Principal Component Analysis- Performance Assessment

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Data Mining II – D212

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Part I: Research Question

A1.

What is the optimal number of dimensions(principal components) needed for the telecommunications dataset?

A2.

There are 13 continuous variables in the data set the goal of this analysis is to reduce the number of variables for the sake of simplicity at the cost of accuracy.

Part II: Method Justification

B1.

PCA reduces the dimensions of a data set in order to find the principal components. The magnitude of the covariances indicate the strength of the correlation. The expected outcomes of PCA are dimension reduction and feature selection. The principal components with high eigenvalues indicate the feature selection. Then using dimension reduction, we can reduce the initial number of variables to the number of chosen principal components.(DataCamp. (n.d.))

The covariance of the initial variables are then used to calculate the principal components. A covariant matrix is created using these covariances then getting the eigenvalues from this matrix it is then used to get the principal components. These components are new variables that are linear combinations of the old variables.(Builtin. (n.d.))

B2.

One assumption of PCA is linearity, it assumes a linear relationship between variables.(Mueller, F. (n.d.).)

Part III: Data Preparation

C1.

The thirteen continuous variables are 'Lat', 'Lng', 'Population', 'Children', 'Age', 'Income', 'Outage_sec_perweek', 'Email', 'Contacts', 'Yearly_equip_failure', 'Tenure', 'MonthlyCharge', and 'Bandwidth_GB_Year'.

C2.

```
df = pd.read_csv('churn_clean.csv')
numeric_list = list(df.select_dtypes(include = {'int64','float64'}))
del numeric_list[:2]
del numeric_list[13:]
pca_df = df[numeric_list]
scaler = StandardScaler()
pca_norm = scaler.fit_transform(pca_df)
pd.DataFrame(pca_norm).to_csv('standarized_churn.csv', index=False)
```

Above is the code used to Standardize the data set. The new file is called standarized_churn.csv.

Part IV: Analysis

D1.

	PC 1	PC 2	PC 3	PC 4	PC 5	PC 6	PC 7	PC 8	PC 9	PC 10	PC 11	PC 12	PC 13
Lat	- 0.02 3161	0.00 7911	- 0.00 1230	0.01 4244	0.00 1860	0.00 4185	0.00 5811	- 0.02 0020	0.00 4283	0.01 7665	0.70 5211	0.04 0456	0.70 6719

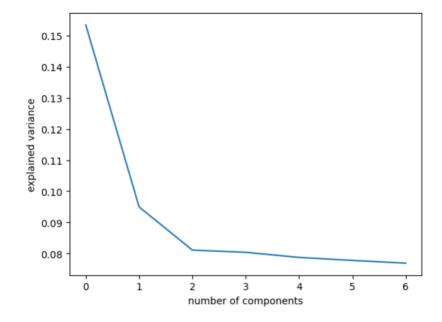
	PC 1	PC 2	PC 3	PC 4	PC 5	PC 6	PC 7	PC 8	PC 9	PC 10	PC 11	PC 12	PC 13
Lng	- 0.71 4010	0.18 0879	0.65 3439	- 0.01 4267	0.05 2795	- 0.05 4602	0.00 9174	0.15 2355	0.03 1043	- 0.00 7070	- 0.00 8913	- 0.00 4500	- 0.01 0435
Population	- 0.03 1715	- 0.28 5753	0.15 1916	0.44 7882	- 0.44 3537	0.19 5742	- 0.24 9550	- 0.09 2711	- 0.44 7906	0.15 3686	0.00 6569	- 0.40 4228	0.00 8289
Children	0.10 9414	- 0.73 6871	0.32 2012	- 0.46 4670	0.22 7235	- 0.04 1772	- 0.12 6214	- 0.14 4998	0.10 8875	0.06 3449	0.02 6652	- 0.13 6041	- 0.00 2713
Age	- 0.09 4872	0.34 4620	- 0.11 9517	- 0.10 7498	0.43 6759	0.31 2779	- 0.45 5981	- 0.35 3186	0.01 1245	0.42 0468	0.00 9197	- 0.21 8356	- 0.02 1522
Income	- 0.03 0887	- 0.08 7695	0.09 8791	0.13 0597	- 0.09 6321	0.10 0371	0.59 7523	- 0.40 3463	0.08 2442	0.59 2380	- 0.03 6725	0.25 7205	- 0.01 2558
Outage_sec _perweek	- 0.01 0719	- 0.05 2349	0.05 3682	0.03 4812	- 0.18 8399	0.77 3549	0.05 1915	0.00 3835	0.51 9791	- 0.29 0766	- 0.00 2190	- 0.04 1495	0.00
Email	- 0.02 0375	- 0.08 6499	0.07 9161	- 0.06 5531	0.09 3484	0.33 5467	- 0.18 4658	- 0.12 5375	- 0.51 0974	- 0.19 4665	- 0.03 8433	0.71 4123	0.00 2926
Contacts	0.09 0273	- 0.17 2285	- 0.02 7392	0.19 2459	0.34 2892	0.24 6663	0.05 7056	0.76 0622	- 0.05 2695	0.39 7088	0.00 3806	0.06 0669	0.00 2798
Yearly_equi p_failure	0.01 8619	- 0.15 1301	0.05 5304	0.43 7471	- 0.08 3596	- 0.27 5852	- 0.51 5406	- 0.05 2146	0.49 4601	0.14 3419	- 0.03 7339	0.40 5280	0.00 5673
Tenure	0.05 3958	- 0.11 2280	0.10 0818		0.61 4892	- 0.03 3742	0.22 3304	- 0.24 7985	- 0.02 8194	- 0.37 6943	0.00 5491	- 0.14 4376	- 0.00 6102
MonthlyCh arge	0.67 4376	0.37 5138	0.63 1729	- 0.01 1794	- 0.03 7729	0.00 6645	- 0.03 4155	0.02 7357	- 0.01 1878	0.03 8880	0.01 0393	- 0.00 6021	0.00 9429
Bandwidth_ GB_Year	0.00 1077	0.00 0788	- 0.00 0070	- 0.02 1597	0.02 2360	- 0.00 0941	0.00 0271	0.00 0274	- 0.00 0947	- 0.00 0083	- 0.70 5254	- 0.04 57	0.70 6791

