# 25-VanLeijsen

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## Reference

Van Leijsen et al. (2017). Plasma AB (Amyloid-B) Levels and Severity and Progression of Small Vessel Disease. Stroke, 16(5), 351–359. https://doi.org/10.1161/STROKEAHA.117.019810

We first load the appropriate packages

```
## Loading required package: survival
## Loading required package: carData
##
## Attaching package: 'car'
## The following object is masked from 'package:biostatUZH':
##
## logit
```

# Notes from reading methods section

- Dependant variable: AB38
- The independant variables
- 1 or more microbleeds (n = 81)
- no microbleed (n=405)
- 1 or more lacunes (n = 132)
- no lacunes (n = 355)
- Covariate: age, sex and hypertension

```
stats.orig.IV = data.frame(
   Fvalue = NA,
   df1 = NA,
   df2 = NA,
   pvalue = "<0.01") # for microbleed presence and for lacune presence groups

stats.orig.allCV = data.frame(
   Fvalue = NA,
   df1 = NA,
   df2 = NA,
   pvalue = NA)</pre>
```

# Reading data

Data is loaded, reshaped if necessary, and factors are specified.

```
data = read_excel("../results/data/25-VanLeijsen/VanLeijsen-1.xlsx")
data = data.frame(data)
str(data)
## 'data.frame':
                   487 obs. of 9 variables:
## $ mb_presence_b : num 1 0 0 0 1 1 1 0 1 0 ...
## $ lac_presence_b: num
                          1 1 1 1 1 1 1 1 1 0 ...
## $ AB38
                  : num 23.7 29.7 26.7 33.5 16.6 38.4 27.1 31.8 24.4 30.1 ...
## $ AB40
                  : num 224 225 195 243 131 ...
## $ AB42
                  : num 55.8 63.6 63.9 62.3 57.4 72.1 64.8 62.7 60.2 64 ...
## $ age
                   : num 73.8 69 74.3 64 71.7 ...
## $ sex
                   : num 121111111...
## $ hypertension : num 1 1 1 1 1 1 1 1 0 1 ...
## $ tbv_b
                   : num 955 1111 1069 1053 1025 ...
data$mb_presence_b = data$mb_presence_b == 1
data$lac_presence_b = data$lac_presence_b == 1
data$sex.factor = NA
data$sex.factor[data$sex == 1] = "male"
data$sex.factor[data$sex == 2] = "female"
data$sex.factor[data$sex.factor == "male" ] = 1
data$sex.factor[data$sex.factor == "female"] = 0
data$sex.factor = as.factor(data$sex.factor)
data$hypertension.factor = NA
data$hypertension = data$hypertension == 1
data$Group.factor = NA # only used for table
data[data$mb_presence_b == TRUE,]$Group.factor = "microbleed"
data[data$mb_presence_b == FALSE,]$Group.factor = "no microbleed"
data[data$lac presence b == TRUE,]$Group.factor = "lacunes"
data[data$lac_presence_b == FALSE,]$Group.factor = "no lacunes"
unique(data$Group.factor)
## [1] "lacunes"
                   "no lacunes"
data$Group.factor = factor(data$Group.factor,
                          levels = c("no microbleed", "microbleed",
                                     "no lacunes", "lacunes"))
```

# Descriptives

Number of samples and mean (SD) in levels of the independant variables. We reproduce the mean and sd values of Table 2 of this study

```
a = sprintf("%.1f (%.1f)", mean(data$AB38[data$mb_presence_b == 0]), sd(data$AB38[data$mb_presence_b ==
b = sprintf("%.1f (%.1f)", mean(data$AB38[data$mb_presence_b == 1]), sd(data$AB38[data$mb_presence_b ==
c = sprintf("%.1f (%.1f)", mean(data$AB38[data$lac_presence_b == 0]), sd(data$AB38[data$lac_presence_b ==
d = sprintf("%.1f (%.1f)", mean(data$AB38[data$lac_presence_b == 1]), sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]), sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data$lac_presence_b == 1]),
sd(data$AB38[data
```

```
tab.dv[,3] = c(a, b, c, d)
colnames(tab.dv) = c("group", "n", "mean (SD)")
print(tab.dv)

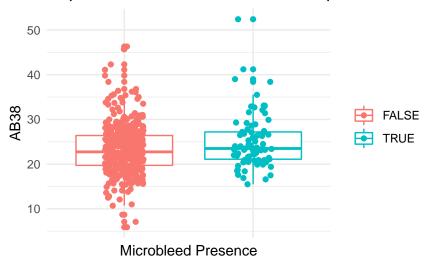
## group n mean (SD)
## [1,] "no microbleed" "405" "23.2 (5.5)"
## [2,] "microbleed" "81" "25.2 (6.1)"
## [3,] "no lacunes" "355" "23.1 (5.5)"
## [4,] "lacunes" "132" "24.7 (5.9)"
```

