

GPU-Acceleration of Plasma Turbulence Simulations for Fusion Energy

by

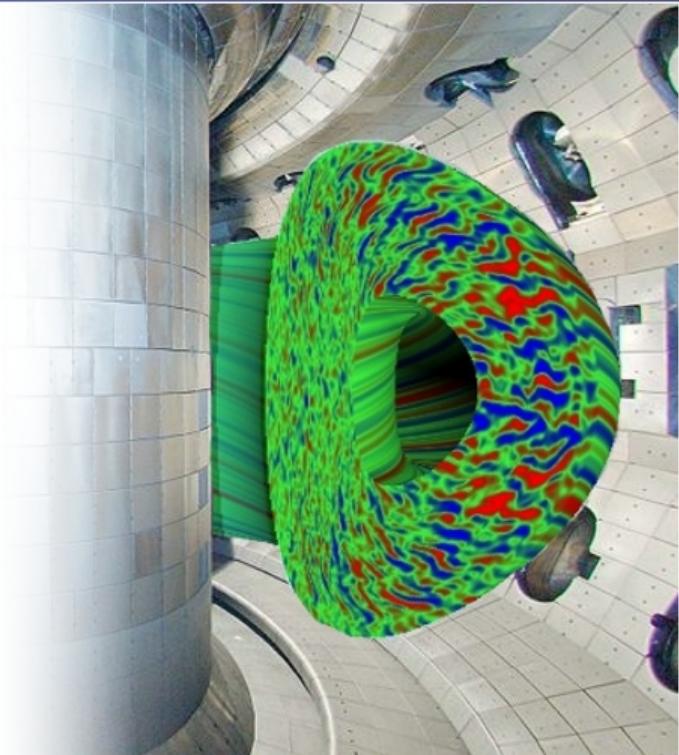
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Background and Motivation

- ① **General Atomics** (GA) is a private contractor in San Diego

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- ④ THIS TALK: GPU-based plasma turbulence simulation using **gyrokinetic model**

Important locations for CGYRO

Source code

github.com/gafusion/gacode

DOI

www.osti.gov/doecode/biblio/20298

User Documentation

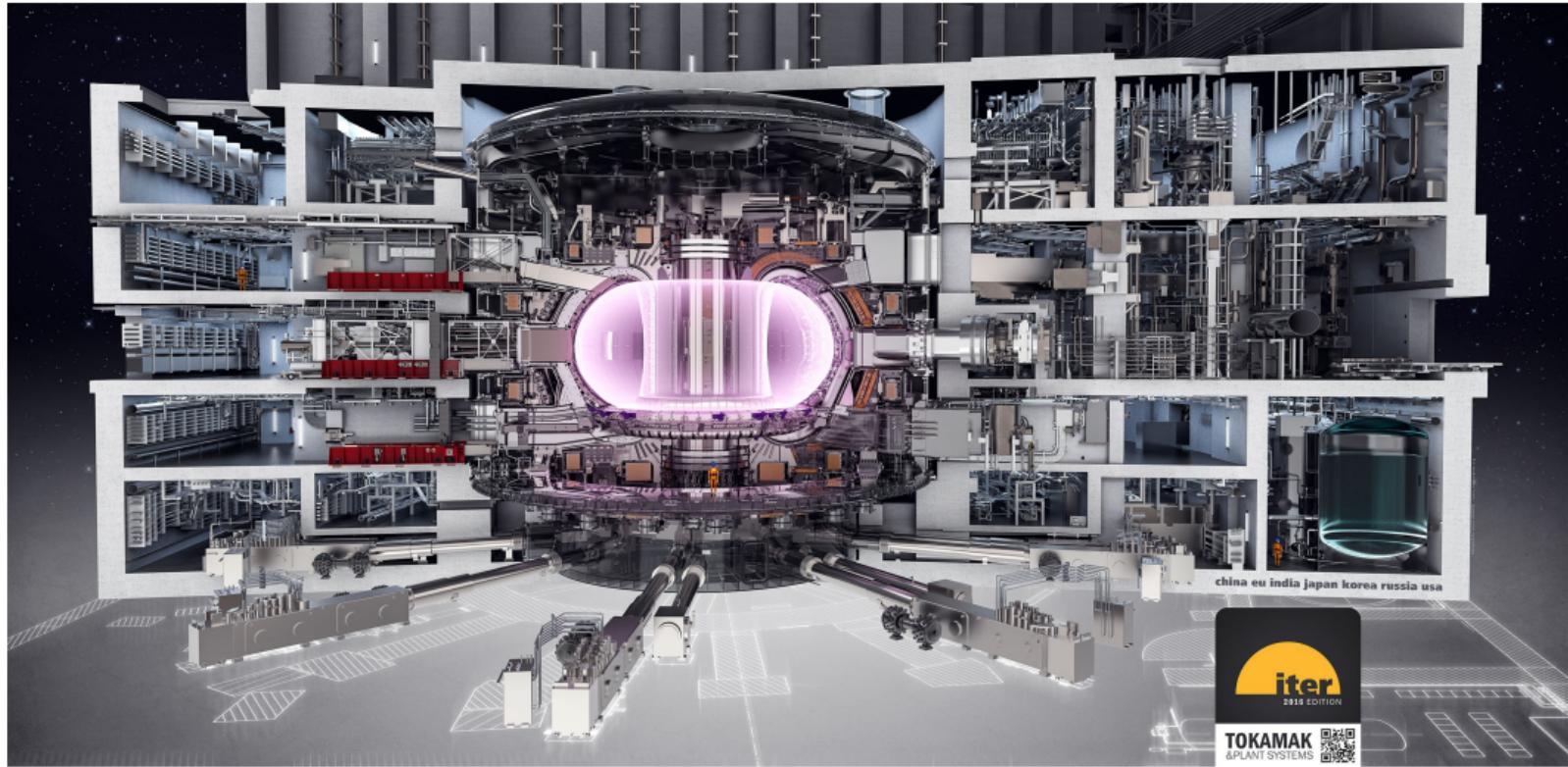
gafusion.github.io/doc

Documentary Video (for GYRO)

www.youtube.com/watch?v=RLI6QW2x4Lg

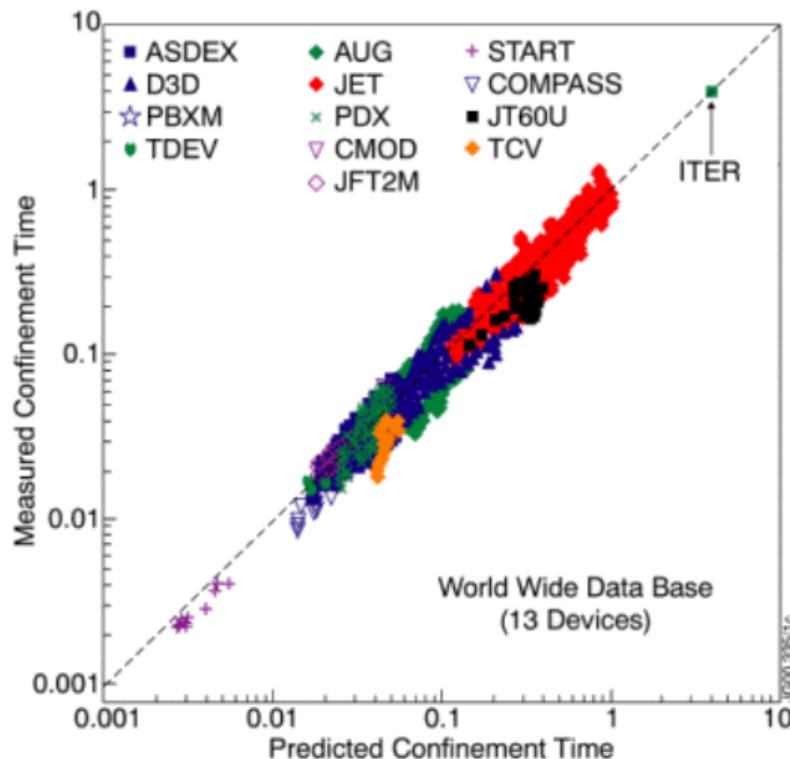
ITER Facility (35 nations) under construction in France

