

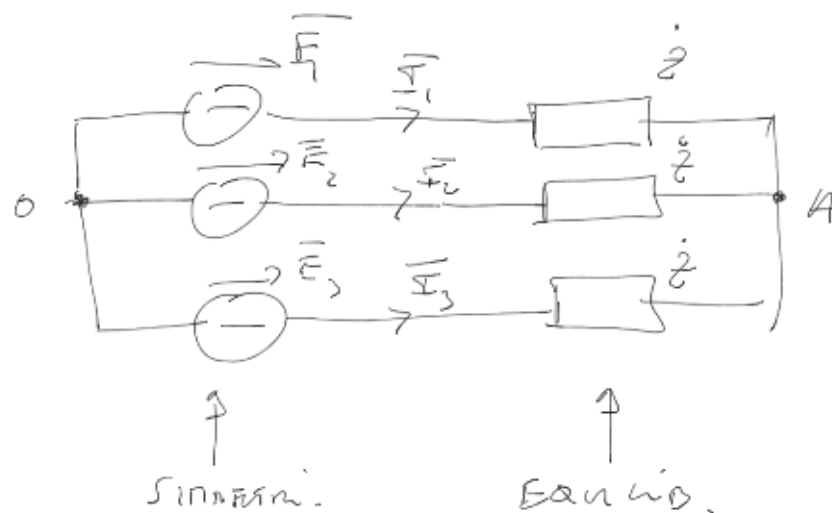
Lezione 29



$$|\vec{P}_1| = \frac{1}{2} V_{n1} \vec{I}_{n1} = |\vec{P}_2| = \frac{1}{2} V_{n2} \vec{I}_{n2}$$