# boxplot with DV

• Upon visual inspection, each level of each independant group seem to have a similar outcome effect.

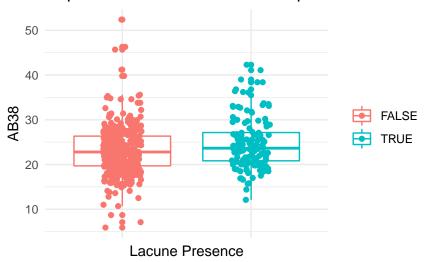
```
#IV : mb_presence_b
ggplot(data, aes(y=AB38, x = mb_presence_b, color =mb_presence_b )) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0)) +
  theme_minimal() +
  theme(axis.text.x = element_blank(), legend.title = element_blank()) +
  xlab("Microbleed Presence") + ylab("AB38") +
  ggtitle("Dependant variable with Microbleed presence")
```

## Dependant variable with Microbleed presence



#IV : lac\_presence\_b
ggplot(data, aes(y=AB38, x = lac\_presence\_b, color =lac\_presence\_b)) +
geom\_boxplot() +
geom\_point(position = position\_jitter(width = 0.15, height = 0)) +
theme\_minimal() +
theme(axis.text.x = element\_blank(), legend.title = element\_blank()) +
xlab("Lacune Presence") + ylab("AB38") +
ggtitle("Dependant variable with Lacune presence")

## Dependant variable with Lacune presence



# **Descriptives**

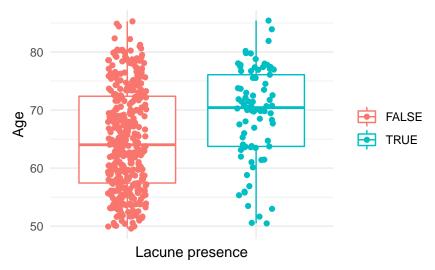
#### COV with boxplot

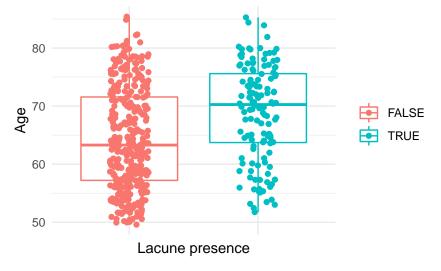
```
e = sprintf("%.1f (%.1f)", mean(data$age[data$mb_presence_b == 0]),
            sd(data$age[data$mb_presence_b == 0]))
f = sprintf("%.1f (%.1f)", mean(data$age[data$mb_presence_b == 1]),
            sd(data$age[data$mb_presence_b == 1]))
g = sprintf("%.1f (%.1f)", mean(data$age[data$lac_presence_b == 0]), sd(data$age[data$lac_presence_b ==
h = sprintf("%.1f (%.1f)", mean(data$age[data$lac_presence_b == 1]), sd(data$age[data$lac_presence_b ==
idx = c(1, 3, 2, 4) # sorting as in publication
tab.cv = array(NA, dim=c(4,3))
tab.cv[,1] = levels(data$Group.factor)
tab.cv[,2] = c("405", "81", "355", "132")
tab.cv[,3] = c(e,f,g,h)
colnames(tab.cv) = c("group", "n", "mean (SD)")
print(tab.cv)
##
                              mean (SD)
        group
## [1,] "no microbleed" "405" "64.9 (8.7)"
## [2,] "microbleed"
                        "81" "69.4 (8.1)"
## [3,] "no lacunes"
                        "355" "64.4 (8.6)"
## [4,] "lacunes"
                        "132" "69.0 (8.2)"
  • Age upon visual inspection is similar between groups
ggplot(data,
       aes(y=age, x=mb_presence_b, color=mb_presence_b)) +
  geom boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0)) +
```

