

# Introduction

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# Outline

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- 5 Economic modeling: Why mathematical models?

# Section 1

## Course information

## Course information

- website: `https://github.com/schottmueller/infohealthecon/blob/master/plan.org`
  - information
  - plan
  - reading
    - Zweifel, Breyer, Kifmann "Health economics"
  - exercises
- exam
  - date: to be announced on course website later
  - registration via KLIPS

# Goal and content

- introduce basic concepts and models of information economics applied to health care markets
  - asymmetric information
    - own characteristics → "selection" (e.g. is diabetes prevalent in my family?)
    - own actions → "moral hazard" (e.g. am I driving carefully?)
    - state of the environment (e.g. how ill is the patient?)
  - how does asymmetric information impact behavior and market outcomes?
  - how does the institutional environment affect behavior and outcomes?
- tools
  - decision and game theoretic models
  - some empirical evidence testing and illustrating the theory

## Section 2

Economic modeling: Choice under certainty

# Choices and trade-offs

- economics is about the allocation of *scarce* resources (time, capital, slots etc.)
- individuals make economic decisions all the time
  - come to the early lecture or sleep longer
  - what to buy for dinner?
- choices in health care
  - patients: pick up a prescription medicine (and pay your copayment) or not
  - doctors: which test? which treatment?
  - insurers: what to cover? what to charge?
  - politicians and regulators: . . .

## (Hypothetical) Choice

- primitive of economic modeling: (hypothetical) choice
  - what would person  $i$  choose if he had to choose among alternatives  $x_1, x_2, \dots, x_n$ ?
  - (hypothetically) chosen alternative is *best* (for  $i$ )

### Example (Hypothetical choice)

- Should a health care system offer a new treatment that costs 100€ more than the old treatment?
- Would those that can be treated with the new treatment prefer (i) old treatment and a payment of 100€ or (ii) the new treatment?



## Preference representation

- convenient notation for "person  $i$  would choose  $x_1$  if he had to choose one among the two alternatives  $x_1$  and  $x_2$ ":  $x_1 \succsim_i x_2$  (read: " $i$  prefers  $x_1$  to  $x_2$ ")
- few choices are observed
  - make *assumptions* to infer preferences for not observed choices
    - completeness: for each pair of alternatives  $x_1, x_2$ , either  $x_1 \succsim_i x_2$  or  $x_2 \succsim_i x_1$
    - transitivity: if  $x_1 \succsim_i x_2$  and  $x_2 \succsim_i x_3$ , then  $x_1 \succsim_i x_3$

## Utility representation

- even more convenient than preferences
  - can we find a function  $u_i(x)$  such that  $u_i(x_1) \geq u_i(x_2)$  if and only if  $x_1 \succeq_i x_2$ ? (if yes, we say " $u_i$  represents  $i$ 's preferences")
  - if yes, person  $i$ 's choice behavior (in all possible choice situations!) will then be *as if person  $i$  maximized the function  $u_i$  by his choice*

### Theorem (Representation)

*If the number of alternatives is finite and person  $i$ 's preferences are complete and transitive, then there exists a function  $u_i$  representing  $i$ 's preferences.*

- utility representation allows us to use mathematical maximization techniques for economic analysis!

## Remarks on utility

- utility has nothing to do with happiness!
- utility (maximization) is not (necessarily) egoistic!
- there are also representation theorems for infinite choice sets
- completeness and transitivity are necessary assumptions for a meaningful analysis but not totally innocent

## Section 3

Economic modeling: Choice under uncertainty

## Decision making under uncertainty

- "alternatives" will often be uncertain

### Example (Uncertainty)

outcome/treatment	treatment $x_1$	treatment $x_2$
healthy	0.4	0.5
ill	0.4	0.25
dead	0.2	0.25

Table gives probability for three outcomes given each treatment. Alternative  $x_1$  is a lottery (0.4, 0.4, 0.2) over the three outcomes. Alternative  $x_2$  is the lottery (0.5, 0.25, 0.25).

