

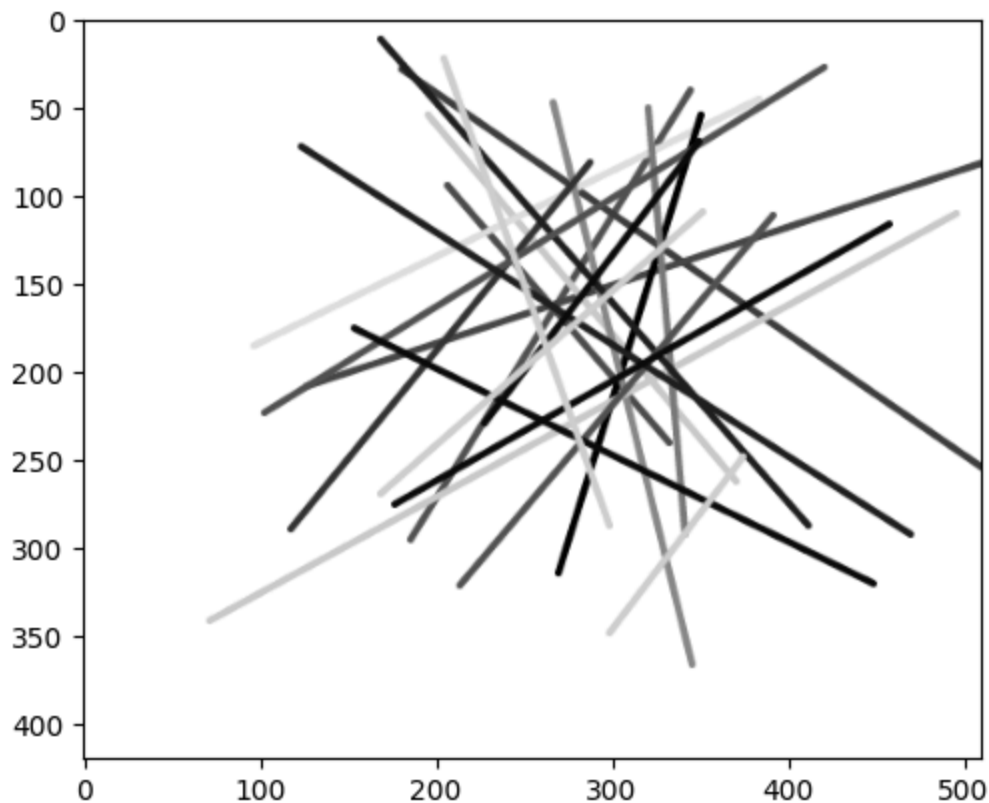
# Visão Computacional - Lista 8

Aqui serão resolvidas as atividades da terceira lista de Visão Computacional pelo aluno Sillas Rocha da Costa, começaremos realizando alguns imports:

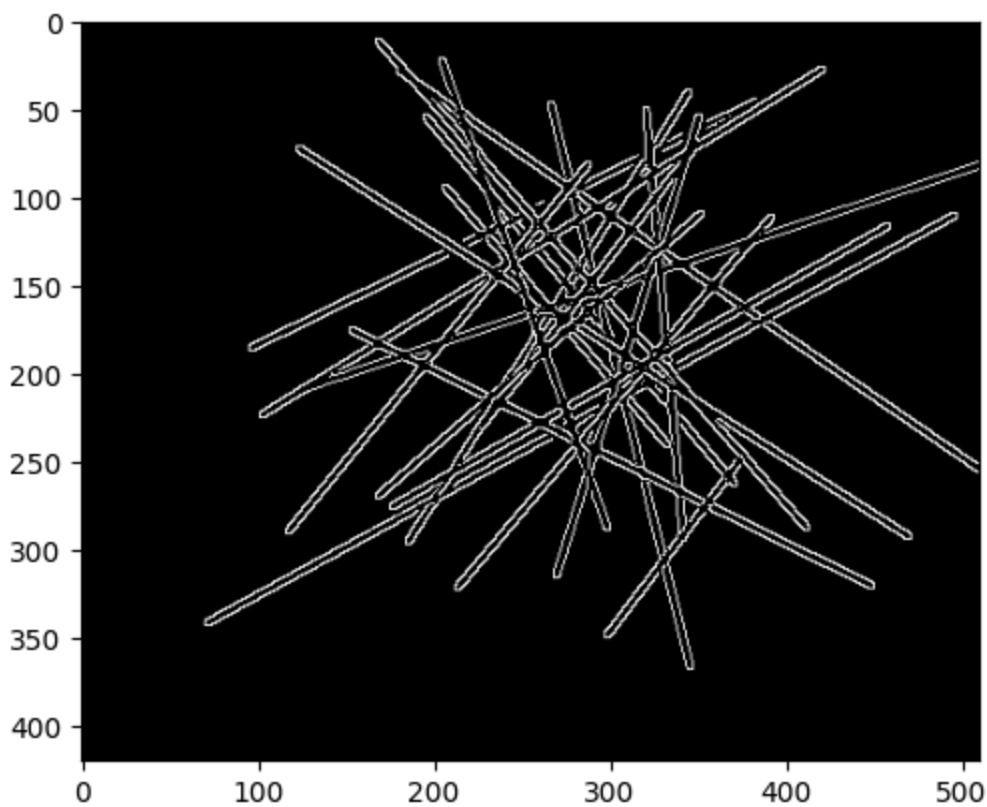
```
In [ ]: import numpy as np
import matplotlib.pyplot as plt
import cv2
```

