Inverse Adding-Doubling

(Version 3-12-0)

Sec	tion	Page
Main Program	. 1	1
IAD Types	31	24
IAD Public		28
Inverse RT		29
Validation		30
Searching Method	53	33
EZ Inverse RT		37
IAD Input Output	88	47
Reading the file header		47
Reading just one line of a data file		49
~ *	103	51
<u> </u>	111	55
	113	57
Gain	114	58
Grid Routines	125	61
Calculating R and T	165	75
IAD Find	204	87
Fixed Anisotropy	206	88
Fixed Absorption and Anisotropy	215	91
Fixed Absorption and Scattering	217	92
Fixed Optical Depth and Anisotropy	219	93
	221	94
	223	95
Fixed Optical Depth	226	96
Fixed Albedo	231	99
Fixed Scattering	237	101
Fixed Absorption	242	102
IAD Utilities	247	104
Finding optical thickness	249	105
Estimating R and T	255	108
Transforming properties	260	109
	281	114
Some debugging stuff	298	118
Index	307	121

Copyright © 2020 Scott Prahl

Permission is granted to make and distribute verbatim copies of this document provided that the copyright notice and this permission notice are preserved on all copies.

Permission is granted to copy and distribute modified versions of this document under the conditions for verbatim copying, provided that the entire resulting derived work is given a different name and distributed under the terms of a permission notice identical to this one.

 $\S1$ IAD (v 3-12-0) MAIN PROGRAM 1

1. Main Program.

Here is a relatively robust command line utility that shows how the iad and ad subroutines might be called. It suffers because it is written in CWEB and I used the macro expansion feature instead of creating separate functions. Oh well.

I create an empty file iad_main.h to simplify the Makefile \langle iad_main.h $\rangle \equiv$

2. All the actual output for this web file goes into iad_main.c

```
\langle iad_main.c \rangle \equiv
  function 27\langle seconds elapsed function 28\langle print error legend function 26\langle print dot
                 function 30 \rangle calculate coefficients function 22 \rangle parse string into array function 29 \rangle print
                 results header function 24 \langle Print results function 25 \rangle int main(int argc, char **argv) {
                 \langle \text{ Declare variables for } main \ 4 \rangle \langle \text{ Handle options } 5 \rangle Initialize\_Measure(\&m);
            \langle Command-line changes to m 18\rangle Initialize_Result(m,\&r); \langle Command-line changes to r 13\rangle
            if (cl\_forward\_calc \neq UNINITIALIZED) {
               ⟨ Calculate and Print the Forward Calculation 6⟩ return 0;
            \langle prepare file for reading 10 \rangle
            if (process_command_line) {
               (Count command-line measurements 19) (Calculate and write optical properties 11) return 0;
            if (Read\_Header(stdin, \&m, \&params) \equiv 0) {
               start\_time = clock();
               while (Read\_Data\_Line(stdin, \&m, params) \equiv 0)
               \{\langle \text{Command-line changes to } m \mid 18 \rangle \langle \text{Calculate and write optical properties } 11 \rangle \}
            if (cl\_verbosity > 0) fprintf(stderr, "\n\");
            if (any\_error \land cl\_verbosity > 1) print\_error\_legend();
            return 0; }
```

 $2 \qquad \text{MAIN PROGRAM} \qquad \qquad \text{IAD (v 3-12-0)} \qquad \S 3$

The first two defines are to stop Visual C++ from silly complaints \langle Include files for $main 3 \rangle \equiv$ #define _CRT_SECURE_NO_WARNINGS #define _CRT_NONSTDC_NO_WARNINGS #define NO_SLIDES 0#define ONE_SLIDE_ON_TOP 1 #define TWO_IDENTICAL_SLIDES 2 #define ONE_SLIDE_ON_BOTTOM 3 #define ONE_SLIDE_NEAR_SPHERE 4 #define ONE_SLIDE_NOT_NEAR_SPHERE 5#define MR_IS_ONLY_RD 1 #define MT_IS_ONLY_TD 2 #define NO_UNSCATTERED_LIGHT 3#include <stdio.h> #include <string.h> #include <stdlib.h> #include <time.h> #include <math.h> #include <ctype.h> #include "ad_globl.h" #include "ad_prime.h" #include "iad_type.h" #include "iad_pub.h" #include "iad_io.h" #include "iad_calc.h" #include "iad_util.h" #include "mygetopt.h" #include "version.h" #include "mc_lost.h" #include "ad_frsnl.h" extern char *optarg;

extern int optind;
This code is used in section 2.

```
4. \langle Declare variables for main \langle \rangle \equiv
        struct measure_type m;
        struct invert_type r;
        char *g\_out\_name = \Lambda;
        char c;
        long n_{-}photons = 100000;
        int MC_{-}iterations = 19;
        int any\_error = 0;
        int process\_command\_line = 0;
        int params = 0;
        int cl_quadrature_points = UNINITIALIZED;
        int cl\_verbosity = 2;
        double cl\_forward\_calc = UNINITIALIZED;
        double cl\_default\_a = UNINITIALIZED;
        double cl\_default\_g = \texttt{UNINITIALIZED};
        double cl\_default\_b = \texttt{UNINITIALIZED};
        double cl\_default\_mua = \texttt{UNINITIALIZED};
        double cl\_default\_mus = \texttt{UNINITIALIZED};
        double cl_tolerance = UNINITIALIZED;
        double cl\_slide\_OD = \texttt{UNINITIALIZED};
        double cl_{-}cos_{-}angle = UNINITIALIZED;
        double cl\_beam\_d = \texttt{UNINITIALIZED};
        double cl\_sample\_d = UNINITIALIZED;
        double cl\_sample\_n = \texttt{UNINITIALIZED};
        double cl\_slide\_d = \texttt{UNINITIALIZED};
        double cl\_slide\_n = \texttt{UNINITIALIZED};
        double cl\_slides = \texttt{UNINITIALIZED};
        double cl\_default\_fr = \texttt{UNINITIALIZED};
        double cl_rstd_t = UNINITIALIZED;
        double cl_rstd_r = UNINITIALIZED;
        double cl_{-}rc_{-}fraction = UNINITIALIZED;
        double cl_{-}tc_{-}fraction = UNINITIALIZED;
        double cl\_search = UNINITIALIZED;
        double cl\_mus\theta = \texttt{UNINITIALIZED};
        double cl\_musp\theta = \texttt{UNINITIALIZED};
        double cl\_mus\theta\_pwr = \texttt{UNINITIALIZED};
        double cl\_mus\theta\_lambda = UNINITIALIZED;
        double cl_{-}UR1 = UNINITIALIZED;
        double cl_{-}UT1 = UNINITIALIZED;
        double cl_{-}Tc = \texttt{UNINITIALIZED};
        double cl\_method = \texttt{UNINITIALIZED};
        double cl\_num\_spheres = UNINITIALIZED;
        \mathbf{double} \ \ \mathit{cl\_sphere\_one} [5] = \{ \mathtt{UNINITIALIZED}, \mathtt{UNINI
                          UNINITIALIZED \;
        \mathbf{double} \ \ \mathit{cl\_sphere\_two} [5] = \{ \mathtt{UNINITIALIZED}, \mathtt{UNINI
                          UNINITIALIZED };
        clock_t start_time = clock();
        char command_line_options[] = "?1:2:a:A:b:B:c:C:d:D:e:E:f:F:g:G:hi:n:N:M:o:p:q:r:R:s:S:t:T\
                           :u:vV:x:Xz";
```

This code is used in section 2.

4 MAIN PROGRAM IAD (v 3-12-0) $\S5$

```
use the my\_getopt() to process options.
\langle Handle options 5\rangle \equiv
  while ((c = my\_getopt(argc, argv, command\_line\_options)) \neq EOF) {
     int n;
     char cc;
     \mathbf{switch}(c) {
     case '1': parse_string_into_array(optarg, cl_sphere_one, 5);
     case '2': parse_string_into_array(optarg, cl_sphere_two, 5);
        break;
     case 'a': cl\_default\_a = strtod(optarg, \Lambda);
        break:
     case 'A': cl\_default\_mua = strtod(optarg, \Lambda);
        break:
     case 'b': cl\_default\_b = strtod(optarg, \Lambda);
        break;
     case 'B': cl\_beam\_d = strtod(optarg, \Lambda);
        break;
     case 'c': cl\_rc\_fraction = strtod(optarg, \Lambda);
       if (cl\_rc\_fraction < 0.0 \lor cl\_rc\_fraction > 1.0) {
          fprintf(stderr, "required: \ 0 < \ fraction \ of \ unscattered \ refl. \ in \ R < \ 1 \ "");
           exit(0);
        break;
     case 'C': cl\_tc\_fraction = strtod(optarg, \Lambda);
        if (cl\_tc\_fraction < 0.0 \lor cl\_tc\_fraction > 1.0) {
          fprintf(stderr, "required: \_0\_<=\_fraction\_of\_unscattered\_trans.\_in\_M_T_<=\_1\n");
           exit(0);
        break;
     case 'd': cl\_sample\_d = strtod(optarg, \Lambda);
     case 'D': cl\_slide\_d = strtod(optarg, \Lambda);
        break;
     case 'e': cl\_tolerance = strtod(optarg, \Lambda);
        break:
     case 'E': cl\_slide\_OD = strtod(optarg, \Lambda);
        break;
     case 'f': cl\_default\_fr = strtod(optarg, \Lambda);
        break;
     case 'F':
                       /* initial digit means this is mus is constant */
       if (isdigit(optarg[0])) {
           cl\_default\_mus = strtod(optarq, \Lambda);
               /* should be a string like 'R 1000 1.2 -1.8' */
        n = sscanf(optarg, "%c \%lf \%lf \%lf \, &cc, &cl_mus O_lambda, &cl_mus O_pwr);
        if (n \neq 4 \lor (cc \neq P' \land cc \neq R')) {
          fprintf(stderr, "Screwy_largument_lfor_l-F_loption._{ll}Try_lsomething_like\n");
          fprintf(stderr, "_{\sqcup} - F_{\sqcup}1.0_{\sqcup \sqcup \sqcup} for_{\sqcup}mus_{\sqcup} = 1.0 \n");
          fprintf(stderr, "_{\Box}-F_{\Box}, P_{\Box}500_{\Box}1.0_{\Box}-1.3, T_{\Box}for_{\Box}mus_{\Box}=1.0*(lambda/500), (-1.3),");
          fprintf(stderr, "_{\sqcup} - F_{\sqcup} 'R_{\sqcup} 500_{\sqcup} 1.0_{\sqcup} - 1.3 '_{\sqcup} for_{\sqcup} mus' = 1.0 * (lambda/500) ^(-1.3) \\ \n");
           exit(1);
```

```
if (cc \equiv R' \lor cc \equiv r') {
     cl\_musp\theta = cl\_mus\theta;
      cl\_mus\theta = \mathtt{UNINITIALIZED};
  break:
case 'g': cl\_default\_g = strtod(optarg, \Lambda);
  break;
case 'G':
  if (optarg[0] \equiv 0,0) cl\_slides = NO\_SLIDES;
  else if (optarg[0] \equiv '2') cl\_slides = TWO\_IDENTICAL\_SLIDES;
  else if (optarg[0] \equiv 't' \lor optarg[0] \equiv 'T') cl\_slides = ONE\_SLIDE\_ON\_TOP;
  else if (optarg[0] \equiv b' \lor optarg[0] \equiv B') cl\_slides = ONE\_SLIDE\_ON\_BOTTOM;
  else if (optarg[0] \equiv 'n' \lor optarg[0] \equiv 'N') cl\_slides = ONE\_SLIDE\_NEAR\_SPHERE;
  else if (optarg[0] \equiv 'f' \lor optarg[0] \equiv 'F') cl\_slides = ONE\_SLIDE\_NOT\_NEAR\_SPHERE;
  else {
     fprintf(stderr, "Argument_{\square}for_{\square}-G_{\square}option_{\square}must_{\square}be_{\square}\n");
     fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup \sqcup} 't'_{\sqcup} ---_{\sqcup} light_{\sqcup} always_{\sqcup} hits_{\sqcup} top_{\sqcup} slide_{\sqcup} first_{n}");
     fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup} 'b'_{\sqcup} ---_{\sqcup} light_{\sqcup} always_{\sqcup} hits_{\sqcup} bottom_{\sqcup} slide_{\sqcup} first_{n}");
     fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup}, n, '_{\sqcup}---_{\sqcup}slide_{\sqcup}always_{\sqcup}closest_{\sqcup}to_{\sqcup}sphere n");
     fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup} 'f'_{\sqcup} ---_{\sqcup} slide_{\sqcup} always_{\sqcup} farthest_{\sqcup} from_{\sqcup} sphere \n");
      exit(1);
  break;
case 'i': cl\_cos\_angle = strtod(optarg, \Lambda);
  if (cl\_cos\_angle < 0 \lor cl\_cos\_angle > 90)
      fprintf(stderr, "Incident_angle_must_be_between_0_and_90_degrees\n");
  else cl\_cos\_angle = cos(cl\_cos\_angle * 3.1415926535/180.0);
  break:
case 'M': MC\_iterations = (int) strtod(optarg, \Lambda);
  break;
case 'n': cl\_sample\_n = strtod(optarg, \Lambda);
  break:
case 'N': cl\_slide\_n = strtod(optarg, \Lambda);
  break;
case 'o': g\_out\_name = strdup(optarg);
  break:
case 'p': n_{-}photons = (int) strtod(optarg, \Lambda);
case 'g': cl\_quadrature\_points = (int) strtod(optarq, \Lambda);
  if (cl\_quadrature\_points \% 4 \neq 0) {
     fprintf(stderr, "Number_lof_lquadrature_points_must_lbe_la_multiple_lof_l4\n");
      exit(1);
  if ((cl\_cos\_angle \neq \mathtt{UNINITIALIZED}) \land (cl\_quadrature\_points \% 12 \neq 0)) {
     \textit{fprintf} \, (\textit{stderr}, \verb"Quadrature\_must\_be\_12, \verb\_24, \verb\_36, \dots \verb\_for\_oblique\_incidence\n");
      exit(1);
  break:
case 'r': cl_{-}UR1 = strtod(optarg, \Lambda);
  process\_command\_line = 1;
  break:
```

6 MAIN PROGRAM IAD (v 3-12-0) $\S5$

```
case 'R': cl_rstd_r = strtod(optarg, \Lambda);
       break;
     case 's': cl\_search = (\mathbf{int}) strtod(optarg, \Lambda);
       break:
     case 'S': cl\_num\_spheres = (int) strtod(optarg, \Lambda);
       break:
     case 't': cl_{-}UT1 = strtod(optarg, \Lambda);
       process\_command\_line = 1;
       break:
     case 'T': cl_rstd_t = strtod(optarg, \Lambda);
       break;
     case 'u': cl_{-}Tc = strtod(optarg, \Lambda);
       process\_command\_line = 1;
       break:
     case 'v': print_version();
       break;
     case 'V': cl\_verbosity = strtod(optarq, \Lambda);
       break:
     case 'x': Set\_Debugging((int) strtod(optarg, \Lambda));
       break;
     case 'X': cl\_method = \texttt{COMPARISON};
       break:
     case 'z': cl\_forward\_calc = 1;
       process\_command\_line = 1;
       break;
     default: fprintf(stderr, "unknown_option_',%c'\n", c);
                                                                      /* fall through */
     case 'h': case '?': print_usage();
       break:
  argc -= optind;
  argv += optind;
This code is used in section 2.
```

6. We are doing a forward calculation. We still need to set the albedo and optical depth appropriately. Obviously when the -a switch is used then the albedo should be fixed as a constant equal to *cl_default_a*. The other cases are less clear. If scattering and absorption are both specified, then calculate the albedo using these values. If the scattering is not specified, then we assume that the sample is an unscattering sample and therefore the albedo is zero. On the other hand, if the scattering is specified and the absorption is not, then the albedo is set to one.

```
 \begin{split} &\langle \text{Calculate and Print the Forward Calculation } 6 \rangle \equiv \\ & \text{if } (\mathit{cl\_default\_a} \equiv \texttt{UNINITIALIZED}) \ \{ \\ & \text{if } (\mathit{cl\_default\_mus} \equiv \texttt{UNINITIALIZED}) \ \mathit{r.a} = 0; \\ & \text{else if } (\mathit{cl\_default\_mua} \equiv \texttt{UNINITIALIZED}) \ \mathit{r.a} = 1; \\ & \text{else } \mathit{r.a} = \mathit{cl\_default\_mus}/(\mathit{cl\_default\_mua} + \mathit{cl\_default\_mus}); \\ & \} \\ & \text{else } \mathit{r.a} = \mathit{cl\_default\_a}; \\ & \text{See also sections } 7, 8, \text{ and } 9. \\ & \text{This code is used in section } 2. \end{split}
```

IAD (v 3-12-0) MAIN PROGRAM

7

7. This is slightly more tricky because there are four things that can affect the optical thickness — $cl_default_b$, the default mua, default mus and the thickness. If the sample thickness is unspecified, then the only reasonable thing to do is to assume that the sample is very thick. Otherwise, we use the sample thickness to calculate the optical thickness.

```
\langle Calculate and Print the Forward Calculation _{6}\rangle +\equiv
  if (cl\_default\_b \equiv \mathtt{UNINITIALIZED}) {
     if (cl\_sample\_d \equiv \mathtt{UNINITIALIZED}) r.b = \mathtt{HUGE\_VAL};
     else if (r.a \equiv 0) {
        if (cl\_default\_mua \equiv \mathtt{UNINITIALIZED}) r.b = \mathtt{HUGE\_VAL};
        else r.b = cl\_default\_mua * cl\_sample\_d;
     else {
        if (cl\_default\_mus \equiv \texttt{UNINITIALIZED}) r.b = \texttt{HUGE\_VAL};
        else r.b = cl\_default\_mus/r.a * cl\_sample\_d;
     }
  }
  else r.b = cl_{-}default_{-}b;
8. The easiest case, use the default value or set it to zero
\langle Calculate and Print the Forward Calculation _{6}\rangle +\equiv
  if (cl\_default\_g \equiv \texttt{UNINITIALIZED}) \ r.g = 0;
  else r.g = cl\_default\_g;
9. \langle Calculate and Print the Forward Calculation _{6}\rangle +\equiv
  r.slab.a = r.a;
  r.slab.b = r.b;
  r.slab.g = r.g;
  {
     double mu\_sp, mu\_a, m\_r, m\_t;
     Calculate\_MR\_MT(m, r, MC\_iterations, \&m\_r, \&m\_t);
     Calculate\_Mua\_Musp(m, r, \&mu\_sp, \&mu\_a);
     if (cl\_verbosity > 0) {
        Write\_Header(m, r, -1);
        print\_results\_header(stdout);
     print\_optical\_property\_result(stdout, m, r, m\_r, m\_t, mu\_a, mu\_sp, 0, 0);
```

§7

8 Main Program IAD (v 3-12-0) §10

10. Make sure that the file is not named '-' and warn about too many files $\langle \text{ prepare file for reading } 10 \rangle \equiv$ if (argc > 1) { $fprintf(stderr, "Only_a_single_file_can_be_processed_at_a_time\n");$ fprintf(stderr, "tryu'applyuiadufile1ufile2u...ufileN'\n"); exit(1); if $(argc \equiv 1 \land strcmp(argv[0], "-") \neq 0)$ { /* filename exists and != "-" */ int n; **char** *base_name, *rt_name; $base_name = strdup(argv[0]);$ $n = (\mathbf{int})(strlen(base_name) - strlen(".rxt"));$ $\textbf{if } (n>0 \land strstr(base_name+n, ".rxt") \neq \Lambda) \ base_name[n] = \verb|````| ``, ".rxt" | if (n>0 \land strstr(base_name+n, ".rxt") |$ rt_name = strdup_together(base_name, ".rxt"); if $(freopen(argv[0], "r", stdin) \equiv \Lambda \land freopen(rt_name, "r", stdin) \equiv \Lambda)$ { $fprintf(stderr, "Could_not_open_either_', %s'_or_', %s', n", argv[0], rt_name);$ exit(1);if $(g_out_name \equiv \Lambda)$ $g_out_name = strdup_together(base_name, ".txt");$ $free(rt_name);$ $free(base_name);$ $process_command_line = 0;$ if $(g_out_name \neq \Lambda)$ { if $(freopen(g_out_name, "w", stdout) \equiv \Lambda)$ { $fprintf(stderr, "Could_not_open_file_', s'_lfor_output\n", g_out_name);$ } This code is used in section 2.

 $\S11$ IAD (v 3-12-0) MAIN PROGRAM 9

11. Need to explicitly reset r.search each time through the loop, because it will get altered by the calculation process. We want to be able to let different lines have different constraints. In particular consider the file newton.tst. In that file the first two rows contain three real measurements and the last two have the collimated transmission explicitly set to zero — in other words there are really only two measurements.

```
\langle Calculate and write optical properties |11\rangle \equiv
  \{ \langle \text{Local Variables for Calculation } 12 \rangle \}
  Initialize\_Result(m, \&r);
  \langle Command-line changes to r 13\rangle
  if (cl\_method \equiv \texttt{COMPARISON} \land m.d\_sphere\_r \neq 0 \land m.as\_r \equiv 0) {
     fprintf(stderr, "A_{\sqcup}dual-beam_{\sqcup}measurement_{\sqcup}is_{\sqcup}specified,_{\sqcup}but_{\sqcup}no_{\sqcup}port_{\sqcup}sizes.\n");
     fprintf(stderr, "You\_might\_forsake\_the\_-X\_option\_and\_use\_zero\_spheres\_(which\_gives\n");
     fprintf(stderr, "the_lsame_result_lexcept_lost_light_lis_lnot_ltaken_linto_laccount).\n");
     fprintf(stderr, "Alternatively, \_bite_\bot the_\bot bullet_\_and_\_enter_\bot your_\bot sphere_\bot parameters, \n");
     fprintf(stderr, "with_{\sqcup}the_{\sqcup}knowledge_{\sqcup}that_{\sqcup}only_{\sqcup}the_{\sqcup}beam_{\sqcup}diameter_{\sqcup}and_{\sqcup}sample_{\sqcup}port\n");
     fprintf(stderr, "diameter_are_worth_obsessing_over.\n");
     exit(0);
   Write Header 14
  Inverse\_RT(m, \&r); if (r.error \equiv IAD\_NO\_ERROR)
     calculate\_coefficients(m, r, \&LR, \&LT, \&mu\_sp, \&mu\_a);
     ⟨Improve result using Monte Carlo 15⟩
  print_optical_property_result(stdout, m, r, LR, LT, mu_a, mu_sp, mc_iter, rt_total);
  if (Debug(DEBUG_LOST_LIGHT)) fprintf(stderr, "\n");
  else print_dot (start_time, r . error , mc_total, rt_total, 99, cl_verbosity, & any_error ); }
This code is used in section 2.
12.
\langle \text{Local Variables for Calculation } 12 \rangle \equiv
  static int rt_{-}total = 0;
  static int mc\_total = 0;
  int mc\_iter = 0;
  double ur1 = 0;
  double ut1 = 0:
  double uru = 0;
  double utu = 0;
  double mu_{-}a = 0;
  double mu\_sp = 0;
  double LR = 0;
  double LT = 0;
  rt_{-}total ++;
This code is used in section 11.
```

10 Main program iad (v 3-12-0) §13

```
\langle Command-line changes to r 13\rangle \equiv
     if (cl\_quadrature\_points \neq UNINITIALIZED) r.method.quad\_pts = cl\_quadrature\_points;
     else r.method.quad.pts = 8;
     if (cl\_default\_a \neq UNINITIALIZED) r.default\_a = cl\_default\_a;
     if (cl\_default\_mua \neq \texttt{UNINITIALIZED}) {
           r.default\_mua = cl\_default\_mua;
          if (cl\_sample\_d \neq UNINITIALIZED) r.default\_ba = cl\_default\_mua * cl\_sample\_d;
           else r.default_ba = cl_default_mua * m.slab_thickness;
     if (cl\_default\_b \neq UNINITIALIZED) r.default\_b = cl\_default\_b;
     if (cl\_default\_g \neq UNINITIALIZED) r.default\_g = cl\_default\_g;
     if (cl\_tolerance \neq \texttt{UNINITIALIZED}) {
           r.tolerance = cl\_tolerance;
           r.MC\_tolerance = cl\_tolerance;
     if (cl\_musp\theta \neq UNINITIALIZED)
           cl\_mus0 = (r.default\_g \neq UNINITIALIZED)? cl\_musp0/(1 - r.default\_g): cl\_musp0;
     if (cl\_mus0 \neq UNINITIALIZED \land m.lambda \neq 0)
           cl\_default\_mus = cl\_mus0 * pow(m.lambda/cl\_mus0\_lambda, cl\_mus0\_pwr);
     if (cl\_default\_mus \neq \texttt{UNINITIALIZED}) {
           r.default\_mus = cl\_default\_mus;
           if (cl\_sample\_d \neq UNINITIALIZED) r.default\_bs = cl\_default\_mus * cl\_sample\_d;
           else r.default\_bs = cl\_default\_mus * m.slab\_thickness;
     if (cl\_search \neq UNINITIALIZED) r.search = cl\_search;
This code is used in sections 2 and 11.
14. \langle Write Header _{14}\rangle \equiv
     if (rt\_total \equiv 1 \land cl\_verbosity > 0) {
            Write\_Header(m, r, params);
           if (MC\_iterations > 0) {
                if (n\_photons \ge 0)
                     fprintf(stdout, \verb|"#_{$\sqcup$} \verb| Photons_{$\sqcup$} \verb| used_{$\sqcup$} \verb| to_{$\sqcup$} estimate_{$\sqcup$} \verb| lost_{$\sqcup$} \verb| light_{$\sqcup$} =_{$\sqcup\sqcup\sqcup$} \verb|"| d \\ \verb|", n_-photons|;
                else fprintf(stdout, "#_\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline\underline
           else fprintf(stdout, "#_{\sqcup \sqcup}Photons_{\sqcup}used_{\sqcup}to_{\sqcup}estimate_{\sqcup}lost_{\sqcup}light_{\sqcup}=_{\sqcup \sqcup \sqcup}0\n");
           fprintf(stdout, "#\n");
           print_results_header(stdout);
This code is used in section 11.
```

 $\S15$ IAD (v 3-12-0) MAIN PROGRAM 11

15. Use Monte Carlo to figure out how much light leaks out. We use the sphere corrected values as the starting values and only do try Monte Carlo when spheres are used, the albedo unknown or non-zero, and there has been no error. The sphere parameters must be known because otherwise the beam size and the port size are unknown.

```
\langle \text{Improve result using Monte Carlo } 15 \rangle \equiv
       if (m.as\_r \neq 0 \land r.default\_a \neq 0 \land m.num\_spheres > 0) { double mu\_sp\_last = mu\_sp;
       double mu_{-}a_{-}last = mu_{-}a;
       if (Debug(DEBUG_LOST_LIGHT)) {
              print_results_header(stderr);
              print\_optical\_property\_result(stderr, m, r, LR, LT, mu\_a, mu\_sp, mc\_iter, rt\_total);
       \&m.ut1\_lost, \&m.uru\_lost, \&m.utu\_lost);
       mc\_total ++;
       mc\_iter ++;
       Inverse\_RT(m, \&r);
       calculate\_coefficients(m, r, \&LR, \&LT, \&mu\_sp, \&mu\_a);
        \text{if } (fabs(mu\_a\_last-mu\_a)/(mu\_a+0.0001) < r.MC\_tolerance \land fabs(mu\_sp\_last-mu\_sp)/(mu\_sp+0.0001) < r.MC\_tolerance \land fabs(mu\_sp-0.0001) < r.M
                            r.MC_tolerance) break;
       mu\_a\_last = mu\_a;
       mu\_sp\_last = mu\_sp;
       if (Debug(DEBUG_LOST_LIGHT))
              print_optical_property_result(stderr, m, r, LR, LT, mu_a, mu_sp, mc_iter, rt_total);
       error \neq IAD_NO_ERROR ) break; }
This code is used in section 11.
```

12 Main Program iad (v 3-12-0) §16

```
\langle \text{ Testing MC code } 16 \rangle \equiv
struct AD\_slab\_type s;
double ur1, ut1, uru, utu;
double adur1, adut1, aduru, adutu;
s.a = 0.0;
s.b = 0.5;
s.g = 0.0;
s.phase\_function = \texttt{HENYEY\_GREENSTEIN};
s.n_{-}slab = 1.0;
s.n\_top\_slide = 1.0;
s.n\_bottom\_slide = 1.0;
s.b\_top\_slide = 0;
s.b\_bottom\_slide = 0;
MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
fprintf (stderr, \verb"\na=\%5.4f_b=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f
                             s.n\_top\_slide);
fprintf(stderr, "
fprintf(stderr, " " u AD u u MC u u u u u u AD u u MC u u u u u u AD u u MC u Nr");
fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
fprintf(stderr, "\%5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}, aduru, uru, adutu, utu);
s.b = 100.0;
s.n_{-}slab = 1.5;
fprintf(stderr, \n=\%5.4f_b=\%5.4f_g=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%
                             s.n_{-}top_{-}slide);
MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
fprintf(stderr, "\%5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}", aduru, uru, adutu, utu);
s.n_{-}slab = 2.0;
fprintf(stderr, \n=\%5.4f_b=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%
                             s.n\_top\_slide);
MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
\mathit{fprintf}\,(\mathit{stderr}\,,\,\texttt{"\%5.4f}_{\texttt{\square}}\texttt{\%5.4f}_{\texttt{\square}\texttt{\square}}\texttt{\%5.4f}_{\texttt{\square}}\texttt{\%5.4f}_{\texttt{n}}\texttt{"},\,\mathit{aduru},\mathit{uru},\,\mathit{adutu},\mathit{utu});
s.n_{-}slab = 1.5;
s.n_{top\_slide} = 1.5;
s.n\_bottom\_slide = 1.5;
fprintf (stderr, \verb"\na=\%5.4f_b=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f
                            s.n\_top\_slide);
MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", aduru, uru, adutu, utu);
s.n\_slab = 1.3;
s.n_{top\_slide} = 1.5;
s.n\_bottom\_slide = 1.5;
fprintf(stderr, "\n=\%5.4f_b=\%5.4f_g=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=
                             s.n\_top\_slide);
MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
```

```
RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
                         fprintf(stderr, "\%5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}, aduru, uru, adutu, utu);
                         s.a = 0.5;
                         s.b = 1.0;
                         s.n_{-}slab = 1.0;
                         s.n_{-}top_{-}slide = 1.0;
                         s.n_bottom_slide = 1.0;
                         fprintf(stderr, \n=\%5.4f_b=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%
                                                 s.n\_top\_slide);
                         MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
                         RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", adur1, ur1, adut1, ut1);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", aduru, uru, adutu, utu);
                         s.g = 0.5;
                         fprintf(stderr, \n=\%5.4f_b=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%
                                                 s.n\_top\_slide);
                         MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
                         RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square})\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}, adur1, ur1, adut1, ut1);
                         fprintf(stderr, "\%5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}5.4f_{\%}, aduru, uru, adutu, utu);
                         s.n_{-}slab = 1.5;
                         fprintf(stderr, "\na=\%5.4f_b=\%5.4f_g=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n=\%5.4f_n
                                                  s.n\_top\_slide);
                        MC_RT(s, \&ur1, \&ut1, \&uru, \&utu);
                        RT(32, \&s, \&adur1, \&adut1, \&aduru, \&adutu);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square})\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}, adur1, ur1, adut1, ut1);
                         fprintf(stderr, "\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}\%5.4f_{\square}", aduru, uru, adutu, utu);
17. \langle old formatting 17\rangle \equiv
            if (cl\_verbosity > 0 \land count \% 100 \equiv 0) fprintf (stderr, "\n");
            if (cl\_verbosity > 0) printf (format2, m.m\_r, m.m\_t, m.m\_u, r.a, r.b, r.g, r.final\_distance);
            else printf("%9.5f\t%9.5f\t%9.5f\t%9.5f\n", r.a, r.b, r.g, r.final_distance);
```

14 MAIN PROGRAM IAD (v 3-12-0) §18

18. Stuff the command line arguments that should be constant over the entire inversion process into the measurement record and set up the result record to handle the arguments properly so that the optical properties can be determined.

```
\langle Command-line changes to m 18\rangle \equiv
  if (cl\_cos\_angle \neq UNINITIALIZED) {
     m.slab\_cos\_angle = cl\_cos\_angle;
     if (cl\_quadrature\_points \equiv UNINITIALIZED) cl\_quadrature\_points = 12;
     if (cl\_quadrature\_points \neq 12 * (cl\_quadrature\_points/12)) {
        fprintf (stderr,
              "If_{\sqcup}you_{\sqcup}use_{\sqcup}the_{\sqcup}-i_{\sqcup}option_{\sqcup}to_{\sqcup}specify_{\sqcup}an_{\sqcup}oblique_{\sqcup}incidence_{\sqcup}angle,_{\sqcup}then_{n}");
        fprintf(stderr, "the_lnumber_lof_lquadrature_lpoints_lmust_lbe_la_lmultiple_lof_l12\n");
        exit(0);
     }
  if (cl\_sample\_n \neq UNINITIALIZED) m.slab\_index = cl\_sample\_n;
  if (cl\_slide\_n \neq UNINITIALIZED) {
     m.slab\_bottom\_slide\_index = cl\_slide\_n;
     m.slab\_top\_slide\_index = cl\_slide\_n;
  if (cl\_slide\_OD \neq \texttt{UNINITIALIZED}) {
     m.slab\_bottom\_slide\_b = cl\_slide\_OD;
     m.slab\_top\_slide\_b = cl\_slide\_OD;
  if (cl\_sample\_d \neq UNINITIALIZED) m.slab\_thickness = cl\_sample\_d;
  if (cl\_beam\_d \neq UNINITIALIZED) m.d\_beam = cl\_beam\_d;
  if (cl\_slide\_d \neq \mathtt{UNINITIALIZED}) {
     m.slab\_bottom\_slide\_thickness = cl\_slide\_d;
     m.slab\_top\_slide\_thickness = cl\_slide\_d;
  if (cl\_slides \equiv NO\_SLIDES) {
     m.slab\_bottom\_slide\_index = 1.0;
     m.slab\_bottom\_slide\_thickness = 0.0;
     m.slab\_top\_slide\_index = 1.0;
     m.slab\_top\_slide\_thickness = 0.0;
  if (cl\_slides \equiv \texttt{ONE\_SLIDE\_ON\_TOP} \lor cl\_slides \equiv \texttt{ONE\_SLIDE\_NEAR\_SPHERE}) {
     m.slab\_bottom\_slide\_index = 1.0;
     m.slab\_bottom\_slide\_thickness = 0.0;
  if (cl\_slides \equiv \mathtt{ONE\_SLIDE\_ON\_BOTTOM} \lor cl\_slides \equiv \mathtt{ONE\_SLIDE\_NOT\_NEAR\_SPHERE}) {
     m.slab\_top\_slide\_index = 1.0;
     m.slab\_top\_slide\_thickness = 0.0;
  if (cl\_slides \equiv \texttt{ONE\_SLIDE\_NEAR\_SPHERE} \lor cl\_slides \equiv \texttt{ONE\_SLIDE\_NOT\_NEAR\_SPHERE}) m.flip\_sample = 1;
  else m.flip\_sample = 0;
  if (cl\_method \neq UNINITIALIZED) m.method = (int) cl\_method;
  if (cl\_rstd\_t \neq UNINITIALIZED) m.rstd\_t = cl\_rstd\_t;
  if (cl_rstd_r \neq UNINITIALIZED) m.rstd_r = cl_rstd_r;
  if (cl\_sphere\_one[4] \neq \texttt{UNINITIALIZED}) {
     double d\_sample\_r, d\_entrance\_r, d\_detector\_r;
     m.d\_sphere\_r = cl\_sphere\_one[0];
     d\_sample\_r = cl\_sphere\_one[1];
```

```
d_{-}entrance_{-}r = cl_{-}sphere_{-}one[2];
  d\_detector\_r = cl\_sphere\_one[3];
  m.rw_r = cl\_sphere\_one[4];
  m.as\_r = (d\_sample\_r/m.d\_sphere\_r/2) * (d\_sample\_r/m.d\_sphere\_r/2);
  m.ae\_r = (d\_entrance\_r/m.d\_sphere\_r/2) * (d\_entrance\_r/m.d\_sphere\_r/2);
  m.ad\_r = (d\_detector\_r/m.d\_sphere\_r/2) * (d\_detector\_r/m.d\_sphere\_r/2);
  m.aw_r = 1.0 - m.as_r - m.ae_r - m.ad_r;
  m.d\_sphere\_t = m.d\_sphere\_r;
  m.as_t = m.as_r;
  m.ae_{-}t = m.ae_{-}r;
  m.ad_{-}t = m.ad_{-}r;
  m.aw_{-}t = m.aw_{-}r;
  m.rw_{-}t = m.rw_{-}r;
  if (cl\_num\_spheres \equiv UNINITIALIZED) \ m.num\_spheres = 1;
if (cl\_sphere\_two[4] \neq \texttt{UNINITIALIZED}) {
  double d_sample_t, d_entrance_t, d_detector_t;
  m.d\_sphere\_t = cl\_sphere\_two[0];
  d\_sample\_t = cl\_sphere\_two[1];
  d_{-}entrance_{-}t = cl_{-}sphere_{-}two[2];
  d\_detector\_t = cl\_sphere\_two[3];
  m.rw_t = cl\_sphere_two[4];
  m.as\_t = (d\_sample\_t/m.d\_sphere\_t/2) * (d\_sample\_t/m.d\_sphere\_t/2);
  m.ae\_t = (d\_entrance\_t/m.d\_sphere\_t/2) * (d\_entrance\_t/m.d\_sphere\_t/2);
  m.ad_t = (d_detector_t/m.d_sphere_t/2) * (d_detector_t/m.d_sphere_t/2);
  m.aw_{-}t = 1.0 - m.as_{-}t - m.ae_{-}t - m.ad_{-}t;
  if (cl\_num\_spheres \equiv UNINITIALIZED) \ m.num\_spheres = 2;
if (cl\_num\_spheres \neq UNINITIALIZED) {
  m.num\_spheres = (int) cl\_num\_spheres;
  if (m.num\_spheres > 0 \land m.method \equiv \texttt{UNKNOWN}) \ m.method = \texttt{SUBSTITUTION};
 \textbf{if} \ (\textit{cl\_rc\_fraction} \neq \texttt{UNINITIALIZED}) \ \textit{m.fraction\_of\_rc\_in\_mr} = \textit{cl\_rc\_fraction}; 
if (cl\_tc\_fraction \neq UNINITIALIZED) m.fraction\_of\_tc\_in\_mt = cl\_tc\_fraction;
if (cl_{-}UR1 \neq UNINITIALIZED) m.m_{-}r = cl_{-}UR1;
if (cl_{-}UT1 \neq UNINITIALIZED) m.m_{-}t = cl_{-}UT1;
if (cl_{-}Tc \neq UNINITIALIZED) m.m_{-}u = cl_{-}Tc;
if (cl\_default\_fr \neq UNINITIALIZED) m.f\_r = cl\_default\_fr;
```

This code is used in section 2.

 $16 \qquad \text{Main program} \qquad \qquad \text{Iad (v 3-12-0)} \qquad \S 19$

put the values for command line reflection and transmission into the measurement record. \langle Count command-line measurements 19 $\rangle \equiv$ $m.num_measures = 3;$ if $(m.m_t \equiv 0)$ $m.num_measures --$; if $(m.m_u \equiv 0)$ $m.num_measures ---;$ $params = m.num_measures;$ /* need to fill slab entries to calculate the optical thickness */if $(m.num_measures \equiv 3)$ { **struct** $AD_{-}slab_{-}type$ s; $s.n_slab = m.slab_index;$ $s.n_top_slide = m.slab_top_slide_index;$ $s.n_bottom_slide = m.slab_bottom_slide_index;$ $s.b_top_slide = m.slab_top_slide_b;$ $s.b_bottom_slide = m.slab_bottom_slide_b;$ $s.cos_angle = m.slab_cos_angle;$ $cl_default_b = What_Is_B(s, m.m_u);$ This code is used in section 2. **20.** $\langle \text{ print version function } 20 \rangle \equiv$ static void print_version(void) $fprintf(stderr, "iad_{\sqcup}%s\n", Version);$ fprintf(stderr, "Copyright_2020_Scott_Prahl,_scott.prahl@oit.edu\n"); $fprintf(stderr, "_{ \cup \cup \cup \cup \cup \cup \cup \cup \cup} (see_{ \cup} Applied_{ \cup} Optics, _{ \cup} 32:559-568, _{ \cup} 1993) \n'n");$ $fprintf(stderr, "This \sqcup is \sqcup free \sqcup software; \sqcup see \sqcup the \sqcup source \sqcup for \sqcup copying \sqcup conditions. \n");$ $fprintf(stderr, "There_{\sqcup}is_{\sqcup}no_{\sqcup}warranty;_{\sqcup}not_{\sqcup}even_{\sqcup}for_{\sqcup}MERCHANTABILITY_{\sqcup}or_{\sqcup}FITNESS. \n");$ $fprintf(stderr, "FOR_{\sqcup}A_{\sqcup}PARTICULAR_{\sqcup}PURPOSE. \n");$ exit(0);

This code is used in section 2.

