

Proof. One can argue by the product rule, or one can interpret an ordered choice of k balls out of n as an injective map $f: \{1, \dots, k\} \rightarrow \{1, \dots, n\}$. Here $f(i)$ tells us which of the balls was taken on the i -th step. \square