## Activity 3

## Comparing Floating Pt #5

- 1) This file gives  $x_1 = \cos(\pi l 4)/\sin(\pi l / 4) = 1$  and  $x_2 = 1$ . Our if statement says if our  $x_1$  and  $x_2$  are both represented in the computer the same way, it will output the proper " $x_2$  and  $x_2$  are equal! If they are not equal, the code returns " $x_1$  and  $x_2$  are not equal."
- 2) The issue for the code must be that cos (Di/4) is not exactly represented as sin (11/4). Both should give 12/2 or, .7071. But, because these are not represented in the computer exactly the same, we do not get cos (11/2) I sin (11/2) to equal exactly 1.0. Instead, we providing home something very clop to 1.

after adding couted precision (16) << x1 << " "<< x2 << end);

3) In stead of checking that they are exactly equal, 1'h compare them as a fraction. If the fraction is within a wrown (very clock) range from 1.0, we could say they were "very clock to being equal" or "basically equal"

## Numerical Derivatives: Pass 1

1) I'm confused on the "function prototypes" section does and why it's written the way it is written.

The relative errors are going to be printed.

a. log 10Uh)

b. log 10 (fabsi(diff\_fd-exact)/exact))

c. 10910 (fabsi(diff\_cd-exact)/exact))

I'm now also confused on why we need all of the other points that come after the "main program". Why don't they go before?

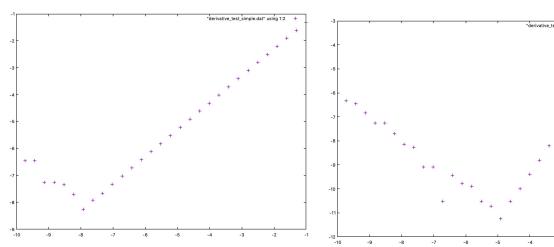
2) # include < cmath)

- my Gnuplot worked

3)

forward Diff.

central diff.



4) For both, m was equal to 1 to the right of the optimal h value, and negative/not linear to the left of the opt. h value. Forward is better. It allows for a smaller opt. h, which will give better results.

5) solve for h opt using 3.9 and 3.13

 $\begin{array}{lll} D-f & D-c & \epsilon_{m}=10^{-10} \\ h=\left(\frac{2\epsilon_{m}}{f^{(2)}}\right)^{1/2} & h=\left(\frac{24\epsilon_{m}}{f^{(2)}}\right)^{1/3} & f=e^{-2x} \\ n=2.3\cdot10^{-8} & h=-1.86\cdot10^{-5} & f'=-e^{-x} \\ when & x=1 & p''=e^{-x} \\ f'''=-e^{-x} & f'''=-e^{-x} \end{array}$ 

6) Yes, Em would change. "6.10" = central 10" forward"

Em: 10<sup>-6</sup>, which is a much larger error.

the optimal n would be larger and therefor have a work approximation for the derivative.

## Makefiles for multiple

- 1) Yes, I would guess that it is fask to edit the superate file because you'd only edit one spot. In routines, there'd be more edits to make if you try editing in many places.
- 2) Yes, we have 3 columns. Each is a different method for approximating the integral for ex for various N values.

3) 🗸

- 4) The trapezoid error plot scaled linearly for most 1) values, Simpson stopped scaling linearly after N 13 values and the Gaussian new scaled linearly.
- 5) I couldn't figure this out

Finding the Approx. Error

1) 🗸

2) trapezoid:  $m \approx -2$ Simpson:  $m \approx -4$ 

3) Yes, my data and slopes are consistent with the noks