GOAL: Simulate turbulent plasma in core (magenta) region

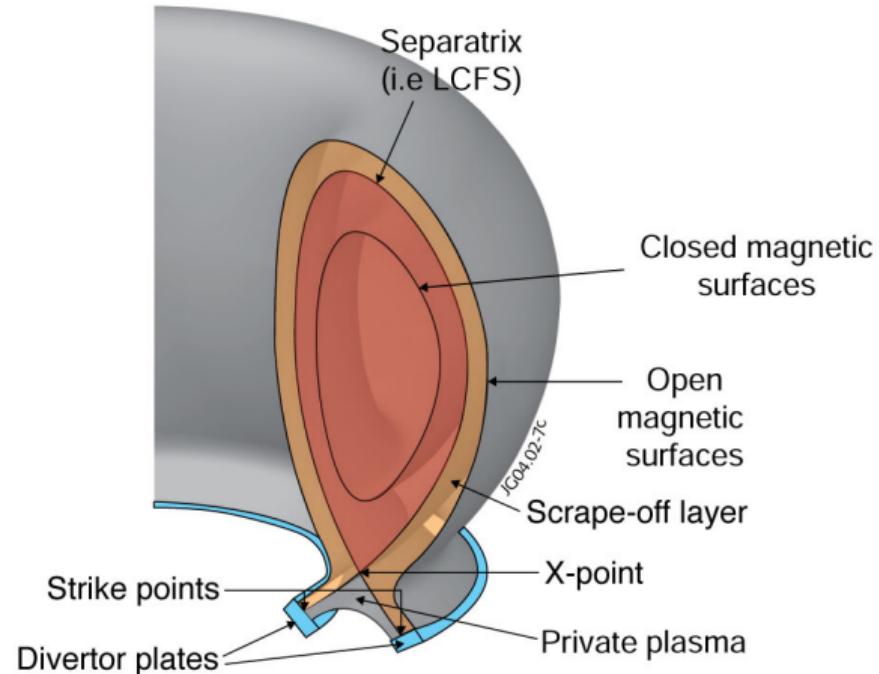
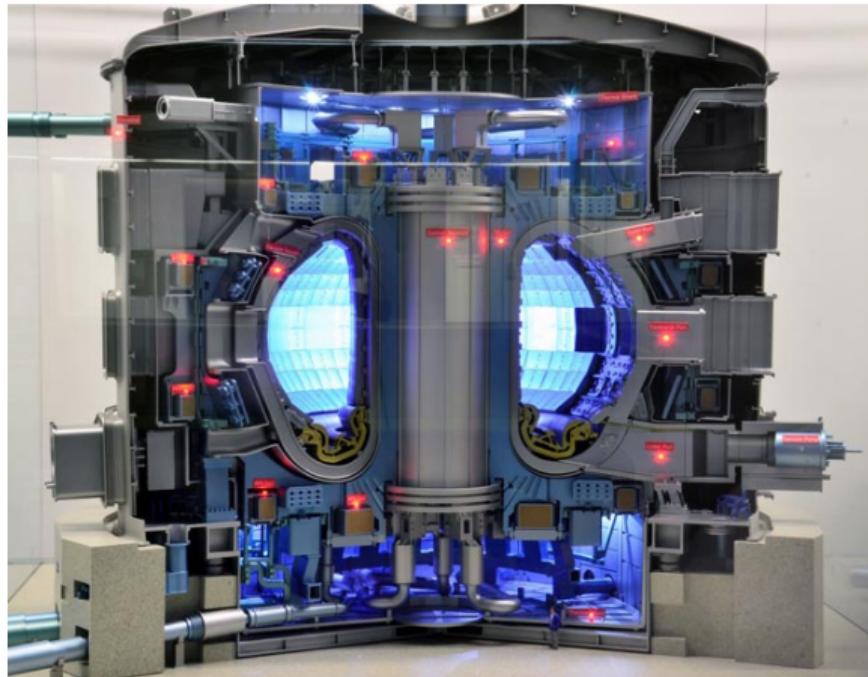


Why such a large facility?

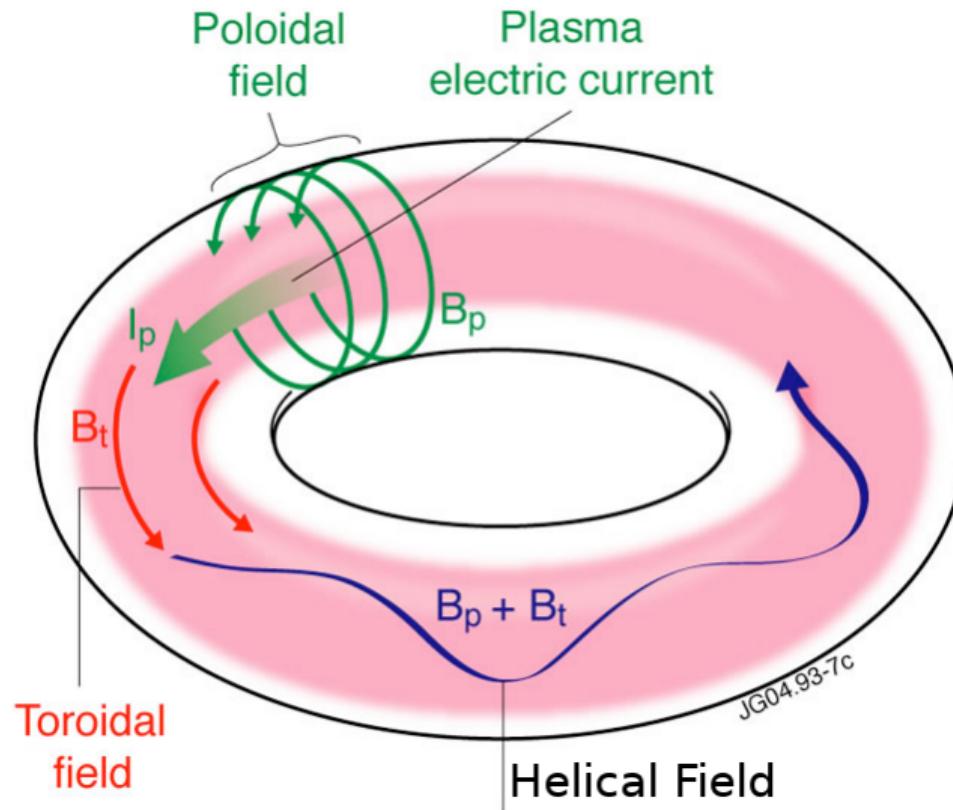
Tokamak confinement improves with LARGE PLASMA VOLUME



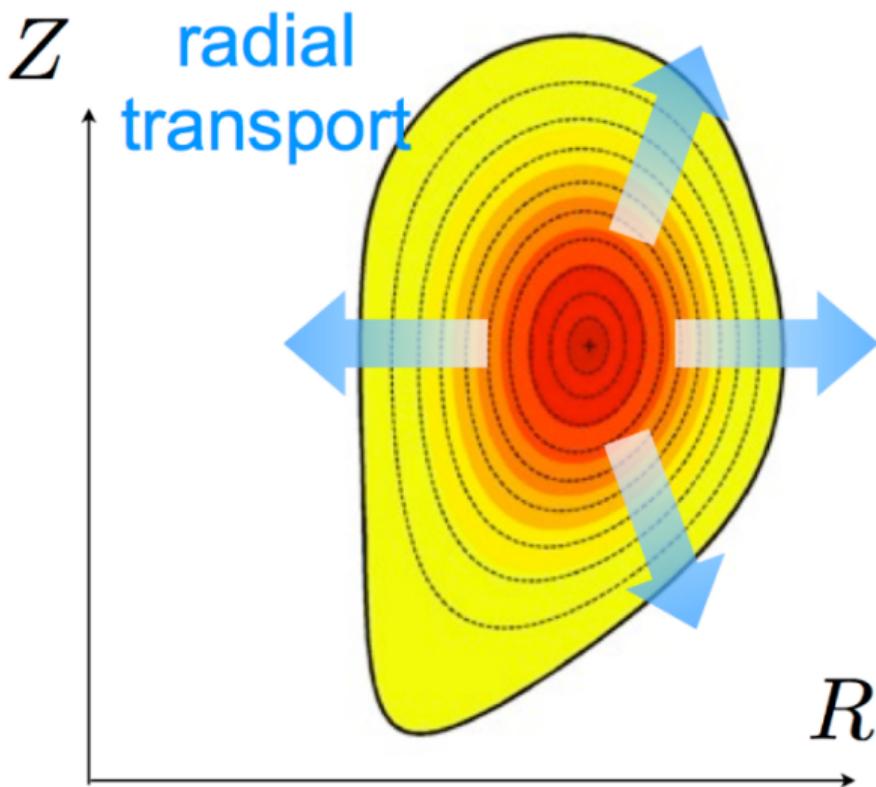
Plasma theory in closed fieldline region well-understood