## 1 - Contando Palitos

```
In [ ]: palitos = cv2.imread('./jogo-dos-palitos.png', cv2.IMREAD_GRAYSCALE)
plt.imshow(palitos, cmap='gray')
plt.show()
```



```
In [ ]: corner_palitos = cv2.Canny(palitos, 50, 150, apertureSize=7)
plt.imshow(corner_palitos, cmap='gray')
plt.show()
```



```
In [ ]: def hough_transform(image: np.ndarray, rho_res=180, theta_res=180):
    lins, cols = image.shape[0:2]

    max_rho = int(np.sqrt(lins**2 + cols**2))

    rhos = np.linspace(-max_rho, max_rho, rho_res)
    thetas = np.linspace(-np.pi / 2, np.pi / 2, theta_res)

    accumulator = np.zeros((rho_res, theta_res), dtype=int)

    edge_points = np.argwhere(image)

    for y, x in edge_points:
        for theta_idx, theta in enumerate(thetas):
            rho = x * np.cos(theta) + y * np.sin(theta)
            rho_idx = np.argmin(np.abs(rhos - rho))
            accumulator[rho_idx, theta_idx] += 1

    return accumulator, rhos, thetas
```

```
In [ ]: accumulator, rhos, thetas = hough_transform(corner_palitos, 180, 180)
# Detectar picos no acumulador
line_indices = np.argwhere(accumulator > np.max(accumulator) * 0.65)
num_lines = len(line_indices)
print(num_lines//2)
```