 $\S21$ IAD (v 3-12-0) MAIN PROGRAM 17

```
21. \langle \text{ print usage function } 21 \rangle \equiv
        static void print_usage(void)
                 fprintf(stderr, "iad_{\sqcup}%s\n\n", Version);
                 fprintf(stderr, "iad_lfinds_loptical_lproperties_lfrom_lmeasurements\n\n");
                 fprintf(stderr, "Usage: [options] [input \n");
                 fprintf(stderr, "Options:\n");
                 fprintf(stderr, "_{\sqcup\sqcup}-1_{\sqcup}' \#_{\sqcup}\#_{\sqcup}\#_{\sqcup}\#_{\sqcup}" reflection_{\sqcup} sphere_{\sqcup} parameters_{\sqcup} n");
                 fprintf(stderr, "_{\sqcup\sqcup}-2_{\sqcup}' \#_{\sqcup}\#_{\sqcup}\#_{\sqcup}\#'_{\sqcup\sqcup\sqcup} transmission_{\sqcup} sphere_{\sqcup} parameters_{\sqcup} n");
                 fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup \sqcup \sqcup} 'sphere_{\sqcup}d,_{\sqcup}sample_{\sqcup}d,_{\sqcup}entrance_{\sqcup}d,_{\sqcup}detector_{\sqcup}d,_{\sqcup}wall_{\sqcup}r'\setminus n");
                 fprintf(stderr, "_{\cup \cup} - a_{\cup} \#_{\cup \cup \cup} use_{\cup} this_{\cup} albedo_{\cup} \n");
                 fprintf(stderr, "_{\sqcup\sqcup} - A_{\sqcup} \#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} use_{\sqcup} this_{\sqcup} absorption_{\sqcup} coefficient_{\sqcup} \setminus n");
                 fprintf(stderr, "_{\sqcup\sqcup}-b_{\sqcup}\#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}use_{\sqcup}this_{\sqcup}optical_{\sqcup}thickness_{\sqcup}\n");
                 fprintf(stderr, "_{	luberlu}-B_{	luberlu}+_{	luberlu})
                 fprintf(stderr, "_{\sqcup\sqcup}-c_{\sqcup}\#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}fraction_{\sqcup}of_{\sqcup}unscattered_{\sqcup}refl_{\sqcup}in_{\sqcup}MR\n");
                 fprintf(stderr, "_{	tuu}-d_{	tu}\#_{	tuuuuuuuuuuuuthickness} of_{	tusample} ample_{	tu}n");
                 fprintf(stderr, "_{\sqcup\sqcup}-D_{\sqcup}\#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}thickness_{\sqcup}of_{\sqcup}slide_{\sqcup}\n");
                 fprintf(stderr, "uu-eu#uuuuuuuuuuuuuuuerrorutoleranceu(defaultu0.0001)un");
                 fprintf(stderr, "UU-EU#UUUUUUUUUUUUUUOpticaludepthu(=mua*D)UforUslides\n");
                 fprintf(stderr,
                                    "uu-fu#uuuuuuuuuuallowuaufractionu0.0-1.0uofulightutouhitusphereuwallufirst\n");
                 fprintf(stderr, "uu-Fu'Pulambda0umus0ugamma'uuumus=mus0*(lambda/lambda0)^gamma\n");
                 fprintf(stderr, "_{\sqcup\sqcup} - F_{\sqcup} 'R_{\sqcup} ambda0_{\sqcup} musp0_{\sqcup} gamma'_{\sqcup\sqcup} musp= musp0*(lambda0)^gamma n");
                 fprintf(stderr, "_{UU}-g_{U}\#_{UUUUUUUUUUUS} \text{scattering}_{U} \text{anisotropy}_{U}(\text{default}_{U}0)_{U} \n");
                 fprintf(stderr, "" \cup \cup \neg G \cup \# \cup type \cup of \cup boundary \cup `0', \cup '2', \cup 't', \cup 'b', \cup 'n', \cup 'f' \cup \setminus n");
                 fprintf(stderr, "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} "_{"} 
                                  that \llcorner is \llcorner hit \llcorner by \llcorner light \llcorner first \backslash n");
                 position relative to sphere \n");
                 fprintf(stderr, "_{""}-h_{""}-h_{""});
                 fprintf(stderr, "\_\_-i\_\#\_\_\_\_\_\_light\_\_is\_\_incident\_\_at\_\_this\_\_angle\_\_in\_\_degrees n");
                 fprintf(stderr, "_{"} - n_{"} + _{"} + _{"} - n_{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{"} + _{
                 fprintf(stderr, "_{\square\square} - N_{\square} \#_{\square\square\square\square\square\square\square\square\square\square\square\square\square\square} specify_{\square} index_{\square} of_{\square} refraction_{\square} of_{\square} slides \n");
                 fprintf(stderr, "\_ \cup \cup \neg o \cup filename \cup \cup \cup \cup \cup \cup explicitly \cup specify \cup filename \cup for \cup output \ "");
                 fprintf(stderr, "_{"} - p_{"} + p_{"
                 fprintf(stderr, "_{\Box\Box} - q_{\Box} \#_{\Box\Box\Box\Box\Box\Box\Box\Box\Box\Box\Box\Box\Box} number_{\Box} of_{\Box} quadrature_{\Box} points_{\Box} (default=8) n");
                 \mathit{fprintf} \, (\mathit{stderr}, \verb"""-r" \# \verb""-r" \# \verb""-r" \# \verb""-r" \# \verb""-r" \# \texttt{"-r"} \# \texttt{"
                 fprintf(stderr, "_{\cup\cup}-R_{\cup}\#_{\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup}actual_{\cup}reflectance_{\cup}for_{\cup}100\%_{\cup}measurement_{\cup}\n");
                 fprintf(stderr, "_{\sqcup\sqcup} - S_{\sqcup} \#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} number_{\sqcup} of_{\sqcup} spheres_{\sqcup} used \n");
                 fprintf(stderr, "\_ \sqcup \neg \top_{\sqcup} + \bot_{\sqcup} \sqcup \cup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup} actual_{\sqcup} transmission_{\sqcup} for_{\sqcup} 100\%_{\sqcup} measurement_{\sqcup} \setminus n");
                 fprintf(stderr, "_{\square\square} - u_{\square} \#_{\square\square\square\square\square\square\square\square\square\square\square\square\square\square} unscattered_{\square} transmission_{\square} measurement \n");
                 fprintf(stderr, "_{\sqcup\sqcup} - v_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} version_{\sqcup} information \");
                 fprintf(stderr, "$_{$\sqcup\sqcup}$-V$_{$\sqcup}$0$_{$\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}$verbosity$_low$_---$_{$\sqcup}$no$_output$_tto$_stderr$n");
                 fprintf(stderr, "_{\sqcup\sqcup} - V_{\sqcup} 1_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} verbosity_moderate_{\sqcup} \setminus n");
                 fprintf(stderr, "_{\square\square} - V_{\square} 2_{\square\square\square\square\square\square\square\square\square\square\square\square\square\square\square} \text{verbosity\_high} n");
                 fprintf(stderr, "_{\sqcup\sqcup}-x_{\sqcup}\#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}set_debugging_level\n");
```

18 Main program iad (v 3-12-0) §21

```
fprintf(stderr, "_{"} - X_{"} - X_{"} - X_{"}) = dual_{"} beam_{"} configuration 'n'');
      fprintf(stderr, "uu-zuuuuuuuuuuuuuuuuudouforwarducalculation\n");
      fprintf(stderr, "Examples: \n");
      fprintf(stderr, "\verb|u|uiad|| file.rxt | \verb|u|uuuuuuuuu|| Results|| will|| be|| put|| in|| file.txt | n");
      fprintf(stderr, "ulliadufileuluuuuuuuuuuuuuuuuuuuuuusameuasuabove\n");
      fprintf(stderr, "``uuiad``u-c``u0.9``ufile.rxt``uuuuuuuAssume``uM_R``uincludes``u90%\\`uof``uuns\
            cattered_reflectance\n");
      fprintf(stderr, "_{\sqcup\sqcup}iad_{\sqcup}-C_{\sqcup}0.8_{\sqcup}file.rxt_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}Assume_{\sqcup}M_{-}T_{\sqcup}includes_{\sqcup}80\%_{\sqcup}of_{\sqcup}uns)
            cattered_transmittance\n");
      fprintf(stderr, "\_ \sqcup \sqcup iad \sqcup \neg e \sqcup 0.0001 \sqcup file.rxt \sqcup \sqcup \sqcup \sqcup Better \sqcup convergence \sqcup to \sqcup R \sqcup \& \sqcup T \sqcup values \n");
      fprintf(stderr,
            "uuiadu-fu1.0ufile.rxtuuuuuuuAllulightuhitsureflectanceusphereuwallufirst\n");
      fprintf(stderr, "uliad_-o_lout_lfile.rxt_ululululuCalculated_values_lin_lout n");
      \mathit{fprintf}(\mathit{stderr}, \texttt{"}_{\sqcup\sqcup} \texttt{iad}_{\sqcup} - \texttt{r}_{\sqcup} \texttt{0.3}_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} \texttt{R\_total=0.3}, \texttt{\_b=inf}, \texttt{\_find}_{\sqcup} \texttt{albedo} \texttt{\n"});
      fprintf(stderr, ""uuiadu-ru0.3u-tu0.4uuuuuuuuR_total=0.3, uT_total=0.4, ufindua,b,g\n");
      fprintf(stderr, "\_\sqcup iad_\sqcup -r_\sqcup 0.3_\sqcup -t_\sqcup 0.4_\sqcup -n_\sqcup 1.5_\sqcup R\_total = 0.3, \sqcup T\_total = 0.4, \sqcup n = 1.5, \sqcup find_\sqcup a, b \ n");
      fprintf(stderr, "\_\_iad\_-p_\_1000\_file.rxt_\_\_\_Only\_1000\_photons\n");
      \mathit{fprintf} \, (\mathit{stderr}, \verb"uuliadu-pu-100ufile.rxtuuuuuuAllowuonlyu100msuperuiteration\n");
      fprintf(stderr, "uliadu-qu4ufile.rxtuluuuuuuupFouruquadratureupoints n");
      fprintf(stderr, "uuiadu-MuOufile.rxtuuuuuuuuNouMCuuuu(iad)\n");
      \mathit{fprintf}(\mathit{stderr}, \texttt{"}_{\sqcup \sqcup} \texttt{iad}_{\sqcup} - \texttt{M}_{\sqcup} \texttt{1}_{\sqcup} \texttt{file.rxt}_{\sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup} \texttt{MC}_{\sqcup} \texttt{once}_{\sqcup \sqcup} (\texttt{iad}_{\sqcup} - >_{\sqcup} \texttt{MC}_{\sqcup} - >_{\sqcup} \texttt{iad}) \setminus \texttt{n"});
      fprintf(stderr, "\_\_iad\_-M\_2\_file.rxt_\_\_\_MC\_UUUU_UUMC\_twice\_(iad_->_UMC_->_\_iad_->_UMC_->_\_iad)\n");
      fprintf(stderr, "uliad_-M_0_-q_4_file.rxt_uuu_Fast_and_crude_conversion\n");
      fprintf(stderr,
            "uuiadu-Gutufile.rxtuuuuuuu0neutopuslideuwithupropertiesufromufile.rxt\n");
      fprintf(stderr,
            "_{\sqcup\sqcup}iad_{\sqcup}-G_{\sqcup}b_{\sqcup}-N_{\sqcup}1.5_{\sqcup}-D_{\sqcup}1_{\sqcup}file_{\sqcup}Use_{\sqcup}1_{\sqcup}bottom_{\sqcup}slide_{\sqcup}with_{\sqcup}n=1.5_{\sqcup}and_{\sqcup}thickness=1\n");
      fprintf(stderr, "uliadu-xululufile.rxtulululuuShowuspherelanduMCueffects\n");
      fprintf(stderr, "ulliadu-xullu2ufile.rxtullulululuDEBUG_GRID\n");
      fprintf(stderr, "uuiadu-xuuu4ufile.rxtuuuuuuuDEBUG_ITERATIONS\n");
      fprintf(stderr, "ulliadu-xullu8ufile.rxtullululuDEBUG_LOST_LIGHT\n");
      fprintf(stderr, "\_\_iad\_-x_\_\_16\_file.rxt_\_\_\_DEBUG\_SPHERE\_EFFECTS\n");
      fprintf(stderr, """ ad" - x"" 32" file.rxt" DEBUG_BEST_GUESS n");
      fprintf(stderr, "ulliadu-xull64ufile.rxtullullullDEBUG_EVERY_CALC\n");
      fprintf(stderr, "_{\sqcup\sqcup}iad_{\sqcup}-x_{\sqcup}128_{\sqcup}file.rxt_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}DEBUG\_SEARCH\n");
      fprintf(stderr, "uuiadu-xu255ufile.rxtuuuuuuuAlludebugginguoutput\n");
      fprintf(stderr,
            "uuiadu-Xu-iu8ufile.rxtuuuuuuDualubeamuspectrometeruwithu8udegreeuincidence\n\n");
      fprintf(stderr,
            "_{\sqcup\sqcup}iad_{\sqcup}-z_{\sqcup}-a_{\sqcup}0.9_{\sqcup}-b_{\sqcup}1_{\sqcup}-i_{\sqcup}45_{\sqcup\sqcup}Forward_{\sqcup}calc_{\sqcup}assuming_{\sqcup}45_{\sqcup}degree_{\sqcup}incidence \n\n");
      fprintf(stderr, "\Box \Box apply \Box iad \Box x.rxt \Box y.rxt \Box \Box \Box \Box Process \Box multiple \Box files \n\n");
      fprintf(stderr, "Report_bugs_to_<scott.prahl@oit.edu>\n\n");
      exit(0);
This code is used in section 2.
```

 $\S22$ IAD (v 3-12-0) MAIN PROGRAM 19

22. Just figure out the damn scattering and absorption \langle calculate coefficients function $22 \rangle \equiv$ $static\ void\ Calculate_Mua_Musp(struct\ measure_type\ m, struct\ invert_type\ r, double\ *musp, double$ *mua) if $(r.b \equiv \mathtt{HUGE_VAL})$ { if $(r.a \le 1 \cdot 10^{-5})$ { *musp = 0.0;*mua = 1.0;return; if $(r.default_mus \neq \mathtt{UNINITIALIZED})$ { $*musp = r.default_mus * (1 - r.g);$ $*mua = r.default_mus/r.a - r.default_mus;$ return; if $(r.default_mua \neq UNINITIALIZED)$ { $*musp = (r.default_mua/(1-r.a) - r.default_mua) * (1-r.g);$ $*mua = r.default_mua;$ return; *musp = 1.0 - r.g;*mua = (1.0 - r.a)/r.a;return; } $*musp = r.a * r.b/m.slab_thickness * (1.0 - r.g);$ $*mua = (1 - r.a) * r.b/m.slab_thickness;$ See also section 23. This code is used in section 2. This can only be called immediately after *Invert_RT* You have been warned! Notice that *Calculate_Distance* does not pass any slab properties. \langle calculate coefficients function $22 \rangle + \equiv$ $ext{static void } calculate_coefficients(ext{struct } measure_type \ m, ext{struct } invert_type \ r, ext{double} * LR, ext{double}$ *LT, double *musp, double *mua) { double delta; *LR=0;*LT = 0;Calculate_Distance(LR, LT, & delta); $Calculate_Mua_Musp(m, r, musp, mua);$

20 Main Program iad (v 3-12-0) §24

```
\langle \text{ print results header function } 24 \rangle \equiv
         static void print_results_header(FILE *fp)
                    fprintf(fp, "\#_{\cup\cup\cup\cup\cup} \land tMeasured_{\cup} \land t_{\cup\cup\cup} \land M_R_{\cup\cup\cup} \land tMeasured_{\cup} \land t_{\cup\cup\cup} \land M_R_{\cup\cup\cup} \land tMeasured_{\cup} \land t_{\cup\cup\cup} \land tMeasured_{\cup} \land t_{\cup\cup\cup\cup} \land tMeasured_{\cup} \land tM
                                        ed\tEstimated\tEstimated");
                    if (Debug(DEBUG_LOST_LIGHT)) fprintf(fp,
                                                   "\tuuLostuuu\tuuLostuuu\tuuLostuuu\tuuLostuuu\tuuuMCuuuu\tuuuIADuuu\tuuErroruu");
                    fprintf(fp, "\n");
                    u_{\perp} t_{\perp \perp} mu_{\perp} s'_{\perp \perp} t_{\perp \perp} u_{\perp} g_{\perp \perp} u_{\perp} ");
                    if (Debug(DEBUG\_LOST\_LIGHT)) fprintf(fp,
                                                   "\toooUR1ooo\toooURUooo\toooUT1ooo\toooUTUooo\tooou#oooo\toootooo\tooStateoo");
                    fprintf(fp, "\n");
                    fprintf(fp, "\#_{\cup}[nm] \setminus t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[---]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup} \cup t_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[-----]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[------]_{\cup\cup}[--
                                       __\t__1/mm___\t__[---]__");
                    if (Debug(DEBUG_LOST_LIGHT)) fprintf(fp,
                                                  "\tuu[---]uu\tuu[---]uu\tuu[---]uu\tuu[---]uu\tuu[---]uu\tuu[---]uu\tuu[---]uu\tuu[---]uu");
                   fprintf(fp, "\n");
This code is used in section 2.
25. When debugging lost light, it is handy to see how each iteration changes the calculated values for the
optical properties. We do that here if we are debugging, otherwise we just print a number or something to
keep the user from wondering what is going on.
\langle Print results function 25 \rangle \equiv
         void print_optical_property_result (FILE *fp, struct measure_type m, struct invert_type r, double
                             LR, double LT, double mu\_a, double mu\_sp, int mc\_iter, int line ) {
         if (m.lambda \neq 0) fprintf (fp, "\%6.1f\t", m.lambda);
         else fprintf (fp, "%6d\t", line );
         if (mu_a \ge 200) mu_a = 199.9999;
         if (mu\_sp \ge 1000) mu\_sp = 999.9999;
         fprintf(fp, "\% 9.4f \t\% 9.4f \t", m.m_r, LR);
         fprintf(fp, "\%_{\square}9.4f\t\%_{\square}9.4f\t", m.m_{-}t, LT);
         fprintf(fp, "\% 9.4f \t", mu_a);
         fprintf(fp, "\% 9.4f \t", mu\_sp);
         fprintf(fp, "%\_9.4f\t", r.g);
         if (Debug(DEBUG\_LOST\_LIGHT))  {
                   fprintf(fp, "\% 9.4f \t\% 9.4f \t", m.ur1\_lost, m.uru\_lost);
                   fprintf (fp, \verb"\".u] . 4f \verb+\".m. ut1\_lost, m. utu\_lost);
                   fprintf(fp, " \ \ \%4d \ \ r.iterations);
         fprintf (fp, "#_\%c_\\n", what_char (r.error));
         fflush(fp); }
```

This code is used in section 2.

21

```
\langle \text{ print error legend function } 26 \rangle \equiv
   static void print_error_legend(void)
       fprintf(stderr, "_{"} = >_{"} Success_{"} ");
       fprintf(stderr, "_{\sqcup\sqcup}0-9_{\sqcup}==>_{\sqcup}Monte_{\sqcup}Carlo_{\sqcup}Iteration\n");
       fprintf(stderr, "_{\sqcup \sqcup \sqcup}R_{\sqcup \sqcup} == >_{\sqcup}M_R_{\sqcup}is_{\sqcup}too_{\sqcup}big_{\sqcup \sqcup \sqcup}");
       fprintf(stderr, "_{\sqcup\sqcup\sqcup}r_{\sqcup\sqcup}==>_{\sqcup}M_R_{\sqcup}is_{\sqcup}too_{\sqcup}small\n");
       fprintf(stderr, "_{\sqcup \sqcup \sqcup} T_{\sqcup \sqcup} ==>_{\sqcup} M_{\perp} T_{\sqcup} is_{\sqcup} too_{\sqcup} big_{\sqcup \sqcup \sqcup}");
       \mathit{fprintf} \left( \mathit{stderr}, \texttt{"} \bot \bot \bot \bot \bot ==> \bot \texttt{M\_T} \bot \mathtt{is} \bot \mathtt{too} \bot \mathtt{small} \verb"" \right);
       \mathit{fprintf} \left( \mathit{stderr}, \texttt{"} \verb" \sqcup \sqcup \sqcup \mathsf{U} \verb" \sqcup \sqcup = \texttt{"} \verb" \sqcup \mathsf{M} \_ \mathsf{U} \verb" \sqcup \mathsf{is} \sqcup \mathsf{too} \verb" \sqcup \mathsf{big} \verb" \sqcup \sqcup " \right);
       fprintf(stderr, "_{\sqcup\sqcup\sqcup}u_{\sqcup\sqcup}==>_{\sqcup}M_{U_{\sqcup}}is_{\sqcup}too_{\sqcup}small\n");
       fprintf(stderr, "_{ \sqcup \sqcup \sqcup}!_{ \sqcup \sqcup} ==>_{ \sqcup} M_R_{ \sqcup} +_{ \sqcup} M_T_{ \sqcup}>_{ \sqcup} 1_{ \sqcup \sqcup \sqcup \sqcup}");
       fprintf(stderr, "_{\sqcup\sqcup\sqcup}+_{\sqcup\sqcup}==>_{\sqcup}Did_{\sqcup}not_{\sqcup}converge\\n\\");
This code is used in section 2.
27. returns a new string consisting of s+t
\langle stringdup together function 27 \rangle \equiv
   static char *strdup\_together(\mathbf{char} *s, \mathbf{char} *t)
   {
       \mathbf{char}\ *both;
       if (s \equiv \Lambda) {
          if (t \equiv \Lambda) return \Lambda;
           return strdup(t);
       if (t \equiv \Lambda) return strdup(s);
       both = malloc(strlen(s) + strlen(t) + 1);
       if (both \equiv \Lambda) \ fprintf(stderr, "Could_not_allocate_memory_for_both_strings.\n");
       strcpy(both, s);
       strcat(both, t);
       return both;
This code is used in section 2.
         assume that start time has already been set
\langle seconds elapsed function 28\rangle \equiv
   static double seconds_elapsed(clock_t start_time)
       \mathbf{clock\_t}\ finish\_time = clock();
       return (double)(finish_time - start_time)/CLOCKS_PER_SEC;
This code is used in section 2.
```

22 MAIN PROGRAM IAD (v 3-12-0) $\S29$

29. given a string and an array, this fills the array with numbers from the string. The numbers should be separated by spaces.

```
Returns 0 upon successfully filling n entries, returns 1 for any error.
```

```
\langle parse string into array function 29 \rangle \equiv
  static int parse\_string\_into\_array(char *s, double *a, int n)
  {
    char *t, *last, *r;
    int i = 0;
    t = s;
     last = s + strlen(s);
    while (t < last) {
                              /* a space should mark the end of number */
       r = t;
       while (*r \neq ` \cup ` \wedge *r \neq ` \setminus 0`) r \leftrightarrow ;
       *r = '\0'; /* parse the number and save it */
       if (sscanf(t, "%lf", \&(a[i])) \equiv 0) return 1;
       i++; /* are we done? */
       if (i \equiv n) return 0;
                                 /* move pointer just after last number */
       t = r + 1;
    }
    return 1;
  }
```

This code is used in section 2.

23

```
30. \langle \text{ print dot function } 30 \rangle \equiv
  static char what_char(int err)
    if (err \equiv IAD\_NO\_ERROR) return '*';
    if (err = IAD_TOO_MANY_ITERATIONS) return '+';
    if (err \equiv IAD\_MR\_TOO\_BIG) return 'R';
    if (err = IAD_MR_TOO_SMALL) return 'r';
    if (err \equiv IAD\_MT\_TOO\_BIG) return 'T';
    if (err = IAD_MT_TOO_SMALL) return 't';
    if (err \equiv IAD\_MU\_TOO\_BIG) return 'U';
    if (err \equiv IAD\_MU\_TOO\_SMALL) return 'u';
    if (err \equiv IAD\_TOO\_MUCH\_LIGHT) return '!';
     return '?';
  }
  static void print_dot(clock_t start_time, int err, int count, int points, int final, int verbosity, int
            *any\_error)
    static int counter = 0;
     counter ++;
    if (err \neq IAD\_NO\_ERROR) * any\_error = err;
    if (verbosity \equiv 0) return;
    if (final \equiv 99) fprintf (stderr, "%c", what\_char(err));
    else {
       counter --;
       fprintf(stderr, "%1d\b", final \% 10);
     if (final \equiv 99) {
       if (counter \% 50 \equiv 0) {
          double rate = (seconds\_elapsed(start\_time)/points);
         fprintf(stderr, "_{\sqcup\sqcup}\%3d_{\sqcup}done_{\sqcup}(\%5.2f_{\sqcup}s/pt)\n", points, rate);
       else if (counter \% 10 \equiv 0) fprintf(stderr, """);
    fflush(stderr);
This code is used in section 2.
```

24 IAD TYPES IAD (v $_3$ -12-0) §31

31. IAD Types. This file has no routines. It is responsible for creating the header file iad_type.h and nothing else. Altered 3/3/95 to change the version number below. Change June 95 to improve cross referencing using CTwill. Change August 97 to add root finding with known absorption

32. These are the various optical properties that can be found with this program. FIND_AUTO allows one to let the computer figure out what it should be looking for.

These determine what metric is used in the minimization process.

These give the two different types of illumination allowed.

Finally, for convenience I create a Boolean type.

```
\langle iad\_type.h \quad 32 \rangle \equiv
\# undef FALSE
\#\mathbf{undef} TRUE
  ⟨ Preprocessor definitions ⟩
  ⟨Structs to export from IAD Types 35⟩
33.
\#define FIND_A 0
#define FIND_B 1
\#define FIND_AB 2
#define FIND_AG 3
#define FIND_AUTO 4
\#define FIND_BG 5
#define FIND\_BaG 6
#define FIND\_BsG 7
#define FIND_-Ba 8
#define FIND_-Bs 9
#define FIND_G 10
#define FIND_B_WITH_NO_ABSORPTION 11
#define FIND_B_WITH_NO_SCATTERING 12
\#define RELATIVE 0
\#define ABSOLUTE 1
\#define COLLIMATED 0
#define DIFFUSE 1
\#define FALSE 0
#define TRUE 1
\#define IAD_MAX_ITERATIONS 500
```

 $\S34$ IAD (v 3-12-0) IAD TYPES 25

34. Need error codes for this silly program

```
\#define IAD_NO_ERROR 0
#define IAD_TOO_MANY_ITERATIONS 1
#define IAD_AS_NOT_VALID 16
#define IAD_AE_NOT_VALID 17
#define IAD_AD_NOT_VALID 18
\#define IAD_RW_NOT_VALID 19
#define IAD_RD_NOT_VALID 20
#define IAD_RSTD_NOT_VALID 21
#define IAD_GAMMA_NOT_VALID 22
\#define IAD_F_NOT_VALID 23
\#define IAD_BAD_PHASE_FUNCTION 24
#define IAD_QUAD_PTS_NOT_VALID 25
\#define IAD_BAD_G_VALUE 26
#define IAD_TOO_MANY_LAYERS 27
#define IAD_MEMORY_ERROR 28
#define IAD_FILE_ERROR 29
\#define IAD_EXCESSIVE_LIGHT_LOSS 30
\#define IAD_RT_LT_MINIMUM 31
#define IAD_MR_TOO_SMALL 32
#define IAD_MR_TOO_BIG 33
#define IAD_MT_TOO_SMALL 34
#define IAD_MT_TOO_BIG 35
#define IAD_MU_TOO_SMALL 36
#define IAD_MU_TOO_BIG 37
#define IAD_TOO_MUCH_LIGHT 38
#define IAD_TSTD_NOT_VALID
#define UNINITIALIZED -99
#define DEBUG_A_LITTLE 1
#define DEBUG_GRID 2
#define DEBUG_ITERATIONS 4
#define DEBUG_LOST_LIGHT 8
#define DEBUG_SPHERE_EFFECTS 16
#define DEBUG_BEST_GUESS 32
#define DEBUG_EVERY_CALC 64
#define DEBUG_SEARCH 128
#define DEBUG_RD_ONLY 256
#define DEBUG_GRID_CALC 512
#define DEBUG_ANY #FFFFFFF
\#define UNKNOWN 0
\#define COMPARISON 1
\#define SUBSTITUTION 2
```

26 IAD TYPES IAD (v $_3$ -12-0) §35

35. The idea of the structure *measure_type* is collect all the information regarding a single measurement together in one spot. No information regarding how the inversion procedure is supposed to be done is contained in this structure, unlike in previous incarnations of this program.

```
\langle Structs to export from IAD Types 35\rangle \equiv
  typedef struct measure_type {
    double slab_index;
    double slab_thickness;
    double slab\_top\_slide\_index;
    double slab\_top\_slide\_b;
    double slab_top_slide_thickness;
    double slab_bottom_slide_index;
    double slab_bottom_slide_b;
    double slab_bottom_slide_thickness;
    double slab_cos_angle;
    int num_spheres;
    int num_measures;
    int method;
    int flip_sample;
    double d\_beam;
    double fraction_of_rc_in_mr;
    double fraction_of_tc_in_mt;
    double m_{-}r, m_{-}t, m_{-}u;
    double lambda;
    double as\_r, ad\_r, ae\_r, aw\_r, rd\_r, rw\_r, rstd\_r, f\_r;
    double as_t, ad_t, ae_t, aw_t, rd_t, rw_t, rstd_t, f_t;
    double ur1_lost, uru_lost, ut1_lost, utu_lost;
    double d\_sphere\_r, d\_sphere\_t;
  } IAD_measure_type;
See also sections 36 and 37.
This code is used in section 32.
```

 $\S 36$ IAD (v 3-12-0) IAD TYPES 27

36. This describes how the inversion process should proceed and also contains the results of that inversion process.

```
\langle Structs to export from IAD Types 35\rangle + \equiv
  typedef struct invert_type { double a;
                                                /* the calculated albedo */
  double b;
                /* the calculated optical depth */
  double g;
                /* the calculated anisotropy */
  int found;
  int search;
  int metric;
  double tolerance;
  double MC_tolerance;
  double final_distance;
  int iterations; int error;
  struct AD_slab_type slab;
  struct AD_method_type method;
  double default_a;
  double default_b;
  double default\_g;
  double default_ba;
  double default_bs;
  double default_mua;
  double default_mus; } IAD_invert_type;
37. A few types that used to be enum's are now int's.
\langle Structs to export from IAD Types 35\rangle +\equiv
  typedef int search_type;
  typedef int boolean_type;
  typedef int illumination_type;
  typedef struct guess_t {
    double distance;
    double a;
    double b;
    double g;
  } guess_type;
  extern double FRACTION;
```

28 IAD PUBLIC IAD (v $_3$ -12-0) §38

38. IAD Public.

This contains the routine $Inverse_RT$ that should generally be the basic entry point into this whole mess. Call this routine with the proper values and true happiness is bound to be yours.

Altered accuracy of the standard method of root finding from 0.001 to 0.00001. Note, it really doesn't help to change the method from ABSOLUTE to RELATIVE, but I did anyway. (3/3/95)

```
\langle iad_pub.c 38 \rangle \equiv
#include <stdio.h>
#include <math.h>
#include "nr_util.h"
#include "ad_globl.h"
#include "ad_frsnl.h"
#include "iad_type.h"
#include "iad_util.h"
#include "iad_calc.h"
#include "iad_find.h"
#include "iad_pub.h"
#include "iad_io.h"
#include "mc_lost.h"
  \langle \text{ Definition for } Inverse\_RT | 42 \rangle
  \langle \text{ Definition for } measure\_OK \mid 47 \rangle
   (Definition for determine_search 54)
  ⟨ Definition for Initialize_Result 58⟩
  ⟨ Definition for Initialize_Measure 66 ⟩
  \langle \text{ Definition for } ez\_Inverse\_RT  64\rangle
  ⟨ Definition for Spheres_Inverse_RT 68⟩
   Definition for Spheres\_Inverse\_RT2 81 \rangle
   Definition for Calculate\_MR\_MT 75
   Definition for MinMax\_MR\_MT 79
  ⟨ Definition for Calculate_Minimum_MR 77⟩
```

39. All the information that needs to be written to the header file iad_pub.h. This eliminates the need to maintain a set of header files as well.

40. Here is the header file needed to access one interesting routine in the libiad.so library.

```
\begin{array}{l} \langle \texttt{lib\_iad.h} \quad 40 \rangle \equiv \\ \langle \, \texttt{Prototype for } \textit{ez\_Inverse\_RT } \; 63 \, \rangle; \\ \langle \, \texttt{Prototype for } \textit{Spheres\_Inverse\_RT } \; 67 \, \rangle; \\ \langle \, \texttt{Prototype for } \textit{Spheres\_Inverse\_RT2 } \; 80 \, \rangle; \end{array}
```

 $\S41$ IAD (v 3-12-0) INVERSE RT 29

41. Inverse RT. $Inverse_RT$ is the main function in this whole package. You pass the variable m containing your experimentally measured values to the function $Inverse_RT$. It hopefully returns the optical properties in r that are appropriate for your experiment.

```
\langle Prototype for Inverse\_RT 41 \rangle \equiv
  void Inverse_RT(struct measure_type m, struct invert_type *r)
This code is used in sections 39 and 42.
42. \langle \text{ Definition for } Inverse\_RT | 42 \rangle \equiv
  \langle Prototype for Inverse\_RT 41 \rangle
     if (0 \land Debug(DEBUG\_LOST\_LIGHT)) {
        fprintf(stderr, "** \bot Inverse_RT \bot (%d \bot spheres) \bot ** \land ", m.num\_spheres);
       fprintf(stderr, "uuuuuUR1_ulost_u=u%8.5f, uUT1_ulost_u=u%8.5f \n", m.ur1_lost, m.ut1_lost);
     r \rightarrow found = FALSE;
     if (r \rightarrow search \equiv FIND\_AUTO) r \rightarrow search = determine\_search(m, *r);
     if (r \rightarrow search \equiv FIND_B_WITH_NO_ABSORPTION) {
        r \rightarrow default_a = 1;
        r \rightarrow search = FIND_B;
     if (r \rightarrow search \equiv FIND_B_WITH_NO_SCATTERING) {
        r \rightarrow default_a = 0;
        r \rightarrow search = FIND_B;
     (Exit with bad input data 43)
     (Find the optical properties 44)
     if (r \rightarrow final\_distance \leq r \rightarrow tolerance) r \rightarrow found = TRUE;
This code is used in section 38.
```

43. There is no sense going to all the trouble to try a multivariable minimization if the input data is bogus. So I wrote a single routine $measure_OK$ to do just this.

```
\langle Exit with bad input data 43\rangle \equiv r \rightarrow \mathbf{error} = measure\_OK(m,*r); if (r\rightarrow method.quad\_pts < 4) r \rightarrow \mathbf{error} = \mathtt{IAD\_QUAD\_PTS\_NOT\_VALID}; if (r\rightarrow \mathbf{error} \neq \mathtt{IAD\_NO\_ERROR}) return; This code is used in section 42.
```

30 INVERSE RT IAD (v 3-12-0) §44

44. Now I fob the real work off to the unconstrained minimization routines. Ultimately, I would like to replace all these by constrained minimization routines. Actually the first five already are constrained. The real work will be improving the last five because these are 2-D minimization routines.

```
\langle Find the optical properties 44 \rangle \equiv
  switch (r→search) {
  {\bf case} \ {\tt FIND\_A:} \ U\_Find\_A(m,r);
     break;
  case FIND_B: U_{-}Find_{-}B(m,r);
     break;
  case FIND_G: U_Find_G(m,r);
     break;
  case FIND\_Ba: U\_Find\_Ba(m,r);
     break;
  \mathbf{case}\ \mathit{FIND\_Bs}\colon\ \mathit{U\_Find\_Bs}(m,r);
     break;
  \mathbf{case} \ \mathtt{FIND\_AB} \colon \ U\_Find\_AB(m,r);
     break:
  case FIND_AG: U_Find_AG(m,r);
     break;
  case FIND_BG: U_Find_BG(m,r);
     break;
  case FIND\_BsG: U\_Find\_BsG(m,r);
     break;
  case FIND\_BaG: U\_Find\_BaG(m, r);
     break;
  if (r \rightarrow iterations \equiv IAD\_MAX\_ITERATIONS) r \rightarrow error = IAD\_TOO\_MANY\_ITERATIONS;
This code is used in section 42.
      Validation.
45.
      Now the question is — just what is bad data? Here's the prototype.
\langle \text{ Prototype for } measure\_OK | 46 \rangle \equiv
  int measure_OK(struct measure_type m, struct invert_type r)
```

This code is used in sections 39 and 47.

§47 IAD (v 3-12-0) VALIDATION 31

47. It would just be nice to stop computing with bad data. This does not work in practice because it turns out that there is often bogus data in a full wavelength scan. Often the reflectance is too low for short wavelengths and at long wavelengths the detector (photomultiplier tube) does not work worth a damn.

The two sphere checks are more complicated. For example, we can no longer categorically state that the transmittance is less than one or that the sum of the reflectance and transmittance is less than one. Instead we use the transmittance to bound the values for the reflectance — see the routine $MinMax_MR_MT$ below.

```
 \begin{tabular}{ll} $\langle \mbox{ Definition for $measure$\_OK 46} \rangle $ &\equiv $$ $\langle \mbox{ Prototype for $measure$\_OK 46} \rangle $ & \mbox{ double $ru$, $tu$;} \\ & \mbox{ if $(m.num$\_spheres$ $\neq 2$) } $ & $$ $\langle \mbox{ Check MT for zero or one spheres 49} \rangle $ & $$ $\langle \mbox{ Check MR for zero or one spheres 48} \rangle $ & $$ $\} $ & \mbox{ else } \{ \mbox{ int error} = $MinMax$\_MR$\_MT(m,r); \mbox{ if } (\mbox{ error} $\neq \mbox{ IAD}$\_NO$\_ERROR ) \mbox{ return error} ; $ $\langle \mbox{ Check Sphere parameters 51} \rangle $ & $$ $\rangle $ & \mbox{ return IAD}$\_NO$\_ERROR; $ $$ $} $ \end{tabular}
```

This code is used in section 38.

48. The reflectance is constrained by the index of refraction of the material and the transmission. The upper bound for the reflectance is just one minus the transmittance. The specular (unscattered) reflectance from the boundaries imposes minimum for the reflectance. Obviously, the reflected light cannot be less than that from the first boundary. This might be calculated by assuming an infinite layer thickness. But we can do better.

There is a definite bound on the minimum reflectance from a sample. If you have a sample with a given transmittance $m_{-}t$, the minimum reflectance possible is found by assuming that the sample does not scatter any light.

Knowledge of the indicies of refraction makes it a relatively simple matter to determine the optical thickness $b = mu_-a * d$ of the slab. The minimum reflection is obtained by including all the specular reflectances from all the surfaces.

If the default albedo has been specified as zero, then there is really no need to check MR because it is ignored.

This code is used in section 47.

32 Validation iad (v 3-12-0) $\S49$

49. The transmittance is also constrained by the index of refraction of the material. The minimum transmittance is zero, but the maximum transmittance cannot exceed the total light passing through the sample when there is no scattering or absorption. This is calculated by assuming an infinitely thin (to eliminate any scattering or absorption effects).

There is a problem when spheres are present. The estimated values for the transmittance using Sp_mu_RT are not actually limiting cases. This will require a bit of fixing, but for now that test is omitted if the number of spheres is more than zero.

```
 \begin{array}{l} \langle \operatorname{Check} \ \operatorname{MT} \ \operatorname{for} \ \operatorname{zero} \ \operatorname{or} \ \operatorname{one} \ \operatorname{spheres} \ 49 \rangle \equiv \\ & \mathbf{if} \ (m.m_{-}t < 0) \ \mathbf{return} \ \operatorname{IAD\_MT\_TO0\_SMALL}; \\ Sp\_mu\_RT\_Flip (m.flip\_sample\_r.slab\_n\_top\_slide\_r.slab\_n\_slab\_r.slab\_n\_bottom\_slide\_r.slab\_b\_top\_slide\_0, \\ & r.slab\_b\_bottom\_slide\_r.slab\_cos\_angle\_\&ru,\&tu); \\ & \mathbf{if} \ (m.num\_spheres \equiv 0 \land m.m\_t > tu) \ \{ \\ & fprintf (stderr, "ntop=%7.5f\_nnslab=%7.5f\_n", r.slab\_n\_top\_slide\_r.slab\_n\_slab\_r.slab\_n\_slab\_r.slab\_n\_bottom\_slide\_); \\ & r.slab\_n\_bottom\_slide\_); \\ & fprintf (stderr, "tu\_max=%7.5f\_nm\_t=%7.5f\_n", tu\_mt_+ m.rstd\_t); \\ & \mathbf{return} \ \ \operatorname{IAD\_MT\_TOO\_BIG}; \\ & \} \\ & \text{This code is used in section 47.} \end{array}
```

50. The unscattered transmission is now always included in the total transmittance. Therefore the unscattered transmittance must fall betwee zero and M_T

```
\langle \operatorname{Check} \, \operatorname{MU} \, 50 \rangle \equiv
if (m.m_-u < 0) return IAD_MU_TOO_SMALL;
if (m.m_-u > m.m_-t) return IAD_MU_TOO_BIG;
This code is used in section 47.
```

This code is used in section 47.

51. Make sure that reflection sphere parameters are reasonable

```
 \begin{array}{l} \langle \, \text{Check sphere parameters 51} \, \rangle \equiv \\ \quad \text{if } \; (m.as\_r < 0 \lor m.as\_r \geq 0.2) \; \; \text{return IAD\_AS\_NOT\_VALID}; \\ \quad \text{if } \; (m.ad\_r < 0 \lor m.ad\_r \geq 0.2) \; \; \text{return IAD\_AD\_NOT\_VALID}; \\ \quad \text{if } \; (m.ae\_r < 0 \lor m.ae\_r \geq 0.2) \; \; \text{return IAD\_AE\_NOT\_VALID}; \\ \quad \text{if } \; (m.rw\_r < 0 \lor m.rw\_r > 1.0) \; \; \text{return IAD\_RW\_NOT\_VALID}; \\ \quad \text{if } \; (m.rd\_r < 0 \lor m.rd\_r > 1.0) \; \; \text{return IAD\_RD\_NOT\_VALID}; \\ \quad \text{if } \; (m.rstd\_r < 0 \lor m.rstd\_r > 1.0) \; \; \text{return IAD\_RSTD\_NOT\_VALID}; \\ \quad \text{if } \; (m.rstd\_t < 0 \lor m.rstd\_t > 1.0) \; \; \text{return IAD\_TSTD\_NOT\_VALID}; \\ \quad \text{if } \; (m.f\_r < 0 \lor m.f\_r > 1) \; \; \text{return IAD\_F\_NOT\_VALID}; \\ \quad \text{See also section 52}. \end{array}
```

52. Make sure that transmission sphere parameters are reasonable

```
 \begin{array}{l} \langle \, \text{Check sphere parameters 51} \, \rangle \, + \\ \text{if } \, (m.as\_t < 0 \lor m.as\_t \geq 0.2) \, \, \text{return IAD\_AS\_NOT\_VALID}; \\ \text{if } \, (m.ad\_t < 0 \lor m.ad\_t \geq 0.2) \, \, \text{return IAD\_AD\_NOT\_VALID}; \\ \text{if } \, (m.ae\_t < 0 \lor m.ae\_t \geq 0.2) \, \, \text{return IAD\_AE\_NOT\_VALID}; \\ \text{if } \, (m.rw\_t < 0 \lor m.rw\_r > 1.0) \, \, \text{return IAD\_RW\_NOT\_VALID}; \\ \text{if } \, (m.rd\_t < 0 \lor m.rd\_t > 1.0) \, \, \text{return IAD\_RD\_NOT\_VALID}; \\ \text{if } \, (m.rstd\_t < 0 \lor m.rstd\_t > 1.0) \, \, \text{return IAD\_TSTD\_NOT\_VALID}; \\ \text{if } \, (m.f\_t < 0 \lor m.f\_t > 1) \, \, \text{return IAD\_F\_NOT\_VALID}; \\ \end{array}
```

 $\S53$ IAD (v 3-12-0) SEARCHING METHOD 33

53. Searching Method.

The original idea was that this routine would automatically determine what optical parameters could be figured out from the input data. This worked fine for a long while, but I discovered that often it was convenient to constrain the optical properties in various ways. Consequently, this routine got more and more complicated.

What should be done is to figure out whether the search will be 1D or 2D and split this routine into two parts.

