1. R(t) = -2.t + 200[K.r2]as tr, VJ Vont = (R(+) R(+)+120K) 3V BR(+) Max freq = 5 Hz

Min Samaline R/80)= 40 Kr V= 40.3 = 0.75 V min sampling freq = 6 Hz R(40) = 120ka expected range: 40-80°f V₀ = 170 1700 + 100 3 = 11.5 √ how many s can you buffer? R(70) = 60KR $V_0 = \frac{60}{180}$ is = 1 1,200 Bytes available 10-bit samples w/o optimientum become 16-bit (padded) 28 yte per samp. 1,200/2 = 600 buffered samples/6Hz = (100s) 1,200.8 = 9,600/10-bib = 9,60 buffered samples With optimization/6 He = 1605 Q Step: $\frac{2.5v}{2^{10}} = 2.44 \text{ mV}$ AD Output & Too: Vo = 1, Vo = 1.44nv max error: 40° = 0.039° f ak = 1 MHz \ 20,000 crcls/some = 0.02 s per sample time per sample data acq. time = 1 ms F_s = 10+12 , T_s = 0.1s Spectral Sampling Spectra | = 0,75/ Ratio and proc. 0.021, 0.7 (0.91) System can run in Real-time to sampling 0.1 1 Sample processing takes 21% of + Special tyles 70% 21 -70 = 91 < 100

R =1k 2. le + s = jw = 2000; = [+ (IKY 1x106)(2kj) $= \sqrt{1^2 + (|k|^2 (|x|0^6)^2 (2k')^2}$

3.
$$X[n] = \{0, 1, 2, -1, 0\}$$
 $h(n) = \{0.4, 1, 0.6\}$
find $y[n] = X(1) = h(n)$ $0.1 = 10.6$
 $y[n] = \sum_{l=0}^{N-1} X(l) h(n-l)$ 0.6
 $y[n] = \sum_{l=0}^{N-1} X(l) h(n-l)$ 0.6
 $y[n] = \{0.4, 1.8, 2.0.2, 0.6, 0.3, -1\}$

What is val of 4th sample of output y[s. 7s]

5. 4-pt awage: $\frac{1}{4}X(n) + \frac{1}{4}X(n-1) + \frac{1}{4}X(n-2) + \frac{1}{4}X(n-3) = Y(n)$ A coeffs are for Y, A[O] = 1B coeffs are for X, $B[O] = \frac{1}{4}$

Y.
$$\frac{J^{2}v(t)}{dt} + 3 \frac{dv(t)}{dt} + 2v(t) = \lambda(t)$$
, init cond are D

IMPRISONSE:

 $|ct + \lambda t| = \delta(t)$
 $\sum_{k=1}^{2} \frac{d^{2}v(t)}{dt} = S^{2}v(s) - sv(s) - v(s) = S^{2}v(s)$
 $\int_{at}^{2} \frac{d^{2}v(t)}{dt} = S^{2}v(s) - sv(s) - v(s) = S^{2}v(s)$
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 $\int_{at}^{2} \frac{d^{2}v(t)}{dt} = S^{2}v(s) + 2v(s)$
 $\int_{at}^{2} \frac{d^{2}v(t)}{dt} = S^{2}v(s)$
 $\int_{at}^{2} \frac{d^$

 $S(s) = \frac{1}{S(s+s)(s+1)}$

 $2^{1/2} = \frac{1}{2} e^{-2\epsilon} u(t)$

g-[-1] = -e-en(+)

 $= \frac{A}{5} + \frac{B}{5+2} + \frac{C}{5+1} = \frac{1/2}{5} + \frac{1/2}{5+2} + \frac{1}{5+1}$

$$= \frac{1}{(s+2)(s+1)} \cdot \frac{1}{(s+2)(s+1)} \cdot \frac{1}{s=-2}$$

$$= \frac{1}{(s+2)(s+1)} \cdot \frac{1}{(s+1)} \cdot \frac{1}{s=-1} = -1$$

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 $S(1.5) = \begin{bmatrix} \frac{1}{2} + \frac{1}{2}e^{-2(1.5)} & -1.5 \end{bmatrix} u(1.8)$

unit-step response:
$$\int [u(t)] = \frac{1}{5}$$

$$\frac{1}{5} = \left(5^2 + 3s + 2\right) S(5)$$

IMP. Response

$$A = \frac{1}{(S+2)(S+1)} = \frac{1}{2} \qquad \text{Im} \frac{1/2}{S} = \frac{1}{2} u(t)$$

$$S = \frac{1}{2} \left[\frac{1/2}{S+2} \right] = \frac{1}{2} e^{-2t}$$

$$B = \frac{1}{S(SH)} \Big|_{S=-2} = \frac{1}{2} = \frac{1}{2} e^{-1} u(t)$$

$$C = \frac{1}{S(S+2)} \Big|_{S=-1} = \frac{1}{-1} = -1 = -1 = -1 = \frac{1}{2} e^{-1} u(t)$$

 $=\frac{1}{2}+\frac{1}{2}e^{-3}-e^{-3/2}$

= 0.302

6. $f_s = 200 \, \text{Hz}$ What is freq resolution of its discrete $f_s = 200 \, \text{Hz}$

discrete famier transform
$$\frac{f_s}{N} = \frac{200 \text{ Hz}}{1024} = 0.1953125$$

$$N = 1004 \text{ pt.} \text{ window}$$

$$Or 0.195 \text{ Hz bins}$$

7. After analysis, 3 main freq components.

Max mag, component is at 5.859 Hz