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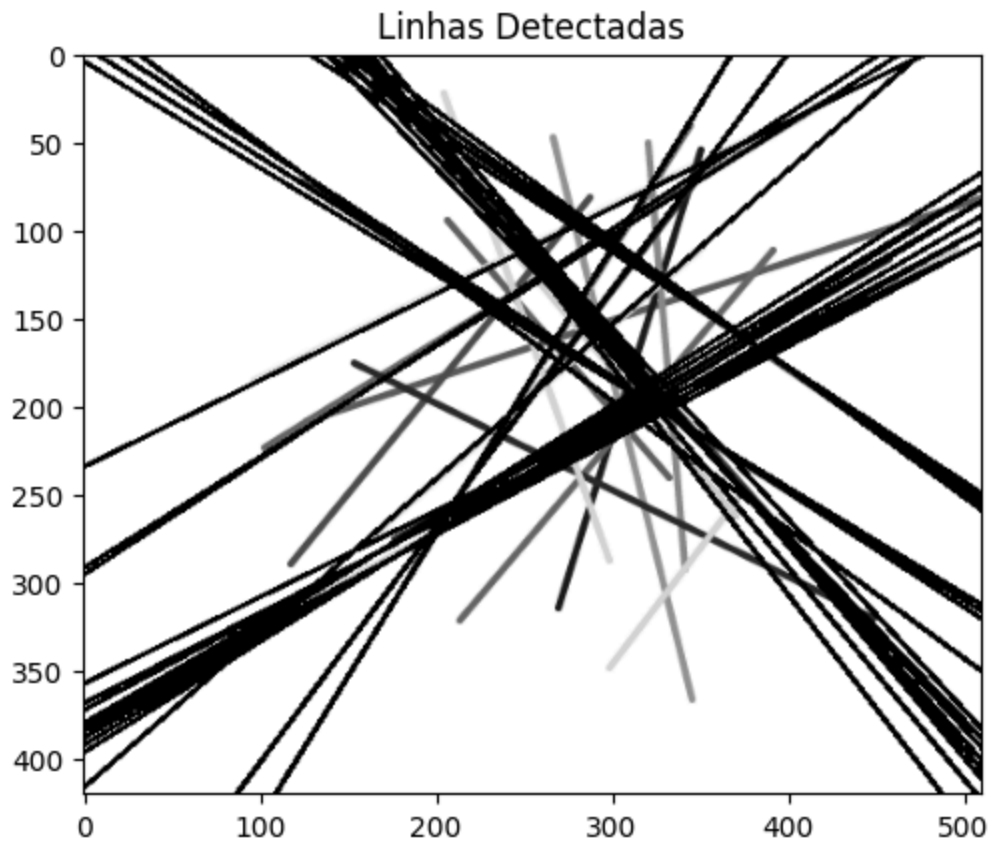
```
In [ ]: for rho_idx, theta_idx in line_indices:
    rho = rhos[rho_idx]
    theta = thetas[theta_idx]
    a = np.cos(theta)
    b = np.sin(theta)
    x0 = a * rho
    y0 = b * rho
    x1 = int(x0 + 1000 * (-b))
```

```

y1 = int(y0 + 1000 * (a))
x2 = int(x0 - 1000 * (-b))
y2 = int(y0 - 1000 * (a))
cv2.line(palitos, (x1, y1), (x2, y2), (0, 0, 255), 2)

plt.imshow(cv2.cvtColor(palitos, cv2.COLOR_BGR2RGB))
plt.title("Linhas Detectadas")
plt.show()