It would be nice to enable the user to constrain two parameters, but the infrastructure is missing at this point.

```
\langle Prototype for determine\_search 53\rangle \equiv search_type determine\_search(struct measure_type m, struct invert_type r) This code is used in sections 39 and 54.
```

34 Searching method iad (v 3-12-0) §54

54. This routine is responsible for selecting the appropriate optical properties to determine.

```
\langle \text{ Definition for } determine\_search | 54 \rangle \equiv
   ⟨ Prototype for determine_search 53⟩
     double rt, tt, rd, td, tc, rc;
     int search = 0:
     int independent = m.num\_measures;
     if (Debug(DEBUG_SEARCH)) {
        fprintf(stderr, "\n*** \square Determine\_Search()\n");
        fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup} starting_{\sqcup} with_{\sqcup} %d_{\sqcup} measurement(s) \n", m.num\_measures);
        fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup}m_r=\%.5f\n", m.m_r);
        fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup\sqcup}m_t=\%.5f\n", m.m_t);
     Estimate\_RT(m, r, \&rt, \&tt, \&rd, \&rc, \&td, \&tc);
     if (m.m_{-}u \equiv 0 \land independent \equiv 3) {
        if (Debug(DEBUG\_SEARCH)) fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup} no_{\sqcup} information_{\sqcup} in_{\sqcup} tc n");
        independent ---;
     if (rd \equiv 0 \land independent \equiv 2) {
        if (Debug(DEBUG\_SEARCH)) fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup\sqcup}no_{\sqcup}information_{\sqcup}in_{\sqcup}rd\n");
        independent --;
     if (td \equiv 0 \land independent \equiv 2) {
        if (Debug(DEBUG\_SEARCH)) fprintf(stderr, "_{\sqcup \sqcup \sqcup \sqcup} no_{\sqcup} information_{\sqcup} in_{\sqcup} td n");
        independent --;
     if (independent \equiv 1) {
        (One parameter search 55)
     else if (independent \equiv 2) {
        (Two parameter search 56)
             /* three real parameters with information! */
     else {
        search = FIND\_AG;
     if (Debug(DEBUG_SEARCH)) {
        fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup\sqcup}independent_{\sqcup}measurements_{\sqcup}=_{\sqcup}%3d\n", independent);
        if (search \equiv FIND_A) fprintf(stderr, "_ \sqcup \sqcup \sqcup \sqcup search_ = \sqcup FIND_A \ ");
        \mathbf{if} \ (\mathit{search} \equiv \mathtt{FIND\_B}) \ \mathit{fprintf} \ (\mathit{stderr}, \verb"$\sqcup\sqcup\sqcup\sqcup \mathtt{search} = \mathsf{\sqcup} \mathtt{FIND\_B} \verb"");
        if (search \equiv FIND\_BG) fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup}search_{\sqcup}=_{\sqcup}FIND\_BG\n");
        if (search \equiv FIND\_BaG) fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup}search_{\sqcup}=_{\sqcup}FIND\_BaG\n");
        if (search \equiv FIND\_BsG) fprintf(stderr, "_ \sqcup \sqcup \sqcup \sqcup search_ \sqcup = \sqcup FIND\_BsG \n");
         if (search \equiv FIND\_Ba) \ fprintf(stderr, "\verb|||| search = FIND\_Ba \"); 
         if (search \equiv FIND\_Bs) \ fprintf(stderr, "\verb|||| search = |FIND\_Bs \"); 
         \textbf{if} \ (search \equiv \texttt{FIND\_G}) \ \textit{fprintf} \ (stderr, \texttt{"} \verb| search \verb| | = \verb| \verb| | \texttt{FIND\_G} \verb| \verb| n"); \\
        if (search \equiv FIND_B_WITH_NO_ABSORPTION)
           fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup}search_{\sqcup}=_{\sqcup}FIND_B_WITH_NO_ABSORPTION\n");
```

35

This code is used in section 38.

55. The fastest inverse problems are those in which just one measurement is known. This corresponds to a simple one-dimensional minimization problem. The only complexity is deciding exactly what should be allowed to vary. The basic assumption is that the anisotropy has been specified or will be assumed to be zero

If the anistropy is assumed known, then one other assumption will allow us to figure out the last parameter to solve for.

Ultimately, if no default values are given, then we look at the value of the total transmittance. If this is zero, then we assume that the optical thickness is infinite and solve for the albedo. Otherwise we will just make a stab at solving for the optical thickness assuming the albedo is one.

```
⟨One parameter search 55⟩ ≡ if (r.default_a \neq \texttt{UNINITIALIZED}) {
  if (r.default_a \equiv 0) search = \texttt{FIND\_B\_WITH\_NO\_SCATTERING};
  else if (r.default_a \equiv 1) search = \texttt{FIND\_B\_WITH\_NO\_ABSORPTION};
  else if (tt \equiv 0) search = \texttt{FIND\_G};
  else search = \texttt{FIND\_B};
}
else if (r.default_b \neq \texttt{UNINITIALIZED}) search = \texttt{FIND\_A};
  else if (r.default_b \neq \texttt{UNINITIALIZED}) search = \texttt{FIND\_Ba};
  else if (r.default_b \neq \texttt{UNINITIALIZED}) search = \texttt{FIND\_Ba};
  else if (td \equiv 0) search = \texttt{FIND\_A};
  else if (td \equiv 0) search = \texttt{FIND\_B},
  else if (rd \equiv 0) search = \texttt{FIND\_B\_WITH\_NO\_SCATTERING};
  else search = \texttt{FIND\_B\_WITH\_NO\_ABSORPTION};
This code is used in section 54.
```

36 Searching method iad (v 3-12-0) §56

56. If the absorption depth $\mu_a d$ is constrained return $FIND_BsG$. Recall that I use the bizarre mnemonic $bs = \mu_s d$ here and so this means that the program will search over various values of $\mu_s d$ and g.

If there are just two measurements then I assume that the anisotropy is not of interest and the only thing to calculate is the reduced albedo and optical thickness based on an assumed anisotropy.

```
\langle \text{Two parameter search } 56 \rangle \equiv
  if (r.default_a \neq UNINITIALIZED) {
     if (r.default_a \equiv 0) search = FIND_B;
     else if (r.default\_g \neq UNINITIALIZED) search = FIND_B;
     else search = FIND_BG;
  else if (r.default_b \neq UNINITIALIZED) {
     if (r.default\_g \neq UNINITIALIZED) search = FIND\_A;
     else search = FIND\_AG;
  else if (r.default_ba \neq UNINITIALIZED) {
     if (r.default\_g \neq UNINITIALIZED) search = FIND\_Bs;
     else search = FIND_{-}BsG;
  else if (r.default_bs \neq \texttt{UNINITIALIZED}) {
     if (r.default\_g \neq UNINITIALIZED) search = FIND\_Ba;
     else search = FIND\_BaG;
  else if (rt + tt > 1 \land 0 \land m.num\_spheres \neq 2) search = FIND_B_WITH_NO_ABSORPTION;
  else search = FIND_AB;
This code is used in section 54.
```

57. This little routine just stuffs reasonable values into the structure we use to return the solution. This does not replace the values for $r.default_g$ nor for $r.method.quad_pts$. Presumably these have been set correctly elsewhere.

```
⟨ Prototype for Initialize_Result 57⟩ ≡
    void Initialize_Result(struct measure_type m, struct invert_type *r)
This code is used in sections 39 and 58.

58. ⟨ Definition for Initialize_Result 58⟩ ≡
    ⟨ Prototype for Initialize_Result 57⟩
    {
        ⟨ Fill r with reasonable values 59⟩
    }

This code is used in section 38.

59. Start with the optical properties.
⟨ Fill r with reasonable values 59⟩ ≡
    r→a = 0.0;
    r→b = 0.0;
    r→b = 0.0;
    r→g = 0.0;

See also sections 60, 61, and 62.
```

This code is used in section 58.

 $\S60$ IAD (v 3-12-0) SEARCHING METHOD 37

```
Continue with other useful stuff.
\langle \text{ Fill } r \text{ with reasonable values } 59 \rangle + \equiv
   r \rightarrow found = FALSE;
   r \rightarrow tolerance = 0.0001;
   r \rightarrow MC\_tolerance = 0.01;
                                            /* percent */
   r \rightarrow search = FIND\_AUTO;
   r \rightarrow metric = RELATIVE;
   r \rightarrow final\_distance = 10;
   r \rightarrow iterations = 0; r \rightarrow error = IAD_NO_ERROR;
        The defaults might be handy
\langle \text{Fill } r \text{ with reasonable values } 59 \rangle + \equiv
   r \rightarrow default_a = UNINITIALIZED;
   r \rightarrow default_b = UNINITIALIZED;
   r \rightarrow default\_g = UNINITIALIZED;
   r \rightarrow default_ba = UNINITIALIZED;
   r \rightarrow default\_bs = \texttt{UNINITIALIZED};
   r \rightarrow default\_mua = \texttt{UNINITIALIZED};
   r \rightarrow default\_mus = \texttt{UNINITIALIZED};
      It is necessary to set up the slab correctly so, I stuff reasonable values into this record as well.
\langle \text{ Fill } r \text{ with reasonable values } 59 \rangle + \equiv
   r \rightarrow slab.a = 0.5;
   r \rightarrow slab.b = 1.0;
   r \rightarrow slab.g = 0;
   r \rightarrow slab.phase\_function = \texttt{HENYEY\_GREENSTEIN};
   r \rightarrow slab.n\_slab = m.slab\_index;
   r \rightarrow slab.n\_top\_slide = m.slab\_top\_slide\_index;
   r \rightarrow slab.n\_bottom\_slide = m.slab\_bottom\_slide\_index;
   r \rightarrow slab.b\_top\_slide = m.slab\_top\_slide\_b;
   r \rightarrow slab.b\_bottom\_slide = m.slab\_bottom\_slide\_b;
   r \rightarrow slab.cos\_angle = m.slab\_cos\_angle;
   r \rightarrow method.a_{-}calc = 0.5;
   r \rightarrow method.b_{-}calc = 1;
   r \rightarrow method.g\_calc = 0.5;
   r \rightarrow method.quad\_pts = 8;
   r \rightarrow method.b_{-}thinnest = 1.0/32.0;
```

63. EZ Inverse RT. *ez_Inverse_RT* is a simple interface to the main function *Inverse_RT* in this package. It eliminates the need for complicated data structures so that the command line interface (as well as those to Perl and Mathematica) will be simpler. This function assumes that the reflection and transmission include specular reflection and that the transmission also include unscattered transmission.

Other assumptions are that the top and bottom slides have the same index of refraction, that the illumination is collimated. Of course no sphere parameters are included.

```
\langle \text{Prototype for } ez\_Inverse\_RT | 63 \rangle \equiv 
void ez\_Inverse\_RT | \text{(double } n, \text{double } nslide, \text{double UR1, double UT1, double } Tc, \text{double } *a, \text{double } *b, \text{double } *g, \text{ int } * \text{ error } )
This code is used in sections 39, 40, and 64.
```

38 EZ INVERSE RT IAD (v 3-12-0) $\S64$

```
64. \langle \text{ Definition for } ez\_Inverse\_RT | 64 \rangle \equiv
  \langle Prototype for ez\_Inverse\_RT 63 \rangle \{  struct measure_type m;
        struct invert_type r;
        *a = 0;
        *b = \texttt{HUGE\_VAL};
        *g = 0;
        Initialize\_Measure(\&m);
        m.slab\_index = n;
        m.slab\_top\_slide\_index = nslide;
        m.slab\_bottom\_slide\_index = nslide;
        m.slab\_cos\_angle = 1.0;
        m.num\_measures = 3;
        if (UT1 \equiv 0) m.num\_measures ---;
        if (Tc \equiv 0) m.num\_measures --;
        m.m_{-}r = \mathtt{UR1};
        m.m_{-}t = \mathtt{UT1};
        m.m_{-}u = Tc;
        Initialize\_Result(m, \&r);
        r.method.quad\_pts = 8;
        Inverse\_RT(m,\&r); *error = r . error ; if ( r . error \equiv IAD_NO_ERROR )
        {
          *a = r.a;
          *b = r.b;
          *g = r.g;
This code is used in section 38.
      \langle \text{Prototype for } Initialize\_Measure | 65 \rangle \equiv
  void Initialize_Measure(struct measure_type *m)
```

This code is used in sections 39 and 66.

```
\langle \text{ Definition for } Initialize\_Measure | 66 \rangle \equiv
⟨ Prototype for Initialize_Measure 65⟩
   double default\_sphere\_d = 8.0 * 25.4;
   double default\_sample\_d = 0.0 * 25.4;
   double default\_detector\_d = 0.1 * 25.4;
   double default\_entrance\_d = 0.5 * 25.4;
   double sphere = default\_sphere\_d * default\_sphere\_d;
   m \rightarrow slab\_index = 1.0;
   m \rightarrow slab\_top\_slide\_index = 1.0;
   m \rightarrow slab\_top\_slide\_b = 0.0;
   m \rightarrow slab\_top\_slide\_thickness = 0.0;
   m \rightarrow slab\_bottom\_slide\_index = 1.0;
   m \rightarrow slab\_bottom\_slide\_b = 0.0;
   m \rightarrow slab\_bottom\_slide\_thickness = 0.0;
   m \rightarrow slab\_thickness = 1.0;
   m \rightarrow slab\_cos\_angle = 1.0;
   m \rightarrow num\_spheres = 0;
   m \rightarrow num\_measures = 1;
   m \rightarrow method = UNKNOWN;
   m \rightarrow fraction\_of\_rc\_in\_mr = 1.0;
   m \rightarrow fraction\_of\_tc\_in\_mt = 1.0;
   m \rightarrow flip\_sample = 0;
   m \rightarrow m_{-}r = 0.0;
   m \rightarrow m_{-}t = 0.0:
   m \rightarrow m_{-}u = 0.0;
   m \rightarrow d\_sphere\_r = default\_sphere\_d;
   m \rightarrow as_r = default\_sample\_d * default\_sample\_d / sphere;
   m \rightarrow ad_r = default\_detector\_d * default\_detector\_d / sphere;
   m \rightarrow ae\_r = default\_entrance\_d * default\_entrance\_d/sphere;
   m \rightarrow aw_r = 1.0 - m \rightarrow as_r - m \rightarrow ad_r - m \rightarrow ae_r;
   m \rightarrow rd_{-}r = 0.0;
   m \rightarrow rw r = 1.0;
   m \rightarrow rstd_{-}r = 1.0;
   m \rightarrow f_{-}r = 0.0;
   m \rightarrow d\_sphere\_t = default\_sphere\_d;
   m \rightarrow as_{-}t = m \rightarrow as_{-}r;
   m \rightarrow ad_{-}t = m \rightarrow ad_{-}r;
   m \rightarrow ae_{-}t = m \rightarrow ae_{-}r;
   m \rightarrow aw_{-}t = m \rightarrow aw_{-}r;
   m rd_t = 0.0;
   m \rightarrow rw_{-}t = 1.0;
   m \rightarrow rstd_-t = 1.0;
   m \rightarrow f_- t = 0.0;
   m \rightarrow lambda = 0.0;
   m \rightarrow d\_beam = 0.0;
   m \rightarrow ur1\_lost = 0;
   m \rightarrow uru\_lost = 0;
   m \rightarrow ut1\_lost = 0;
   m \rightarrow utu\_lost = 0;
```

This code is used in section 38.

40 EZ INVERSE RT IAD (v 3-12-0) $\S67$

67. To avoid interfacing with C-structures it is necessary to pass the information as arrays. Here I have divided the experiment into (1) setup, (2) reflection sphere coefficients, (3) transmission sphere coefficients, (4) measurements, and (5) results.

```
⟨Prototype for Spheres_Inverse_RT 67⟩ ≡

void Spheres_Inverse_RT (double *setup, double *analysis, double *sphere_r, double *sphere_t, double *measurements, double *results)
```

This code is used in sections 40 and 68.

```
\langle \text{ Definition for } Spheres\_Inverse\_RT | 68 \rangle \equiv
  \langle Prototype for Spheres\_Inverse\_RT \ 67 \rangle \{  struct measure_type m;
        struct invert_type r;
        long num_photons;
        double ur1, ut1, uru, utu;
        int i, mc\_runs = 1;
        Initialize\_Measure(\&m);
        \langle \text{ handle setup } 69 \rangle
        \langle handle reflection sphere 72\rangle
        (handle transmission sphere 73)
        \langle \text{ handle measurement } 71 \rangle
        Initialize\_Result(m, \&r);
        results[0] = 0;
        results[1] = 0;
        results[2] = 0;
        \langle handle analysis 70 \rangle
        Inverse\_RT(m, \&r);
        for (i = 0; i < mc\_runs; i++) {
           MC\_Lost(m, r, num\_photons, \&ur1, \&ut1, \&uru, \&utu, \&m.ur1\_lost, \&m.ut1\_lost, \&m.uru\_lost,
                 \&m.utu\_lost);
           Inverse\_RT(m, \&r);
        \mathbf{if}~(~r~.~\mathbf{error} \equiv \mathtt{IAD\_NO\_ERROR}~)
           results[0] = (1 - r.a) * r.b/m.slab\_thickness;
           results[1] = (r.a) * r.b/m.slab\_thickness;
           results[2] = r.g;
        results[3] = r \cdot \mathbf{error}; }
This code is used in section 38.
```

IAD (v 3-12-0) EZ INVERSE RT 41

```
These are in exactly the same order as the parameters in the .rxt header
\langle \text{ handle setup } 69 \rangle \equiv
     double d_sample_r, d_entrance_r, d_detector_r;
     double d_sample_t, d_entrance_t, d_detector_t;
     m.slab\_index = setup[0];
     m.slab\_top\_slide\_index = setup[1];
     m.slab\_thickness = setup[2];
     m.slab\_top\_slide\_thickness = setup[3];
     m.d_beam = setup[4];
     m.rstd_r = setup[5];
     m.num\_spheres = (int) setup[6];
     m.d\_sphere\_r = setup[7];
     d\_sample\_r = setup[8];
     d_{-}entrance_{-}r = setup[9];
     d_{-}detector_{-}r = setup[10];
     m.rw_r = setup[11];
     m.d\_sphere\_t = setup[12];
     d\_sample\_t = setup[13];
     d_{-}entrance_{-}t = setup[14];
     d\_detector\_t = setup[15];
     m.rw_{-}t = setup[16];
     r.default_g = setup[17];
     num\_photons = (long) setup [18];
     m.as\_r = (d\_sample\_r/m.d\_sphere\_r) * (d\_sample\_r/m.d\_sphere\_r);
     m.ae\_r = (d\_entrance\_r/m.d\_sphere\_r) * (d\_entrance\_r/m.d\_sphere\_r);
     m.ad\_r = (d\_detector\_r/m.d\_sphere\_r) * (d\_detector\_r/m.d\_sphere\_r);
     m.aw_r = 1.0 - m.as_r - m.ae_r - m.ad_r;
     m.as_t = (d\_sample\_t/m.d\_sphere\_t) * (d\_sample\_t/m.d\_sphere\_t);
     m.ae\_t = (d\_entrance\_t/m.d\_sphere\_t) * (d\_entrance\_t/m.d\_sphere\_t);
     m.ad_t = (d_detector_t/m.d_sphere_t) * (d_detector_t/m.d_sphere_t);
     m.aw_{-}t = 1.0 - m.as_{-}t - m.ae_{-}t - m.ad_{-}t;
     m.slab\_bottom\_slide\_index = m.slab\_top\_slide\_index;
     m.slab\_bottom\_slide\_thickness = m.slab\_top\_slide\_thickness;
     fprintf(stderr, "****uexecuting_FIXME_****/n");
     m.slab\_cos\_angle = 1.0;
                                   /* FIXME */
  }
This code is used in section 68.
     \langle \text{ handle analysis } 70 \rangle \equiv
  r.method.quad_pts = (int) analysis[0];
  mc\_runs = (\mathbf{int}) \ analysis[1];
This code is used in section 68.
```

§69

42 EZ INVERSE RT IAD (v 3-12-0) §71

```
71.
```

```
\langle \text{ handle measurement } 71 \rangle \equiv
  m.m_r = measurements[0];
  m.m_{-}t = measurements[1];
  m.m_u = measurements[2];
  m.num\_measures = 3;
  if (m.m_{-}t \equiv 0) m.num_{-}measures --;
  if (m.m_{-}u \equiv 0) m.num_{-}measures ---;
This code is used in section 68.
72.
\langle handle reflection sphere 72\rangle \equiv
  m.as_r = sphere_r[0];
  m.ae_r = sphere_r[1];
  m.ad_r = sphere_r[2];
  m.rw_r = sphere_r[3];
  m.rd_r = sphere_r[4];
  m.rstd_r = sphere_r[5];
  m.f_r = sphere_r[7];
This code is used in section 68.
73.
```

```
\langle \text{ handle transmission sphere } 73 \rangle \equiv
  m.as_t = sphere_t[0];
  m.ae_t = sphere_t[1];
  m.ad_t = sphere_t[2];
  m.rw_t = sphere_t[3];
  m.rd_{-}t = sphere_{-}t[4];
  m.rstd_{-}t = sphere_{-}t[5];
  m.f_t = sphere_t[7];
```

This code is used in section 68.

74. I needed a routine that would calculate the values of M_R and M_T without doing the whole inversion process. It seems odd that this does not exist yet.

The values for the lost light $m.uru_lost$ etc., should be calculated before calling this routine.

```
\langle Prototype for Calculate\_MR\_MT 74 \rangle \equiv
```

 $\mathbf{void} \ \mathit{Calculate_MR_MT} (\mathbf{struct} \ \mathbf{measure_type} \ \mathit{m}, \mathbf{struct} \ \mathbf{invert_type} \ \mathit{r}, \mathbf{int} \ \mathit{include_MC}, \mathbf{double}$ $*M_R, double *M_T)$

This code is used in sections 39 and 75.

EZ INVERSE RT 43

```
\langle \text{ Definition for } Calculate\_MR\_MT | 75 \rangle \equiv
  \langle Prototype for Calculate\_MR\_MT 74 \rangle
     double distance, ur1, ut1, uru, utu;
     struct measure_type old_mm;
     struct invert_type old_rr;
     if (include\_MC \land m.num\_spheres > 0) MC\_Lost(m, r, -2000, \&ur1, \&ut1, \&uru, \&utu, \&(m.ur1\_lost),
            \&(m.ut1\_lost), \&(m.uru\_lost), \&(m.utu\_lost));
     Get\_Calc\_State(\&old\_mm,\&old\_rr);
     Set\_Calc\_State(m, r);
     Calculate_Distance (M_R, M_T, & distance);
     Set\_Calc\_State(old\_mm, old\_rr);
This code is used in section 38.
76. So, it turns out that the minimum measured M_R can be less than four percent for black glass! This is
because the sphere efficiency is much worse for the glass than for the white standard.
\langle Prototype for Calculate\_Minimum\_MR 76 \rangle \equiv
  void Calculate\_Minimum\_MR(struct measure_type m, struct invert_type r, double *mr, double
       *mt)
This code is used in sections 39 and 77.
      \langle \text{ Definition for } Calculate\_Minimum\_MR \mid 77 \rangle \equiv
  \langle Prototype for Calculate\_Minimum\_MR 76 \rangle
     if (r.default_b \equiv \mathtt{UNINITIALIZED})
       if (r.slab.n_slab > 1.0) r.slab.b = HUGE_VAL;
       else r.slab.b = 1 \cdot 10^{-5};
     else r.slab.b = r.default_b;
     if (r.default_a \equiv UNINITIALIZED) r.slab.a = 0;
     else r.slab.a = r.default_a;
     if (r.default\_g \equiv \mathtt{UNINITIALIZED}) \ r.slab.g = 0.0;
     else r.slab.q = r.default\_q;
     if (r.search \equiv FIND_G) \ r.slab.a = 0;
     r.a = r.slab.a;
     r.b = r.slab.b;
     r.g = r.slab.g;
     Calculate\_MR\_MT(m, r, 0, mr, mt);
     *mt = 0;
This code is used in section 38.
```

§75

IAD (v 3-12-0)

44 EZ INVERSE RT IAD (v 3-12-0) §78

78. The minimum possible value of MR for a given MT will be when the albedo is zero and the maximum value will be when the albedo is one. In the first case there will be no light loss and in the second we will assume that any light loss is neglible (to maximize MR).

The second case is perhaps over-simplified. Obviously for a fixed thickness as the albedo increases, the reflectance will increase. So how does $U_Find_B()$ work when the albedo is set to 1?

The problem is that to calculate these values one must know the optical thickness. Fortunately with the recent addition of constrained minimization, we can do exactly this.

The only thing that remains is to sort out the light lost effect.

```
\langle \text{ Prototype for } MinMax\_MR\_MT | 78 \rangle \equiv
  int MinMax_MR_MT(struct measure_type m, struct invert_type r)
This code is used in sections 39 and 79.
     \langle \text{ Definition for } MinMax\_MR\_MT | 79 \rangle \equiv
  \langle Prototype for MinMax_MR_MT 78 \rangle
    double distance, measured_m_r, min_possible_m_r, max_possible_m_r, temp_m_t;
    if (m.m_r < 0) return IAD_MR_TOO_SMALL;
    if (m.m_r * m.rstd_r > 1) return IAD_MR_TOO_BIG;
    if (m.m_t < 0) return IAD_MT_TOO_SMALL;
    if (m.m_t \equiv 0) return IAD_NO_ERROR;
    measured\_m\_r = m.m\_r;
    m.m_{-}r = 0;
    r.search = FIND_B;
    r.default_a = 0;
     U_{-}Find_{-}B(m,\&r);
    Calculate\_Distance(\&min\_possible\_m\_r, \&temp\_m\_t, \&distance);
    if (measured_m_r < min_possible_m_r) return IAD_MR_TOO_SMALL;
    r.default\_a = 1.0;
     U_{-}Find_{-}B(m, \&r);
     Calculate\_Distance(\&max\_possible\_m\_r, \&temp\_m\_t, \&distance);
    if (measured\_m\_r > max\_possible\_m\_r) return IAD_MR_TOO_BIG;
    return IAD_NO_ERROR;
This code is used in section 38.
     \langle Prototype for Spheres_Inverse_RT2 | 80 \rangle \equiv
  void Spheres_Inverse_RT2 (double *sample, double *illumination, double *sphere_r, double
       *sphere_t, double *analysis, double *measurement, double *a, double *b, double *g)
This code is used in sections 39, 40, and 81.
```

 $\S81$ IAD (v 3-12-0) EZ INVERSE RT 45

```
\langle \text{ Definition for } Spheres\_Inverse\_RT2 \mid 81 \rangle \equiv
  \langle Prototype for Spheres\_Inverse\_RT2 \ 80 \rangle \{ struct measure\_type m; \}
       struct invert_type r;
       \mathbf{long} \; num\_photons;
       double ur1, ut1, uru, utu;
       int i. mc\_runs = 1:
       Initialize\_Measure(\&m);
       \langle \text{ handle 2 sample 82} \rangle
        ⟨ handle2 illumination 83⟩
        (handle2 reflection sphere 84)
        ⟨ handle2 transmission sphere 85⟩
        \langle \text{ handle 2 analysis } 86 \rangle
        (handle2 measurement 87)
        Initialize\_Result(m, \&r);
       Inverse\_RT(m, \&r);
       for (i = 0; i < mc\_runs; i++) {
          MC\_Lost(m, r, num\_photons, \&ur1, \&ut1, \&uru, \&utu, \&m.ur1\_lost, \&m.ut1\_lost, \&m.uru\_lost,
               &m.utu_lost);
          Inverse\_RT(m, \&r);
       if (r \cdot \mathbf{error} \equiv \mathtt{IAD\_NO\_ERROR})
          *a = r.a;
          *b = r.b;
          *g = r.g;
This code is used in section 38.
      Just move the values from the sample array into the right places
\langle \text{ handle 2 sample 82} \rangle \equiv
  m.slab\_index = sample[0];
  m.slab\_top\_slide\_index = sample[1];
  m.slab\_bottom\_slide\_index = sample[2];
  m.slab\_thickness = sample[3];
  m.slab\_top\_slide\_thickness = sample [4];
  m.slab\_bottom\_slide\_thickness = sample[5];
  m.slab\_top\_slide\_thickness = 0;
  m.slab\_bottom\_slide\_thickness = 0;
This code is used in section 81.
83. Just move the values from the illumination array into the right places. Need to spend time to figure
out how to integrate items 2, 3, and 4
\langle \text{ handle 2 illumination } 83 \rangle \equiv
                                        /* m.lambda = illumination[1]; */
  m.d_beam = illumination[0];
     /* m.specular-reflection-excluded = illumination[2]; */ /* m.direct-transmission-excluded =
       illumination[3]; */
                               /* m.diffuse-illumination = illumination[4]; */
  m.num\_spheres = illumination[5];
This code is used in section 81.
```

46 EZ INVERSE RT IAD (v 3-12-0) §84

```
\langle \text{ handle 2 reflection sphere } 84 \rangle \equiv
     double d_sample_r, d_entrance_r, d_detector_r;
     m.d\_sphere\_r = sphere\_r[0];
     d\_sample\_r = sphere\_r[1];
     d_-entrance_-r = sphere_-r[2];
     d\_detector\_r = sphere\_r[3];
     m.rw_r = sphere_r[4];
     m.rd_r = sphere_r[5];
     m.as\_r = (d\_sample\_r/m.d\_sphere\_r) * (d\_sample\_r/m.d\_sphere\_r);
     m.ae\_r = (d\_entrance\_r/m.d\_sphere\_r) * (d\_entrance\_r/m.d\_sphere\_r);
     m.ad_r = (d_detector_r/m.d_sphere_r) * (d_detector_r/m.d_sphere_r);
     m.aw_r = 1.0 - m.as_r - m.ae_r - m.ad_r;
This code is used in section 81.
85.
\langle handle2 transmission sphere 85\rangle \equiv
     double d_sample_t, d_entrance_t, d_detector_t;
     m.d\_sphere\_t = sphere\_t[0];
     d\_sample\_t = sphere\_t[1];
     d_{-}entrance_{-}t = sphere_{-}t[2];
     d_{-}detector_{-}t = sphere_{-}t[3];
     m.rw_t = sphere_t[4];
     m.rd_t = sphere_t[5];
     m.as_t = (d\_sample\_t/m.d\_sphere\_t) * (d\_sample\_t/m.d\_sphere\_t);
     m.ae\_t = (d\_entrance\_t/m.d\_sphere\_t) * (d\_entrance\_t/m.d\_sphere\_t);
     m.ad_t = (d_detector_t/m.d_sphere_t) * (d_detector_t/m.d_sphere_t);
     m.aw_{-}t = 1.0 - m.as_{-}t - m.ae_{-}t - m.ad_{-}t;
This code is used in section 81.
86.
\langle \text{ handle 2 analysis 86} \rangle \equiv
  r.method.quad\_pts = (int) analysis[0];
  mc\_runs = (\mathbf{int}) \ analysis[1];
  num\_photons = (\mathbf{long}) \ analysis[2];
This code is used in section 81.
87.
\langle \text{ handle 2 measurement } 87 \rangle \equiv
  m.rstd_r = measurement[0];
  m.m.r = measurement[1];
  m.m_{-}t = measurement[2];
  m.m_u = measurement[3];
  m.num\_measures = 3;
  if (m.m_t \equiv 0) m.num_measures --;
  if (m.m_u \equiv 0) m.num_measures --;
This code is used in section 81.
```

84.

 $\S 88$ IAD (v 3-12-0) IAD INPUT OUTPUT 47

88. IAD Input Output.

This code is used in sections 89 and 92.

```
The special define below is to get Visual C to suppress silly warnings.
\langle iad_io.c 88 \rangle \equiv
#define _CRT_SECURE_NO_WARNINGS
#include <string.h>
#include <stdio.h>
#include <ctype.h>
#include <math.h>
#include "ad_globl.h"
#include "iad_type.h"
\#include "iad_io.h"
#include "iad_pub.h"
\#include "version.h"
  ⟨ Definition for skip_white 98⟩
  \langle \text{ Definition for } read\_number 100 \rangle
  ⟨ Definition for check_magic 102 ⟩
  ⟨ Definition for Read_Header 92 ⟩
  ⟨ Definition for Write_Header 104⟩
  \langle Definition for Read\_Data\_Line 96 \rangle
89. \langle iad_io.h 89 \rangle \equiv
  ⟨ Prototype for Read_Header 91⟩;
  \langle \text{ Prototype for } Write\_Header 103 \rangle;
  ⟨ Prototype for Read_Data_Line 95⟩;
90.
    Reading the file header.
      \langle \text{ Prototype for } Read\_Header 91 \rangle \equiv
  int Read_Header(FILE *fp, struct measure_type *m, int *params)
```

92. Pretty straightforward stuff. The only thing that needs to be commented on is that only one slide thickness/index is specified in the file. This must be applied to both the top and bottom slides. Finally, to specify no slide, then either setting the slide index to 1.0 or the thickness to 0.0 should do the trick.

```
\langle \text{ Definition for } Read\_Header 92 \rangle \equiv
   \langle Prototype for Read\_Header 91 \rangle
      double x;
      Initialize\_Measure(m);
      if (check_magic(fp)) return 1;
      if (read_number(fp, &m¬slab_index)) return 1;
      if (read_number(fp,&m¬slab_top_slide_index)) return 1;
      if (read\_number(fp, \&m \neg slab\_thickness)) return 1;
      if (read_number(fp, &m¬slab_top_slide_thickness)) return 1;
      if (read\_number(fp, \&m \neg d\_beam)) return 1;
      if (m \rightarrow slab\_top\_slide\_thickness \equiv 0.0) m \rightarrow slab\_top\_slide\_index = 1.0;
      if (m \rightarrow slab\_top\_slide\_index \equiv 1.0) m \rightarrow slab\_top\_slide\_thickness = 0.0;
      if (m \rightarrow slab\_top\_slide\_index \equiv 0.0) {
        m \rightarrow slab\_top\_slide\_thickness = 0.0;
        m \rightarrow slab\_top\_slide\_index = 1.0;
      m \rightarrow slab\_bottom\_slide\_index = m \rightarrow slab\_top\_slide\_index;
      m \rightarrow slab\_bottom\_slide\_thickness = m \rightarrow slab\_top\_slide\_thickness;
      if (read\_number(fp, \&m \neg rstd\_r)) return 1;
      if (read\_number(fp, \&x)) return 1;
      m \rightarrow num\_spheres = (\mathbf{int}) x;
      m \rightarrow method = SUBSTITUTION;
      (Read coefficients for reflection sphere 93)
      (Read coefficients for transmission sphere 94)
      if (read\_number(fp, \&x)) return 1;
      *params = (\mathbf{int}) x;
      m \rightarrow num\_measures = (*params \ge 3) ? 3 : *params;
      return 0;
This code is used in section 88.
       \langle Read coefficients for reflection sphere 93\rangle \equiv
      double d_sample_r, d_entrance_r, d_detector_r;
      if (read\_number(fp, \&m \neg d\_sphere\_r)) return 1;
      if (read\_number(fp, \&d\_sample\_r)) return 1;
      if (read\_number(fp, \&d\_entrance\_r)) return 1;
      if (read\_number(fp, \&d\_detector\_r)) return 1;
      if (read\_number(fp, \&m \neg rw\_r)) return 1;
      m \rightarrow as\_r = (d\_sample\_r/m \rightarrow d\_sphere\_r) * (d\_sample\_r/m \rightarrow d\_sphere\_r)/4.0;
      m \rightarrow ae\_r = (d\_entrance\_r/m \rightarrow d\_sphere\_r) * (d\_entrance\_r/m \rightarrow d\_sphere\_r)/4.0;
      m \rightarrow ad\_r = (d\_detector\_r/m \rightarrow d\_sphere\_r) * (d\_detector\_r/m \rightarrow d\_sphere\_r)/4.0;
      m \rightarrow aw_r = 1.0 - m \rightarrow as_r - m \rightarrow ae_r - m \rightarrow ad_r;
This code is used in section 92.
```

```
94. \langle Read coefficients for transmission sphere 94\rangle \equiv {
            double d\_sample\_t, d\_entrance\_t, d\_detector\_t;
            if (read\_number(fp, \&m \neg d\_sphere\_t)) return 1;
            if (read\_number(fp, \&d\_entrance\_t)) return 1;
            if (read\_number(fp, \&d\_entrance\_t)) return 1;
            if (read\_number(fp, \&d\_detector\_t)) return 1;
            if (read\_number(fp, \&m \neg rw \_t)) return 1;
            if (read\_number(fp, \&m \neg rw \_t)) return 1;
            im \neg as\_t = (d\_sample\_t/m \neg d\_sphere\_t) * (d\_sample\_t/m \neg d\_sphere\_t)/4.0;
            m \neg ae\_t = (d\_entrance\_t/m \neg d\_sphere \_t) * (d\_entrance\_t/m \neg d\_sphere \_t)/4.0;
            m \neg aw\_t = (d\_detector\_t/m \neg d\_sphere \_t) * (d\_detector\_t/m \neg d\_sphere \_t)/4.0;
            m \neg aw\_t = 1.0 - m \neg as\_t - m \neg ae\_t - m \neg ad\_t;
        }

This code is used in section 92.
```

95. Reading just one line of a data file.

This reads a line of data based on the value of params.

If the first number is greater than one then it is assumed to be the wavelength and is ignored. test on the first value of the line.

A non-zero value is returned upon a failure.

```
⟨ Prototype for Read_Data_Line 95⟩ ≡
  int Read_Data_Line (FILE *fp, struct measure_type *m, int params)
This code is used in sections 89 and 96.

96. ⟨ Definition for Read_Data_Line 96⟩ ≡
  ⟨ Prototype for Read_Data_Line 95⟩
  {
    if (read_number(fp, &m→m_r)) return 1;
    if (m→m_r > 1) {
        m→lambda = m→m_r;
        if (read_number(fp, &m→m_r)) return 1;
    }
    if (params ≡ 1) return 0;
    if (read_number(fp, &m→m_t)) return 1;
```

This code is used in section 88.

return 0;

if $(params \equiv 2)$ return 0;

if $(params \equiv 3)$ return 0;

if $(params \equiv 4)$ return 0;

if $(params \equiv 5)$ return 0;

if $(params \equiv 6)$ return 0;

 $m \rightarrow rw_{-}t = m \rightarrow rw_{-}r;$

if $(read_number(fp, \&m \neg m_u))$ return 1;

if $(read_number(fp, \&m \neg rw_r))$ return 1;

if $(read_number(fp, \&m \neg rw_t))$ return 1;

if $(read_number(fp, \&m \neg rstd_r))$ return 1;

if $(read_number(fp, \&m \neg rstd_t))$ return 1;

Skip over white space and comments. It is assumed that # starts all comments and continues to the end of a line. This routine should work on files with nearly any line ending CR, LF, CRLF.