$$V_{n1} \gg V_{n2}$$

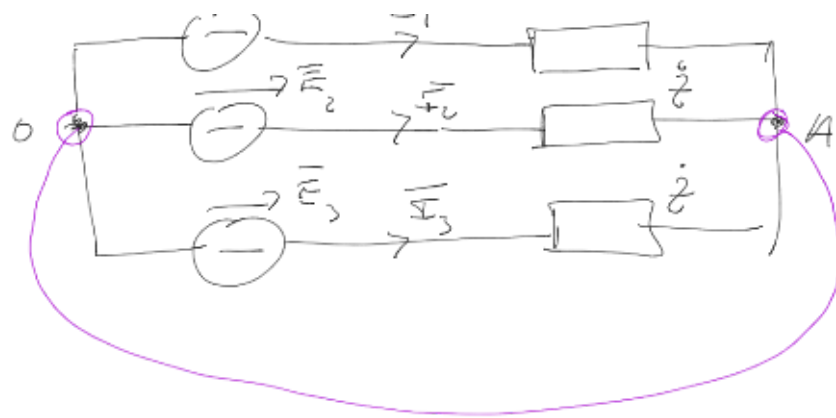
UNICITÀ DEL CENTRO STELLA



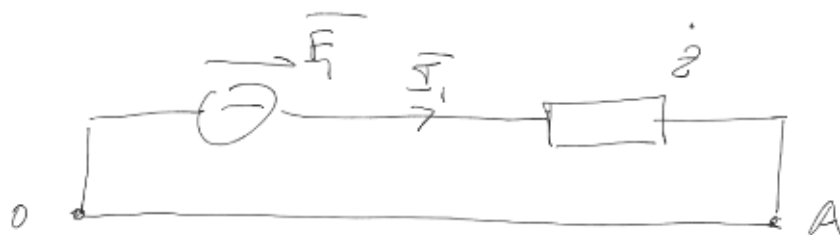
$$V_{OA} = 0$$

POSSIAMO SEPARARE IL SISTEMA TRIFASE IN TRE SISTEMI MONOFASE INDIPENDENTI

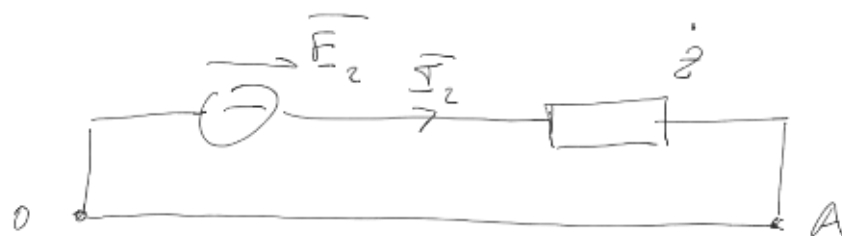
$$\vec{E} \quad \vec{Z} \quad \vec{I}$$



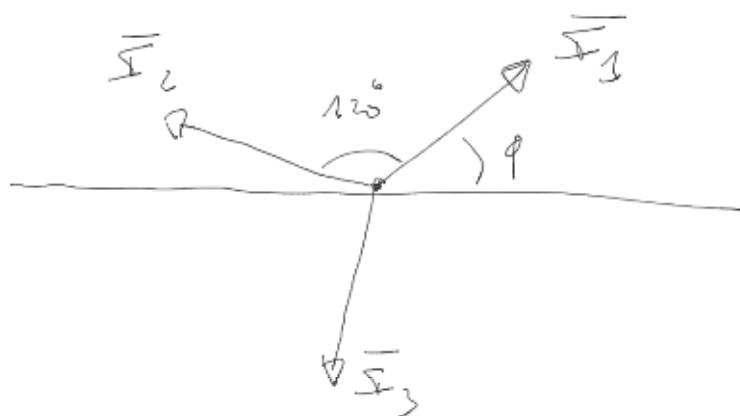
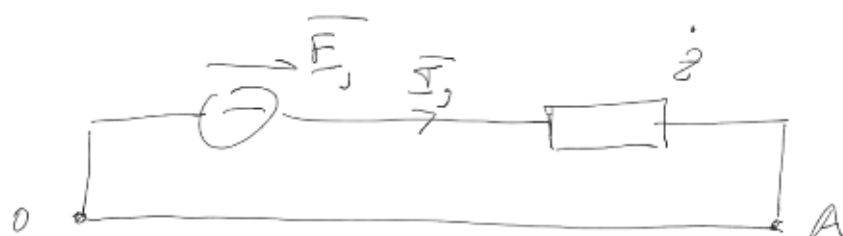
(1)



(2)



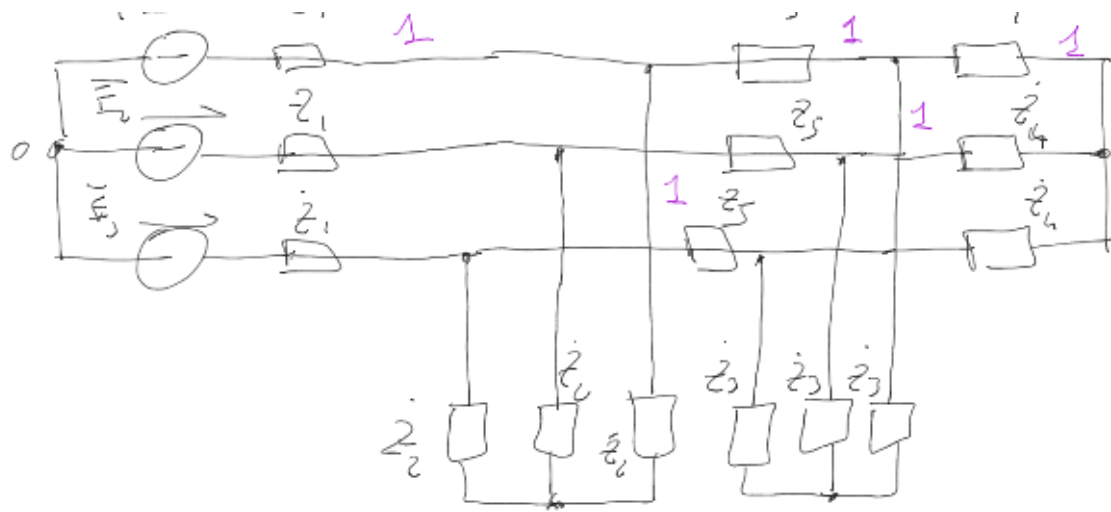
(3)



