

Intermediate Code Representation

Postfix Notation

Postfix \Rightarrow
 $a + b$
 $ab +$

$a + b * c$ $abc * +$

(This is limited to only arithmetic operations)

Syntax Tree

$E \rightarrow E+E$

$E \rightarrow E \cdot E$

$E \rightarrow id$

$id + id * id$

Syntax tree

Represents the following expression
 $a + b * c + d$ by 3 Address
 statements

Statements

$x = a + b * c + d$

$t_1 = a + b * c + d$

$t_1 = c + d$

$t_2 = b * t_1$

$t_3 = a + t_2$

$x = t_3$

→ 3 Address statement for already
 terminal to operate

Format (array)

$x = y[i]$

Intermediate
 code

3) THREE ADDRESS CODE

- consider the following expression

$x = a + b * c$

$t_1 = b * c$

$t_2 = a + t_1$

$x = t_2$

Format	operator
$x = y$	OP_Z

$x y z$

3 Addresses

$x = y[i]$

The above statement is a 3 address statement with two addresses a , y & i with one operator $[]$.

$\rightarrow * 3$ address statement for boolean expression

if $a < b$ goto L_1

goto L_2

representation of 3 address statements

1) Quadruple representation

Operand 1	OP	Operand 2	Result
	$+$	a	t_1
	$-$	b	t_1
	$*$	c	t_2
	$/$	d	t_3
	$=$	t_4	x

In the above representation 4 fields are used to represent the 3 address statement.

The fields are OP, operand (1/2), Result

2) Triple representation

In the Quaduple representation operand 1 & operand 2 & result field are the pointer to the symbol table for the names represented by the fields.

In triple representation the entering of temporary text next into the symbol table can be avoided by using the position of the statement to refer to a temporary value.

Ques of last example

op	op1	op2	result	op	op1	op2
1	+	a	b	t ₁	1	+ a b
2	-	c	-	t ₂	2	- c -
3	*	(1)	(2)	t ₃	3	* (1) (2)
4	/	(3)	d	t ₄	4	/ (3) d
5	=	(4)	-	t ₅	5	= (4) -

Quadruple

Triple

The above table shows that the result field is not required, when it is removed the table consists of 3 fields hence the name of triple compressible.

Indirect Triple representation

What is the output of the following syntax directed problem translation scheme

$$E = E_1 + T \quad \alpha E \cdot \text{code} = \text{concat}$$

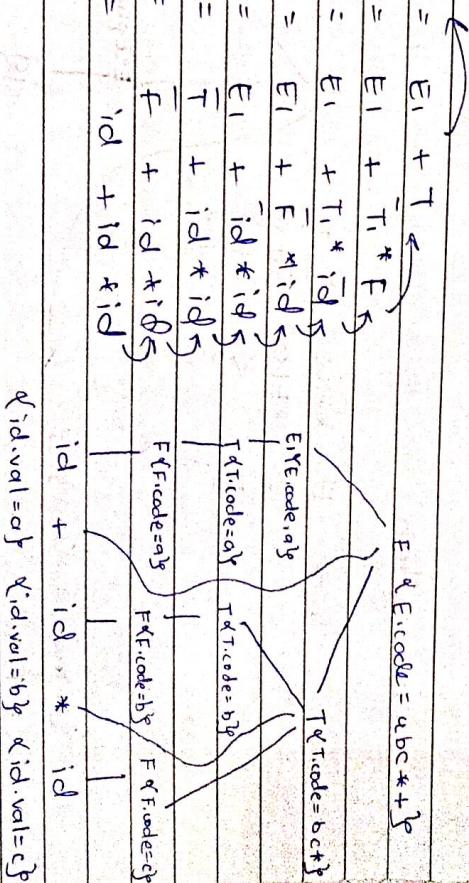
$$T \rightarrow T_1 * F \quad \alpha T \cdot \text{code} = \text{concat}(T_1 \cdot \text{code}, F \cdot \text{code})$$

$$F \rightarrow id \quad \alpha F \cdot \text{code} = F \cdot \text{code}$$

$$E \rightarrow T \quad \alpha E \cdot \text{code} = \text{concat}(T \cdot \text{code}, "+")$$

$$(id + id * id) \quad (a, b, c \rightarrow \text{type id})$$

Rightmost Derivation tree



Initial next quad = 100
When this (+) is executed the nextquad value
automatically increases by 10.
Assume that the initial value of next
quad is = 100
code 3 = 100
(Initial = 100)

