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function [ D , Ksis] = Solver_v2( Cor,Pos,R,E,dofConstraints,P,nel,ndof)
%UNTITLED Summary of this function goes here
% Detailed explanation goes here

% Here we define the position of the Gauss points in intrinsic co-ordinates
%for the 2x2x2 Gauss integration that must be performed to calculate each
%elements stiffness matrix

l=1;
gpoint(1)=-0.577350269189626;
gpoint(2)=0.577350269189626;
for k=1:2
    for j=1:2
        for i=1:2
W(l,:)= [gpoint(i),gpoint(j),gpoint(k)];
l=l+1;
        end
    end
end
%-----|

clear l i j k;

tic
% Preallocate Variables

pxn=zeros(8); % Will hold global x coordinate of each of the nodes in el.
pyn=zeros(8);
pzn=zeros(8);
A=zeros(6,24,nel); % Array holding strain displacement matrices for each el.
K(24,24,nel)=0; % Array holding all element stiffness matrices

%__Element Stiffnes Matrix Calculation_____
for s=1:nel;

% Assign the pxn,pyn,pzn. pxn(local node #)=position of node
for u=1:8
pxn(u) =Cor(Pos(s,u),1); %x(u)
pyn(u) =Cor(Pos(s,u),2); %y(u)
pzn(u) =Cor(Pos(s,u),3); %z(u)

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end
clear u

% find e n j which are intrinsic co-ordinates of gauss points e(i) is e
% co-ordinate of ith Gauss point
for i=1:8;

e=W(i,1);
n=W(i,2);
J=W(i,3);

% Call to fundction that returns the Jacobian for transformation between
% intrinsic and global co-ordinates and the derivatives of the shape
% functions with respect to global co-ordinates Hx,Hy,Hx at teh ith Gauss
% point
[Jacobi,Hx,Hy,Hx]=AconnectH8(pxn,pyn,pzn,e,n,J);

% Generate the strain displacement matrix for the element
for f=1:8;
A(:,3*(f-1)+1,s)= [Hx(f); 0 ; 0 ; Hy(f); 0 ; Hz(f)];
A(:,3*(f-1)+2,s)= [ 0 ; Hy(f) ; 0 ; Hx(f) ; Hz(f); 0 ];
A(:,3*(f-1)+3,s)= [ 0 ; 0 ; Hz(f); 0 ; Hy(f); Hx(f)];
end

% Gauss integration is performed upon looping over all i
K(:, :, s)=K(:, :, s)+det(Jacobi)*A(:, :, s) '*E*A(:, :, s);

end

end
clear i f
%-----

%_____Assemble System Stiffness Matrix_____
% This code assembles the vectors a b c which hold the indices and values
% of the non-zero elements of the system stiffness matrix.

l=0;

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for n=1:nel;
    for i=1:24; % n.b 24 degrees of freedom in each element
        for j=1:24;

            if K(i,j,n) ~=0
                l=l+1;

                a(l)=R(n,j);
                b(l)=R(n,i);
                c(l)=K(i,j,n);

            end

        end%
    end%
end%-----|
%Ksis:Global system stiffness matrix
clear n i j

%Use vectors a b c to generate a sparse matrix
Ksis=sparse(a,b,c);

% Apply Essential Boundary Conditions

bcwt=trace(Ksis)/24; % bcwt is used to ensure matrix is properly scaled

P =P'- Ksis(:,dofConstraints(:,1))*dofConstraints(:,2);
Ksis(:,dofConstraints(:,1)) = 0;
Ksis(dofConstraints(:,1),:) = 0; % Here setting rows and columns correspo
% nding to constrained dofs to zero
Ksis(dofConstraints(:,1),dofConstraints(:,1)) = ...
    bcwt*speye(length(dofConstraints(:,1)));
P(dofConstraints(:,1)) = bcwt*dofConstraints(:,2); % These two lines make
% sure we haven't changed the system of linear equations in doing so.

%n.b both rows and columns corresponding to constrained dofs are set to zer
%o. Not stricly neccessary but maintains symmetry -> faster solution.

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%Solve for displacements D using Cholesky Decomposition. The \ operator  
%recognises sparse symmetric matrices and optimises accordingly.
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D = Ksis\P;
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end
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Error using Solver_v2 (line 33)  
Not enough input arguments.
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