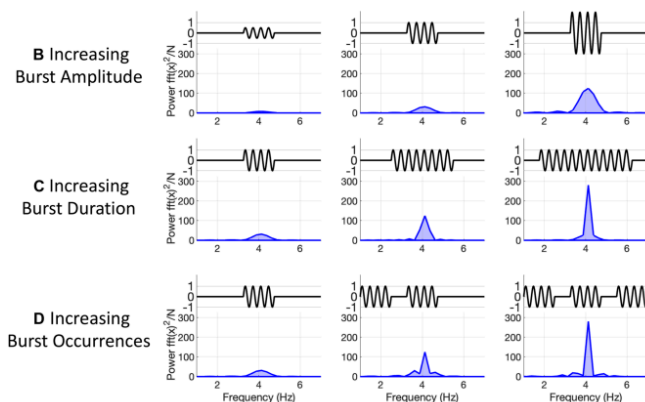


# Transient beta and gamma bursts in the mouse basolateral amygdala during the open field test

SungJun Cho  
Jee Lab, KIST  
Seoul, Republic of Korea

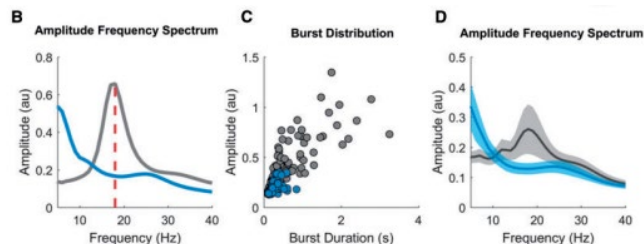
# Introduction

## Single bursts affect static power estimates



Quinn et al., *Brain Topography*, 2019

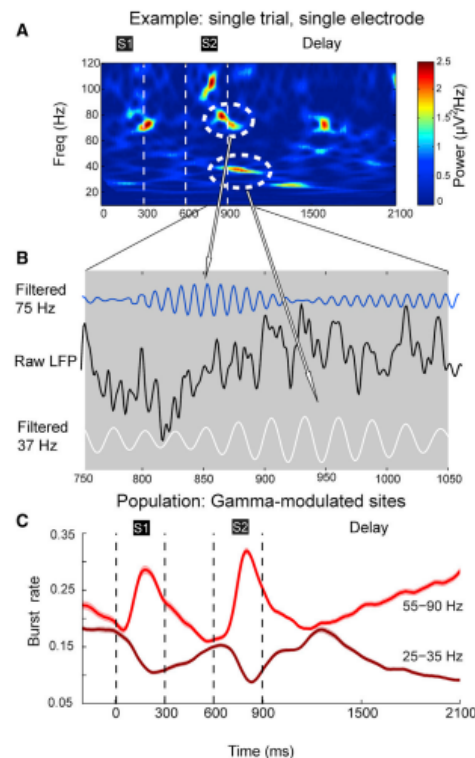
## Burst durations correlate with motor impairments



