

The *Tango* Theme for Beamer

Showcase and Demonstration

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Introduction

Content I

1. Introduction

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- Blocks
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List using the 'enumerate' environment:

1. First item.
2. Second item.
 - 2.1 Sub-list first item.
 - 2.2 Sub-list second item.
 - 2.2.1 Sub-sub-list first item.
 - 2.2.2 Sub-sub-list second item.

List using the 'itemize' environment:

- First item.
- Second item.
 - Sub-list first item.
 - Sub-list second item.
 - Sub-sub-list first item.
 - Sub-sub-list second item.

Elements

Alert, Blocks & Links

Sample of the 'alert' command.

Conventional Block

This block can be used to highlight key information of a given slide.

Example Block

Examples of different concepts can be placed inside this block.

Alert Block

Furthermore, one can put very important information inside this block.

This is a web-link github.com/schmaeke/tango-beamer.

Here we cite [Anand and Govindjee, 2020].

```
using Stela, Stela.Tensors

# Create some tensors
a = Tensors.rand(Float16, 5, 10)
b = Tensors.rand(Float16, 10, 3)

# Do some computations
c = sum(a * b)^Float16(4)

# Pass through the graph
forward(c) # Compute c, result stored in c.data
backward(c) # Compute derivatives of c, stored in *.grad

println("dc/da = (a.grad)")
println("dc/db = (b.grad)")

# Visualize
to_dot_graph(c, "graph_file"; create_svg=true) # Export to Graphviz
```

Listing: Some random code

Practical

Some Math & Figures

➤ Equilibrium conditions

$$-\nabla \cdot \boldsymbol{\sigma} = \mathbf{p} \quad \forall \mathbf{x} \in \Omega \quad (1a)$$

$$\boldsymbol{\sigma} \cdot \mathbf{n} = \mathbf{t} \quad \forall \mathbf{x} \in \Gamma_N \quad (1b)$$

$$\mathbf{u} = \bar{\mathbf{u}} \quad \forall \mathbf{x} \in \Gamma_D \quad (1c)$$

➤ Linear strain-displacement relation

$$\boldsymbol{\varepsilon} = \frac{1}{2} (\nabla \mathbf{u} + \nabla \mathbf{u}^T) \quad (2)$$

➤ Constitutive equation

$$\boldsymbol{\sigma} = \mathbf{C} : \boldsymbol{\varepsilon} \quad (3)$$

➤ Resulting weighted-residual form

$$\int_{\Omega} \boldsymbol{\varepsilon}(\mathbf{v}) : \mathbf{C} : \boldsymbol{\varepsilon}(\mathbf{u}_h) d\Omega = \int_{\Omega} \mathbf{v} \mathbf{p} d\Omega + \int_{\Gamma_N} \mathbf{v} \mathbf{t} d\partial\Omega + \int_{\Gamma_D} \mathbf{v} \mathbf{t} d\partial\Omega$$

$$\wedge \quad \mathbf{u}_h = \bar{\mathbf{u}} \quad \forall \mathbf{x} \in \Gamma_D \quad (4)$$

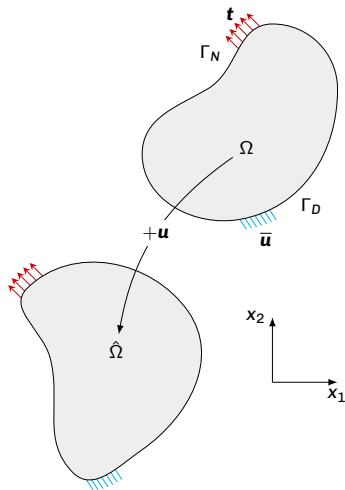


Figure: Initial Ω and deformed $\hat{\Omega}$ configuration of solid-mechanics problem.

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