

Systèmes robotisés intelligents Smart Robotic Systems

Localization

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Goal of localization:

Determine the position and orientation of the robot in a so-called navigation landmark

Absolute localization Relative localization

Where I am?

R0: Navigation Landmark

RM: Mobile Landmark



- Challenge: Determine the position and orientation of the robot in a so-called navigation landmark with a good:
 - Precision
 - Integrity
 - Availability
 - Continuity (availability over a period)



Localization techniques:

Absolute localization 2D / 3D maps of the environment

Prior development of the environment

No need for an initialization phase

Low (bad) sampling frequency

Data availability issues (GPS signal, bitter)

Relative localization

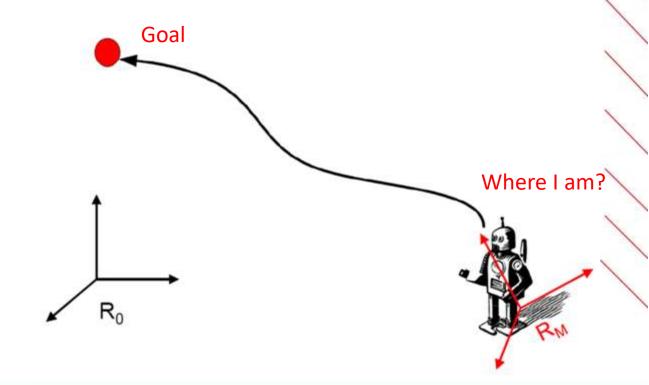
odometry telemetry

artificial landmarks (beacons)



Terminology and change of Landmark in localization:

Pose: Position and attitude (heading angle) of the mobile relative to the navigation Landmark



R0: Navigation Landmark

RM: Mobile Landmark



Terminology and change of Landmark in localization:

Homogeneous coordinates: useful for making landmark changes or develop models

When we know the coordinates of a point jP in a landmark Rj and that we wish to express them in another landmark Ri, just do: ${}^iP={}^iT_j.{}^jP$



Terminology and change of Landmark in localization:

Homogeneous coordinate system

$$\operatorname{Trans}(a, b, c) = \begin{bmatrix} 1 & 0 & 0 & a \\ 0 & 1 & 0 & b \\ 0 & 0 & 1 & c \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Composition of transformations

$${}^{0}T_{k} = {}^{0}T_{1}.{}^{1}T_{2}....{}^{k-1}T_{k}$$

$$Rot(x,\theta) = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos\theta & -\sin\theta & 0 \\ 0 & \sin\theta & \cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$\operatorname{Trans}(a,b,c) = \begin{bmatrix} 1 & 0 & 0 & a \\ 0 & 1 & 0 & b \\ 0 & 0 & 1 & c \\ 0 & 0 & 0 & 1 \end{bmatrix} \qquad \operatorname{Rot}(y,\theta) = \begin{bmatrix} \cos\theta & 0 & \sin\theta & 0 \\ 0 & 1 & 0 & 0 \\ -\sin\theta & 0 & \cos\theta & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$$Rot(z,\theta) = \begin{bmatrix} \cos\theta & -\sin\theta & 0 & 0\\ \sin\theta & \cos\theta & 0 & 0\\ 0 & 0 & 1 & 0\\ 0 & 0 & 0 & 1 \end{bmatrix}$$

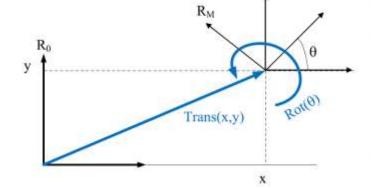


Practical case generally encountered: 2D Pose example

$${}^{0}q_{M} = \left[egin{array}{c} x \\ y \\ heta \end{array} \right]$$

$${}^{0}T_{M} = \operatorname{Trans}(x, y).\operatorname{Rot}(z, \theta)$$





$${}^{0}T_{M} = \begin{bmatrix} \cos\theta & -\sin\theta & x \\ \sin\theta & \cos\theta & y \\ 0 & 0 & 1 \end{bmatrix}$$



Components used for localization:

GPS

24 satellites

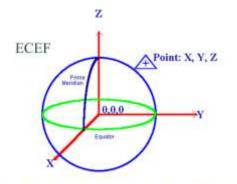
The transmitter generates two respective frequency waves 1575.42 MHz and 1227.60 MHz 3 Signals needed (4 more robust)
Outdoor Navigation
Useful for occasional readjustments

Low frequency <5Hz, typically 1Hz

DGPS: Precision centimeter

GLONASS, Galileo





Earth Centered, Earth Fixed X, Y, Z



Components used for localization:

Odometry (localization sensors)

Telemetry

Navigable map (digital map of the environment)

Exteroceptive sensors (Lidars Cameras)

Bitter (Thumbnail images / maps)



Robust localization:

- Multi-sensor fusion
- Simple recalage (odometer + GPS recalage)
- Merging of data by weighted average
- Data merge by Kalman filtering



Localization dual problems:

- Map construction (local, topological)
- Occupation Grids
- Simultaneous Localization And Mapping (SLAM)