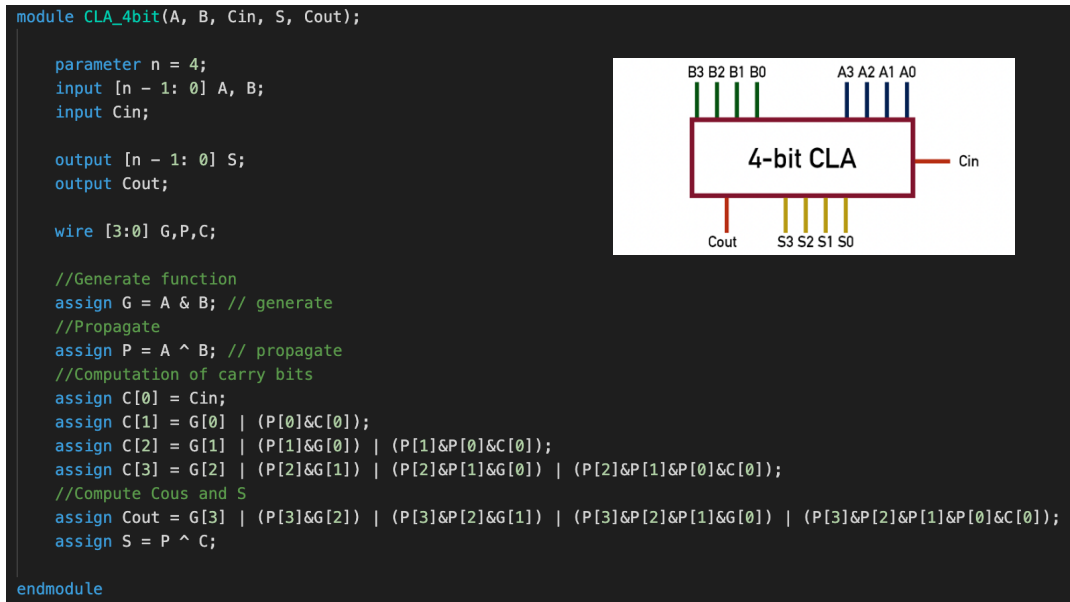


### 1. Design of 4-bit carry lookahead adder

Carry Lookahead Adder is a fast adder to add two n-bit binary numbers with a generate function ( $G_i = A_i \& B_i$ ) and Propagate function ( $P_i = A_i \wedge B_i$ ). With this function, I compute the carry bits such that ( $C_{i+1} = G_i + P_i C_i$ ), where all the carries from  $C_1$  until  $C_4$  can be computed in parallel form A,B and the input carry  $C_0$ , after a total of three gate delays. In the module CLA\_4bit, I assign  $G = A \& B$  and  $P = A \wedge B$ . Then, I assigned  $C_{in}$  as  $C[0]$ , and assigned the rest accordingly to the Carry bits function. Whereas the Cout would  $C_4$  in the form of  $C_0$ . Then, I assigned S (the sum) into  $P \wedge C$ .



### 2. Constructing 16-bit adder with 4-bit CLAs

I constructed a 16-bit adder with 4 4-bit CLAs by designing a propagate function and a generate function for each group. Where I assign the S to be the Sum for every 4 bits. Every group has 4 bits, which are [3:0], [7:4], [11:8], [15:12]. The first group propagate function  $P_{0-3} = P_0 P_1 P_2 P_3$  and the generate function is  $G_{0-3} = G_3 + P_3 G_2 + P_3 P_2 G_1 + P_3 P_2 G_1 G_0$ . The group propagate and generate functions for the rest of the other groups can be defined similarly. As I already made a 4 bit CLA, I used the module to

