}

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Problem 1: Partition a Doubly Linked List

Consider the quicksort partition implementation for arrays in the lecture slides. Translate that partition function to operate on a doubly linked list. It takes pointers to the first and last nodes in the list and will return a pointer to the pivot node. There are several different ways of implementing such a partition function, but I want you maintain as much of the form of the original code as possible. Node definition on the right.

class Node {
public:
 int value;
 Node* next;
 Node* prev;
};

You may assume that partition will always be given a list with at least 2 Nodes. You can also assume that you have a function called swap that correctly swaps two integers. Recall that nodes in a linked list are at random addresses, so comparisons such as less-than or greater-than do not make sense in the context of linked lists.

```
Node* partition(Node *low, Node *high) {
    Node + DNode = low;
    int pivot = low -> value;
    bool low Before High = true;
    90 E
         while (low != high && low->value <= pivot) {
            low = low -> next;
        if ( low == high && low -> value <= pivot) {
            low = low -> next;
            low Before High = false;
       while ( high -> value > pivot ) {
           if (low == high) {
              low Before High = false;
          high = high -> prev;
     if ( low Before High ) {
        swap ( low -> value, high -> value);
} while (lowBefore High);
Swap (pNode-> value, high -> value);
pNode = high;
return pNode;
```

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Problem 2: Recursion

a. Recall that we saw a version of a recursive power function in assignment 4. However, its implementation is not intuitive. Write a recursive function that computes base^{exp} (base raised to the power of exp) that is easier to understand. You may assume that exp is nonnegative. What is the Big-O of this function?

```
// Precondition: exp >= 0
int recursivePow(int base, int exp) {
   if ( exp == 0 ) {
      return 1;
   }
   return base * recursive Pow (base, exp-1);
```

b. Write a function powerThree that, given a non-negative number n, returns 3ⁿ (3ⁿ, or "3 raised to power n") recursively, assuming 3ⁿ is something that can be represented as an integer. Do not use a loop, and do not use the character '*' (multiply) anywhere in your code. What is the Big-O of this function?

```
// Precondition: n>=0
int powerThree(int n) {
   if (n == 0) {
      return 1;
   }
   int x = powerThree(n-1);
   return x + x + x;
```

when n < 83,333.33

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Problem 3: Big-O

a. Suppose Algorithm A and B perform the same task. For any given input size n, algorithm A executes in f(n)=0.003n² operations, and algorithm B executes f(n)=250n operations. Specifically, when does .. Alg. A performs better than Alg. B

Algorithm A perform better than B?

$$0.003n^{2} = 250n$$

$$0.003n^{2} = \frac{250n}{0.003n}$$

$$0.003n$$

$$0.003n$$

$$0.003n$$

Alg. A and Alg. B perform the same at intersection point

b. An algorithm that is O(n²) takes 10 seconds to complete when n=100. How long would you expect it to take when n=500?

$$(100)^2 = 10,000$$
 // 10s, so n = 100 is in ms
 $(500)^2 = 250,000 \text{ ms}$ // 250s

c. What is the Big-O of the following code segment:

d. What is the Big-O of the following function?

```
int gobidygoop(int n, int p) {
     int ac = 1;
     for (int i = 0; i < n; i++) { n (fixed)
          int k = p;
              while (k > 1) {
               k /= 4;
         }
    }
 }
```

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e. Consider the following pseudo code:

Get value for n Set the value of k to 1 ((fixed) While k is less than or equal to n Set the value of j to twice of k While j is greater or equal to 1 Print the value of j

Set the value of j to one half its former value;

Increase k by 1 n, k, i have type int so integer division is used What is the Big-O of this pseudocode? What does this print if n is 4?

log2 2n O(n logz

Output:

214216318421

Problem 5: Sorting

a. Fill out the following table or sorting properties, if there is no special condition for a particular case then leave it blank:

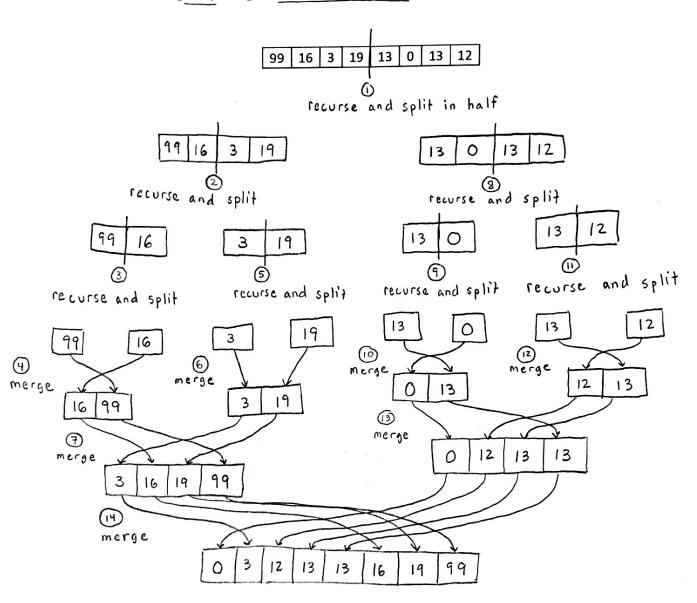
Sorting Algorithm	Selection	Insertion	Bubble	Quick	Merge
Average Complexity	O (n²)	0(n²)	O(n ²)	O(nlogn)	O(n logn)
Worse Complexity	O(n²)	O(n ²)	0(n²)	0 (n²)	O(nlogn)
Condition for Worse				input already or mostly sorted or in reverse order	
Best Complexity	0(n²)	0(n)	0(n)	O(nlogn)	O(nlogn)
Condition for Best		input already or mostly sorted	input already or mostly sorted		

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b. Sort the following array using the Mergesort algorithm. Show each recursive step, including the merge.

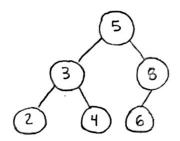


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Problem 6: Tree Traversal



a. Suppose we define an empty tree to have height 0. Draw a complete binary search tree with height 3 whose in-order traversal is 2,3,4,5,6,8. (3)



b. What is the post-order traversal of this tree?

2,4,3,6,8,5

c. What is the pre-order traversal of this tree?

5,3,2,4,8,6