

CPE 212 - Fundamentals of Software Engineering

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Sorted Lists

Outline

- Sorted List: Array Based
- Binary Search
- Sorted List: Linked List
- Coding Examples

Array based List

A common issue of the old array based list is the list does not maintain "order" of the list.

Reasons: Speed! Inserts are $O(1)$ and deletes are $O(1)$ at best.

However: Deletes can be up to $O(N)$, and with this, the lack of maintaining order can cause further issues with your data.

Our solution is to go with a "Sorted List"

Sorted Array Functions

- MakeEmpty() -> void
- IsFull() const -> bool
- GetLength() const -> unsigned
- GetItem(bool&) const -> Type
- Insert(Type) -> void
- Delete(Type) -> bool
- NextItem() -> Type
- ResetIterator() -> void
- AtEnd() const -> bool

Sorted Array Functions

- MakeEmpty() -> void
- IsFull() const -> bool
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- GetItem(bool&) const -> Type
- Insert(Type) -> void
- Delete(Type) -> bool
- NextItem() -> Type
- ResetIterator() -> void
- AtEnd() const -> bool

These will be completely modified because of the “sorted” nature of the list

Sorted Array Functions

- MakeEmpty() -> void
- IsFull() const -> bool
- GetLength() const -> unsigned
- **GetItem(bool&) const -> Type**
- Insert(Type) -> void
- Delete(Type) -> bool
- NextItem() -> Type
- ResetIterator() -> void
- AtEnd() const -> bool

This will be become “faster” or changed because of the sorted implementation

Insert

Goals: Maintain a list that is sorted from “Lowest” to ”Highest”

With our operator overloads and templates, we can make this completely generic, and rely on our type to implement the “< > == !=” operators.

As items get inserted, the items after that get shifted down in the list.

Algorithm

Insert(Type Item) -> bool

Start at first position

While index < Size():

 If(item == currentItem): Item exists in list already, return
 (false if return type is bool)

 Else If(item > currentItem): Continue searching, index++

 Else: break;

For i in Size() to index (going down):

 Swap(data[i], data[i-1])

Set data[index] = item;

Return (true if bool retval)

Algorithm

Delete(Type Item) -> bool

We will remove in more or less the same way as we inserted, except we will shift the new items up the list instead of down.

```
Found=false
```

```
Start at first position
```

```
While(not at end && not found):
```

```
    If currentitem > item: continue to next item
```

```
    If currentItem < item: return false (item does not exist)
```

```
    If currentItem == item: Found = true. Break from loop
```

```
For indexes(currentIndex->End()):
```

```
    Swap(data[currentIndex], data[currentIndex +1])
```

```
Decrement Length
```

```
Return (Found)
```

Order Analysis

How fast are the following algorithms?

Insert

Delete

GetItem(Item &)

Order Analysis

How fast are the following algorithms?

Insert - $O(1)$

Delete - $O(N)$ worst and $O(1)$ at best

GetItem(Item &) - $O(N)$

Can we make any of these faster?

Binary Search

Binary Search

Binary Search can return the item, an Index of the item, or whatever the preferred implementation requires.

```
Found = false, first = 0, last = Size()
While(index < Size() && !Found)
    midpoint = (first + last) + 2
    If(data[midpoint] < Item):
        last = midpoint - 1,
        if(first >= last)
            return (Item not found)
    If(data[midpoint] > item):
        first = midpoint + 1;
        if(first >= last)
            return (Item not found)
    If(data[index] == item):
        found = true
Return appropriate information (either them Item or the index:
midpoint)
```

Question: What is the speed of this algorithm?

Order Analysis

How fast are the following algorithms?

Insert - $O(1)$

Delete - $O(N)$ worst and $O(1)$ at best

GetItem(Item &) - $O(N)$

Using Binary Search:

GetItem(Item &)

Order Analysis

How fast are the following algorithms?

Insert - $O(1)$

Delete - $O(N)$ worst and $O(1)$ at best

GetItem(Item &) - $O(N)$

Using Binary Search:

GetItem(Item &) - $O(\log n)$

Linked List Functions

- MakeEmpty() -> void
- IsFull() const -> bool
- GetLength() const -> unsigned
- GetItem(bool&) const -> Type
- Insert(Type) -> void
- Delete(Type) -> bool
- NextItem() -> Type
- ResetIterator() -> void
- AtEnd() const -> bool

Linked List: Insert

We will use a "Crawler" similar to how we have done for "Find items" in the past.

Note: These examples are with a forward list.

Algorithm (LL)

Insert(Type Item) -> bool

```
CurrentItem = begin, previousItem = null,  
moreToSearch = (Length() > 0)
```

```
While(moreToSearch)
```

```
    If(currentItem == item):
```

```
        Return false (Cannot insert this item)
```

```
    If(currentItem < item):
```

```
        set prevItem = currentItem,
```

```
        currentItem = currentItem->next,
```

```
        moreToSearch = (currentItem != null)
```

```
    If(currentItem > item):
```

```
        location for item found!
```

```
        moreToSearch = false
```

```
Now insert the item at our currentItem location:
```

```
    Create a New Node
```

```
    newNode-> next = currentItem
```

```
    previousItem->next = currentItem
```

Compare the Data Structures

Algorithm	Array List	Linked List
MakeEmpty() -> void		
IsFull() -> bool		
GetLength() -> size		
ResetList() -> void		
GetNextItem() -> Item		
GetItem(Item) -> index / Item		
PutItem(Item) -> Bool		
DeleteItem(Item) -> Bool		