Blue: ON dopaminergic medication  
Grey: OFF dopaminergic medication

Tinkhauser et al., *Brain*, 2017

## Gamma bursts underlie working memory

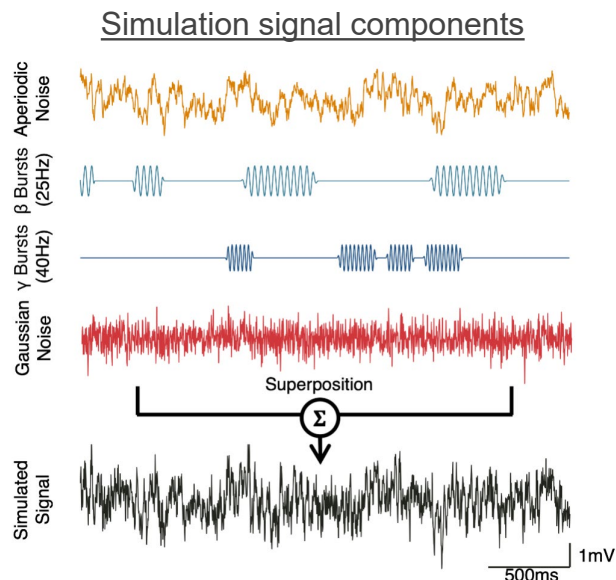


Lundqvist et al., *Neuron*, 2016

# Table of Burst Detection Algorithms

Methods	A: Bandpass Filtering	B: Envelope-Based	C: Single Taper	D: Multitaper	E: Wavelet
Properties					
Schematics of Algorithms	<p><b>Filtering (20 ~ 30 Hz)</b></p> <p><b>Burst Detection</b></p> <p><b>Burst Extraction</b></p> <p>ON : onset of burst detection OFF : offset of burst detection <math>T_B</math> : detected burst time interval</p> <p> </p>	<p><b>Smoothing by Envelope</b></p> <p><b>Burst Detection</b></p> <p><b>Burst Extraction</b></p> <p> </p>	<p><b>Computing Spectrogram</b></p> <p><b>Binary Quantization</b></p> <p><b>Burst Extraction</b></p> <p> </p>	<p><b>Computing Spectrogram</b></p> <p><b>Binary Quantization</b></p> <p><b>Burst Extraction</b></p> <p> </p>	<p><b>Computing Spectrogram</b></p> <p><b>Binary Quantization</b></p> <p><b>Burst Extraction</b></p> <p> </p>
Domain	Time	Time	Time-Frequency	Time-Frequency	Time-Frequency
Transformation Type	None	Hilbert transform	Fourier transform	Fourier transform	Continuous Wavelet Transform
Time-Frequency Tradeoff	None Applicable	None Applicable	$\Delta f = ENBW_{\text{Hanning}} \cdot \left(\frac{f_s}{L}\right)$	$\Delta f = 2TW \cdot \left(\frac{f_s}{L}\right)$	$\sigma_{\psi(t)} = \sigma_{\psi(w)} = \frac{1}{\sqrt{2}}$ $\sigma_t = s\sigma_{\psi(t)}$ and $\sigma_w = \frac{\sigma_{\psi(w)}}{s}$ (wavelet dilation given by the scale $s$ )

# Schematics of Neural Signal Simulations



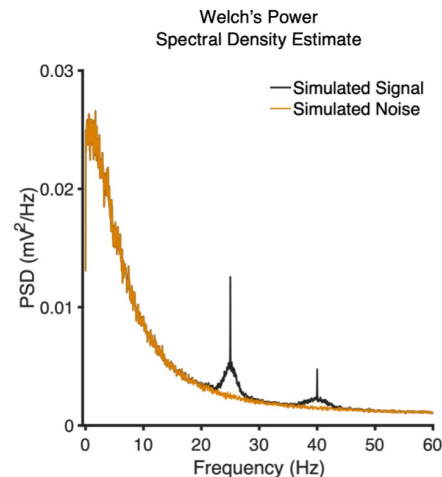
## Bursts

- Modelled with Tukey windows
- Duration from 3 – 12 cycles
- $\text{SNR}_{\text{dB}}$  levels from -10 – 10 dB
- Amplitude constant of  $\beta=0.630$  mV and  $\gamma=0.551$  mV

## Noise Processes

- Aperiodic noise with an all-pole IIR filter
- Gaussian noise sampled from  $z \sim \mathcal{N}(\mu, \sigma^2)$  where  $\mu = 0$  and  $\sigma = 0.630 / \sqrt{10^{\text{SNR}_{\text{dB}}}}$

## Power estimates of simulated bursts



## Trials

- 11,000 trials (1000 signals of varying lengths of bursts per each  $\text{SNR}_{\text{dB}}$  level)
- Total duration per signal: 300 s

