## **Federated Learning**

Idea, Applications, and

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# Terminology

### **Distributed Learning**

#### Classical parallelization, advantages:

- Speed up fitting process
- Train model on much more data
- Idea behind Spark, Hadoop, . . .
- Assumption that we already have a database which we want to distribute, hence data of the splits should follow the same distribution

Federated/Decentralized Learning

Federated Learning as learning on decentralized data with the following properties:

- Non-IID The training data on a given client is typically based on the usage of the mobile device by a particular user, and hence any particular user's local dataset will not be representative of the population distribution.
- Unbalanced Similarly, some users will make much heavier use
  of the service or app than others, leading to varying amounts of
  local training data.
- Massively distributed We expect the number of clients participating in an optimization to be much larger than the average number of examples per client.
- Limited communication Mobile devices are frequently offline or on slow or expensive connections.

#### Host





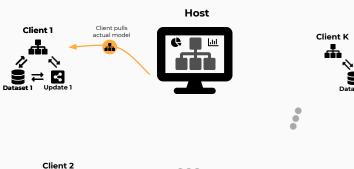








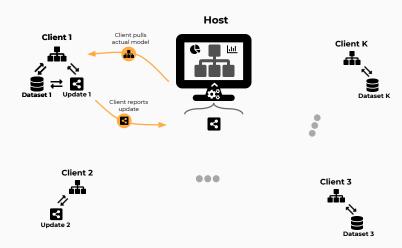


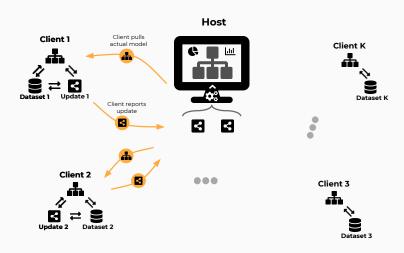


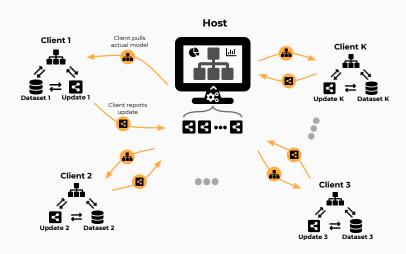




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#### Federated Learning/Decentralized Learning

- Model comes to the data, not data to the model
- Privacy concerning method
- . . .

## **Gradient-Based Methods**

**Federated Learning of** 

### **Google Paper**

Problems

#### **Federated Averaging**

Mention problems and how we can tackle them (more steps in one iteration . . . )

# **Challenges**

### **Communication Costs vs. Training Costs**

#### **Evaluation of Federated Learning Systems**

**Example with Logistic Regression** 

#### Setup

Loss Function/Negative Log-Likelihood

$$L(y, f(x, \theta)) = -y \log (f(x, \theta)) - (1 - y) \log (1 - f(x, \theta))$$

Response Function

$$f(x) = (1 + \exp(-x^T \theta))^{-1}$$

Score Function

$$\frac{\delta}{\delta\theta}L(y,f(x,\theta)) = x(y - f(x,\theta))$$

# **Boosting and Federated Learning**