theme(legend.title = element\_blank()) + theme\_minimal() +

labs(x = "Lacune presence", y = "Age", title = "" )

theme(axis.text.x = element\_blank(), legend.title = element\_blank()) +





# Main analysis ANCOVA

```
stats.orig.IVmicrobleed = data.frame(
  Fvalue = NA,
  df1 = NA,
  df2 = NA,
  pvalue = "<0.01")

stats.orig.IVlacunes = data.frame(
  Fvalue = NA,
  df1 = NA,</pre>
```

```
df2 = NA,
pvalue = "<0.01")
```

We verify the p values stated in Table 2 with respect to variables. There is evidence of significance that Age as a covariate contribute to variance in outcome (p = 3.825e-13)

```
as a covariate contribute to variance in outcome (p = 3.825e-13)
# Orthogonal contrasts
contrasts(data$mb_presence_b) = contr.helmert(2)
contrasts(data$lac_presence_b) = contr.helmert(2)
\#contrasts(data\$IV) \leftarrow cbind(c(-2,1,1), c(0,-1,1))
fit <- aov(AB38 ~ age + sex.factor + hypertension + mb_presence_b*lac_presence_b , data = data)
summary(fit) # we use interaction term because we have lacunes yes microbleeds no
                                 Df Sum Sq Mean Sq F value
##
                                                             Pr(>F)
                                             887.0 30.123 6.58e-08 ***
## age
                                  1
                                       887
## sex.factor
                                                    0.016
                                  1
                                        0
                                               0.5
                                                             0.8982
## hypertension
                                       147
                                             146.9
                                                    4.990
                                                             0.0260 *
                                  1
                                       100
                                                   3.388
## mb_presence_b
                                  1
                                              99.8
                                                             0.0663 .
## lac presence b
                                  1
                                        32
                                              31.9
                                                    1.084
                                                             0.2983
## mb_presence_b:lac_presence_b
                                        24
                                              23.8
                                                     0.809
                                                             0.3688
                                  1
## Residuals
                                480 14134
                                              29.4
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
result = Anova(fit, type = 3) # this is not a balanced study, since ordering of variables matter, we us
print(result)
## Anova Table (Type III tests)
## Response: AB38
                                 Sum Sq Df F value
                                                       Pr(>F)
## (Intercept)
                                 1675.1
                                        1 56.8892 2.327e-13 ***
## age
                                  463.6 1 15.7452 8.354e-05 ***
## sex.factor
                                    0.0
                                         1 0.0005
                                                      0.98161
                                         1 4.2371
## hypertension
                                  124.8
                                                      0.04009 *
## mb_presence_b
                                   64.9
                                        1 2.2049
                                                      0.13823
## lac_presence_b
                                    4.5 1 0.1521
                                                      0.69673
## mb_presence_b:lac_presence_b
                                   23.8
                                        1 0.8091
                                                      0.36883
## Residuals
                                14133.9 480
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
stats.rep.IVmicrobleeds = data.frame(Fvalue = sprintf("%.2f",result$`F value`[5]),
                          df1 = result Df [5],
                          df2 = result$Df[8],
                          pvalue = formatPval(result$`Pr(>F)`[5]))
stats.rep.IVlacunes = data.frame(Fvalue = sprintf("%.2f",result$`F value`[6]),
                          df1 = result Df[6],
                          df2 = result Df[8],
                          pvalue = formatPval(result$`Pr(>F)`[6]))
stats.rep.CVage = data.frame(Fvalue = sprintf("%.2f",result$`F value`[2]),
                          df1 = result Df[2],
                          df2 = result$Df[8],
```

# Comparing ANCOVA in original study with reanalysis

### Independent variable

#### Covariate

## pvalue "0.70"

## Fvalue "4.24"

• The study does not report results from covariate of age

```
tab.CV = rbind(stats.orig.allCV, stats.rep.CVage, stats.rep.CVsex, stats.rep.CVhypertension)
rownames(tab.CV) = c("original CV age,sex,hypertension", "reanalysis age", "reanalysis sex", "reanalysi
print(t(tab.CV))
##
          original CV age, sex, hypertension reanalysis age reanalysis sex
## Fvalue NA
                                            "15.75"
                                                            "0.00"
                                            " 1"
                                                            " 1"
## df1
          NA
## df2
                                            "480"
                                                            "480"
          NA
                                            "< 0.0001"
                                                            "0.98"
## pvalue NA
          reanalysis hypertension
```

```
## df1  " 1"
## df2  "480"
## pvalue "0.04"
```