# Burst Detection Efficiency

## Definitions of Statistical Metrics

$$\text{Precision, } P = \frac{TP}{(TP+FP)}$$

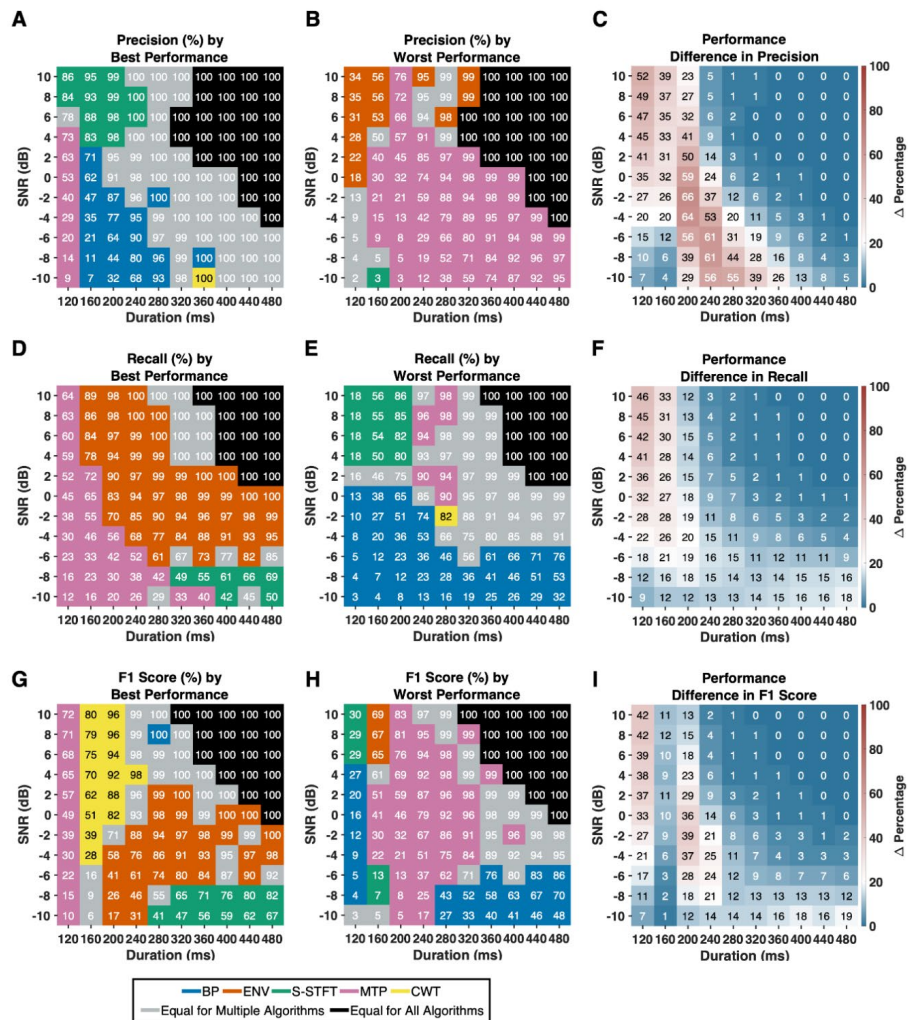
$$\text{Recall, } R = \frac{TP}{(TP+FN)}$$

$$\text{F1-Score, } F_1 = \frac{2PR}{P+R}$$

TP: True positives  
FP: False positives  
FN: False negatives

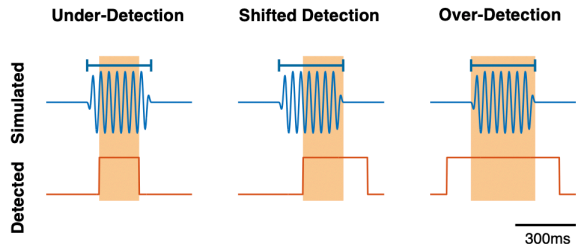
## Note

- The bursts of shorter durations are relatively more dependent on the selected algorithms (C, F, I).
- MTP and CWT resulted with best performances for the most transient bursts (G).