Helical field perfectly confines plasma (almost)



There is a small amount of radial energy/particle loss



- Collisions (1970s): $\Gamma_{\text{collision}}$
- Turbulence (1980s): $\Gamma_{\text{turbulence}}$
- Both exhibit **gyroBohm scaling**

$$\text{flux} \quad \Gamma \sim v(\rho/a)^2$$

$$\text{confinement time} \quad \tau = \frac{a}{\Gamma} \sim \frac{a^3}{v\rho^2}$$

- a = torus radius
- ρ = particle orbit size
- v = particle velocity

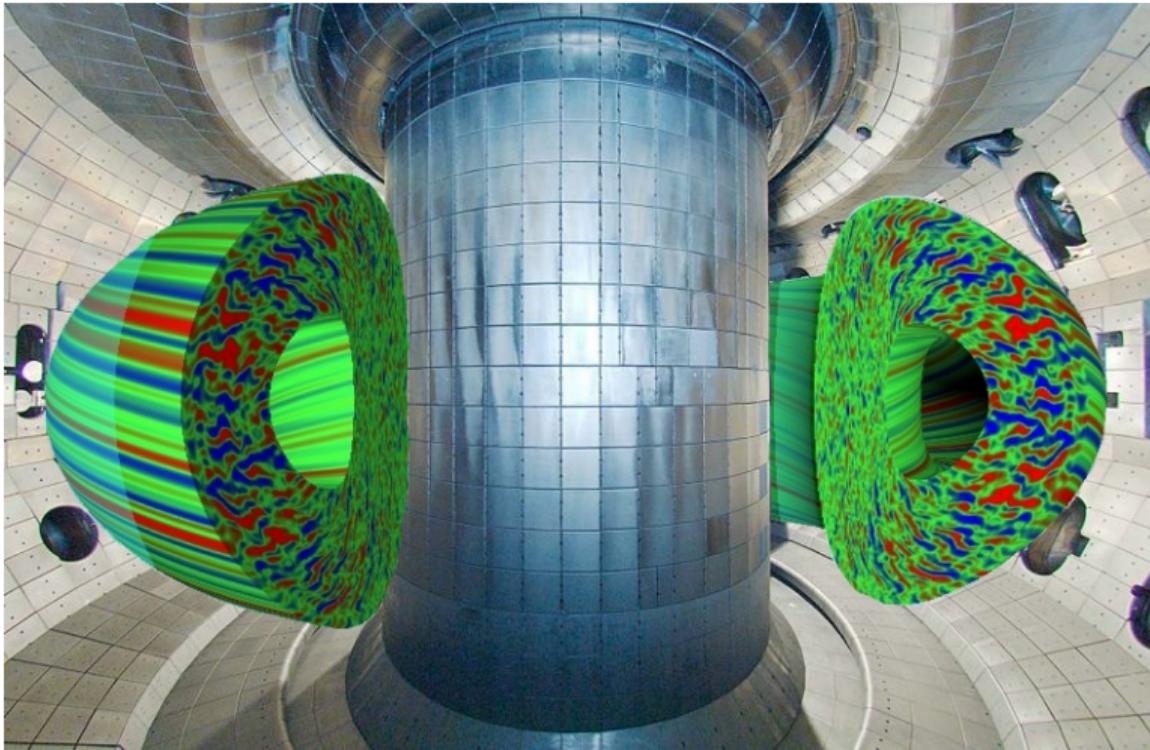
CGYRO computes the turbulent flux

DIII-D Tokamak at General Atomics in San Diego, CA



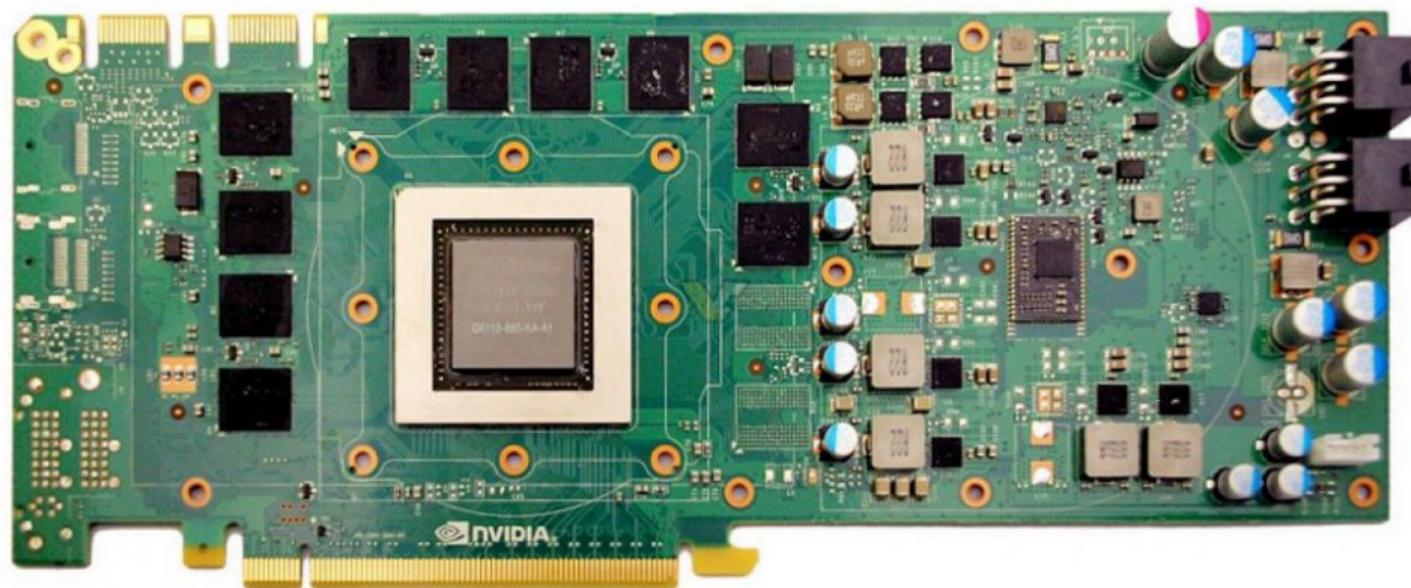
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CGYRO fully ported to GPU

NCCS TITAN (Oak Ridge, TN) – **K20x**



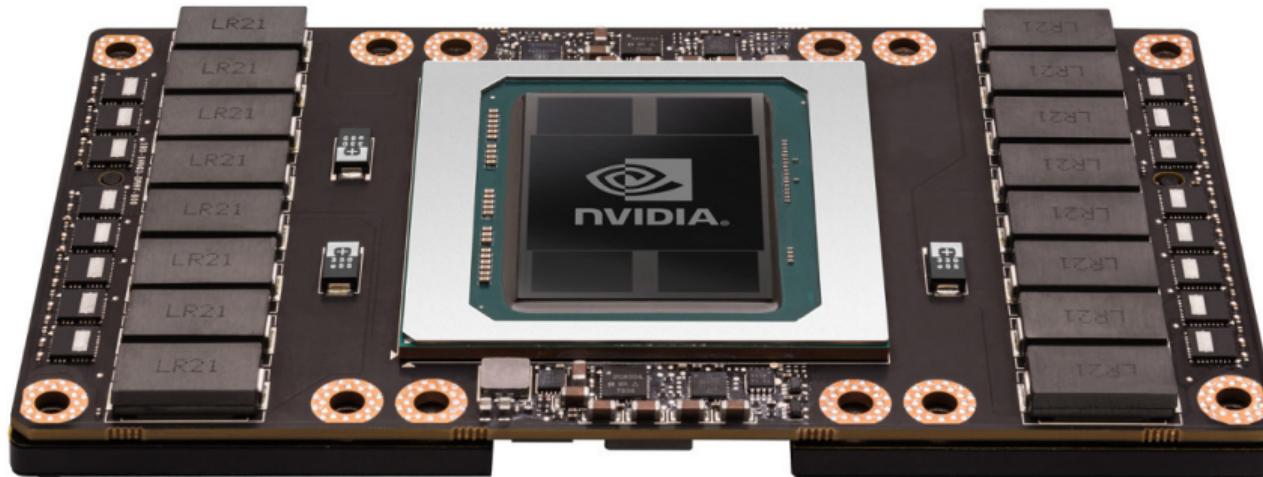
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CSCS PIZ DAINT (Lugano, Switzerland) – **P100**



