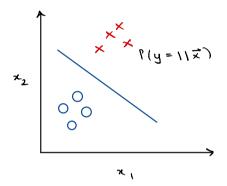
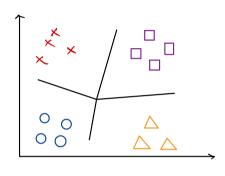
A type of classification algorithm in which y can have more than two possible categories is called a multiclass categories.

eg. recognizing pourts defects in factories, finding whether a patient has multiple diseases on not, etc.



binary classification



multiclass classification

softmax algorithm

is used for this!

Softmax classification

· Basically used for probability distribution of all possible outputs that the algorithm can classify into.

• General formula :-
$$\alpha_{j} = \frac{e^{z_{j}^{2}}}{\sum_{k=1}^{N} e^{z_{k}}} \left[P(Y=j|K) \right]$$

Let In logistics regression: - only 2 outputs

eq.
$$a_1 = g(z) = \frac{1}{1+e^{-z}} = P(1=11\vec{x}) = 0.71$$

Since total probability is always 1.
$$P(Y=0|\vec{x})$$

= $1-P(y=1|\vec{x}) = 1-0.71 = 0.29$

$$\Rightarrow$$
 Chance of probability of y being 1 = 71 x.
and " cc " y being 0 = 29 %

Softmax has more than I output For eq. (for 4 outputs 1-4)

$$Z_{1} = \overrightarrow{\omega_{1}} \overrightarrow{x} + b_{1}$$

$$Z_{2} = \overrightarrow{\omega_{2}} \overrightarrow{x} + b_{2}$$

$$Z_{3} = \overrightarrow{\omega_{3}} \overrightarrow{x} + b_{3}$$

$$Z_{4} = \overrightarrow{\omega_{4}} \overrightarrow{x} + b_{4}$$

$$\alpha_{1} = \underbrace{e^{z_{1}}}_{e^{z_{2}}} + e^{z_{3}} + e^{z_{4}}$$

$$= P(\gamma = 1 \setminus \overrightarrow{x})$$

$$0.30$$

$$a_1 = \frac{e^{z_2}}{e^{z_1} + e^{z_2} + e^{z_3} + e^{z_4}} = \frac{0.20}{P(\gamma = 21\vec{x})}$$

$$a_3 = \frac{e^{z_3}}{e^{z_1} + e^{z_2} + e^{z_3} + e^{z_4}} = P(\gamma = 31\vec{x})$$

$$a_4 = 1 - (a_1 + a_2 + a_3) = \rho(\gamma = 41 \times)$$
Last one can also be calculated by subtracting

from the total.

Cost Function for Softmax

$$\alpha_{1} = \frac{e^{z_{1}}}{e^{z_{1}} + e^{z_{2}} + e^{z_{3}} + e^{z_{4}}} = P(Y = 1 | \vec{x})$$

$$\vdots$$

$$\alpha_{n} = \frac{e^{z_{N}}}{e^{z_{N}}} = P(Y = N | \vec{x})$$

$$-\log \alpha_1 \quad \text{if } \gamma = 1$$

$$-\log \alpha_2 \quad \text{if } \gamma = 2$$

$$\cdot \quad \cdot \quad \cdot$$

$$-\log \alpha_N \quad \text{if } \gamma = N$$

$$loss = -log aj if y = j$$

$$laj \uparrow_L$$