- it would be very convenient if preferences over lotteries could be represented by a utility function  $u_i$  that can be written as

$$u_i((\alpha, \beta, \gamma)) = \alpha u_i^{\text{healthy}} + \beta u_i^{\text{ill}} + \gamma u_i^{\text{dead}}$$

- preferences over all kind of treatments/lotteries could then be described by just 3 numbers:  $u_i^{\text{healthy}}$ ,  $u_i^{\text{ill}}$ ,  $u_i^{\text{dead}}$

## von Neumann - Morgenstern expected utility theorem

- von Neumann and Morgenstern have proven that such an "expected utility" representation is possible under one additional assumption called "independence"
- independence (roughly):
  - take our two lotteries  $x_1 = (0.4, 0.4, 0.2)$  and  $x_2 = (0.5, 0.25, 0.25)$
  - suppose  $x_1 \succeq_i x_2$
  - take some other (hypothetical) treatment  $x_3$  and consider the 2 options
    - 1 toss a coin, if heads take treatment  $x_1$  if tails take  $x_3$
    - 2 toss a coin, if heads take treatment  $x_2$  if tails take  $x_3$
  - independence states that  $i$  must prefer the first over the second option

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  - independence states that  $i$  must prefer the first over the second option
- we will assume throughout the course that the choices of the players in our models are such that transitivity, completeness and independence are satisfied, i.e. players choose as if they maximized a utility function in expected utility form

## Section 4

### Economic modeling: Welfare



# Welfare

- what is good for a group of people/society?
- choices of society can be represented by a utility function called *welfare function* if they satisfy the same assumptions as before
- minimum standard for good societal decisions:
  - if all people prefer  $x_1$  to  $x_2$  (and someone does so strictly), then society as a whole should prefer  $x_1$  to  $x_2$  (Pareto criterion)
    - we say: " $x_1$  Pareto dominates  $x_2$ " or " $x_1$  is Pareto superior to  $x_2$ " or " $x_2$  is Pareto inferior to  $x_1$ "
  - all alternatives that are not Pareto inferior to some other alternative are called **Pareto efficient**
    - usually there are a lot of Pareto efficient alternatives
  - good societal choices should be Pareto efficient!

## Example (Splitting a euro)

2 people, who like more money better, have to split 1€. Each cent has to be given either to one of them or be destroyed. What are the feasible alternatives? Which are Pareto efficient?

# Interpersonal utility comparison and willingness to pay

- which of many Pareto efficient allocations should society choose?
  - (simple) utilitarian approach:  $\max_x \sum_i u_i(x)$ 
    - why is this potentially problematic?
- willingness to pay
  - consider two alternatives: good treatment but you have to pay  $t$ , bad treatment and you have to pay nothing
  - for which value of  $t$  are you indifferent between the two options?
- willingness to pay is in euros  $\rightarrow$  can be aggregated
  - developing the new treatment costs  $c$  (the treatment itself is then costless), when is it worthwhile to invest  $c$  and develop the treatment?

## Section 5

Economic modeling: Why mathematical models?

# Maps and Models

- stylized representation of reality
- abstract from most of reality ("unrealistic on purpose")
- depending on your needs/problems, different maps/models of the same reality are useful
- if you know how to use it, immensely helpful

# Mathematical models

- explicitly stated assumptions
- logical reasoning leads to conclusion/result
- goals depend on context, e.g.
  - clarify a logic/mechanism (minimal ingredients)
  - produce testable predictions
  - explore implications of some (additional) feature
  - get rough forecasts (when the model is paired with data)

## Example (The need for models)

- Why are people at a high health risk overrepresented among the uninsured in the US?
- How will physician's prescription behavior change if the number of physicians increases?
- Who will benefit (or be harmed) from the availability of genetic tests?
- An insurance considers offering a supplementary insurance package (e.g. covering all dental care) and wonders what premium to charge for this package.