## Assumptions

#### 1. Homogeneity of variance

- ANOVA/ANCOVA is fairly robust in terms of the error rate when sample sizes are equal.
- When groups with larger sample sizes have larger variances than the groups with smaller sample sizes, the resulting F-ratio tends to be conservative. That is, it's more likely to produce a non-significant result when a genuine difference does exist in the population.
- Conversely, when the groups with larger sample sizes have smaller variances than the groups with smaller samples sizes, the resulting F-ratio tends to be liberal and can inflate the false positive rate.
- In this study, statistical descriptives show that the highest and lowest variances seem close. Also, there is homogeneity of variance as p values exceed 0.05 for the Levene's test

```
tapply(data$AB38, data$mb_presence_b, sd)
                TRUE
##
      FALSE
## 5.471873 6.069102
tapply(data$AB38, data$lac_presence_b, sd)
      FALSE
                TRUE
## 5.459909 5.870429
leveneTest(AB38 ~ lac presence b, data = data)
## Levene's Test for Homogeneity of Variance (center = median)
          Df F value Pr(>F)
             1.3772 0.2412
##
           1
  group
         485
leveneTest(AB38 ~ mb_presence_b, data = data)
## Levene's Test for Homogeneity of Variance (center = median)
##
          Df F value Pr(>F)
              0.0912 0.7628
##
  group
           1
##
         485
```