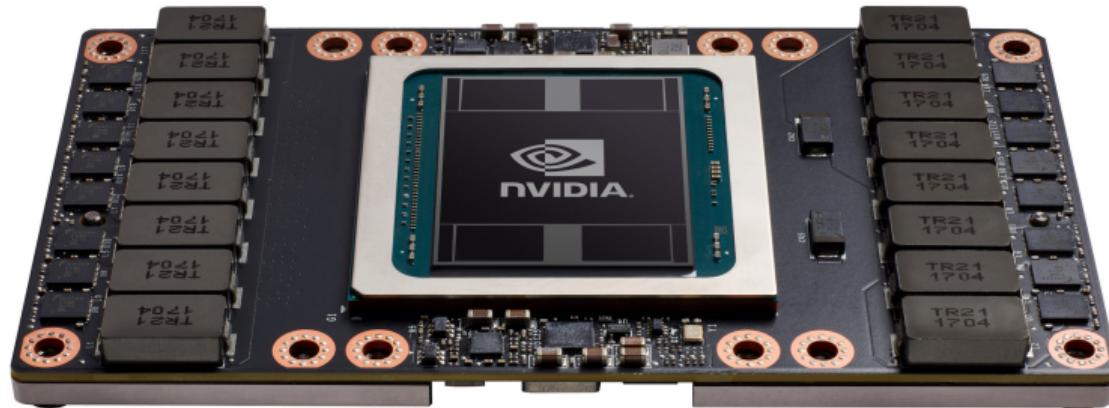
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General Atomics Power9 (San Diego, CA) – **V100**



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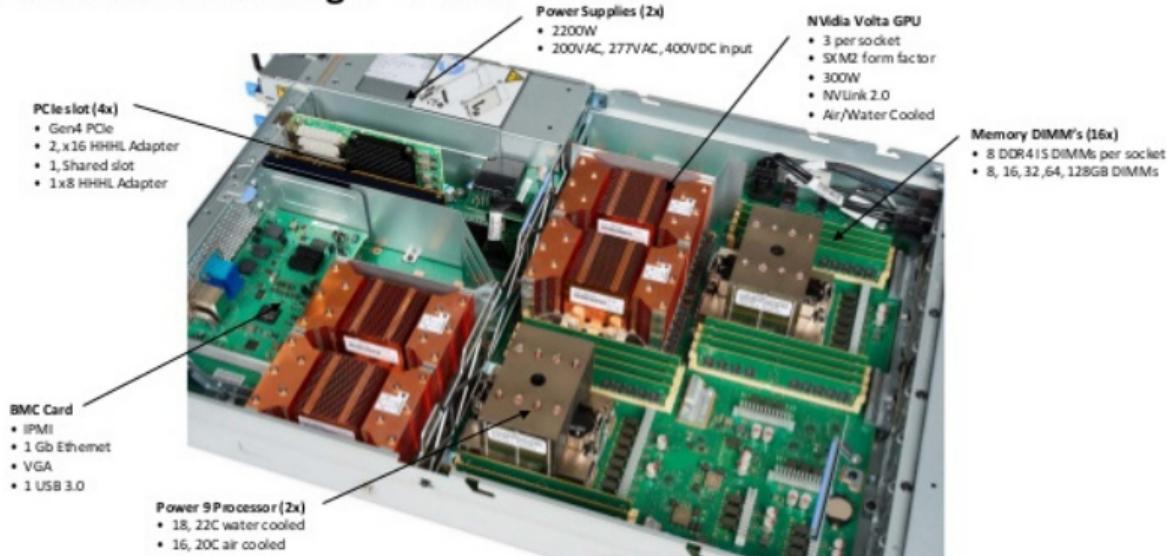
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General Atomics Power9 (San Diego, CA) – **V100**

POWER AC922 Design – 4 GPU



History of Energy Research at GA

General Atomics – June 25th, 1959



Gyrokinetic equation for plasma species a

Typically: $a = (\text{deuterium, carbon, electron})$

$$\frac{\partial \tilde{h}_a}{\partial \tau} - i\Omega_s X \tilde{h}_a - i(\Omega_\theta + \Omega_\xi + \Omega_d) \tilde{H}_a - i\Omega_* \tilde{\Psi}_a + \Omega_{\text{NL}}(\tilde{h}_a, \tilde{\Psi}_a) = \mathcal{C}_a$$

Symbol definitions

particles $\tilde{H}_a = \tilde{h}_a + \frac{z_a T_e}{T_a} \tilde{\Psi}_a$

Gyrokinetic equation for plasma species a

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Symbol definitions

particles $\tilde{H}_a = \tilde{h}_a + \frac{z_a T_e}{T_a} \tilde{\Psi}_a$

fields $\tilde{\Psi}_a = J_0(\gamma_a) \left(\delta\tilde{\phi} - \frac{v_{||}}{c} \delta\tilde{A}_{||} \right) + \frac{v_\perp^2}{\Omega_{ca} c} \frac{J_1(\gamma_a)}{\gamma_a} \delta\tilde{B}_{||}$

Electromagnetic GK-Maxwell Equations

Coupling to fields is a MAJOR complication!

$$\left(k_{\perp}^2 \lambda_D^2 + \sum_a z_a^2 \frac{T_e}{T_a} \int d^3v \frac{f_{0a}}{n_e} \right) \delta \tilde{\phi} = \sum_a z_a \int d^3v \frac{f_{0a}}{n_e} J_0(\gamma_a) \tilde{H}_a$$

$$\frac{2}{\beta_{e,\text{unit}}} k_{\perp}^2 \rho_s^2 \delta \tilde{A}_{||} = \sum_a z_a \int d^3v \frac{f_{0a}}{n_e} \frac{v_{||}}{c_s} J_0(\gamma_a) \tilde{H}_a$$

$$-\frac{2}{\beta_{e,\text{unit}}} \frac{B}{B_{\text{unit}}} \delta \tilde{B}_{||} = \sum_a \int d^3v \frac{f_{0a}}{n_e} \frac{m_a v_{\perp}^2}{T_e} \frac{J_1(\gamma_a)}{\gamma_a} \tilde{H}_a$$

Gyrokinetic equation for plasma species a

Typically, deuterium, some carbon, and electrons

$$\frac{\partial \tilde{h}_a}{\partial \tau} - i \Omega_s X \tilde{h}_a - i (\Omega_\theta + \Omega_\xi + \Omega_d) \tilde{H}_a - i \Omega_* \tilde{\Psi}_a + \Omega_{NL}(\tilde{h}_a, \tilde{\Psi}_a) = \mathcal{C}_a$$

$\mathbf{E} \times \mathbf{B}$ flow

$$-i \Omega_s = -i \frac{k_\theta L}{2\pi} \frac{a}{c_s} \gamma_E$$

\$acc parallel loop

Gyrokinetic equation for plasma species a

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$$\frac{\partial \tilde{h}_a}{\partial \tau} - i\Omega_s X \tilde{h}_a - i \left(\Omega_\theta + \Omega_\xi + \Omega_d \right) \tilde{H}_a - i\Omega_* \tilde{\Psi}_a + \Omega_{NL}(\tilde{h}_a, \tilde{\Psi}_a) = \mathcal{C}_a$$

Streaming

$$-i\Omega_\theta = \frac{v_{||}}{w_s} \frac{\partial}{\partial \theta}$$

\$acc parallel loop

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Trapping

$$\begin{aligned} -i\Omega_\xi = & - \frac{v_{ta}}{w_s} \frac{u_a}{\sqrt{2}} (1 - \xi^2) \frac{\partial \ln B}{\partial \theta} \frac{\partial}{\partial \xi} \\ & - \frac{1}{2u_a} \frac{\partial \lambda_a}{\partial \theta} \left[\frac{v_{||}}{w_s} \frac{\partial}{\partial u_a} + \frac{\sqrt{2}v_{ta}}{w_s} (1 - \xi^2) \frac{\partial}{\partial \xi} \right] \end{aligned}$$

