# **CLUSTER**

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#### **NAME**

cluster - find clusters in a graph and augment the graph with this information.

### **SYNOPSIS**

cluster  $[-\mathbf{v}]$   $[-\mathbf{c}k]$   $[-\mathbf{c}k]$   $[-\mathbf{o}$  outfile ] [ files ]

# **DESCRIPTION**

**cluster** takes as input a graph in DOT format, finds node clusters and augments the graph with this information. The clusters are specified by the "cluster" attribute attached to nodes; cluster values are non-negative integers. **cluster** attempts to maximize the modularity of the clustering. If the edge attribute "weight" is defined, this will be used in computing the clustering.

# **OPTIONS**

The following options are supported:

- -Ck specifies a targeted number of clusters that should be generated. The specified number k is only a suggestion and may not be realisable. If k == 0, the default, the number of clusters that approximately optimizes the modularity is returned.
- -ck specifies clustering method. If k == 0, the default, modularity clustering will be used. If k == 1 modularity quality will be used.
- -o $\it outfile$  Specifies that output should go into the file  $\it outfile$ . By default,  $\it stdout$  is used.
- -v Verbose mode.
- -? Prints the usage and exits.

### **EXAMPLES**

Applying cluster to the following graph,

```
graph {
       1--2 [weight=10.]
       2--3 [weight=1]
       3--4 [weight=10.]
       4--5 [weight=10]
       5--6 [weight=10]
       3--6 [weight=0.1]
       4--6 [weight=10.]
gives
   graph {
         node [cluster="-1"];
         1 [cluster=1];
         2 [cluster=1];
         3 [cluster=2];
         4 [cluster=2];
         5 [cluster=2];
         6 [cluster=2];
         1 -- 2 [weight="10."];
         2 -- 3 [weight=1];
         3 -- 4 [weight="10."];
         4 -- 5 [weight=10];
         5 -- 6 [weight=10];
         3 -- 6 [weight="0.1"];
         4 -- 6 [weight="10."];
   }
```

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#### SEE ALSO

```
gvmap(1)
```

Blondel, V.D., Guillaume, J.L., Lambiotte, R., Lefebvre, E.: Fast unfolding of communities in large networks. Journal of Statistical Mechanics: Theory and Experiment (2008), P10008.