Initiatel

Gentquad

Page No. :

- * Generation of 3 address code for various programming construct

Example

Grammar
 $a < b \rightarrow \text{non-terminal}$

- $E \rightarrow E_1 \text{ RELOP } E_2 \quad \alpha_{E_1} = \text{makelist(nextquad+1)} \quad \alpha_{E_2} = \text{makelist(nextquad+2)}$

porcessed function
generated (if E_1 . place RELOP.val = "less")
be generated 3
in else case
 $E \rightarrow id \quad \alpha_{id} = \text{getname(id.place)}$

- $E \rightarrow id \quad \alpha_{id} = \text{getname(id.place)}$

RELOP \rightarrow $< \quad \alpha_{RELOP.val} = "<"$
 $> \quad \alpha_{RELOP.val} = ">"$
 $\leq \quad \alpha_{RELOP.val} = "<="$

DerivationTree

$E \rightarrow E \text{ RELOP } E$

$E \rightarrow E \text{ RELOP } id$
 $E \rightarrow id \quad \alpha_{id} = \text{getname(id.place)}$

$a < b$
 $a < b \quad \alpha_{E.place} = 9$

$a < b \quad \alpha_{E.place} = 9$
 $a < b \quad \alpha_{E.place} = 9$

100 : if $a < b$ goto -

Statement

Generate 3 address code for the following statement
 $a < b \quad \text{and} \quad c < d$

Same grammar (marked)

- $E \rightarrow E \text{ and } E$ (additional production)
derivation

$E \rightarrow E \quad \text{and} \quad E$
 $E \rightarrow E \text{ and } E \text{ RELOP } E$

$E \rightarrow E \text{ and } E \text{ RELOP } id$

$E \rightarrow E \text{ and } id \text{ RELOP } E$

$E \rightarrow E \text{ and } id \text{ RELOP } id$

$E \rightarrow E \text{ and } id \text{ RELOP } id$

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$E \rightarrow E \text{ and } id \text{ RELOP } id$

$E \rightarrow E \text{ and } E$
 $\rightarrow E \text{ and } E \text{ RELOP } E \rightarrow$
 $\rightarrow E \text{ and } E \text{ RELOP id} \rightarrow$
 $\rightarrow E \text{ and } E \leq id \rightarrow$
 $\rightarrow E \text{ and } E \text{ id } < id \rightarrow$
 $\rightarrow E \text{ RELOP and id } < id \rightarrow$
 $\rightarrow E \text{ RELOP id and id } < id \rightarrow$
 $\rightarrow E \text{ id and id } < id \rightarrow$
 (a) (b) (c) (d)

Find nextquad : 104

Additional Production (same question)

$E \rightarrow E_1 \text{ and } m E_2 \wedge \text{Backpatch } (E_1, true \rightarrow m, quad)$

$a < b \text{ and } c < d$

$E, true = E_2, true$
 $E, false = merge(E, false)$

$m \rightarrow E \wedge m, quad = nextquad$

Tree

Rightmost derivation
 $E \rightarrow E_1 \text{ and } m E_2$
 $E \rightarrow E_1 \text{ and } m E \text{ RELOP } E$
 $E \rightarrow E_1 \text{ and } m E \text{ RELOP id}$
 $E \rightarrow E_1 \text{ and } m E < id$

$E \rightarrow E \text{ place } = a \text{ by } \{ E, true = 101, E, false = 102 \}$
 $E \rightarrow E \text{ place } = b \text{ by } \{ E, true = 102, E, false = 103 \}$
 $E \rightarrow E \text{ place } = c \text{ by } \{ E, true = 103, E, false = 104 \}$
 $E \rightarrow E \text{ place } = d \text{ by } \{ E, true = 104, E, false = 105 \}$
 (a) (b) (c) (d)

