

25-VanLeijsen

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11/13/2019

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Reference

Van Leijsen et al. (2017). Plasma AB (Amyloid-B) Levels and Severity and Progression of Small Vessel Disease. Stroke, 16(5), 351–359. <https://doi.org/10.1161/STROKEAHA.117.019810>

Notes from reading methods section

- Dependant variable: AB38

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- The independent variables
 - presence of microbleeds (1 or more microbleeds (n = 81) vs no microbleed (n=406)
 - presence of lacunes (1 or more lacunes (n = 132) vs no lacunes (n = 355)
- Covariate: age, sex and hypertension, total brain volume

```
stats.orig.IV = data.frame(
  Fvalue = NA,
  df1 = NA,
  df2 = NA,
  pvalue = "<0.01") # for microbleed presence and for lacune presence groups

stats.orig.allCV = data.frame(
  Fvalue = NA,
  df1 = NA,
  df2 = NA,
  pvalue = NA)
```

Reading data

Data is loaded, reshaped if necessary, and factors are specified.

```
PATH = file.path(path.expand("~"), "Data", "ancova") # ancova project folder
data = read_excel(file.path(PATH, "dataPrimaryStudies", "25-VanLeijssen", "25-VanLeijssen-1.xlsx"))
data = data.frame(data)

data$mb_presence_b.factor = NA
data$mb_presence_b.factor[data$mb_presence_b == 1] = "microbleeds"
data$mb_presence_b.factor[data$mb_presence_b == 0] = "no microbleeds"
data$mb_presence_b.factor = as.factor(data$mb_presence_b.factor)

data$lac_presence_b.factor = NA
data$lac_presence_b.factor[data$lac_presence_b == 1] = "lacunes"
data$lac_presence_b.factor[data$lac_presence_b == 0] = "no lacunes"
data$lac_presence_b.factor = as.factor(data$lac_presence_b.factor)

data$sex.factor = NA
data$sex.factor[data$sex == 1] = "male"
data$sex.factor[data$sex == 2] = "female"
data$sex.factor = as.factor(data$sex.factor)

data$hypertension.factor = data$hypertension == 1

# data$groups = as.factor(paste(data$mb_presence_b.factor, data$lac_presence_b.factor))
```

Descriptives

Dependant variable

Number of samples and mean (SD) in levels of the independent variables. We reproduce the mean and sd values of Table 2 of this study

```

tab.dv = array(NA, dim=c(4,2))
rownames(tab.dv) = c(rev(levels(data$mb_presence_b.factor)), rev(levels(data$lac_presence_b.factor)))
colnames(tab.dv) = c("n", "mean (SD)")

tab.dv[,1] = c(rev(summary(data$mb_presence_b.factor)),
               rev(summary(data$lac_presence_b.factor)))

tab.dv[1,2] = sprintf("%.1f (%.1f)", mean(data$AB38[data$mb_presence_b == 0]),
                        sd(data$AB38[data$mb_presence_b == 0]))
tab.dv[2,2] = sprintf("%.1f (%.1f)", mean(data$AB38[data$mb_presence_b == 1]),
                        sd(data$AB38[data$mb_presence_b == 1]))

tab.dv[3,2] = sprintf("%.1f (%.1f)", mean(data$AB38[data$lac_presence_b == 0]),
                        sd(data$AB38[data$lac_presence_b == 0]))
tab.dv[4,2] = sprintf("%.1f (%.1f)", mean(data$AB38[data$lac_presence_b == 1]),
                        sd(data$AB38[data$lac_presence_b == 1]))

print(tab.dv)

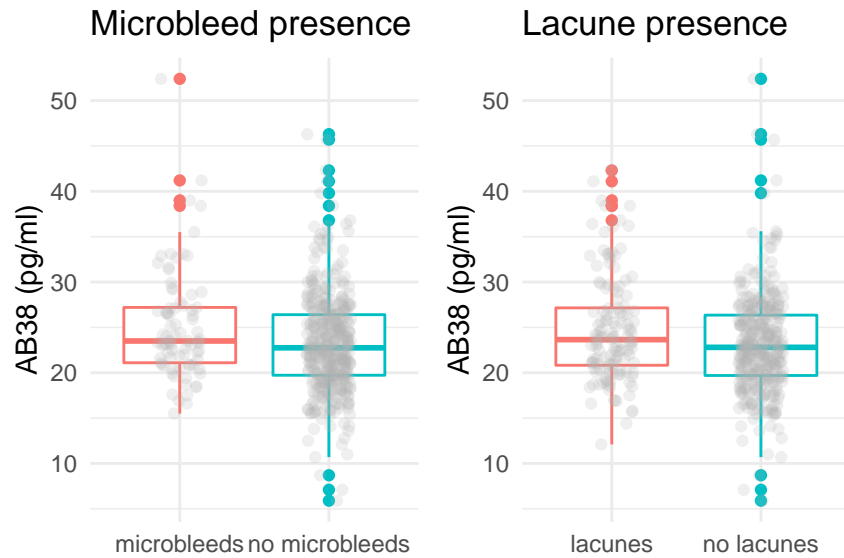
##           n      mean (SD)
## no microbleeds "406" "23.2 (5.5)"
## microbleeds    "81"  "25.2 (6.1)"
## no lacunes     "355" "23.1 (5.5)"
## lacunes        "132" "24.7 (5.9)"

p1 = ggplot(data, aes(y=AB38, x = mb_presence_b.factor, color = mb_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Microbleed presence") + ylab("AB38 (pg/ml)")

p2 = ggplot(data, aes(y=AB38, x = lac_presence_b.factor, color = lac_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Lacune presence") + ylab("AB38 (pg/ml)")

plot_grid(p1, p2, nrow = 1, ncol = 2)

