Complete all work on a separate sheet of paper with exercises clearly labeled and all reasoning and work given.

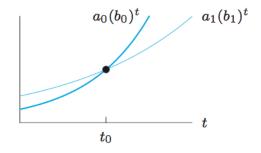
1. The following three equations model the populations for three different towns a, b, and c in years:

(i)
$$P_a(t) = 1000(1.12)^t$$

(ii)
$$P_b(t) = 2500(.8)^t$$

(iii)
$$P_c(t) = 500(2)^2$$

- (a) Which towns have growing populations? Which have shrinking populations?
- (b) Which town is growing the fastest? What is its annual percent growth?
- (c) What is the population of town b after 10 years?
- 2. An exponential function of the form $y = ab^x$ passes through the points (-2, 400) and $\left(2, \frac{2}{5}\right)$. Find the equation of this exponential.
- 3. Explain how to distinguish a linear function from an exponential function.
- 4. (anyone can try it, but this is required for intensive). Note: t_0 is the x-coordinate of the point where the two exponentials meet.



- (a) What happens to t_0 if a_0 is increased while a_1 , b_1 and b_0 remain fixed?
- (b) What happens to t_0 if b_1 is decreased while a_1 , b_0 and a_0 remain fixed?