



# 2020 Programming Bootcamp

## Machine Learning in Natural Hazard Engineering

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## Outline

### **Part 1 Conventional Machine Learning**

Introduction to machine learning

Applications in Natural Hazard Engineering

Algorithms in Conventional Machine Learning

Software and Platforms

Demos

### **Part 2 Deep Learning**

Deep neural networks

Image Classification

Demo

# **Part 1**

# **Conventional Machine Learning**

## Supervised Learning

- Classification
- Regression

## Unsupervised Learning

- Clustering
- Dimension reduction

## Reinforcement Learning

- Decisions
- Robotics
- ...

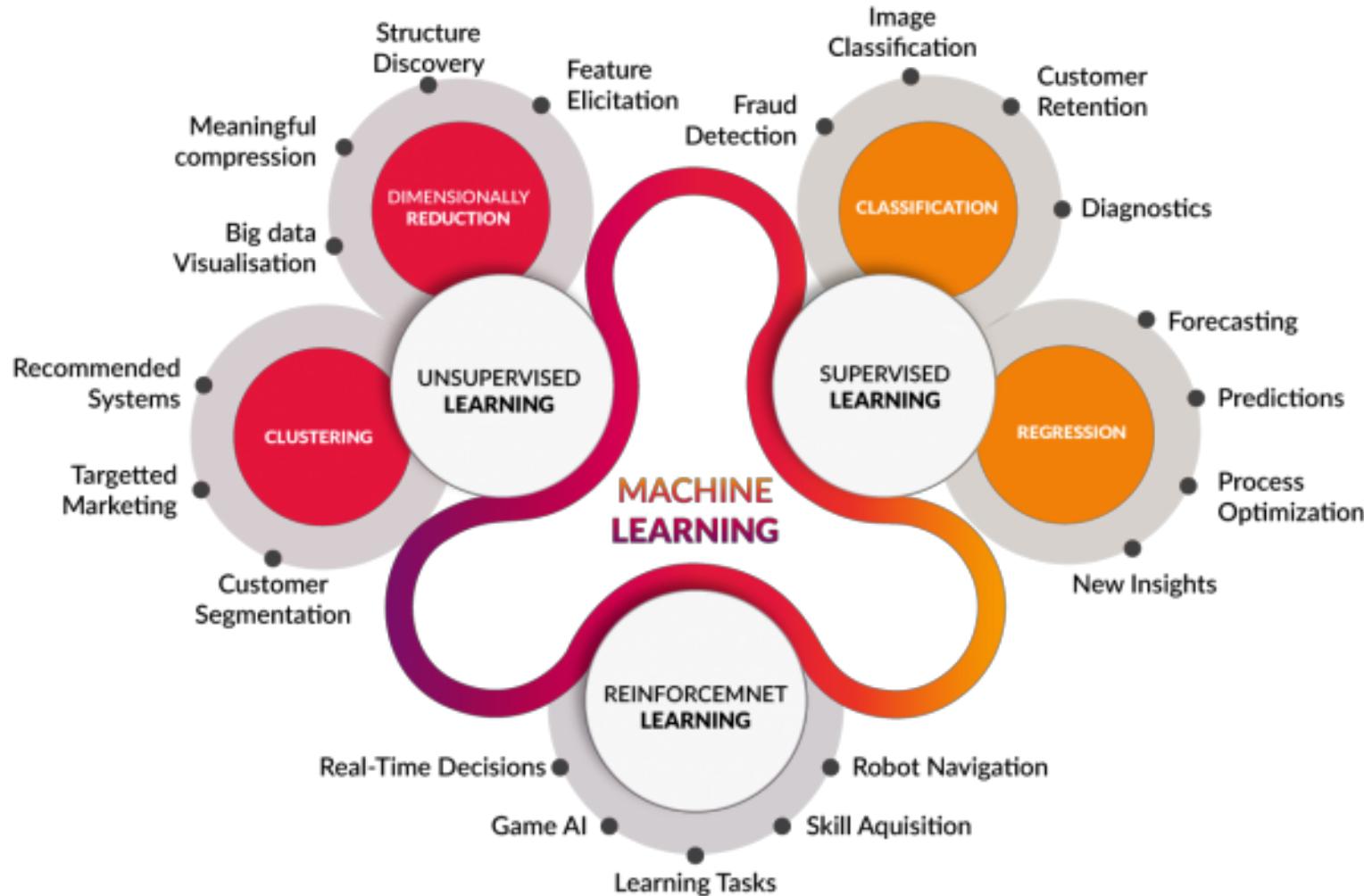


Image from ironhack

Fit a function:  $y=f(x)$

## Supervised Learning:

- Classification
- Regression

## Algorithms:

- Regressions
- Decision trees
- Support Vector Machines
- Linear discriminant analysis
- K-nearest neighbor algorithm
- Multilayer perceptron
- ...



x1	x2	x3	x4	x5	y
0.21	0.20	0.65	0.87	0.29	0.22
0.83	0.47	0.14	0.77	0.43	0.63
0.42	0.31	0.41	0.43	0.11	0.92
0.83	0.49	0.52	0.01	0.94	0.17
0.99	0.05	0.47	0.72	0.01	0.60
0.31	0.31	0.74	0.41	0.93	0.13
0.29	0.03	0.32	0.16	0.24	0.35
0.91	0.91	0.24	0.23	0.51	0.23
0.47	0.04	0.17	0.77	0.34	0.08
0.10	0.10	0.73	0.82	0.32	0.23
0.09	0.66	0.10	0.98	0.21	0.66
0.00	0.35	0.38	0.18	0.89	0.02

## Unsupervised Learning

- Clustering
- Dimension reduction

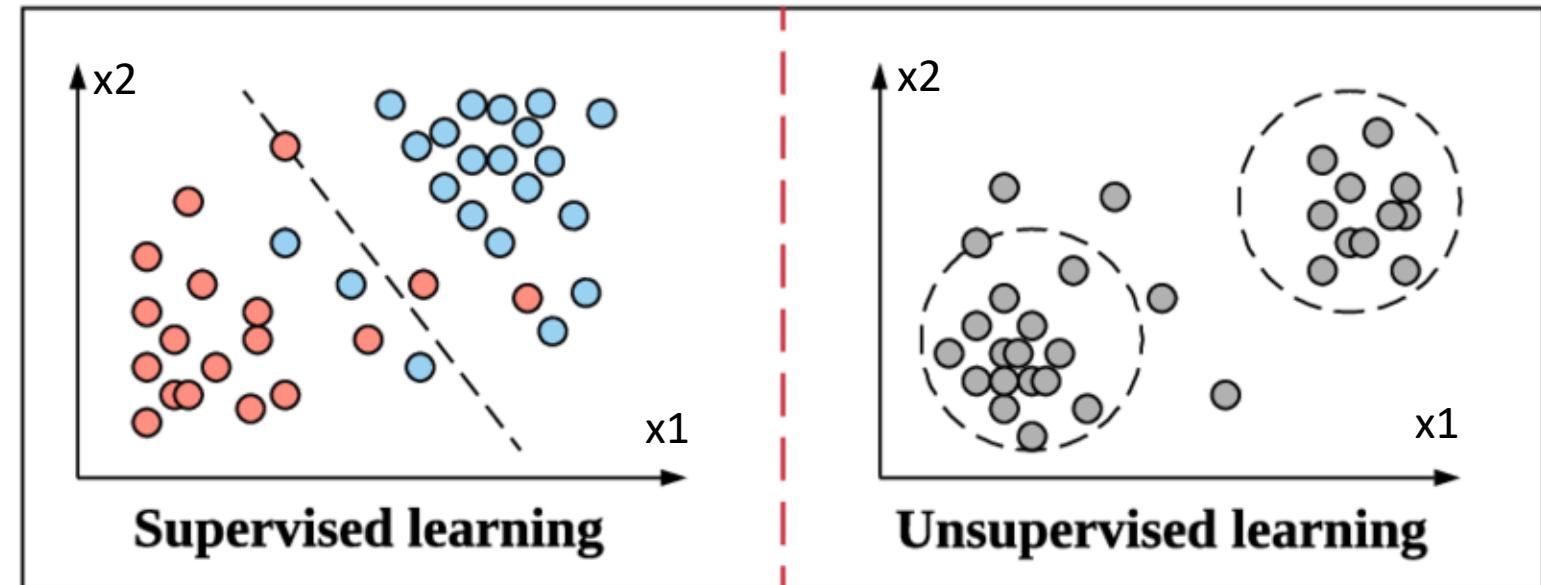
## Algorithms:

K-means

Principal component analysis

Autoencoder

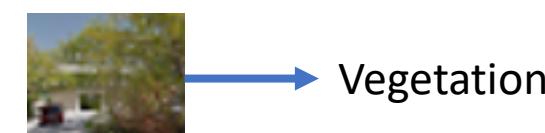
Generative adversarial networks



## Classification

Trained with **labeled data**

Can predict the class name



## Clustering

Trained with **unlabeled data**

Similar data points are grouped together



Group A

Group B

## Reinforcement Learning

- Decisions
- Robotics
- ...

## Algorithms:

Q-learning

SARSA

DQN

...

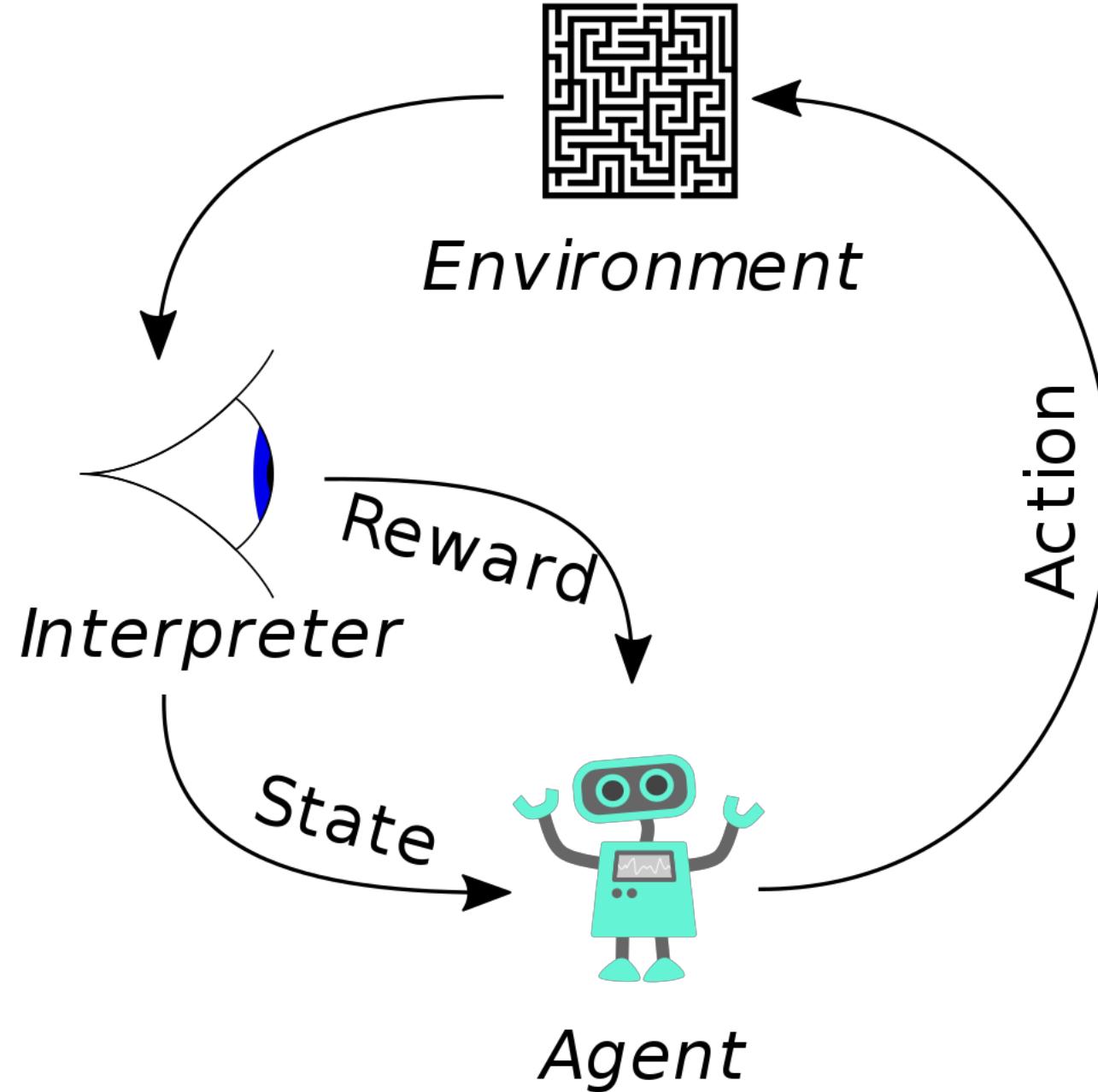
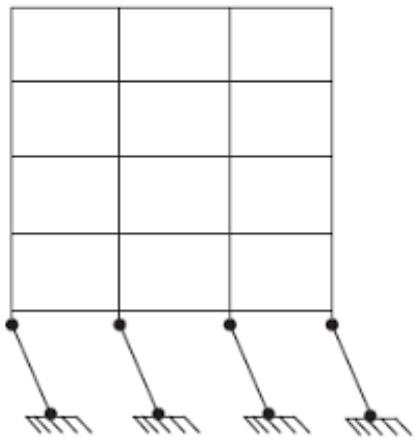
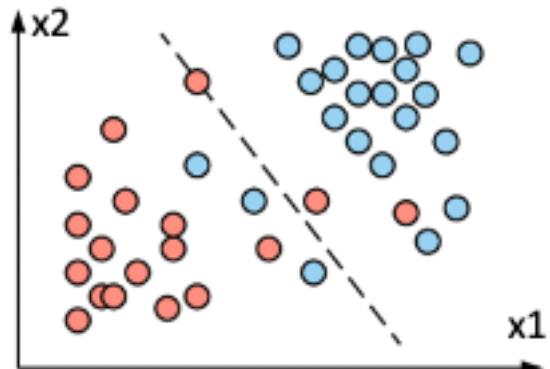


Image from wikipedia

# Applications in Natural Hazard Engineering

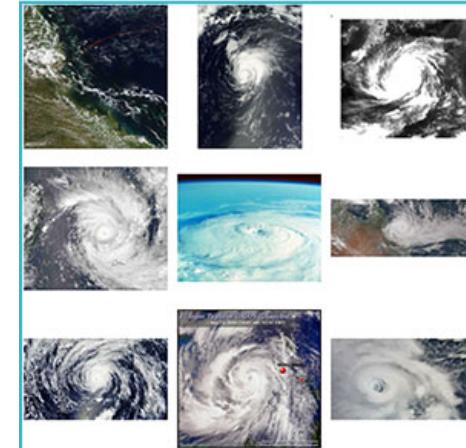


Physics-based simulation

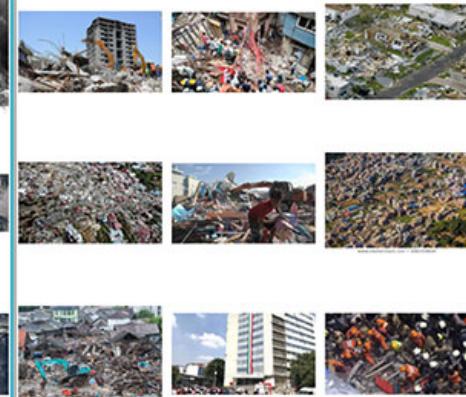


Statistical method (ML)

Cyclone/Hurricane



Earthquake



Flood



Wildfire



Image from Gautam Kumar

## Popular Algorithms in **Supervised Machine Learning** that are used in natural hazard engineering

Regression

Decision tree / Random forest

K-nearest neighbor

Support vector machines

Multilayer perceptron (Neural network)

...