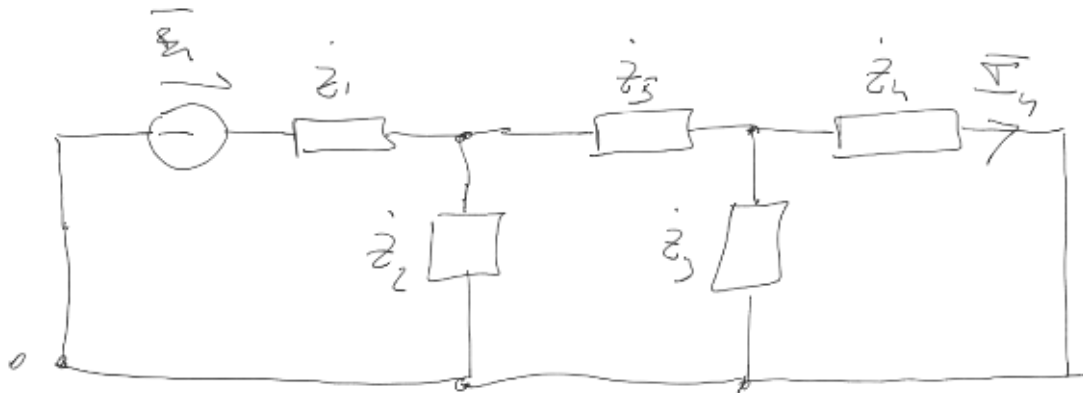
Esercizio

$\vec{E}_1 \rightarrow \vec{z}_1$

$\vec{E}_2 \rightarrow \vec{z}_2$

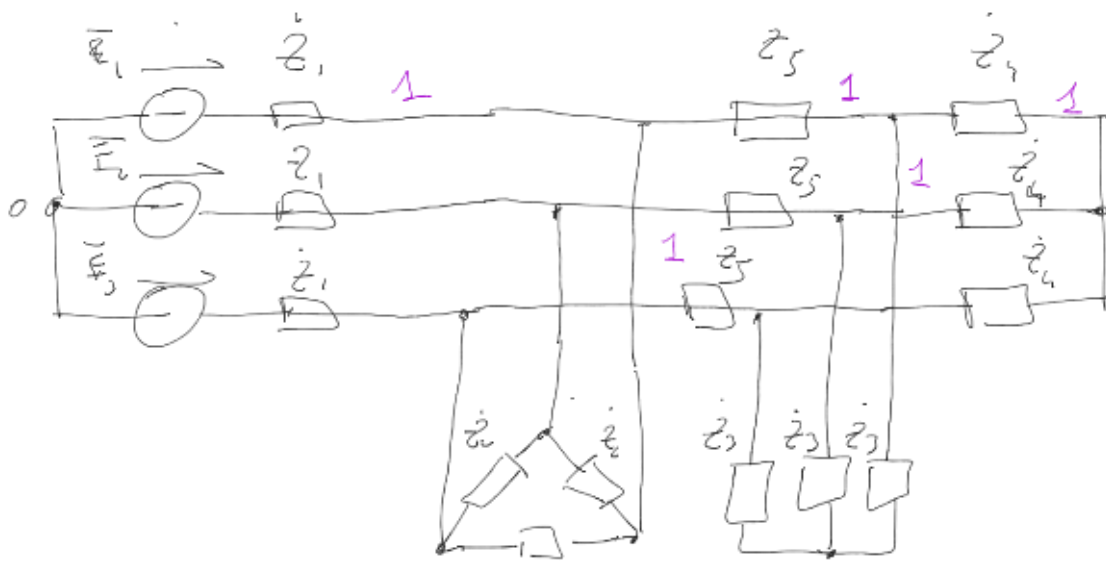


IPOTESI di GEN. SIMMETRICO E CARIC EQUIVARIANTI



AD ESEMPIO DI CALCOLO LA \dot{I}_L

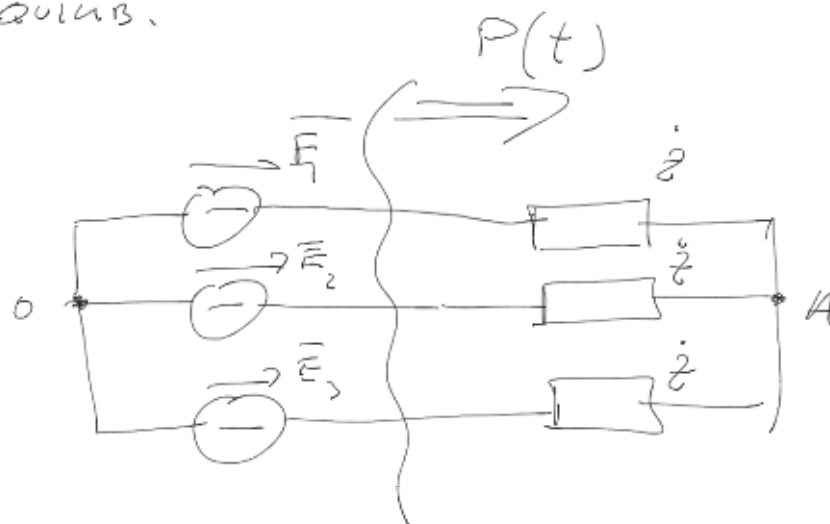