```

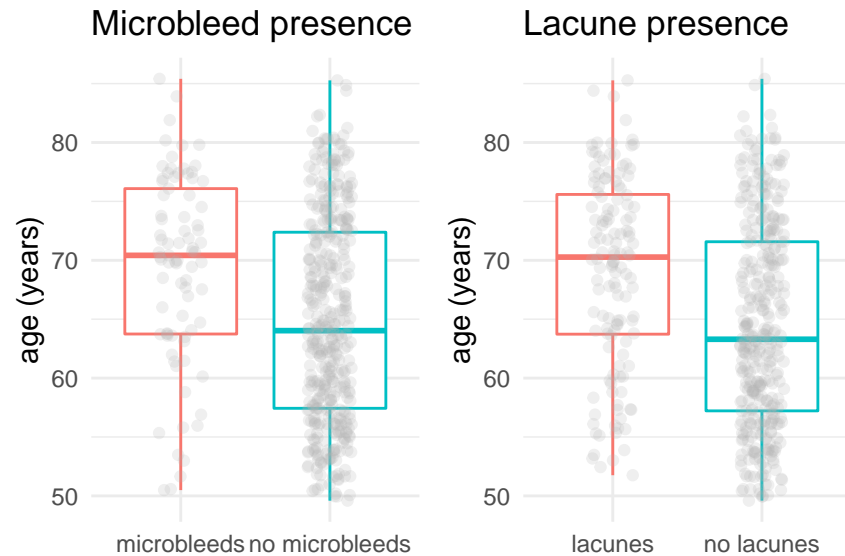


Covariates(s)

Age

```
p1 = ggplot(data, aes(y=age, x = mb_presence_b.factor, color = mb_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Microbleed presence") + ylab("age (years)")

p2 = ggplot(data, aes(y=age, x = lac_presence_b.factor, color = lac_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Lacune presence") + ylab("age (years)")
plot_grid(p1, p2, nrow = 1, ncol = 2)
```



Sex

```
tab = table(data$mb_presence_b.factor, data$sex.factor)
prc = tab/rowSums(tab)
tab[,1] = sprintf("%.1f%%", prc*100)[1:2]
tab[,2] = sprintf("%.1f%%", prc*100)[3:4]
print(tab)
```

```
##
##           female male
## microbleeds  38.3% 61.7%
## no microbleeds 43.8% 56.2%
```

```
tab = table(data$lac_presence_b.factor, data$sex.factor)
prc = tab/rowSums(tab)
tab[,1] = sprintf("%.1f%%", prc*100)[1:2]
tab[,2] = sprintf("%.1f%%", prc*100)[3:4]
print(tab)
```

```
##
##           female male
## lacunes      37.9% 62.1%
## no lacunes 44.8% 55.2%
```