**Keywords:**

**Data    Model    Training**

**Basic frame:**

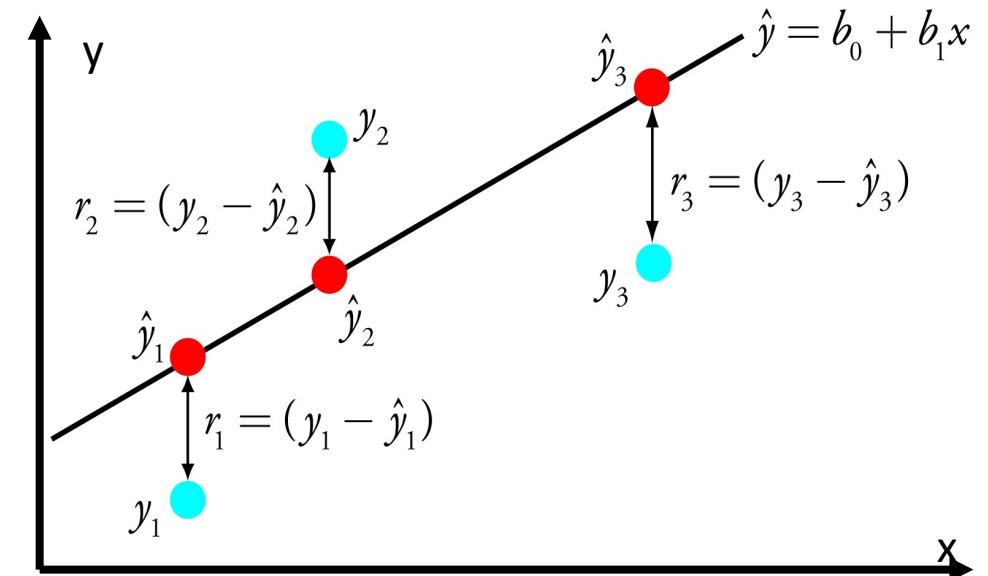
**Use data to set the parameters of a model to fit the labels.**

# Linear Regression

X	Y
0.1	0.05
0.2	0.3
0.4	0.2
$x_i$	?

Fit the relation by  
a **linear function**:

$$y = X\beta + \epsilon$$



Math:

Find **coefficient  $\beta$  and error  $\epsilon$**  for  
 $y = X\beta + \epsilon$   
that minimize the **residual**:

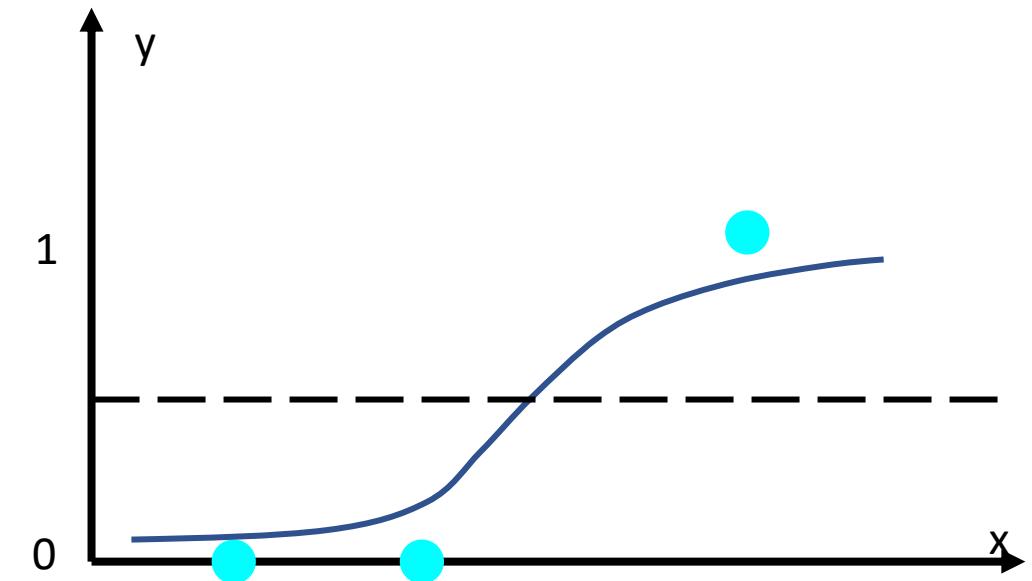
$$\mathcal{R} = \sum_1^n r_i^2$$

# Logistic Regression

x	y
0.1	0
0.2	0
0.4	1
$x_i$	?

Fit the relation by a **logistic function**:

$$P(y = 1|x) = \frac{1}{1+e^{-(\beta_0+\beta_1x)}}$$



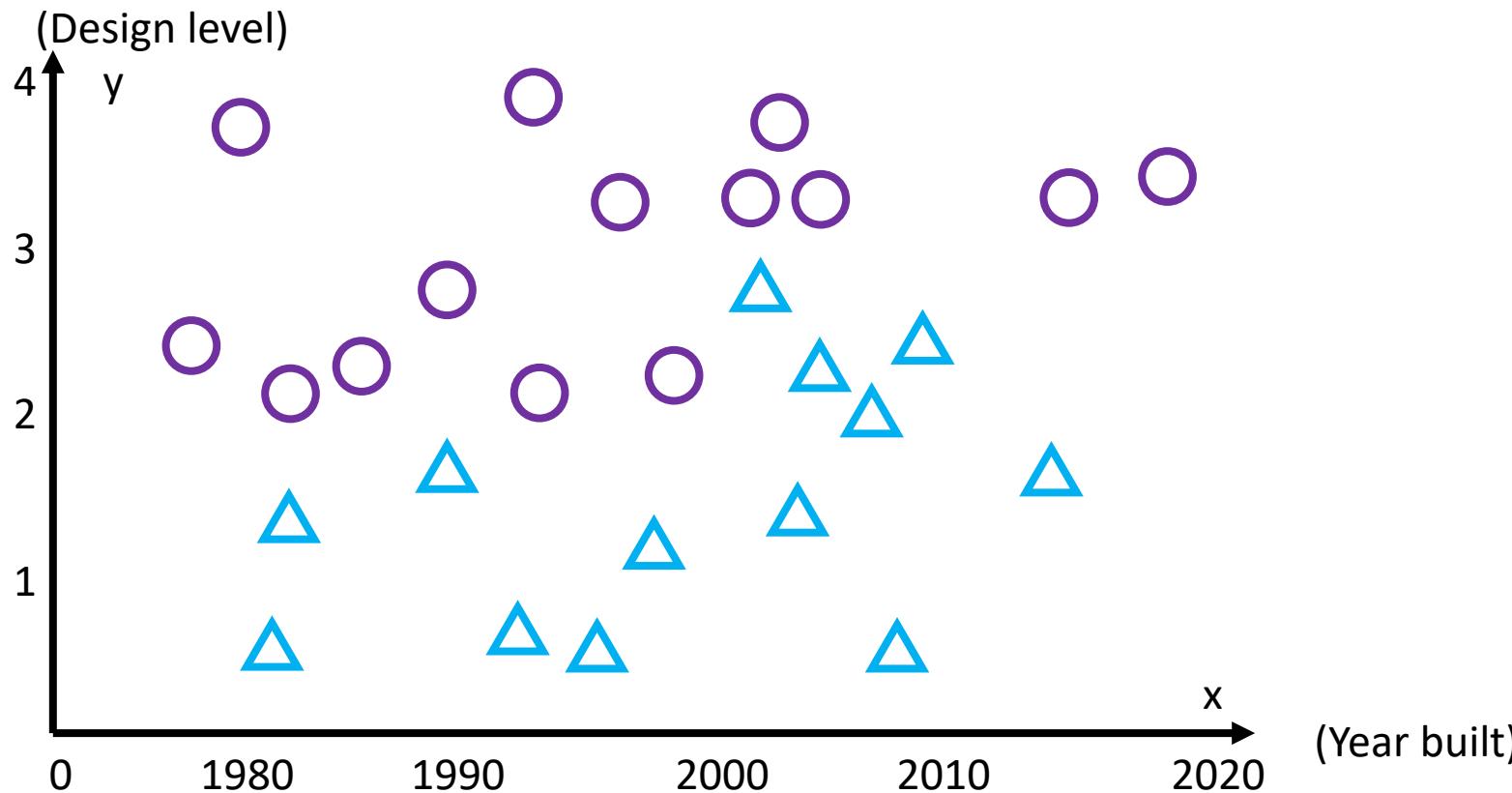
Math:

Find **coefficient  $\beta$**  for

$$P(y = 1|x) = \frac{1}{1 + e^{-(\beta_0+\beta_1x)}}$$

that minimize the residual between the prediction and the ground truth

## Decision Tree

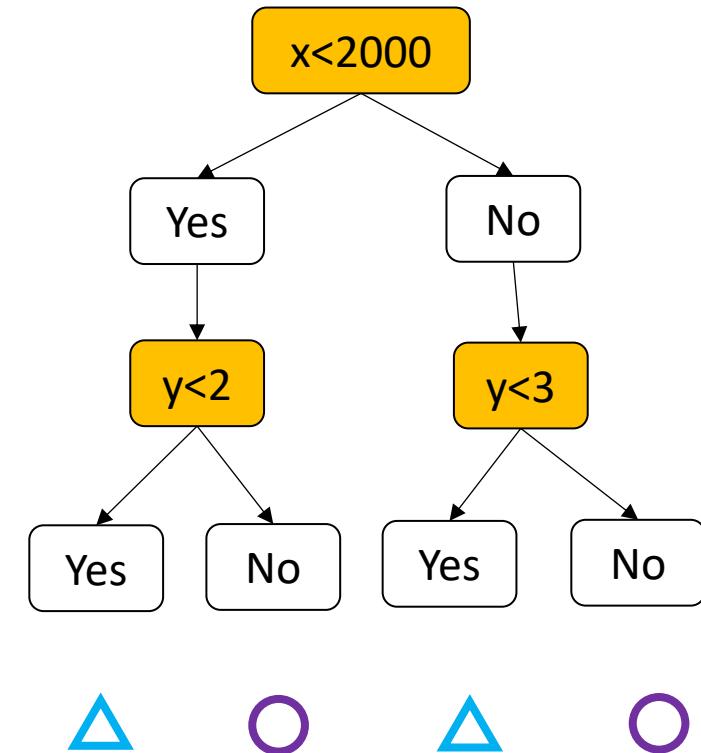
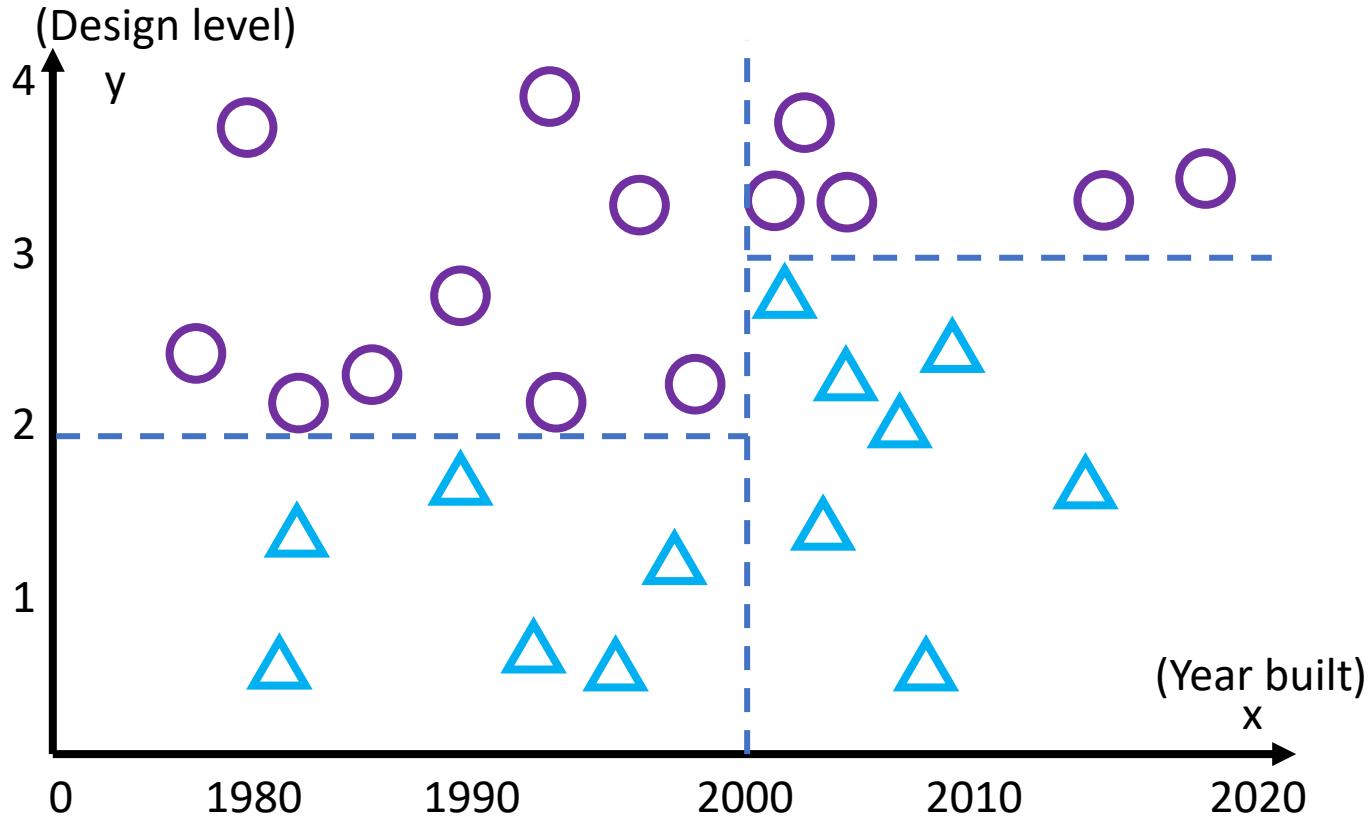


x and y are called **features**, each data point can be represented by features:

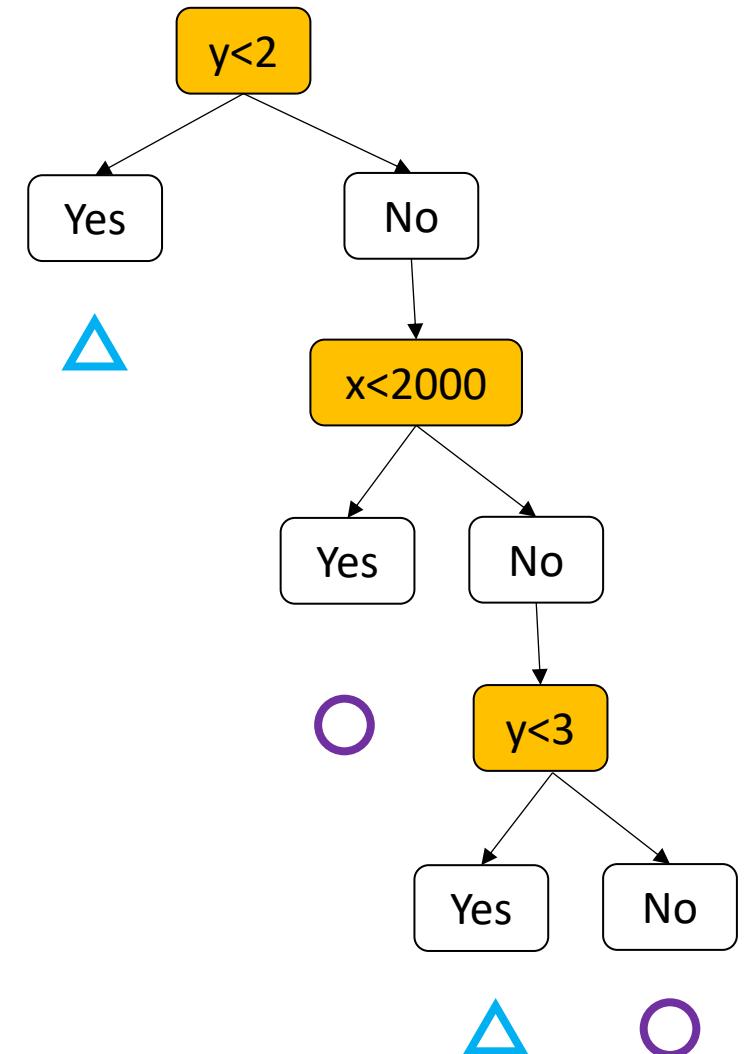
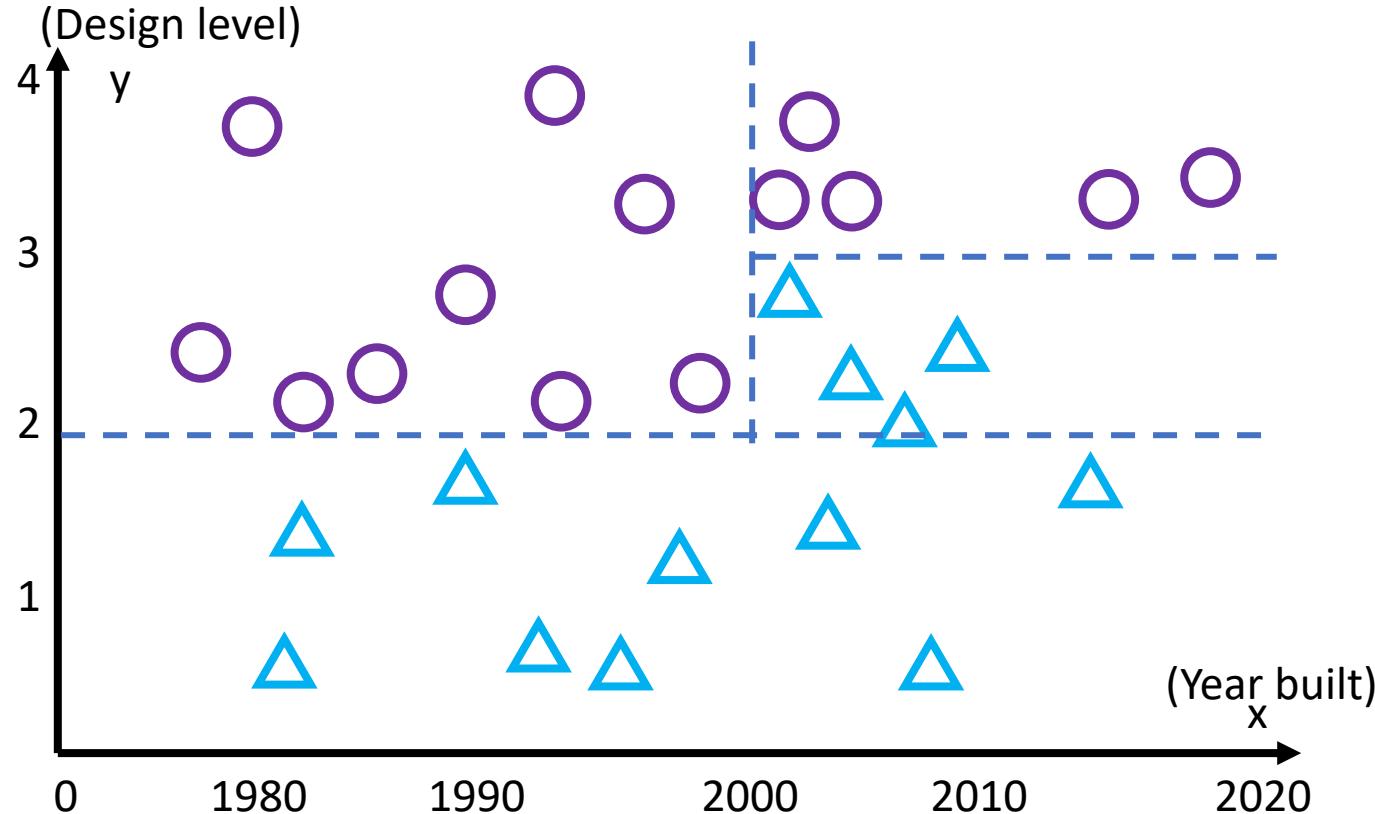
○ (x, y)

△ (x, y)

## Decision Tree



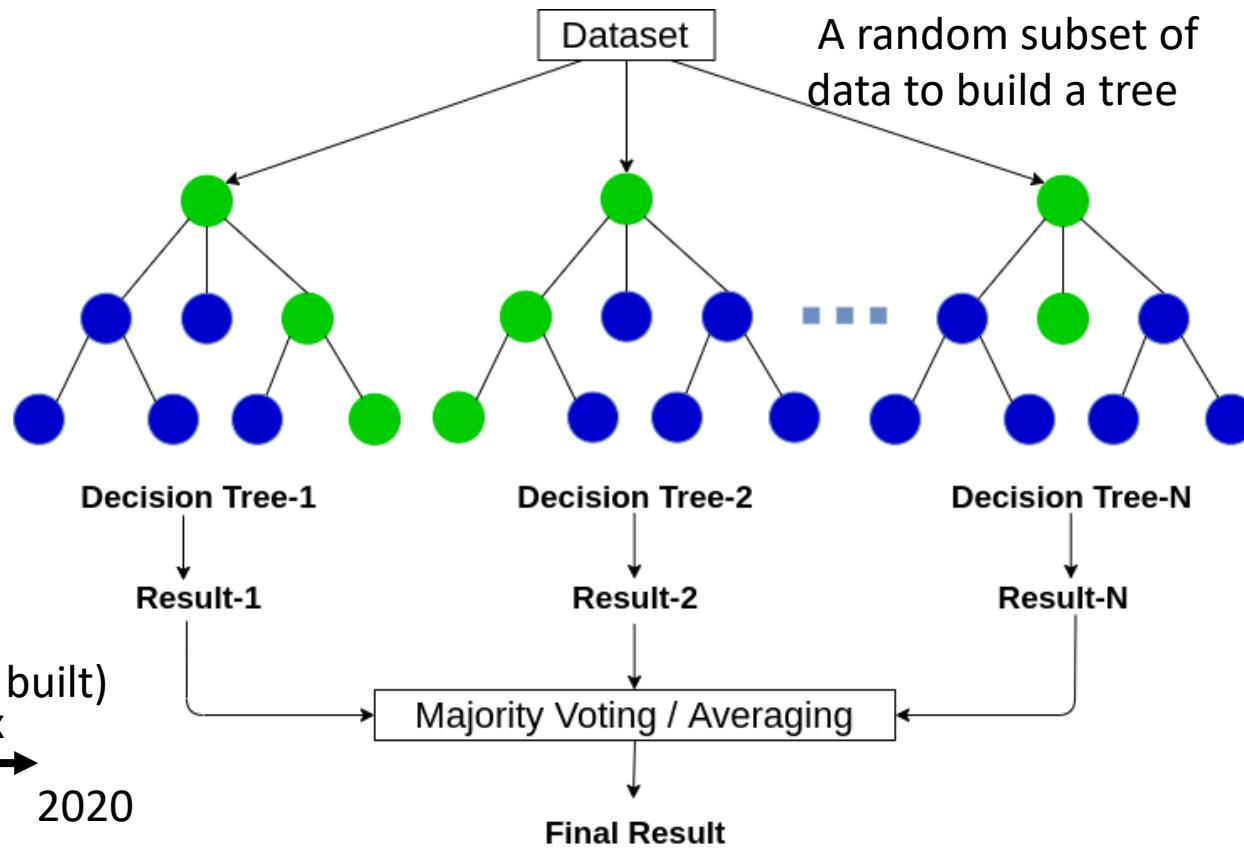
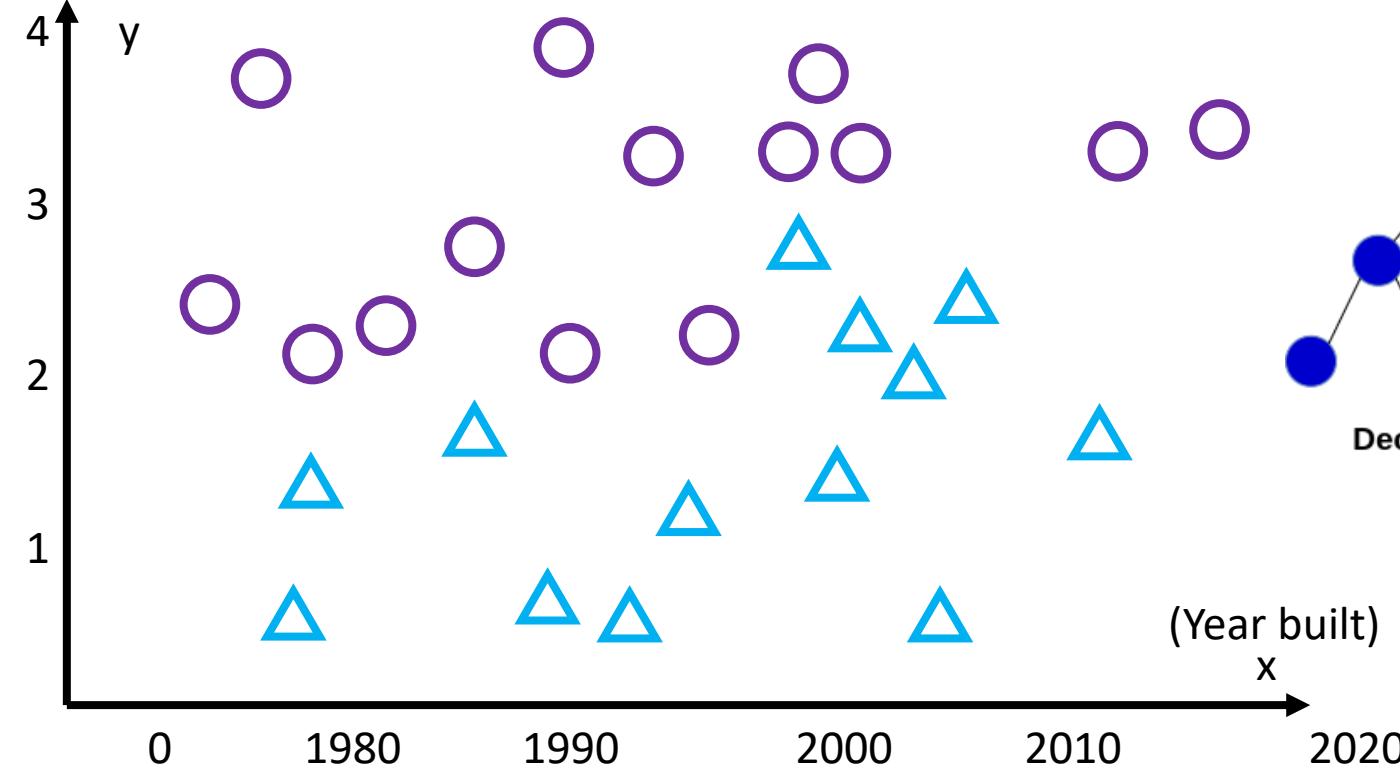
## Decision Tree



