Fundamental matrix

Deficient for Bilinear formen übe enclich dimensionalen Vektorräumen

Sei (1:= LH(b, b2)

Für Bilinea-form mit V n-dim. IK-VR:

$$FM_{8}(\beta|_{u\times u}) = \begin{pmatrix} \beta(\lambda_{1}, b_{1}) & \beta(b_{1}, b_{2}) \\ \beta(b_{2}, b_{1}) & \beta(b_{2}, b_{2}) \\ \vdots & \vdots & \ddots & \beta(b_{n}, b_{n}) \end{pmatrix}$$

$$= \begin{pmatrix} \beta(b_{1}, b_{2}) & \beta(b_{1}, b_{2}) & \beta(b_{2}, b_{2}) & \cdots \\ \beta(b_{n}, b_{n}) & \beta(b_{n}, b_{n}) \end{pmatrix}$$

Es gilt:

$$\beta(v,w) = \beta^{\vee}(w)(v) = (v)_{g}^{\top} \cdot FM_{g}(\beta) \cdot (w)_{g}$$

Zeiler um formung

L

S

A

S

A

S

A

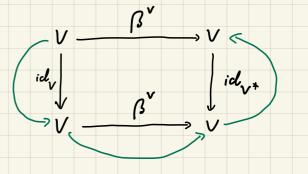
1

Gauss , Addiere das M-Sache
der ;-ten Spalle zur
j-ten Spalle"

For eig Biliner form
$$\beta$$
 is?
$$\beta^{\vee}: \left(\begin{array}{c} V \longrightarrow V^{*} \\ w \longmapsto \beta(\cdot, w) \end{array} \right)$$

Oie Abbildung B >> BV ist ein Isomorphismus

Für geordnete Basen B, C von V 5:16:



Versleich Endomorphismen y E End (V)

$$\begin{array}{ll}
A &=& M_{B,B} (\varphi) \\
\widehat{A} &=& M_{c,C} (\varphi)
\end{array}$$

=)
$$\widetilde{A} = S^{-1} \cdot A \cdot S$$

= $M_{c,B}(\cdot d) \cdot M_{B,B}(\varphi) \cdot M_{B,C}(\cdot d)$