Hypertension

```
tab = table(data$mb_presence_b.factor, data$hypertension.factor)
prc = tab/rowSums(tab)
tab[,1] = sprintf("%.1f%%", prc*100)[1:2]
tab[,2] = sprintf("%.1f%%", prc*100)[3:4]
print(tab)
```

```
##
##           FALSE TRUE
```

```
## microbleeds 18.5% 81.5%
## no microbleeds 28.6% 71.4%
```

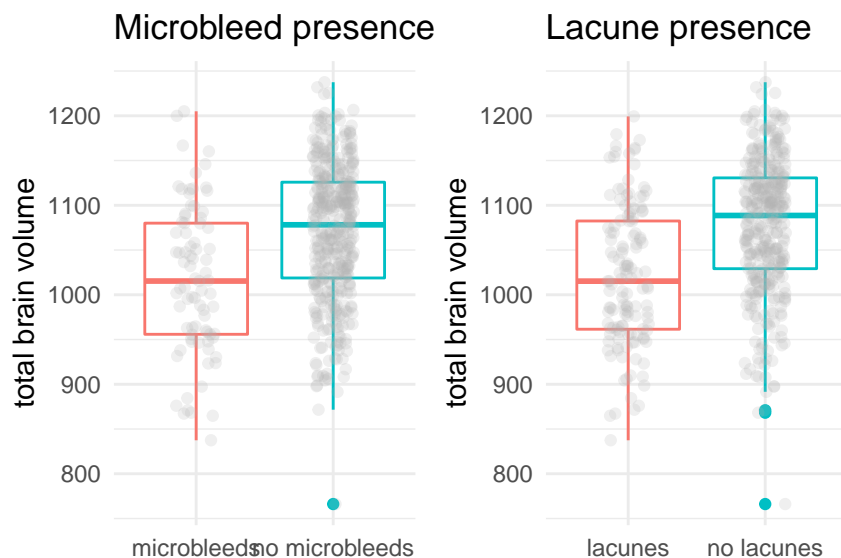
```
tab = table(data$lac_presence_b.factor, data$hypertension.factor)
prc = tab/rowSums(tab)
tab[,1] = sprintf("%.1f%%", prc*100)[1:2]
tab[,2] = sprintf("%.1f%%", prc*100)[3:4]
print(tab)
```

```
##
##          FALSE TRUE
## lacunes   13.6% 86.4%
## no lacunes 31.8% 68.2%
```

Total brain volume

```
p1 = ggplot(data, aes(y=tbv_b, x = mb_presence_b.factor, color = mb_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Microbleed presence") + ylab("total brain volume")

p2 = ggplot(data, aes(y=tbv_b, x = lac_presence_b.factor, color = lac_presence_b.factor)) +
  geom_boxplot() +
  geom_point(position = position_jitter(width = 0.15, height = 0), alpha=0.2, col="gray70") +
  theme_minimal() +
  theme(legend.title = element_blank(),
        axis.title.x = element_blank(),
        legend.position = "none") +
  ggtitle("Lacune presence") + ylab("total brain volume")
plot_grid(p1, p2, nrow = 1, ncol = 2)
```



Main analysis ANCOVA

What has been done in the paper (one-way analyses)

```
# Orthogonal contrasts
contrasts(data$mb_presence_b.factor) = contr.helmert(2)
contrasts(data$lac_presence_b.factor) = contr.helmert(2)

# unadjusted one-way (not appropriate but thats what has been done in the paper)
fit.ancova= aov(AB38 ~ mb_presence_b.factor, data = data)
Anova(fit.ancova, type = 3)
```

```
## Anova Table (Type III tests)
##
## Response: AB38
##
```

	Sum Sq	Df	F value	Pr(>F)
(Intercept)	158082	1	5086.5812	< 2.2e-16 ***
mb_presence_b.factor	251	1	8.0703	0.004689 **
Residuals	15073	485		

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

fit.ancova= aov(AB38 ~ lac_presence_b.factor, data = data)
Anova(fit.ancova, type = 3)
```