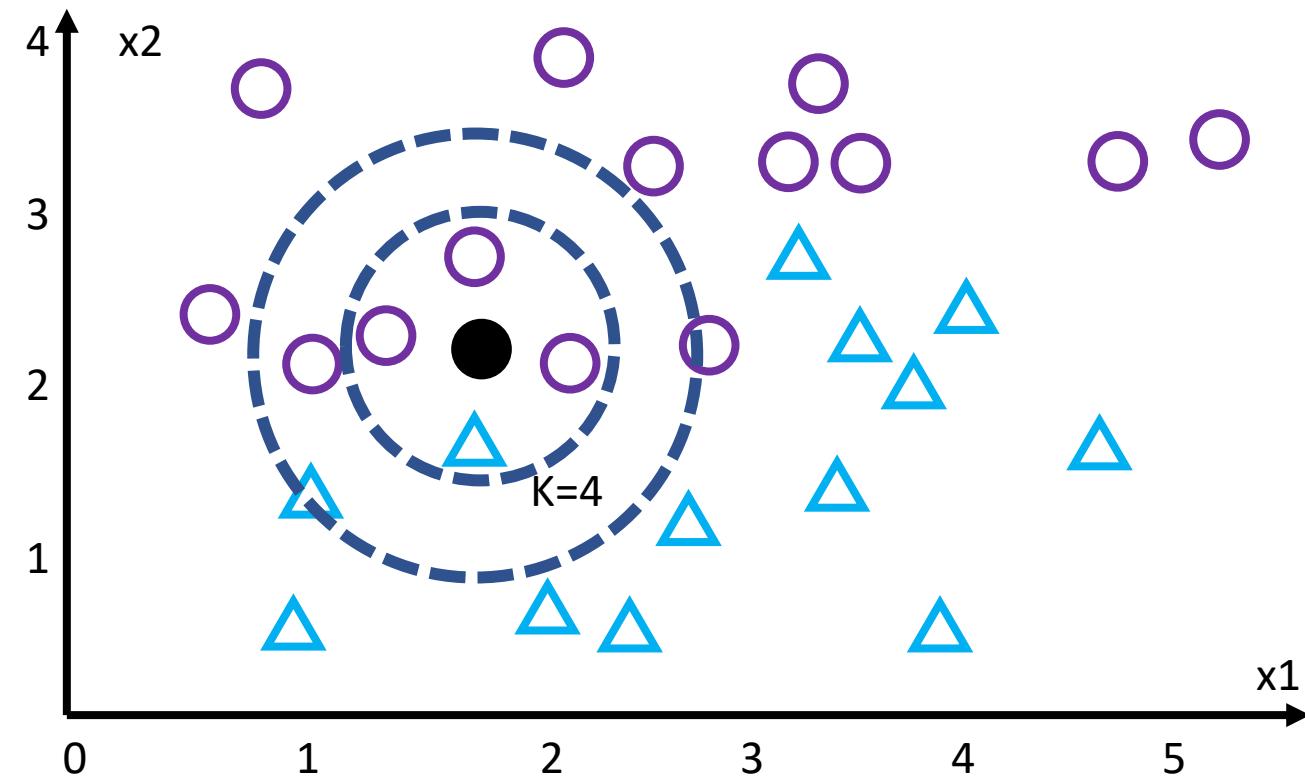
Another tree

# Random Forest

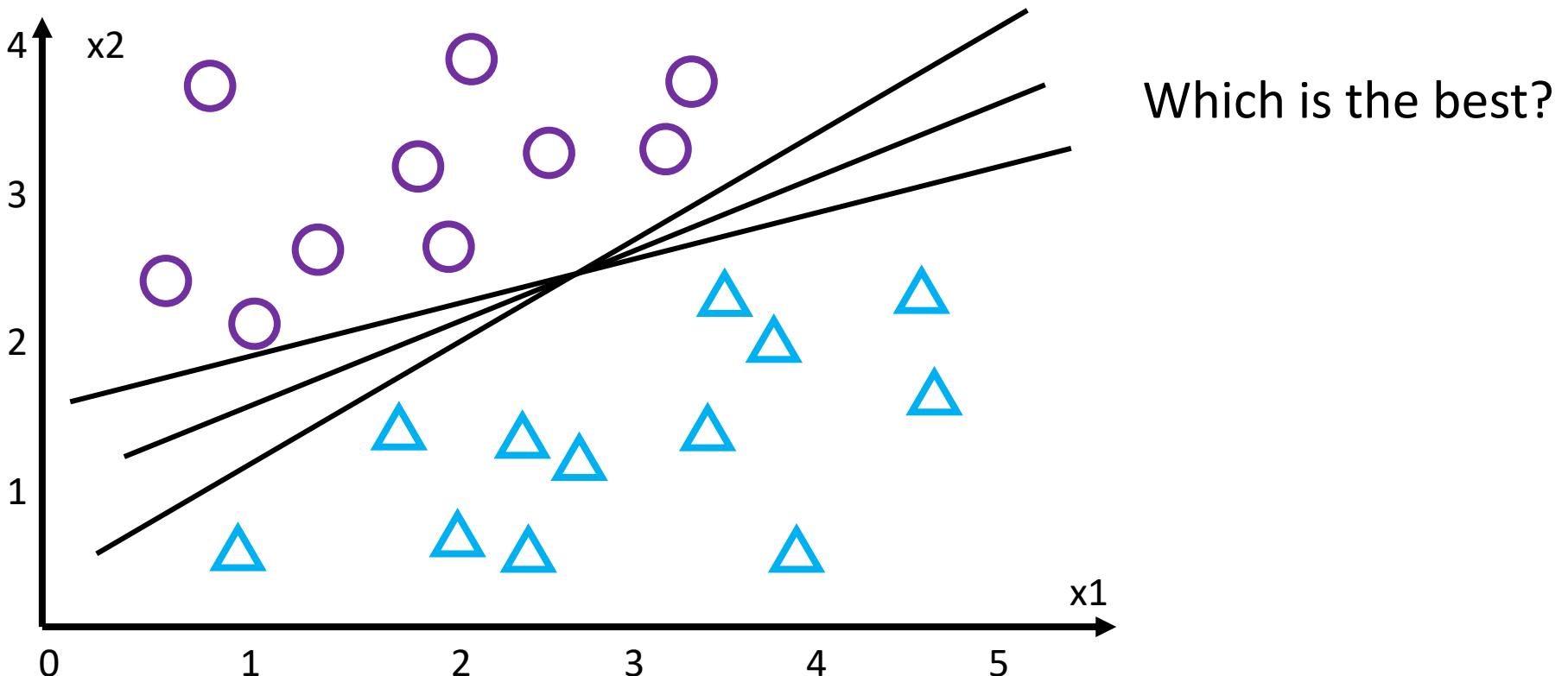
(Design level)