Failure is indicated by a non-zero return value.

```
\langle \text{ Prototype for } skip\_white 97 \rangle \equiv
  int skip_white(FILE *fp)
This code is used in section 98.
98. \langle \text{ Definition for } skip\_white 98 \rangle \equiv
   \langle \text{ Prototype for } skip\_white 97 \rangle
     int c = fgetc(fp);
     while (\neg feof(fp)) {
        if (isspace(c)) c = fgetc(fp);
        else if (c \equiv "") do c = fgetc(fp); while (\neg feof(fp) \land c \neq "\n" \land c \neq "\");
        else break;
     if (feof(fp)) return 1;
     ungetc(c, fp);
     return 0;
This code is used in section 88.
      Read a single number. Return 0 if there are no problems, otherwise return 1.
\langle\, {\rm Prototype} \ {\rm for} \ {\it read\_number} \ 99 \,\rangle \equiv
  int read\_number(FILE *fp, double *x)
This code is used in section 100.
100. \langle \text{ Definition for } read\_number | 100 \rangle \equiv
   \langle \text{ Prototype for } read\_number 99 \rangle
     if (skip\_white(fp)) return 1;
     if (fscanf(fp, "%lf", x)) return 0;
     else return 1;
This code is used in section 88.
```

Ensure that the data file is actually in the right form. Return 0 if the file has the right starting characters. Return 1 if on a failure.

```
\langle \text{ Prototype for } check\_magic \ 101 \rangle \equiv
   int check_magic(FILE *fp)
This code is used in section 102.
```

```
\langle \text{ Definition for } check\_magic | 102 \rangle \equiv
  \langle \text{ Prototype for } check\_magic \ 101 \rangle
     char magic[] = "IAD1";
     int i, c;
     for (i = 0; i < 4; i++) {
       c = fgetc(fp);
       if (feof(fp) \lor c \neq magic[i]) {
          fprintf(stderr, "Sorry, \_but\_iad\_input\_files\_must\_begin\_with\_IAD1\n");
          fprintf(stderr, "\_\_\_\_\_\_as_\_the\_\_first\_\_four\_\_characters\_\_of\_\_the\_\_file.\n");
          fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} Perhaps_{\sqcup}you_{\sqcup}are_{\sqcup}using_{\sqcup}an_{\sqcup}old_{\sqcup}iad_{\sqcup}format?\n");
          return 1;
     return 0;
This code is used in section 88.
103. Formatting the header information.
\langle Prototype for Write\_Header 103 \rangle \equiv
  void Write_Header(struct measure_type m, struct invert_type r, int params)
This code is used in sections 89 and 104.
104. \langle Definition for Write_Header 104\rangle \equiv
   \langle Prototype for Write\_Header 103 \rangle
     \langle \text{Write slab info } 105 \rangle
      Write irradiation info 106
      Write general sphere info 107
      Write first sphere info 108
      Write second sphere info 109
     Write measure and inversion info 110
This code is used in section 88.
105. \langle \text{Write slab info } 105 \rangle \equiv
  double xx;
  printf("#□InverseuAdding-Doublingu%su\n", Version);
  printf ("#<sub>|</sub>\n");
  printf("\#_{\verb|color|},m.d\_beam\_diameter_{\verb|color|}\%7.1f\_mm\n",m.d\_beam);
  printf("\#_{\square\square\square\square\square\square\square\square\square\square\square\square}Sample_{\square}index_{\square}of_{\square}refraction_{\square}=_{\square}\%7.4f\n", m.slab_index);
  printf("\#_{ \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup \sqcup} Top_{ \sqcup} slide_{ \sqcup index_{ \sqcup} of_{ \sqcup} refraction_{ \sqcup} = { \sqcup} \%7.4 f\n", m.slab\_top\_slide\_index);
  printf("\#_{\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}Bottom_slide_{\sqcup}index_{\sqcup}of_{\sqcup}refraction_{\sqcup}=_{\sqcup}\%7.4f\n", m.slab_bottom_slide_index);
This code is used in section 104.
106. \langle Write irradiation info 106 \rangle \equiv
  printf("#_{\sqcup}\n");
This code is used in section 104.
```

```
107. (Write general sphere info 107) \equiv
       printf("\#_{\sqcup\sqcup\sqcup\sqcup}Fraction_{\sqcup}unscattered_{\sqcup}refl._{\sqcup}in_{\sqcup}M_{R}_{\sqcup}=_{\sqcup}\%7.1f_{\sqcup}\%\%n", m.fraction_of_rc_in_mr*100);
       printf("\#_{\sqcup\sqcup\sqcup} Fraction_{\sqcup} unscattered_{\sqcup} trans._{\sqcup} in_{\sqcup} M_{\_} T_{\sqcup} = _{\sqcup} \% 7.1 f_{\sqcup} \% \n", m. fraction_of_tc_in_m t*100);
       printf("#_{\sqcup}\n");
This code is used in section 104.
108. \langle \text{Write first sphere info } 108 \rangle \equiv
       printf("#|Reflection|sphere\n");
       printf("\#_{\square\square\square\square\square\square\square\square\square\square\square\square} sphere\_diameter_{\square}= \_\%7.1 f_{\square} mm \ 'n", m.d\_sphere\_r);
       printf("\#_{\square}) = 1 entrance_port_diameter_=_\%7.1f_\mm\\\\n", 2 * m.d_sphere_r * sqrt(m.ae_r));
       printf("\#_{\verb|color|} - \#_{\verb|color|} - \#_{\verb|color|}); \\ \text{standard}_{\verb|color|} - \#_{\verb|color|} -
       printf("#\n");
This code is used in section 104.
109. \langle Write second sphere info 109 \rangle \equiv
       printf("#□Transmission□sphere\n");
       printf("\#_{\square\square\square\square\square\square\square\square\square\square\square\square\square} sphere\_diameter_{\square}= \_\%7.1f_{\square} mm \ 'n", m.d\_sphere\_t);
       printf("\#_{ \cup color color
       printf("\#_{\verb|color||} * m \land ", 2*m.d\_sphere\_r * sqrt(m.ad\_t));
       printf("\#_{\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup\cup}standard_transmittance_=_%7.1f_\%%\n", m.rstd_-t*100);
       This code is used in section 104.
```

```
110. \langle Write measure and inversion info | 110\rangle \equiv
  printf("#\n");
  switch (params) {
  \mathbf{case} \ -1: \ \mathit{printf} \ ("\#_{\sqcup} \mathtt{No}_{\sqcup} \mathtt{M}_{\_} \mathtt{R}_{\sqcup} \mathtt{or}_{\sqcup} \mathtt{M}_{\_} \mathtt{T}_{\sqcup} --_{\sqcup} \mathtt{forward}_{\sqcup} \mathtt{calculation}. \ \ \ \ \ \ \ \ \ \ \ \ );
  case 1: printf("#□Just□M_R□was□measured");
      break;
  case 2: printf("#⊔M_R⊔and⊔M_T⊔were⊔measured");
  case 3: printf("\#_{\square}M_R,_{\square}M_T,_{\square}and_{\square}M_U_{\square}were_{\square}measured");
  case 4: printf("#\uM_R,\uM_T,\uM_U,\uand\ur_w\uwere\umeasured");
  \mathbf{case}\ 5:\ \mathit{printf}\ (\texttt{"\#} \sqcup \texttt{M}\_\texttt{R}, \sqcup \texttt{M}\_\texttt{T}, \sqcup \texttt{M}\_\texttt{U}, \sqcup \texttt{r}\_\texttt{w}, \sqcup \mathtt{and} \sqcup \texttt{t}\_\texttt{w} \sqcup \mathtt{were} \sqcup \mathtt{measured}");
      break:
  break:
  case 7: printf("\#_{\sqcup}M_{\_}R,_{\sqcup}M_{\_}T,_{\sqcup}M_{\_}U,_{\sqcup}r_{\_}w,_{\sqcup}t_{\_}w,_{\sqcup}r_{\_}std_{\sqcup}and_{\sqcup}t_{\_}std_{\sqcup}were_{\sqcup}measured");
      break;
  default: printf("#uSomethinguwentuwrongu...umeasuresushouldubeu1utou5!\n");
      break;
  if (1 \le params \land params \le 7) {
      if (m.flip\_sample) printf("_{\sqcup}(sample_{\sqcup}flipped)_{\sqcup}");
      switch (m.method)  {
      case UNKNOWN: printf("using_an_unknown_method.\n");
         break;
      case SUBSTITUTION: printf("using the substitution (single-beam) method. n");
         break:
      case COMPARISON: printf("\_using\_the\_comparison\_(dual-beam)\_method.\n");
  switch (m.num\_spheres) {
  case 0: printf("#⊔No⊔sphereucorrectionsuwereused");
  case 1: printf("#⊔Single⊔sphere⊔corrections⊔were⊔used");
      break;
  case 2: printf("#□Double□sphere□corrections□were□used");
      break;
  printf(" \sqcup with \sqcup light \sqcup incident \sqcup at \sqcup %d \sqcup degrees \sqcup from \sqcup the \sqcup normal",
         (int)(acos(m.slab\_cos\_angle)*57.2958));
  printf(".\n");
  switch (r.search) {
  case FIND_AB: printf("\#_{\square}The_{\square}inverse_{\square}routine_{\square}varied_{\square}the_{\square}albedo_{\square}and_{\square}optical_{\square}depth.\n");
      printf("#_{\sqcup}\n");
      xx = (r.default_g \neq UNINITIALIZED) ? r.default_g : 0;
      printf("\#_{\square}Default_{\square}single_{\square}scattering_{\square}anisotropy_{\square}=_{\square}\%7.3f_{\square}\n", xx);
      break:
  case FIND_AG: printf("#LTheLinverseLroutineLvariedLtheLalbedoLandLanisotropy.\n");
      printf("#_{\sqcup}\n");
```

54

```
if (r.default_b \neq UNINITIALIZED)
       else printf("#_{\sqcup}\n");
    break;
  case FIND_AUTO: printf("#uTheuinverseuroutineuadaptedutoutheuinputudata.\n");
    printf ("#<sub>| |</sub>\n");
    printf("#_{\sqcup}\n");
    break;
  case FIND_A: printf("#_The_inverse_routine_varied_only_the_albedo.\n");
    printf("#_{\sqcup}\n");
    xx = (r.default\_g \neq \mathtt{UNINITIALIZED}) ? r.default\_g : 0;
    printf("\#_{\sqcup}Default_{\sqcup}single_{\sqcup}scattering_{\sqcup}anisotropy_{\sqcup}is_{\sqcup}\%7.3f_{\sqcup}", xx);
    xx = (r.default_b \neq UNINITIALIZED) ? r.default_b : HUGE_VAL;
    printf("\_and\_(mu\_t*d)\_=\_\%7.3g\n", xx);
    break;
  case FIND_B: printf("#LTheLinverseLroutineLvariedLonlyLtheLopticalLdepth.\n");
    printf ("#<sub>1.1</sub>\n");
    xx = (r.default\_g \neq \mathtt{UNINITIALIZED}) ? r.default\_g : 0;
    printf("#⊔Default_single_scattering_anisotropy_is_%7.3f_", xx);
    if (r.default_a \neq UNINITIALIZED) printf("and_default_a) = \%7.3g\n", r.default_a);
    else printf("\n");
    break;
  case FIND_Ba: printf("#uTheuinverseuroutineuvarieduonlyutheuabsorption.\n");
    printf("#_{\sqcup}\n");
    xx = (r.default\_bs \neq UNINITIALIZED) ? r.default\_bs : 0;
    break;
  case FIND_Bs: printf("#_The_inverse_routine_varied_only_the_scattering.\n");
    printf("#_{\sqcup}\n");
    xx = (r.default\_ba \neq UNINITIALIZED) ? r.default\_ba : 0;
    break:
  default: printf("#_{\sqcup}\n");
    printf("#_{\sqcup}\n");
    printf("#_{\sqcup}\n");
    break;
  }
  printf("\#_{\square\square\square\square\square\square\square\square\square\square\square\square\square\square\square\square\square} AD_{\square} quadrature\_points_{\square}=_{\square}\% 3d \\ \ \ \ \ \ \ (r.method.quad\_pts);
  printf("\#_{\sqcup \sqcup \sqcup \sqcup \sqcup \sqcup}MC_{\sqcup}tolerance_{\sqcup}for_{\sqcup}mu_{\sqcup}a_{\sqcup}and_{\sqcup}mu_{\sqcup}s'_{\sqcup}=_{\sqcup}\%7.3f_{\sqcup}\%\%n", r.MC_{\bot}tolerance);
This code is used in section 104.
```

111. IAD Calculation.

```
\langle iad\_calc.c 111 \rangle \equiv
#include <math.h>
#include <string.h>
#include <stdio.h>
#include <stdlib.h>
#include "nr_util.h"
#include "nr_zbrent.h"
#include "ad_globl.h"
#include "ad_frsnl.h"
#include "ad_prime.h"
#include "iad_type.h"
#include "iad_util.h"
#include "iad_calc.h"
#define ABIT 1 \cdot 10^{-6}
\#define A_COLUMN 1
\#define B_COLUMN 2
\#define G_COLUMN 3
\#define URU_COLUMN 4
\#define UTU_COLUMN 5
#define UR1_COLUMN 6
#define UT1_COLUMN 7
#define REFLECTION_SPHERE 1
#define TRANSMISSION_SPHERE 0
#define GRID_SIZE 101
\#define T_TRUST_FACTOR 2
  static int CALCULATING_GRID = 1;
  static struct measure_type MM;
  static struct invert_type RR;
  static struct measure_type MGRID;
  static struct invert_type RGRID;
  static double ** The\_Grid = \Lambda;
  static double GG_{-}a;
  static double GG_{-}b;
  static double GG_{-q}:
  static double GG_bs:
  static double GG_{-}ba:
  static boolean_type The_Grid_Initialized = FALSE;
  static boolean_type The\_Grid\_Search = -1;
  ⟨ Definition for Set_Calc_State 127⟩
  (Definition for Get_Calc_State 129)
  (Definition for Same_Calc_State 131)
   \langle \text{ Prototype for } Fill\_AB\_Grid \ 149 \rangle;
   \langle \text{ Prototype for } Fill\_AG\_Grid \ 154 \rangle;
   Definition for RT_F lip 147
   (Definition for Allocate_Grid 133)
   (Definition for Valid_Grid 137)
   \langle \text{ Definition for } fill\_grid\_entry 148 \rangle
   \langle \text{ Definition for } Fill\_Grid \ 164 \rangle
  ⟨ Definition for Near_Grid_Points 145⟩
  \langle \text{ Definition for } Fill\_AB\_Grid \ 150 \rangle
  \langle \text{ Definition for } Fill\_AG\_Grid \ 155 \rangle
```

56 IAD CALCULATION IAD (v 3-12-0) §111

```
\langle \text{ Definition for } Fill\_BG\_Grid \ 158 \rangle
\langle \text{ Definition for } Fill\_BaG\_Grid \ 160 \rangle
\langle \text{ Definition for } Fill\_BsG\_Grid \ \ 162 \rangle
\langle \text{ Definition for } Grid\_ABG | 135 \rangle
( Definition for Gain 116)
\langle \text{ Definition for } Gain_{-}11 \text{ } 118 \rangle
\langle Definition for Gain_{-}22 120 \rangle
\langle \text{ Definition for } Two\_Sphere\_R  122\rangle
\langle \text{ Definition for } Two\_Sphere\_T | 124 \rangle
 Definition for Calculate_Distance_With_Corrections 170
(Definition for Calculate_Grid_Distance 168)
⟨ Definition for Calculate_Distance 166 ⟩
\langle \text{ Definition for } abg\_distance 143 \rangle
\langle \text{ Definition for } Find\_AG\_fn \text{ 180} \rangle
\langle \text{ Definition for } Find\_AB\_fn \text{ 182} \rangle
 Definition for Find_Ba_fn 184\rangle
 Definition for Find_-Bs_-fn 186 \rangle
 Definition for Find\_A\_fn 188\rangle
 Definition for Find_B-fn 190 \rangle
 Definition for Find_{-}G_{-}fn 192
 Definition for Find\_BG\_fn 194\rangle
 Definition for Find\_BaG\_fn 196\rangle
\langle \text{ Definition for } Find\_BsG\_fn 198 \rangle
\langle \text{ Definition for } maxloss | 200 \rangle
\langle Definition for Max\_Light\_Loss 202 \rangle
```

§112 IAD (v 3-12-0)

112.

```
\langle iad_calc.h 112 \rangle \equiv
   \langle \text{ Prototype for } Gain \ 115 \rangle;
   \langle \text{ Prototype for } Gain_{-}11 \text{ } 117 \rangle;
    \langle Prototype for Gain_22 119 \rangle;
    \langle Prototype for Two\_Sphere\_R 121 \rangle;
    \langle Prototype for Two\_Sphere\_T 123 \rangle;
    \langle Prototype for Set_Calc_State 126 \rangle;
    \langle Prototype for Get\_Calc\_State 128 \rangle;
   \langle Prototype for Same\_Calc\_State 130 \rangle;
   \langle Prototype for Valid\_Grid 136 \rangle;
    \langle Prototype for Allocate\_Grid 132 \rangle;
     Prototype for Fill\_Grid\ 163;
     Prototype for Near_Grid_Points 144 \rangle;
    \langle \text{ Prototype for } Grid\_ABG \mid 134 \rangle;
    \langle \text{ Prototype for } Find\_AG\_fn \mid 179 \rangle;
     Prototype for Find_-AB_-fn 181\rangle;
    Prototype for Find_Ba_fn \ 183;
    \langle Prototype for Find_Bs_fn 185 \rangle;
    \langle \text{ Prototype for } Find\_A\_fn \ 187 \rangle;
    \langle \text{ Prototype for } Find\_B\_fn \ 189 \rangle;
    \langle \text{ Prototype for } Find\_G\_fn \ 191 \rangle;
    \langle \text{ Prototype for } Find\_BG\_fn \ 193 \rangle;
    Prototype for Find_BsG_fn 197;
    Prototype for Find_BaG_fn = 195;
    Prototype for Fill_BG_Grid 157;
     Prototype for Fill_BsG_Grid = 161;
     Prototype for Fill\_BaG\_Grid\ 159;
    Prototype for Calculate_Distance_With_Corrections 169;
    \langle Prototype for Calculate\_Distance 165 \rangle;
   \langle Prototype for Calculate\_Grid\_Distance 167 \rangle;
   \langle \text{ Prototype for } abg\_distance \ 142 \rangle;
   \langle \text{ Prototype for } maxloss | 199 \rangle;
   \langle Prototype for Max\_Light\_Loss 201 \rangle;
```

113. Initialization.

The functions in this file assume that the local variables MM and RR have been initialized appropriately. The variable MM contains all the information about how a particular experiment was done. The structure RR contains the data structure that is passed to the adding-doubling routines as well as the number of quadrature points.

history 6/8/94 changed error output to stderr.

114. Gain.

Assume that a sphere is illuminated with diffuse light having a power P. This light can reach all parts of sphere — specifically, light from this source is not blocked by a baffle. Multiple reflections in the sphere will increase the power falling on non-white areas in the sphere (e.g., the sample, detector, and entrance) To find the total we need to sum all the total of all incident light at a point. The first incidence is

$$P_w^{(1)} = a_w P, \qquad P_s^{(1)} = a_s P, \qquad P_d^{(1)} = a_d P$$

The light from the detector and sample is multiplied by $(1 - a_e)$ and not by a_w because the light from the detector (and sample) is not allowed to hit either the detector or sample. The second incidence on the wall is

$$P_w^{(2)} = a_w r_w P_w^{(1)} + (1 - a_e) r_d P_d^{(1)} + (1 - a_e) r_s P_s^{(1)}$$

The light that hits the walls after k bounces has the same form as above

$$P_w^{(k)} = a_w r_w P_w^{(k-1)} + (1 - a_e) r_d P_d^{(k-1)} + (1 - a_e) r_s P_s^{(k-1)}$$

Since the light falling on the sample and detector must come from the wall

$$P_s^{(k)} = a_s r_w P_w^{(k-1)}$$
 and $P_d^{(k)} = a_d r_w P_w^{(k-1)}$

Therefore.

$$P_w^{(k)} = a_w r_w P_w^{(k-1)} + (1 - a_e) r_w (a_d r_d + a_s r_s) P_w^{(k-2)}$$

The total power falling on the walls is just

$$P_w = \sum_{k=1}^{\infty} P_w^{(k)} = \frac{a_w + (1 - a_e)(a_d r_d + a_s r_s)}{1 - a_w r_w - (1 - a_e)r_w(a_d r_d + a_s r_s)} P$$

The total power falling the detector is

$$P_d = a_d P + \sum_{k=2}^{\infty} a_d r_w P_w^{(k-1)} = a_d P + a_d r_w P_w$$

The gain $G(r_s)$ on the irradiance on the detector (relative to a black sphere),

$$G(r_s) \equiv \frac{P_d/A_d}{P/A}$$

in terms of the sphere parameters

$$G(r_s) = 1 + \frac{1}{a_w} \cdot \frac{a_w r_w + (1 - a_e) r_w (a_d r_d + a_s r_s)}{1 - a_w r_w - (1 - a_e) r_w (a_d r_d + a_s r_s)}$$

The gain for a detector in a transmission sphere is similar, but with primed parameters to designate a second potential sphere that is used. For a black sphere the gain G(0) = 1, which is easily verified by setting $r_w = 0$, $r_s = 0$, and $r_d = 0$. Conversely, when the sphere walls and sample are perfectly white, the irradiance at the entrance port, the sample port, and the detector port must increase so that the total power leaving via these ports is equal to the incident diffuse power P. Thus the gain should be the ratio of the sphere wall area over the area of the ports through which light leaves or $G(1) = A/(A_e + A_d)$ which follows immediately from the gain formula with $r_w = 1$, $r_s = 1$, and $r_d = 0$.

 $\S115$ IAD (v 3-12-0) GAIN 59

115. The gain $G(r_s)$ on the irradiance on the detector (relative to a black sphere),

$$G(r_s) \equiv \frac{P_d/A_d}{P/A}$$

in terms of the sphere parameters

$$G(r_s) = 1 + \frac{a_w r_w + (1 - a_e) r_w (a_d r_d + a_s r_s)}{1 - a_w r_w - (1 - a_e) r_w (a_d r_d + a_s r_s)}$$

 $\langle \text{ Prototype for } Gain | 115 \rangle \equiv$

double $Gain(int sphere, struct measure_type m, double URU)$

This code is used in sections 112 and 116.

This code is used in section 111.

117. The gain for light on the detector in the first sphere for diffuse light starting in that same sphere is defined as

$$G_{1\to 1}(r_s, t_s) \equiv \frac{P_{1\to 1}(r_s, t_s)/A_d}{P/A}$$

then the full expression for the gain is

$$G_{1\to 1}(r_s, t_s) = \frac{G(r_s)}{1 - a_s a_s' r_w r_w' (1 - a_e) (1 - a_s') G(r_s) G'(r_s) t_s^2}$$

 $\langle \text{ Prototype for } Gain_{-}11 \text{ 117} \rangle \equiv$

double Gain_11 (struct measure_type m, double URU, double tdiffuse)

This code is used in sections 112 and 118.

60 GAIN IAD (v 3-12-0) $\S118$

119. Similarly, when the light starts in the second sphere, the gain for light on the detector in the second sphere $G_{2\to 2}$ is found by switching all primed variables to unprimed. Thus $G_{2\to 1}(r_s,t_s)$ is

$$G_{2\to 2}(r_s, t_s) = \frac{G'(r_s)}{1 - a_s a_s' r_w r_w' (1 - a_e) (1 - a_e') G(r_s) G'(r_s) t_s^2}$$

 $\langle \text{ Prototype for } Gain_22 | 119 \rangle \equiv$

This code is used in section 111.

double Gain_22 (struct measure_type m, double URU, double tdiffuse)

This code is used in sections 112 and 120.

```
120. \langle Definition for Gain\_22\_120\rangle \equiv \langle Prototype for Gain\_22\_119\rangle {
    double G, GP, G22;
    G = Gain(\text{REFLECTION\_SPHERE}, m, \text{URU});
    \text{GP} = Gain(\text{TRANSMISSION\_SPHERE}, m, \text{URU});
    \text{G22} = \text{GP}/(1-m.as\_r*m.as\_t*m.aw\_r*m.aw\_t*(1-m.ae\_r)*(1-m.ae\_t)*G*GP*tdiffuse*tdiffuse);}
    return G22;
}
```

This code is used in section 111.

121. The reflected power for two spheres makes use of the formulas for Gain_11 above.

The light on the detector in the reflection (first) sphere arises from three sources: the fraction of light directly reflected off the sphere wall $fr_w^2(1-a_e)P$, the fraction of light reflected by the sample $(1-f)r_s^{\text{direct}}r_w^2(1-a_e)P$, and the light transmitted through the sample $(1-f)t_s^{\text{direct}}r_w^2(1-a_e)P$,

$$\begin{split} R(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) &= G_{1 \rightarrow 1}(r_s, t_s) \cdot a_d (1 - a_e) r_w^2 f P \\ &+ G_{1 \rightarrow 1}(r_s, t_s) \cdot a_d (1 - a_e) r_w (1 - f) r_s^{\text{direct}} P \\ &+ G_{2 \rightarrow 1}(r_s, t_s) \cdot a_d (1 - a_e') r_w' (1 - f) t_s^{\text{direct}} P \end{split}$$

which simplifies slightly to

$$\begin{split} R(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) &= a_d (1 - a_e) r_w P \cdot G_{1 \to 1}(r_s, t_s) \\ &\times \left[(1 - f) r_s^{\text{direct}} + f r_w + (1 - f) a_s' (1 - a_e') r_w' t_s^{\text{direct}} t_s G'(r_s) \right] \end{split}$$

 $\langle Prototype for Two_Sphere_R 121 \rangle \equiv$

double Two_Sphere_R (struct measure_type m, double UR1, double URU, double UT1, double UTU) This code is used in sections 112 and 122.

 $\S122$ IAD (v 3-12-0) GAIN 61

```
122. \langle Definition for Two\_Sphere\_R 122\rangle \equiv \langle Prototype for Two\_Sphere\_R 121\rangle \{ double x, GP; GP = Gain(TRANSMISSION\_SPHERE, m, URU); x = m.ad\_r * (1 - m.ae\_r) * m.rw\_r * Gain\_11 (m, URU, UTU); x *= (1 - m.f\_r) * UR1 + m.rw\_r * m.f\_r + (1 - m.f\_r) * m.as\_t * (1 - m.ae\_t) * m.rw\_t * UT1 * UTU * GP; return x; \} This code is used in section 111.
```

123. For the power on the detector in the transmission (second) sphere we have the same three sources. The only difference is that the subscripts on the gain terms now indicate that the light ends up in the second sphere

$$\begin{split} T(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) &= G_{1 \rightarrow 2}(r_s, t_s) \cdot a_d'(1 - a_e) r_w^2 f P \\ &+ G_{1 \rightarrow 2}(r_s, t_s) \cdot a_d'(1 - a_e) r_w (1 - f) r_s^{\text{direct}} P \\ &+ G_{2 \rightarrow 2}(r_s, t_s) \cdot a_d'(1 - a_e') r_w'(1 - f) t_s^{\text{direct}} P \end{split}$$

or

$$\begin{split} T(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) &= a_d' (1 - a_e') r_w' P \cdot G_{2 \to 2}(r_s, t_s) \\ &\times \left[(1 - f) t_s^{\text{direct}} + (1 - a_e) r_w a_s t_s (f r_w + (1 - f) r_s^{\text{direct}}) G(r_s) \right] \end{split}$$

 $\langle Prototype for Two_Sphere_T 123 \rangle \equiv$

double Two_Sphere_T (struct measure_type m, double UR1, double URU, double UT1, double UTU) This code is used in sections 112 and 124.

```
124. \langle Definition for Two\_Sphere\_T 124\rangle \equiv \langle Prototype for Two\_Sphere\_T 123\rangle \{ double x, G; G = Gain(\texttt{REFLECTION\_SPHERE}, m, \texttt{URU}); x = m.ad\_t * (1 - m.ae\_t) * m.rw\_t * Gain\_22(m, \texttt{URU}, \texttt{UTU}); x *= (1 - m.f\_r) * \texttt{UT1} + (1 - m.ae\_r) * m.rw\_r * m.as\_r * \texttt{UTU} * (m.f\_r * m.rw\_r + (1 - m.f\_r) * \texttt{UR1}) * G; return x; \}
```

This code is used in section 111.

125. Grid Routines. There is a long story associated with these routines. I spent a lot of time trying to find an empirical function to allow a guess at a starting value for the inversion routine. Basically nothing worked very well. There were too many special cases and what not. So I decided to calculate a whole bunch of reflection and transmission values and keep their associated optical properties linked nearby.

I did the very simplest thing. I just allocate a matrix that is five columns wide. Then I fill every row with a calculated set of optical properties and observables. The distribution of values that I use could certainly use some work, but they currently work.

SO... how does this thing work anyway? There are two possible grids one for calculations requiring the program to find the albedo and the optical depth (a and b) and one to find the albedo and anisotropy (a and g). These grids must be allocated and initialized before use.

62 GRID ROUTINES IAD (v 3-12-0) §126

126. This is a pretty important routine that should have some explanation. The reason that it exists, is that we need some 'out-of-band' information during the minimization process. Since the light transport calculation depends on all sorts of stuff (e.g., the sphere parameters) and the minimization routines just vary one or two parameters this information needs to be put somewhere.

I chose the global variables MM and RR to save things in.

The bottom line is that you cannot do a light transport calculation without calling this routine first.

```
⟨ Prototype for Set_Calc_State 126⟩ ≡
   void Set_Calc_State(struct measure_type m, struct invert_type r)
This code is used in sections 112 and 127.

127. ⟨ Definition for Set_Calc_State 127⟩ ≡
   ⟨ Prototype for Set_Calc_State 126⟩
   {
      memcpy(&MM, &m, sizeof(struct measure_type));
      memcpy(&RR, &r, sizeof(struct invert_type));
    }
}
```

 $fprintf(stderr, "UR1_{\square}loss=%g, _UT1_{\square}loss=%g, _UT1_{\square}loss=%g, _UT1_{lost}, m.ut1_{lost}); fprintf(stderr, "URU_{\square}loss=%g, _UTU_{\square}loss=%g, _UTU_{\square}loss$

if $(Debug(DEBUG_ITERATIONS) \land \neg CALCULATING_GRID)$ {

This code is used in section 111.

This code is used in section 111.

128. The inverse of the previous routine. Note that you must have space for the parameters m and r already allocated.

```
⟨ Prototype for Get_Calc_State 128⟩ ≡
    void Get_Calc_State(struct measure_type *m, struct invert_type *r)
This code is used in sections 112 and 129.

129. ⟨ Definition for Get_Calc_State 129⟩ ≡
    ⟨ Prototype for Get_Calc_State 128⟩
{
        memcpy(m, &MM, sizeof(struct measure_type));
        memcpy(r, &RR, sizeof(struct invert_type));
    }
}
```

130. The inverse of the previous routine. Note that you must have space for the parameters m and r already allocated.

```
\langle \text{Prototype for } Same\_Calc\_State \ 130 \rangle \equiv \\ \text{boolean\_type } Same\_Calc\_State (\text{struct measure\_type } m, \text{struct invert\_type } r)  This code is used in sections 112 and 131.
```

§131 IAD (v 3-12-0) GRID ROUTINES 63

```
\langle \text{ Definition for } Same\_Calc\_State | 131 \rangle \equiv
  \langle Prototype for Same\_Calc\_State 130 \rangle
     if (The\_Grid \equiv \Lambda) return FALSE;
     if (¬The₋Grid₋Initialized) return FALSE;
     if (r.search \neq RR.search) return FALSE;
     if (r.method.quad.pts \neq RR.method.quad.pts) return FALSE;
     if (r.slab.a \neq RR.slab.a) return FALSE;
     if (r.slab.b \neq RR.slab.b) return FALSE;
     if (r.slab.g \neq RR.slab.g) return FALSE;
     if (r.slab.phase\_function \neq RR.slab.phase\_function) return FALSE;
     if (r.slab.n_slab \neq RR.slab.n_slab) return FALSE;
     if (r.slab.n\_top\_slide \neq RR.slab.n\_top\_slide) return FALSE;
     if (r.slab.n\_bottom\_slide \neq RR.slab.n\_bottom\_slide) return FALSE;
     if (r.slab.b\_top\_slide \neq RR.slab.b\_top\_slide) return FALSE;
     if (r.slab.b\_bottom\_slide \neq RR.slab.b\_bottom\_slide) return FALSE;
     if (r.slab.cos\_angle \neq RR.slab.cos\_angle) return FALSE;
     if ((m.num\_measures \equiv 3) \land (m.m\_u \neq MGRID.m\_u)) return (FALSE);
     return TRUE;
This code is used in section 111.
132. \langle \text{Prototype for } Allocate\_Grid \ 132 \rangle \equiv
  void Allocate_Grid(search_type s)
This code is used in sections 112 and 133.
133. \langle \text{ Definition for } Allocate\_Grid \ 133 \rangle \equiv
  ⟨ Prototype for Allocate_Grid 132⟩
     The\_Grid = dmatrix(0, GRID\_SIZE * GRID\_SIZE, 1, 7);
     if (The\_Grid \equiv \Lambda) \ AD\_error("unable\_to\_allocate\_the\_grid\_matrix");
     The\_Grid\_Initialized = FALSE;
This code is used in section 111.
        This routine will return the a, b, and g values for a particular row in the grid.
\langle \text{ Prototype for } Grid\_ABG | 134 \rangle \equiv
  void Grid_ABG(int i, int j, guess_type *guess)
This code is used in sections 112 and 135.
```

64 GRID ROUTINES IAD (v 3-12-0) §135

```
135. \langle Definition for Grid\_ABG\ 135\rangle \equiv \langle Prototype for Grid\_ABG\ 134\rangle {

if (0 \le i \land i < \text{GRID\_SIZE} \land 0 \le j \land j < \text{GRID\_SIZE}) {

guess \neg a = The\_Grid\ [\text{GRID\_SIZE} * i + j][\text{A\_COLUMN}];

guess \neg b = The\_Grid\ [\text{GRID\_SIZE} * i + j][\text{B\_COLUMN}];

guess \neg g = The\_Grid\ [\text{GRID\_SIZE} * i + j][\text{G\_COLUMN}];

guess \neg distance = Calculate\_Grid\_Distance(i, j);
}

else {

guess \neg a = 0.5;

guess \neg b = 0.5;

guess \neg b = 0.5;

guess \neg distance = 999;
}

This code is used in section 111.
```

136. This routine is used to figure out if the current grid is valid. This can fail for several reasons. First the grid may not have been allocated. Or it may not have been initialized. The boundary conditions may have changed. The number or values of the sphere parameters may have changed. It is tedious, but straightforward to check these cases out.

If this routine returns true, then it is a pretty good bet that the values in the current grid can be used to guess the next starting set of values.

```
\langle \text{ Prototype for } Valid\_Grid \ 136 \rangle \equiv
  boolean_type Valid_Grid(struct measure_type m, search_type s)
This code is used in sections 112 and 137.
137.
       \langle \text{ Definition for } Valid\_Grid \ 137 \rangle \equiv
  ⟨ Prototype for Valid_Grid 136 ⟩
     \langle Tests for invalid grid 138\rangle
     return (TRUE);
This code is used in section 111.
138. First check are to test if the grid has ever been filled
\langle Tests for invalid grid 138\rangle \equiv
  if (The\_Grid \equiv \Lambda) {
     if (Debug(DEBUG\_GRID)) fprintf(stderr, "GRID: \_Fill\_because\_NULL \n");
     return (FALSE);
  if (\neg The\_Grid\_Initialized) {
     if (Debug(DEBUG\_GRID)) fprintf(stderr, "GRID: \_Fill\_because\_not\_initialized\n");
     return (FALSE);
See also sections 139, 140, and 141.
This code is used in section 137.
```

 $\S139$ IAD (v 3-12-0) GRID ROUTINES 65

```
If the type of search has changed then report the grid as invalid
\langle Tests for invalid grid 138 \rangle + \equiv
  if (The\_Grid\_Search \neq s) {
     if (Debug(DEBUG\_GRID)) fprintf(stderr, "GRID: \_Fill\_because\_search\_type\_changed \n");
     return (FALSE);
140. Compare the m.m_{-}u value only if there are three measurements
\langle Tests for invalid grid 138\rangle + \equiv
  if ((m.num\_measures \equiv 3) \land (m.m\_u \neq MGRID.m\_u)) {
    if (Debug(DEBUG\_GRID)) fprintf(stderr, "GRID: \_Fill\_because\_unscattered\_light\_changed \n");
     return (FALSE);
  }
141. Make sure that the boundary conditions have not changed.
\langle Tests for invalid grid 138\rangle + \equiv
  if (m.slab\_index \neq MGRID.slab\_index) {
    if (Debug(DEBUG\_GRID)) fprintf(stderr, "GRID: \_Fill\_slab\_refractive\_index\_changed \n");
     return (FALSE);
  if (m.slab\_cos\_angle \neq MGRID.slab\_cos\_angle) {
    if (Debug(DEBUG_GRID)) fprintf(stderr, "GRID: □Fill□incident□light□changed\n");
     return (FALSE);
  if (m.slab\_top\_slide\_index \neq MGRID.slab\_top\_slide\_index) {
      if \ (Debug (DEBUG\_GRID)) \ fprintf (stderr, "GRID: \bot Fill \bot top \bot slide \bot refractive \bot index \bot changed \n"); \\
     return (FALSE);
  if (m.slab\_bottom\_slide\_index \neq MGRID.slab\_bottom\_slide\_index) {
     if (Debug(DEBUG_GRID))
       fprintf(stderr, "GRID: _Fill_bottom_slide_refractive_index_changed\n");
     return (FALSE);
  }
142. Routine to just figure out the distance to a particular a, b, g point
\langle \text{ Prototype for } abg\_distance | 142 \rangle \equiv
  void abg_distance(double a, double b, double g, guess_type *guess)
This code is used in sections 112 and 143.
```

66 GRID ROUTINES IAD (v 3-12-0) $\S143$

```
143. \langle \text{ Definition for } abg\_distance | 143 \rangle \equiv
  \langle \text{ Prototype for } abg\_distance \ 142 \rangle
     double m_{-}r, m_{-}t, distance;
     struct measure_type old_mm;
     struct invert_type old_rr;
     Get\_Calc\_State(\&old\_mm, \&old\_rr);
     RR.slab.a = a;
     RR.slab.b = b;
     RR.slab.g = g;
     Calculate\_Distance(\&m\_r,\&m\_t,\&distance);
     Set\_Calc\_State(old\_mm, old\_rr);
     guess \neg a = a;
     guess \rightarrow b = b;
     guess \neg g = g;
     guess \neg distance = distance;
This code is used in section 111.
```

144. This just searches through the grid to find the minimum entry and returns the optical properties of that entry. The smallest, the next smallest, and the third smallest values are returned.

This has been rewritten to use Calculate_Distance_With_Corrections so that changes in sphere parameters won't necessitate recalculating the grid.

```
\langle \text{Prototype for } \textit{Near\_Grid\_Points } 144 \rangle \equiv  void \textit{Near\_Grid\_Points}(\textbf{double } r, \textbf{double } t, \textbf{search\_type } s, \textbf{int } *i\_min, \textbf{int } *j\_min) This code is used in sections 112 and 145.
```

 $\S145$ IAD (v 3-12-0) GRID ROUTINES 67

```
\langle \text{ Definition for } Near\_Grid\_Points | 145 \rangle \equiv
  ⟨ Prototype for Near_Grid_Points 144⟩
    int i, j;
     double fval;
     double smallest = 10.0;
     struct measure_type old_mm;
     struct invert_type old_rr;
     Get\_Calc\_State(\&old\_mm,\&old\_rr);
     *i_{-}min = 0;
     *j_{-}min = 0;
     for (i = 0; i < GRID\_SIZE; i++) {
       for (j = 0; j < GRID\_SIZE; j \leftrightarrow) {
          CALCULATING\_GRID = 1;
          fval = Calculate\_Grid\_Distance(i, j);
          CALCULATING\_GRID = 0;
          if (fval < smallest) {
            *i\_min = i;
            *j_min = j;
            smallest = fval;
       }
     Set\_Calc\_State(old\_mm, old\_rr);
This code is used in section 111.
```

146. Routine to incorporate flipping of sample if needed. This is pretty simple. The assumption is that flipping is handled relative to the reflection side of the sphere. Thus even when flipping is needed, the usual call to RT() will result in the correct values for the reflectances. The transmission values can then be calculated by swapping the top and bottom slides.

Technically, the value of slab should be **const** but it is not so that we don't pay a copying overhead whenever *flip* is false (the usual case).

```
\langle \text{Prototype for } RT\_Flip \mid 146 \rangle \equiv 
void RT\_Flip (\text{int } flip, \text{int } n, \text{struct } AD\_slab\_type *slab, \text{double *UR1}, \text{double *UT1}, \text{double *UTU})
```

This code is used in section 147.

68 GRID ROUTINES IAD (v 3-12-0) $\S147$

```
147. \langle Definition for RT_{-}Flip 147\rangle \equiv
   \langle \text{ Prototype for } RT\_Flip \ 146 \rangle
      \mathbf{double} \ \mathit{swap}, \mathit{correct\_UR1}, \mathit{correct\_URU};
      RT(n, slab, UR1, UT1, URU, UTU);
      if (flip) {
         correct_{-}UR1 = *UR1;
         correct_{-}URU = *URU;
         swap = slab \rightarrow n\_top\_slide;
         slab \neg n\_top\_slide = slab \neg n\_bottom\_slide;
         slab \neg n\_bottom\_slide = swap;
         swap = slab \rightarrow b\_top\_slide;
         slab \rightarrow b\_top\_slide = slab \rightarrow b\_bottom\_slide;
         slab \rightarrow b\_bottom\_slide = swap;
         RT(n, slab, UR1, UT1, URU, UTU);
         swap = slab \rightarrow n_-top_-slide;
         slab \neg n\_top\_slide = slab \neg n\_bottom\_slide;
         slab \neg n\_bottom\_slide = swap;
         swap = slab \neg b\_top\_slide;
         slab \rightarrow b\_top\_slide = slab \rightarrow b\_bottom\_slide;
         slab \rightarrow b\_bottom\_slide = swap;
         *UR1 = correct\_UR1;
         *URU = correct_URU;
   }
This code is used in section 111.
```

 $\S148$ IAD (v 3-12-0) GRID ROUTINES 69

```
148.
        Simple routine to put values into the grid
  Presumes that RR. slab is properly set up.
\langle \text{ Definition for } fill\_grid\_entry | 148 \rangle \equiv
  static void fill_grid_entry(int i, int j)
     double ur1, ut1, uru, utu;
     if (RR.slab.b \le 1 \cdot 10^{-6}) RR.slab.b = 1 \cdot 10^{-6};
     if (Debug(DEBUG_EVERY_CALC)) {
       if (¬CALCULATING_GRID)
          fprintf(stderr, "a=\%8.5f_b=\%10.5f_g=\%8.5f_", RR.slab.a, RR.slab.b, RR.slab.g);
       else {
          if (j \equiv 0) fprintf(stderr, ".");
          if (i + 1 \equiv GRID\_SIZE \land j \equiv 0) fprintf (stderr, "\n");
     RT_Flip (MM.flip_sample, RR.method.quad_pts, &RR.slab, &ur1, &ut1, &uru, &utu);
     if (Debug(DEBUG\_EVERY\_CALC) \land \neg CALCULATING\_GRID)
       fprintf(stderr, "ur1=\%8.5f_ut1=\%8.5f_n", ur1, ut1);
     The\_Grid[\mathtt{GRID\_SIZE}*i+j][\mathtt{A\_COLUMN}] = \mathtt{RR}.slab.a;
     The\_Grid[GRID\_SIZE * i + j][B\_COLUMN] = RR.slab.b;
     The\_Grid[GRID\_SIZE * i + j][G\_COLUMN] = RR.slab.g;
     The\_Grid[GRID\_SIZE*i+j][UR1\_COLUMN] = ur1;
     The\_Grid[GRID\_SIZE*i+j][UT1\_COLUMN] = ut1;
     The\_Grid[GRID\_SIZE * i + j][URU\_COLUMN] = uru;
     The\_Grid[GRID\_SIZE * i + j][UTU\_COLUMN] = utu;
     if (Debug(DEBUG_GRID_CALC)) {
       fprintf(stderr, "+ \ \ \ 2d \ \ \ \ \ \ i, j);
       fprintf(stderr, "%10.5f_{\square}%10.5f_{\square})", RR.slab.a, RR.slab.b, RR.slab.g);
       fprintf(stderr, "\%10.5f_{\square}\%10.5f_{\square}|", MM.m_r, uru);
       fprintf(stderr, "\%10.5f_{\sqcup}\%10.5f_{\sqcup}\n", MM.m_t, utu);
This code is used in section 111.
```

149. This routine fills the grid with a proper set of values. With a little work, this routine could be made much faster by (1) only generating the phase function matrix once, (2) Making only one pass through the array for each albedo value, i.e., using the matrix left over from b=1 to generate the solution for b=2. Unfortunately this would require a complete revision of the $Calculate_Distance$ routine. Fortunately, this routine should only need to be calculated once at the beginning of each run.

```
\langle \text{Prototype for } \textit{Fill\_AB\_Grid} \ 149 \rangle \equiv 
void \textit{Fill\_AB\_Grid} \ (\text{struct measure\_type } m, \text{struct invert\_type } r)
This code is used in sections 111 and 150.
```

70 GRID ROUTINES IAD (v 3-12-0) $\S150$

```
150. \langle \text{ Definition for } Fill\_AB\_Grid \ 150 \rangle \equiv
  \langle \text{ Prototype for } Fill\_AB\_Grid \ 149 \rangle
     int i, j;
     double a;
                                   /* \exp(-10) is smallest thickness */
     double min_b = -8;
     double max_b = +8;
                                   /* \exp(+8) is greatest thickness */
     if (Debug(Debug(DEBUG_GRID))) fprintf(stderr, "Filling_AB_grid\n");
     if (The\_Grid \equiv \Lambda) Allocate\_Grid(r.search);
     \langle \text{ Zero GG } 156 \rangle
     Set\_Calc\_State(m, r);
     GG_{-}g = RR.slab.g;
     for (i = 0; i < GRID\_SIZE; i++) {
        double x = (\mathbf{double}) i / (\mathtt{GRID\_SIZE} - 1.0);
        RR.slab.b = exp(min_b + (max_b - min_b) * x);
        for (j = 0; j < GRID\_SIZE; j \leftrightarrow) {
            Generate next albedo using j 152
          fill\_grid\_entry(i, j);
     The\_Grid\_Initialized = TRUE;
     The\_Grid\_Search = FIND\_AB;
This code is used in section 111.
```

151. Now it seems that I must be a bit more subtle in choosing the range of albedos to use in the grid. Originally I just spaced them according to

$$a = 1 - \left[\frac{j-1}{n-1}\right]^3$$

where $1 \le j \le n$. Long ago it seems that I based things only on the square of the bracketed term, but I seem to remember that I was forced to change it from a square to a cube to get more global convergence.

So why am I rewriting this? Well, because it works very poorly for samples with small albedos. For example, when n = 11 then the values chosen for a are (1, .999, .992, .973, .936, .875, .784, .657, .488, .271, 0). Clearly very skewed towards high albedos.

I am considering a two part division. I'm not too sure how it should go. Let the first half be uniformly divided and the last half follow the cubic scheme given above. The list of values should then be (1, .996, .968, .892, 0.744, .5, .4, .3, .2, .1, 0).

Maybe it would be best if I just went back to a quadratic term. Who knows?