```

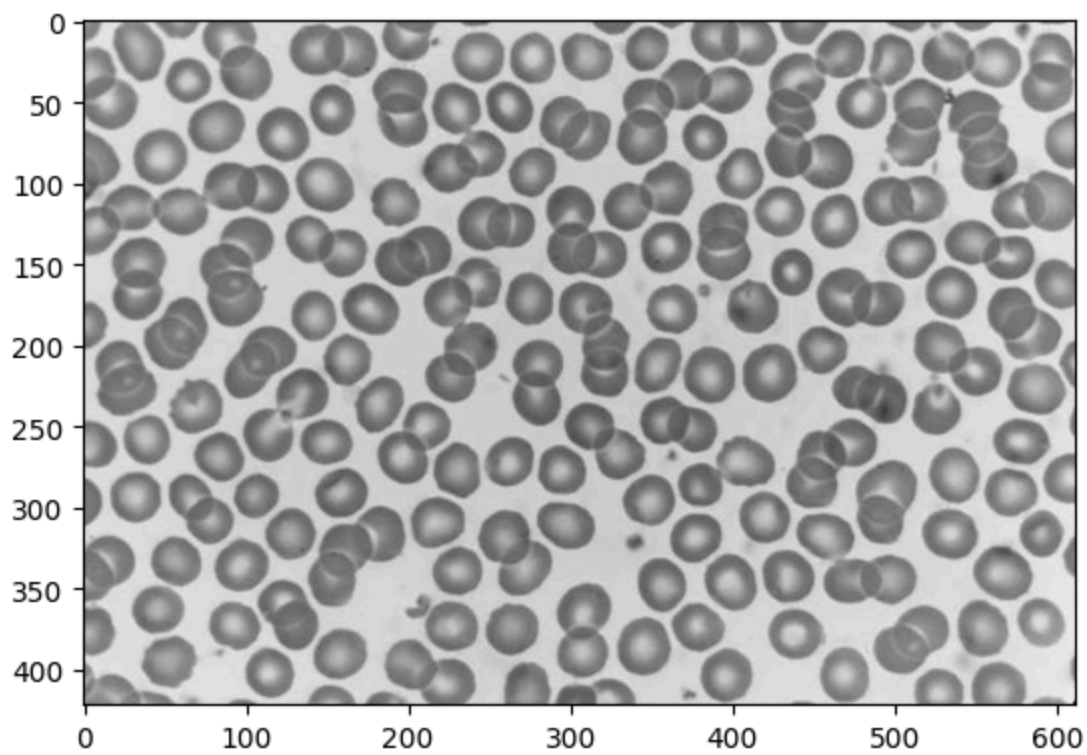


## 2 - Contando Hemácias

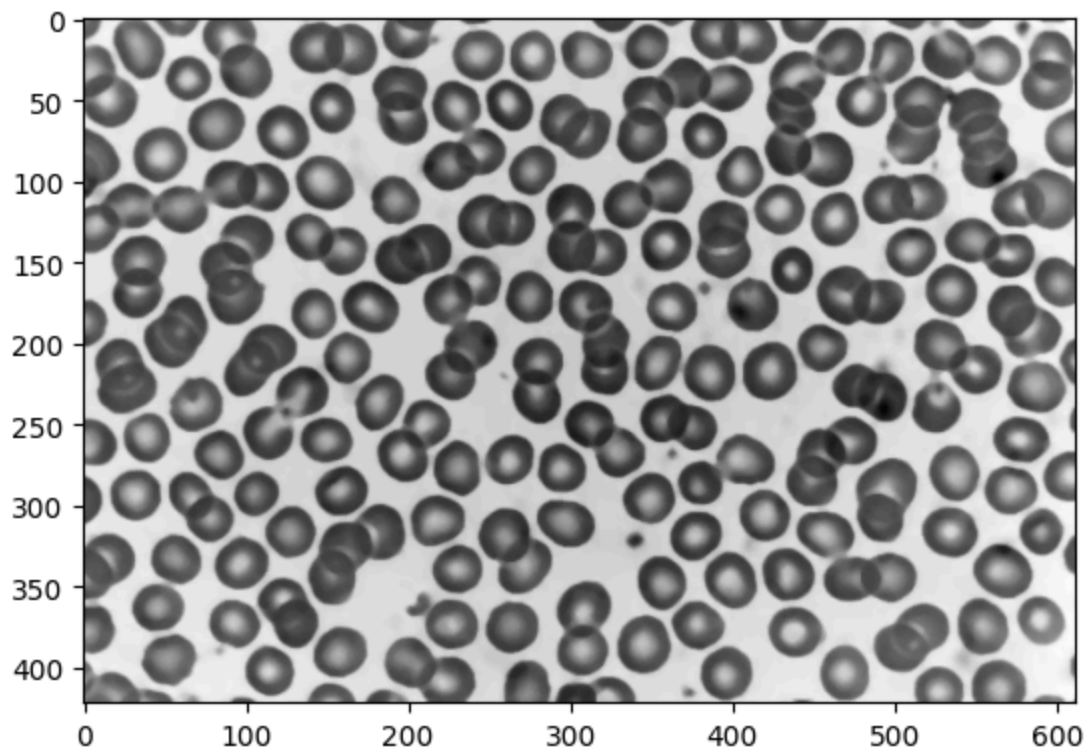
```

In [ ]: hemaceas = cv2.imread('./Hemacias.jpg', cv2.IMREAD_GRAYSCALE)
plt.imshow(hemaceas, cmap='gray')
plt.show()

```



```
In [ ]: hemaceas = cv2.medianBlur(hemaceas, 5)
plt.imshow(hemaceas, cmap='gray')
plt.show()
```



