

Lab1

Problem 1. Knapsack Optimization Problem

Please find attached java code. Problem1.java

```
import java.util.Arrays;
public class Problem1 {
    static int[] binaryDigits;

    public static void knapsack(int n, String[] s, int[] w, int[] v, int W){
        int solutionMaxWeight = 0;
        int solutionMaxValue = 0;
        String[] solutionItems = new String[n];

        int powerOfTwo = (int) Math.pow(2, n);
        System.out.println(powerOfTwo);

        for (int decimal_number = 1; decimal_number < powerOfTwo; decimal_number++) {

            System.out.print(binaryConversion(decimal_number, 0));
            System.out.print(Arrays.toString(binaryDigits));

            int sumWeight = 0;
            int sumValue = 0;

            for (int j=0; j<n; j++) {
                sumWeight += binaryDigits[j]*w[j];
                sumValue += binaryDigits[j]*v[j];
            }

            if (sumWeight<=W){
                if (sumValue>solutionMaxValue) {
                    solutionMaxWeight = sumWeight;
                    solutionMaxValue = sumValue;
                    for (int i=0; i<n; i++){
                        if (binaryDigits[i]==1) solutionItems[i]=s[i];
                        else solutionItems[i]=" ";
                    }
                }
            }
            System.out.print(" , " + sumWeight);
            System.out.println(" , " + sumValue);
        }

        System.out.println("Solution: Value=" + solutionMaxValue + " Weight = " + solutionMaxWeight);
        System.out.println(Arrays.toString(solutionItems));
    }
}
```

```

public static void main(String args[]) {

    int n = 6; // Please change item number here
    int maxWeight = 60; // maximum weight
    String[] items = new String[]{ "#1", "#2", "#3", "#4", "#5", "#6", "#7", "#8", "#9", "#10"};
    int[] weightArray = new int[]{ 10, 21, 13, 24, 15, 21, 8, 17, 6, 3};
    int[] valueArray = new int[]{ 13, 17, 12, 5, 19, 4, 25, 30, 7, 22 };

    binaryDigits = new int[n];
    knapsack(n, items, weightArray, valueArray, maxWeight);

}

// Decimal to binary conversion using recursion
static int binaryConversion(int decimal_number, int i) {

    if (decimal_number == 0) {
        if (i < binaryDigits.length) binaryDigits[i] = 0;
        return 0;
    } else {
        {
            binaryDigits[i] = decimal_number % 2;
            return (decimal_number % 2 + 10 * binaryConversion(decimal_number / 2, i + 1));
        }
    }
}
}

```

Problem 2. Greedy Strategies

1. **Try arranging S in increasing order of weight.** Can you invent other values for S, v[], w[], W for which this strategy will not give a correct answer?
For example: S={3, 1, 2}, v[]={1, 3, 4}, w[]={1, 2, 4}, W=5 does not give a correct answer. I don't think this approach is a greedy strategy to solve the problem.
2. **Try arranging S in decreasing order of value.** Can you invent other values for S, v[], w[], W for which this strategy will not give a correct answer?
Again: S={2, 1, 3}, v[]={4, 3, 1}, w[]={1, 2, 4}, W=5 does not give a correct answer.
3. **Try arranging S in decreasing order of value per weight.** Can you invent other values for S, v[], w[], W for which this strategy will not give a correct answer?
Again: S={1, 3, 2}, v[]={3, 1, 4}, w[]={2, 1, 4}, W=5 does not give a correct answer.

Problem 3.

1. It is possible that an optimal solution will not make use of item s_{n-1}
 $S=\{1, 3, 2\}, \quad v[]=\{3, 2, 1\}, \quad w[]=\{4, 1, 2\}, \quad W=5$
2. S_0' can be solution for smaller knapsack problem. Because S_0 was the solution for the former and weight restriction is reduced the same amount of w_{n-1}
