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procedure CLOSE( $v \in V$ ):
  for all  $w \in V$  s.t.  $w \prec v$  and  $M_v(w) = M_v(v)$ :
    COVER( $v, w$ )

```

```

recursive procedure DFS( $v \in V$ ):
  CLOSE( $v$ )
  if  $v$  is uncovered then
    if  $M_v(v) = l_f$  then
      REFINE( $v$ );
      for all  $w \sqsubseteq v$ : CLOSE( $w$ )
    EXPAND( $v$ );
    for all children  $w$  of  $v$ : DFS( $w$ )

```

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procedure UNWIND:
  set  $V \leftarrow \{\epsilon\}$ ,  $E \leftarrow \emptyset$ ,  $\psi(\epsilon) \leftarrow \text{TRUE}$ ,  $\triangleright \leftarrow \emptyset$ 
  while there exists an uncovered leaf  $v \in V$ :
    for all  $w \in V$  s.t.  $w \sqsubset v$ : CLOSE( $w$ );
    DFS( $v$ )

```

Fig. 5. DFS unwinding strategy