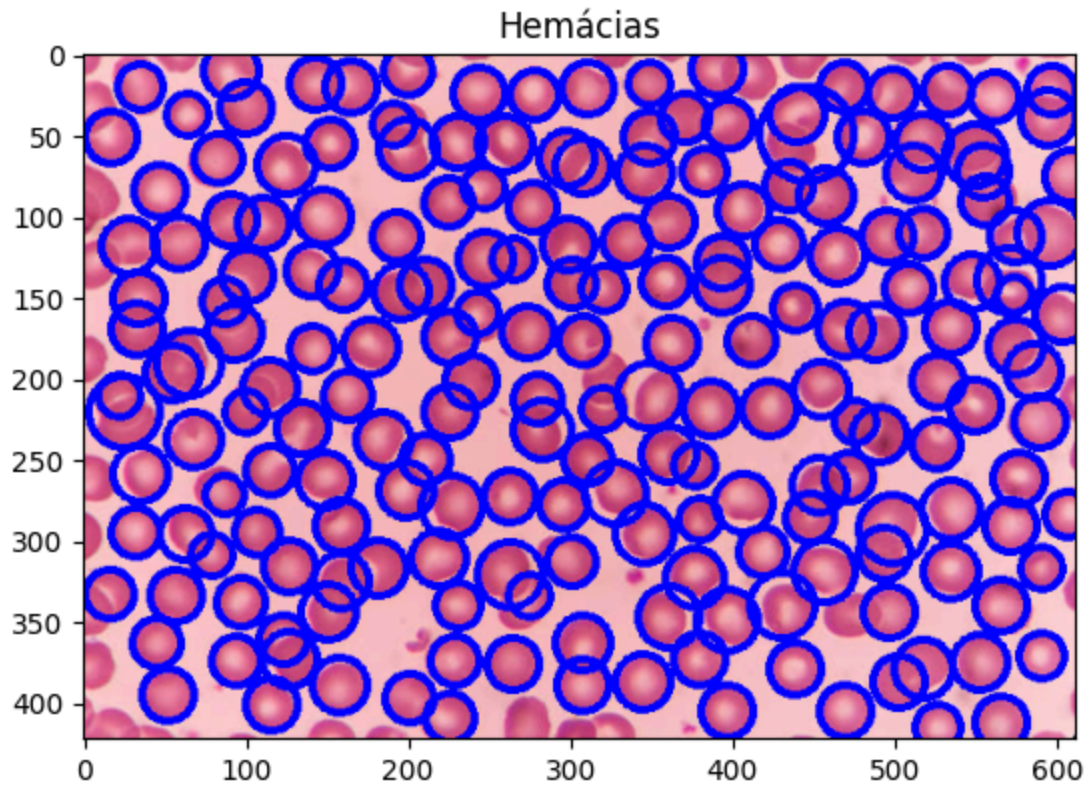
```
In [ ]: circulos = cv2.HoughCircles(hemaceas, cv2.HOUGH_GRADIENT, dp=1.2, minDist=10, param1=50, param2=
circulos = np.round(circulos[0, :]).astype("int")
print(len(circulos))
```

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```
In [ ]: hemaceas_2 = cv2.imread('./Hemacias.jpg')

