

p 609 # 17-18

$$P(\text{Junior}) = \frac{100}{400} = \frac{1}{4} \quad P(J \cap H) = \frac{39}{400}$$

$$P(\text{Human}) = \frac{156}{400} = \frac{39}{100}$$

① J + H are independent
if $P(J)P(H) = P(J \cap H)$

② J + H are independent if
 $P(J|H) = P(J)$ and $P(H|J) = P(H)$

$$P(NS) = \frac{147}{400} \quad P(NS \cap J) = \frac{33}{400} \quad P(J) = \frac{1}{4}$$

$$\underline{7b} \quad P(R) = \frac{1}{2} \quad P(R)P(\Diamond) \neq P(R \cap \Diamond)$$

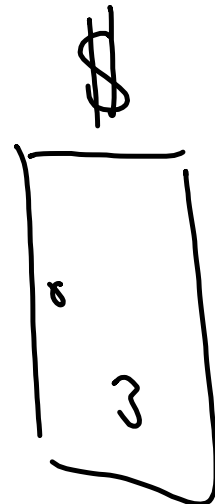
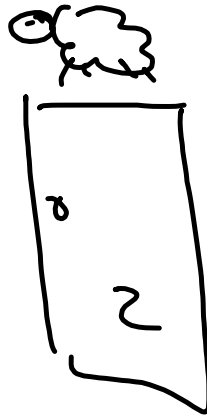
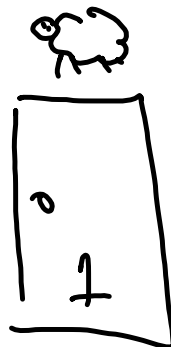
$$P(\Diamond) = \frac{1}{4}$$

$$P(R \cap \Diamond) = \frac{1}{4}$$

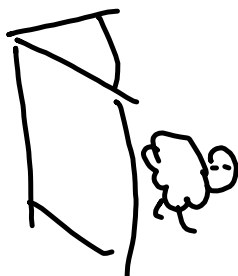
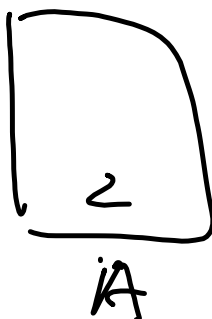
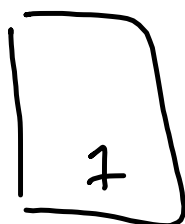
$$(2) \quad P(\Diamond | R) = \frac{1}{2} \neq P(\Diamond) = \frac{1}{4}$$

$$P(R | \Diamond) = 1 \neq P(R) = \frac{1}{2}$$

Monte Hall



- ① pick a door
 - ② Monte opens one door behind which is a sheep.
 - ③ would you like to change your choice?
- A: the probability is in your favor to change.



Conditional Probability

$$P(A | B) = \frac{P(A \cap B)}{P(B)}$$

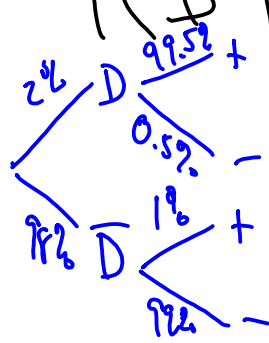
Drug Testing: (steroids, Performance Enhancers)

false positive \rightarrow ND but +

false negative \rightarrow D but -

Ex false + 1%
false - 0.5%

assume $P(D) = 2\%$

$$P(D | +) = \frac{P(D \cap +)}{P(+)}$$


$$= \frac{(.02)(.995)}{(.02)(.995) + (.98)(.01)}$$

$$= \frac{.0199}{.0199 + .0098} = .67$$

67%