SE SONO PRESENTI CARICHI A TRIANGOLO POSSO TRASF. IN STELLA.





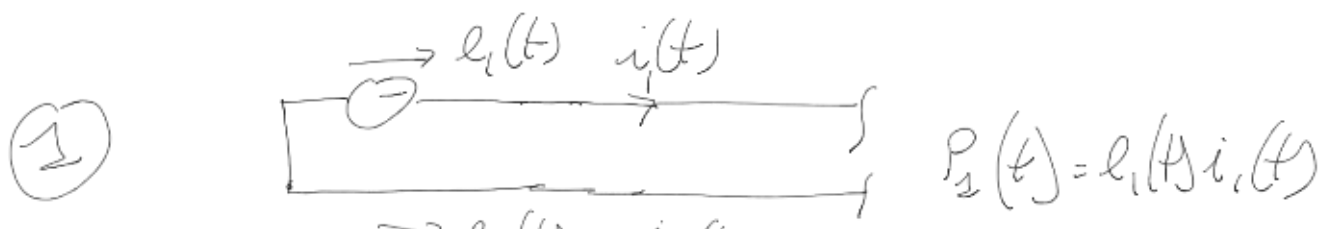
LA TRASFORMAZIONE STELLA-TRIANGOLO SULL'E
INDEPENDENTE È LA STESSA DI QUELLA SULL'E RISTENZE

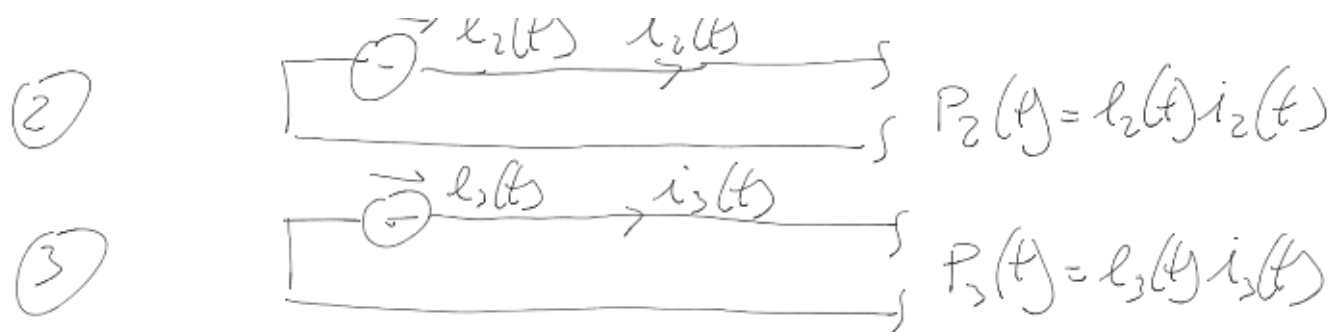
POTENZA ISTANTANEA NEI SISTEMI TRIFASE
SINUS-ECUilib.