```
## Anova Table (Type III tests)
##
## Response: AB38
##
```

	Sum Sq	Df	F value	Pr(>F)
(Intercept)	220267	1	7090.0613	< 2.2e-16 ***
lac_presence_b.factor	256	1	8.2509	0.004252 **
Residuals	15067	485		

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# adjusted for all covariates
fit.ancova = aov(AB40 ~ age + sex.factor + hypertension.factor +
                 tbv_b + mb_presence_b.factor, data = data)
Anova(fit.ancova, type = 3) # Type III
```

```
## Anova Table (Type III tests)
##
## Response: AB40
##
```

	Sum Sq	Df	F value	Pr(>F)
(Intercept)	18918	1	14.4710	0.0001607 ***
age	16602	1	12.6993	0.0004023 ***
sex.factor	174	1	0.1333	0.7152018
hypertension.factor	2391	1	1.8288	0.1769004
tbv_b	2714	1	2.0758	0.1503066
mb_presence_b.factor	9232	1	7.0623	0.0081342 **
Residuals	628799	481		

```
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
fit.ancova = aov(AB40 ~ age + sex.factor + hypertension.factor +
                tbv_b + lac_presence_b.factor, data = data)
Anova(fit.ancova, type = 3) # Type III
```

```
## Anova Table (Type III tests)
##
## Response: AB40
##
##              Sum Sq Df F value    Pr(>F)
## (Intercept)    18824  1 14.2755 0.0001777 ***
## age            16978  1 12.8754 0.0003670 ***
## sex.factor       196  1  0.1489 0.6997526
## hypertension.factor 1894  1  1.4360 0.2313727
## tbv_b           3023  1  2.2926 0.1306519
## lac_presence_b.factor 3778  1  2.8652 0.0911619 .
## Residuals      634253 481
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

What should have been done in the paper (two-way analysis)

```
# Orthogonal contrasts
contrasts(data$mb_presence_b.factor) = contr.helmert(2)
contrasts(data$lac_presence_b.factor) = contr.helmert(2)

# unadjusted
fit.ancova= aov(AB38 ~ mb_presence_b.factor*lac_presence_b.factor, data = data)
result = Anova(fit.ancova, type = 3) # Type III
print(result)
```

```
## Anova Table (Type III tests)
##
## Response: AB38
##
##              Sum Sq Df  F value Pr(>F)
## (Intercept)    148296  1 4806.2581 <2e-16 ***
## mb_presence_b.factor     135  1   4.3608 0.0373 *
## lac_presence_b.factor     57  1   1.8414 0.1754
## mb_presence_b.factor:lac_presence_b.factor    23  1   0.7368 0.3911
## Residuals      14903 483
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# adjusted for all covariates
fit.ancova = aov(AB40 ~ age + sex.factor + hypertension.factor +
                tbv_b + mb_presence_b.factor*lac_presence_b.factor, data = data)
result = Anova(fit.ancova, type = 3) # Type III
print(result)
```

```
## Anova Table (Type III tests)
##
## Response: AB40
##
##              Sum Sq Df F value    Pr(>F)
## (Intercept)    17807  1 13.6054 0.0002514 ***
## age            16434  1 12.5570 0.0004334 ***
```



```
## sex.factor                195    1  0.1493 0.6993628
## hypertension.factor      1963    1  1.4997 0.2213140
## tbv_b                    2023    1  1.5454 0.2144299
## mb_presence_b.factor     7304    1  5.5811 0.0185545 *
## lac_presence_b.factor    1730    1  1.3216 0.2508822
## mb_presence_b.factor:lac_presence_b.factor 129    1  0.0983 0.7540404
## Residuals                626906 479
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Comparing ANCOVA in original study with reanalysis

We skip this section as no p-values or test statistics are reported.