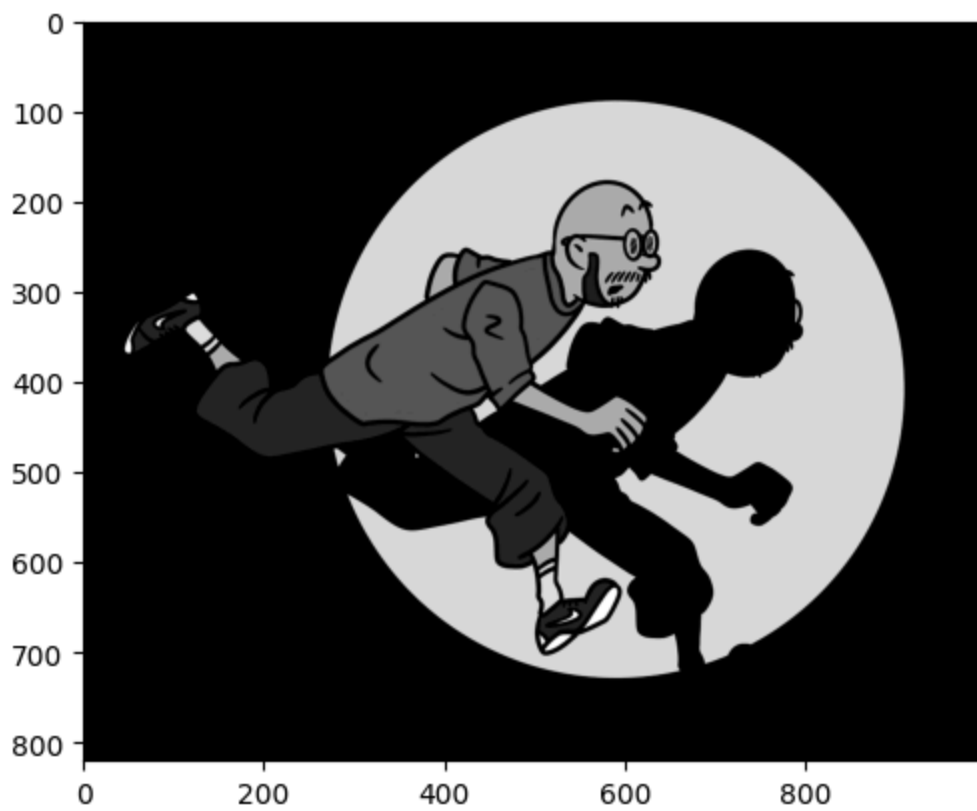
for (x, y, r) in circulos:
```

```
cv2.circle(hemaceas_2, (x, y), r, (255, 0, 0), 3)  
plt.imshow(hemaceas_2[:, :, ::-1])  
plt.title("Hemácias")  
plt.show()
```

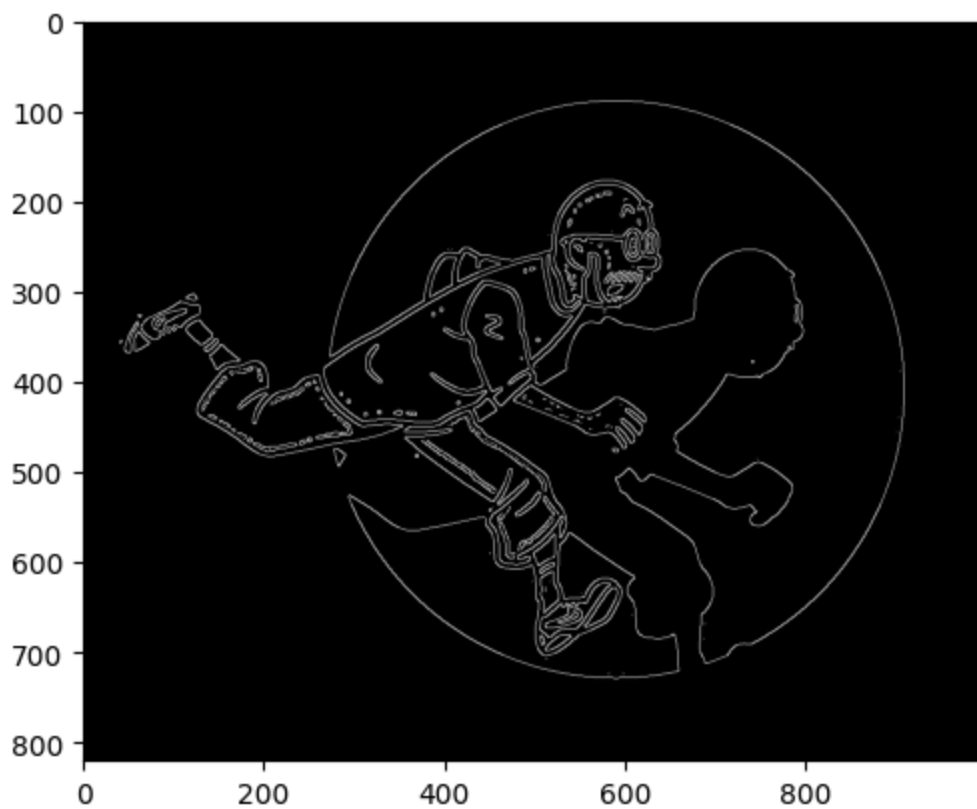


### 3 - Implementação Sinograma

```
In [ ]: tintin = cv2.imread('./baldtin1000pb.png', cv2.IMREAD_GRAYSCALE)  
plt.imshow(tintin, cmap='gray')  
plt.show()
```



```
In [ ]: tintin_corner = cv2.Canny(tintin, 50, 150, apertureSize=7)
plt.imshow(tintin_corner, cmap='gray')
plt.show()
```



```
In [ ]: def hough_transform_sinusoidal(image, theta_res=100, rho_res=82):
    lins, cols = image.shape[:2]

    max_rho = int(np.sqrt(lins**2 + cols**2))
    thetas = np.linspace(0, np.pi, theta_res)
    rhos = np.linspace(-max_rho, max_rho, rho_res)
```



```
# rhos = np.linspace(0, 820, rho_res)