make a 16 bit adder directly by implementing the module. After finding the sum of every 4 bit, I then assigned the sum accordingly from the 4 CLAs from the most significant to the least significant bit.

```
module Adder_16bit(A, B, Cin, S, Cout);

    parameter n = 16;
    parameter m = 4;

    input [n - 1: 0] A, B;
    input Cin;

    output [n - 1: 0] S;
    output Cout;

    //Please refer to P32 of slides.
    wire C4, C8, C12;
    wire [m - 1: 0] S0_3, S4_7, S8_11, S12_15;
    assign S = {S12_15, S8_11, S4_7, S0_3};

    CLA_4bit cla0(A[3:0], B[3:0], Cin, S0_3, C4);
    CLA_4bit cla1(A[7:4], B[7:4], C4, S4_7, C8);
    CLA_4bit cla2(A[11:8], B[11:8], C8, S8_11, C12);
    CLA_4bit cla3(A[15:12], B[15:12], C12, S12_15, Cout);

endmodule
```

### 3. Design and implementation of ALU

- Logical shift A by 1-bit to the left and to the right

I assign Y into  $A \ll 1'b1$  to shift left by 1-bit, and assign  $A \gg 1'b1$  to shift right by 1-bit. I also assigned the Cout and Overflow to 0.

- Arithmetic shift left by 1-bit

Arithmetic shift, I assign  $A \lll 1'b1$  into Y to shift A left by 1 bit, then assigned the Cout and Overflow to 0. But for the arithmetic shift right by 1-bit, I assign  $A \ggg 1'b1$  to Y and make Y[15] to 1 to maintain the sign. Then assigned the Cout and Overflow to 0.

- Add B to A with Adder 16 bit

I used the 16 bit Adder to add B to A. But first, I wired 16 bit add\_AB to store the sum of  $A + B$ , and a 1 bit wire of CoutAdd to store the carry bit after the operator. Inside the Adder16bit, I assigned the parameter as (A,B,Cin,add\_AB,CoutAdd). I then assigned the Cout into CoutAdd, because it is the Carry bit after adding B to A. For the Overflow, I made a K-map of A,B,Sum

and Overflow for addition and found the Boolean expression for overflow, which is  $(!A!BY) + (AB!Y)$ .

- Subtract B from A with adder 16 bit

I used the 16 bit Adder to subtract B from A. But first, I wired 16 bit sub\_AB to store the sum of  $A + (-B)$ , and a 1 bit wire of CoutSub to store the carry bit after the operator. Because adding a negative would mean that we need to find the 2's complement of the binary digit, instead of putting (A,B,Cin,Sum,Cout) inside the Adder16bit, I changed the B into complement directly at the parameter, which became  $(A,(\sim B)+1,Cin,Sub\_AB,CoutSub)$ . I then assigned the Cout into CoutSub, because it is the Carry bit after adding -B to A. For the Overflow, I made a K-map of A,B,Sum and Overflow for subtraction and found the Boolean expression for overflow, which is  $(!ABY) + (A!B!Y)$ .

- Logical and, or, not, xor, xnor, nor

I assign the output Y according to its respective logical gates according to the function in the mode description, and every Cout and Overflow is 0.

- Binary to one hot

I set Y into 1, and logically shift that 1 as much as A, so that it would end at its respective position. As it is a one hot representation, exactly one bit is set. So 0 would be represented by 1 at the rightmost position. And 15 would be represented by 1 at the leftmost position. Every Cout and Overflow is 0.

- Assign output to A and B

I assigned the output of Y into A and B, where the Cout and Overflow is 0.

- Find the first one from left

I used 16 if statements starting from  $\text{if } A[15] = 1$ , which means checking whether or not there is 1, from the leftmost position accordingly until the last position, or rightmost position. If  $A[\text{position}]$  is 1, output Y would become that decimal position, and the Cout and Overflow is 0.

#### 4. Problem faced & how to deal

- In mode 4, I keep getting wrong answer at first because I forgot to assign the Cout into 0 instead of the Cout I got when adding A and B with the 16 bit Adder. And I forgot to use bitwise not instead of logical not in the Overflow.
- When making the synthesis, I keep getting errors because of my makefile. My macbook keep turning the sensitive makefile into txt which screws up when I tried to simulate at the terminal. Eventually, I borrowed my friend's windows computer to synthesize my code.

5. *Questions for TA*

- Why does MAC result in so many synthesis and simulation errors compared to windows?