$$P(t) = P_1(t) + P_2(t) + P_3(t)$$

DOVE $P_1(t)$, $P_2(t)$, $P_3(t)$ SONO RISPETTIVAMENTE
LE POTENZE ISTANTANEE DI $i_1(t)$, $i_2(t)$, $i_3(t)$





$$l_1(t) = E_n \sin(\omega t + \varphi_e)$$

$$i_1(t) = \frac{E_n}{\eta} \sin(\omega t + \varphi_i)$$

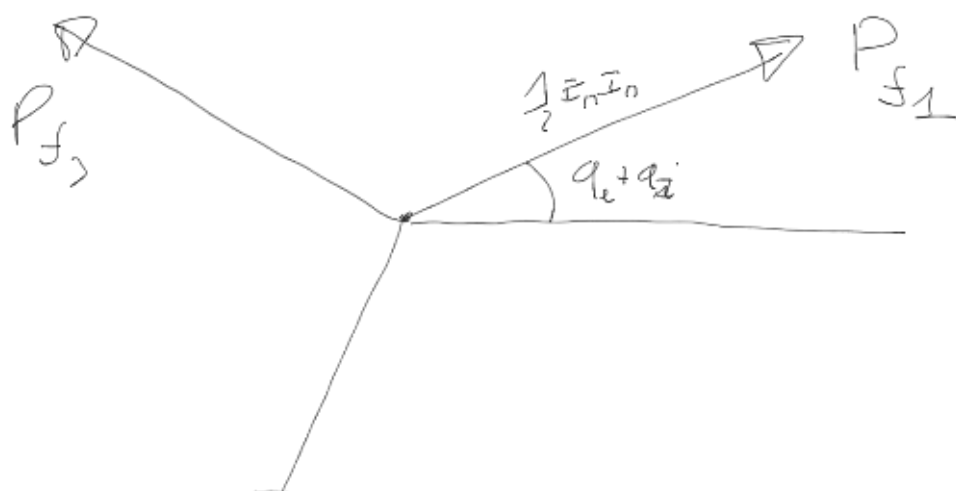
$$P_1(t) = l_1(t) i_1(t) = \frac{1}{2} E_n I_n \cos(\overbrace{\varphi_e - \varphi_i}^{\varphi}) + \underbrace{\frac{1}{2} E_n I_n \cos(2\omega t + \varphi_e + \varphi_i)}_{P_{f1}}$$

$$P_2(t) = l_2(t) i_2(t) = \frac{1}{2} E_n I_n \cos(\varphi_e - \varphi_i) + \underbrace{\frac{1}{2} E_n I_n \cos(2\omega t + \varphi_e + \varphi_i + \frac{4}{3}\pi)}_{P_{f2}}$$

$$P_3(t) = l_3(t) i_3(t) = \frac{1}{2} E_n I_n \cos(\varphi_e - \varphi_i) + \underbrace{\frac{1}{2} E_n I_n \cos(2\omega t + \varphi_e + \varphi_i + \frac{8}{3}\pi)}_{P_{f3}}$$

