Compboost

Modular framework for component-wise boosting

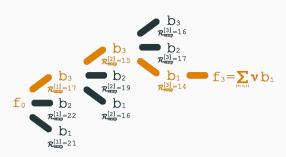
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Why Component-Wise Boosting

Why Component-Wise Boosting?



- Inherent (unbiased) feature selection → Hofner et al. (2011)
- The resulting model is sparse since important effects are selected first and therefore it is able to learn in high-dimensional feature spaces $(p \gg n)$.
- The parameters are updated iteratively. Therefore, the whole trace of how the model evolves is available.

Available R Packages

Most popular package for model-based boosting is mboost ▶ Hothorn et al. (2017):

- Large number of available base-learner and losses.
- Extended to more complex problems:
 - Functional data Brockhaus et al. (2017)
 - GAMLSS models Mayr et al. (2012)
 - Survival analysis
- Extendible with custom base-learner and losses.

So, why another boosting implementation?

- Main algorithm is implemented in R which is not the best choice for expensive algorithms.
- Complex implementation:
 - Nested scopes
 - Mixture of different R class systems

About Compboost

About Compboost

- With mboost as standard, we want to keep the modular principle of defining custom base-learner and losses.
- Completely written in C++ and exposed by Rcpp Eddelbuettel (2013)
 Eddelbuettel and François (2017) to obtain high performance and full memory control.
- R API is written in R6 to provide convenient wrapper.
- Major parts of the compboost functionality are unit tested against mboost to ensure correct use.

Compboost: Functionality

Main components:

- Base-learner and loss classes.
- Logger class for early stopping and logging mechanisms.

Possible extensions:

- Custom R or C++ base-learner.
- Custom R or C++ loss objects.
- Custom logging and stopping rules via custom losses.

Custom classes can be defined without recompiling the whole package, even when using C++ functions.

Small Usecase

Initializing Model

```
library(compboost)

data(PimaIndiansDiabetes, package = "mlbench")

cboost = Compboost$new(PimaIndiansDiabetes, "diabetes",
   loss = BinomialLoss$new())

cboost$addBaselearner("age", "spline", PSplineBlearner,
   degree = 3, n.knots = 10, penalty = 2, differences = 2)

cboost$addBaselearner("mass", "linear", PolynomialBlearner,
   degree = 1, intercept = TRUE)
```

Initializing Model

```
cboost$train(2000, trace = FALSE)
choost
## Component-Wise Gradient Boosting
##
## Trained on PimaIndiansDiabetes with target diabetes
## Number of base-learners: 2
## Learning rate: 0.05
## Iterations: 2000
## Positive class: neg
## Offset: 0.3118
##
## BinomialLoss Loss:
##
##
     Loss function: L(y,x) = log(1 + exp(-2yf(x)))
##
##
```

Access Results and Continue Training

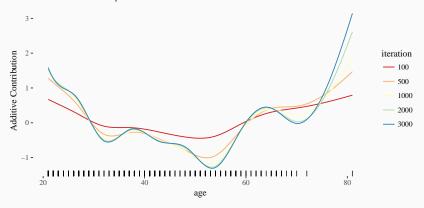
```
table(cboost$selected())
##
## age_spline mass_linear
         1511
##
                       489
cboost$train(3000)
##
## You have already trained 2000 iterations.
## Train 1000 additional iterations.
str(cboost$risk())
## num [1:3001] 0.658 0.657 0.655 0.653 0.652 ...
str(cboost$coef())
## List of 3
## $ age_spline : num [1:14, 1] 5.581 0.67 1.251 -1.134 0.199 ...
## $ mass_linear: num [1:2, 1] 3.08 -0.09
## $ offset : num 0.312
```

Plot Results

```
cboost$plot("age_spline", iters = c(100, 500, 1000, 2000, 3000))
```

Effect of age_spline

Additive contribution of predictor



Custom Loss: Definition

As an example we want to define a custom loss corresponding to the Poisson distribution:

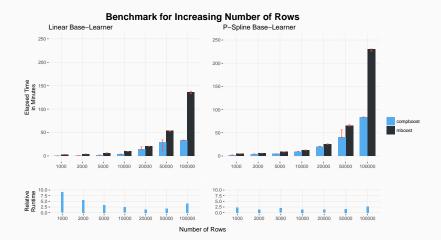
```
lossPoisson = function (truth, response) {
   return (-log(exp(response)^truth * exp(-exp(response)) / gamma(truth + 1)))
}
gradPoisson = function (truth, response) {
   return (exp(response) - truth)
}
constInitPoisson = function (truth) {
   return (log(mean.default(truth)))
}
# Define custom loss:
my.poisson.loss = CustomLoss$new(lossPoisson, gradPoisson, constInitPoisson)
```

Custom Loss: Train Model

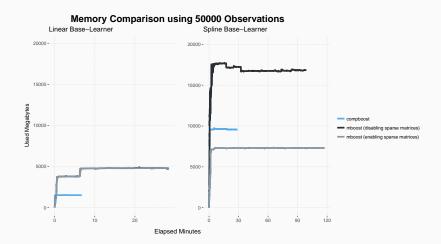
```
data(VonBort, package = "vcd")
cboost = Compboost$new(VonBort, "deaths", loss = my.poisson.loss)
cboost$addBaselearner("year", "spline", PSplineBlearner)
cboost$train(100, trace = FALSE)
mod = mboost(deaths ~ bbs(year, lambda = 2), data = VonBort, family = Poisson(),
  control = boost_control(mstop = 100, nu = 0.05))
head(cbind(
  compboost = as.numeric(cboost$coef()[[1]]).
  mboost = as.numeric(coef(mod)[[1]])))
##
          compboost mboost
## [1,] -1,22328271 -1,22328271
## [2.] -0.91327247 -0.91327247
## [3,] -0.60784297 -0.60784297
## [4,] -0.33885367 -0.33885367
## [5,] -0.18094044 -0.18094044
## [6.] -0.07880335 -0.07880335
```

Small Benchmark

Runtime Comparison Against Mboost



Memory Comparison Against Mboost



Next Steps

Next Steps

- Implementing more base-learner and loss functions.
- Support for multiclass classification.
- Parallel computations.
- Using sparse matrices to store, e.g., spline data matrices.

Where to Find

• Developed on GitHub:

www.github.com/schalkdaniel/compboost

• Additional resources on the project page:

www.compboost.org

• Bug reports via the issue tracker.

Contributions are highly welcome!

References

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- Hothorn, T., Buehlmann, P., Kneib, T., Schmid, M., and Hofner, B. (2017). *mboost: Model-Based Boosting*. R package version 2.9-0.
- Mayr, A., Fenske, N., Hofner, B., Kneib, T., and Schmid, M. (2012). Generalized additive models for location, scale and shape for high dimensional data – a flexible approach based on boosting. *Journal of the Royal Statistical Society: Series C – Applied Statistics*, 61(3):403–427.