Assumptions

1. Homogeneity of variance

- ANOVA/ANCOVA is fairly robust in terms of the error rate when sample sizes are equal.
- When groups with larger sample sizes have larger variances than the groups with smaller sample sizes, the resulting F-ratio tends to be conservative. That is, it's more likely to produce a non-significant result when a genuine difference does exist in the population.
- Conversely, when the groups with larger sample sizes have smaller variances than the groups with smaller sample sizes, the resulting F-ratio tends to be liberal and can inflate the false positive rate.
- In this study, statistical descriptives show that the highest and lowest variances seem close. Also, there is homogeneity of variance as p values exceed 0.05 for the Levene's test

```
tapply(data$AB38, data$mb_presence_b.factor, sd)
```

```
##      microbleeds no microbleeds
##      6.069102      5.471873
```

```
leveneTest(AB38 ~ mb_presence_b.factor, data = data)
```

```
## Levene's Test for Homogeneity of Variance (center = median)
##      Df F value Pr(>F)
## group  1  0.0912 0.7628
##      485
```

```
tapply(data$AB38, data$lac_presence_b.factor, sd)
```

```
##      lacunes no lacunes
##      5.870429      5.459909
```

```
leveneTest(AB38 ~ lac_presence_b.factor, data = data)
```

```
## Levene's Test for Homogeneity of Variance (center = median)
##      Df F value Pr(>F)
## group  1  1.3772 0.2412
##      485
```

2. Independence between covariate and IV

When the covariate and the experimental effect (independent variable) are not independent the treatment effect is obscured, spurious treatment effects can arise and the interpretation of the ANCOVA is seriously compromised.

We test whether our groups differ on the CV. If the groups do not significantly differ then is appropriate to use the covariate.

```
# Age
fit.cv.age = aov(age ~ lac_presence_b + mb_presence_b, data = data)
Anova(fit.cv.age, type=3)

## Anova Table (Type III tests)
##
## Response: age
##           Sum Sq Df    F value    Pr(>F)
## (Intercept) 1372627  1 19282.9584 < 2.2e-16 ***
## lac_presence_b   1334  1   18.7464 1.816e-05 ***
## mb_presence_b    638  1    8.9616 0.002898 **
## Residuals      34453 484
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Sex
fit.cv.sex = glm(sex.factor~ lac_presence_b + mb_presence_b, family = binomial, data = data)
Anova(fit.cv.sex, type=3)

## Analysis of Deviance Table (Type III tests)
##
## Response: sex.factor
##           LR Chisq Df Pr(>Chisq)
## lac_presence_b  1.36028  1    0.2435
## mb_presence_b   0.33341  1    0.5637

# Hypertension
fit.cv.hypertension = glm(hypertension.factor ~ lac_presence_b + mb_presence_b, family = binomial, data = data)
Anova(fit.cv.hypertension, type=3)

## Analysis of Deviance Table (Type III tests)
##
## Response: hypertension.factor
##           LR Chisq Df Pr(>Chisq)
## lac_presence_b 14.8425  1 0.0001169 ***
## mb_presence_b  0.7439  1 0.3884022
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Total brain volume
fit.cv.tbw = aov(tbv_b ~ lac_presence_b + mb_presence_b, data = data)
Anova(fit.cv.tbw, type=3)

## Anova Table (Type III tests)
##
## Response: tbv_b
##           Sum Sq Df    F value    Pr(>F)
## (Intercept) 390620282  1 68918.966 < 2.2e-16 ***
## lac_presence_b   202364  1   35.704 4.457e-09 ***
```

```
## mb_presence_b      89885    1    15.859 7.873e-05 ***
## Residuals          2743225 484
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

3. Homogeneity of regression slopes

- We test the interaction between the IV and the CV

```
# Age
Anova(aov(AB38 ~ age*mb_presence_b.factor, data = data), type=3)

## Anova Table (Type III tests)
##
## Response: AB38
##              Sum Sq Df F value    Pr(>F)
## (Intercept)      581.2  1 19.6293 1.164e-05 ***
## age              528.9  1 17.8617 2.841e-05 ***
## mb_presence_b.factor      16.5  1  0.5560    0.4562
## age:mb_presence_b.factor    28.4  1  0.9603    0.3276
## Residuals       14301.0 483
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Anova(aov(AB38 ~ age*lac_presence_b.factor, data = data), type=3)
```

```
## Anova Table (Type III tests)
##
## Response: AB38
##              Sum Sq Df F value    Pr(>F)
## (Intercept)     1056.2  1 35.5735 4.750e-09 ***
## age              616.0  1 20.7488 6.639e-06 ***
## lac_presence_b.factor      4.1  1  0.1398    0.7087
## age:lac_presence_b.factor    10.4  1  0.3490    0.5550
## Residuals       14340.2 483
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
# Sex
Anova(aov(AB38 ~ sex.factor*mb_presence_b.factor, data = data), type=3)