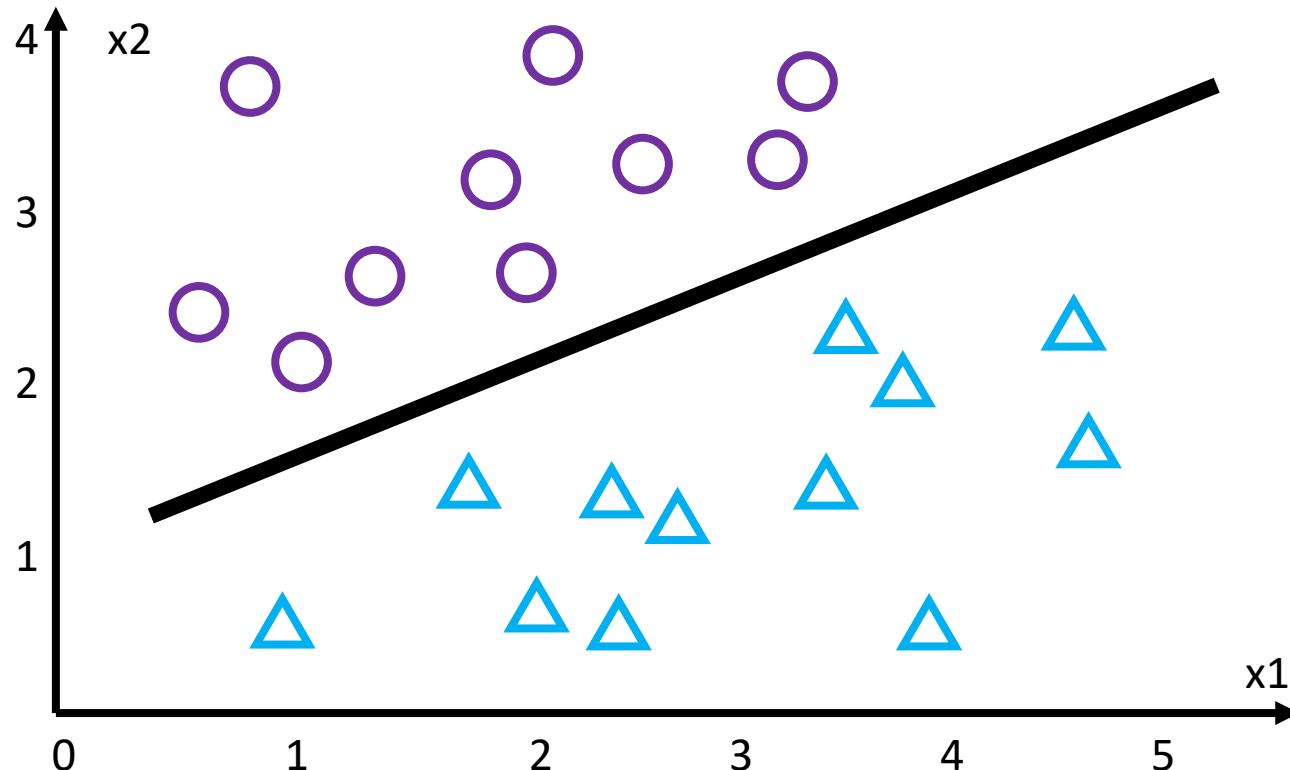
## K-nearest neighbor



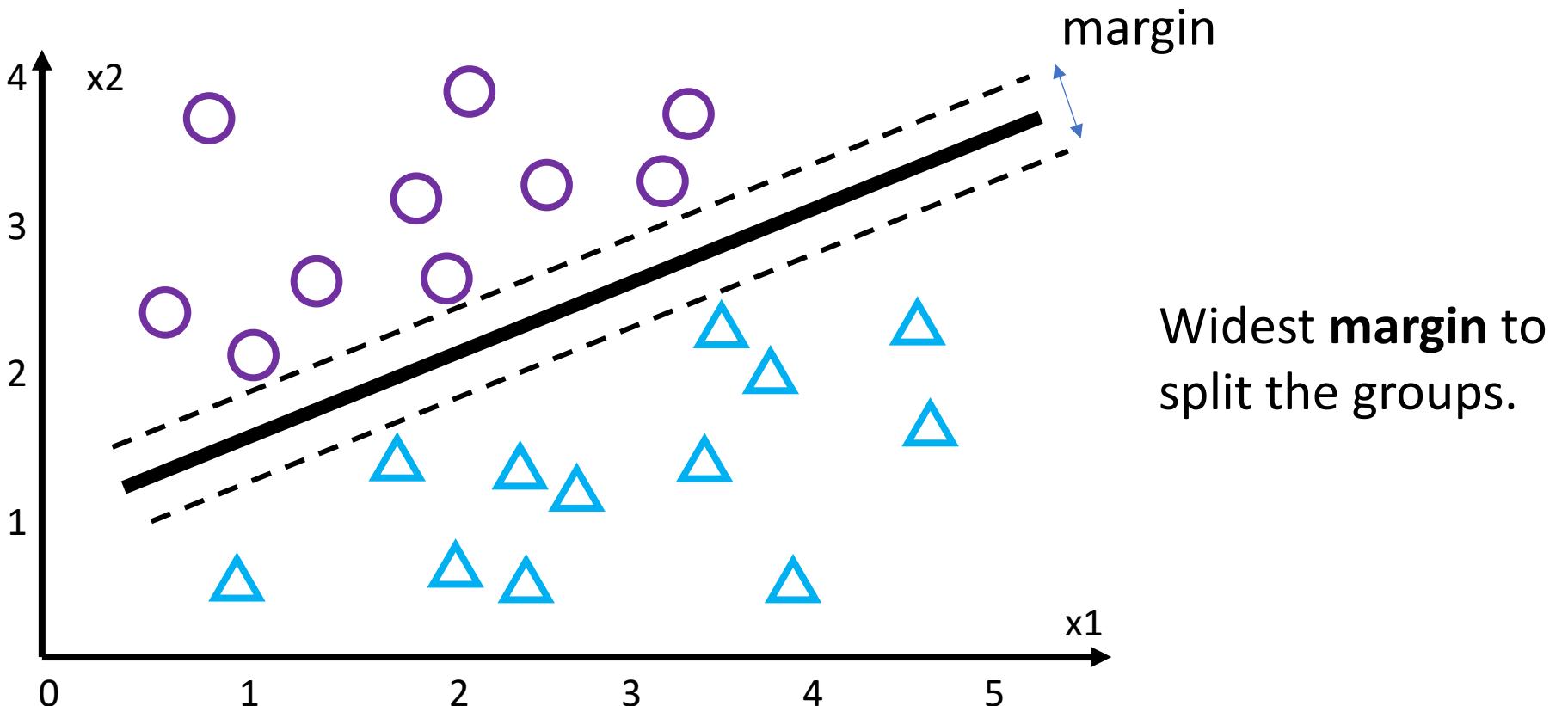
## Support vector machines



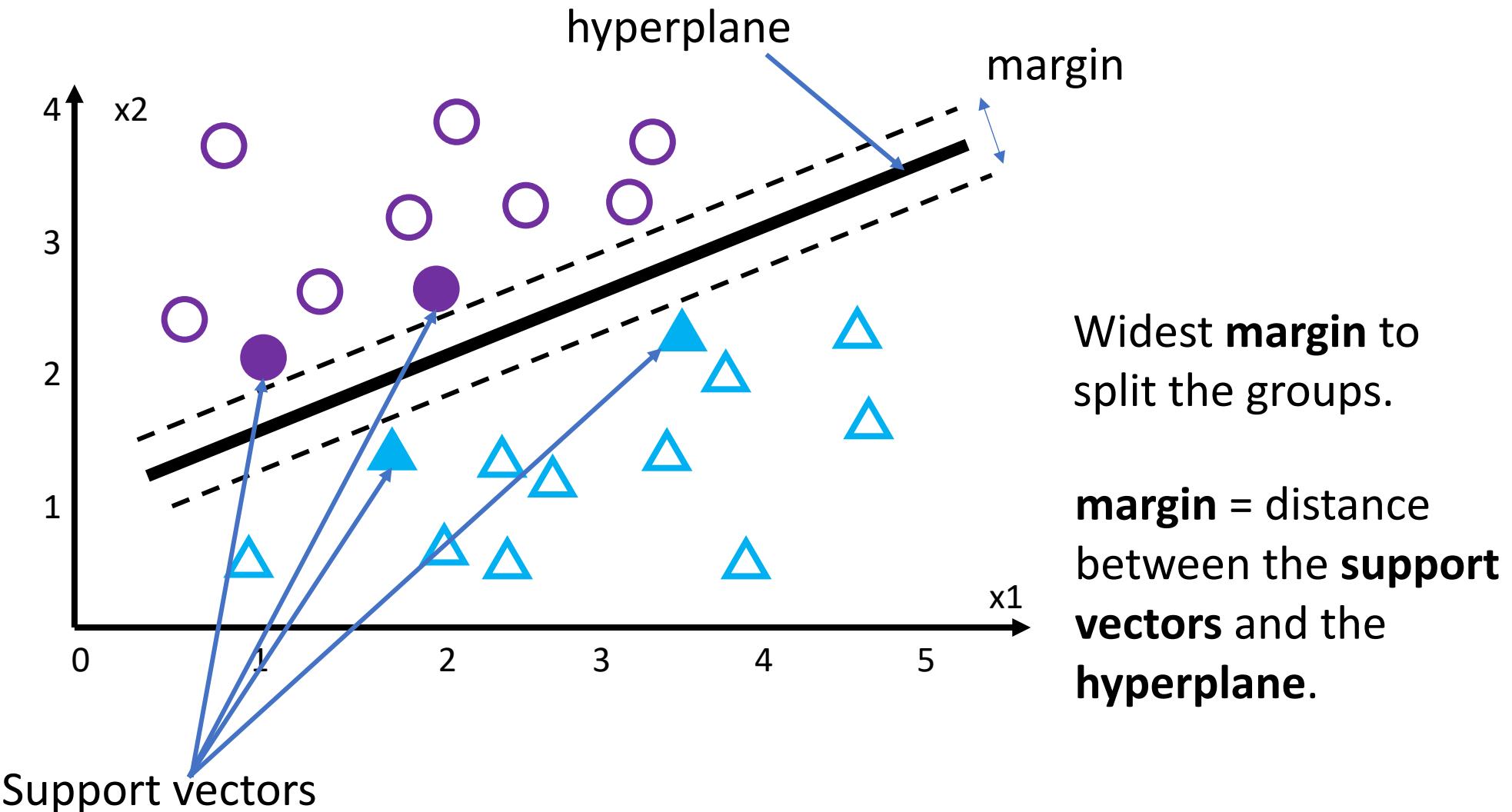
## Support vector machines



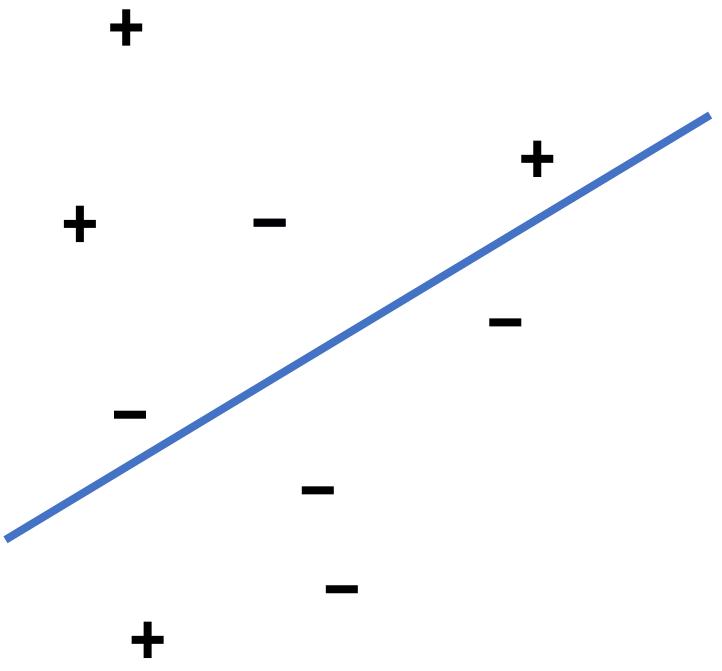
## Support vector machines



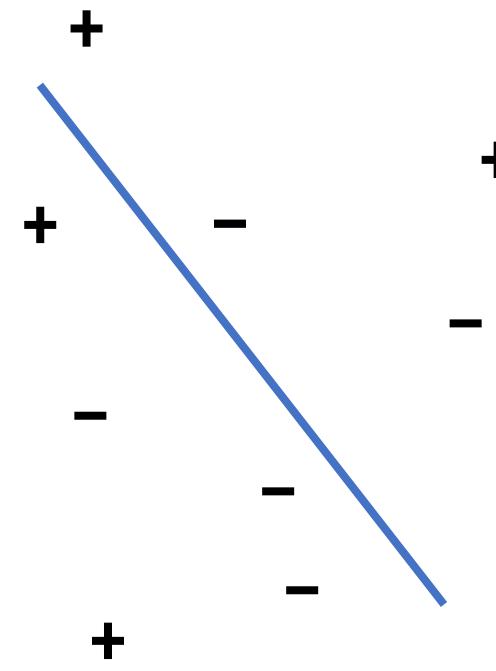
## Support vector machines



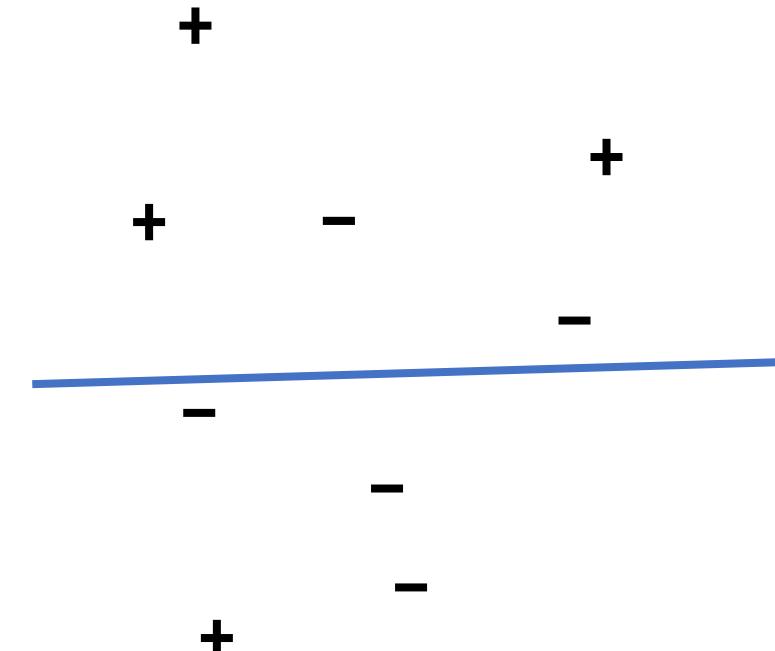
## Support vector machines: Kernel Trick



Not a good separator

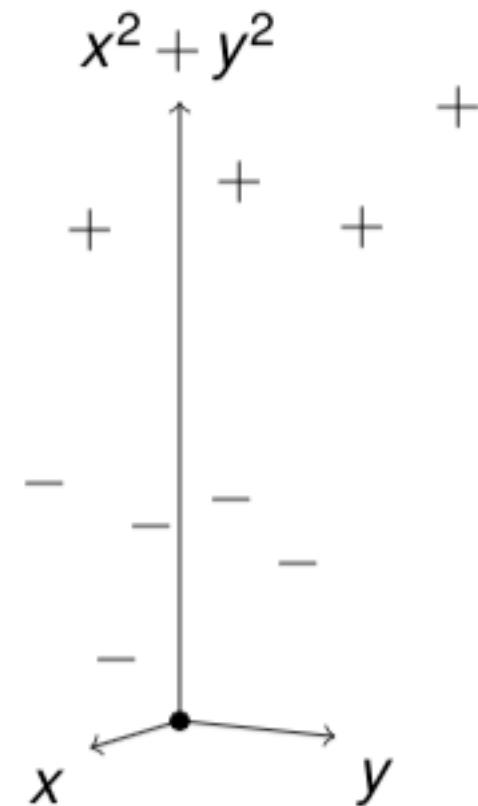
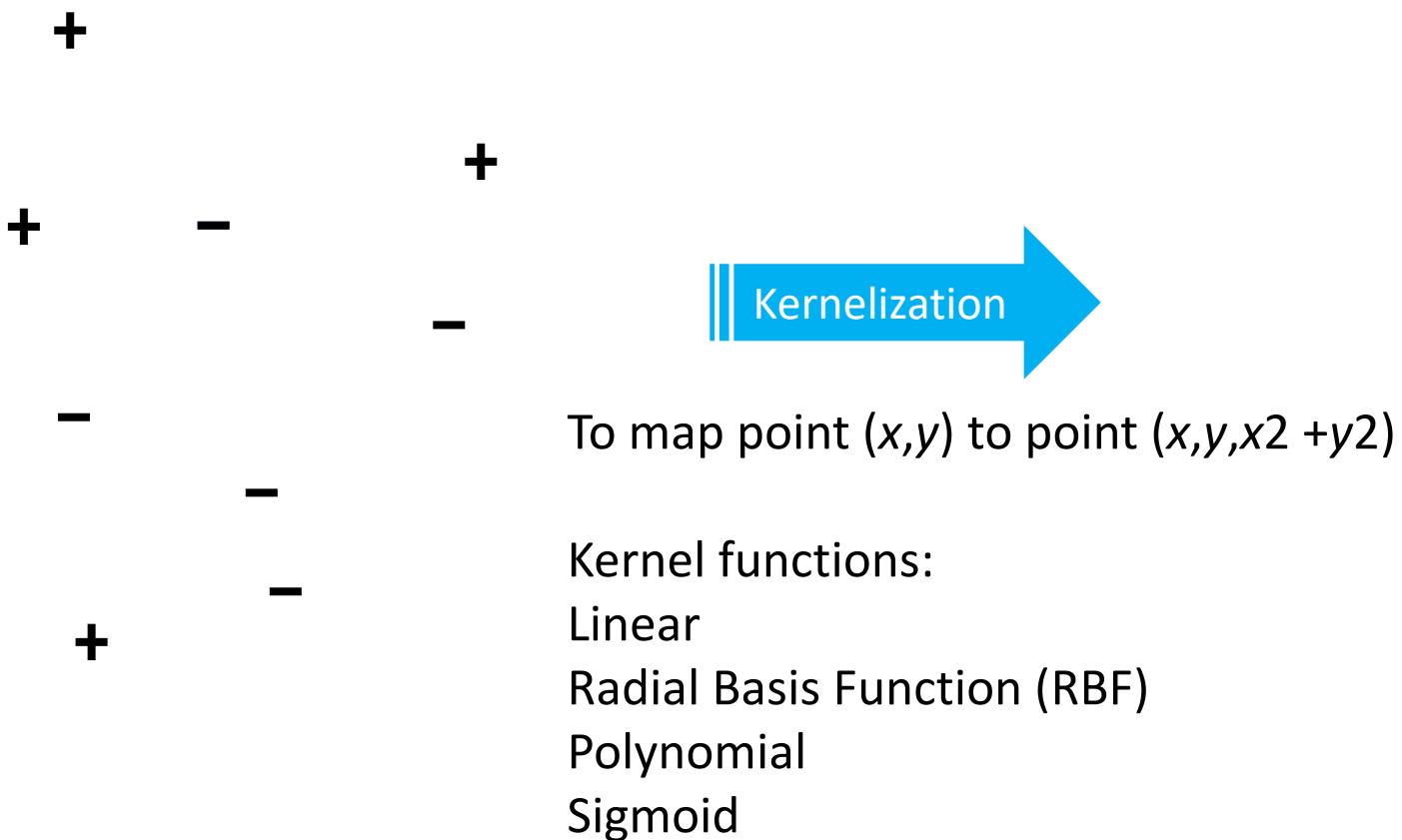


Not a good separator



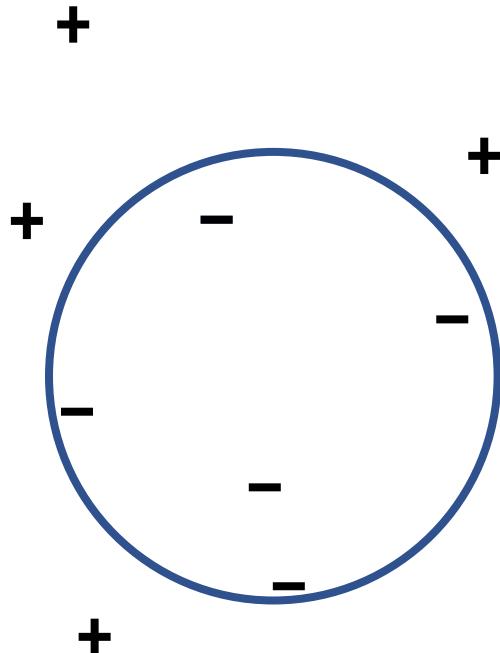
Not a good separator

## Support vector machines: Kernel Trick



## Support vector machines: Kernel Trick

A visualization: <https://www.youtube.com/watch?v=3liCbRZPrZA>



To map point  $(x,y)$  to point  $(x,y,x^2 + y^2)$

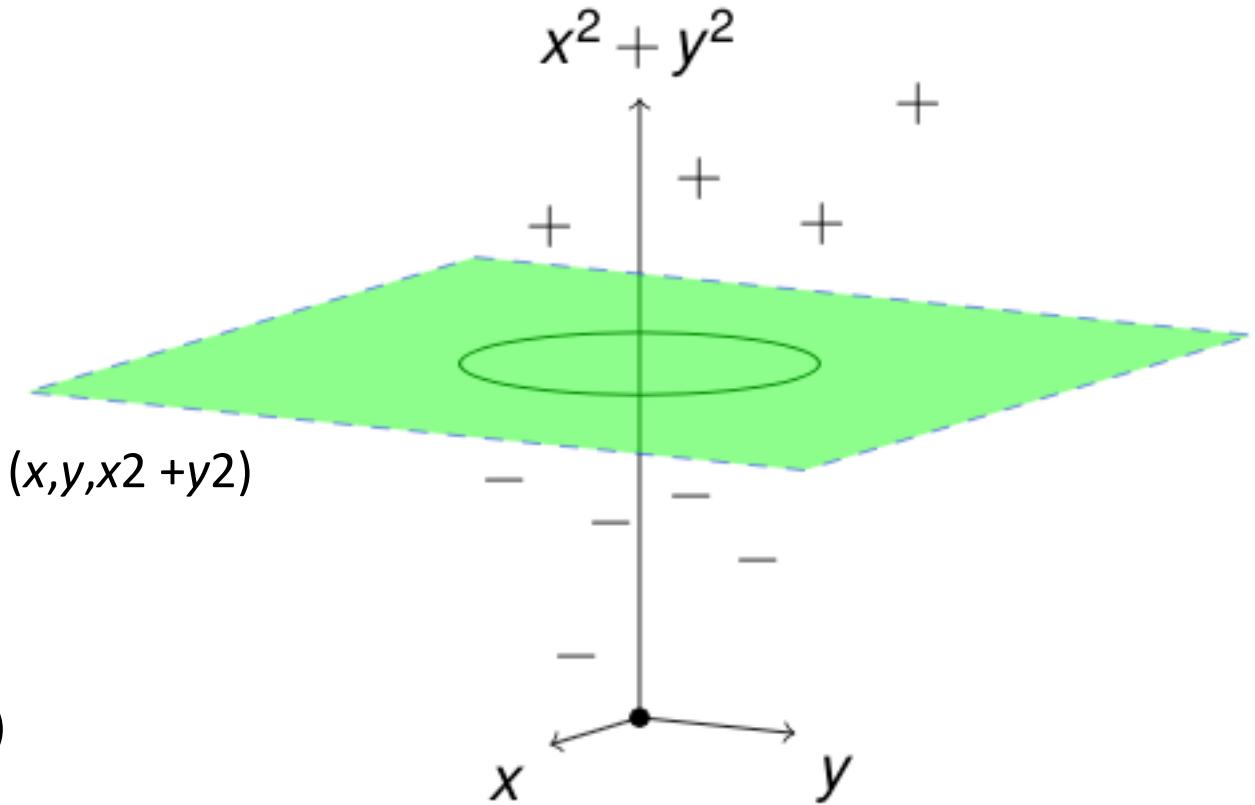
Kernel functions:

Linear

Radial Basis Function (RBF)

Polynomial

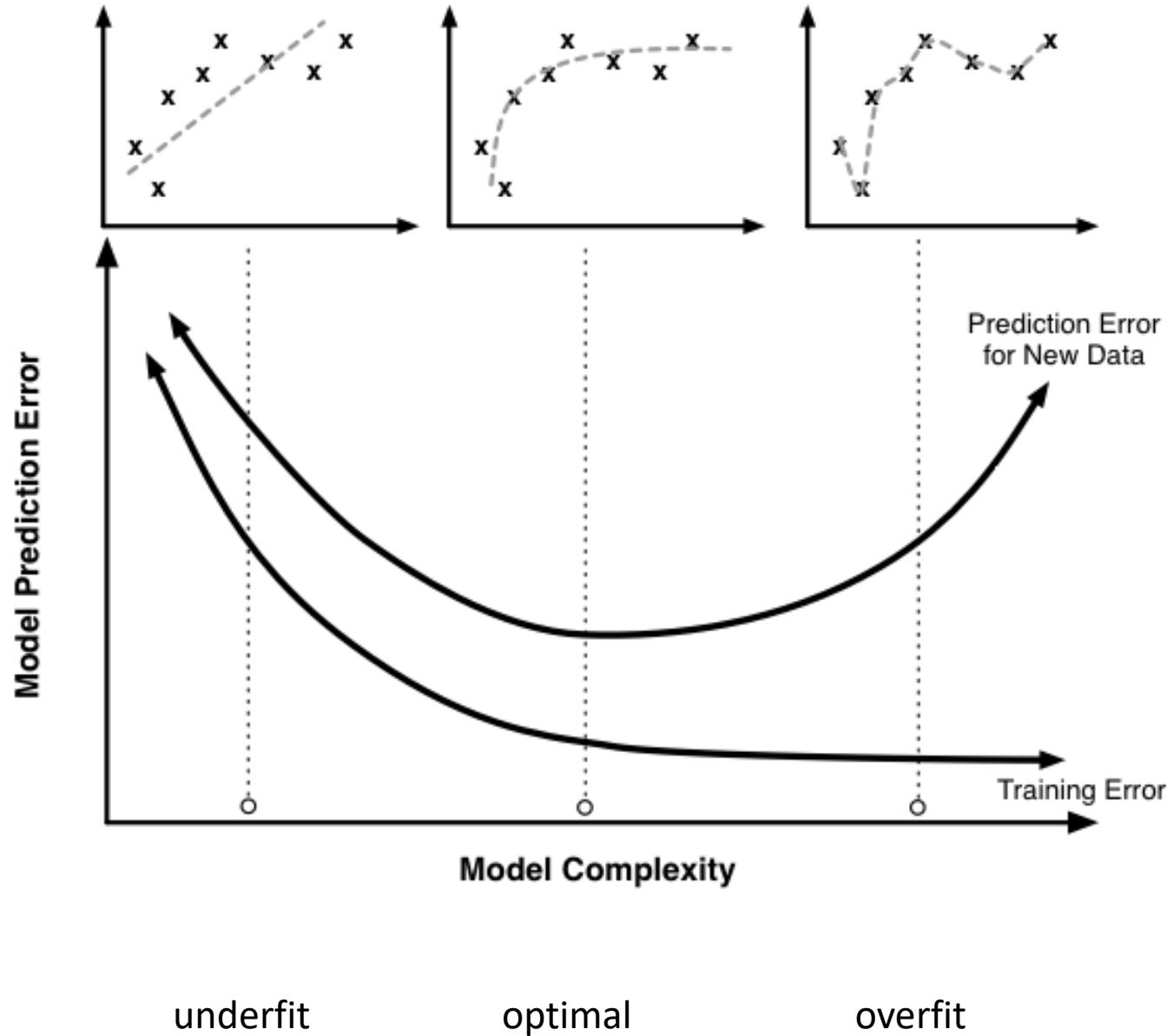
Sigmoid



# What is a good model?

		Confusion matrix		
		Positive (1)	Negative (0)	
Actual Values	Positive (1)	TP	FN	TP: Your prediction is 1 and it's true TN: Your prediction is 0 and it's true FP: Your prediction is 1 but it's false FN: Your prediction is 0 but it's false
	Negative (0)	FP	TN	
		Predicted		
Recall = $\frac{TP}{TP+FN}$		How much of the positive class are correctly predicted?		
Precision = $\frac{TP}{TP+FP}$		In all the positive cases we predicted, how much are actually positive?		
Accuracy = $\frac{TP+TN}{ALL}$		Out of all the cases, how much we predicted correctly		
$F-1 = \frac{2*Recall*Precision}{Recall+Precision}$		Harmonic Mean		

# What is a good model?



## Demos

# Building performance during hurricane

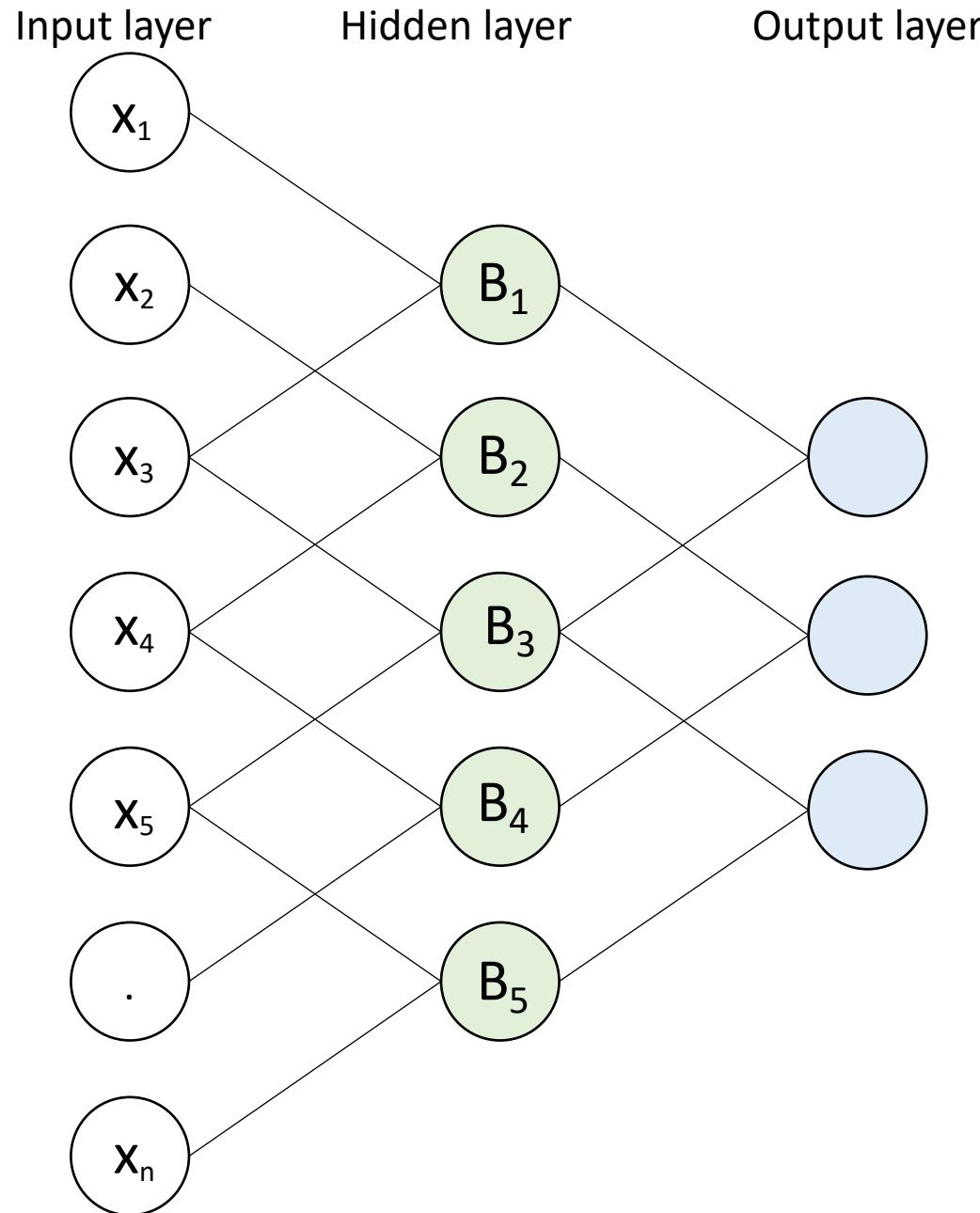
overall_building_condition	max_mph	age_yrs	number_of_stories	roof_shape	roof_cover	wall_cladding	structural_framing_system
0	80	14.0	1.0	Complex	Tile (clay)	Stucco	Wood-frame
1	80	29.0	2.0	Gable	Tile (clay)	Stucco	Wood-frame
0	85	27.0	2.0	Complex	Tile (clay)	Stucco	Wood-frame
1	85	24.0	1.0	Hip	Asphalt shingles (laminated)	Stucco	Wood-frame
1	85	30.0	2.0	Gable	Asphalt shingles (laminated)	Wood Siding	Wood-frame
...	...	...	...	...	...	...	...
1	95	40.0	1.0	Gambrel	Asphalt shingles (3-tab)	Wood Siding	Wood-frame
1	90	38.0	1.0	Gable	Asphalt shingles (3-tab)	Wood Siding	Wood-frame
1	105	22.0	2.0	Gable	Asphalt shingles (3-tab)	Vinyl Siding	Wood-frame
0	100	16.0	1.0	Hip	Asphalt shingles (3-tab)	Stucco	Wood-frame
2	105	50.0	2.0	Gable	Asphalt shingles (3-tab)	Wood Siding	Wood-frame

Will do the demo in Jupyter notebooks

# **Part 2**

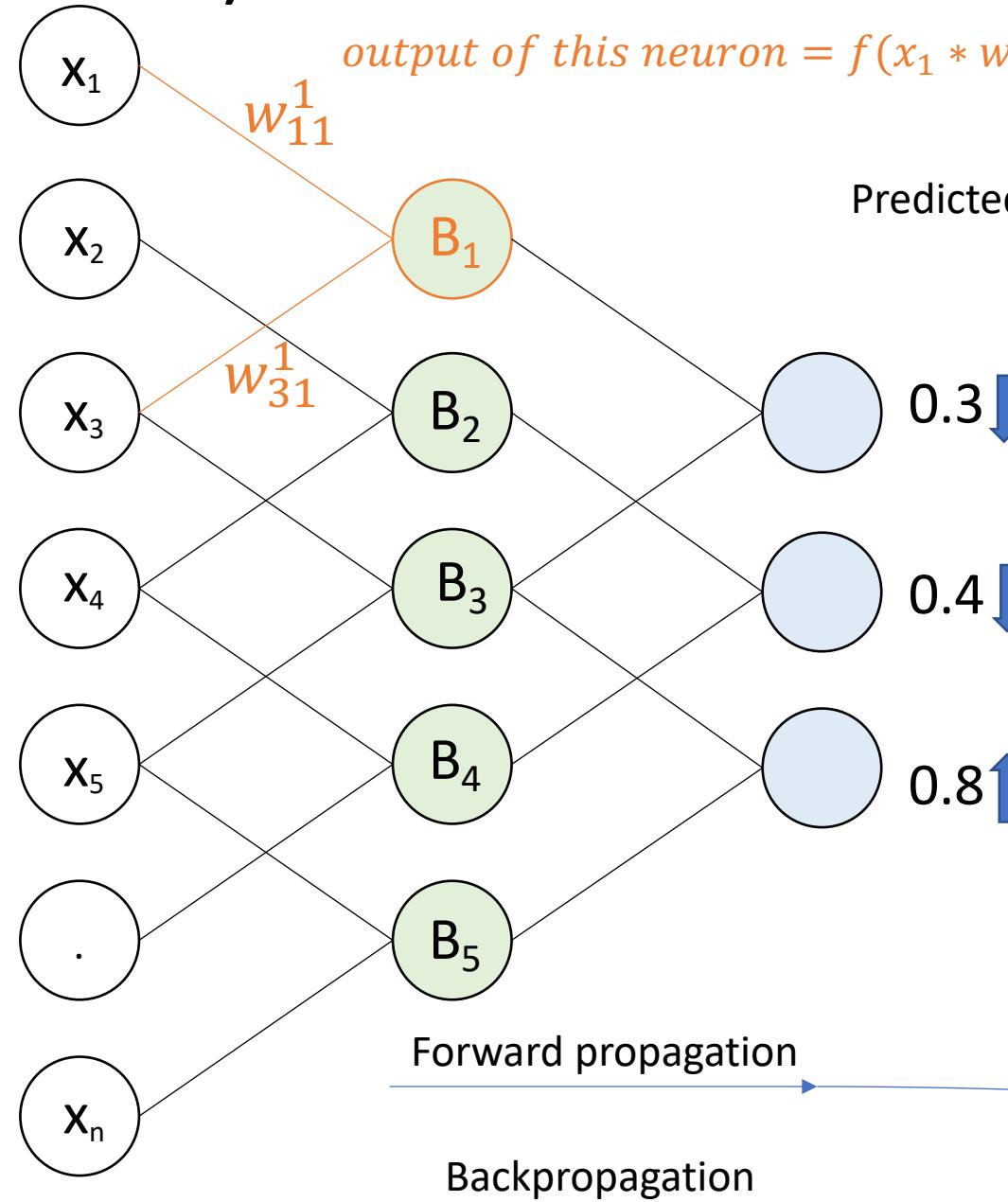
# **Deep Learning**

# Multilayer perceptron (Neural network)



# Multilayer perceptron (Neural network)

The weight linking the **1<sup>st</sup>** hidden layer and its prior layer  
 $w_{31}^1$   
Neuron **3** from previous layer      Neuron **1** in the current layer