In the **if** statement below, note that it could read $j \ge k$ and still generate the same results.

```
 \begin{split} &\langle \, \text{Nonworking code 151} \, \rangle \equiv \\ &k = floor((\texttt{GRID\_SIZE} - 1)/2); \\ &\textbf{if } (j > k) \, \, \{ \\ &a = 0.5 * (1 - (j - k - 1)/(\texttt{GRID\_SIZE} - k - 1)); \\ &\texttt{RR}.slab.a = a; \\ &\} \\ &\textbf{else } \, \{ \\ &a = (j - 1.0)/(\texttt{GRID\_SIZE} - k - 1); \\ &\texttt{RR}.slab.a = 1.0 - a * a * a/2; \\ &\} \end{split}
```

 $\S152$ IAD (v 3-12-0) GRID ROUTINES 71

152. Well, the above code did not work well. So I futzed around and sort of empirically ended up using the very simple method below. The only real difference from the previous method what that the method is now quadratic and not cubic.

```
⟨ Generate next albedo using j 152⟩ ≡ a = (\mathbf{double}) \, j/(\mathsf{GRID\_SIZE} - 1.0); if (a < 0.25) \, \mathsf{RR}.slab.a = 1.0 - a * a; else if (a > 0.75) \, \mathsf{RR}.slab.a = (1.0 - a) * (1.0 - a); else \mathsf{RR}.slab.a = 1 - a; See also section 153. This code is used in sections 150 and 155.

153. Well, the above code has gaps. Here is an attempt to eliminate the gaps ⟨ Generate next albedo using j 152⟩ +≡ a = (\mathbf{double}) \, j/(\mathsf{GRID\_SIZE} - 1.0); \mathsf{RR}.slab.a = (1.0 - a * a) * (1.0 - a) + (1.0 - a) * a;
```

154. This is quite similar to $Fill_AB_Grid$, with the exception of the little shuffle I do at the beginning to figure out the optical thickness to use. The problem is that the optical thickness may not be known. If it is known then the only way that we could have gotten here is if the user dictated FIND_AG and specified b and only provided two measurements. Otherwise, the user must have made three measurements and the optical depth can be figured out from $m.m_u$.

This routine could also be improved by not recalculating the anisotropy matrix for every point. But this would only end up being a minor performance enhancement if it were fixed.

```
\langle \text{Prototype for } Fill\_AG\_Grid \ 154 \rangle \equiv
  void Fill_AG_Grid(struct measure_type m, struct invert_type r)
This code is used in sections 111 and 155.
155. \langle \text{ Definition for } Fill\_AG\_Grid \ \underline{155} \rangle \equiv
   \langle \text{ Prototype for } Fill\_AG\_Grid \ 154 \rangle
     int i, j;
     double a;
     if (Debug(Debug(DEBUG_GRID))) fprintf(stderr, "Filling AG grid\n");
     if (The\_Grid \equiv \Lambda) Allocate\_Grid(r.search);
     ⟨Zero GG 156⟩
     Set\_Calc\_State(m, r);
     GG_{-}b = r.slab.b;
     for (i = 0; i < GRID\_SIZE; i++) {
        RR.slab.g = 0.9999 * (2.0 * i/(GRID\_SIZE - 1.0) - 1.0);
        for (j = 0; j < GRID\_SIZE; j \leftrightarrow) {
           \langle \text{ Generate next albedo using j } 152 \rangle
           fill\_grid\_entry(i, j);
      The\_Grid\_Initialized = TRUE;
      The\_Grid\_Search = FIND\_AG;
This code is used in section 111.
```

72 GRID ROUTINES IAD (v 3-12-0) $\S156$

```
156.  \langle \operatorname{Zero} \ \mathsf{GG} \ 156 \rangle \equiv \\ GG_-a = 0.0; \\ GG_-b = 0.0; \\ GG_-g = 0.0; \\ GG_-bs = 0.0; \\ GG_-ba = 0.0; \\ This \ \operatorname{code} \ \operatorname{is} \ \operatorname{used} \ \operatorname{in} \ \operatorname{sections} \ 150, \ 155, \ 158, \ 160, \ \operatorname{and} \ 162.
```

157. This is quite similar to $Fill_AB_Grid$, with the exception of the that the albedo is held fixed while b and g are varied.

This routine could also be improved by not recalculating the anisotropy matrix for every point. But this would only end up being a minor performance enhancement if it were fixed.

```
\langle \text{ Prototype for } Fill\_BG\_Grid \ 157 \rangle \equiv
  void Fill_BG_Grid(struct measure_type m, struct invert_type r)
This code is used in sections 112 and 158.
158. \langle \text{ Definition for } Fill\_BG\_Grid \ 158 \rangle \equiv
  \langle \text{ Prototype for } Fill\_BG\_Grid \ 157 \rangle
     int i, j;
     if (The\_Grid \equiv \Lambda) Allocate\_Grid(r.search);
     \langle \text{Zero GG } 156 \rangle
     if (Debug(Debug(DeBUG\_GRID))) fprintf(stderr, "Filling\_BG\_grid\n");
     Set\_Calc\_State(m, r);
     RR.slab.b = 1.0/32.0;
     RR.slab.a = RR.default_a;
     GG_{-}a = RR.slab.a;
     for (i = 0; i < GRID\_SIZE; i++) {
        RR.slab.b *= 2;
        for (j = 0; j < GRID\_SIZE; j \leftrightarrow) {
           RR.slab.g = 0.9999 * (2.0 * j/(GRID\_SIZE - 1.0) - 1.0);
           fill\_grid\_entry(i, j);
      The\_Grid\_Initialized = TRUE;
      The\_Grid\_Search = FIND\_BG;
This code is used in section 111.
```

159. This is quite similar to $Fill_BG_Grid$, with the exception of the that the $b_s = \mu_s d$ is held fixed. Here b and g are varied on the usual grid, but the albedo is forced to take whatever value is needed to ensure that the scattering constant remains fixed.

```
\langle \text{Prototype for } Fill\_BaG\_Grid \ 159 \rangle \equiv  void Fill\_BaG\_Grid (\text{struct measure\_type } m, \text{struct invert\_type } r) This code is used in sections 112 and 160.
```

§160 IAD (v 3-12-0) GRID ROUTINES 73

```
\langle \text{ Definition for } Fill\_BaG\_Grid \ 160 \rangle \equiv
  \langle \text{ Prototype for } Fill\_BaG\_Grid \ 159 \rangle
     int i, j;
     double bs, ba;
     if (The\_Grid \equiv \Lambda) Allocate\_Grid(r.search);
     \langle \text{ Zero GG } 156 \rangle
     if (Debug(Debug(DEBUG_GRID))) fprintf(stderr, "Filling_BaG_grid\n");
     Set\_Calc\_State(m, r);
     ba = 1.0/32.0;
     bs = \mathtt{RR}.\mathit{default\_bs};
     GG_{-}bs = bs;
     for (i = 0; i < GRID\_SIZE; i++) {
        ba *= 2;
        ba = exp((double) i/(GRID\_SIZE - 1.0) * log(1024.0))/16.0;
        RR.slab.b = ba + bs;
        if (RR.slab.b > 0) RR.slab.a = bs/RR.slab.b;
        else RR.slab.a = 0;
        RR.slab.g = 0.9999 * (2.0 * j/(GRID\_SIZE - 1.0) - 1.0);
           fill\_grid\_entry(i, j);
      The\_Grid\_Initialized = TRUE;
     The\_Grid\_Search = FIND\_BaG;
  }
This code is used in section 111.
161. Very similar to the above routine. The value of b_a = \mu_a d is held constant.
\langle \text{ Prototype for } Fill\_BsG\_Grid \ 161 \rangle \equiv
  \mathbf{void}\ \mathit{Fill\_BsG\_Grid}(\mathbf{struct}\ \mathbf{measure\_type}\ \mathit{m}, \mathbf{struct}\ \mathbf{invert\_type}\ \mathit{r})
```

This code is used in sections 112 and 162.

74 GRID ROUTINES IAD (v 3-12-0) $\S162$

```
162. \langle \text{ Definition for } Fill\_BsG\_Grid \ 162 \rangle \equiv
   \langle \text{ Prototype for } Fill\_BsG\_Grid \ 161 \rangle
      int i, j;
      double bs, ba;
      if (The\_Grid \equiv \Lambda) Allocate\_Grid(r.search);
      \langle \, {\rm Zero} \, \, {\rm GG} \, \, {156} \, \rangle
      Set_{-}Calc_{-}State(m,r);
      bs = 1.0/32.0;
      ba = \mathtt{RR}.\mathit{default\_ba};
      GG_{-}ba = ba;
      \quad \mathbf{for}\ (i=0;\ i < \mathtt{GRID\_SIZE};\ i +\!\!\!+\!\!\!+)\ \{
         bs *= 2;
         RR.slab.b = ba + bs;
         if (RR.slab.b > 0) RR.slab.a = bs/RR.slab.b;
         else RR.slab.a = 0;
         for (j = 0; j < GRID\_SIZE; j \leftrightarrow) {
            RR.slab.g = 0.9999 * (2.0 * j/(GRID\_SIZE - 1.0) - 1.0);
            fill\_grid\_entry(i, j);
      The\_Grid\_Initialized = TRUE;
      The\_Grid\_Search = FIND\_BsG;
   }
This code is used in section 111.
163. \langle \text{ Prototype for } Fill\_Grid \ 163 \rangle \equiv
   void Fill_Grid(struct measure_type m, struct invert_type r, int force_new)
This code is used in sections 112 and 164.
```

§164 IAD (v 3-12-0)

 $\langle \text{ Definition for } Fill_Grid | 164 \rangle \equiv$

if $(force_new \lor \neg Same_Calc_State(m, r))$ {

 $\langle \text{ Prototype for } Fill_Grid \ 163 \rangle$

switch (r.search) { case FIND_AB:

break; case FIND_AG:

break; case FIND_BG:

break: case $FIND_BaG$:

break; case $FIND_BsG$:

break;

}

 $Fill_{-}AB_{-}Grid(m,r);$

 $Fill_AG_Grid(m,r);$

 $Fill_{-}BG_{-}Grid(m,r);$

 $Fill_BaG_Grid(m,r);$

 $Fill_BsG_Grid(m,r);$

Get_Calc_State(&MGRID, &RGRID);

75

```
if (Debug(DEBUG_SEARCH)) fprintf(stderr, "filling AB Grid\n");
if (Debug(DEBUG_SEARCH)) fprintf(stderr, "filling_AG_Grid\n");
if (Debug(DEBUG_SEARCH)) fprintf(stderr, "filling_BGGGrid\n");
```

```
This code is used in section 111.
165. Calculating R and T.
```

Calculate_Distance returns the distance between the measured values in MM and the calculated values for the current guess at the optical properties. It assumes that the everything in the local variables MM and RR have been set appropriately.

```
\langle Prototype for Calculate\_Distance 165 \rangle \equiv
  void Calculate_Distance(double *M_R, double *M_T, double *deviation)
This code is used in sections 112 and 166.
```

if (Debug(DEBUG_SEARCH)) fprintf(stderr, "filling_BaG_Grid\n");

 $\textbf{if } (Debug(\texttt{DEBUG_SEARCH})) \ \textit{fprintf}(stderr, \texttt{"filling} \\ \texttt{_BsG} \\ \texttt{_Grid} \\ \texttt{`n"});\\$

default: $AD_{-error}($ "Attempt_\u00edtoufill_\u00edgrid_\u00edfor_\u00edunusual_\u00edsearch_\u00edcase.");

76 CALCULATING R AND T IAD (v 3-12-0) $\S166$

```
166. \langle Definition for Calculate\_Distance 166 \rangle \equiv
    \langle Prototype for Calculate\_Distance 165 \rangle
         double Rc, Tc, ur1, ut1, uru, utu;
         if (RR.slab.b < 1 \cdot 10^{-6}) RR.slab.b = 1 \cdot 10^{-6};
         if (Debug(DEBUG\_EVERY\_CALC))
             fprintf(stderr, "a=\%8.5f_b=\%10.5f_g=\%8.5f_", RR.slab.a, RR.slab.b, RR.slab.g);
         RT_{-}Flip (MM.flip_{-}sample, RR.method.quad_{-}pts, &RR.slab, &ur1, &ut1, &uru, &utu);
         if (Debug(DEBUG_EVERY_CALC))
             fprintf(stderr, "ur1=\%8.5f_{\sqcup}ut1=\%8.5f_{\sqcup}(not_{\sqcup}M_R_{\sqcup}and_{\sqcup}M_T!)\n", ur1, ut1);
         Sp\_mu\_RT\_Flip (MM.flip\_sample, RR.slab.n\_top\_slide, RR.slab.n\_slab.n\_slab.n\_bottom\_slide,
                  RR.slab.b\_top\_slide, RR.slab.b, RR.slab.b\_bottom\_slide, RR.slab.cos\_angle, & Rc, & Tc);
         if ((\neg \texttt{CALCULATING\_GRID} \land Debuq(\texttt{DEBUG\_ITERATIONS})) \lor (\texttt{CALCULATING\_GRID} \land 
                       Debug(DEBUG\_GRID\_CALC))) fprintf(stderr, "_____");
         Calculate_Distance_With_Corrections(ur1, ut1, Rc, Tc, uru, utu, M_R, M_T, deviation);
This code is used in section 111.
              \langle Prototype for Calculate\_Grid\_Distance 167 \rangle \equiv
    double Calculate\_Grid\_Distance(int i, int j)
This code is used in sections 112 and 168.
168. \langle \text{ Definition for } Calculate\_Grid\_Distance | 168 \rangle \equiv
     ⟨ Prototype for Calculate_Grid_Distance 167⟩
         double ur1, ut1, uru, utu, Rc, Tc, b, dev, LR, LT;
         if (Debug(DEBUG\_GRID\_CALC)) fprintf(stderr, "g_{\sqcup}\%2d_{\sqcup}\%2d_{\sqcup}", i, j);
         b = The\_Grid[GRID\_SIZE * i + j][B\_COLUMN];
         ur1 = The\_Grid[GRID\_SIZE * i + j][UR1\_COLUMN];
         ut1 = The\_Grid[GRID\_SIZE * i + j][UT1\_COLUMN];
         uru = The\_Grid[GRID\_SIZE * i + j][URU\_COLUMN];
         utu = The\_Grid[GRID\_SIZE * i + j][UTU\_COLUMN];
         RR.slab.a = The\_Grid[GRID\_SIZE * i + j][A\_COLUMN];
         RR.slab.b = The\_Grid[GRID\_SIZE * i + j][B\_COLUMN];
         \mathtt{RR}.slab.g = \mathit{The\_Grid}\left[\mathtt{GRID\_SIZE}*i+j\right]\left[\mathtt{G\_COLUMN}\right];
         Sp\_mu\_RT\_Flip (MM.flip\_sample, RR.slab.n\_top\_slide, RR.slab.n\_slab, RR.slab.n\_slab
                  RR.slab.b\_top\_slide, b, RR.slab.b\_bottom\_slide, RR.slab.cos\_angle, & Rc, & Tc);
         {\tt CALCULATING\_GRID}=1;
         Calculate_Distance_With_Corrections(ur1, ut1, Rc, Tc, uru, utu, &LR, &LT, & dev);
         CALCULATING\_GRID = 0;
         return dev:
This code is used in section 111.
```

 $\S169$ IAD (v 3-12-0) CALCULATING R AND T 77

169. This is the routine that actually finds the distance. I have factored this part out so that it can be used in the *Near_Grid_Point* routine.

Rc and Tc refer to the unscattered (collimated) reflection and transmission.

The only tricky part is to remember that the we are trying to match the measured values. The measured values are affected by sphere parameters and light loss. Since the values UR1 and UT1 are for an infinite slab sample with no light loss, the light loss out the edges must be subtracted. It is these values that are used with the sphere formulas to convert the modified UR1 and UT1 to values for *M_R and *M_T.

```
⟨ Prototype for Calculate_Distance_With_Corrections | 169⟩ ≡ void Calculate_Distance_With_Corrections (double UR1, double UT1, double Rc, double Tc, double URU, double UTU, double *M_R, double *M_T, double *dev⟩
This code is used in sections 112 and 170.
```

```
\langle Definition for Calculate\_Distance\_With\_Corrections 170 \rangle \equiv
  ⟨ Prototype for Calculate_Distance_With_Corrections 169⟩
     double R\_direct, T\_direct, R\_diffuse, T\_diffuse;
     R\_diffuse = URU - MM.uru\_lost;
     T_{-}diffuse = UTU - MM.utu_{-}lost;
     R\_direct = UR1 - MM.ur1\_lost - (1.0 - MM.fraction\_of\_rc\_in\_mr) * Rc;
     T\_direct = \mathtt{UT1} - \mathtt{MM}.ut1\_lost - (1.0 - \mathtt{MM}.fraction\_of\_tc\_in\_mt) * Tc;
     switch (MM.num_spheres) {
     case 0: (Calc M_R and M_T for no spheres 171)
       break:
     case 1: case -2:
       if (MM.method \equiv COMPARISON) (Calc M_R and M_T for dual beam sphere 173)
       else (Calc M_R and M_T for single beam sphere 172)
     case 2: \langle Calc M_R and M_T for two spheres 174\,\rangle
       break;
     (Calculate the deviation 175)
     (Print diagnostics 178)
This code is used in section 111.
```

171. If no spheres were used in the measurement, then presumably the measured values are the reflection and transmission. Consequently, we just acertain what the irradiance was and whether the specular reflection ports were blocked and proceed accordingly. Note that blocking the ports does not have much meaning unless the light is collimated, and therefore the reflection and transmission is only modified for collimated irradiance.

```
 \langle \, \text{Calc M\_R and M\_T for no spheres 171} \, \rangle \equiv \\ *\texttt{M\_R} = R\_direct; \\ *\texttt{M\_T} = T\_direct;  This code is used in section 170.
```

172. The direct incident power is (1-f)P. The reflected power will be $(1-f)r_s^{\text{direct}}P$. Since baffles ensure that the light cannot reach the detector, we must bounce the light off the sphere walls to use to above gain formulas. The contribution will then be $(1-f)r_s^{\text{direct}}(1-a_e)r_wP$. The measured power will be

$$P_d = a_d(1 - a_e)r_w[(1 - f)r_s^{\text{direct}} + fr_w]P \cdot G(r_s)$$

Similarly the power falling on the detector measuring transmitted light is

$$P'_d = a'_d t_s^{\text{direct}} r'_w (1 - a'_e) P \cdot G'(r_s)$$

when the 'entrance' port in the transmission sphere is closed, $a_e'=0$. The normalized sphere measurements are

$$M_R = r_{\text{std}} \cdot \frac{R(r_s^{\text{direct}}, r_s) - R(0, 0)}{R(r_{\text{std}}, r_{\text{std}}) - R(0, 0)}$$

and

This code is used in section 170.

78

$$M_T = t_{\text{std}} \cdot \frac{T(t_s^{\text{direct}}, r_s) - T(0, 0)}{T(t_{\text{std}}, r_{\text{std}}) - T(0, 0)}$$

```
 \left\{ \begin{array}{l} \text{ double } P\_std,\,P\_d,\,P\_0;\\ \text{ double } G,\,G\_0,\,G\_std,\,GP\_std,\,GP;\\ \text{ double } G,\,G\_0,\,G\_std,\,GP\_std,\,GP;\\ \text{ } G\_0 = Gain(\text{REFLECTION\_SPHERE},\,\text{MM},\,0.0);\\ G = Gain(\text{REFLECTION\_SPHERE},\,\text{MM},\,R\_diffuse);\\ G\_std = Gain(\text{REFLECTION\_SPHERE},\,\text{MM},\,R\_diffuse);\\ P\_d = G * (R\_direct * (1 - \text{MM}.f\_r) + \text{MM}.f\_r * \text{MM}.rw\_r);\\ P\_std = G\_std * (\text{MM}.rstd\_r * (1 - \text{MM}.f\_r) + \text{MM}.f\_r * \text{MM}.rw\_r);\\ P\_0 = G\_0 * (\text{MM}.f\_r * \text{MM}.rw\_r);\\ *M\_R = \text{MM}.rstd\_r * (P\_d - P\_0)/(P\_std - P\_0);\\ \text{GP} = Gain(\text{TRANSMISSION\_SPHERE},\,\text{MM},\,R\_diffuse);\\ GP\_std = Gain(\text{TRANSMISSION\_SPHERE},\,\text{MM},\,0.0);\\ *M\_T = T\_direct * \text{GP}/GP\_std;\\ \end{cases} \right\}
```

173. The dual beam case is different because the sphere efficiency is equivalent for measurement of light hitting the sample first or hitting the reference standard first. The dual beam measurement should report the ratio of these two reflectance measurements, thereby eliminating the need to calculate the gain completely. The same holds when no sample is present.

The normalized reflectance measurement (the difference between dual beam measurement for a port with the sample and with nothing) is

$$M_R = r_{\rm std} \cdot \frac{(1-f)r_s^{\rm direct} + fr_w}{(1-f')r_{\rm std} - f'r_w} - r_{\rm std} \cdot \frac{(1-f)(0) + fr_w}{(1-f')r_{\rm std} - f'r_w}$$

or

$$M_R = \frac{(1-f)r_s^{\text{direct}}}{(1-f') - f'r_w/r_{\text{std}}}$$

When f = f' = 1, then $M_R = 1$ no matter what the reflectance is. (Leave it in this form to avoid division by zero when f = 1.)

The normalized transmittance is simply t_s^{direct} .

When f = 0 then this result is essentially the same as the no spheres result (because no sphere corrections are needed). However if the number of spheres is zero, then no lost light calculations are made and therefore that is a potential error.

```
\langle Calc M_R and M_T for dual beam sphere 173 \rangle \equiv {  * M_R = (1 - \texttt{MM}.f_-r) * R\_direct/((1 - \texttt{MM}.f_-r) + \texttt{MM}.f_-r * \texttt{MM}.rw\_r/\texttt{MM}.rstd\_r); * M_T = T\_direct; }
```

This code is used in section 170.

174. When two integrating spheres are present then the double integrating sphere formulas are slightly more complicated.

I am not sure what it means when $rstd_{-}t$ is not unity.

The normalized sphere measurements for two spheres are

$$M_R = \frac{R(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) - R(0, 0, 0, 0)}{R(r_{\text{std}}, r_{\text{std}}, 0, 0) - R(0, 0, 0, 0)}$$

and

$$M_T = \frac{T(r_s^{\text{direct}}, r_s, t_s^{\text{direct}}, t_s) - T(0, 0, 0, 0)}{T(0, 0, 1, 1) - T(0, 0, 0, 0)}$$

Note that R_0 and T_0 will be zero unless one has explicitly set the fraction $m.f_r$ ore $m.f_t$ to be non-zero.

```
 \left\{ \begin{array}{l} \text{Calc M\_R and M\_T for two spheres 174} \right\} \equiv \left\{ \\ \text{double R\_0, T\_0;} \\ \text{R\_0} = \textit{Two\_Sphere\_R}(\text{MM}, 0, 0, 0, 0); \\ \text{T\_0} = \textit{Two\_Sphere\_T}(\text{MM}, 0, 0, 0, 0); \\ \text{*M\_R} = \text{MM.rstd\_r} * (\textit{Two\_Sphere\_R}(\text{MM}, \textit{R\_direct}, \textit{R\_diffuse}, \textit{T\_direct}, \\ \textit{T\_diffuse}) - \text{R\_0})/(\textit{Two\_Sphere\_R}(\text{MM}, \text{MM.rstd\_r}, \text{MM.rstd\_r}, 0, 0) - \text{R\_0}); \\ \text{*M\_T} = (\textit{Two\_Sphere\_T}(\text{MM}, \textit{R\_direct}, \textit{R\_diffuse}, \textit{T\_direct}, \textit{T\_diffuse}) - \text{T\_0})/(\textit{Two\_Sphere\_T}(\text{MM}, 0, 0, 1, 1) - \text{T\_0}); \\ \right\}
```

This code is used in section 170.

80 CALCULATING R AND T IAD (v 3-12-0) $\S175$

175. There are at least three things that need to be considered here. First, the number of measurements. Second, is the metric is relative or absolute. And third, is the albedo fixed at zero which means that the transmission measurement should be used instead of the reflection measurement.

```
⟨ Calculate the deviation 175⟩ ≡

if (RR.search ≡ FIND_A ∨ RR.search ≡ FIND_G ∨ RR.search ≡ FIND_B ∨ RR.search ≡ FIND_Bs ∨ RR.search ≡

FIND_Ba) {
⟨ One parameter deviation 176⟩
}
else {
⟨ Two parameter deviation 177⟩
}
This code is used in section 170.
```

176. This part was slightly tricky. The crux of the problem was to decide if the transmission or the reflection was trustworthy. After looking a bunches of measurements, I decided that the transmission measurement was almost always more reliable. So when there is just a single measurement known, then use the total transmission if it exists.

```
 \begin{split} &\langle \, \text{One parameter deviation 176} \, \rangle \equiv \\ & \quad \text{if } \, (\texttt{MM}.m_-t > 0) \, \, \big\{ \\ & \quad \text{if } \, (\texttt{RR}.metric \equiv \texttt{RELATIVE}) \, *dev = fabs(\texttt{MM}.m_-t - *\texttt{M}_T)/(\texttt{MM}.m_-t + \texttt{ABIT}); \\ & \quad \text{else } \, *dev = fabs(\texttt{MM}.m_-t - *\texttt{M}_T); \\ & \quad \big\} \\ & \quad \text{else } \, \big\{ \\ & \quad \text{if } \, (\texttt{RR}.metric \equiv \texttt{RELATIVE}) \, *dev = fabs(\texttt{MM}.m_-r - *\texttt{M}_R)/(\texttt{MM}.m_-r + \texttt{ABIT}); \\ & \quad \text{else } \, *dev = fabs(\texttt{MM}.m_-r - *\texttt{M}_R); \\ & \quad \big\} \end{split}  This code is used in section 175.
```

177. This stuff happens when we are doing two parameter searches. In these cases there should be information in both R and T. The distance should be calculated using the deviation from both. The albedo stuff might be able to be take out. We'll see.

```
 \begin{array}{l} \langle \, {\rm Two \; parameter \; deviation \; 177} \, \rangle \equiv \\ & \quad {\rm if \; (RR.} metric \equiv {\rm RELATIVE}) \; \left\{ \\ & \quad *dev = 0; \\ & \quad {\rm if \; (MM.} m_-t > {\rm ABIT}) \; *dev = {\rm T\_TRUST\_FACTOR} * fabs({\rm MM.} m_-t - *{\rm M\_T})/({\rm MM.} m_-t + {\rm ABIT}); \\ & \quad {\rm if \; (RR.} default_-a \neq 0) \; *dev \; += fabs({\rm MM.} m_-r - *{\rm M\_R})/({\rm MM.} m_-r + {\rm ABIT}); \\ & \quad {\rm else \; \left\{ } \\ & \quad *dev = {\rm T\_TRUST\_FACTOR} * fabs({\rm MM.} m_-t - *{\rm M\_T}); \\ & \quad {\rm if \; (RR.} default_-a \neq 0) \; *dev \; += fabs({\rm MM.} m_-r - *{\rm M\_R}); \\ & \quad {\rm } \end{array} \right. } \\ \\ {\rm This \; code \; is \; used \; in \; section \; 175.}
```

This is here so that I can figure out why the program is not converging. This is a little convoluted so that the global constants at the top of this file interact properly. $\langle \text{Print diagnostics } 178 \rangle \equiv$ $\textbf{if} \ ((Debug(\texttt{DEBUG_ITERATIONS}) \land \neg \texttt{CALCULATING_GRID}) \lor (Debug(\texttt{DEBUG_GRID_CALC}) \land \texttt{CALCULATING_GRID})) \\$ static int once = 0; if $(once \equiv 0)$ { $fprintf(stderr, "\%10s _\%10s _\%10s _ | \%10s _ \%10s _ | \%10s _ \%10s _ | \%10s _ \%10s _ | \%10s _ ", "a", "b", "g", "m_r", "fit", \displaystyle{\pi} \dinftyle{\pi} \displaystyle{\pi} \din$ "m_t", "fit", "delta"); once = 1; $fprintf(stderr, \%10.5f_{\square}\%10.5f_{\square}\%10.5f_{\square})$, RR.slab.a, RR.slab.b, RR.slab.g); $fprintf(stderr, "\%10.5f_{\sqcup}\%10.5f_{\sqcup}|", MM.m_r, *M_R);$ $fprintf(stderr, "\%10.5f_{\square}\%10.5f_{\square}|", MM.m_t, *M_T);$ $fprintf(stderr, "\%10.5f_{\sqcup}\n", *dev);$ This code is used in section 170. 179. $\langle \text{Prototype for } Find_AG_fn \ 179 \rangle \equiv$ **double** $Find_AG_fn($ **double** x[])This code is used in sections 112 and 180. **180.** $\langle \text{ Definition for } Find_AG_fn \text{ 180} \rangle \equiv$ $\langle \text{ Prototype for } Find_AG_fn 179 \rangle$ **double** $m_{-}r$, $m_{-}t$, deviation; RR.slab.a = acalc2a(x[1]);RR.slab.g = gcalc2g(x[2]); $Calculate_Distance(\&m_r,\&m_t,\&deviation);$ **return** deviation; This code is used in section 111. **181.** $\langle \text{Prototype for } Find_AB_fn \ 181 \rangle \equiv$ **double** $Find_AB_fn($ **double** x[])This code is used in sections 112 and 182. $\langle \text{ Definition for } Find_AB_fn | 182 \rangle \equiv$ $\langle \text{ Prototype for } Find_AB_fn \text{ 181} \rangle$ **double** $m_{-}r$, $m_{-}t$, deviation; RR.slab.a = acalc2a(x[1]);RR.slab.b = bcalc2b(x[2]); $Calculate_Distance(\&m_r,\&m_t,\&deviation);$ **return** deviation; }

183. $\langle \text{ Prototype for } Find_Ba_fn \ 183 \rangle \equiv$ **double** $Find_Ba_fn(\mathbf{double}\ x)$

This code is used in sections 112 and 184.

This code is used in section 111.

82 CALCULATING R AND T IAD (v 3-12-0) §184

184. This is tricky only because the value in RR. slab.b is used to hold the value of bs or $d \cdot \mu_s$. It must be

switched to the correct value for the optical thickness and then switched back at the end of the routine. $\langle \text{ Definition for } Find_Ba_fn 184 \rangle \equiv$ $\langle Prototype for Find_Ba_fn 183 \rangle$ **double** m_-r , m_-t , deviation, ba, bs; bs = RR.slab.b;ba = bcalc2b(x);RR.slab.b = ba + bs;/* unswindle */ RR.slab.a = bs/(ba + bs); $Calculate_Distance(\&m_r,\&m_t,\&deviation);$ RR.slab.b = bs;/* swindle */ **return** deviation; This code is used in section 111. 185. See the comments for the $Find_{-}Ba_{-}fn$ routine above. Play the same trick but use ba. $\langle \text{ Prototype for } Find_Bs_fn \ 185 \rangle \equiv$ **double** $Find_Bs_fn($ **double** x)This code is used in sections 112 and 186. **186.** $\langle \text{ Definition for } Find_Bs_fn \text{ 186} \rangle \equiv$ $\langle \text{ Prototype for } Find_Bs_fn \text{ 185} \rangle$ **double** $m_{-}r$, $m_{-}t$, deviation, ba, bs; ba = RR.slab.b;/* unswindle */ bs = bcalc2b(x);RR.slab.b = ba + bs;RR.slab.a = bs/(ba + bs); $Calculate_Distance(\&m_r,\&m_t,\&deviation);$ /* swindle */ RR.slab.b = ba;return deviation; } This code is used in section 111. **187.** $\langle \text{Prototype for } Find_A_fn \ 187 \rangle \equiv$ **double** $Find_-A_-fn($ **double** x)This code is used in sections 112 and 188. **188.** $\langle \text{ Definition for } Find_A_fn \ 188 \rangle \equiv$ $\langle \text{ Prototype for } Find_A_fn \ 187 \rangle$ **double** $m_{-}r$, $m_{-}t$, deviation; RR.slab.a = acalc2a(x); $Calculate_Distance(\&m_r,\&m_t,\&deviation);$ **return** deviation;

This code is used in section 111.

```
\langle \text{ Prototype for } Find\_B\_fn \mid 189 \rangle \equiv
  double Find_B = fn(\mathbf{double} \ x)
This code is used in sections 112 and 190.
190. \langle \text{ Definition for } Find\_B\_fn \ 190 \rangle \equiv
   \langle \text{ Prototype for } Find\_B\_fn \text{ 189} \rangle
      double m_{-}r, m_{-}t, deviation;
     RR.slab.b = bcalc2b(x);
      Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
      return deviation;
This code is used in section 111.
         \langle \text{ Prototype for } Find\_G\_fn \ 191 \rangle \equiv
  double Find_{-}G_{-}fn(double x)
This code is used in sections 112 and 192.
192. \langle \text{ Definition for } Find\_G\_fn \ 192 \rangle \equiv
   \langle \text{ Prototype for } Find\_G\_fn \ \ 191 \rangle
      double m_{-}r, m_{-}t, deviation;
      RR.slab.g = gcalc2g(x);
      Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
      return deviation;
This code is used in section 111.
193. \langle \text{ Prototype for } Find\_BG\_fn \ 193 \rangle \equiv
  double Find_BG_fn(double x[])
This code is used in sections 112 and 194.
         \langle \text{ Definition for } Find\_BG\_fn \ 194 \rangle \equiv
   \langle \text{ Prototype for } Find\_BG\_fn \ 193 \rangle
      double m_{-}r, m_{-}t, deviation;
      RR.slab.b = bcalc2b(x[1]);
      RR.slab.g = gcalc2g(x[2]);
      RR.slab.a = RR.default_a;
      Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
      return deviation;
This code is used in section 111.
```

195. For this function the first term x[1] will contain the value of $\mu_s d$, the second term will contain the anisotropy. Of course the first term is in the bizarre calculation space and needs to be translated back into normal terms before use. We just at the scattering back on and voilá we have a useable value for the optical depth.

```
\langle Prototype for Find\_BaG\_fn\ 195 \rangle \equiv double Find\_BaG\_fn (double x[]) This code is used in sections 112 and 196.
```

84 CALCULATING R AND T IAD (v 3-12-0) §196

```
196. \langle \text{ Definition for } Find\_BaG\_fn \ 196 \rangle \equiv
  \langle \text{ Prototype for } Find\_BaG\_fn \ 195 \rangle
     double m_{-}r, m_{-}t, deviation;
     RR.slab.b = bcalc2b(x[1]) + RR.default_bs;
     if (RR.slab.b \le 0) RR.slab.a = 0;
     else RR.slab.a = RR.default\_bs/RR.slab.b;
     RR.slab.g = gcalc2g(x[2]);
     Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
     return deviation;
This code is used in section 111.
197. \langle \text{Prototype for } Find\_BsG\_fn \ 197 \rangle \equiv
  double Find_BsG_fn(double x[])
This code is used in sections 112 and 198.
        \langle \text{ Definition for } Find\_BsG\_fn \ 198 \rangle \equiv
  \langle Prototype for Find\_BsG\_fn 197 \rangle
     double m_{-}r, m_{-}t, deviation;
     RR.slab.b = bcalc2b(x[1]) + RR.default_ba;
     if (RR.slab.b \le 0) RR.slab.a = 0;
     else RR.slab.a = 1.0 - RR.default\_ba/RR.slab.b;
     RR.slab.g = gcalc2g(x[2]);
     Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
     return deviation;
This code is used in section 111.
199. Routine to figure out if the light loss exceeds what is physically possible. Returns the descrepancy
between the current values and the maximum possible values for the measurements m_{-}r and m_{-}t.
\langle \text{ Prototype for } maxloss | 199 \rangle \equiv
  double maxloss(\mathbf{double}\ f)
```

This code is used in sections 112 and 200.

```
\langle \text{ Definition for } maxloss | 200 \rangle \equiv
  \langle \text{ Prototype for } maxloss | 199 \rangle
     struct measure_type m_{-}old;
     struct invert_type r_{-}old;
     double m_{-}r, m_{-}t, deviation;
     Get\_Calc\_State(\&m\_old,\&r\_old);
     RR.slab.a = 1.0;
     MM.ur1\_lost *= f;
     MM.ut1\_lost *= f;
     Calculate\_Distance(\&m\_r,\&m\_t,\&deviation);
     Set\_Calc\_State(m\_old, r\_old);
     deviation = ((MM.m_r + MM.m_t) - (m_r + m_t));
     return deviation;
This code is used in section 111.
201. This checks the two light loss values ur1_loss and ut1_loss to see if they exceed what is physically
possible. If they do, then these values are replaced by a couple that are the maximum possible for the current
values in m and r.
\langle Prototype for Max\_Light\_Loss 201 \rangle \equiv
  void Max_Light_Loss(struct measure_type m, struct invert_type r, double *ur1_loss, double
       *ut1\_loss)
This code is used in sections 112 and 202.
202. \langle \text{ Definition for } Max\_Light\_Loss \ 202 \rangle \equiv
  \langle \text{ Prototype for } Max\_Light\_Loss \ 201 \rangle
     struct measure_type m_{-}old;
     struct invert_type r_old;
     *ur1\_loss = m.ur1\_lost;
     *ut1\_loss = m.ut1\_lost;
     if (Debug(DEBUG_LOST_LIGHT))
       fprintf(stderr, "\nlost_lbefore_lur1=\%7.5f, lut1=\%7.5f \n", *ur1_loss, *ut1_loss);
     Get\_Calc\_State(\&m\_old,\&r\_old);
     Set\_Calc\_State(m, r);
     if (maxloss(1.0) * maxloss(0.0) < 0) {
       double frac;
       frac = zbrent(maxloss, 0.00, 1.0, 0.001);
       *ur1\_loss = m.ur1\_lost * frac;
       *ut1\_loss = m.ut1\_lost * frac;
     Set\_Calc\_State(m\_old, r\_old);
     if (Debug(DEBUG\_LOST\_LIGHT))
       fprintf(stderr, "lost\_after\_\_ur1=\%7.5f, \_ut1=\%7.5f \n", *ur1\_loss, *ut1\_loss);
This code is used in section 111.
```

86 CALCULATING R AND T IAD (v 3-12-0) $\S 203$

```
203. this is currently unused
\langle \text{Unused diffusion fragment 203} \rangle \equiv
  static void DE_RT(int nfluxes, AD_slab_type slab, double *UR1, double *UT1, double *URU, double
     slab type \, s;
    double rp, tp, rs, ts;
     s.f = slab.g * slab.g;
    s.gprime = slab.g/(1 + slab.g);
    s.aprime = (1 - s.f) * slab.a/(1 - slab.a * s.f);
    s.bprime = (1 - slab.a * s.f) * slab.b;
     s.boundary\_method = Egan;
    s.n_{-}top = slab.n_{-}slab;
    s.n_bottom = slab.n_slab;
     s.slide\_top = slab.n\_top\_slide;
    s.slide\_bottom = slab.n\_bottom\_slide;
    s.F0 = 1/pi;
    s.\,depth\,=0.0;
     s.Exact\_coll\_flag = false;
    if (MM.illumination \equiv collimated) {
       compute_{-}R_{-}and_{-}T(\&s, 1.0, \&rp, \&rs, \&tp, \&ts);
       *UR1 = rp + rs;
       *UT1 = tp + ts;
       *URU = 0.0;
       *UTU = 0.0;
       return;
     quad\_Dif\_Calc\_R\_and\_T(\&s,\&rp,\&rs,\&tp,\&ts);
     *URU = rp + rs;
    *UTU = tp + ts;
    *UR1 = 0.0;
     *UT1 = 0.0;
  }
```

 $\S204$ IAD (v 3-12-0) IAD FIND 87

204. IAD Find. March 1995. Incorporated the *quick_quess* algorithm for low albedos.

```
\langle iad\_find.c 204 \rangle \equiv
#include <math.h>
#include <stdio.h>
#include <stdlib.h>
#include "ad_globl.h"
#include "nr_util.h"
#include "nr_mnbrk.h"
#include "nr_brent.h"
#include "nr_amoeb.h"
#include "iad_type.h"
#include "iad_util.h"
#include "iad_calc.h"
#include "iad_find.h"
#include "iad_util.h"
#define NUMBER_OF_GUESSES 10
  guess_type guess[NUMBER_OF_GUESSES];
  int compare_guesses(const void *p1, const void *p2)
     guess\_type *g1 = (guess\_type *) p1;
     guess\_type *q2 = (guess\_type *) p2;
     if (g1 \neg distance < g2 \neg distance) return -1;
     else if (g1 \neg distance \equiv g2 \neg distance) return 0;
     else return 1;
   \langle \text{ Definition for } U\_Find\_Ba \text{ 218} \rangle
   \langle \text{ Definition for } U\_Find\_Bs \ 216 \rangle
   \langle \text{ Definition for } U\_Find\_A \text{ 220} \rangle
   \langle \text{ Definition for } U\_Find\_B \ \underline{224} \rangle
   \langle \text{ Definition for } U_F ind_G \underline{G} \underline{222} \rangle
   \langle \text{ Definition for } U_F ind_A G | 227 \rangle
    Definition for U_Find_AB 207
   \langle \text{ Definition for } U\_Find\_BG \text{ 232} \rangle
   \langle \text{ Definition for } U\_Find\_BaG \text{ 238} \rangle
   \langle \text{ Definition for } U\_Find\_BsG \text{ 243} \rangle
```

205. All the information that needs to be written to the header file iad_find.h. This eliminates the need to maintain a set of header files as well.