Fold into collision operator

Gyrokinetic equation for plasma species a

Typically, deuterium, some carbon, and electrons

$$\frac{\partial \tilde{h}_a}{\partial \tau} - i\Omega_s X \tilde{h}_a - i \left(\Omega_\theta + \Omega_\xi + \Omega_d \right) \tilde{H}_a - i\Omega_* \tilde{\Psi}_a + \Omega_{NL}(\tilde{h}_a, \tilde{\Psi}_a) = \mathcal{C}_a$$

Drift motion

$$\begin{aligned} -i\Omega_d &= a \frac{v_{ta}}{c_s} \mathbf{b} \times \left[u_a^2 (1 + \xi^2) \frac{\nabla B}{B} + u_a^2 \xi^2 \frac{8\pi}{B^2} (\nabla p)_{\text{eff}} \right] \cdot i\mathbf{k}_\perp \rho_a \\ &+ M_a \frac{2av_{||}}{c_s R_0} \mathbf{b} \times \left(\frac{R}{\mathcal{J}_\Psi B} \frac{\partial R}{\partial \theta} \nabla \varphi - \frac{B_t}{B} \nabla R \right) \cdot i\mathbf{k}_\perp \rho_a \\ &+ \frac{a}{c_s} \mathbf{b} \times \left(-\frac{v_{ta}}{T_a} \mathbf{F}_c + \frac{c}{B} \nabla \Phi_* \right) \cdot i\mathbf{k}_\perp \rho_a \end{aligned}$$

Fold into streaming (diagonal)

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$$\frac{\partial \tilde{h}_a}{\partial \tau} - i\Omega_s X \tilde{h}_a - i(\Omega_\theta + \Omega_\xi + \Omega_d) \tilde{H}_a - i\Omega_* \tilde{\Psi}_a + \Omega_{NL}(\tilde{h}_a, \tilde{\Psi}_a) = \mathcal{C}_a$$

Gradient drive

$$\begin{aligned} -i\Omega_* &= \left[\frac{a}{L_{na}} + \frac{a}{L_{Ta}} \left(u_a^2 - \frac{3}{2} \right) + \gamma_p v_{\parallel} \frac{a}{v_{ta}^2} \frac{RB_t}{R_0 B} \right] ik_{\theta} \rho_s \\ &\quad + \left\{ \frac{a}{L_{Ta}} \left[\frac{z_a e}{T_a} \Phi_* - \frac{M_a^2}{2R_0^2} (R^2 - R(\theta_0)^2) \right] \right. \\ &\quad \left. + M_a^2 \frac{aR(\theta_0)}{R_0^2} \frac{dR(\theta_0)}{dr} + M_a \gamma_p \frac{a}{v_{ta} R_0^2} (R^2 - R(\theta_0)^2) \right\} ik_{\theta} \rho_s \end{aligned}$$

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Nonlinearity

$$\Omega_{NL}(\tilde{h}_a, \tilde{\Psi}_a) = \frac{ac_s}{\Omega_{cD}} \sum_{\mathbf{k}'_\perp + \mathbf{k}''_\perp = \mathbf{k}_\perp} (\mathbf{b} \cdot \mathbf{k}'_\perp \times \mathbf{k}''_\perp) \tilde{\Psi}_a(\mathbf{k}'_\perp) \tilde{h}_a(\mathbf{k}''_\perp)$$

cuFFT

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Cross-species collision operator

$$\mathcal{C}_a = \sum_b C_{ab}^L (\tilde{H}_a, \tilde{H}_b)$$

$$C_{ab}^L(\tilde{H}_a, \tilde{H}_b) = \frac{\nu_{ab}^D}{2} \frac{\partial}{\partial \xi} (1 - \xi^2) \frac{\partial \tilde{H}_a}{\partial \xi} + \frac{1}{v^2} \frac{\partial}{\partial v} \left[\frac{\nu_{ab}^{\parallel}}{2} \left(v^4 \frac{\partial \tilde{H}_a}{\partial v} + \frac{m_a}{T_b} v^5 \tilde{H}_a \right) \right]$$
$$- \tilde{H}_a k_{\perp}^2 \rho_a^2 \frac{v^2}{4v_{ta}^2} \left[\nu_{ab}^D (1 + \xi^2) + \nu_{ab}^{\parallel} (1 - \xi^2) \right] + R_{\text{mom}}(\tilde{H}_b) + R_{\text{ene}}(\tilde{H}_b)$$

\$acc parallel loop

Sonic Transport Fluxes

These are inputs to an independent TRANSPORT CODE

$$\text{particle flux } \Gamma_a = \sum_{\mathbf{k}_\perp} \left\langle \int d^3v \tilde{H}_a^* c_{1a} \tilde{\Psi}_a \right\rangle$$

$$\text{energy flux } Q_a = \sum_{\mathbf{k}_\perp} \left\langle \int d^3v \tilde{H}_a^* c_{2a} \tilde{\Psi}_a \right\rangle$$

$$\text{momentum flux } \Pi_a = \sum_{\mathbf{k}_\perp} \left\langle \int d^3v \tilde{H}_a^* c_{3a} \tilde{\Psi}_a \right\rangle$$

What do we solve for

5-dimensional distribution for every plasma species

Six-dimensional array (mapped into internal 2D array in CGYRO)

