

# Evaluating a Hypothesis

Once we have done some trouble shooting for errors in our predictions by:

- Getting more training examples
- Trying smaller sets of features
- Trying additional features
- Trying polynomial features
- Increasing or decreasing  $\lambda$

We can move on to evaluate our new hypothesis.

A hypothesis may have a low error for the training examples but still be inaccurate (because of overfitting). Thus, to evaluate a hypothesis, given a dataset of training examples, we can split up the data into two sets: a **training set** and a **test set**. Typically, the training set consists of 70 % of your data and the test set is the remaining 30 %.

The new procedure using these two sets is then:

1. Learn  $\theta$  and minimize  $J_{\text{train}}(\theta)$  using the training set
2. Compute the test set error  $J_{\text{test}}(\theta)$

## The test set error

1. For linear regression:  $J_{\text{test}}(\theta) = \frac{1}{2m_{\text{test}}} \sum_{i=1}^{m_{\text{test}}} (h_{\theta}(x^{(i)}_{\text{test}}) - y^{(i)}_{\text{test}})^2$
2. For classification ~ Misclassification error (aka 0/1 misclassification error):

$$\text{err}(h_{\theta}(x), y) = \begin{cases} 1 & \text{if } h_{\theta}(x) \geq 0.5 \text{ and } y = 0 \text{ or } h_{\theta}(x) < 0.5 \text{ and } y = 1 \\ 0 & \text{otherwise} \end{cases}$$

This gives us a binary 0 or 1 error result based on a misclassification. The average test error for the test set is:

$$\text{Test Error} = \frac{1}{m_{\text{test}}} \sum_{i=1}^{m_{\text{test}}} \text{err}(h_{\theta}(x^{(i)}_{\text{test}}), y^{(i)}_{\text{test}})$$

This gives us the proportion of the test data that was misclassified.