88 FIXED ANISOTROPY IAD (v 3-12-0) $\S 206$

```
206. Fixed Anisotropy.
  This is the most common case.
\langle \text{ Prototype for } U_F ind_A B | 206 \rangle \equiv
  void U_Find_AB(struct measure_type m, struct invert_type *r)
This code is used in sections 205 and 207.
207. \langle \text{ Definition for } U_F ind_A B | 207 \rangle \equiv
  \langle \text{ Prototype for } U\_Find\_AB \text{ 206} \rangle
     (Allocate local simplex variables 208)
     if (Debug(DEBUG\_SEARCH)) {
        fprintf(stderr, "In_U_Find_AB");
        fprintf(stderr, "u(mu=%6.4f)", r→slab.cos_angle);
        if (r - default_g \neq UNINITIALIZED) fprintf(stderr, "ulldefault_gl=u%8.5f", r- default_g);
        fprintf(stderr, "\n");
     r \rightarrow slab.g = (r \rightarrow default\_g \equiv \texttt{UNINITIALIZED}) ? 0 : r \rightarrow default\_g;
     Set\_Calc\_State(m, *r);
     \langle \text{ Get the initial } a, b, \text{ and } g \text{ 209} \rangle
      \langle Initialize the nodes of the a and b simplex 210\rangle
     \langle Evaluate the a and b simplex at the nodes 211\rangle
     amoeba(p, y, 2, r \rightarrow tolerance, Find\_AB\_fn, \&r \rightarrow iterations);
     \langle Choose the best node of the a and b simplex 212\rangle
      (Free simplex data structures 214)
     (Put final values in result 213)
This code is used in section 204.
208. To use the simplex algorithm, we need to vectors and a matrix.
\langle Allocate local simplex variables 208\rangle \equiv
  int i, i\_best, j\_best;
  double *x, *y, **p;
  x = dvector(1, 2);
  y = dvector(1,3);
  p = dmatrix(1, 3, 1, 2);
This code is used in sections 207, 227, 232, 238, and 243.
```

 $\S209$ IAD (v 3-12-0) FIXED ANISOTROPY 89

209. Just get the optimal optical properties to start the search process.

I had to add the line that tests to make sure the albedo is greater than 0.2 because the grid just does not work so well in this case. The problem is that for low albedos there is really very little information about the anisotropy available. This change was also made in the analogous code for a and b.

```
\langle \text{ Get the initial } a, b, \text{ and } q \text{ 209} \rangle \equiv
  {
         /* double a3,b3,g3; */
     size_t \ count = NUMBER_OF_GUESSES;
                                                       /* distance to last result */
     abg\_distance(r \rightarrow slab.a, r \rightarrow slab.b, r \rightarrow slab.g, \&(guess[0]));
     if (\neg Valid\_Grid(m, r \rightarrow search)) Fill\_Grid(m, *r, 1);
                                                                       /* distance to nearest grid point */
     Near\_Grid\_Points(m.m\_r, m.m\_t, r \rightarrow search, \&i\_best, \&j\_best);
     Grid\_ABG(i\_best, j\_best, \&(guess[1]));
     Grid\_ABG(i\_best + 1, j\_best, \&(guess[2]));
     Grid\_ABG(i\_best - 1, j\_best, \&(guess[3]));
     Grid\_ABG(i\_best, j\_best + 1, \&(guess[4]));
     Grid\_ABG(i\_best, j\_best - 1, \&(guess[5]));
     Grid\_ABG(i\_best + 1, j\_best + 1, \&(guess[6]));
     Grid\_ABG(i\_best - 1, j\_best - 1, \&(guess[7]));
     Grid\_ABG(i\_best + 1, j\_best - 1, \&(guess[8]));
     Grid\_ABG(i\_best - 1, j\_best + 1, \&(guess[9]));
     qsort((void *) guess, count, sizeof(guess_type), compare_guesses);
     if (Debug(DEBUG_BEST_GUESS)) {
        int k;
        fprintf(stderr, "after\n");
        for (k = 0; k \le 6; k ++) {
          fprintf(stderr, "%3d_{\sqcup\sqcup}", k);
          fprintf(stderr, "\%10.5f_{\sqcup}", guess[k].a);
          fprintf(stderr, "\%10.5f_{\sqcup}", guess[k].b);
          fprintf(stderr, "\%10.5f_{\sqcup}", guess[k].g);
          fprintf(stderr, "%10.5f\n", guess[k].distance);
  }
```

This code is used in sections 207, 227, 232, 238, and 243.

90 FIXED ANISOTROPY IAD (v 3-12-0) $\S210$

```
210. (Initialize the nodes of the a and b simplex 210) \equiv
     int k, kk;
     p[1][1] = a2acalc(guess[0].a);
     p[1][2] = b2bcalc(guess[0].b);
     for (k = 1; k < 7; k++) {
       if (guess[0].a \neq guess[k].a) break;
     p[2][1] = a2acalc(guess[k].a);
     p[2][2] = b2bcalc(guess[k].b);
     for (kk = 1; kk < 7; kk ++) {
       if (guess[0].b \neq guess[kk].b \land guess[k].b \neq guess[kk].b) break;
     p[3][1] = a2acalc(guess[kk].a);
     p[3][2] = b2bcalc(guess[kk].b);
     if (Debug(DEBUG_BEST_GUESS)) {
       fprintf(stderr, "guess_{\sqcup}1");
       fprintf(stderr, "%10.5f", guess[0].a);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].b);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].g);
       fprintf(stderr, "\%10.5f\n", guess[0].distance);
       fprintf(stderr, "guess_{\square}2");
       fprintf(stderr, "%10.5f_{\sqcup}", guess[k].a);
       fprintf(stderr, "%10.5f_{\perp}", quess[k].b);
       fprintf(stderr, "%10.5f_{\sqcup}", guess[k].g);
       fprintf(stderr, "\%10.5f\n", guess[k].distance);
       fprintf(stderr, "guess<sub>□</sub>3");
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].a);
       fprintf(stderr, "%10.5f", guess[kk].b);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].g);
       fprintf(stderr, "%10.5f\n", guess[kk].distance);
  }
This code is used in section 207.
211. (Evaluate the a and b simplex at the nodes 211) \equiv
  for (i = 1; i \le 3; i ++) {
     x[1] = p[i][1];
     x[2] = p[i][2];
     y[i] = Find_{-}AB_{-}fn(x);
This code is used in section 207.
```

§212 IAD (v 3-12-0)

```
\langle Choose the best node of the a and b simplex 212 \rangle \equiv
   r \rightarrow final\_distance = 10;
   for (i = 1; i \le 3; i ++) {
      if (y[i] < r \rightarrow final\_distance) {
          r \rightarrow slab.a = acalc2a(p[i][1]);
          r \rightarrow slab.b = bcalc2b(p[i][2]);
          r \rightarrow final\_distance = y[i];
This code is used in section 207.
213. \langle \text{ Put final values in result 213} \rangle \equiv
   r \rightarrow a = r \rightarrow slab.a;
   r \rightarrow b = r \rightarrow slab.b;
   r \rightarrow g = r \rightarrow slab.g;
   r \rightarrow found = (r \rightarrow tolerance \leq r \rightarrow final\_distance);
This code is used in sections 207, 216, 218, 220, 222, 224, 227, 232, 238, and 243.
          Since we allocated these puppies, we got to get rid of them.
\langle Free simplex data structures 214\rangle \equiv
   free\_dvector(x, 1, 2);
   free\_dvector(y, 1, 3);
   free\_dmatrix(p, 1, 3, 1, 2);
This code is used in sections 207, 227, 232, 238, and 243.
```

215. Fixed Absorption and Anisotropy. Typically, this routine is called when the absorption coefficient is known, the anisotropy is known, and the physical thickness of the sample is known. This routine calculates the varies the scattering coefficient until the measurements are matched.

This was written for Ted Moffitt to analyze some intralipid data. We wanted to know what the scattering coefficient of the Intralipid was and made total transmission measurements through a sample with a fixed physical thickness. We did not make reflection measurements because the light source diverged too much, and we could not make reflection measurements easily.

In retrospect, we could have made URU measurements by illuminating the wall of the integrating sphere. However, these diffuse type of measurements are very difficult to make accurately.

This is tricky only because the value in slab.b is used to hold the value of ba or $d \cdot \mu_a$ when the $Find_Bs_fn$ is used.

```
\langle \text{Prototype for } U\_Find\_Bs \ 215 \rangle \equiv  void U\_Find\_Bs(\text{struct measure\_type } m, \text{struct invert\_type } *r) This code is used in sections 205 and 216.
```

```
216. \langle \text{ Definition for } U_F ind_B s \text{ 216} \rangle \equiv
   \langle \text{ Prototype for } U_F ind_B s \text{ 215} \rangle
      double ax, bx, cx, fa, fb, fc, bs;
      if (Debug(DEBUG_SEARCH)) {
         fprintf(stderr, "In_U_Find_Bs");
         fprintf(stderr, "u=\%6.4f)", r\rightarrow slab.cos\_angle);
         if (r \rightarrow default\_ba \neq UNINITIALIZED) fprintf(stderr, " \sqcup \sqcup default\_ba \sqcup = \sqcup \%8.5f", r \rightarrow default\_ba);
         if (r \rightarrow default\_g \neq UNINITIALIZED) fprintf (stderr, "udefault\_gu=u\%8.5f", r \rightarrow default\_g);
         fprintf(stderr, "\n");
      if (m.m_{-}t \equiv 0) {
         r \rightarrow slab.b = HUGE_VAL;
         U_{-}Find_{-}A(m,r);
         return;
      r \rightarrow slab.a = 0;
      r \rightarrow slab.g = (r \rightarrow default\_g \equiv \texttt{UNINITIALIZED}) ? 0 : r \rightarrow default\_g;
      r \rightarrow slab.b = (r \rightarrow default\_ba \equiv UNINITIALIZED)? HUGE_VAL: r \rightarrow default\_ba;
      Set\_Calc\_State(m, *r);
                                          /* store ba in RR.slab.b */
      ax = b2bcalc(0.1);
                                     /* first try for bs */
      bx = b2bcalc(1.0);
      mnbrak(\&ax,\&bx,\&cx,\&fa,\&fb,\&fc,Find\_Bs\_fn);
      r \rightarrow final\_distance = brent(ax, bx, cx, Find\_Bs\_fn, r \rightarrow tolerance, \&bs);
                                                                                                     /* recover true values */
      r \rightarrow slab.a = bcalc2b(bs)/(bcalc2b(bs) + r \rightarrow slab.b);
      r \rightarrow slab.b = bcalc2b(bs) + r \rightarrow slab.b;
      Set_{-}Calc_{-}State(m, *r);
      (Put final values in result 213)
This code is used in section 204.
```

217. Fixed Absorption and Scattering. Typically, this routine is called when the scattering coefficient is known, the anisotropy is known, and the physical thickness of the sample is known. This routine calculates the varies the absorption coefficient until the measurements are matched.

This is tricky only because the value in slab.b is used to hold the value of bs or $d \cdot \mu_s$ when the $Find_Ba_fn$ is used.

```
\langle \text{Prototype for } U\_Find\_Ba \text{ 217} \rangle \equiv  void U\_Find\_Ba(\text{struct measure\_type } m, \text{struct invert\_type } *r) This code is used in sections 205 and 218.
```

```
\langle \text{ Definition for } U_F ind_B a \text{ 218} \rangle \equiv
   \langle \text{ Prototype for } U\_Find\_Ba \ 217 \rangle
      double ax, bx, cx, fa, fb, fc, ba;
      if (Debug(DEBUG_SEARCH)) {
         fprintf(stderr, "In_U_Find_Bs");
         fprintf(stderr, "\_(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
         if (r \rightarrow default\_bs \neq UNINITIALIZED) fprintf(stderr, "uudefault_bs_u=u%8.5f", r \rightarrow default\_bs);
         if (r \rightarrow default\_g \neq UNINITIALIZED) fprintf (stderr, "udefault\_gu=u\%8.5f", r \rightarrow default\_g);
         fprintf(stderr, "\n");
      r \rightarrow slab.a = 0;
      r \rightarrow slab.g = (r \rightarrow default\_g \equiv UNINITIALIZED) ? 0 : r \rightarrow default\_g;
      r \rightarrow slab.b = (r \rightarrow default\_bs \equiv \texttt{UNINITIALIZED}) ? \texttt{HUGE\_VAL} : r \rightarrow default\_bs;
      if (m.m_{-}t \equiv 0) {
         r \rightarrow slab.b = HUGE\_VAL;
         U_{-}Find_{-}A(m,r);
         return;
      Set\_Calc\_State(m, *r);
                                        /* store bs in RR.slab.b */
      ax = b2bcalc(0.1);
                                    /* first try for ba */
      bx = b2bcalc(1.0);
      mnbrak(\&ax,\&bx,\&cx,\&fa,\&fb,\&fc,Find\_Ba\_fn);
      r-final_distance = brent(ax, bx, cx, Find_Ba_fn, r-tolerance, &ba);
                                                                                                  /* recover true values */
      r \rightarrow slab.a = (r \rightarrow slab.b)/(bcalc2b(ba) + r \rightarrow slab.b);
      r \rightarrow slab.b = bcalc2b(ba) + r \rightarrow slab.b;
                                                       /* actual value of b */
      Set_{-}Calc_{-}State(m, *r);
      (Put final values in result 213)
This code is used in section 204.
```

219. Fixed Optical Depth and Anisotropy. Typically, this routine is called when the optical thickness is assumed infinite. However, it may also be called when the optical thickness is assumed to be fixed at a particular value. Typically the only reasonable situation for this to occur is when the diffuse transmission is non-zero but the collimated transmission is zero. If this is the case then there is no information in the collimated transmission measurement and there is no sense even using it because the slab is not infinitely thick.

```
\langle \text{Prototype for } U\_Find\_A \text{ 219} \rangle \equiv 
void U\_Find\_A (\text{struct measure\_type } m, \text{struct invert\_type } *r)
This code is used in sections 205 and 220.
```

IAD (v 3-12-0)

94

```
220. \langle \text{ Definition for } U\_Find\_A \ 220 \rangle \equiv
   \langle \text{ Prototype for } U_{-}Find_{-}A \text{ 219} \rangle
      double Rt, Tt, Rd, Rc, Td, Tc;
      if (Debug(DEBUG_SEARCH)) {
         fprintf(stderr, "In_U_Find_A");
         fprintf(stderr, "u(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
        if (r \rightarrow default_b \neq UNINITIALIZED) fprintf(stderr, "ulldefault_bu=u%8.5f", r \rightarrow default_b);
         if (r \rightarrow default\_g \neq UNINITIALIZED) fprintf (stderr, "udefault\_gu=u\%8.5f", r \rightarrow default\_g);
        fprintf(stderr, "\n");
      Estimate\_RT(m, *r, \&Rt, \&Tt, \&Rd, \&Rc, \&Td, \&Tc);
      r \rightarrow slab.g = (r \rightarrow default\_g \equiv UNINITIALIZED) ? 0 : r \rightarrow default\_g;
      r \rightarrow slab.b = (r \rightarrow default\_b \equiv UNINITIALIZED)? HUGE_VAL: r \rightarrow default\_b;
      r \rightarrow slab.a = 0.0;
      r \rightarrow final\_distance = 0.0;
      Set_{-}Calc_{-}State(m, *r);
      if (Rt > 0.99999) {
         r \rightarrow final\_distance = Find\_A\_fn(a2acalc(1.0));
         r \rightarrow slab.a = 1.0;
      else {
         double x, ax, bx, cx, fa, fb, fc;
         ax = a2acalc(0.3);
         bx = a2acalc(0.5);
         mnbrak(\&\,ax\,,\&\,bx\,,\&\,cx\,,\&\,fa\,,\&\,fb\,,\&\,fc\,,Find\_A\_fn\,);
         r \rightarrow final\_distance = brent(ax, bx, cx, Find\_A\_fn, r \rightarrow tolerance, \&x);
         r \rightarrow slab.a = acalc2a(x);
      (Put final values in result 213)
This code is used in section 204.
221. Fixed Optical Depth and Albedo.
\langle \text{ Prototype for } U_F ind_G 221 \rangle \equiv
```

```
void U_Find_G(struct measure_type m, struct invert_type *r)
This code is used in sections 205 and 222.
```

```
\langle \text{ Definition for } U_{-}Find_{-}G | 222 \rangle \equiv
   \langle \text{ Prototype for } U\_Find\_G \text{ 221} \rangle
      double Rt, Tt, Rd, Rc, Td, Tc;
      if (Debug(DEBUG_SEARCH)) {
         fprintf(stderr, "In_U_Find_G");
         fprintf(stderr, "u(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
         if (r \rightarrow default_a \neq UNINITIALIZED) fprintf(stderr, "ulldefault_al=u%8.5f", r \rightarrow default_a);
         if (r \rightarrow default_b \neq UNINITIALIZED) fprintf(stderr, "uldefault_bu=u%8.5f", r \rightarrow default_b);
        fprintf(stderr, "\n");
      Estimate\_RT(m, *r, \&Rt, \&Tt, \&Rd, \&Rc, \&Td, \&Tc);
      r \rightarrow slab.a = (r \rightarrow default\_a \equiv UNINITIALIZED) ? 0.5 : r \rightarrow default\_a;
      r \rightarrow slab.b = (r \rightarrow default\_b \equiv \texttt{UNINITIALIZED}) ? \texttt{HUGE\_VAL} : r \rightarrow default\_b ;
      r \rightarrow slab.g = 0.0;
      r \rightarrow final\_distance = 0.0;
      Set_{-}Calc_{-}State(m, *r);
      if (Rd > 0.0) {
         double x, ax, bx, cx, fa, fb, fc;
         ax = g2gcalc(-0.99);
         bx = g2gcalc(0.99);
         mnbrak(\&ax,\&bx,\&cx,\&fa,\&fb,\&fc,Find\_G\_fn);
         r \rightarrow final\_distance = brent(ax, bx, cx, Find\_G\_fn, r \rightarrow tolerance, \&x);
         r \rightarrow slab.q = qcalc2q(x);
         Set_{-}Calc_{-}State(m, *r);
      (Put final values in result 213)
This code is used in section 204.
```

223. Fixed Anisotropy and Albedo. This routine can be called in three different situations: (1) the albedo is zero, (2) the albedo is one, or (3) the albedo is fixed at a default value. I calculate the individual reflections and transmissions to establish which of these cases we happen to have.

```
\langle \text{Prototype for } U\_Find\_B \ 223 \rangle \equiv 
void U\_Find\_B (\text{struct measure\_type } m, \text{struct invert\_type } *r)
This code is used in sections 205 and 224.
```

96

```
\langle \text{ Definition for } U_{-}Find_{-}B | 224 \rangle \equiv
   \langle \text{ Prototype for } U\_Find\_B \ \underline{223} \rangle
     double Rt, Tt, Rd, Rc, Td, Tc;
     if (Debug(DEBUG_SEARCH)) {
        fprintf(stderr, "In U_Find_B");
        fprintf(stderr, "u(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
        if (r \rightarrow default_a \neq UNINITIALIZED) fprintf(stderr, "ulldefault_al=u%8.5f", r \rightarrow default_a);
        if (r \rightarrow default\_g \neq UNINITIALIZED) fprintf(stderr, "uudefault\_gu=u%8.5f", r \rightarrow default\_g);
        fprintf(stderr, "\n");
     Estimate\_RT(m, *r, \&Rt, \&Tt, \&Rd, \&Rc, \&Td, \&Tc);
     r \rightarrow slab.g = (r \rightarrow default\_g \equiv UNINITIALIZED) ? 0 : r \rightarrow default\_g;
     r \rightarrow slab.a = (r \rightarrow default\_a \equiv UNINITIALIZED) ? 0 : r \rightarrow default\_a;
     r \rightarrow slab.b = 0.5;
     r \rightarrow final\_distance = 0.0;
     Set_{-}Calc_{-}State(m, *r);
     \langle Iteratively solve for b \ 225 \rangle
     (Put final values in result 213)
     if (Debug(DEBUG_SEARCH)) {
        fprintf(stderr, "In_{\sqcup}U_Find_B_{\sqcup}final_{\sqcup}(a,b,g)_{\sqcup}=_{\sqcup}");
        fprintf(stderr, "(\%8.5f,\%8.5f,\%8.5f)\n", r \rightarrow a, r \rightarrow b, r \rightarrow g);
  }
This code is used in section 204.
       This could be improved tremendously. I just don't want to mess with it at the moment.
\langle Iteratively solve for b \ 225 \rangle \equiv
     double x, ax, bx, cx, fa, fb, fc;
     ax = b2bcalc(0.1);
     bx = b2bcalc(10);
     mnbrak(\&ax,\&bx,\&cx,\&fa,\&fb,\&fc,Find\_B\_fn);
     r \rightarrow final\_distance = brent(ax, bx, cx, Find\_B\_fn, r \rightarrow tolerance, \&x);
     r \rightarrow slab.b = bcalc2b(x);
     Set\_Calc\_State(m, *r);
  }
This code is used in section 224.
226. Fixed Optical Depth.
  We can get here a couple of different ways.
  First there can be three real measurements, i.e., t_c is not zero, in this case we want to fix b based on the
t_c measurement.
  Second, we can get here if a default value for b has been set.
  Otherwise, we really should not be here. Just set b = 1 and calculate away.
\langle \text{ Prototype for } U_F ind_A G | 226 \rangle \equiv
```

void $U_Find_AG($ struct measure_type m, struct invert_type *r)

This code is used in sections 205 and 227.

§227 IAD (v 3-12-0)

```
227. \langle \text{ Definition for } U_F ind_A G | 227 \rangle \equiv
  \langle \text{ Prototype for } U_F ind_A G \text{ 226} \rangle
      \langle Allocate local simplex variables 208\rangle
     if (Debug(DEBUG\_SEARCH)) {
        fprintf(stderr, "In U_Find_AG");
        fprintf(stderr, "□(mu=%6.4f)", r→slab.cos_angle);
        if (r \rightarrow default_b \neq UNINITIALIZED) fprintf(stderr, "ulldefault_bu=u%8.5f", r \rightarrow default_b);
        fprintf(stderr, "\n");
     if (m.num\_measures \equiv 3) r \rightarrow slab.b = What\_Is\_B(r \rightarrow slab, m.m\_u);
      else if (r \rightarrow default_b \equiv UNINITIALIZED) r \rightarrow slab.b = 1;
      else r \rightarrow slab.b = r \rightarrow default\_b;
      Set\_Calc\_State(m, *r);
      \langle Get the initial a, b, and g 209 \rangle
      \langle Initialize the nodes of the a and g simplex 228\rangle
      \langle Evaluate the a and g simplex at the nodes 229\rangle
      amoeba(p, y, 2, r \rightarrow tolerance, Find\_AG\_fn, \&r \rightarrow iterations);
      \langle Choose the best node of the a and g simplex 230\rangle
      (Free simplex data structures 214)
      (Put final values in result 213)
This code is used in section 204.
```

98 FIXED OPTICAL DEPTH IAD (v 3-12-0) $\S 228$

```
(Initialize the nodes of the a and g simplex 228) \equiv
     int k, kk;
     p[1][1] = a2acalc(guess[0].a);
     p[1][2] = g2gcalc(guess[0].g);
     for (k = 1; k < 7; k++) {
       if (guess[0].a \neq guess[k].a) break;
     p[2][1] = a2acalc(guess[k].a);
     p[2][2] = g2gcalc(guess[k].g);
     for (kk = 1; kk < 7; kk ++) {
       if (guess[0].g \neq guess[kk].g \land guess[k].g \neq guess[kk].g) break;
     p[3][1] = a2acalc(guess[kk].a);
     p[3][2] = g2gcalc(guess[kk].g);
     if (Debug(DEBUG\_BEST\_GUESS)) {
        fprintf(stderr, "guess_{\sqcup}1");
        fprintf(stderr, "%10.5f", guess[0].a);
        fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].b);
        fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].g);
        fprintf(stderr, "\%10.5f\n", guess[0].distance);
        fprintf(stderr, "guess_{\square}2");
        fprintf(stderr, "%10.5f_{\sqcup}", guess[k].a);
        fprintf(stderr, "%10.5f_{\perp}", quess[k].b);
        fprintf(stderr, "%10.5f_{\sqcup}", guess[k].g);
        fprintf(stderr, "\%10.5f\n", guess[k].distance);
        fprintf(stderr, "guess<sub>□</sub>3");
        fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].a);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].b);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].g);
       fprintf(stderr, "%10.5f\n", guess[kk].distance);
  }
This code is used in section 227.
229. \(\( \text{Evaluate the } a \text{ and } g \text{ simplex at the nodes } \( \text{229} \) \( \text{=} \)
  for (i = 1; i \le 3; i ++) {
     x[1] = p[i][1];
     x[2] = p[i][2];
     y[i] = Find_{-}AG_{-}fn(x);
This code is used in section 227.
```

 $\S230$ IAD (v 3-12-0) FIXED OPTICAL DEPTH 99

230. Here we find the node of the simplex that gave the best result and save that one. At the same time we save the whole simplex for later use if needed.

```
(Choose the best node of the a and g simplex 230) \equiv
   r \rightarrow final\_distance = 10;
   for (i = 1; i \le 3; i ++) {
      if (y[i] < r \rightarrow final\_distance) {
         r \rightarrow slab.a = acalc2a(p[i][1]);
         r \rightarrow slab.g = gcalc2g(p[i][2]);
         r \rightarrow final\_distance = y[i];
   }
This code is used in section 227.
                                 Here the optical depth and the anisotropy are varied (for a fixed albedo).
231. Fixed Albedo.
\langle \text{ Prototype for } U\_Find\_BG \text{ 231} \rangle \equiv
   void U_Find_BG(struct measure_type m, struct invert_type *r)
This code is used in sections 205 and 232.
232. \langle \text{ Definition for } U_{-}Find_{-}BG \rangle \equiv
   \langle \text{ Prototype for } U_{-}Find_{-}BG \text{ 231} \rangle
      (Allocate local simplex variables 208)
      if (Debug(DEBUG\_SEARCH)) {
         fprintf(stderr, "In_U_Find_BG");
         fprintf(stderr, "u(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
          \textbf{if} \ (r \neg default\_a \neq \texttt{UNINITIALIZED}) \ \textit{fprintf} \ (stderr, " \sqcup \sqcup \texttt{default\_a} \sqcup = \sqcup \%8.5 \texttt{f"}, r \neg default\_a); \\ 
         fprintf(stderr, "\n");
      r \rightarrow slab.a = (r \rightarrow default\_a \equiv UNINITIALIZED) ? 0 : r \rightarrow default\_a;
      Set\_Calc\_State(m, *r);
      \langle \text{ Get the initial } a, b, \text{ and } g \text{ 209} \rangle
      \langle Initialize the nodes of the b and g simplex 234\rangle
      \langle Evaluate the bq simplex at the nodes 235 \rangle
      amoeba(p, y, 2, r \rightarrow tolerance, Find\_BG\_fn, \&r \rightarrow iterations);
      \langle Choose the best node of the b and g simplex 236\rangle
      (Free simplex data structures 214)
      (Put final values in result 213)
This code is used in section 204.
```

233. A very simple start for variation of b and g. This should work fine for the cases in which the absorption or scattering are fixed.

100 FIXED ALBEDO IAD (v 3-12-0) $\S 234$

```
(Initialize the nodes of the b and g simplex 234) \equiv
     int k, kk;
     p[1][1] = b2bcalc(guess[0].b);
     p[1][2] = g2gcalc(guess[0].g);
     for (k = 1; k < 7; k++) {
       if (guess[0].b \neq guess[k].b) break;
     p[2][1] = b2bcalc(guess[k].b);
     p[2][2] = g2gcalc(guess[k].g);
     for (kk = 1; kk < 7; kk ++) {
       if (guess[0].g \neq guess[kk].g \land guess[k].g \neq guess[kk].g) break;
     p[3][1] = b2bcalc(guess[kk].b);
     p[3][2] = g2gcalc(guess[kk].g);
     if (Debug(DEBUG_BEST_GUESS)) {
       fprintf(stderr, "guess_{\sqcup}1");
       fprintf(stderr, "%10.5f", guess[0].a);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].b);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[0].g);
       fprintf(stderr, "\%10.5f\n", guess[0].distance);
       fprintf(stderr, "guess_{\square}2");
       fprintf(stderr, "%10.5f_{\sqcup}", guess[k].a);
       fprintf(stderr, "%10.5f_{\perp}", quess[k].b);
       fprintf(stderr, "%10.5f_{\sqcup}", guess[k].g);
       fprintf(stderr, "\%10.5f\n", guess[k].distance);
       fprintf(stderr, "guess<sub>□</sub>3");
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].a);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].b);
       fprintf(stderr, "\%10.5f_{\sqcup}", guess[kk].g);
       fprintf(stderr, "%10.5f\n", guess[kk].distance);
  }
This code is used in section 232.
235. (Evaluate the bg simplex at the nodes 235) \equiv
  for (i = 1; i \le 3; i ++) {
     x[1] = p[i][1];
     x[2] = p[i][2];
     y[i] = Find_{-}BG_{-}fn(x);
This code is used in section 232.
```

 $\S236$ IAD (v 3-12-0) FIXED ALBEDO 101

236. Here we find the node of the simplex that gave the best result and save that one. At the same time we save the whole simplex for later use if needed.

```
 \langle \text{ Choose the best node of the } b \text{ and } g \text{ simplex } 236 \rangle \equiv r \neg final\_distance = 10; \\ \text{for } (i=1;\ i \leq 3;\ i++) \ \{ \\ \text{if } (y[i] < r \neg final\_distance) \ \{ \\ r \neg slab.b = bcalc2b(p[i][1]); \\ r \neg slab.g = gcalc2g(p[i][2]); \\ r \neg final\_distance = y[i]; \\ \} \\ \}
```

This code is used in section 232.

237. Fixed Scattering. Here I assume that a constant b_s ,

$$b_s = \mu_s d$$

where d is the physical thickness of the sample and μ_s is of course the absorption coefficient. This is just like U_-Find_-BG except that $b_a = \mu_a d$ is varied instead of b.

```
 \begin{array}{l} \left\langle \operatorname{Prototype \ for} \ U\_Find\_BaG \ \ 237 \right\rangle \equiv \\ \mathbf{void} \ U\_Find\_BaG (\mathbf{struct \ measure\_type} \ m, \mathbf{struct \ invert\_type} \ *r) \\ \text{This code is used in sections 205 and 238.} \\ \mathbf{238.} \quad \left\langle \operatorname{Definition \ for} \ U\_Find\_BaG \ \ 238 \right\rangle \equiv \\ \left\langle \operatorname{Prototype \ for} \ U\_Find\_BaG \ \ 237 \right\rangle \\ \left\{ \\ \left\langle \operatorname{Allocate \ local \ simplex \ variables \ 208} \right\rangle \\ Set\_Calc\_State(m, *r); \\ \left\langle \operatorname{Get \ the \ initial \ } a, \ b, \ \operatorname{and} \ g \ 209 \right\rangle \\ \left\langle \operatorname{Initialize \ the \ nodes \ of \ the \ } ba \ \operatorname{and} \ g \ \operatorname{simplex \ 239} \right\rangle \\ \left\langle \operatorname{Evaluate \ the \ } BaG \ \operatorname{simplex \ at \ the \ nodes \ 240} \right\rangle \\ amoeba(p, y, 2, r \rightarrow tolerance, Find\_BaG\_fn, \& r \rightarrow iterations); \\ \left\langle \operatorname{Choose \ the \ best \ node \ of \ the \ } ba \ \operatorname{and} \ g \ \operatorname{simplex \ 241} \right\rangle \\ \left\langle \operatorname{Free \ simplex \ data \ structures \ 214} \right\rangle \end{array}
```

This code is used in section 204.

(Put final values in result 213)

102 FIXED SCATTERING IAD (v 3-12-0) $\S 239$

```
\langle Initialize the nodes of the ba and g simplex 239\rangle \equiv
  if (guess[0].b > r \rightarrow default\_bs) {
     p[1][1] = b2bcalc(guess[0].b - r \rightarrow default\_bs);
     p[2][1] = b2bcalc(2*(guess[0].b - r \rightarrow default\_bs));
     p[3][1] = p[1][1];
  else {
     p[1][1] = b2bcalc(0.0001);
     p[2][1] = b2bcalc(0.001);
     p[3][1] = p[1][1];
  p[1][2] = g2gcalc(guess[0].g);
  p[2][2] = p[1][2];
  p[3][2] = g2gcalc(0.9 * guess[0].g + 0.05);
This code is used in section 238.
240. (Evaluate the BaG simplex at the nodes 240) \equiv
  for (i = 1; i \le 3; i++) {
     x[1] = p[i][1];
     x[2] = p[i][2];
     y[i] = Find_BaG_fn(x);
This code is used in section 238.
```

241. Here we find the node of the simplex that gave the best result and save that one. At the same time we save the whole simplex for later use if needed.

This code is used in section 238.

242. Fixed Absorption. Here I assume that a constant b_a ,

$$b_a = \mu_a d$$

where d is the physical thickness of the sample and μ_a is of course the absorption coefficient. This is just like U_-Find_-BG except that $b_s = \mu_s d$ is varied instead of b.

```
\langle \text{Prototype for } U\_Find\_BsG \ 242 \rangle \equiv  void U\_Find\_BsG(\text{struct measure\_type } m, \text{struct invert\_type } *r) This code is used in sections 205 and 243.
```

 $\S243$ IAD (v 3-12-0) FIXED ABSORPTION 103

```
\langle \text{ Definition for } U_F ind_B sG | 243 \rangle \equiv
   \langle \text{ Prototype for } U\_Find\_BsG 242 \rangle
      (Allocate local simplex variables 208)
      if (Debug(DEBUG_SEARCH)) {
        fprintf(stderr, "In_U_Find_BsG");
        fprintf(stderr, "u(mu=\%6.4f)", r\rightarrow slab.cos\_angle);
        if (r - default_ba \neq UNINITIALIZED) fprintf(stderr, "uudefault_bau=u%8.5f", r - default_ba);
        fprintf(stderr, "\n");
      Set\_Calc\_State(m, *r);
      \langle \text{ Get the initial } a, b, \text{ and } g \text{ 209} \rangle
      \langle Initialize the nodes of the bs and g simplex 244\rangle
      \langle Evaluate the BsG simplex at the nodes 245\rangle
      amoeba(p, y, 2, r \rightarrow tolerance, Find\_BsG\_fn, \&r \rightarrow iterations);
      \langle Choose the best node of the bs and g simplex 246\rangle
      (Free simplex data structures 214)
      (Put final values in result 213)
This code is used in section 204.
244. \langle Initialize the nodes of the bs and g simplex 244 \rangle \equiv 
  p[1][1] = b2bcalc(guess[0].b - r \rightarrow default\_ba);
  p[1][2] = g2gcalc(guess[0].g);
  p[2][1] = b2bcalc(2*guess[0].b - 2*r \rightarrow default\_ba);
  p[2][2] = p[1][2];
  p[3][1] = p[1][1];
  p[3][2] = g2gcalc(0.9*guess[0].g+0.05);
This code is used in section 243.
245. \langle Evaluate the BsG simplex at the nodes 245 \rangle \equiv
  for (i = 1; i \le 3; i++) {
     x[1] = p[i][1];
     x[2] = p[i][2];
     y[i] = \mathit{Find\_BsG\_fn}(x);
This code is used in section 243.
246. (Choose the best node of the bs and g simplex 246) \equiv
  r \rightarrow final\_distance = 10;
  for (i = 1; i \le 3; i ++) {
     if (y[i] < r \rightarrow final\_distance) {
        r \rightarrow slab.b = bcalc2b(p[i][1]) + r \rightarrow default\_ba;
        r \rightarrow slab.a = 1 - r \rightarrow default\_ba/r \rightarrow slab.b;
        r \rightarrow slab.g = gcalc2g(p[i][2]);
        r\!\!\rightarrow\!\!final\_distance = y[i];
This code is used in section 243.
```

104 IAD UTILITIES IAD (v 3-12-0) $\S247$

247. IAD Utilities.

```
March 1995. Reincluded quick_guess code.
\langle iad\_util.c 247 \rangle \equiv
#include <math.h>
#include <float.h>
#include <stdio.h>
#include "nr_util.h"
#include "ad_globl.h"
#include "ad_frsnl.h"
#include "ad_bound.h"
#include "iad_type.h"
#include "iad_calc.h"
#include "iad_pub.h"
#include "iad_util.h"
   unsigned long g_{-}util_{-}debugging = 0;
   ⟨ Preprocessor definitions ⟩
   \langle \text{ Definition for } What\_Is\_B \text{ 250} \rangle
   \langle \text{ Definition for } Estimate\_RT | 256 \rangle
   \langle \text{ Definition for } a2acalc \text{ 262} \rangle
   \langle Definition for acalc2a 264\rangle
   \langle \text{ Definition for } q2qcalc | 266 \rangle
   (Definition for gcalc2g 268)
   \langle Definition for b2bcalc 270\rangle
   \langle \text{ Definition for } bcalc2b | 272 \rangle
   (Definition for twoprime 274)
   (Definition for two unprime 276)
   \langle \text{ Definition for } abgg2ab \text{ 278} \rangle
   \langle \text{ Definition for } abgb2ag 280 \rangle
   ⟨ Definition for quick_guess 287⟩
   \langle Definition for Set\_Debugging 300 \rangle
   \langle Definition for Debug 302\rangle
   Definition for Print_Invert_Type 304
   ⟨ Definition for Print_Measure_Type 306⟩
```

 $\S248$ IAD (v 3-12-0) IAD UTILITIES 105

```
248.
          \langle iad\_util.h 248 \rangle \equiv
   \langle \text{ Prototype for } What\_Is\_B \ 249 \rangle;
    \langle Prototype for Estimate\_RT \ 255 \rangle;
    \langle \text{ Prototype for } a2acalc \ 261 \rangle;
    (Prototype for acalc2a \ 263);
    \langle Prototype for q2qcalc 265 \rangle;
    \langle \text{ Prototype for } gcalc2g \ 267 \rangle;
     Prototype for b2bcalc \ 269;
     Prototype for bcalc2b 271\rangle;
    \langle \text{ Prototype for } twoprime \ 273 \rangle;
    \langle Prototype for two unprime 275 \rangle;
    \langle \text{ Prototype for } abgg2ab \ 277 \rangle;
    \langle Prototype for abgb2ag 279 \rangle;
    \langle Prototype for quick\_guess 286 \rangle;
    \langle Prototype for Set\_Debugging 299 \rangle;
    \langle Prototype for Debug 301 \rangle;
     Prototype for Print_Invert_Type 303 \:
    \langle Prototype for Print\_Measure\_Type 305 \rangle;
```

249. Finding optical thickness.

This routine figures out what the optical thickness of a slab based on the index of refraction of the slab and the amount of collimated light that gets through it.

It should be pointed out right here in the front that this routine does not work for diffuse irradiance, but then the whole concept of estimating the optical depth for diffuse irradiance is bogus anyway.

In version 1.3 changed all error output to stderr. Version 1.4 included cases involving absorption in the boundaries.

```
#define BIG_A_VALUE 999999.0

#define SMALL_A_VALUE 0.000001

⟨Prototype for What_Is_B 249⟩ ≡
double What_Is_B (struct AD_slab_type slab, double Tc)

This code is used in sections 248 and 250.

250. ⟨Definition for What_Is_B 250⟩ ≡
⟨Prototype for What_Is_B 249⟩

{
double r1, r2, t1, t2, mu_in_slab;
⟨Calculate specular reflection and transmission 251⟩
⟨Check for bad values of Tc 252⟩
⟨Solve if multiple internal reflections are not present 253⟩
⟨Find thickness when multiple internal reflections are present 254⟩
}

This code is used in section 247.
```

251. The first thing to do is to find the specular reflection for light interacting with the top and bottom airglass-sample interfaces. I make a simple check to ensure that the the indices are different before calculating the bottom reflection. Most of the time the $r1 \equiv r2$, but there are always those annoying special cases.

```
 \begin{split} &\langle \, \text{Calculate specular reflection and transmission 251} \, \rangle \equiv \\ &Absorbing\_Glass\_RT \, (1.0, slab.n\_top\_slide, slab.n\_slab, slab.cos\_angle, slab.b\_top\_slide, \&r1, \&t1); \\ &mu\_in\_slab = \, Cos\_Snell \, (1.0, slab.cos\_angle, slab.n\_slab); \\ &Absorbing\_Glass\_RT \, (slab.n\_slab, slab.n\_bottom\_slide, 1.0, mu\_in\_slab, slab.b\_bottom\_slide, \&r2, \&t2); \\ &\text{This code is used in section 250}. \end{split}
```

§252

252. Bad values for the unscattered transmission are those that are non-positive, those greater than one, and those greater than are possible in a non-absorbing medium, i.e.,

$$T_c > \frac{t_1 t_2}{1 - r_1 r_2}$$

Since this routine has no way to report errors, I just set the optical thickness to the natural values in these cases.

 $\begin{array}{l} \langle \, {\rm Check \ for \ bad \ values \ of \ } \textit{Tc} \ \ 252 \, \rangle \equiv \\ & \ \ \, {\bf if} \ \ (\textit{Tc} \leq 0) \ \ {\bf return} \ \ ({\tt HUGE_VAL}); \\ & \ \ \, {\bf if} \ \ (\textit{Tc} \geq t\textit{1} *t\textit{2}/(1-r\textit{1}*r\textit{2})) \ \ {\bf return} \ \ (0.001); \\ \\ {\rm This \ code \ is \ used \ in \ section \ 250}. \end{array}$

253. If either r1 or $r2 \equiv 0$ then things are very simple because the sample does not sustain multiple internal reflections and the unscattered transmission is

$$T_c = t_1 t_2 \exp(-b/\nu)$$

where b is the optical thickness and ν is slab.cos_angle. Clearly,

$$b = -\nu \ln \left(\frac{T_c}{t_1 t_2}\right)$$

 \langle Solve if multiple internal reflections are not present 253 \rangle \equiv if $(r1 \equiv 0 \lor r2 \equiv 0)$ return $(-slab.cos_angle * log(Tc/t1/t2))$; This code is used in section 250.

254. Well I kept putting it off, but now comes the time to solve the following equation for b

$$T_c = \frac{t_1 t_2 \exp(-b)}{1 - r_1 r_2 \exp(-2b)}$$

We note immediately that this is a quadratic equation in $x = \exp(-b)$.

$$r_1 r_2 T_c x^2 + t_1 t_2 x - T_c = 0$$

Sufficient tests have been made above to ensure that none of the coefficients are exactly zero. However, it is clear that the leading quadratic term has a much smaller coefficient than the other two. Since r_1 and r_2 are typically about four percent the product is roughly 10^{-3} . The collimated transmission can be very small and this makes things even worse. A further complication is that we need to choose the only positive root.

Now the roots of $ax^2 + bx + c = 0$ can be found using the standard quadratic formula,

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

This is very bad for small values of a. Instead I use

$$q = -\frac{1}{2} \left[b + \operatorname{sgn}(b) \sqrt{b^2 - 4ac} \right]$$

with the two roots

$$x = \frac{q}{a}$$
 and $x = \frac{c}{q}$

Substituting our coefficients

$$q = -\frac{1}{2} \left[t_1 t_2 + \sqrt{t_1^2 t_2^2 + 4r_1 r_2 T_c^2} \right]$$

With some algebra, this can be shown to be

$$q = -t_1 t_2 \left[1 + \frac{r_1 r_2 T_c^2}{t_1^2 t_2^2} + \cdots \right]$$

The only positive root is $x = -T_c/q$. Therefore

$$x = \frac{2T_c}{t_1t_2 + \sqrt{t_1^2t_2^2 + 4r_1r_2T_c^2}}$$

(Not very pretty, but straightforward enough.) $\langle \text{Find thickness when multiple internal reflections are present } 254 \rangle \equiv \\ \{ & \textbf{double } B; \\ & B = t1 * t2; \\ & \textbf{return } (-slab.cos_angle * log(2 * Tc/(B + sqrt(B * B + 4 * Tc * Tc * r1 * r2)))); \\ \end{cases}$

This code is used in section 250.

108 ESTIMATING R AND T IAD (v 3-12-0) $\S255$

255. Estimating R and T.

In several places, it is useful to know an *estimate* for the values of the reflection and transmission of the sample based on the measurements. This routine provides such an estimate, but it currently ignores anything corrections that might be made for the integrating spheres.

