



* rooms increases to 10K

Will data in register work?

No → We need to use tech.

HashMap stores data → $\langle \text{Key}, \text{Value} \rangle$
 (internal implementation → later)

Store population of every country

HashMap $\langle \text{String}, \text{Long} \rangle$

$\langle \text{Country}, \text{Population} \rangle$

Store # states of every country

HashMap $\langle \text{String}, \text{Int} \rangle$

Country, #states

Store the name of all states of every country.

HashMap $\langle \text{String}, \text{List} \langle \text{String} \rangle \rangle$

Country list of all states

Population of each state of every country

HashMap $\langle \text{String}, \text{HashMap} \langle \text{String}, \text{Long} \rangle \rangle$

country

state, population

Hashset < Key > → Used to store unique data.

Functionalities

HashMap

- 1) insert (key, value) → put (K, V)
- 2) size ()
- 3) delete (key)
- 4) update (key, value) → similar to second insertion
∴ for same key value will be overridden.
- 5) search (key)

} TC = O(1)

Hashset

- 1) insert (key)
- 2) size ()
- 3) delete (key)
- 4) search (key)

} TC = O(1)

Java	C++	Python	JS	C#
HashMap	unordered_map	dictionary	map	dictionary
Hashset	unordered_set	set	set	Hashset

H.W → check syntax in your language.

HashMap/HashSet \rightarrow Order of insertion is not maintained.

Treeset/Treemap \rightarrow Order is sorted wrt keys.

Linked HashMap/ } \rightarrow Order of insertion is
Linked HashSet maintained.

insert \rightarrow 1 5 8

stored \rightarrow 1 5 8

Q \rightarrow Given an integer array & Q queries where we have to find frequency of the given element.

$A = [\overset{0}{2} \overset{1}{6} \overset{2}{3} \overset{3}{8} \overset{4}{2} \overset{5}{8} \overset{6}{2}]$
 ✓ ↑ ✓ ✓

Query \rightarrow 2 \rightarrow 3
 6 \rightarrow 1
 5 \rightarrow 0

Bruteforce \rightarrow V query,
travel & check the
frequency. $TC = O(Q * N)$

Frequency array $F[i] = \text{freq. of } i$

for $i \rightarrow 0$ to $(N-1)$ {

$F[A[i]]++$

}

$SC = O(|A[i]|)$ $1 \leq A[i] \leq 10^9$
(MLE)

Sol \rightarrow Use hashmap to store data.

// hm < int, int >

for $i \rightarrow 0$ to $(N-1)$ {

if (hm.containsKey(A[i]))

hm.put(A[i], hm.get(A[i]) + 1)

else

hm.put(A[i], 1)

}

for $i \rightarrow 0$ to $(Q-1)$ {

$TC = O(N+Q)$ $SC = O(N)$

if (hm.containsKey(A[i]))

print (hm.get(A[i]))

else

print (0)

}

Q \rightarrow List of learner id with each attempt.
Find learners with least attempts.

id \rightarrow [101 102 103 101 102 101 105]

least participation \rightarrow 1

id \rightarrow {103, 105}

1) Find freq \forall ids

2) Find least value

3) Keys with least values give list of learners.

Q \rightarrow Find the first non-repeating element.

only present once

$N=6$ $A = [1 \ 2 \ (3) \ 2 \ 5 \ 1]$

(Ans)

$A = [4 \ 3 \ 3 \ (2) \ 5 \ 6 \ 4 \ 5]$

(Ans)

idea \rightarrow use & store frequency

1 \Rightarrow non-repeating

Sol \rightarrow Store freq \forall elements

```
// hm < int, int >
for i  $\rightarrow$  0 to (N-1) {
    if (hm.containsKey(A[i]))
        hm.put(A[i], hm.get(A[i]) + 1)
    else
        hm.put(A[i], 1)
}
```

\Rightarrow

```
for i  $\rightarrow$  0 to (N-1) { // index traversal ✓
    if (hm.get(A[i]) == 1)
        return A[i]
}

return -1
```

TC = $O(N)$ SC = $O(N)$

Q \rightarrow Given an integer array, find the count of distinct elements.

$A = [\overset{0}{3} \ \overset{1}{5} \ \overset{2}{6} \ \overset{3}{5} \ \overset{4}{4} \ \overset{5}{6} \ \overset{6}{5}]$
 $\{ 3 \ 5 \ 6 \ 4 \}$ Ans = 4

$A = [3 \ 3 \ 3 \ 3]$ Ans = 1

```

for i → 0 to (N-1) {
    hs.add(A[i])
}

```

return hs.size()

TC = $O(N)$

SC = $O(N)$

Q → Given an integer array, check if there is a subarray with sum 0.

A = [2 ⁰ 2 ¹ 1 ² -3 ³ 4 ⁴ 3 ⁵ 1 ⁶ -2 ⁷ -3 ⁸ 2 ⁹]

Ans = true

Bruteforce → V subarrays, calculate sum & check.

TC = $O(N^3)$

SC = $O(1)$

→ $O(N^3)$

sum of subarray → prefix sum

i — j $P[j] - P[i-1] = 0$

⇒ $P[j] = P[i-1]$

Case 1 → $P[i] = 0$ ⇒ Ans = true ✓

2 → $P[j] = P[i-1]$ repeating value in P[] ✓

A = [2 ⁰ 2 ¹ 1 ² -3 ³ 4 ⁴ 3 ⁵]

P = [2 4 5 2 6 9]
 0 3

$P[0] = A[0]$

if ($P[0] == 0$) return true ✓

hs.add(P[0])

for i → 1 to (N-1) {

A = [2 3 -5 ...]

P → 2 5 0

```

    P[i] = P[i-1] + A[i]
    if (P[i] == 0) return true
    if (hs.contains(P[i])) return true
    hs.add(P[i])
}
return false

```

$TC = \underline{O(N)}$ $SC = \underline{O(N)}$

Q → Find the count of subarrays with sum 0.

```

cnt = 0
P[0] = A[0]
if (P[0] == 0) cnt++
hs.add(P[0])
for i → 1 to (N-1) {
    P[i] = P[i-1] + A[i]
    if (P[i] == 0) cnt++
    if (hs.contains(P[i])) cnt++
    hs.add(P[i])
}
return cnt

```

$TC = \underline{O(N)}$ $SC = \underline{O(N)}$

H.W → Find count of subarrays
with sum K.
