

AA ECE ME 548: Linear Multivariable Control  
Prof Burden TA Tinu Spring 2020

exams: grading in progress; results ~ Mon May 11

today: ☒ ~10 min breakout discussion & follow-up

☒ mid-quarter course evaluation results

☒ HW 3 solution Q's (self-assessment due Sun May 10)

☐ Q's about lecture on "randomness"

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mid-quarter course eval results:

## MID-QUARTER FEEDBACK

	N	Excellent	Very Good	Good	Fair	Poor	Very Poor	Median
My ability to engage with course concepts is:	21	24%	24%	38%	14%			3.4
My ability to keep up with course requirements and assignments is:	21	14%	38%	33%	10%	5%		3.6
My instructor's communication regarding course requirements and assignment is:	21	48%	29%	14%	10%			4.4
My instructor's responsiveness to student questions and concerns is:	21	67%	19%	10%	5%			4.8

From where are you engaging with this course this quarter?

(N=21)

76% US: Greater Seattle Metropolitan Area

14% US: Washington State outside of the Seattle area

5% US: California or Oregon

US: Alaska or Hawaii

US: Mountain time zone

US: Central time zone

US: Eastern time zone

International: North America (not US)

International: South America

International: Africa

International: Asia

International: Australia

5% International: Europe

□ it's hard to Zoom all day (i.e. 548 isn't your only class)

□ pre-recorded lectures + Zoom meetings = a lot  
(but: asking Q's in Zoom meetings is helpful)

→ I'm going to try to have lighter lecture + HW load

□ short lectures (~15-30 min) are nice

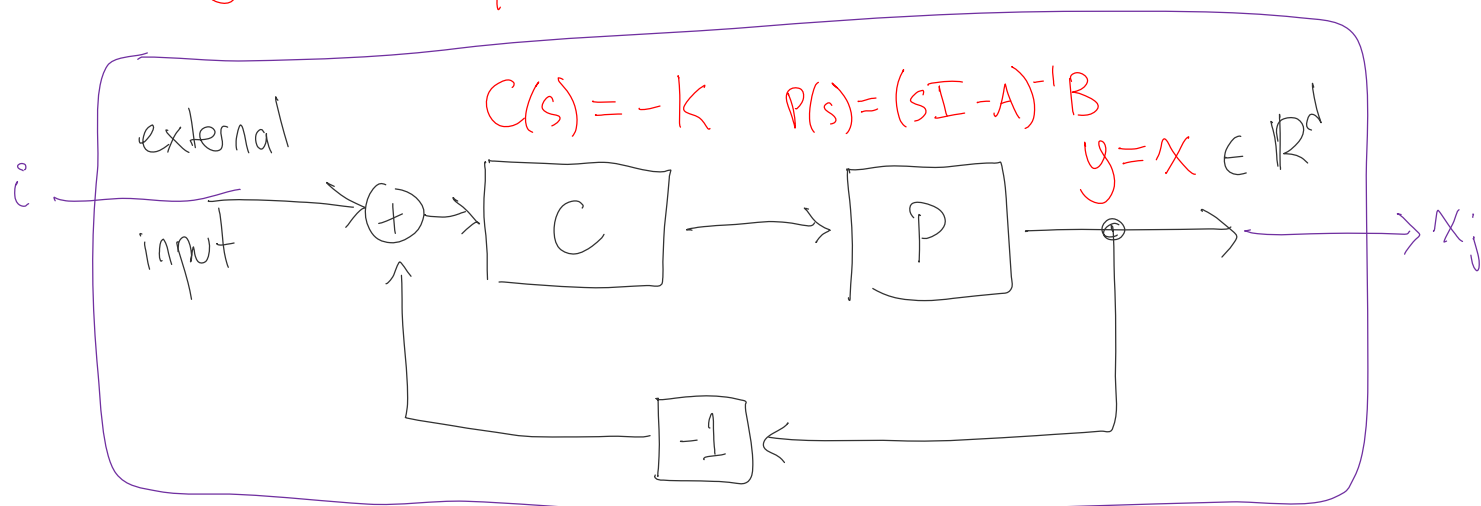
but more examples/exercises would be helpful...

→ I'm going to include more exercises, but not solve them

□ this is a very stressful/challenging time  
(but: flexible deadlines help a bit)

stability (gain & phase) margins for MIMO systems

→ eg exam 1 problem 2 (d,e)



- open-loop xfer matrix  $L = PC \in \mathbb{R}^{d \times d}$

- sensitivity " "  $S = (I + PC)^{-1} \in \mathbb{R}^{d \times d}$

\* "loop-at-a-time" analysis of stability / sensitivity  
(a) makes sense but (b) doesn't give complete picture

↳ to get a handle on MIMO robustness,  
we will quantify system-level norms ( $H_2$ ,  $H_\infty$ )