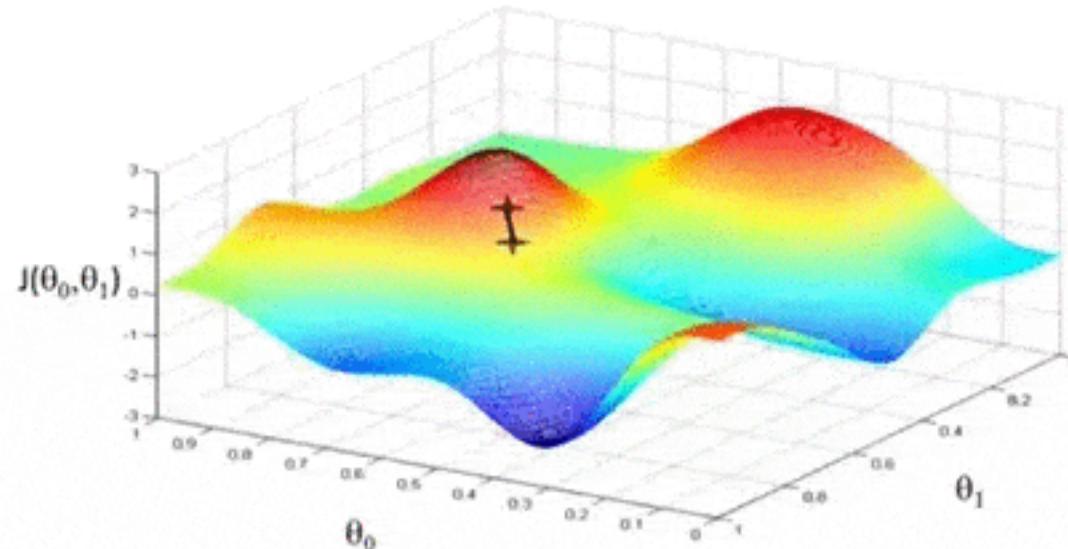


output of this neuron =  $f(x_1 * w_{11}^1 + x_3 * w_{31}^1 + B_1)$

True Value (target)	Error
0	-0.3
0	-0.4
1	0.2

# Multilayer perceptron (Neural network)

## Gradient Descent



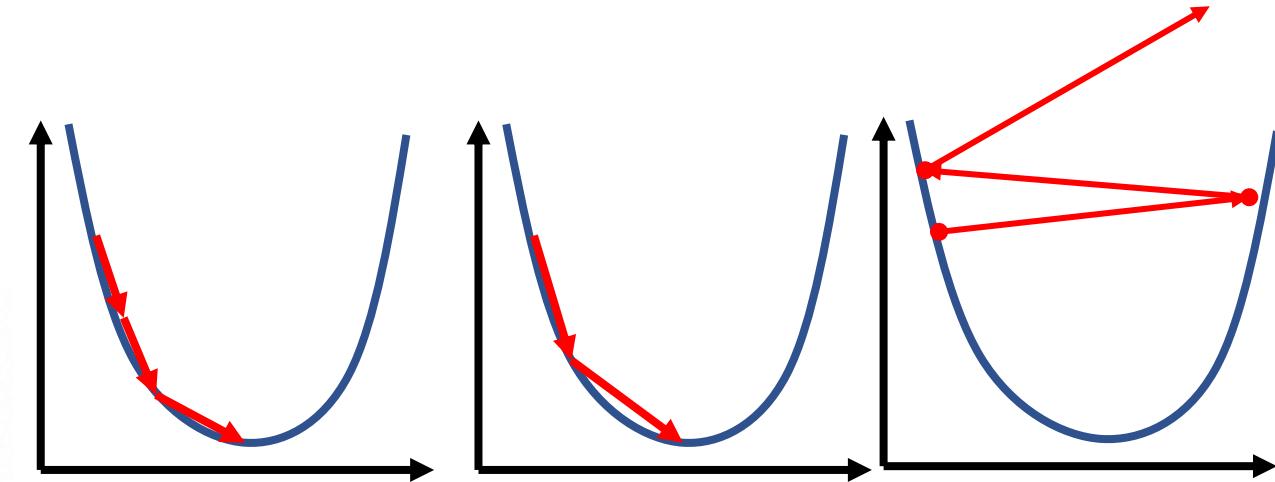
$J$  can be any loss function.

$\theta$  is the parameter of the loss function.

(It is the weights in a neural network.)

Andrew Ng

## Learning rate



1. Compute the slope (gradient) at the current step
2. Make a move in the direction opposite to the slope

Too small

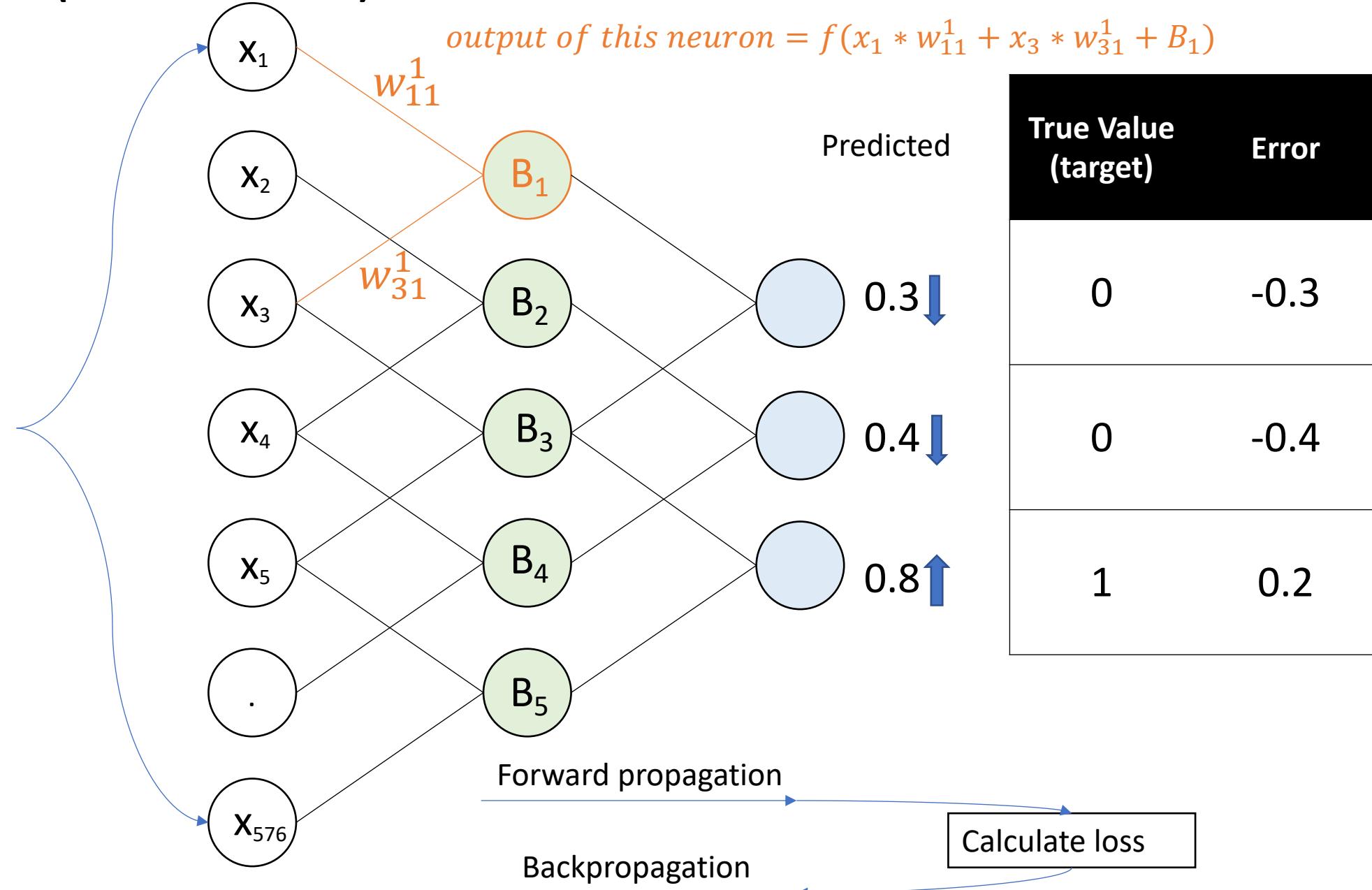
Good

Overshoot

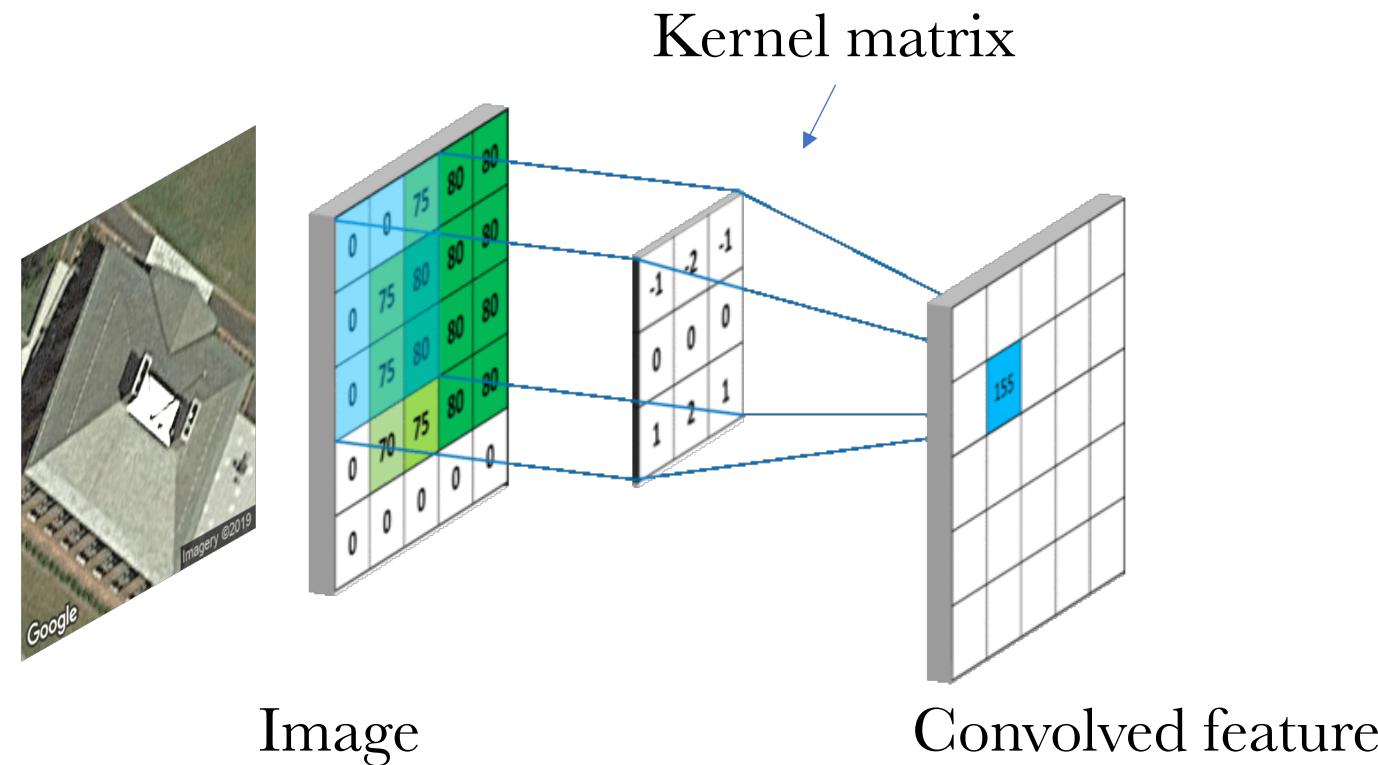
# Multilayer perceptron (Neural network)



A 24x24 image can be expanded as a vector  
[ $x_1, x_2, \dots, x_{576}$ ]