$$\underbrace{H_a(k_x, k_y, \theta, \xi, v, t)}_{\text{5D mesh}}$$

The **spatial coordinates** are

k_x → radial wavenumbers

k_y → binormal wavenumbers

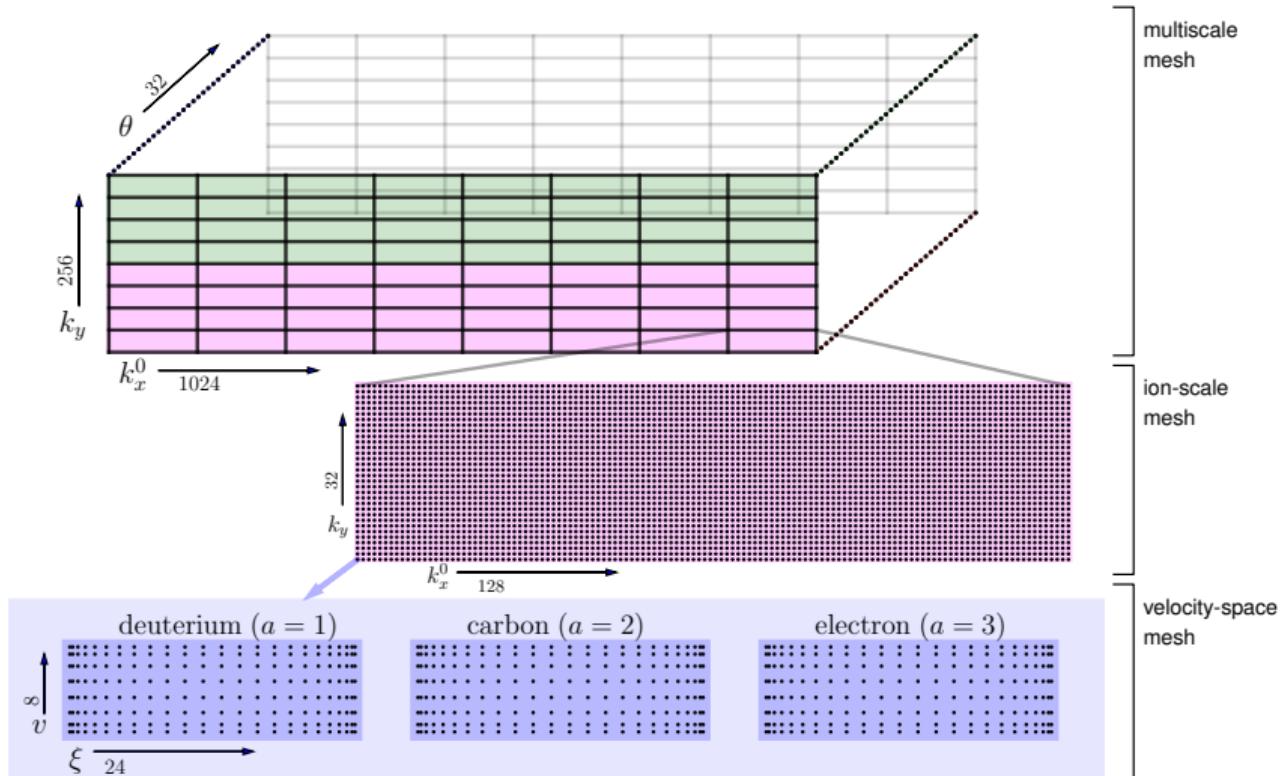
θ → field-line coordinate

The **velocity-space** coordinates are

$\xi = v_{\parallel}/v$ → cosine of the pitch angle $\in [-1, 1]$

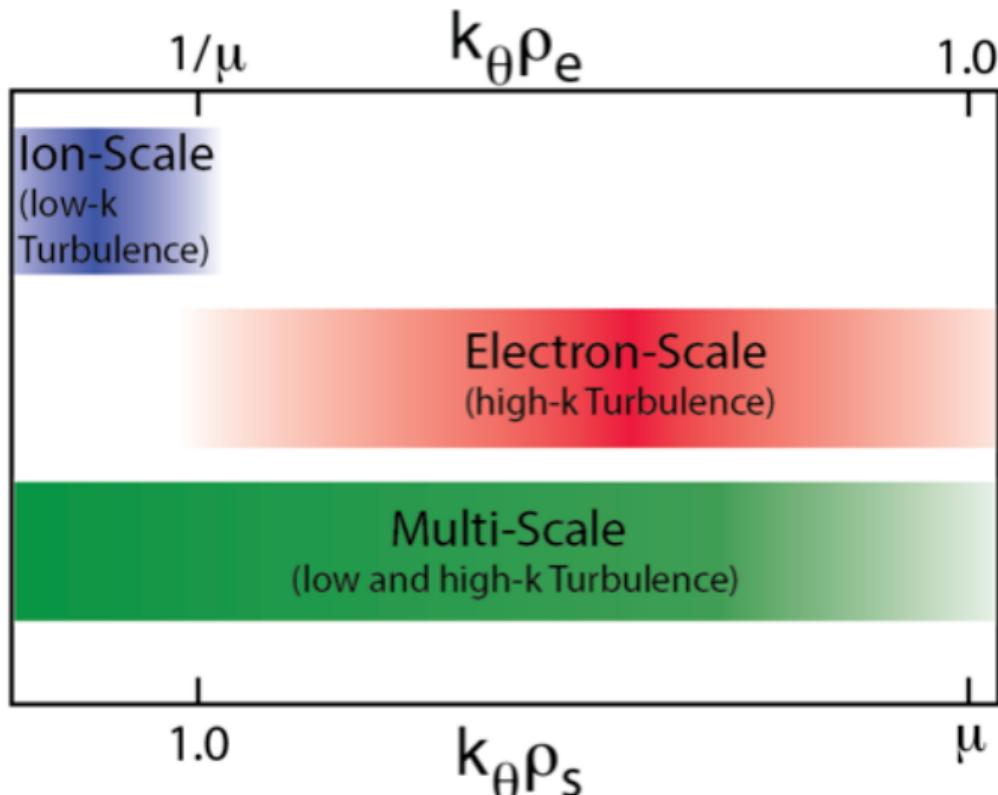
v → speed $\in [0, \infty]$.

Visual representation of computational mesh



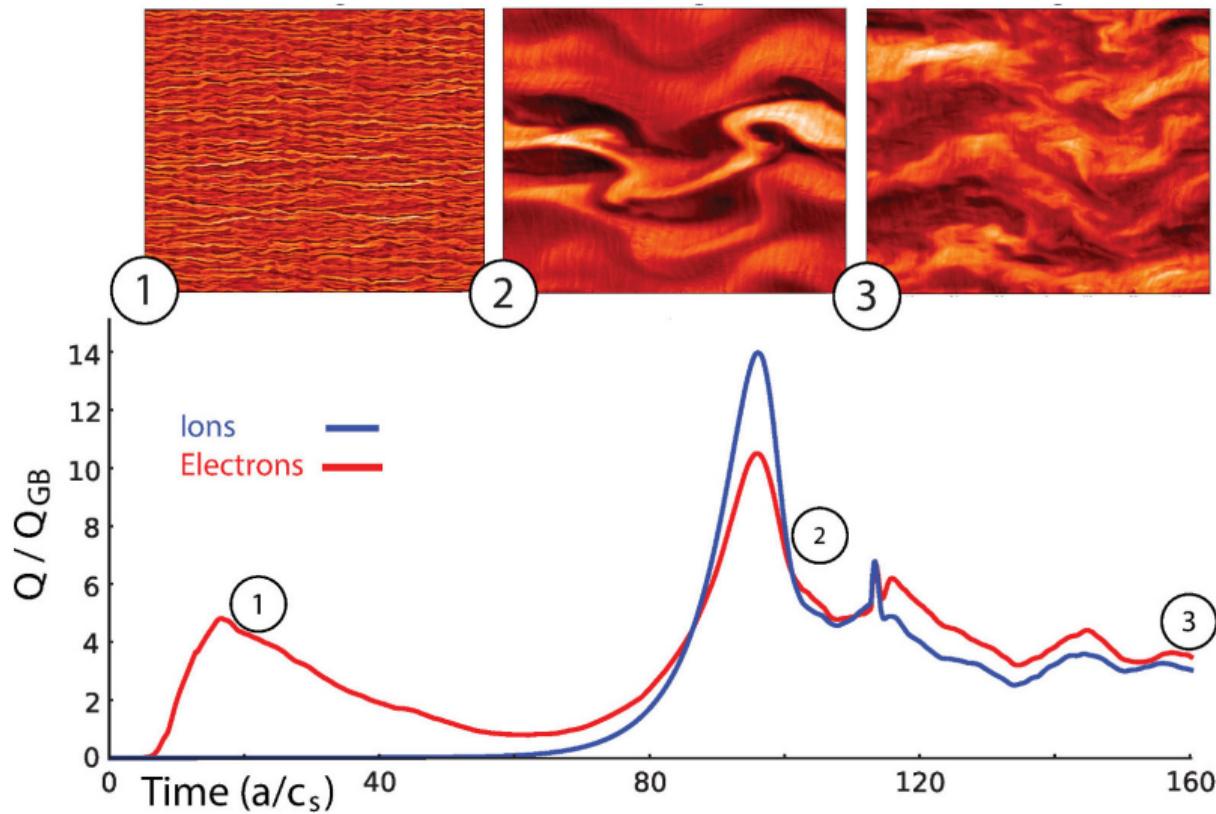
CGYRO optimized for challenging multiscale turbulence

COMPLETE REDESIGN of world-renowned GYRO code



Simulation underway on Titan (NCCS)

4986 nodes = 4986 Tesla K20X GPUs



Recent aggressive GPU optimization

Significant progress at Boulder Hackathon (Summer 2018)

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 - ② Large nested loops remain after MPI distribution

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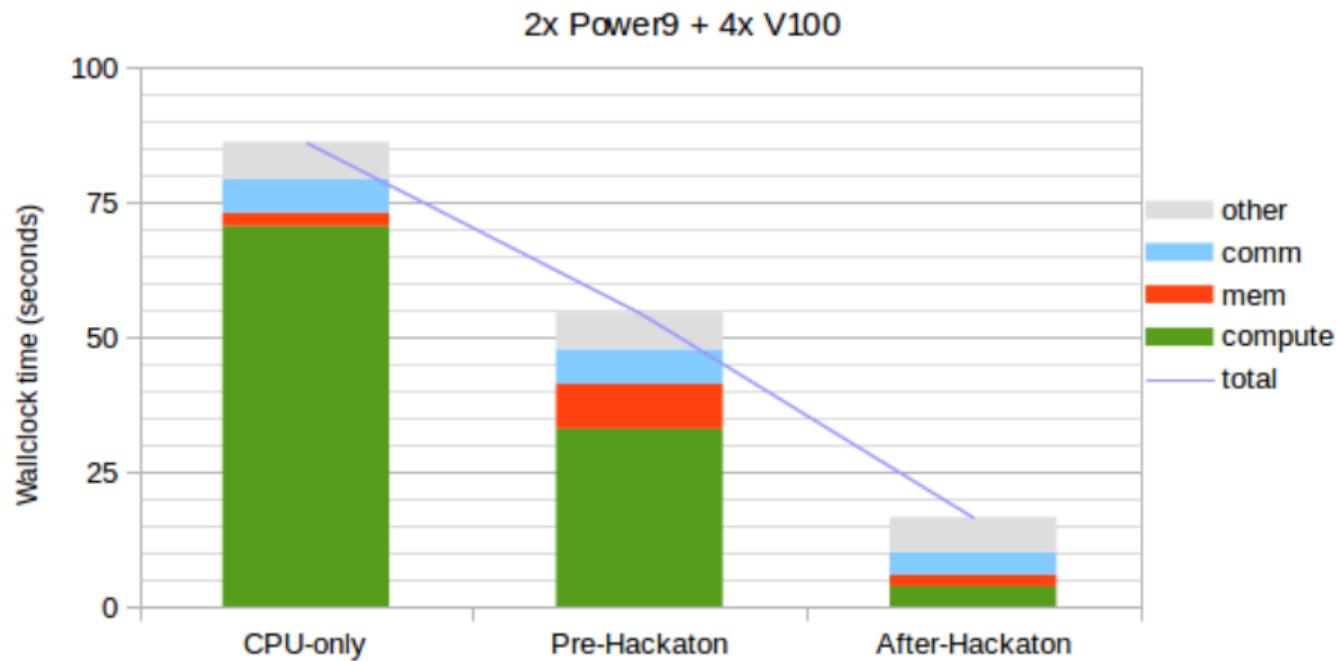
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 - ① Huge nonlinear convolution (Poisson bracket) via FFT
 - ② Large nested loops remain after MPI distribution
- Took **full advantage** of GPUs with minimal changes to code logic
 - ① Existing FFTW code was ported directly to **cuFFT**
 - ② Nested loops accelerated by **OpenACC** without restructuring or invasive changes
 - ③ Implemented **GPU-aware MPI** (utilizes GPUDirect and GPU-Infiniband RDMA)

