

Prof: Sam Burden

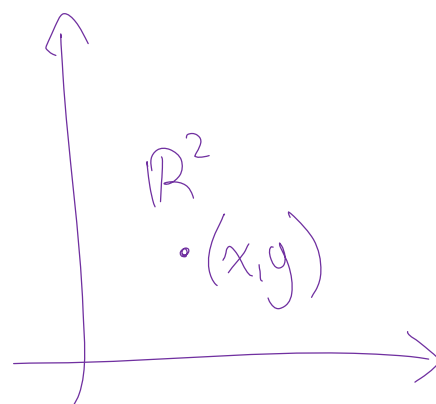
TA: Haonan Peng

\*if/when possible: keep video on; unmute to ask Questions

\* update your preferred name at [identity.uw.edu](http://identity.uw.edu)today: ☒ HW2 assigned - due Fri Oct 23☒ week 3 lectures posted (~ 2 hours)☐ office hour~~TODO: add book refs to lec 3 (d,e)~~~~HW1 3e: agreement between sinusoids~~

Thu; HW(N-1) solution

$$\leftarrow \overset{\bullet}{x} \rightarrow \quad x \in \mathbb{R} \quad "x" \quad \leftarrow \overset{\bullet}{y} \rightarrow \quad y \in \mathbb{R} \quad =$$



$$A \times B = \{ (a, b) : a \in A, b \in B \}$$

$$f: \mathbb{R}^2 \times \mathbb{R}^1 \rightarrow \mathbb{R}^2$$

$$: (x, u) \mapsto f(x, u) \in \mathbb{R}^2$$

$$\underbrace{\quad}_{= w \in \mathbb{R}^3} \text{ ie } \mathbb{R}^3 = \mathbb{R}^{2+1} = \mathbb{R}^2 \times \mathbb{R}^1$$

$$f: \mathbb{R}^3 \rightarrow \mathbb{R}^2$$

$$: w \mapsto f(w) \in \mathbb{R}^2$$

$$\dot{x}_1 = f_1(x_1, x_2, u)$$

$$\dot{x}_2 = f_2(x_1, x_2, u)$$

$$f_1, f_2: \mathbb{R} \times \mathbb{R} \times \mathbb{R} \rightarrow \mathbb{R}$$

$$: (x_1, x_2, u) \mapsto \dot{x}_1, \dot{x}_2$$