## Anova Table (Type III tests)
##
## Response: AB38
##              Sum Sq Df  F value    Pr(>F)
## (Intercept)     59156  1 1906.9045 < 2e-16 ***
## sex.factor         45  1   1.4411  0.23055
## mb_presence_b.factor      6  1   0.2052  0.65078
## sex.factor:mb_presence_b.factor    89  1   2.8782  0.09043 .
## Residuals       14984 483
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Anova(aov(AB38 ~ sex.factor*lac_presence_b.factor, data = data), type=3)
```

```
## Anova Table (Type III tests)
```

```
##
## Response: AB38
##
## Sum Sq Df F value Pr(>F)
## (Intercept) 85711 1 2753.4007 <2e-16 ***
## sex.factor 8 1 0.2410 0.6237
## lac_presence_b.factor 32 1 1.0324 0.3101
## sex.factor:lac_presence_b.factor 32 1 1.0291 0.3109
## Residuals 15035 483
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Hypertension
Anova(aov(AB38 ~ hypertension.factor*mb_presence_b.factor, data = data), type=3)

## Anova Table (Type III tests)
##
## Response: AB38
##
## Sum Sq Df F value Pr(>F)
## (Intercept) 26794.2 1 880.3884 < 2.2e-16 ***
## hypertension.factor 214.6 1 7.0523 0.008178 **
## mb_presence_b.factor 16.8 1 0.5534 0.457306
## hypertension.factor:mb_presence_b.factor 6.0 1 0.1983 0.656270
## Residuals 14699.9 483
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Anova(aov(AB38 ~ hypertension.factor*lac_presence_b.factor, data = data), type=3)

## Anova Table (Type III tests)
##
## Response: AB38
##
## Sum Sq Df F value Pr(>F)
## (Intercept) 30776.7 1 1008.2994 < 2.2e-16 ***
## hypertension.factor 229.4 1 7.5146 0.006347 **
## lac_presence_b.factor 6.7 1 0.2190 0.640013
## hypertension.factor:lac_presence_b.factor 7.6 1 0.2495 0.617620
## Residuals 14742.8 483
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

# Total brain volume
Anova(aov(AB38 ~ tbv_b*mb_presence_b.factor, data = data), type=3)

## Anova Table (Type III tests)
##
## Response: AB38
##
## Sum Sq Df F value Pr(>F)
## (Intercept) 2705.7 1 90.1924 < 2.2e-16 ***
## tbv_b 412.9 1 13.7621 0.0002316 ***
## mb_presence_b.factor 10.3 1 0.3448 0.5573285
## tbv_b:mb_presence_b.factor 6.0 1 0.2013 0.6538747
## Residuals 14489.6 483
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Anova(aov(AB38 ~ tbv_b*lac_presence_b.factor, data = data), type=3)
```

```
## Anova Table (Type III tests)
##
## Response: AB38
##
##              Sum Sq  Df  F value    Pr(>F)
## (Intercept)    3154.9   1 104.9384 < 2.2e-16 ***
## tbv_b          440.8   1  14.6613 0.0001456 ***
## lac_presence_b.factor    0.1   1   0.0035 0.9525567
## tbv_b:lac_presence_b.factor    0.1   1   0.0029 0.9570343
## Residuals      14520.9 483
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Notes

- The authors performed both unadjusted (using ANOVA) and adjusted analyses (using ANCOVA).
- We reproduced the effect of microbleeds and lacunes on ABeta38 using two one-ways ANOVAs.
- However, the appropriate analysis would be a 2-way ANOVA and here only an effect of microbleeds was statistically significant.
- We could not reproduce the result with ANCOVA with 4 covariates (named model 4). There was again an effect of microbleeds, but the paper reported it was not significant.
- No exact p-values and no test statistics were reported.
- Some assumptions were not met: three covariates age, hypertension and total brain volume were not independent from the group variable.

Data was analyzed according to recommendations by Field, Miles, & Field (2012).