$100 : if a < b \text{ goto } 102$
 $101 : if c < d \text{ goto } -$
 $102 : if c < d \text{ goto } -$
 $103 : if c < d \text{ goto } -$
 nextquad = 100 from 102 103 104

(a)

(b)

(c)

(d)

$100 : if a < b \text{ goto } -$
 $101 : if c < d \text{ goto } -$
 $102 : if c < d \text{ goto } -$
 $103 : if c < d \text{ goto } -$

Q Generate 3 address statement for
the following expression

$E \rightarrow E_1 \text{ or } m E_2 \wedge \text{Back patch}(E_1.\text{false}, m.\text{quad})$

$a < b \text{ or } c < d \quad E_1.\text{false} = E_2.\text{false}$

$m \Rightarrow E \quad E.\text{true} = \text{Merge}(E_1.\text{true}, E_2.\text{true})$

$m \Rightarrow E \quad a.m.\text{quad} = \text{next quad}$

Tree

* rightmost derivation

$E \rightarrow E_1 \text{ or } m E_2$

$E.\text{false} = 103$

$E.\text{true} = 100, 102$

$E.\text{false} = 103$

g) write SDTS for arithmetic statement

$E \rightarrow E_1 + E_2 \quad \& E.\text{place} = \text{newtemp}()$

Genode ("E.place = E₁.place + E₂.place")

$E \rightarrow id \quad \& E.\text{place} = \text{genname(id.place)}$

$E \rightarrow E + id \quad \& E.\text{place} = t₁ + id$

$E \rightarrow id + id \quad \& E.\text{place} = t₁ + id$

3 Address code

100: t₁ = 3 + 5

3 id + 5 id

3 5

E₁.place=3

E₂.place=5

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

E₁.place = E₁.place + E₂.place,

E₂.place = t₁ + id

nextquad

→ 100 101 102 103 104

SDTS for assignment statement. ~~c = a + b~~
 $c = a + b$
 $c = a + b$

~~So it helps~~

$S \rightarrow id = E$

$\text{id} = E + \text{id}$
 $\text{id} = \text{id} + \text{id}$

$\text{id} = \text{id} + \text{id}$

$$101 \quad c = t,$$

the SPTs have been determined

$S \rightarrow \text{if } E \text{ then } M \text{ else } S'$
Backpatch (E.true, m, q)

S. next = merge (E. false, S.next)

$a > b$ then $c = a + b$

$s \rightarrow$ if E then M s.

\rightarrow if E then M id = E

\Rightarrow if $E = \text{true}$ then $P := E + i$

\Rightarrow if E then id = id + id
 \hookrightarrow if E then C id = id + id

\Rightarrow if $E \text{ RELOP } E$ then C $id = id + id$
 \Rightarrow if $E \text{ RELOP } id$ then C $id = id + id$

5 write SDS scheme for while statement.

Input: $x < z$ do $y = y + z$

Grammar

$S \rightarrow \text{while } M_1 E \text{ do } M_2 S_1$

Stackpath ($E.\text{true}$, $M_2.\text{nextquad}$)

$S.\text{next} = E.\text{false}$

encode (goto ($M_1.\text{quad}$))

$M_1 \rightarrow E \quad \text{am}_1.\text{quad} = \text{nextquad}$

$M_2 \rightarrow E \quad \text{am}_2.\text{quad} = \text{nextquad}$

leftmost derivation

$S \rightarrow \text{while } M_1 E \text{ do } M_2 S_1$

$\rightarrow \text{while } M_1 E \text{ do } M_2 \overline{id} = E \quad \leftarrow$

$\rightarrow \text{while } M_1 E \text{ do } M_2 id = E_1 + E_2 \quad \leftarrow$

$\rightarrow \text{while } M_1 E \text{ do } M_2 id = E_1 + id_5$

$\rightarrow \text{while } M_1 E \text{ do } M_2 id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ do } E id = id + id_5 \quad \leftarrow$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 E \text{ RELOP } id \text{ do } E id = id + id_5$

$\rightarrow \text{while } M_1 id < id \text{ do } E id = id + id_5$

$\rightarrow \text{while } E id < id \text{ do } E id = id + id_5$

3 Address Statement

100 : if $a < b$ goto 102

101 : goto —

102 : $t_1 = y + z$

103 : $x = t_1$

104 : goto 100

Generate 3 Address Code for the following statements.

