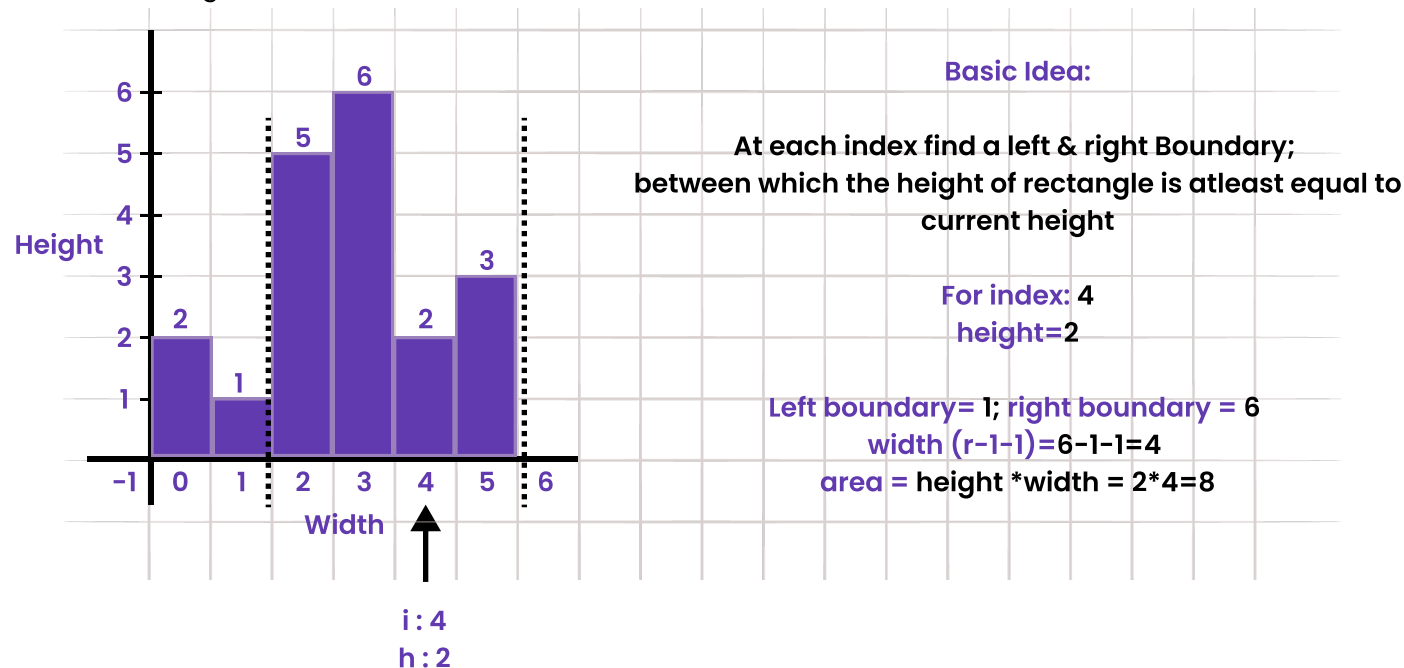
Approach :

The main concept here is that we need to find the minimum element to the right and to the left for any particular element so that we can use this difference as the width of the rectangle.

- Let's understand this problem with an example;
- Input: heights = [2,1,5,6,2,3]



- Let's understand how we calculate this, let's take index 4 height is 2. If we go to the left and see where the height is less than 2 and i.e. at index 1. So, that becomes the left Boundary. Similarly if we go to the right and see where the height is less than 2 & i.e. at index 6 [which is end of the array].
- Now we have left & right boundary the area could be find out by height * width. And width will get by (right - left - 1) in case of 4 that will be 6 - 1 - 1 = 4. And we know the height already i.e. 2.
- The Area we get is 2 * 4 i.e. 8



- The main idea here would be how to find the left boundary & right boundary for every index. The brute way is using an ARRAY
- **For left boundary array:**
 - Start with index 1, ($\text{left}[0] = -1$)
 - For each index \rightarrow go to left & find the nearest index where $\text{height}[\text{index}] < \text{height}[\text{curr}]$
 - Start with index 1,
 - Eg : Index 1 : $\text{left}[1] = -1$
- **For right boundary array:**
 - Start with index $n - 2$ $\text{right}[n - 1] = n$
 - For each index \rightarrow go to right & find the nearest index where $\text{height}[\text{index}] < \text{height}[\text{curr}]$
 - Start with index $n - 2$
 - Eg : Index 2 : $\text{right}[2] = 4$

