

Greedy \rightarrow Maximising Profit / Minimising Loss

Pair of shoes \rightarrow 10K
8K } multiple factors

$Q \rightarrow$ N items

WiseTag
Global

$A[i] \rightarrow$ Expiry of i^{th} item

$B[i] \rightarrow$ Profit margin of i^{th} item

Sell items s.t sum of profit is maximised.

Time starts from $T=0$ & it takes 1 unit of time to sell 1 item. Item can only be sold if $T < A[i]$.

	0	1	2	3	4		index	profit
$A =$	3	1	3	2	3	$T=0$	4	9
$B =$	6	5	3	1	9	1	0	6
						2	2	<u>3</u>
								<u>18</u>

	index	profit
$T=0$	1	5
1	0	6
2	4	<u>9</u>
		<u>20</u> ✓

$A = [1 \quad 2]$
 $B = [3 \quad 1500]$
 $T \rightarrow 0 \quad 1$ Ans = 1503

Max Profit \rightarrow Sell all items \leftarrow

\Rightarrow order of selling \rightarrow ascending order of expiry

$A = [1 \overset{0}{\checkmark} \quad 3 \overset{1}{\checkmark} \quad 3 \overset{2}{\checkmark} \quad 3 \overset{3}{\times} \quad 5 \overset{4}{\checkmark} \quad 5 \overset{5}{\checkmark} \quad 5 \overset{6}{\times} \quad 8 \overset{7}{\checkmark}]$
 $B = [5 \quad 2 \quad 7 \quad 1 \quad 4 \quad 3 \quad 8 \quad 1]$

Correcting an incorrect step from past

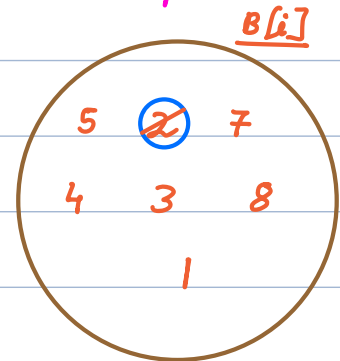
T → 0 1 2 3 4 5

if profit is
too less → ignore

Total = 28

identify smallest profit
⇒ min heap

$A = [1, 3, 3, 3, 5, 5, 5, 8]$
 $B = [5, 2, 7, 1, 4, 3, 8, 1]$
 T → 0 1 2 3 4 5



TC = $O(N \log(N))$

SC = $O(N)$

// sort A & B w.r.t A[i] in ascending order

T = 0 // min heap → h

sum = 0

for i → 0 to (N-1) {

if (T < A[i]) { // not expired

sum += B[i]

h.insert(B[i])

T++

} else if (B[i] > h.root()) {

sum -= h.getMin() // remove root

sum += B[i]

h.insert(B[i])

}

} return sum

Q → Given N students with their marks in A[].

Teacher wants to give candies s.t.

a) Every student should have atleast 1 candy

b) Student with more marks have more candies wrt the neighbours (on left & right)

Find min candies to distribute.

$A = [1 \ 5 \ 2 \ 1]$

$C \rightarrow [1 \ 3 \ 2 \ 1]$ Ans = 7

$A = [4 \ 4 \ 4 \ 4 \ 4]$

$C \rightarrow [1 \ 1 \ 1 \ 1 \ 1]$ Ans = 5

$A = [1 \ 6 \ 3 \ 1 \ 10 \ 12 \ 20 \ 5 \ 2]$

$C \rightarrow [1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1]$

$L \rightarrow R$ $R \leftarrow L$

3 2 2 3 4 2

1) $\forall i, C[i] = 1$ ✓

2) left → if $(A[i] > A[i-1]) \Rightarrow C[i] > C[i-1]$ ✓ → $C[i] = C[i-1] + 1$

right → if $(A[i] > A[i+1]) \Rightarrow C[i] > C[i+1]$

$C[i] = \max(C[i], C[i+1] + 1)$

$\forall i, C[i] = 1$

for $i \rightarrow 1$ to $(N-1)$ {

if $(A[i] > A[i-1])$

$C[i] = C[i-1] + 1$

}

Sum = $C[N-1]$

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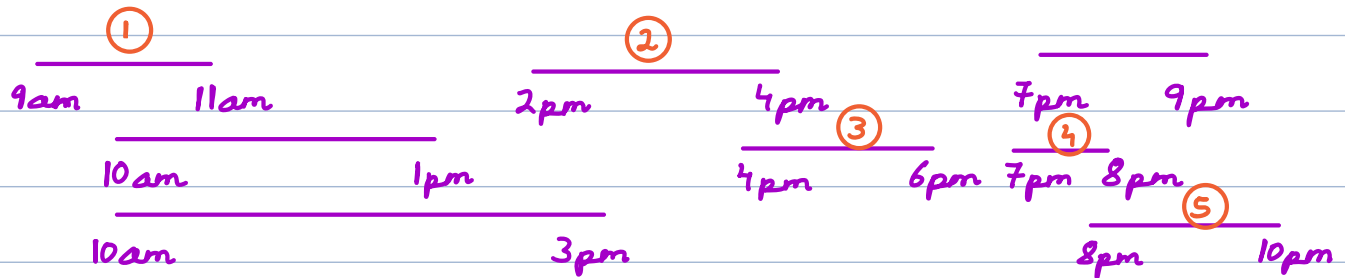
for i  $\rightarrow$  (N-2) to 0 {
    if (A[i] > A[i+1])
        C[i] = max(C[i], C[i+1] + 1)
    sum += C[i]
}

return sum

```

TC = $O(N)$ SC = $O(N)$

Q \rightarrow Given N jobs with start & end time.
Find max jobs that can be completed if
only 1 job can be done at a time.



Ans = 5

start [k^{th}] \geq End [$(k-1)^{th}$]

$S = [1 \ 5 \ 8 \ 7 \ 12 \ 13]$
 $E = [2 \ 10 \ 10 \ 11 \ 20 \ 19]$

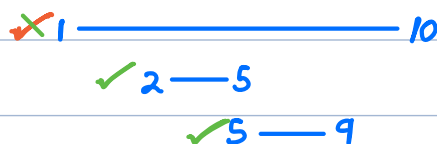
Checkmarks under E: ✓ under 2, ✓ under 10, ✓ under 11.

Ans = 3

Factors \rightarrow

1) Start time

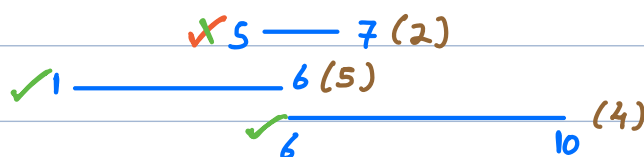
X



Ans = 2

2) Duration

X



Ans = 2

3) End time (start + duration) ✓

// sort w.r.t end time

ans = 1 L = E[0]

for i \rightarrow 1 to (N-1) {

 if (S[i] \geq L) {

 ans ++

 L = E[i]

 }

} return ans

TC = $O(N \log(N))$

SC = $O(1) / O(N)$