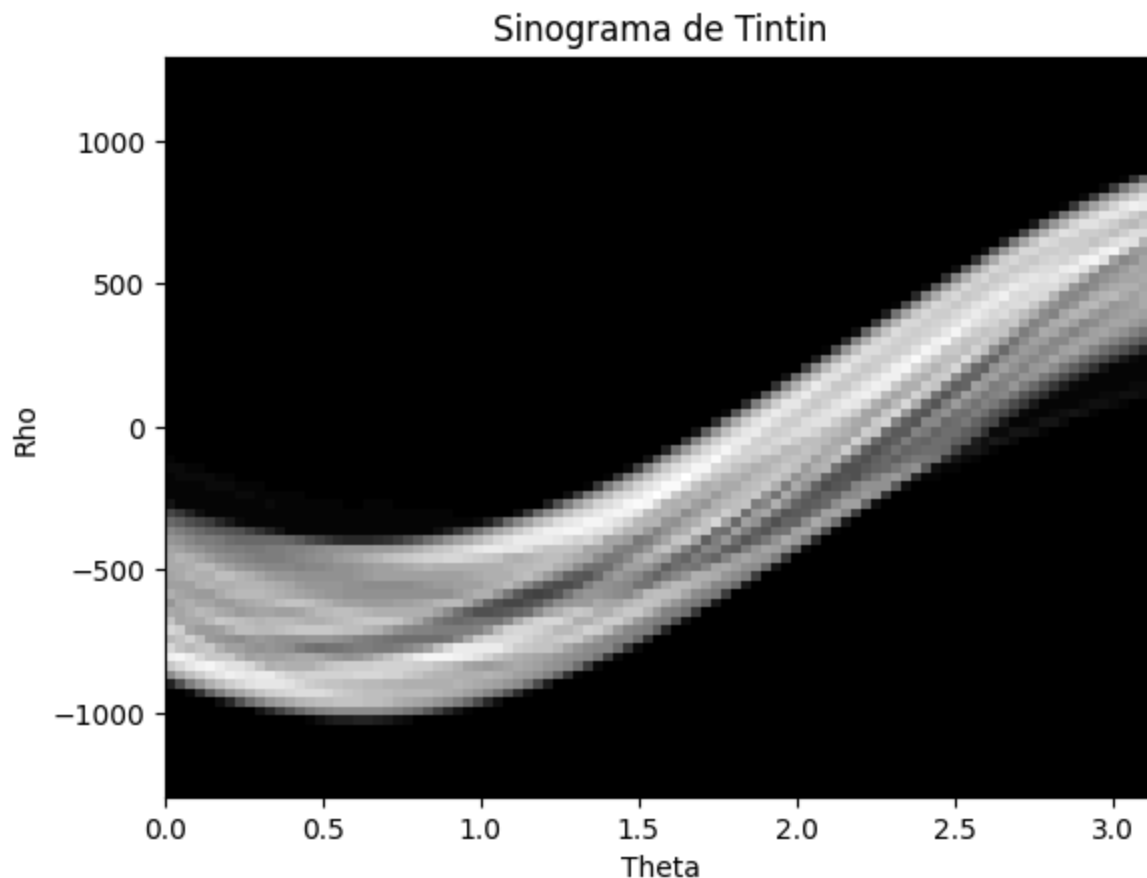
accumulator = np.zeros((rho_res, theta_res), dtype=int)

for y in range(lins):
    for x in range(cols):
        if image[y, x] > 0:
            for theta_idx, theta in enumerate(thetas):
                rho = x * np.cos(theta) + y * np.sin(theta)
                rho_idx = np.argmin(np.abs(rhos - rho))
                accumulator[rho_idx, theta_idx] += image[y, x]

return accumulator, rhos, thetas
```

```
In [ ]: accumulator, rhos, thetas = hough_transform_sinusoidal(tintin, theta_res=100, rho_res=82)
```

```
In [ ]: plt.imshow(accumulator, cmap='gray', aspect='auto', extent=[0, np.pi, rhos[0], rhos[-1]])
plt.xlabel('Theta')
plt.ylabel('Rho')
plt.title('Sinograma de Tintin')
plt.show()
```



## 4 - Sinograma

Sabemos que  $I(x, y)$ , onde  $(x(\theta, \rho), y(\theta, \rho)) = (\rho \cos(\theta) - s \sin(\theta), \rho \sin(\theta) + s \cos(\theta))$ , e  $s$  é a parametrização da linha projetada,

Assim, ao integrar ao longo da linha parametrizada no parâmetro  $s$ , chegamos que:

$$S(\theta,\rho)=\int_{\textcolor{red}{\mathbb{R}^2}}I(\rho\cos(\theta)-s\sin(\theta),\rho\sin(\theta)+s\cos(\theta))ds$$