# Temporal Concurrence between Simulated and Detected Bursts

## Schematics of temporal concurrence



Temporal Concurrence =

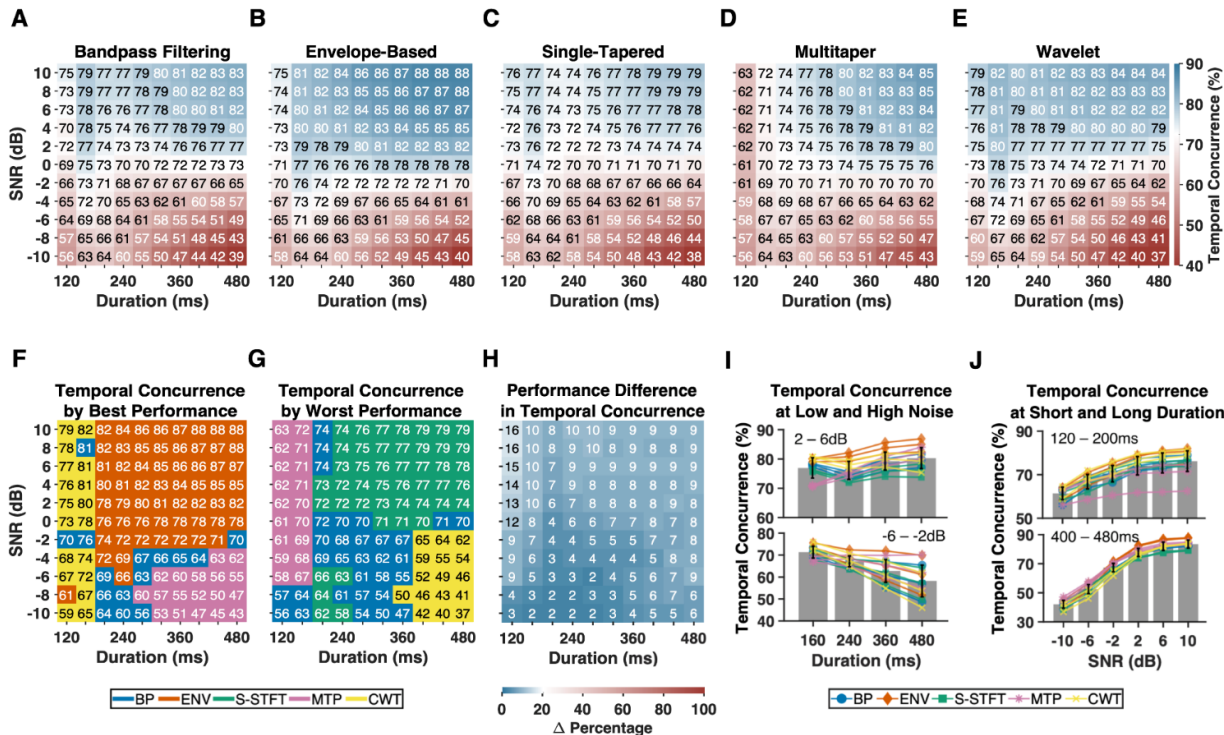
$$\frac{1}{N_{TP}} \sum_{n=1}^{N_{TP}} \frac{\min(s_{n,stop}, d_{n,stop}) - \max(s_{n,start}, d_{n,start})}{\max(s_{n,stop}, d_{n,stop}) - \min(s_{n,start}, d_{n,start})}$$

where  $N_{TP}$  is the number of TP bursts and

$\vec{s}_n = (s_{n,start}, s_{n,stop})$  and  $\vec{d}_n = (d_{n,start}, d_{n,stop})$

for  $n^{th}$  TP burst indicate the onset and cessation of a real burst  $S$  and a detected burst  $D$ , respectively.

