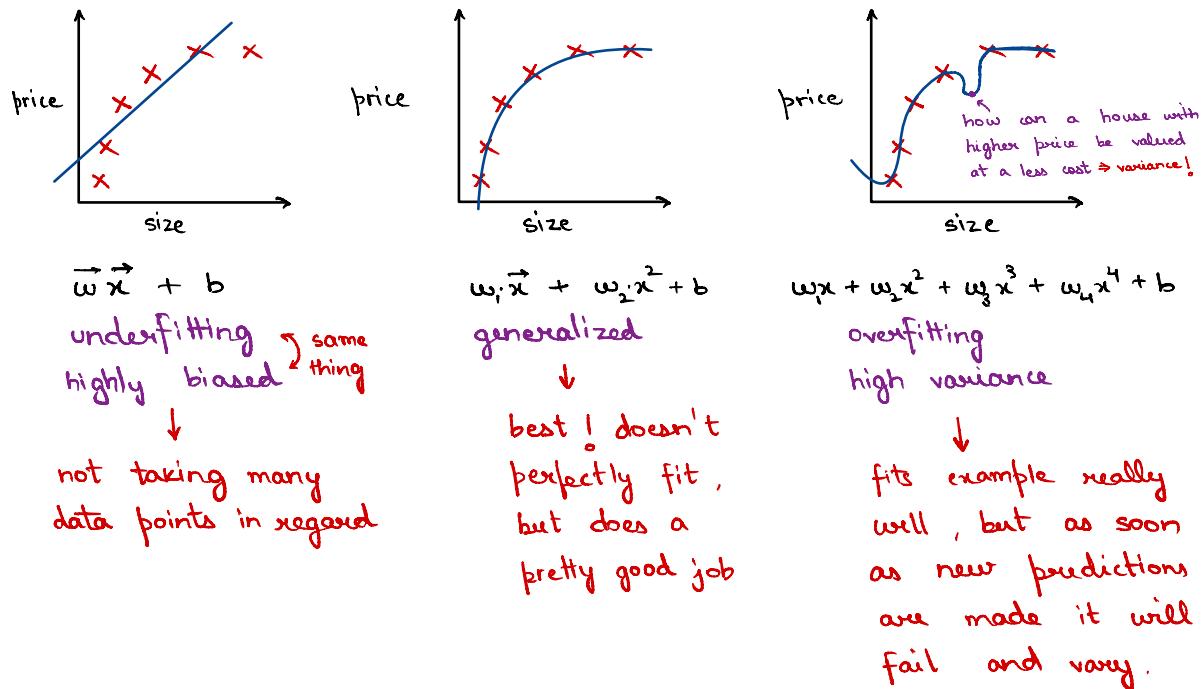


## overfitting $\leftrightarrow$ underfitting

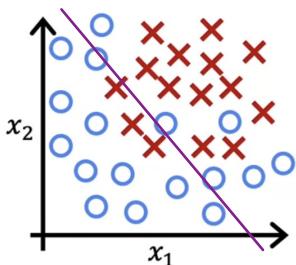
We don't need to be overly accurate while choosing our parameters, but at the same time we must not disregard too many data points.



Always, the generalized fit will give consistent predictions, even for new examples.

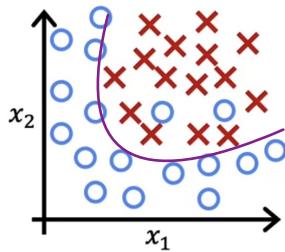
Overfitting may cause the shape of the graph to change after gradient descent when a new example is added, leading to previous points not matching.

Same thing happens for classification



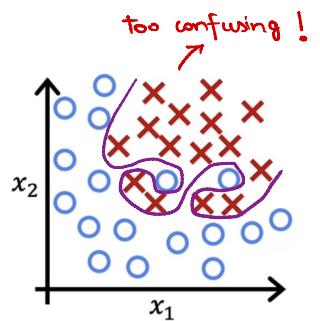
$$z = w_1x_1 + w_2x_2 + b$$
$$f_{\vec{w}, b}(\vec{x}) = g(z)$$

$g$  is the sigmoid function  
underfit or high bias



$$z = w_1x_1 + w_2x_2 +$$
$$w_3x_1^2 + w_4x_2^2 +$$
$$w_5x_1x_2 + b$$

just right  
will generalize



$$z = w_1x_1 + w_2x_2 +$$
$$w_3x_1^2x_2 + w_4x_1^2x_2^2 +$$
$$w_5x_1^2x_2^3 + w_6x_1^3x_2 + \dots + b$$

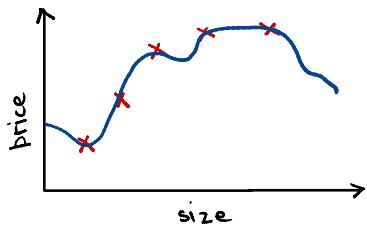
overfitting or  
high variance

### Addressing overfitting

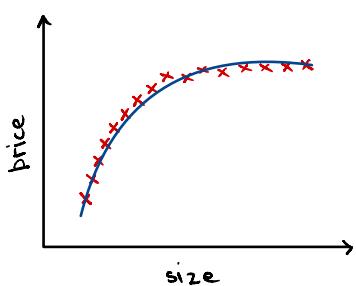
If we've identified that an algorithm is overfitting then there are a couple steps we can take to reduce this :-

- Collect more data
- select certain features and excluding useless ones .
- Apply "regularization" - reducing size of the parameters

## 1. Collect More Training Data



→ Maybe not enough data!  
With a larger data set  
a training set, the learning  
algorithm will learn to  
fit a less wiggly and  
more accurate function.



getting more data isn't  
always an easy option!

## 2. Select features to include/exclude

size	bedrooms	floors	age	avg income	...	distance to coffee shop	price
$x_1$	$x_2$	$x_3$	$x_4$	$x_5$	...	$x_n$	$y$

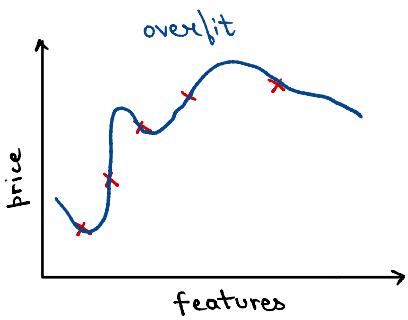
maybe only some features are adequate and other  
features aren't useful or don't have enough training  
data.

all features  
 +  
 insufficient data  
 = overfit

selected features  
 size  
 bedrooms  
 age  
 just right  
 (feature selection)

### 3. Regularization

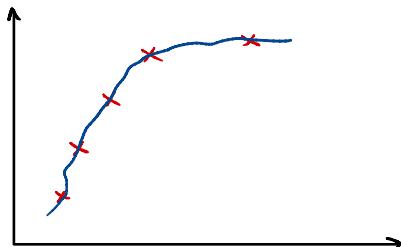
Regularization is used when all features are important, but the model is overfit.



$$f(x) = 28x - 385x^2 + 39x^3 - 174x^4 + 100$$

large values  
↓  
can reduce this

Regularization refers to as reducing size of the parameters  $w_j$ .



$$f(x) = 13x - 0.23x^2 + 0.000014x^3 - 0.0001x^4 + 10$$

small values of  $w_j$

#  $w_1$  to  $w_j$  can be regularized  
but you may or may not regularize 'b'.