- ① if $a < b$ and $c < d$ then $x = y + 2$
- ② while $a < b$ and $c < d$ do $x = y + 2$
- ③ while $a < b$ do if $c < d$ then $x = y + 2$
- ④ if $a < b$ then while $c < d$ do $x = y + 2$

if $x < 3$ goto (100) → target → conditional goto

goto (102) → target ⇒ unconditional goto.

(7) goto (3)

(8) goto calling program

* Blocks of 3 Address Statement

Include all the statements starting from the leader up to, but not including the next leader

$$\boxed{\text{No of Leaders} = \text{No of Blocks}}$$

leaders

(1) → first statement

(3) → target goto

(4) → immediately follows a conditional statement

(8) → because it is a target of conditional goto statement

Edges

Condition ① In 3 address code

re. bad if $i < x$ goto 8

is coming ; first statement

if B_2 comes from last statement of B_1

and one more condition B_2 will follow B_1

if and only if last statement of B_1 should not be unconditional goto

(B1)

(B2)

(B3)

(B4)

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Construct Directed Acyclic Graph (DAG) for
 $x = y \text{ or } z$

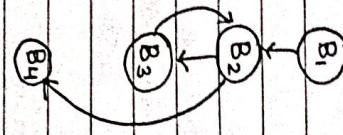
$$a = b + c$$

$$b = a - d$$

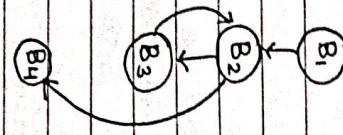
$$c = b + c$$

$$d = a - d$$

Condition ② The last statement of block B_1 is either a conditional or unconditional goto statement and first statement of block B_2 is the last statement of block B_1 .



B_1

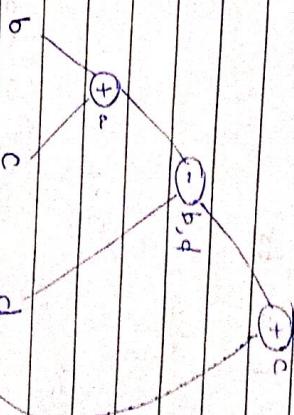
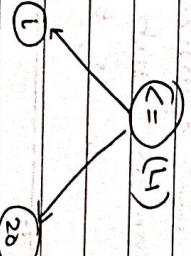


B_2

B_3

If ($i \leq 20$) goto L1

(\leq) ($L1$)



a

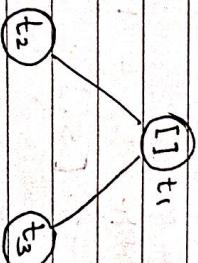
b

c

d

Block 2 consists of conditional goto true condition goes to B_3 and if the condition is false then goto by

$t_1 = t_2 [t_3]$



True condition goes to B_3 and if the condition is false then goto by

$t_1 = t_2 [t_3]$

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$$[17] \quad \infty = 27$$

$$E_3 = 4 * i$$

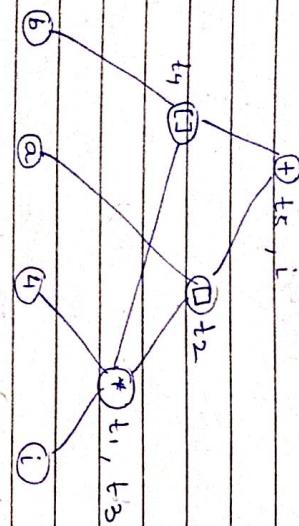
$$[37] \quad q = b^t$$

$$t_5 = t_2 + t$$

57 = 1 7

may be replaced by the sequence

f a < b goto L₂
goto L₃



It's used for code optimization to
select the common sub expression.
i.e. t5, i 2o t1, t3

$$I * h = I$$

$$S_2 = \text{addr}(A) - 4 - RROD = 800$$

$$T^*h = hs$$

$$S_5 = \text{addr}(B) - 4 - S_6 = S_E - [S_5]$$

S + 11 S S 80 * S6 1

$$S_8 = PROD + S_7 -$$

H 11 S 9

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