## Detection of shorter transient bursts is algorithm-dependent



# Applications of Algorithms on Beta Burst Detection in Open Field Test

## Statistical Tests

**Location occupancy:** Two-Way ANOVA with Tukey's HSD

### Burst rates

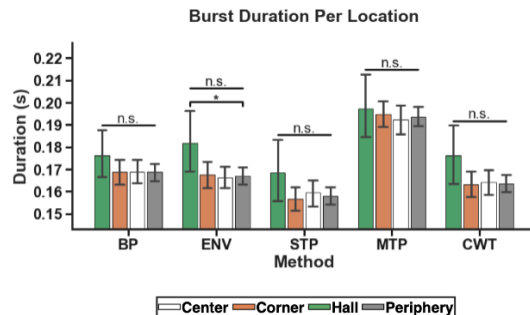
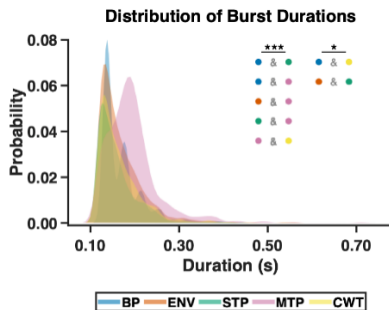
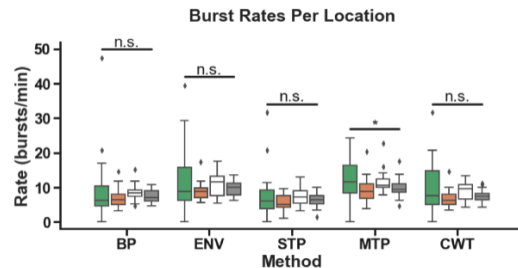
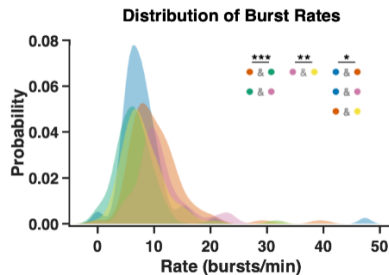
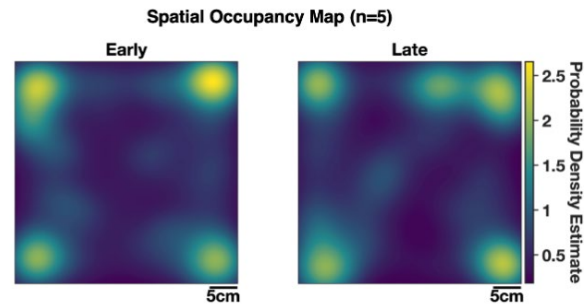
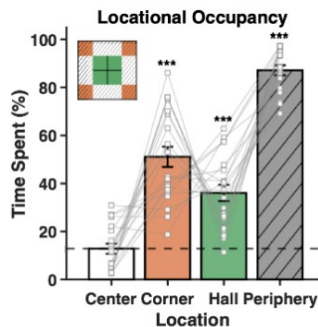
- **Algorithm dependency:** One-Way ANOVA with Tukey's HSD
- **Location dependency:** Kruskal-Wallis Test with Dunn's Test with Šidák Correction

### Burst durations

- **Algorithm dependency:** Kruskal-Wallis Test with Dunn's Test with Šidák Correction
- **Location dependency:** One-Way ANOVA with Tukey's HSD

### Note

- The burst detections and their signal properties are dependent on the selected algorithm.
- No statistically significant changes in burst rates and durations were reported with respect to the demarcated locations.



## Conclusion

1. It is necessary to consider the **distinct advantages** of each method in relation to the burst properties one wants to study.
2. The burst-induced **dynamic changes in cognitive processes** were not observed in the open field test (i.e., non-trial based nature-like experiment), but we believe these observations will be seen from similar experiments in the future.
3. We encourage the **hybrid use of multiple methods** to maximize temporal precisions of burst detection, especially when cognition and behaviors have to be correlated.



# Thank you for listening

*Warm thanks to ...*

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PI



**Jaehyun Lee**  
Post-Doc



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Post-Doc



**Hio-Been Han**  
PhD Candidate



**JEELAB**  
COMPUTATIONAL, COGNITIVE, & SYSTEMS NEUROSCIENCE



**Jungyoung Kim**  
MSc Candidate



**Kyuhwan Lee**  
MSc Candidate

**Seoyoung Kim**  
Postgraduate  
Researcher

**Yujin Lee**  
Undergraduate RA

**Haeon Kim**  
Undergraduate RA

**Jiae Park**  
Undergraduate RA