#### 2. Independence between covariate and IV

- The Independent variable of this study have evidence of significant effect to the covariate Age and Hypertension (for Lacune presence only). The assumption thus does not hold for Age and for Hypertension for the lacunes group which may influence the interpretation of the results from the ANCOVA analysis. The variable sex is independent to the independent variable and is an appropriate covariate to include.
- As a way of comparison, we perform a two way anova to assess the main effect of two independent variables without covariates and find that there is evidence of significant of influence of Independent variables to Dependent variable.

```
fit.cvage = aov(age ~ lac_presence_b + mb_presence_b, data = data)
summary(fit.cvage)
```

```
##
                  Df Sum Sq Mean Sq F value
                       2039 2039.3 28.649 1.34e-07 ***
## lac_presence_b
                   1
## mb presence b
                   1
                        638
                              637.9
                                      8.962
                                              0.0029 **
## Residuals
                               71.2
                 484
                      34453
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
fit.cvsex = glm(sex.factor ~ lac_presence_b + mb_presence_b, family = binomial, data = data)
summary(fit.cvsex)
##
## Call:
## glm(formula = sex.factor ~ lac_presence_b + mb_presence_b, family = binomial,
      data = data)
##
## Deviance Residuals:
     Min
             1Q Median
                              3Q
                                     Max
## -1.438 -1.261
                   0.995
                           1.096
                                   1.096
## Coefficients:
                  Estimate Std. Error z value Pr(>|z|)
                                       3.077 0.00209 **
## (Intercept)
                   0.39432
                              0.12815
## lac_presence_b1 0.12588
                              0.10835
                                        1.162 0.24532
                              0.12967
                                        0.576 0.56476
## mb_presence_b1
                   0.07466
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
      Null deviance: 665.32 on 486 degrees of freedom
## Residual deviance: 663.09 on 484 degrees of freedom
## AIC: 669.09
##
## Number of Fisher Scoring iterations: 4
fit.cvhypertension = glm(hypertension ~ lac_presence_b + mb_presence_b, family = binomial, data = data)
summary(fit.cvhypertension )
##
## Call:
## glm(formula = hypertension ~ lac_presence_b + mb_presence_b,
##
      family = binomial, data = data)
##
## Deviance Residuals:
##
      Min
                     Median
                1Q
                                  3Q
                                          Max
## -2.0765 -1.5009
                     0.5632
                              0.8853
                                       0.8853
##
## Coefficients:
##
                  Estimate Std. Error z value Pr(>|z|)
## (Intercept)
                    1.3837
                               0.1705
                                      8.118 4.75e-16 ***
## lac_presence_b1
                    0.5133
                               0.1426
                                        3.599 0.00032 ***
## mb_presence_b1
                    0.1359
                               0.1600
                                       0.849 0.39573
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
```

```
## (Dispersion parameter for binomial family taken to be 1)
##
##
       Null deviance: 567.12 on 486
                                     degrees of freedom
## Residual deviance: 548.58 on 484
                                     degrees of freedom
## AIC: 554.58
##
## Number of Fisher Scoring iterations: 4
fit.main <- aov(AB38 ~ mb_presence_b + lac_presence_b, data = data) #checking DV and IV alone
summary(fit.main)
##
                  Df Sum Sq Mean Sq F value Pr(>F)
                        251
                             250.81
                                      8.133 0.00453 **
## mb_presence_b
## lac_presence_b
                        147
                             147.43
                                       4.781 0.02926 *
                   1
## Residuals
                  484
                      14926
                              30.84
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

### 3. Homogeneity of regression slopes

• There is no evidence of significant interaction between covariate and independent variable. Thus we can assume homogeneity of regression slope.

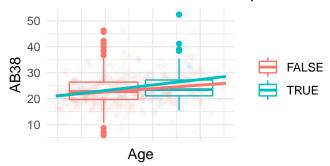
```
#alternatively Anova(aov(AB38 ~age*mb_presence_b + age + mb_presence_b, data = data), type = 3)
fit.hrs_mic = aov(AB38 ~ age*mb_presence_b, data = data)
Anova(fit.hrs_mic, type=3) # no evidence of interaction, there is homogeneity of IV levels across age
## Anova Table (Type III tests)
##
## Response: AB38
                      Sum Sq Df F value
                                            Pr(>F)
## (Intercept)
                       581.2
                              1 19.6293 1.164e-05 ***
                       528.9
                              1 17.8617 2.841e-05 ***
## age
## mb_presence_b
                        16.5
                              1 0.5560
                                            0.4562
## age:mb_presence_b
                        28.4
                               1
                                 0.9603
                                            0.3276
## Residuals
                     14301.0 483
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
fit.hrs_lac = aov(AB38 ~ age*lac_presence_b, data = data)
Anova(fit.hrs_lac, type=3)
## Anova Table (Type III tests)
##
## Response: AB38
##
                       Sum Sq Df F value
                                            Pr(>F)
## (Intercept)
                       1056.2
                               1 35.5735 4.750e-09 ***
## age
                        616.0
                               1 20.7488 6.639e-06 ***
## lac_presence_b
                          4.1
                               1 0.1398
                                             0.7087
## age:lac_presence_b
                         10.4
                                1
                                  0.3490
                                             0.5550
## Residuals
                      14340.2 483
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

# Independence of Covariate with Independent Variables (Visual inspection of Homogeneity of Regression slopes)

• Visually, the two levels of each independant variable follows the same pattern - there seems to be independance of Covariate versus independant variable.

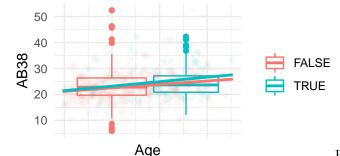
```
ggplot(data, aes(y=AB38, x= age, color= mb_presence_b)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha = 0.05) +
  geom_smooth(formula = y ~ x,method=lm, se=FALSE, fullrange=TRUE) +
  theme_minimal() +
  theme(axis.text.x = element_blank(), legend.title = element_blank()) +
  xlab("Age") + ylab("AB38") + ggtitle("Covariate with Microbleed presence")
```

## Covariate with Microbleed presence



```
ggplot(data, aes(y=AB38, x= age, color= lac_presence_b)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha = 0.05) +
  geom_smooth(formula = y ~ x,method=lm, se=FALSE, fullrange=TRUE) +
  theme_minimal() +
  theme(axis.text.x = element_blank(), legend.title = element_blank()) +
  xlab("Age") + ylab("AB38") + ggtitle("Covariate with Lacune presence")
```

## Covariate with Lacune presence



Statistics, Published by Sage Pub, UK.

Reference: Field, Miles & Miles (2012), Discovering