CGYRO kernels

Kernel	Data dependence	Dominant operation	GPU approach
str	$k_x, \theta, [k_y]_2, [\xi, v, a]_1$	loop	OpenACC
field	Same as str	loop	OpenACC
coll	$[k_x, \theta]_1, [k_y]_2, \xi, v, a$	mat-vec multiply	OpenACC
nl	$k_x, k_y, [\theta, [\xi, v, a]_1]_2$	FFT	cuFFT

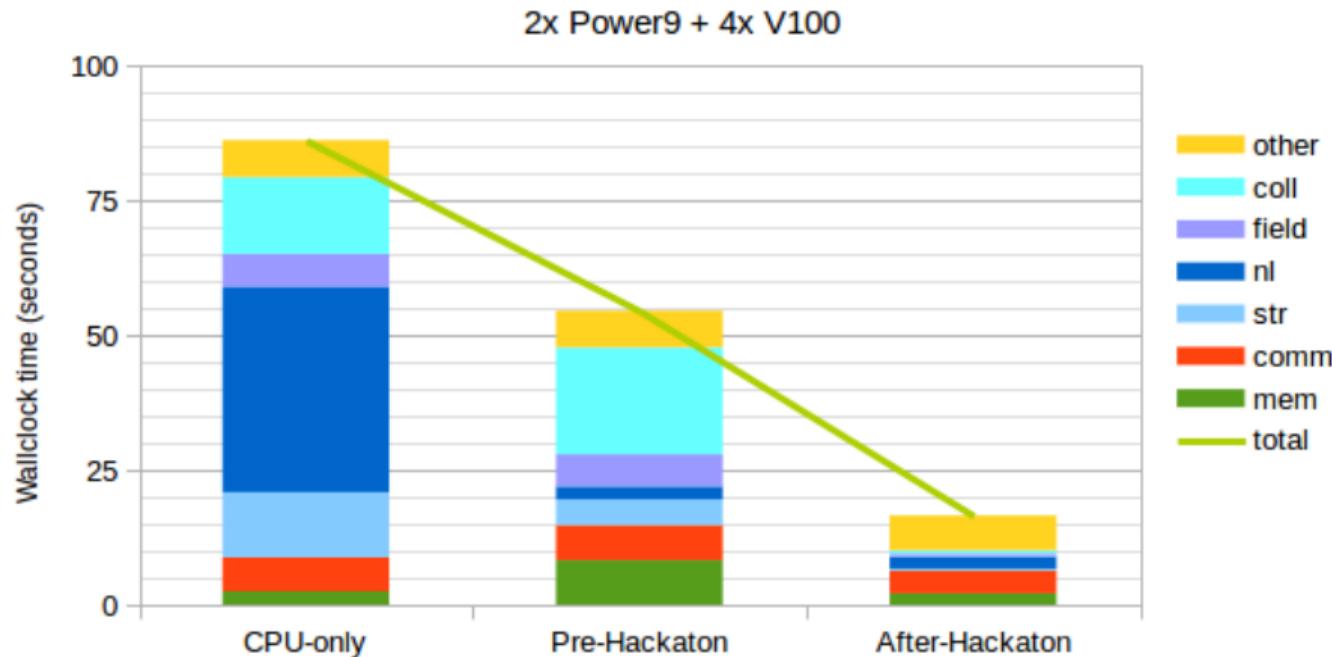
Scaling: CGYRO n101

V100-GPU Performance improvement over time



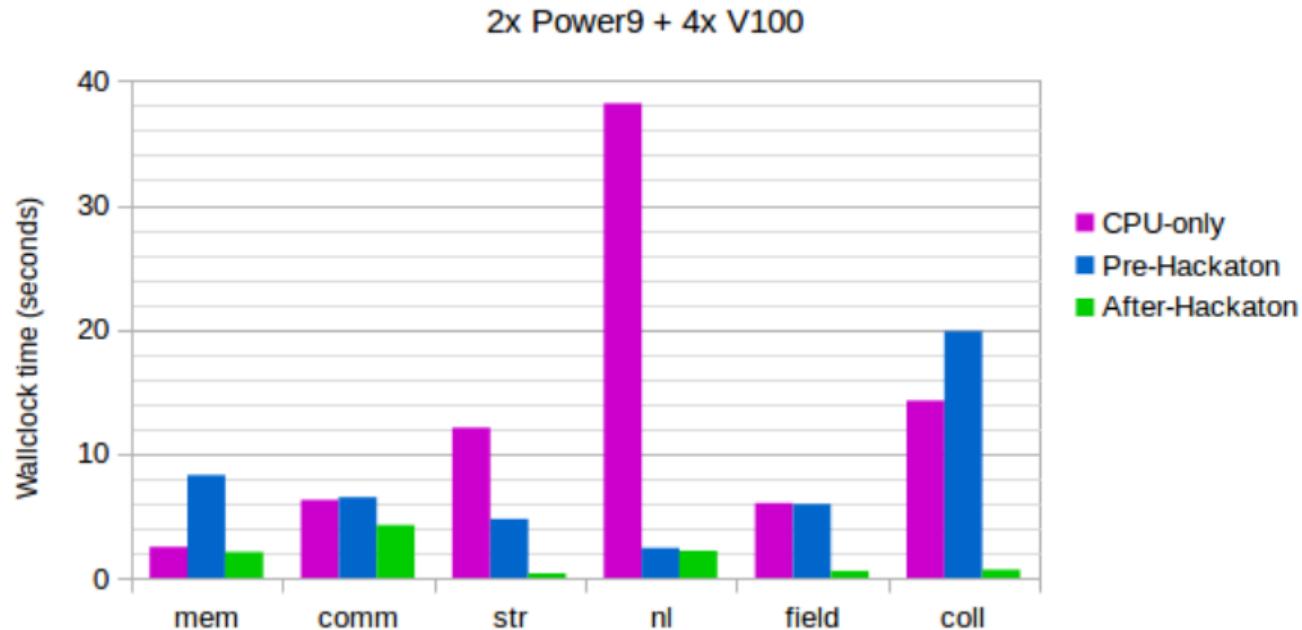
Scaling: CGYRO n101 (individual kernels)