D2.

Using the Kaiser criterion, we eliminate PCs with an eigenvalue less than 1 all the eigenvalues are shown in the screen shot below.

)]:		Eigenvalues
	PC 1	1.99
	PC 2	1.23
	PC 3	1.05
	PC 4	1.04
	PC 5	1.02
	PC 6	1.01
	PC 7	1.00
	PC 8	0.99
	PC 9	0.98
	PC 10	0.96
	PC 11	0.96
	PC 12	0.74
	PC 13	0.01

Using this table, we see that we can reduce the dimensions to 7 eliminating PC8 – PC13. Below is the resulting scree plot:



D3.

Each of the principal components has a variance that is listed in the table below:

	Variance
PC 1	15.34
PC 2	9.49
PC 3	8.11
PC 4	8.04
PC 5	7.87
PC 6	7.77
PC 7	7.69

D4.

The total variance being the sum of each variance in D3 is 64.31.

D5.

The results of the PCA show we can group the 13 variables into 7 more manageable groups. The table below highlights which variables have the strongest contributions to the principal component. Since the highlighted numbers mean they have a strong linear combination they are also correlated, and these highlighted

numbers also have a strong impact on their respective PC. (BRUCE, P. A. (2020)) For example, Lng and MonthlyCharge have a strong impact on PC 1, so they also have a strong linear combination and are correlated. The optimal number of dimensions for this data set is 7.

	PC 1	PC 2	PC 3	PC 4	PC 5	PC 6	PC 7
Lat	0.023161	0.007911	0.001230	0.014244	0.001860	0.004185	0.005811
Lng	- <mark>0.714010</mark>	0.180879	0.653439	- 0.014267	0.052795	- 0.054602	0.009174
Population	0.031715	- 0.285753	0.151916	0.447882	- 0.443537	0.195742	- 0.249550
Children	0.109414	- 0.736871	0.322012	- 0.464670	0.227235	- 0.041772	- 0.126214
Age	0.094872	0.344620	- 0.119517	- 0.107498	0.436759	0.312779	- 0.455981
Income	- 0.030887	- 0.087695	0.098791	0.130597	- 0.096321	0.100371	0.597523
Outage_sec_perweek	- 0.010719	- 0.052349	0.053682	0.034812	- 0.188399	0.773549	0.051915
Email	- 0.020375	- 0.086499	0.079161	- 0.065531	0.093484	0.335467	- 0.184658
Contacts	0.090273	- 0.172285	0.027392	0.192459	0.342892	0.246663	0.057056
Yearly_equip_failure	0.018619	- 0.151301	0.055304	0.437471	- 0.083596	- 0.275852	- 0.515406
Tenure	0.053958	- 0.112280	0.100818	0.565626	0.614892	- 0.033742	0.223304
MonthlyCharge	0.674376	0.375138	0.631729	- 0.011794	- 0.037729	0.006645	0.034155
Bandwidth_GB_Year	0.001077	0.000788	0.000070	0.021597	0.022360	- 0.000941	0.000271

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