$$P(t) = P_1 + P_2 + P_3 = 3 \frac{1}{2} E_n I_n \cos(\varphi) + 0$$

SOMMA DELLA POTENZA FLUTTUANTE

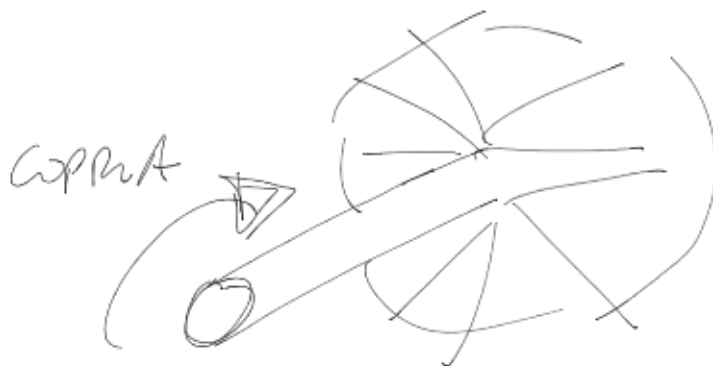
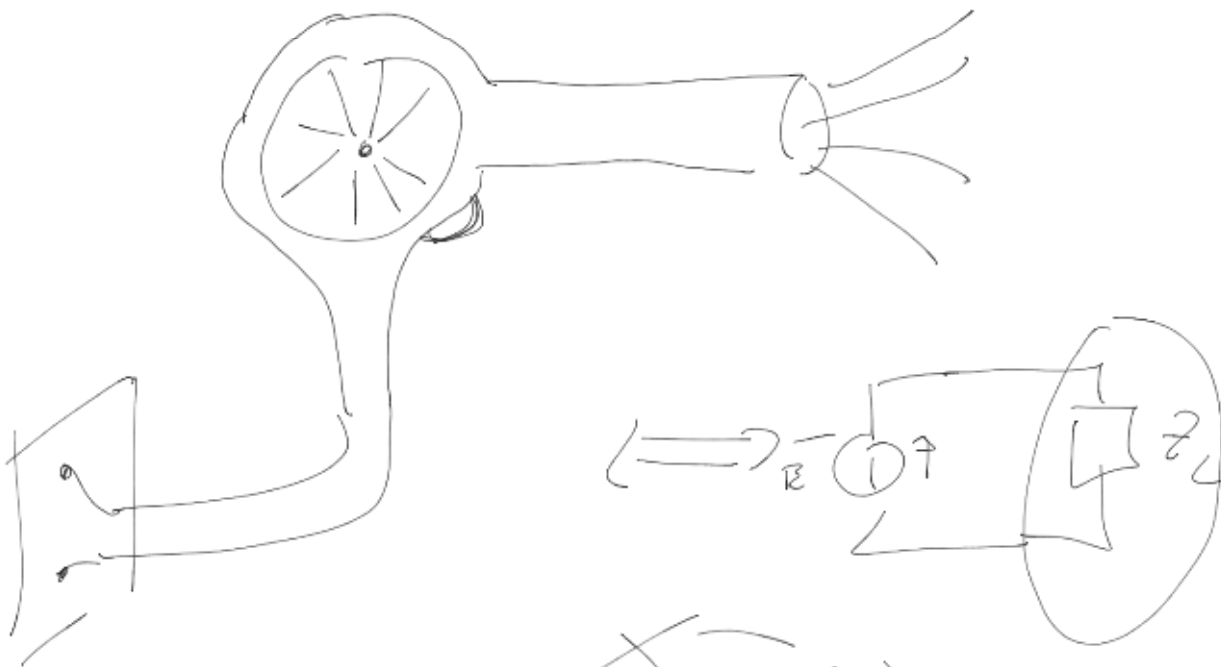


$$V_{P_{f_2}}$$

CHE CORRISPONDE AD UNA TERNA SINDRICA
LA CUI SODD. DEVE TRE COMPONENTI DA θ

$$P(t) = 3 P_e$$

$$P_e = \frac{1}{2} E_m I_m \cos(\phi)$$



Pr. 1