V100-GPU Performance improvement over time



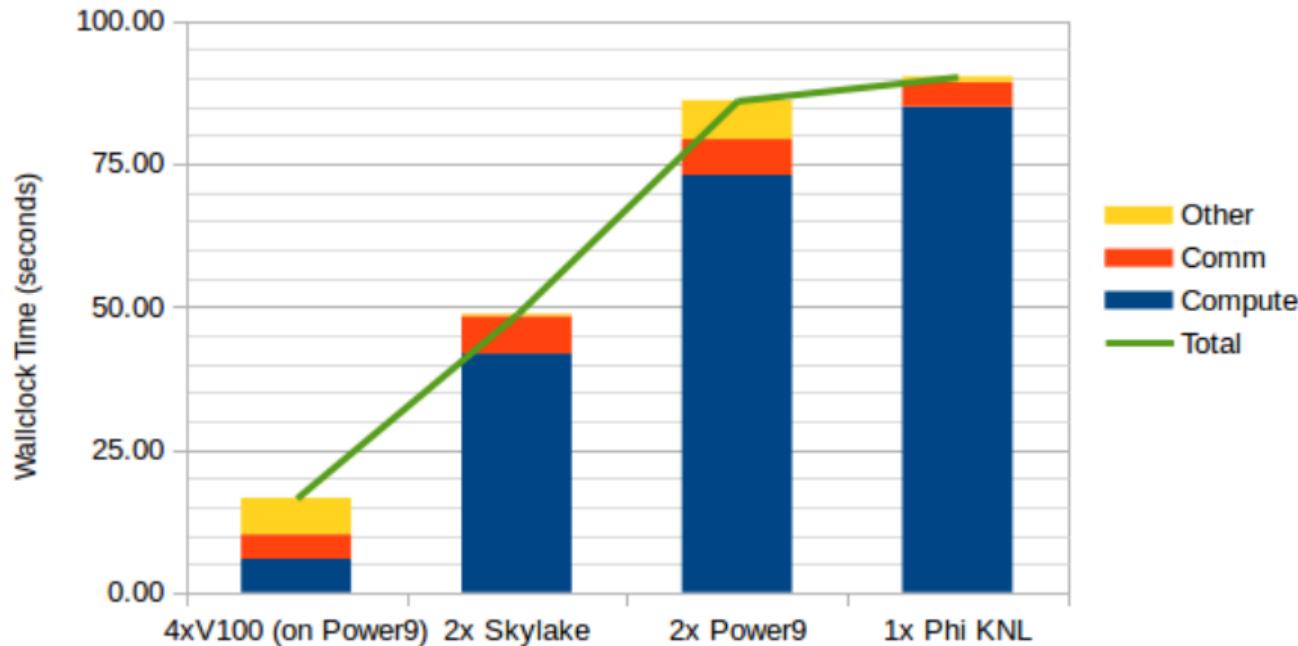
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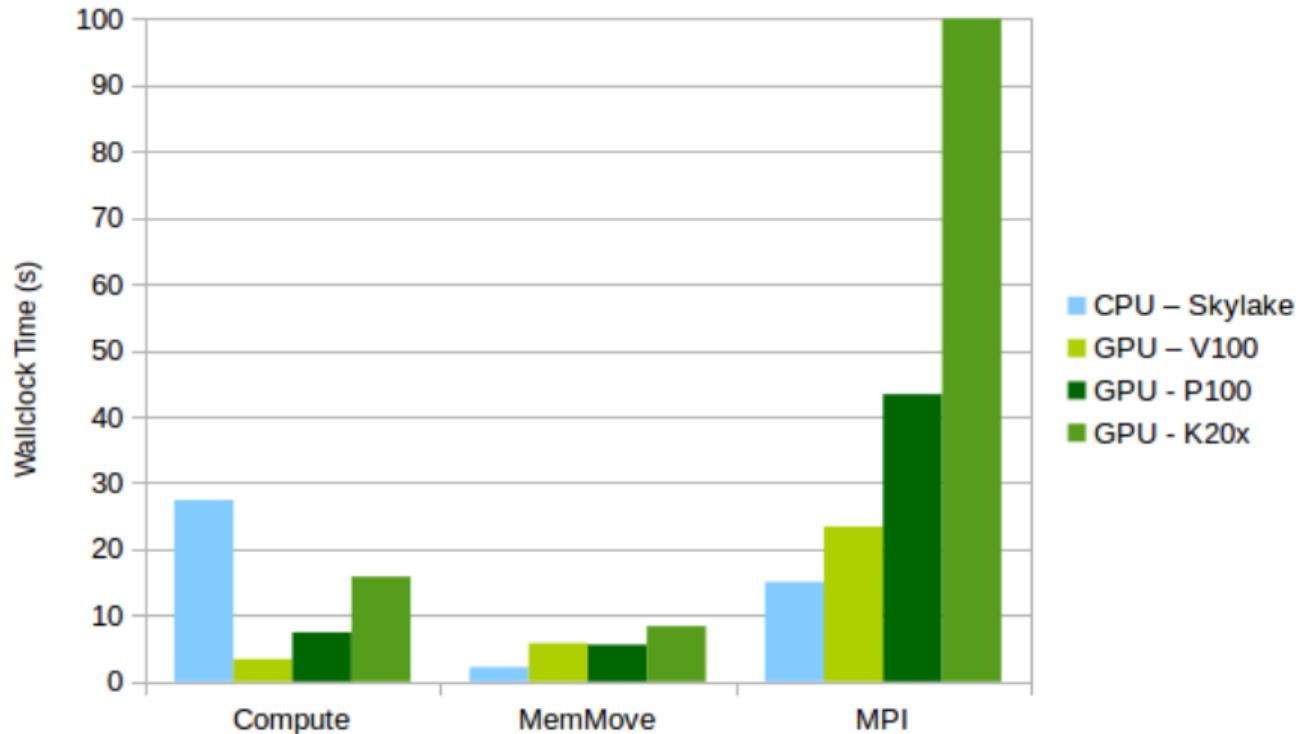
Scaling: CGYRO n101

GPU versus Skylake and KNL



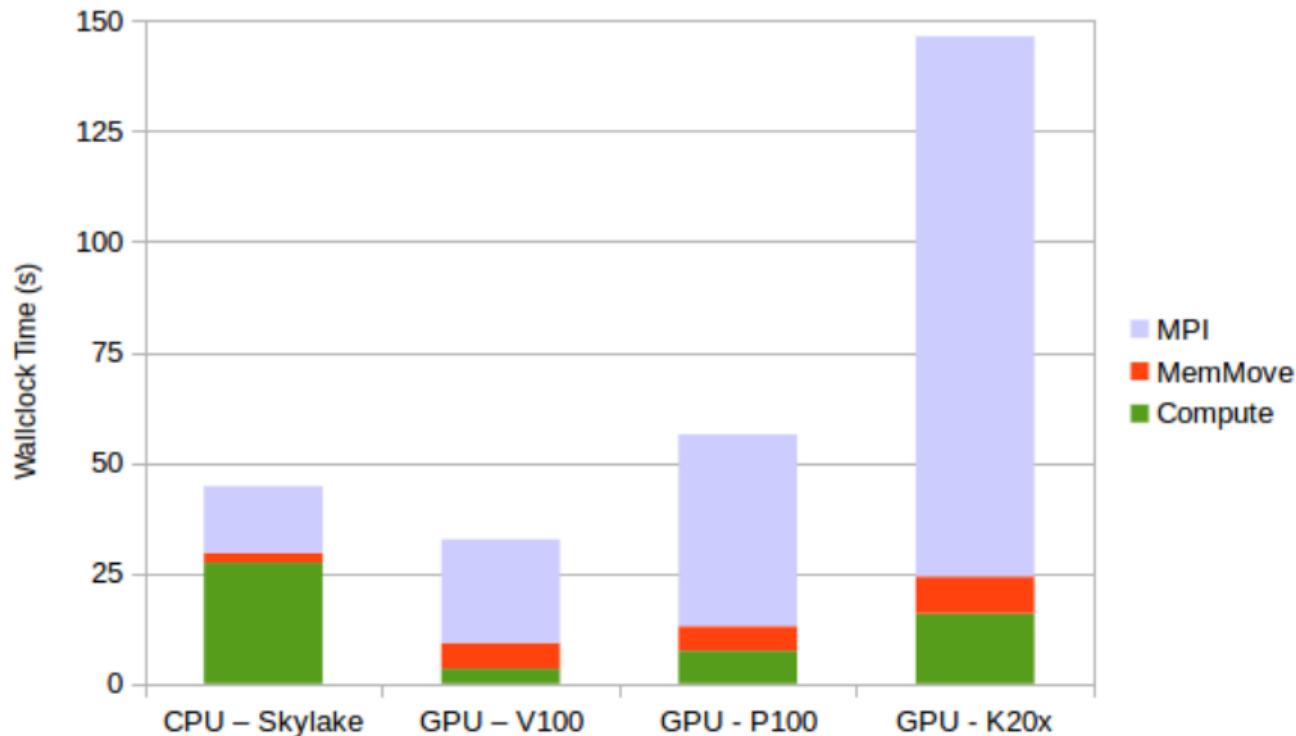
Scaling: CGYRO n103 – much larger case

Skylake versus 3 different GPUs



Scaling: CGYRO n103 – much larger case

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