Good values are only really obtainable when $num_measures \equiv 3$, otherwise we need to make pretty strong assumptions about the reflection and transmission values. If $num_measures < 3$, then we will assume that no collimated light makes it all the way through the sample. The specular reflection is then just that for a semi-infinite sample and Tc = 0. If $num_measures \equiv 1$, then Td is also set to zero.

```
total reflection
          rt
          rc
                  primary or specular reflection
                  diffuse or scattered reflection
          rd
          tt
                  total transmission
          tp
                  primary or unscattered transmission
          td
                  diffuse or scattered transmission
\langle Prototype for Estimate\_RT \ 255 \rangle \equiv
  void Estimate\_RT(struct measure_type m, struct invert_type r, double *rt, double *tt, double
       *rd, double *rc, double *td, double *tc)
This code is used in sections 248 and 256.
256. \langle \text{ Definition for } Estimate\_RT | 256 \rangle \equiv
  \langle Prototype for Estimate\_RT \ 255 \rangle
     (Calculate the unscattered transmission and reflection 257)
     (Estimate the backscattered reflection 258)
     (Estimate the scattered transmission 259)
This code is used in section 247.
```

257. If there are three measurements then the specular reflection can be calculated pretty well. If there are fewer then the unscattered transmission is assumed to be zero. This is not necessarily the case, but after all, this routine only makes estimates of the various reflection and transmission quantities.

If there are three measurements, the optical thickness of the sample is required. Of course if there are three measurements then the illumination must be collimated and we can call *What_Is_B* to find out the optical thickness. We pass this value to a routine in the fresnel.h unit and sit back and wait.

All the above is true if sphere corrections are not needed. Now, we just fob this off on another function.

 \langle Calculate the unscattered transmission and reflection 257 \rangle \equiv $Calculate_Minimum_MR(m,r,rc,tc);$

This code is used in section 256.

 $\S258$ IAD (v 3-12-0) ESTIMATING R AND T 109

258. Finding the diffuse reflection is now just a matter of checking whether V1% contains the specular reflection from the sample or not and then just adding or subtracting the specular reflection as appropriate.

This code is used in section 256.

259. The transmission values follow in much the same way as the diffuse reflection values — just subtract the specular transmission from the total transmission.

```
\langle Estimate the scattered transmission 259\rangle \equiv
  if (m.num\_measures \equiv 1) {
    *tt = 0.0;
     *td = 0.0;
  else if (m.fraction\_of\_tc\_in\_mt) {
     *tt = m.m_{-}t;
     *td = *tt - *tc;
    if (*td < 0) {
       *tc = *tt;
       *td = 0;
     }
  }
  else {
    *td = m.m_{-}t;
    *tt = *td + *tc;
  if (Debug(DEBUG_SEARCH)) {
     fprintf(stderr, "_{\sqcup\sqcup\sqcup\sqcup} est_{\sqcup}td_{\sqcup} =_{\sqcup}\%.5f n", *td);
This code is used in section 256.
```

260. Transforming properties. Routines to convert optical properties to calculation space and back.

261. a2acalc is used for the albedo transformations according to

$$a_{calc} = \frac{2a - 1}{a(1 - a)}$$

Care is taken to avoid division by zero. Why was this function chosen? Well mostly because it maps the region between $[0,1] \to (-\infty, +\infty)$.

```
\langle \text{ Prototype for } a2acalc \ 261 \rangle \equiv 
double a2acalc(\mathbf{double} \ a)
```

This code is used in sections 248 and 262.

```
262. \langle Definition for a2acalc\ 262 \rangle \equiv \langle Prototype for a2acalc\ 261 \rangle {
    if (a \leq 0) return -BIG_A_VALUE;
    if (a \geq 1) return BIG_A_VALUE;
    return ((2*a-1)/a/(1-a));
}
```

This code is used in section 247.

263. acalc2a is used for the albedo transformations Now when we solve

$$a_c a l c = \frac{2a - 1}{a(1 - a)}$$

we obtain the quadratic equation

$$a_{calc}a^2 + (2 - a_{calc})a - 1 = 0$$

The only root of this equation between zero and one is

$$a = \frac{-2 + a_{calc} + \sqrt{a_{calc}^2 + 4}}{2a_{calc}}$$

I suppose that I should spend the time to recast this using the more appropriate numerical solutions of the quadratic equation, but this worked and I will leave it as it is for now.

```
⟨ Prototype for acalc2a 263⟩ ≡
   double acalc2a(double acalc)
This code is used in sections 248 and 264.

264. ⟨ Definition for acalc2a 264⟩ ≡
   ⟨ Prototype for acalc2a 263⟩
   {
      if (acalc ≡ BIG_A_VALUE) return 1.0;
      else if (acalc ≡ -BIG_A_VALUE) return 0.0;
      else if (fabs(acalc) < SMALL_A_VALUE) return 0.5;
      else return ((-2 + acalc + sqrt(acalc * acalc + 4))/(2 * acalc));
   }</pre>
```

This code is used in section 247.

265. *g2gcalc* is used for the anisotropy transformations according to

$$g_{calc} = \frac{g}{1 + |g|}$$

```
which maps (-1,1) \rightarrow (-\infty, +\infty).

\langle \text{Prototype for } g2gcalc | 265 \rangle \equiv \text{double } g2gcalc(\text{double } g)

This code is used in sections 248 and 266.

266. \langle \text{Definition for } g2gcalc | 266 \rangle \equiv \langle \text{Prototype for } g2gcalc | 265 \rangle

\{ \text{if } (g \leq -1) \text{ return } (-\text{HUGE\_VAL}); \text{ if } (g \geq 1) \text{ return } (\text{HUGE\_VAL}); \text{ return } (g/(1 - fabs(g))); \}

This code is used in section 247.
```

267. gcalc2g is used for the anisotropy transformations it is the inverse of g2gcalc. The relation is

$$g = \frac{g_{calc}}{1 + |g_{calc}|}$$

```
⟨ Prototype for gcalc2g 267⟩ ≡
   double gcalc2g(double gcalc)
This code is used in sections 248 and 268.

268. ⟨ Definition for gcalc2g 268⟩ ≡
   ⟨ Prototype for gcalc2g 267⟩
   {
     if (gcalc ≡ -HUGE_VAL) return -1.0;
        if (gcalc ≡ HUGE_VAL) return 1.0;
        return (gcalc/(1 + fabs(gcalc)));
    }
This code is used in section 247.
```

269. b2bcalc is used for the optical depth transformations it is the inverse of bcalc2b. The relation is

$$b_{calc} = \ln(b)$$

The only caveats are to ensure that I don't take the logarithm of something big or non-positive.

```
\langle \text{ Prototype for } b2bcalc \text{ 269 } \rangle \equiv double b2bcalc \text{ (double } b)
```

This code is used in sections 248 and 270.

```
270. \langle Definition for b2bcalc\ 270\rangle \equiv \langle Prototype for b2bcalc\ 269\rangle {

if (b \equiv \mathtt{HUGE\_VAL}) return \mathtt{HUGE\_VAL};

if (b \le 0) return 0.0;

return (log(b));

}

This code is used in section 247.
```

271. bcalc2b is used for the anisotropy transformations it is the inverse of b2bcalc. The relation is

$$b = \exp(b_{calc})$$

The only tricky part is to ensure that I don't exponentiate something big and get an overflow error. In ANSI C the maximum value for x such that 10^x is in the range of representable finite floating point numbers (for doubles) is given by DBL_MAX_10_EXP. Thus if we want to know if

$$e^{b_{calc}} > 10^x$$

or

$$b_{calc} > x \ln(10) \approx 2.3x$$

and this is the criterion that I use.

```
\langle \text{ Prototype for } bcalc2b \ 271 \rangle \equiv 
double bcalc2b(double bcalc)
```

This code is used in sections 248 and 272.

```
272. \langle Definition for bcalc2b 272\rangle \equiv \langle Prototype for bcalc2b 271\rangle {
    if (bcalc \equiv \text{HUGE\_VAL}) return HUGE_VAL;
    if (bcalc > 2.3 * \text{DBL\_MAX\_10\_EXP}) return HUGE_VAL;
    return (exp(bcalc));
}
```

This code is used in section 247.

273. two prime converts the true albedo a, optical depth b to the reduced albedo ap and reduced optical depth bp that correspond to g = 0.

```
\langle \text{ Prototype for } twoprime \ 273 \rangle \equiv
```

void twoprime(double a, double b, double g, double *ap, double *bp)

This code is used in sections 248 and 274.

```
274. \langle Definition for twoprime \ 274 \rangle \equiv \langle Prototype for twoprime \ 273 \rangle {

if (a \equiv 1 \land g \equiv 1) *ap = 0.0;
else *ap = (1-g) *a/(1-a*g);
if (b \equiv \texttt{HUGE\_VAL}) *bp = \texttt{HUGE\_VAL};
else *bp = (1-a*g) *b;
}
```

This code is used in section 247.

two unprime converts the reduced albedo ap and reduced optical depth bp (for g=0) to the true albedo a and optical depth b for an anisotropy g. $\langle \text{ Prototype for } two unprime | 275 \rangle \equiv$ void $twounprime(double\ ap, double\ bp, double\ g, double\ *a, double\ *b)$ This code is used in sections 248 and 276. **276.** \langle Definition for two unprime $276 \rangle \equiv$ $\langle \text{ Prototype for } two unprime 275 \rangle$ *a = ap/(1 - g + ap * g);if $(bp \equiv \text{HUGE_VAL}) *b = \text{HUGE_VAL};$ **else** *b = (1 + ap * g/(1 - g)) * bp;This code is used in section 247. **277.** abgg2ab assume a, b, g, and g1 are given this does the similarity translation that you would expect it should by converting it to the reduced optical properties and then transforming back using the new value of g $\langle \text{ Prototype for } abgg2ab \ 277 \rangle \equiv$ void abgg2ab (double a1, double b1, double g1, double g2, double *a2, double *b2) This code is used in sections 248 and 278.

278. \langle Definition for $abgg2ab\ 278 \rangle \equiv \langle$ Prototype for $abgg2ab\ 277 \rangle$ $\{$ **double** a,b; twoprime(a1,b1,g1,&a,&b); twounprime(a,b,g2,a2,b2); $\}$

This code is used in section 247.

279. abgb2ag translates reduced optical properties to unreduced values assuming that the new optical thickness is given i.e., a1 and b1 are a' and b' for g=0. This routine then finds the appropriate anisotropy and albedo which correspond to an optical thickness b2.

If both b1 and b2 are zero then just assume g=0 for the unreduced values.

```
\langle Prototype for abgb2ag 279\rangle \equiv
```

void abgb2ag (double a1, double b1, double b2, double *a2, double *g2)

This code is used in sections 248 and 280.

```
280. \langle \text{ Definition for } abgb2ag \ 280 \rangle \equiv
  \langle \text{ Prototype for } abgb2ag \text{ 279} \rangle
     if (b1 \equiv 0 \lor b2 \equiv 0) {
         *a2 = a1;
         *g2 = 0;
     if (b2 < b1) b2 = b1;
     if (a1 \equiv 0) *a2 = 0.0;
      else {
        if (a1 \equiv 1) *a2 = 1.0;
         else {
           if (b1 \equiv 0 \lor b2 \equiv \text{HUGE\_VAL}) *a2 = a1;
           else *a2 = 1 + b1/b2 * (a1 - 1);
        }
     if (*a2 \equiv 0 \lor b2 \equiv 0 \lor b2 \equiv \texttt{HUGE\_VAL}) *g2 = 0.5;
      else *g2 = (1 - b1/b2)/(*a2);
This code is used in section 247.
281. Guessing an inverse.
  This routine is not used anymore.
\langle Prototype for slow\_guess 281 \rangle \equiv
  \textbf{void} \ \textit{slow\_guess}(\textbf{struct measure\_type} \ \textit{m}, \textbf{struct invert\_type} \ *r, \textbf{double} \ *a, \textbf{double} \ *b, \textbf{double} \ *g)
This code is used in section 282.
        \langle \text{ Definition for } slow\_guess | 282 \rangle \equiv
   ⟨ Prototype for slow_guess 281⟩
      double fmin = 10.0;
     double fval;
     double *x;
     x = dvector(1, 2);
     switch (r \rightarrow search) {
      case FIND_A: \langle Slow guess for a alone 283\rangle
         break;
     case FIND_B: \langle Slow guess for b alone 284\rangle
      case FIND_AB: case FIND_AG: \langle Slow guess for a and b or a and g 285\rangle
         break:
      *a = r \rightarrow slab.a;
      *b = r \rightarrow slab.b;
      *g = r \rightarrow slab.g;
      free\_dvector(x, 1, 2);
```

GUESSING AN INVERSE 115

 $\S 283$

IAD (v 3-12-0)

```
283.
         \langle Slow guess for a alone 283\rangle \equiv
   r \rightarrow slab.b = HUGE\_VAL;
   r \rightarrow slab.g = r \rightarrow default\_g;
   Set\_Calc\_State(m, *r);
   for (r \rightarrow slab.a = 0.0; r \rightarrow slab.a \le 1.0; r \rightarrow slab.a += 0.1) {
      fval = Find\_A\_fn(a2acalc(r \rightarrow slab.a));
      if (fval < fmin) {
         r \rightarrow a = r \rightarrow slab.a;
         fmin = fval;
   r \rightarrow slab.a = r \rightarrow a;
This code is used in section 282.
284. Presumably the only time that this will need to be called is when the albedo is fixed or is one. For
now, I'll just assume that it is one.
\langle Slow guess for b alone 284\rangle \equiv
   r \rightarrow slab.a = 1;
   r \rightarrow slab.g = r \rightarrow default\_g;
   Set\_Calc\_State(m, *r);
   for (r \neg slab.b = 1/32.0; r \neg slab.b \le 32; r \neg slab.b *= 2) {
      fval = Find\_B\_fn(b2bcalc(r \rightarrow slab.b));
      if (fval < fmin) {
         r \rightarrow b = r \rightarrow slab.b;
         fmin = fval;
   r \rightarrow slab.b = r \rightarrow b;
This code is used in section 282.
285. (Slow guess for a and b or a and g 285) \equiv
      double min_a, min_b, min_q;
      if (\neg Valid\_Grid(m, r \rightarrow search)) Fill\_Grid(m, *r);
      Near\_Grid\_Points(m.m\_r, m.m\_t, r \rightarrow search, \& min\_a, \& min\_b, \& min\_g);
      r \rightarrow slab.a = min_a;
      r \rightarrow slab.b = min_b;
      r \rightarrow slab.g = min_{-}g;
This code is used in section 282.
286. \langle Prototype for quick\_guess \ 286 \rangle \equiv
   void quick\_quess(struct measure_type m, struct invert_type r, double *a, double *b, double *g)
This code is used in sections 248 and 287.
```

116 GUESSING AN INVERSE IAD (v 3-12-0) $\S287$

```
\langle \text{ Definition for } quick\_guess | 287 \rangle \equiv
  ⟨ Prototype for quick_guess 286⟩
     double UR1, UT1, rd, td, tc, rc, bprime, aprime, alpha, beta, logr;
     Estimate\_RT(m, r, \&uR1, \&uT1, \&rd, \&rc, \&td, \&tc);
     (Estimate aprime 288)
     switch (m.num\_measures) {
     case 1: (Guess when only reflection is known 290)
     case 2: (Guess when reflection and transmission are known 291)
       break;
     case 3: (Guess when all three measurements are known 292)
       break;
     (Clean up guesses 297)
This code is used in section 247.
288. \langle \text{ Estimate } aprime | 288 \rangle \equiv
  if (UT1 \equiv 1) aprime = 1.0;
  else if (rd/(1-UT1) \ge 0.1) {
     double tmp = (1 - rd - UT1)/(1 - UT1);
     aprime = 1 - 4.0/9.0 * tmp * tmp;
  else if (rd < 0.05 \land UT1 < 0.4) aprime = 1 - (1 - 10 * rd) * (1 - 10 * rd);
  else if (rd < 0.1 \land UT1 < 0.4) aprime = 0.5 + (rd - 0.05) * 4;
     double tmp = (1 - 4 * rd - UT1)/(1 - UT1);
     aprime = 1 - tmp * tmp;
  }
This code is used in section 287.
289. \langle \text{ Estimate } bprime | 289 \rangle \equiv
  if (rd < 0.01) {
     bprime = What\_Is\_B(r.slab, UT1);
    fprintf(stderr, "low_rd<0.01!_ut1=%f_aprime=%f_bprime=%f\n",UT1, aprime, bprime);</pre>
  else if (UT1 \le 0) bprime = HUGE_VAL;
  else if (UT1 > 0.1) bprime = 2 * exp(5 * (rd - UT1) * log(2.0));
     alpha = 1/log(0.05/1.0);
     beta = log(1.0)/log(0.05/1.0);
     logr = log(UR1);
     bprime = log(UT1) - beta * log(0.05) + beta * logr;
     bprime /= alpha * log(0.05) - alpha * logr - 1;
This code is used in sections 291, 295, and 296.
```

```
290.
\langle Guess when only reflection is known 290\rangle \equiv
  *q = r.default_q;
  *a = aprime/(1 - *g + aprime * (*g));
  *b = HUGE_VAL;
This code is used in section 287.
        \langle Guess when reflection and transmission are known 291\rangle \equiv
  \langle \text{ Estimate } bprime \text{ 289} \rangle
  *g = r.default_g;
  *a = aprime/(1 - *g + aprime **g);
  *b = bprime/(1 - *a * *g);
This code is used in section 287.
        \langle Guess when all three measurements are known 292\rangle \equiv
  switch (r.search) {
  case FIND_A: (Guess when finding albedo 293)
  case FIND_B: (Guess when finding optical depth 294)
     break;
  case FIND_AB: (Guess when finding the albedo and optical depth 295)
  case FIND_AG: (Guess when finding anisotropy and albedo 296)
     break;
This code is used in section 287.
293.
\langle Guess when finding albedo 293\rangle \equiv
  *g = r.default_g;
  *a = aprime/(1 - *g + aprime **g);
  *b = What_Is_B(r.slab, m.m_u);
This code is used in section 292.
\langle Guess when finding optical depth 294\rangle \equiv
  *q = r.default_q;
  *a = 0.0;
  *b = What_Is_B(r.slab, m.m_u);
This code is used in section 292.
295.
\langle Guess when finding the albedo and optical depth 295\rangle \equiv
  *g = r.default_g;
  if (*g \equiv 1) *a = 0.0;
  else *a = aprime/(1 - *g + aprime **g);
  \langle \text{ Estimate } bprime | 289 \rangle
  if (bprime \equiv \texttt{HUGE\_VAL} \lor *a **g \equiv 1) *b = \texttt{HUGE\_VAL};
  else *b = bprime/(1 - *a * *g);
This code is used in section 292.
```

```
\langle Guess when finding anisotropy and albedo 296\rangle \equiv
  *b = What_Is_B(r.slab, m.m_u);
  if (*b \equiv \mathtt{HUGE\_VAL} \lor *b \equiv 0) {
      *a = aprime;
      *g = r.default_g;
  else {
      \langle \text{Estimate } bprime \text{ 289} \rangle
      *a = 1 + bprime * (aprime - 1)/(*b);
     if (*a < 0.1) *g = 0.0;
      else *g = (1 - bprime/(*b))/(*a);
This code is used in section 292.
297.
\langle Clean up guesses 297\rangle \equiv
  if (*a < 0) *a = 0.0;
  if (*g < 0) *g = 0.0;
  else if (*g \ge 1) *g = 0.5;
This code is used in section 287.
298.
         Some debugging stuff.
         \langle Prototype for Set_Debugging 299 \rangle \equiv
  \mathbf{void} \ \mathit{Set\_Debugging}(\mathbf{unsigned} \ \mathbf{long} \ \mathit{debug\_level})
This code is used in sections 248 and 300.
300.
\langle \text{ Definition for } Set\_Debugging 300 \rangle \equiv
   \langle \text{ Prototype for } Set\_Debugging 299 \rangle
     g_{-}util_{-}debugging = debug_{-}level;
This code is used in section 247.
301.
\langle \text{ Prototype for } Debug | 301 \rangle \equiv
  int Debug(unsigned long mask)
This code is used in sections 248 and 302.
302.
\langle \text{ Definition for } Debug 302 \rangle \equiv
   \langle \text{ Prototype for } Debug 301 \rangle
      if (g_-util_-debugging \& mask) return 1;
      else return 0;
This code is used in section 247.
```

296.

 $\S 303$ IAD (v 3-12-0) SOME DEBUGGING STUFF 119

```
303.
\langle Prototype for Print_Invert_Type 303 \rangle \equiv
            void Print_Invert_Type(struct invert_type r)
This code is used in sections 248 and 304.
304.
\langle \text{ Definition for } Print\_Invert\_Type \ 304 \rangle \equiv
             \langle Prototype for Print\_Invert\_Type 303 \rangle
                        fprintf(stderr, "\n");
                        fprintf(stderr, "default_{LU}a=\%10.5f_{LULU}b=\%10.5f_{LULU}g=\%10.5f\n", r.default_a, r.default_b, r.default_g);
                        fprintf(stderr, "slab_{\verb|uu|u|u}a=\%10.5f_{\verb|uu|u}b=\%10.5f_{\verb|uu|u|u}g=\%10.5f\\ \verb|n", r.slab.a, r.slab.b, r.slab.g);
                        fprintf(stderr, \verb"n_{\verb|ll|} \verb"n_{\verb|ll|} \verb"top=%10.5f_{\verb|ll|} \verb"mid=%10.5f_{\verb|ll|} \verb"bot=%10.5f' \verb"n", r.slab.n_top\_slide, r.slab.n_slab, r.slab.n_top\_slide, r.slab.
                                                r.slab.n_-bottom\_slide);
                        fprintf(stderr, "thick_{\sqcup\sqcup}top=\%10.5f_{\sqcup}cos=\%10.5f_{\sqcup\sqcup}bot=\%10.5f_{\sqcap}", r.slab.b\_top\_slide, r.slab.cos\_angle, more statement of the stateme
                                                r.slab.b\_bottom\_slide);
                       This code is used in section 247.
305.
\langle Prototype for Print\_Measure\_Type 305 \rangle \equiv
            void Print_Measure_Type(struct measure_type m)
This code is used in sections 248 and 306.
```

120 Some debugging stuff iad (v 3-12-0) $\S306$

```
306.
```

```
\langle \text{ Definition for } Print\_Measure\_Type 306 \rangle \equiv
          ⟨ Prototype for Print_Measure_Type 305⟩
                  fprintf(stderr, "\n");
                  m.slab\_top\_slide\_thickness);
                  fprintf(stderr, "\#_{ \sqcup \cup } Bottom_{ \sqcup } slide_{ \sqcup } thickness_{ \sqcup } =_{ \sqcup } \%7.1f_{ \sqcup } mm \ 'n'',
                                     m.slab\_bottom\_slide\_thickness);
                  fprintf(stderr, "\#_{UUUUUUUUU}Sample_Uindex_Uof_Urefraction_U=_\%7.3f\n", m.slab_index);
                  fprintf(stderr, "\#_{ \cup \cup \cup \cup \cup \cup \cup \cup } Top_{ \cup } slide_{ \cup } index_{ \cup } of_{ \cup } refraction_{ \cup = \cup } \%7.3f \ ", m.slab\_top\_slide\_index);
                  fprintf(stderr, "\#_{\sqcup\sqcup\sqcup\sqcup\sqcup}Bottom_\sqcup slide_\sqcup index_\sqcup of_\sqcup refraction_\sqcup = \sqcup \%7.3f\n", m.slab\_bottom_\lrcorner slide\_index);
                  fprintf(stderr, "\#_{\sqcup\sqcup\sqcup\sqcup\sqcup} Fraction_{\sqcup} unscattered_{\sqcup} light_{\sqcup} in_{\sqcup} M_R_{\sqcup} = _{\sqcup} \%7.1 f_{\sqcup} \% n",
                                     m.fraction\_of\_rc\_in\_mr * 100);
                  fprintf(stderr, "\#_{\cup\cup\cup\cup\cup} Fraction_{\cup} unscattered_{\cup} light_{\cup} in_{\cup} M_{-}T_{\cup} =_{\cup} \%7.1f_{\cup} \% n",
                                     m.fraction\_of\_tc\_in\_mt * 100);
                  fprintf(stderr, "#_{\sqcup}\n");
                  fprintf(stderr, "\#_{\sqcup}Reflection_{\sqcup}sphere\n");
                  2*m.d\_sphere\_r*sqrt(m.as\_r);
                  2*m.d\_sphere\_r*sqrt(m.ae\_r);
                  2*m.d\_sphere\_r*sqrt(m.ad\_r);
                  fprintf(stderr, "\#_{$\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup}$ wall_reflectance_=_\%7.1f_\%\\n", m.rw_-r*100);
                  fprintf(stderr, "\#_{$\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup\sqcup} standard_{$\tt reflectance} = "\%7.1f_\%\n", m.rstd_r*100);
                  fprintf(stderr, \verb"area_r_as=\%10.5f_{\verb"ulu|} ad=\%10.5f_{\verb"ulu|} ae=\%10.5f_{\verb"ulu|} aw=\%10.5f \verb"n", m.as\_r, m.ad\_r, m.as\_r, m.
                                     m.ae_r, m.aw_r);
                  fprintf(stderr, "refls_{\sqcup\sqcup} rd=\%10.5f_{\sqcup\sqcup} rw=\%10.5f_{\sqcup\sqcup\sqcup} rstd=\%10.5f_{\sqcup\sqcup\sqcup} f=\%10.5f \ n", m.rd\_r, m.rw\_r, \ m.rw\_r
                                     m.rstd_r, m.f_r);
                  fprintf(stderr, "area_t_as=\%10.5f_{uu}ad=\%10.5f_{uu}ae=\%10.5f_{uu}aw=\%10.5f \ , m.as_t, m.ad_t, m.ad
                                     m.ae_t, m.aw_t);
                  fprintf(stderr, "refls_{\sqcup\sqcup}rd=\%10.5f_{\sqcup\sqcup}rw=\%10.5f_{\sqcup\sqcup}rstd=\%10.5f_{\sqcup\sqcup\sqcup}f=\%10.5f \ n", m.rd\_t, m.rw\_t, m.rw\_
                                     m.rstd_-t, m.f_-t);
                  fprintf(stderr, "lost\_ ur1=\%10.5f\_ ut1=\%10.5f\_ uru=\%10.5f\_ utu=\%10.5f n", m.ur1\_ lost, m.ur1\_ 
                                     m.ut1\_lost, m.utu\_lost, m.utu\_lost);
This code is used in section 247.
```

 $\S307$ IAD (v 3-12-0) INDEX 121

307. Index. Here is a cross-reference table for the inverse adding-doubling program. All sections in which an identifier is used are listed with that identifier, except that reserved words are indexed only when they appear in format definitions, and the appearances of identifiers in section names are not indexed. Underlined entries correspond to where the identifier was declared. Error messages and a few other things like "ASCII code dependencies" are indexed here too.

```
_CRT_NONSTDC_NO_WARNINGS: 3.
                                                                  a2: 277, 278, 279, 280.
                                                                  a2acalc: 210, 220, 228, <u>261</u>, 283.
_CRT_SECURE_NO_WARNINGS: 3, 88.
                                                                  B: \ \underline{254}.
a: 29, 36, 37, 63, 80, 142, 150, 155, 261, 273,
     <u>275</u>, <u>278</u>, <u>281</u>, <u>286</u>.
                                                                      <u>36</u>, <u>37</u>, <u>63</u>, <u>80</u>, <u>142</u>, <u>168</u>, <u>269</u>, <u>273</u>, <u>275</u>,
a\_calc: 62.
                                                                       <u>278</u>, <u>281</u>, <u>286</u>.
A_COLUMN: <u>111</u>, 135, 148, 168.
                                                                  b_bottom_slide: 16, 19, 49, 62, 131, 147, 166,
abg\_distance: 142, 209.
                                                                       168, 251, 304.
abgb2ag: 279.
                                                                  b\_calc: 62.
abgg2ab: \underline{277}.
                                                                  B_COLUMN: <u>111</u>, 135, 148, 168.
ABIT: 111, 176, 177.
                                                                  b\_thinnest: 62.
ABSOLUTE: 33, 38.
                                                                  b_top_slide: 16, 19, 49, 62, 131, 147, 166, 168,
Absorbing\_Glass\_RT: 251.
                                                                       251, 304.
                                                                  ba: 160, 162, 184, 185, 186, 215, 218.
acalc: \underline{263}, 264.
acalc2a: 180, 182, 188, 212, 220, 230, <u>263</u>.
                                                                  base\_name: \underline{10}.
acos: 110.
                                                                  bcalc: 271, 272.
AD_{-}error: 133, 164.
                                                                  bcalc2b: 182, 184, 186, 190, 194, 196, 198, 212,
                                                                       216, 218, 225, 236, 241, 246, 269, 271.
AD_{-}method_{-}type: 36.
                                                                  beta: 287, 289.
ad_r: 18, 35, 51, 66, 69, 72, 84, 93, 108, 116,
     122. 306.
                                                                  BIG_A_VALUE: <u>249</u>, 262, 264.
AD_slab_type: 16, 19, 36, 146, 203, 249.
                                                                  boolean_type: <u>37, 111, 130, 136.</u>
ad_t: 18, 35, 52, 66, 69, 73, 85, 94, 109, 116,
                                                                  both: 27.
     124, 306.
                                                                  boundary\_method: 203.
aduru: 16.
                                                                  bp: 273, 274, 275, 276.
adur1: \underline{16}.
                                                                  bprime: 203, 287, 289, 291, 295, 296.
adutu: \underline{16}.
                                                                  brent \colon \ 216, \ 218, \ 220, \ 222, \ 225.
adut1: \underline{16}.
                                                                  bs: <u>160</u>, <u>162</u>, <u>184</u>, <u>186</u>, <u>216</u>, 217.
                                                                      <u>216, 218, 220, 222, 225</u>.
ae_{-}r: 18, \underline{35}, 51, 66, 69, 72, 84, 93, 108, 116,
                                                                  bx:
     118, 120, 122, 124, 306.
                                                                  b1: 277, 278, 279, 280.
ae_t: 18, 35, 52, 66, 69, 73, 85, 94, 109, 116,
                                                                  b2: 277, 278, 279, 280.
     118, 120, 122, 124, 306.
                                                                  b2bcalc: 210, 216, 218, 225, 234, 239, 244,
Allocate_Grid: 132, 150, 155, 158, 160, 162.
                                                                       <u>269</u>, 271, 284.
alpha: 287, 289.
                                                                  c: \underline{4}, \underline{98}, \underline{102}.
amoeba: 207, 227, 232, 238, 243.
                                                                  calculate\_coefficients: 11, 15, 23.
analysis: \underline{67}, 70, \underline{80}, 86.
                                                                  Calculate_Distance: 23, 75, 79, 143, 149, <u>165</u>, 180,
any_error: 2, \underline{4}, 11, 15, \underline{30}.
                                                                       182, 184, 186, 188, 190, 192, 194, 196, 198, 200.
ap: 273, 274, 275, 276.
                                                                  Calculate\_Distance\_With\_Corrections: 144, 166,
aprime: 203, 287, 288, 289, 290, 291, 293, 295, 296.
                                                                       168, 169.
argc: 2, 5, 10.
                                                                  Calculate_Grid_Distance: 135, 145, 167.
                                                                  Calculate\_Minimum\_MR: 48, \underline{76}, 257.
argv: \underline{2}, \underline{5}, \underline{10}.
as_r: 11, 15, 18, <u>35, 51, 66, 69, 72, 84, 93, 108,</u>
                                                                  Calculate\_MR\_MT: 9, 74, 77.
                                                                  Calculate\_Mua\_Musp: 9, 22, 23.
     116, 118, 120, 124, 306.
as_t: 18, <u>35</u>, 52, 66, 69, 73, 85, 94, 109, 116,
                                                                  CALCULATING_GRID: <u>111</u>, 127, 145, 148, 166,
     118, 120, 122, 306.
                                                                       168, 178.
aw_r: 18, 35, 66, 69, 84, 93, 116, 118, 120, 306.
                                                                  cc: \underline{5}.
aw_{-}t: 18, \underline{35}, 66, 69, 85, 94, 116, 118, 120, 306.
                                                                  check\_magic: 92, 101.
ax: 216, 218, 220, 222, 225.
                                                                  cl\_beam\_d: \underline{4}, 5, 18.
                                                                  cl\_cos\_angle: \underline{4}, 5, 18.
a1: <u>277</u>, 278, <u>279</u>, 280.
```

122 INDEX IAD (v 3-12-0) $\S 307$

$cl_default_a$: $\underline{4}$, 5, 6, 13.	$d_entrance_r$: $\underline{18}$, $\underline{69}$, $\underline{84}$, $\underline{93}$.
$cl_default_b$: $\underline{4}$, 5, 7, 13, 19.	$d_{-}entrance_{-}t$: 18, 69, 85, 94.
$cl_default_fr: \underline{4}, 5, 18.$	d_sample_r : 18, 69, 84, 93.
$cl_default_g$: $\underline{4}$, 5, 8, 13.	d_sample_t : $18, 69, 85, 94$.
$cl_default_mua$: $\underline{4}$, 5, 6, 7, 13.	<i>d_sphere_r</i> : 11, 18, <u>35</u> , 66, 69, 84, 93, 108, 109, 306
$cl_default_mus$: $4, 5, 6, 7, 13$.	d_sphere_t: 18, <u>35</u> , <u>66</u> , 69, 85, 94, 109.
$cl_forward_calc: \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \$	DBL_MAX_10_EXP: 271, 272.
$cl_method: \underline{4}, 5, \underline{11}, \underline{18}.$	DE_RT: 203.
$cl_musp\theta$: $4, 5, 13$.	Debug: 11, 15, 24, 25, 42, 54, 127, 138, 139, 140,
$cl_mus0: \underline{4}, \underline{5}, \underline{13}.$	141, 148, 150, 155, 158, 160, 164, 166, 168, 178
cl_mus0_lambda : $\underline{4}$, 5 , 13 .	202, 207, 209, 210, 216, 218, 220, 222, 224, 227
$cl_mus0_pwr: \underline{4}, \overline{5}, \overline{13}.$	228, 232, 234, 243, 258, 259, <u>301</u> .
cl_num_spheres: 4, 5, 18.	DEBUG_A_LITTLE: 34.
$cl_quadrature_points: \ \underline{4}, \ 5, \ 13, \ 18.$	DEBUG_ANY: 34.
$cl_rc_fraction$: $\underline{4}$, 5, 18.	DEBUG_BEST_GUESS: <u>34</u> , 209, 210, 228, 234.
cl_rstd_r: 4, 5, 18.	DEBUG_EVERY_CALC: 34, 148, 166.
cl_rstd_t : $\frac{1}{4}$, 5, 18.	DEBUG_GRID: <u>34</u> , 138, 139, 140, 141, 150, 155,
cl_sample_d: 4, 5, 7, 13, 18.	158, 160.
cl_sample_n: 4, 5, 18.	DEBUG_GRID_CALC: <u>34</u> , 148, 166, 168, 178.
cl_search: $\underline{4}$, 5, 13.	DEBUG_ITERATIONS: 34, 127, 166, 178.
cl_slide_d: \(\frac{1}{2}\), \(\frac{1}{3}\), \(18\).	debug-level: $\underline{299}$, 300.
cl_slide_n: 4, 5, 18.	DEBUG_LOST_LIGHT: 11, 15, 24, 25, <u>34</u> , 42, 202.
cl_slide_OD: 4, 5, 18.	DEBUG_RD_ONLY: 34.
cl_stides: 4, 5, 18.	
cl_states. $\stackrel{\leftarrow}{\underline{4}}$, 5, 18.	DEBUG_SEARCH: <u>34</u> , 54, 164, 207, 216, 218, 220,
	222, 224, 227, 232, 243, 258, 259.
cl_sphere_two: $\underline{4}$, 5, 18.	DEBUG_SPHERE_EFFECTS: <u>34</u> .
cl_Tc: 4, 5, 18.	default_a: 13, 15, <u>36</u> , 42, 48, 55, 56, 61, 77, 79,
cl_tc_fraction: 4, 5, 18.	110, 158, 177, 194, 222, 224, 232, 304.
cl_tolerance: $\underline{4}$, 5, 13.	$default_b$: 13, $\underline{36}$, 55, 56, 61, 77, 110, 220,
cl_UR1: 4, 5, 18.	222, 227, 304.
cl_UT1: 4, 5, 18.	default_ba: 13, <u>36</u> , 55, 56, 61, 110, 162, 198,
cl_verbosity: 2, 4, 5, 9, 11, 14, 15, 17.	216, 243, 244, 246.
clock: 2, 4, 28.	default_bs: 13, <u>36</u> , 55, 56, 61, 110, 160, 196,
CLOCKS_PER_SEC: 28.	218, 239, 241.
COLLIMATED: 33.	$default_detector_d: \underline{66}.$
collimated: 203.	$default_entrance_d: \underline{66}.$
$command_line_options: \underline{4}, 5.$	default_g: 13, <u>36</u> , 56, 57, 61, 69, 77, 110, 207,
compare_guesses: <u>204</u> , 209.	216, 218, 220, 224, 283, 284, 290, 291, 293,
COMPARISON: $5, 11, \underline{34}, 110, 170.$	294, 295, 296, 304.
$compute_R_and_T$: 203.	default_mua: 13, 22, <u>36</u> , 61.
$correct_{-}URU: \frac{147}{.}$	$default_mus$: 13, 22, 36, 61.
$correct_{-}UR1: \underline{147}.$	$default_sample_d: \underline{66}.$
cos: 5.	$default_sphere_d: \underline{66}.$
cos_angle: 19, 49, 62, 131, 166, 168, 207, 216, 218,	delta: 23.
220, 222, 224, 227, 232, 243, 251, 253, 254, 304.	depth: 203.
$Cos_Snell: 251.$	$determine_search: 42, \underline{53}.$
count: $17, \ \underline{30}, \ \underline{209}$.	$dev: \ \underline{168}, \ \underline{169}, \ 176, \ 177, \ 178.$
counter: 30 .	deviation: <u>165</u> , 166, <u>180</u> , <u>182</u> , <u>184</u> , <u>186</u> , <u>188</u> , <u>190</u> ,
$cx: \ \underline{216}, \ \underline{218}, \ \underline{220}, \ \underline{222}, \ \underline{225}.$	192, 194, 196, 198, 200.
d_beam : 18, $\underline{35}$, 66, 69, 83, 92, 105, 306.	DIFFUSE: <u>33</u> .
$d_detector_r$: $\underline{18}$, $\underline{69}$, $\underline{84}$, $\underline{93}$.	$distance: \ \ \underline{37}, \ \underline{75}, \ \underline{79}, \ 135, \ \underline{143}, \ 204, \ 209, \ 210,$
$d_{-}detector_{-}t$: 18, 69, 85, 94,	228. 234.

dmatrix: 133, 208.FIND_Bs: 33, 44, 48, 54, 55, 56, 110, 175. dvector: 208, 282.Find_Bs_fn: <u>185</u>, 215, 216. *Egan*: 203. FIND_BsG: 33, 44, 54, 56, 162, 164. EOF: 5. Find_BsG_fn: 197, 243, 245. FIND_G: 33, 44, 48, 54, 55, 77, 175. err: 30.Estimate_RT: 54, 220, 222, 224, 255, 287. $Find_{-}G_{-}fn: 191, 222.$ $Exact_coll_flag: 203.$ $finish_time$: 28. exit: 5, 10, 11, 18, 20, 21. flip: 146, 147. exp: 150, 160, 272, 289. flip_sample: 18, 35, 49, 66, 110, 148, 166, 168. $ez_Inverse_RT$: 63. floor: 151.*f*: 199. fmin: 282, 283, 284. $f_{-}r$: 18, $\underline{35}$, 51, 66, 72, 122, 124, 172, 173, 174, 306. $force_new: \underline{163}, 164.$ $f_{-}t$: 35, 52, 66, 73, 174, 306. format2: 17.fa: 216, 218, 220, 222, 225. found: 36, 42, 60, 213. fabs: 15, 176, 177, 264, 266, 268. fp: 24, 25, 91, 92, 93, 94, 95, 96, 97, 98, 99,FALSE: 32, 33, 42, 60, 111, 131, 133, 138, 139, 100, 101, 102. 140, 141. fprintf: 2, 5, 10, 11, 14, 16, 17, 18, 20, 21, 24, 25, false: 203.26, 27, 30, 42, 49, 54, 69, 102, 127, 138, 139, fb: 216, 218, 220, 222, 225. 140, 141, 148, 150, 155, 158, 160, 164, 166, 168, fc: 216, 218, 220, 222, 225.178, 202, 207, 209, 210, 216, 218, 220, 222, 224, 227, 228, 232, 234, 243, 258, 259, 289, 304, 306. feof: 98, 102. fflush: 25, 30. $frac: \underline{202}.$ FRACTION: 37. fgetc: 98, 102. Fill_AB_Grid: 149, 154, 157, 164. $fraction_of_rc_in_mr$: 18, 35, 66, 107, 170, 258, 306. fraction_of_tc_in_mt: 18, 35, 66, 107, 170, 259, 306. $Fill_AG_Grid: 154, 164.$ $Fill_BaG_Grid: \underline{159}, 164.$ free: 10. $Fill_BG_Grid\colon \ \underline{157},\ 159,\ 164.$ $free_dmatrix$: 214. $Fill_BsG_Grid: \underline{161}, 164.$ $free_dvector$: 214, 282. Fill_Grid: 163, 209, 285. freopen: 10.fscanf: 100.fill_grid_entry: <u>148</u>, 150, 155, 158, 160, 162. final: 30. fval: 145, 282, 283, 284. final_distance: 17, 36, 42, 60, 212, 213, 216, 218, F0: 203. 220, 222, 224, 225, 230, 236, 241, 246. G: <u>116</u>, <u>118</u>, <u>120</u>, <u>124</u>, <u>172</u>. FIND_A: 33, 44, 48, 54, 55, 56, 110, 175, 282, 292. g: 36, 37, 63, 80, 142, 265, 273, 275, 281, 286.Find_A_fn: 187, 220, 283. g_calc : 62. FIND_AB: <u>33</u>, 44, 54, 56, 110, 150, 164, 282, 292. G_COLUMN: <u>111</u>, 135, 148, 168. Find_AB_fn: 181, 207, 211. g_out_name : 4, 5, 10. FIND_AG: <u>33</u>, 44, 54, 56, 110, 154, 155, 164, $G_{-}std: 172.$ 282, 292. $g_util_debugging: 247, 300, 302.$ $Find_AG_fn: 179, 227, 229.$ $G_0: 172$. Gain: 115, 118, 120, 122, 124, 172.FIND_AUTO: 32, 33, 42, 54, 60, 110.FIND_B: <u>33</u>, 42, 44, 48, 54, 55, 56, 79, 110, $Gain_{-}11: 117, 121, 122.$ 175, 282, 292. Gain_22: 119, 124. Find_B_fn: 189, 225, 284. gcalc: 267, 268. FIND_B_WITH_NO_ABSORPTION: <u>33</u>, 42, 54, 55, 56. gcalc2g: 180, 192, 194, 196, 198, 222, 230, 236, 241, 246, 267. FIND_B_WITH_NO_SCATTERING: 33, 42, 54, 55. FIND_Ba: 33, 44, 48, 54, 55, 56, 110, 175. Get_Calc_State: 75, <u>128</u>, 143, 145, 164, 200, 202. Find_Ba_fn: <u>183</u>, 185, 217, 218. $GG_{-}a$: 111, 156, 158. FIND_BaG: 33, 44, 54, 56, 160, 164. $GG_{-}b$: 111, 155, 156. Find_BaG_fn: 195, 238, 240. $GG_{-}ba: 111, 156, 162.$ FIND_BG: <u>33</u>, 44, 54, 56, 158, 164. $GG_{-}bs: 111, 156, 160.$ Find_BG_fn: 193, 232, 235. $GG_{-}g$: 111, 150, 156.

124 INDEX IAD (v 3-12-0) $\S 307$

GP: <u>118</u>, <u>120</u>, <u>122</u>, <u>172</u>. IAD_TSTD_NOT_VALID: 34, 51, 52. GP_std : $\underline{172}$. illumination: 80, 83, 203. gprime: 203.illumination_type: <u>37</u>. *Grid_ABG*: <u>134</u>, 209. $include_MC$: $\underline{74}$, $\underline{75}$. GRID_SIZE: 111, 133, 135, 145, 148, 150, 151, 152, independent: 54. 153, 155, 158, 160, 162, 168. Initialize_Measure: 2, 64, 65, 68, 81, 92. Initialize_Result: 2, 11, 57, 64, 68, 81. guess: 134, 135, 142, 143, 204, 209, 210, 228, 234, 239, 244. Inverse_RT: 11, 15, 38, 41, 63, 64, 68, 81. guess_t: $\underline{37}$. $Invert_RT$: 23. guess_type: <u>37</u>, 134, 142, 204, 209. invert_type: 4, 22, 23, 25, <u>36</u>, 41, 46, 53, 57, 64, *g1*: 204, 277, 278. 68, 74, 75, 76, 78, 81, 103, 111, 126, 127, 128, G11: <u>118</u>. 129, 130, 143, 145, 149, 154, 157, 159, 161, 163, g2: 204, 277, 278, 279, 280.200, 201, 202, 206, 215, 217, 219, 221, 223, 226, g2gcalc: 222, 228, 234, 239, 244, 265, 267. 231, 237, 242, 255, 281, 286, 303. G22: 120. is digit: 5.HENYEY_GREENSTEIN: 16, 62. isspace: 98. $\mathtt{HUGE_VAL:} \quad 7, \ 22, \ 64, \ 77, \ 110, \ 216, \ 218, \ 220, \ 222, \\$ iterations: 25, 36, 44, 60, 207, 227, 232, 238, 243. 252, 266, 268, 270, 272, 274, 276, 280, 283, *j*: 134, 145, 148, 150, 155, 158, 160, 162, 167. 289, 290, 295, 296. $j_{-}best: 208, 209.$ i: 29, 68, 81, 102, 134, 145, 148, 150, 155, 158, $j_{-}min: 144, 145.$ <u>160</u>, <u>162</u>, <u>167</u>, <u>208</u>. k: 209, 210, 228, 234. i_best : 208, 209. $kk: \ \underline{210}, \ \underline{228}, \ \underline{234}.$ $i_{-}min: 144, 145.$ lambda: 13, 25, <u>35</u>, 66, 96. IAD_AD_NOT_VALID: 34, 51, 52. last: 29.IAD_AE_NOT_VALID: 34, 51, 52. log: 160, 253, 254, 270, 289. IAD_AS_NOT_VALID: <u>34</u>, 51, 52. logr: 287, 289. IAD_BAD_G_VALUE: 34. LR: $11, \underline{12}, 15, \underline{23}, \underline{25}, \underline{168}.$ IAD_BAD_PHASE_FUNCTION: 34. LT: 11, <u>12</u>, 15, <u>23</u>, <u>25</u>, <u>168</u>. IAD_EXCESSIVE_LIGHT_LOSS: 34. m: 4, 22, 23, 25, 41, 46, 53, 57, 64, 65, 68, 74, 76, IAD_F_NOT_VALID: $\underline{34}$, 51, 52. <u>78, 81, 91, 95, 103, 115, 117, 119, 121, 123, </u> IAD_FILE_ERROR: 34. <u>126</u>, <u>128</u>, <u>130</u>, <u>136</u>, <u>149</u>, <u>154</u>, <u>157</u>, <u>159</u>, <u>161</u>, IAD_GAMMA_NOT_VALID: 34. 163, 201, 206, 215, 217, 219, 221, 223, 226, IAD_invert_type : 36. 231, 237, 242, 255, 281, 286, 305. $m_{-}old: \ \underline{200}, \ \underline{202}.$ IAD_MAX_ITERATIONS: 33, 44. IAD_measure_type: 35. M_R: 74, 75, 76, 165, 166, 169, 171, 172, 173, IAD_MEMORY_ERROR: 34. 174, 176, 177, 178. IAD_MR_TOO_BIG: 30, 34, 79. $m_{-}r$: $\underline{9}$, 17, 18, 25, $\underline{35}$, 42, 48, 54, 64, 66, 71, IAD_MR_TOO_SMALL: 30, 34, 48, 79. 79, 87, 96, <u>143</u>, 148, 176, 177, 178, <u>180</u>, <u>182</u> IAD_MT_TOO_BIG: 30, <u>34</u>, 49. <u>184</u>, <u>186</u>, <u>188</u>, <u>190</u>, <u>192</u>, <u>194</u>, <u>196</u>, <u>198</u>, 199, <u>200</u>, 209, 258, 285. IAD_MT_TOO_SMALL: 30, 34, 49, 79. IAD_MU_TOO_BIG: 30, 34, 50. M_T: 50, 74, 75, 165, 166, 169, 171, 172, 173, IAD_MU_TOO_SMALL: $30, \underline{34}, 50.$ 174, 176, 177, 178. IAD_NO_ERROR: 11, 15, 30, 34, 43, 47, 60, 64, $m_{-}t$: 9, 17, 18, 19, 25, 35, 42, 48, 49, 50, 54, 64, 66, 71, 79, 87, 96, 143, 148, 176, 177, 178, 180, 68, 79, 81. IAD_QUAD_PTS_NOT_VALID: 34, 43. 182, 184, 186, 188, 190, 192, 194, 196, 198, 199, 200, 209, 216, 218, 259, 285. IAD_RD_NOT_VALID: 34, 51, 52. $m_{-}u$: 17, 18, 19, 35, 50, 54, 64, 66, 71, 87, 96, IAD_RSTD_NOT_VALID: 34, 51. 131, 140, 154, 227, 293, 294, 296. IAD_RT_LT_MINIMUM: 34. IAD_RW_NOT_VALID: 34, 51, 52. $magic: \underline{102}.$ IAD_TOO_MANY_ITERATIONS: $30, \underline{34}, 44.$ $main: \underline{2}.$ IAD_TOO_MANY_LAYERS: 34. malloc: 27.mask: 301, 302. IAD_TOO_MUCH_LIGHT: 30, 34.

 $\S 307$ IAD (v 3-12-0) INDEX 125

max_b : 150.	$n_photons: \underline{4}, 5, 14.$
$Max_Light_Loss: 201.$	n_slab : 16, 19, 49, 62, 77, 131, 166, 168, 203,
$max_possible_m_r$: $\underline{79}$.	251, 304.
maxloss: <u>199</u> , 202.	$n_{-}top$: 203.
$mc_iter: 11, \underline{12}, 15, \underline{25}.$	<i>n_top_slide</i> : 16, 19, 49, 62, 131, 147, 166, 168,
$MC_iterations: \underline{4}, 5, 9, 14, 15.$	203, 251, 304.
MC_Lost: 15, 68, 75, 81.	$Near_Grid_Point: 169.$
MC_RT: 16.	Near_Grid_Points: <u>144</u> , 209, 285.
mc_runs: <u>68</u> , 70, <u>81</u> , 86.	newton: 11.
<i>MC_tolerance</i> : 13, 15, <u>36</u> , 60, 110.	nfluxes: 203.
mc_total : 11, $\underline{12}$, 15.	NO_SLIDES: $\underline{3}$, 5, 18.
$measure_OK: 43, \underline{46}.$	NO_UNSCATTERED_LIGHT: 3 .
measure_type: 4, 22, 23, 25, <u>35</u> , 41, 46, 53, 57,	nslide: <u>63</u> , 64.
64, 65, 68, 74, 75, 76, 78, 81, 91, 95, 103, 111,	num_measures: 19, 35, 54, 64, 66, 71, 87, 92, 131,
115, 117, 119, 121, 123, 126, 127, 128, 129, 130,	140, 227, 255, 259, 287, 306.
136, 143, 145, 149, 154, 157, 159, 161, 163, 200,	$num_photons: \underline{68}, 69, \underline{81}, 86.$
201, 202, 206, 215, 217, 219, 221, 223, 226,	num_spheres: 15, 18, <u>35</u> , 42, 47, 49, 56, 66, 69,
231, 237, 242, 255, 281, 286, 305.	75, 83, 92, 110, 170, 306.
$measured_m_r$: $\underline{79}$.	NUMBER_OF_GUESSES: 204, 209.
measurement: 80, 87.	old_mm : 75 , 143 , 145 .
measurements: 67, 71.	$old_rr: \ \ 75, \ 143, \ 145.$
memcpy: 127, 129.	once: <u>178</u> .
method: 13, 18, <u>35</u> , <u>36</u> , 43, 57, 62, 64, 66, 70, 86,	ONE_SLIDE_NEAR_SPHERE: $\underline{3}$, 5 , 18 .
92, 110, 131, 148, 166, 170, 304, 306.	ONE_SLIDE_NOT_NEAR_SPHERE: $\underline{3}$, 5, 18.
metric: <u>36</u> , 60, 176, 177.	ONE_SLIDE_ON_BOTTOM: $\underline{3}$, 5, 18.
MGRID: <u>111</u> , 131, 140, 141, 164.	ONE_SLIDE_ON_TOP: $\underline{3}$, 5, 18.
$min_a: \underline{285}.$	optarg: $\underline{3}$, 5 .
$min_b: 150, 285.$	optind: $\underline{3}$, 5 .
$min_{-}g$: 285 .	p: <u>208</u> .
$min_possible_m_r$: $\underline{79}$.	$P_{-}d$: 172.
$MinMax_MR_MT$: 47, 78 .	$P_{-}std: \underline{172}.$
MM: <u>111</u> , 113, 126, 127, 129, 148, 165, 166, 168,	P_0: <u>172</u> .
170, 172, 173, 174, 176, 177, 178, 200, 203.	params: 2, 4, 14, 19, 91, 92, 95, 96, 103, 110.
mnbrak: 216, 218, 220, 222, 225.	$parse_string_into_array$: 5, $\underline{29}$.
$mr: \ \underline{48}, \ \underline{76}, \ 77.$	phase_function: 16, 62, 131.
MR: 48, 78.	<i>pi</i> : 203.
$MR_IS_ONLY_RD: \underline{3}.$	points: 30 .
$mt: \ \underline{48}, \ \underline{76}, \ 77.$	pow: 13.
MT: 78.	$print_dot$: 11, 15, $\underline{30}$.
$MT_{IS_ONLY_TD}$: 3 .	$print_error_legend: 2, \underline{26}.$
$mu_{-}a: \ \underline{9}, \ 11, \ \underline{12}, \ 15, \ \underline{25}, \ 48.$	$Print_Invert_Type: \underline{303}.$
mu_a_last : $\underline{15}$.	$Print_Measure_Type: \underline{305}.$
mu_in_slab : $\underline{250}$, $\underline{251}$.	$print_optical_property_result$: 9, 11, 15, 25.
$mu_sp: \ \underline{9}, \ 11, \ \underline{12}, \ 15, \ \underline{25}.$	$print_results_header$: 9, 14, 15, $\underline{24}$.
mu_sp_last : $\underline{15}$.	$print_usage$: 5, $\underline{21}$.
$mua: \underline{22}, \underline{23}.$	$print_version$: 5, $\underline{20}$.
$musp: \underline{22}, \underline{23}.$	printf: 17, 105, 106, 107, 108, 109, 110.
my_getopt : 5.	$process_command_line: 2, \underline{4}, 5, 10.$
$n: \ \underline{5}, \ \underline{10}, \ \underline{29}, \ \underline{63}, \ \underline{146}.$	$p1: \ \ \underline{204}.$
n_bottom : 203.	p2: 204.
<i>n_bottom_slide</i> : 16, 19, 49, 62, 131, 147, 166,	qsort: 209.
168, 203, 251, 304.	$quad_Dif_Calc_R_and_T$: 203.

quad_pts: 13, 43, 57, 62, 64, 70, 86, 110, 131, 175, 209, 282, 285, 292, 304. 148, 166, 304. search_type: <u>37,</u> 53, 132, 136, 144. $quick_guess$: 204, 247, 286. $seconds_elapsed: 28, 30.$ $r: \quad \underline{4}, \, \underline{22}, \, \underline{23}, \, \underline{25}, \, \underline{29}, \, \underline{41}, \, \underline{46}, \, \underline{53}, \, \underline{57}, \, \underline{64}, \, \underline{68}, \, \underline{74}, \, \underline{76},$ Set_Calc_State: 75, <u>126</u>, 143, 145, 150, 155, 158, 78, 81, 103, 126, 128, 130, 144, 149, 154, 157, 160, 162, 200, 202, 207, 216, 218, 220, 222, 224, <u>159</u>, <u>161</u>, <u>163</u>, <u>201</u>, <u>206</u>, <u>215</u>, <u>217</u>, <u>219</u>, <u>221</u>, <u>223</u>, 225, 227, 232, 238, 243, 283, 284. 226, 231, 237, 242, 255, 281, 286, 303. $Set_Debugging: 5, \underline{299}.$ $R_{-}diffuse: 170, 172, 174.$ setup: 67, 69. R_direct : 170, 171, 172, 173, 174. $skip_white: \underline{97}, 100.$ $r_{-}old: 200, 202.$ slab: 9, <u>36</u>, 49, 62, 77, 131, 143, <u>146</u>, 147, 148, R_0: <u>174</u>. 150, 151, 152, 153, 155, 158, 160, 162, 166, 168, $rate: \underline{30}.$ 178, 180, 182, 184, 186, 188, 190, 192, 194, 196, 198, 200, 203, 207, 209, 212, 213, 215, 216, 217, rc: 54, 255, 257, 258, 287.218, 220, 222, 224, 225, 227, 230, 232, 236, <u>166, 168, 169, 170, 220, 222, 224.</u> rd: 54, 55, 255, 258, 287, 288, 289. 241, 243, 246, 249, 251, 253, 254, 282, 283, Rd: 220, 222, 224.284, 285, 289, 293, 294, 296, 304. slab_bottom_slide_b: 18, 19, 35, 62, 66. rd_r: <u>35, 51, 66, 72, 84, 108, 116, 306.</u> rd_t: 35, 52, 66, 73, 85, 109, 116, 306. slab_bottom_slide_index: 18, 19, 35, 62, 64, 66, $Read_Data_Line$: 2, 95. 69, 82, 92, 105, 141, 306. $Read_Header$: 2, 91. $slab_bottom_slide_thickness$: 18, 35, 66, 69, 82, read_number: 92, 93, 94, 96, 99. 92, 105, 306. REFLECTION_SPHERE: 111, 116, 118, 120, 124, 172.slab_cos_angle: 18, 19, <u>35,</u> 62, 64, 66, 69, 110, 141. $slab_index$: 18, 19, $\underline{35}$, 62, 64, 66, 69, 82, 92, RELATIVE: <u>33</u>, 38, 60, 176, 177. results: 67, 68. 105, 141, 306. slab_thickness: 13, 18, 22, 35, 66, 68, 69, 82, RGRID: 111, 164. 92, 105, 306. rp: 203.slab_top_slide_b: 18, 19, 35, 62, 66. RR: 111, 113, 126, 127, 129, 131, 143, 148, 150, 151, 152, 153, 155, 158, 160, 162, 165, 166, slab_top_slide_index: 18, 19, <u>35, 62, 64, 66, 69,</u> 168, 175, 176, 177, 178, 180, 182, 184, 186, 82, 92, 105, 141, 306. slab_top_slide_thickness: 18, <u>35</u>, 66, 69, 82, 92, 188, 190, 192, 194, 196, 198, 200. 105, 306. rstd_r: 18, 35, 51, 66, 69, 72, 79, 87, 92, 96, slabtype: 203.108, 172, 173, 174, 306. $slide_bottom: 203.$ rstd_t: 18, 35, 49, 51, 52, 66, 73, 96, 109, 174, 306. $slide_top$: 203. $rt: \ \underline{54}, \ 56, \ \underline{255}, \ 258.$ slow_quess: 281. SMALL_A_VALUE: 249, 264. $Rt: \ \underline{220}, \ \underline{222}, \ \underline{224}.$ smallest: 145.RT: 16, 146, 147. Sp_mu_RT : 49. RT_Flip: 146, 148, 166. Sp_mu_RT_Flip: 49, 166, 168. $rt_name: \underline{10}.$ rt_total: 11, 12, 14, 15. sphere: <u>66</u>, <u>115</u>, 116. $sphere_r: \underline{67}, 72, \underline{80}, 84.$ ru: 47, 49. $rw_r: 18, 35, 51, 52, 66, 69, 72, 84, 93, 96, 108,$ $sphere_{-}t: 67, 73, 80, 85.$ 116, 122, 124, 172, 173, 306. $Spheres_Inverse_RT:$ 67. $rw_{-}t$: 18, 35, 52, 66, 69, 73, 85, 94, 96, 109, $Spheres_Inverse_RT2:$ 80. sqrt: 108, 109, 254, 264, 306. 116, 122, 124, 306. r1: 250, 251, 252, 253, 254.sscanf: 5, 29.r2: 250, 251, 252, 253, 254. $start_time$: 2, $\underline{4}$, 11, 15, $\underline{28}$, $\underline{30}$. s: <u>16</u>, <u>19</u>, <u>27</u>, <u>29</u>, <u>132</u>, <u>136</u>, <u>144</u>. stderr: 2, 5, 10, 11, 15, 16, 17, 18, 20, 21, 26, 27, $Same_Calc_State: 130, 164.$ 30, 42, 49, 54, 69, 102, 113, 127, 138, 139, 140, sample: 80, 82.141, 148, 150, 155, 158, 160, 164, 166, 168, 178, search: 11, 13, <u>36</u>, 42, 44, 48, <u>54</u>, 55, 56, 60, 77, 202, 207, 209, 210, 216, 218, 220, 222, 224, 227,

79, 110, 131, 150, 155, 158, 160, 162, 164,

228, 232, 234, 243, 249, 258, 259, 289, 304, 306.

 $U_{-}Find_{-}Ba: 44, 217.$

stdin: 2, 10. stdout: 9, 10, 11, 14. strcat: 27.strcmp: 10.strcpy: 27.strdup: 5, 10, 27. $strdup_together$: 10, 27. strlen: 10, 27, 29. strstr: 10.strtod: 5. SUBSTITUTION: $18, \ 34, \ 92, \ 110.$ swap: $\underline{147}$. $t: \ \underline{27}, \ \underline{29}, \ \underline{144}.$ $T_{-}diffuse: \underline{170}, 174.$ T_direct : 170, 171, 172, 173, 174. T_TRUST_FACTOR: 111, 177. T_0: 174. tc: 54, 255, 257, 259, 287. Tc: 63, 64, 166, 168, 169, 170, 220, 222, 224, <u>249</u>, 252, 253, 254. td: <u>54</u>, 55, <u>255</u>, 259, <u>287</u>. Td: 220, 222, 224, 255.tdiffuse: <u>117</u>, 118, <u>119</u>, 120. $temp_m_t: 79.$ The_Grid: 111, 131, 133, 135, 138, 148, 150, 155, 158, 160, 162, 168. The_Grid_Initialized: <u>111</u>, 131, 133, 138, 150, 155, 158, 160, 162. The_Grid_Search : <u>111</u>, 139, 150, 155, 158, 160, 162.tmp: 116, 288.tolerance: 13, 36, 42, 60, 110, 207, 213, 216, 218, 220, 222, 225, 227, 232, 238, 243. tp: 203, 255.TRANSMISSION_SPHERE: 111, 118, 120, 122, 172. TRUE: 32, 33, 42, 131, 137, 150, 155, 158, 160, 162. ts: 203.*tst*: 11. tt: 54, 55, 56, 255, 259.Tt: 220, 222, 224. $tu: \ \underline{47}, \ 49.$ TWO_IDENTICAL_SLIDES: 3, 5. Two_Sphere_R : 121, 174. $Two_Sphere_T: \underline{123}, \underline{174}.$ twoprime: 273, 278.twounprime: 275, 278.t1: 250, 251, 252, 253, 254. $t2\colon \ \ \underline{250},\ 251,\ 252,\ 253,\ 254.$ *U_Find_A*: 44, 216, 218, <u>219</u>. $U_{-}Find_{-}AB: 44, 206.$ $U_{-}Find_{-}AG$: 44, 226. *U_Find_B*: 44, 78, 79, 223.

 $U_{-}Find_{-}BaG:$ 44, 237. $U_{-}Find_{-}BG$: 44, 231, 237, 242. $U_{-}Find_{-}Bs$: 44, 215. $U_{-}Find_{-}BsG$: 44, 242. $U_{-}Find_{-}G:$ 44, 221. ungetc: 98.UNINITIALIZED: 2, 4, 5, 6, 7, 8, 13, 18, 22, <u>34</u>, 48, 55, 56, 61, 77, 110, 207, 216, 218, 220, 222, 224, 227, 232, 243. UNKNOWN: $18, \underline{34}, 66, 110.$ URU: <u>115</u>, 116, <u>117</u>, 118, <u>119</u>, 120, <u>121</u>, 122, <u>123</u>, 124, <u>146</u>, 147, <u>169</u>, 170, <u>203</u>. uru: $\underline{12}$, $\underline{15}$, $\underline{16}$, $\underline{68}$, $\underline{75}$, $\underline{81}$, $\underline{148}$, $\underline{166}$, $\underline{168}$. URU_COLUMN: <u>111</u>, 148, 168. uru_lost: 15, 25, 35, 66, 68, 74, 75, 81, 127, 170. UR1: <u>63</u>, 64, <u>121</u>, 122, <u>123</u>, 124, <u>146</u>, 147, <u>169</u>, 170, <u>203</u>, <u>287</u>, 289. $ur1: \ \underline{12}, \ 15, \ \underline{16}, \ \underline{68}, \ \underline{75}, \ \underline{81}, \ \underline{148}, \ \underline{166}, \ \underline{168}.$ UR1_COLUMN: 111, 148, 168. ur1_loss: 201, 202. $ur1_lost$: 15, 25, <u>35</u>, 42, 66, 68, 75, 81, 127, 170, 200, 202, 306. UTU: <u>121</u>, 122, <u>123</u>, 124, <u>146</u>, 147, <u>169</u>, 170, <u>203</u>. utu: 12, 15, 16, 68, 75, 81, 148, 166, 168. UTU_COLUMN: <u>111</u>, 148, 168. utu_lost: 15, 25, 35, 66, 68, 75, 81, 127, 170, 306. UT1: 63, 64, 121, 122, 123, 124, 146, 147, 169, 170, 203, 287, 288, 289. ut1: 12, 15, 16, 68, 75, 81, 148, 166, 168.UT1_COLUMN: <u>111</u>, 148, 168. $ut1_loss$: $\underline{201}$, $\underline{202}$. $ut1_lost\colon \ \ 15,\ 25,\ \underline{35},\ 42,\ 66,\ 68,\ 75,\ 81,\ 127,$ 170, 200, 202, 306. $Valid_Grid$: 136, 209, 285. verbosity: 30.Version: 20, 21, 105. what_char: 25, 30. What_Is_B: 19, 227, 249, 257, 289, 293, 294, 296. $Write_Header: 9, 14, 103.$ x: 92, 99, 122, 124, 150, 179, 181, 183, 185, 187, <u>189, 191, 193, 195, 197, 208, 220, 222, 225, 282.</u> xx: 105, 110.y: 208.zbrent: 202.

128 NAMES OF THE SECTIONS IAD (v 3-12-0)

```
Allocate local simplex variables 208 Used in sections 207, 227, 232, 238, and 243.
 Calc M_R and M_T for dual beam sphere 173 \ Used in section 170.
 Calc M_R and M_T for no spheres 171 \rangle Used in section 170.
 Calc M_R and M_T for single beam sphere 172 \rightarrow Used in section 170.
 Calc M_R and M_T for two spheres 174 \rightarrow Used in section 170.
 Calculate and Print the Forward Calculation 6, 7, 8, 9 Used in section 2.
 Calculate and write optical properties 11 \rangle Used in section 2.
 Calculate specular reflection and transmission 251 \ Used in section 250.
 Calculate the deviation 175 Used in section 170.
 Calculate the unscattered transmission and reflection 257 Used in section 256.
 Check MR for zero or one spheres 48
                                            Used in section 47.
 Check MT for zero or one spheres 49
                                             Used in section 47.
 Check MU 50 Vsed in section 47.
 Check for bad values of Tc 252 \ Used in section 250.
 Check sphere parameters 51, 52 Used in section 47.
 Choose the best node of the a and b simplex 212
                                                          Used in section 207.
 Choose the best node of the a and q simplex 230
                                                          Used in section 227.
 Choose the best node of the ba and q simplex 241
                                                           Used in section 238.
 Choose the best node of the bs and g simplex 246 \rangle Used in section 243.
 Choose the best node of the b and g simplex 236 \ Used in section 232.
 Clean up guesses 297 Used in section 287.
 Command-line changes to m 18 \rangle Used in section 2.
 Command-line changes to r 13 \rightarrow Used in sections 2 and 11.
 Count command-line measurements 19 \ Used in section 2.
 Declare variables for main 4 Used in section 2.
 Definition for Allocate\_Grid\ 133 \ Used in section 111.
 Definition for Calculate_Distance_With_Corrections 170 \ Used in section 111.
 Definition for Calculate_Distance 166 \ Used in section 111.
 Definition for Calculate_Grid_Distance 168 \rangle Used in section 111.
 Definition for Calculate\_MR\_MT 75 \ Used in section 38.
 Definition for Calculate\_Minimum\_MR 77 \ Used in section 38.
 Definition for Debug\ 302 \rightarrow Used in section 247.
 Definition for Estimate\_RT 256 \rightarrow Used in section 247.
 Definition for Fill\_AB\_Grid 150
                                       Used in section 111.
 Definition for Fill\_AG\_Grid 155 \ Used in section 111.
 Definition for Fill\_BG\_Grid 158 \ Used in section 111.
 Definition for Fill\_BaG\_Grid 160 \ Used in section 111.
 Definition for Fill\_BsG\_Grid 162 \ Used in section 111.
 Definition for Fill\_Grid\ 164 \rightarrow Used in section 111.
 Definition for Find\_AB\_fn 182 \rightarrow Used in section 111.
 Definition for Find\_AG\_fn 180 \rangle Used in section 111.
 Definition for Find\_A\_fn 188 \ Used in section 111.
 Definition for Find_{-}BG_{-}fn 194 \ Used in section 111.
 Definition for Find_{-}B_{-}fn 190 \ Used in section 111.
 Definition for Find\_BaG\_fn 196 \rightarrow Used in section 111.
 Definition for Find\_Ba\_fn 184 \rangle Used in section 111.
 Definition for Find_{-}BsG_{-}fn 198 \rightarrow Used in section 111.
 Definition for Find\_Bs\_fn 186 \rangle Used in section 111.
 Definition for Find_-G_-fn 192 \rightarrow Used in section 111.
 Definition for Gain_111118 Used in section 111.
 Definition for Gain_222 120 Used in section 111.
\langle Definition for Gain 116 \rangle Used in section 111.
```

```
\langle Definition for Get\_Calc\_State 129 \rangle Used in section 111.
 Definition for Grid\_ABG 135 \ Used in section 111.
Definition for Initialize\_Measure 66 \rightarrow Used in section 38.
Definition for Initialize\_Result\ 58 \rightarrow Used in section 38.
Definition for Inverse\_RT 42 \ Used in section 38.
Definition for Max\_Light\_Loss 202 \righty Used in section 111.
 Definition for MinMax\_MR\_MT 79 \ Used in section 38.
 Definition for Near_Grid_Points 145 \ Used in section 111.
 Definition for Print_Invert_Type 304 \ Used in section 247.
 Definition for Print_Measure_Type 306 \ Used in section 247.
 Definition for RT-Flip 147 \ Used in section 111.
 Definition for Read_Data_Line 96 \ Used in section 88.
 Definition for Read\_Header 92 \rightarrow Used in section 88.
 Definition for Same\_Calc\_State \ 131 \rightarrow Used in section 111.
 Definition for Set_{-}Calc_{-}State | 127 \rangle Used in section 111.
 Definition for Set\_Debugging\ 300 \ Used in section 247.
Definition for Spheres_Inverse_RT2 81 \rangle Used in section 38.
Definition for Spheres\_Inverse\_RT 68 \ Used in section 38.
 Definition for Two\_Sphere\_R 122 \rightarrow Used in section 111.
 Definition for Two\_Sphere\_T 124 \rangle Used in section 111.
 Definition for U_Find_AB 207 \ Used in section 204.
 Definition for U_Find_AG 227 Used in section 204.
 Definition for U_Find_A 220 \rightarrow Used in section 204.
 Definition for U_Find_BG 232 \ Used in section 204.
 Definition for U_Find_BaG 238 \ Used in section 204.
 Definition for U_Find_Ba 218 \rightarrow Used in section 204.
 Definition for U_Find_BsG 243 \ Used in section 204.
 Definition for U_Find_Bs 216 \ Used in section 204.
 Definition for U_Find_B = 224 Used in section 204.
Definition for U_Find_G = 222 Used in section 204.
 Definition for Valid\_Grid 137 \ Used in section 111.
 Definition for What\_Is\_B 250 \rightarrow Used in section 247.
 Definition for Write_Header 104 \rangle Used in section 88.
 Definition for a2acalc 262 \rightarrow Used in section 247.
 Definition for abg\_distance 143 \rangle Used in section 111.
 Definition for abgb2ag 280
                                  Used in section 247.
 Definition for abgg2ab 278
                                  Used in section 247.
 Definition for acalc2a 264
                                 Used in section 247.
 Definition for b2bcalc 270 \rangle
                                 Used in section 247.
 Definition for bcalc2b 272 \rightarrow Used in section 247.
 Definition for check\_magic 102 \rightarrow Used in section 88.
 Definition for determine\_search 54 \rangle Used in section 38.
Definition for ez_{-}Inverse_{-}RT 64 \ Used in section 38.
 Definition for fill_grid_entry 148 \ Used in section 111.
 Definition for g2gcalc 266 \rightarrow Used in section 247.
 Definition for gcalc2g 268 \rightarrow Used in section 247.
 Definition for maxloss 200 Used in section 111.
 Definition for measure\_OK 47 \ Used in section 38.
 Definition for quick\_guess\ 287 \ Used in section 247.
 Definition for read\_number\ 100 \rightarrow Used in section 88.
Definition for skip\_white 98 Used in section 88.
⟨ Definition for slow_guess 282 ⟩
```

130 NAMES OF THE SECTIONS IAD (v 3-12-0)

```
\langle \text{ Definition for } twoprime 274 \rangle Used in section 247.
Definition for two unprime 276 Used in section 247.
Estimate the backscattered reflection 258 \ Used in section 256.
Estimate the scattered transmission 259 \ Used in section 256.
 Estimate aprime 288 \ Used in section 287.
 Estimate bprime 289 \ Used in sections 291, 295, and 296.
 Evaluate the BaG simplex at the nodes 240 \rangle Used in section 238.
 Evaluate the BsG simplex at the nodes 245 \rangle Used in section 243.
 Evaluate the a and b simplex at the nodes 211 Used in section 207.
 Evaluate the a and g simplex at the nodes 229 \ Used in section 227.
 Evaluate the bg simplex at the nodes 235 \ Used in section 232.
 Exit with bad input data 43 Used in section 42.
 Fill r with reasonable values 59, 60, 61, 62 \rangle Used in section 58.
 Find the optical properties 44 \rangle Used in section 42.
 Find thickness when multiple internal reflections are present 254 \ Used in section 250.
 Free simplex data structures 214 \rangle Used in sections 207, 227, 232, 238, and 243.
 Generate next albedo using j 152, 153 \ Used in sections 150 and 155.
 Get the initial a, b, and q 209 \ Used in sections 207, 227, 232, 238, and 243.
 Guess when all three measurements are known 292 \ Used in section 287.
 Guess when finding albedo 293 \ Used in section 292.
 Guess when finding anisotropy and albedo 296 \ Used in section 292.
 Guess when finding optical depth 294 \rangle Used in section 292.
 Guess when finding the albedo and optical depth 295 \ Used in section 292.
 Guess when only reflection is known 290 \ Used in section 287.
 Guess when reflection and transmission are known 291 \ Used in section 287.
 Handle options 5) Used in section 2.
 Improve result using Monte Carlo 15 \ Used in section 11.
 Include files for main \ 3 \ Used in section 2.
 Initialize the nodes of the a and b simplex 210 Used in section 207.
Initialize the nodes of the a and g simplex 228 Used in section 227.
Initialize the nodes of the ba and q simplex 239 \times Used in section 238.
Initialize the nodes of the bs and g simplex 244 \quad Used in section 243.
 Initialize the nodes of the b and g simplex 234 Used in section 232.
 Iteratively solve for b 225 Used in section 224.
 Local Variables for Calculation 12 \rightarrow Used in section 11.
Nonworking code 151 >
 One parameter deviation 176 \ Used in section 175.
 One parameter search 55 \ Used in section 54.
 Print diagnostics 178 \ Used in section 170.
 Print results function 25 \ Used in section 2.
 Prototype for Allocate\_Grid\ 132 \rangle Used in sections 112 and 133.
 Prototype for Calculate_Distance_With_Corrections 169 \rangle Used in sections 112 and 170.
Prototype for Calculate_Distance 165 \ Used in sections 112 and 166.
 Prototype for Calculate_Grid_Distance 167 \ Used in sections 112 and 168.
 Prototype for Calculate\_MR\_MT 74 \rangle Used in sections 39 and 75.
 Prototype for Calculate\_Minimum\_MR 76 \ Used in sections 39 and 77.
 Prototype for Debug\ 301 \rangle Used in sections 248 and 302.
 Prototype for Estimate\_RT = 255 Used in sections 248 and 256.
Prototype for Fill\_AB\_Grid 149 \rightarrow Used in sections 111 and 150.
Prototype for Fill\_AG\_Grid\ 154 Used in sections 111 and 155.
Prototype for Fill_BG_Grid 157 \ Used in sections 112 and 158.
\langle \text{ Prototype for } Fill\_BaG\_Grid \ 159 \rangle Used in sections 112 and 160.
```

```
\langle \text{ Prototype for } Fill\_BsG\_Grid \ 161 \rangle \text{ Used in sections } 112 \text{ and } 162.
Prototype for Fill_Grid 163 \ Used in sections 112 and 164.
Prototype for Find\_AB\_fn 181 \rangle Used in sections 112 and 182.
Prototype for Find\_AG\_fn 179 \rangle Used in sections 112 and 180.
Prototype for Find\_A\_fn 187 \ Used in sections 112 and 188.
Prototype for Find_{-}BG_{-}fn 193 \ Used in sections 112 and 194.
 Prototype for Find_B fn 189 \ Used in sections 112 and 190.
 Prototype for Find_BaG_fn 195 \ Used in sections 112 and 196.
 Prototype for Find\_Ba\_fn 183 \rangle Used in sections 112 and 184.
Prototype for Find_BsG_fn 197 Used in sections 112 and 198.
Prototype for Find_Bs_fn 185 \ Used in sections 112 and 186.
 Prototype for Find_-G_-fn 191 \( Used in sections 112 and 192.
Prototype for Gain_111117 Used in sections 112 and 118.
 Prototype for Gain_22 119 Used in sections 112 and 120.
 Prototype for Gain 115 Used in sections 112 and 116.
 Prototype for Get\_Calc\_State 128 \rightarrow Used in sections 112 and 129.
Prototype for Grid\_ABG 134\rangle Used in sections 112 and 135.
Prototype for Initialize_Measure 65 \ Used in sections 39 and 66.
Prototype for Initialize_Result 57 \ Used in sections 39 and 58.
 Prototype for Inverse\_RT 41 \rightarrow Used in sections 39 and 42.
 Prototype for Max\_Light\_Loss\ 201 \right\right\ Used in sections 112 and 202.
 Prototype for MinMax\_MR\_MT 78 \rangle Used in sections 39 and 79.
Prototype for Near_Grid_Points 144 \rangle Used in sections 112 and 145.
Prototype for Print_Invert_Type 303 \ Used in sections 248 and 304.
 Prototype for Print_Measure_Type 305 \ Used in sections 248 and 306.
Prototype for RT-Flip 146 \ Used in section 147.
 Prototype for Read_Data_Line 95 \ Used in sections 89 and 96.
 Prototype for Read\_Header 91 \rangle Used in sections 89 and 92.
 Prototype for Same\_Calc\_State 130 \rightarrow Used in sections 112 and 131.
Prototype for Set_Calc_State 126 \ Used in sections 112 and 127.
Prototype for Set_Debugging 299 \ Used in sections 248 and 300.
 Prototype for Spheres\_Inverse\_RT2 80 \ Used in sections 39, 40, and 81.
 Prototype for Spheres\_Inverse\_RT 67 \ Used in sections 40 and 68.
 Prototype for Two\_Sphere\_R 121 \rightarrow Used in sections 112 and 122.
 Prototype for Two\_Sphere\_T 123 \rangle Used in sections 112 and 124.
 Prototype for U_Find_AB 206 \rightarrow Used in sections 205 and 207.
Prototype for U_Find_AG 226 \rightarrow Used in sections 205 and 227.
 Prototype for U_Find_A 219 \text{ Used in sections 205 and 220.}
Prototype for U_Find_BG 231 \rightarrow Used in sections 205 and 232.
 Prototype for U_Find_BaG 237 \ Used in sections 205 and 238.
 Prototype for U_Find_Ba 217 \ Used in sections 205 and 218.
 Prototype for U_Find_BsG 242 \rangle Used in sections 205 and 243.
Prototype for U_Find_Bs 215 \ Used in sections 205 and 216.
 Prototype for U_Find_B = 223 Used in sections 205 and 224.
Prototype for U_Find_G 221 \ Used in sections 205 and 222.
 Prototype for Valid_Grid 136 \> Used in sections 112 and 137.
 Prototype for What\_Is\_B 249 \rangle Used in sections 248 and 250.
 Prototype for Write_Header 103 \ Used in sections 89 and 104.
Prototype for a2acalc 261 \rightarrow Used in sections 248 and 262.
Prototype for abg_distance 142 \rightarrow Used in sections 112 and 143.
Prototype for abgb2ag 279 \rangle Used in sections 248 and 280.
\langle \text{ Prototype for } abgg2ab \text{ 277} \rangle Used in sections 248 and 278.
```

132 NAMES OF THE SECTIONS IAD (v 3-12-0)

```
\langle \text{ Prototype for } acalc2a \text{ 263} \rangle Used in sections 248 and 264.
Prototype for b2bcalc 269 \rightarrow Used in sections 248 and 270.
Prototype for bcalc2b 271 \rangle Used in sections 248 and 272.
Prototype for check\_magic 101 \rangle Used in section 102.
Prototype for determine_search 53 \ Used in sections 39 and 54.
Prototype for ez_Inverse_RT 63 \ Used in sections 39, 40, and 64.
 Prototype for q2qcalc 265 \ Used in sections 248 and 266.
Prototype for gcalc2g 267\rangle Used in sections 248 and 268. Prototype for maxloss 199\rangle Used in sections 112 and 200.
Prototype for measure\_OK 46 \rangle Used in sections 39 and 47.
Prototype for quick_quess 286 \ Used in sections 248 and 287.
Prototype for read_number 99 \ Used in section 100.
Prototype for skip\_white 97 Used in section 98.
 Prototype for slow_guess 281 \rangle Used in section 282.
 Prototype for twoprime 273 Used in sections 248 and 274.
 Prototype for two unprime 275 \ Used in sections 248 and 276.
Put final values in result 213 \( \) Used in sections 207, 216, 218, 220, 222, 224, 227, 232, 238, and 243.
Read coefficients for reflection sphere 93 \ Used in section 92.
 Read coefficients for transmission sphere 94 \ Used in section 92.
 Slow guess for a alone 283 \ Used in section 282.
 Slow guess for a and b or a and g 285 \ Used in section 282.
 Slow guess for b alone 284 \rangle Used in section 282.
Solve if multiple internal reflections are not present 253 \ Used in section 250.
Structs to export from IAD Types 35, 36, 37 \ Used in section 32.
Testing MC code 16
Tests for invalid grid 138, 139, 140, 141 \rightarrow Used in section 137.
 Two parameter deviation 177 \ Used in section 175.
 Two parameter search 56 Vsed in section 54.
 Unused diffusion fragment 203 >
Write Header 14 \rightarrow Used in section 11.
Write first sphere info 108 \> Used in section 104.
Write general sphere info 107 Used in section 104.
 Write irradiation info 106 \> Used in section 104.
 Write measure and inversion info 110 Used in section 104.
 Write second sphere info 109 V Used in section 104.
Write slab info 105 \) Used in section 104.
Zero GG 156 \ Used in sections 150, 155, 158, 160, and 162.
calculate coefficients function 22, 23 Used in section 2.
handle analysis 70 \ Used in section 68.
handle measurement 71 Vsed in section 68.
 handle reflection sphere 72 \ Used in section 68.
handle setup 69 Vsed in section 68.
handle transmission sphere 73 \ Used in section 68.
handle2 analysis 86 \ Used in section 81.
handle2 illumination 83 \ Used in section 81.
handle2 measurement 87 \ Used in section 81.
handle2 reflection sphere 84 \rangle Used in section 81.
handle 2 sample 82 Used in section 81.
handle2 transmission sphere 85 \ Used in section 81.
iad_calc.c 111)
\langle iad_calc.h 112 \rangle
\langle iad\_find.c 204 \rangle
```

IAD (v 3-12-0) NAMES OF THE SECTIONS 133

```
\langle iad_find.h 205 \rangle
\langle iad_io.c 88 \rangle
\langle iad_io.h 89 \rangle
\langle iad_main.c 2 \rangle
\langle iad_main.h 1 \rangle
\langle iad_pub.c 38 \rangle
(iad_pub.h 39)
 iad_type.h \frac{32}{}
 iad_util.c \frac{247}{1} iad_util.h \frac{248}{1}
\langle lib\_iad.h \quad 40 \rangle
\langle \text{ old formatting } 17 \rangle
(parse string into array function 29) Used in section 2.
\langle \text{ prepare file for reading 10} \rangle Used in section 2.
(print dot function 30) Used in section 2.
\langle print error legend function 26 \rangle Used in section 2.
\langle \text{ print results header function 24} \rangle Used in section 2.
\langle \text{print usage function 21} \rangle Used in section 2.
\langle \text{ print version function } 20 \rangle Used in section 2.
\langle seconds elapsed function 28\rangle Used in section 2.
(stringdup together function 27) Used in section 2.
```