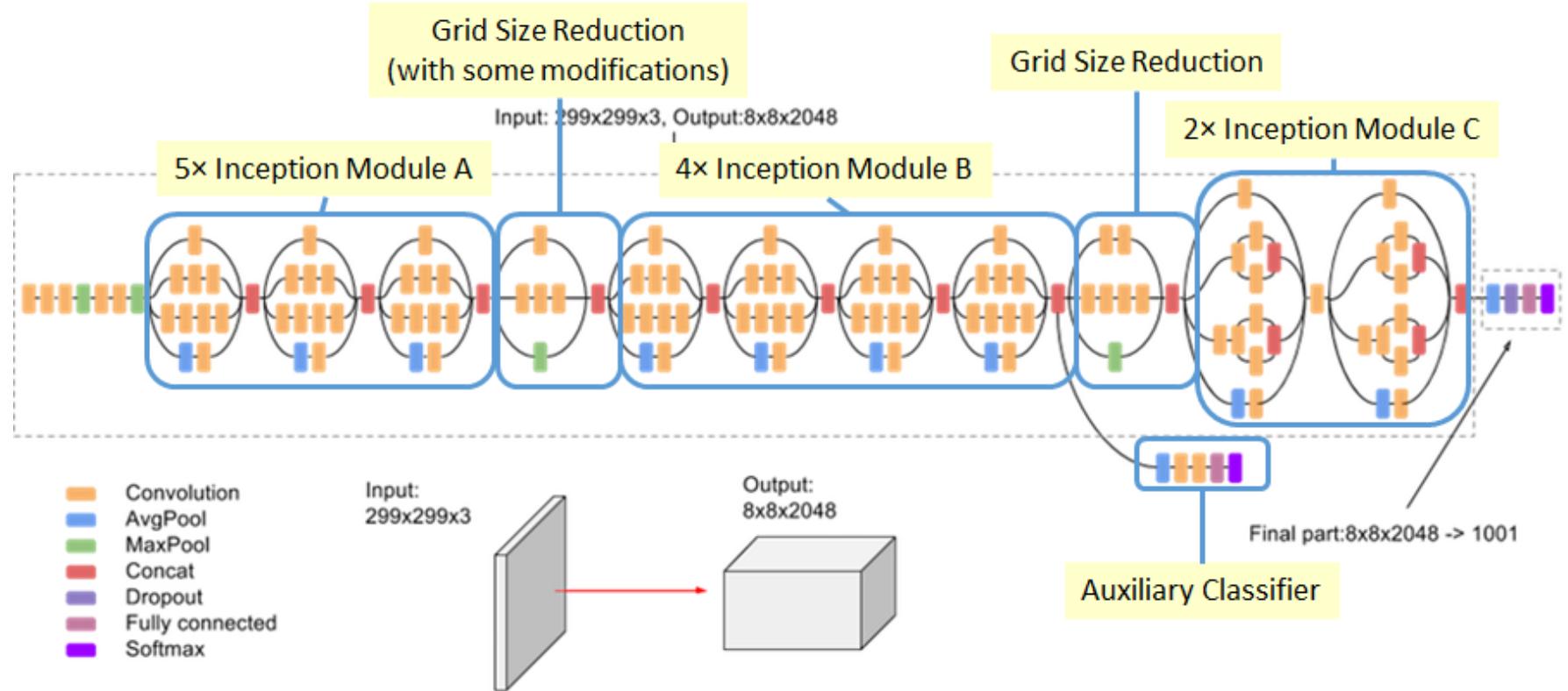
# Convolutional neural network



A 2D convolution operation

# Popular deep CNN architectures

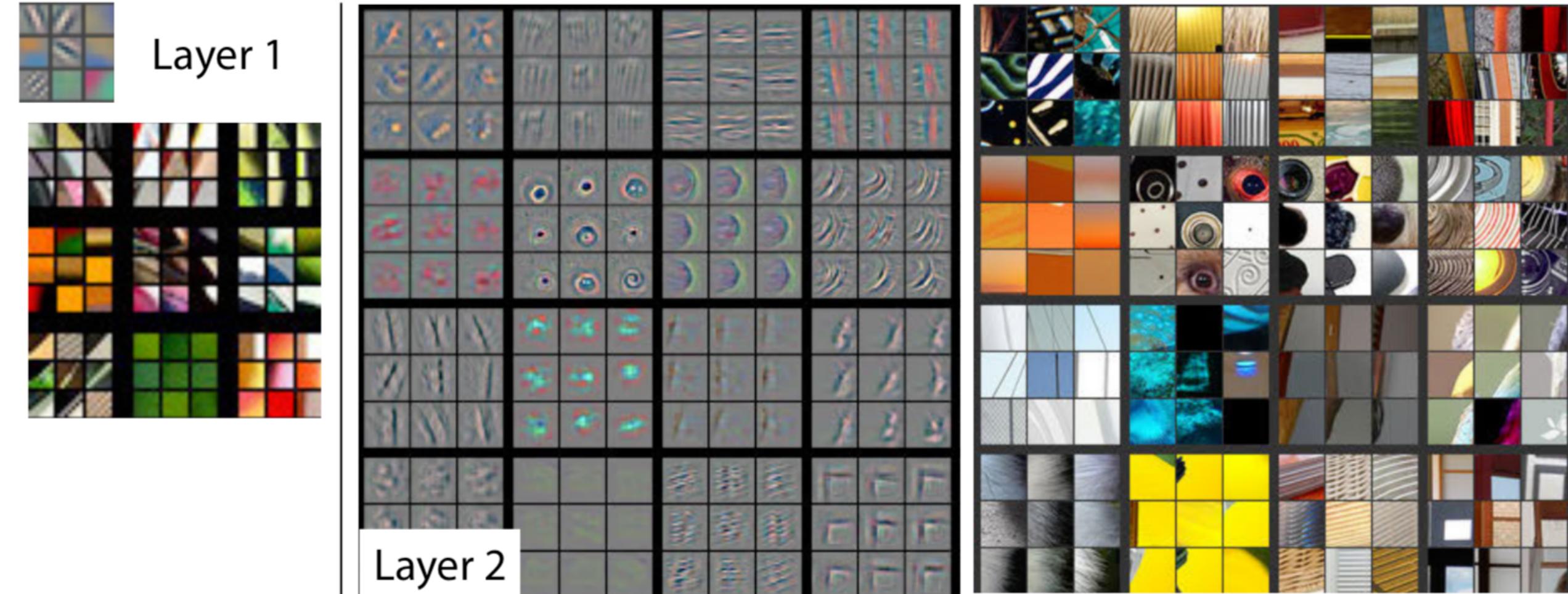
- AlexNet
- VGGNet
- GoogLeNet
- Microsoft ResNet
- Google Inception
- ...



Example: Inception v3

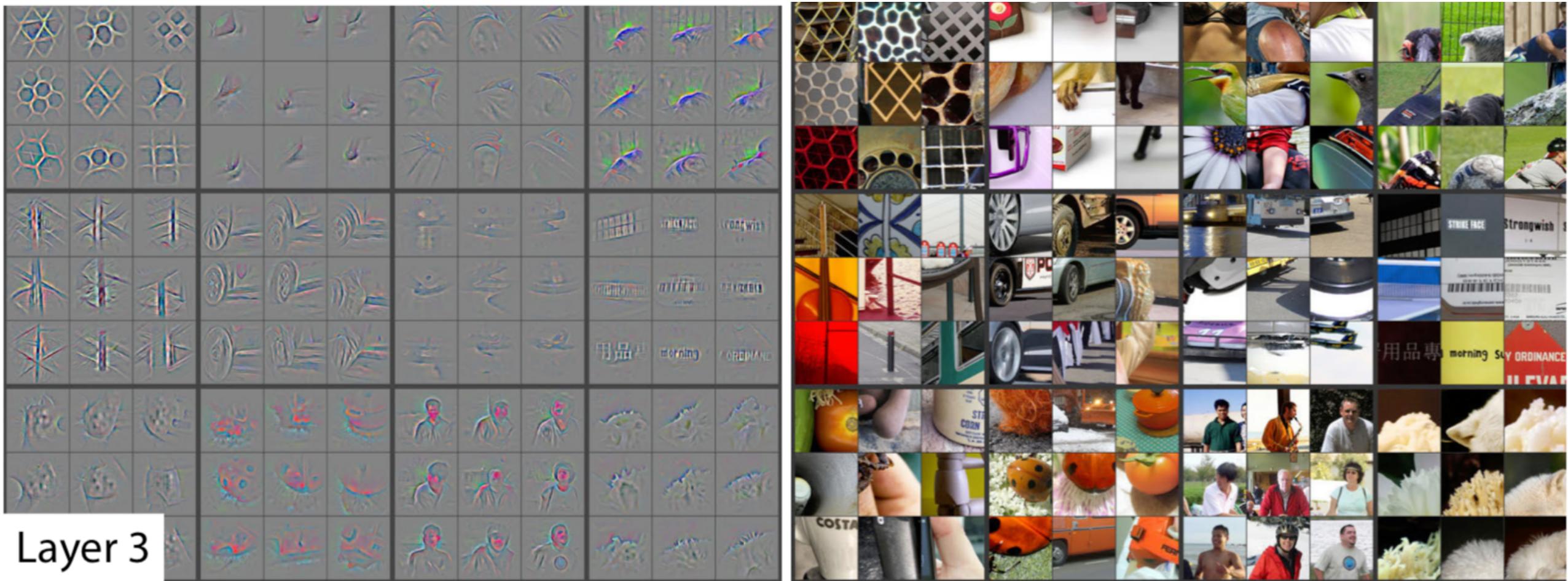
# Transfer Learning

The first few layers of CNN detect general features: Edges, Corners, Circles, Blobs colors, ...



# Transfer Learning

As go deeper into the CNN, it start to detect more concrete things such as eyes, faces, and full objects.

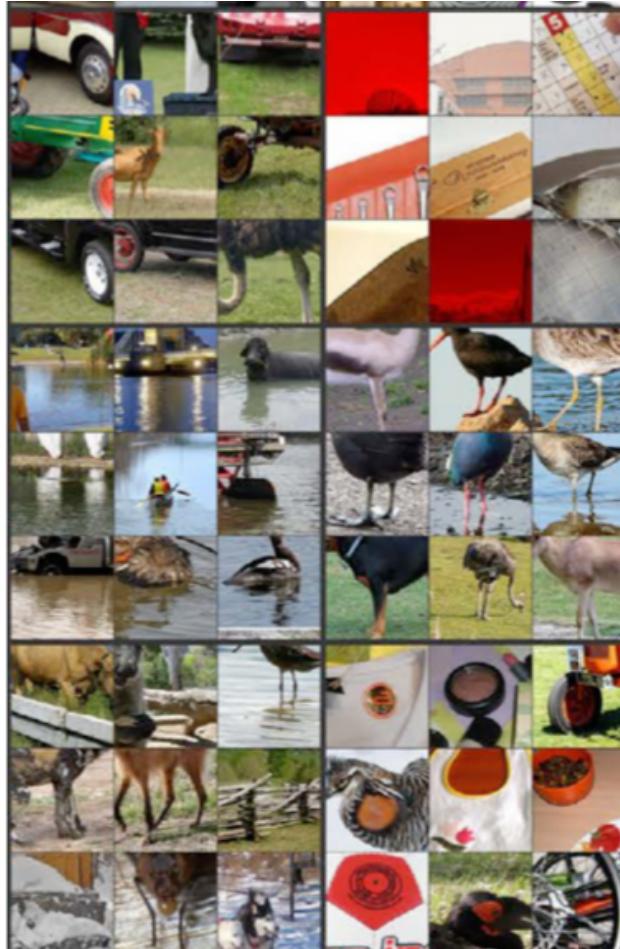


# Transfer Learning

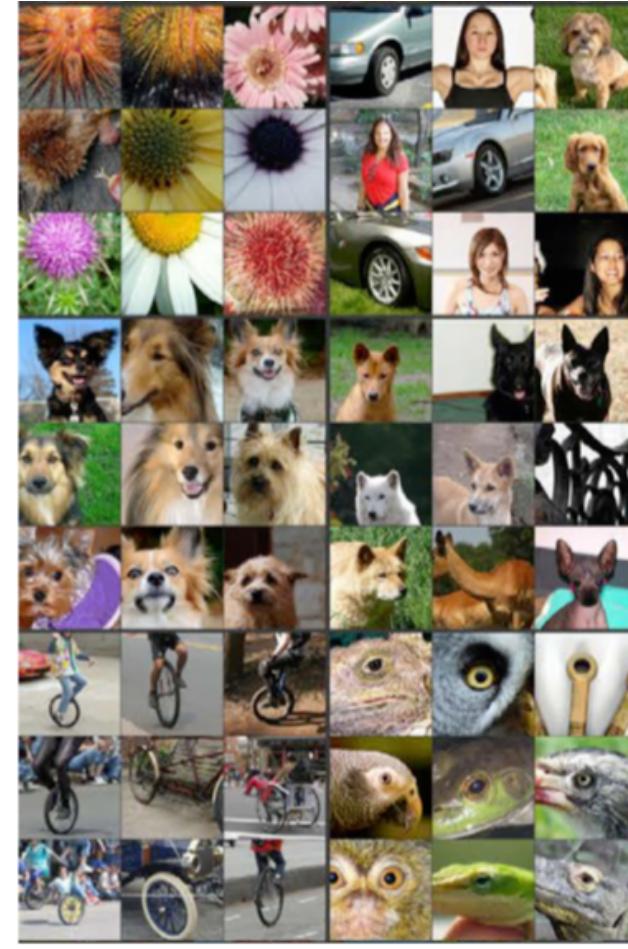
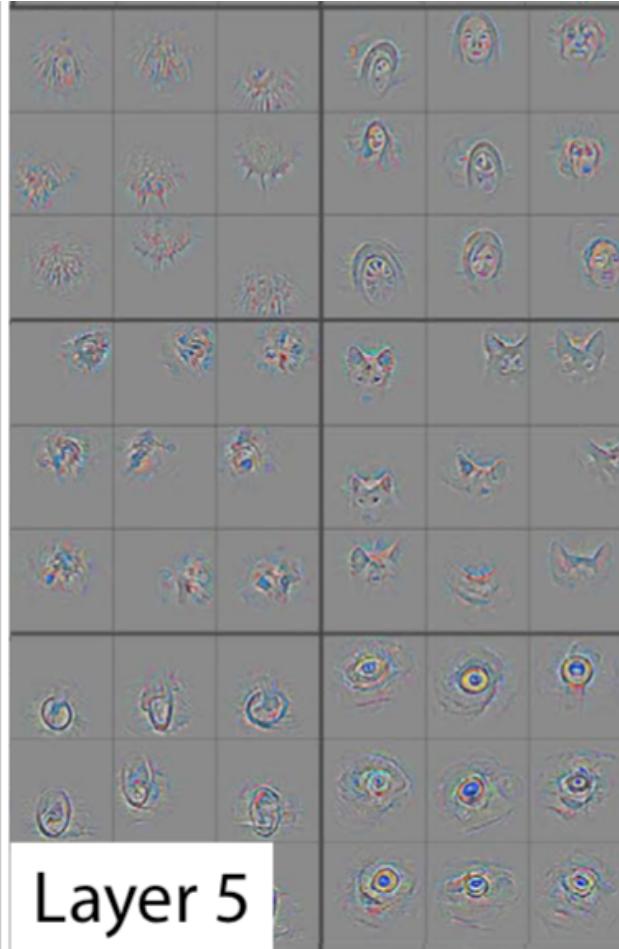
## More concrete things ...



## Layer 4



## Layer 5



# Transfer Learning

The weights in a pretrained neural network is the leaned knowledge.

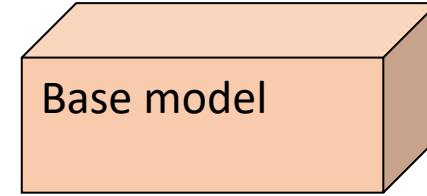
So a deep CNN trained on a large dataset contains knowledge (weights) that can be used to understand basic features in any given new image. This is the concept of transfer learning.

To do transfer learning, we

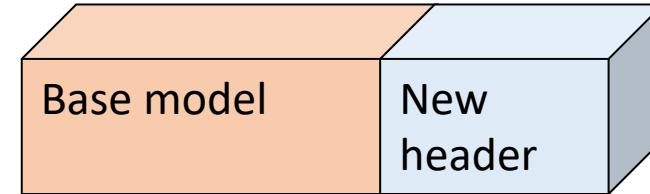
- Freeze the first layers of the pretrained neural network. These are the layers that detect general features that are common across all domains.
- Then we finetune the deeper layers with our own training data and add new layers to classify new categories included in our training dataset.

# Transfer Learning: Fine tuning

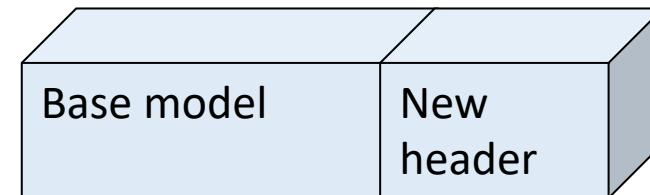
**Take a pre-trained model (with learned weights) as base model**



**Add a header and train with the base model's weights frozen**



**Unfreeze the base model and train**



## Software and Platforms

scikit-learn (conventional ML)

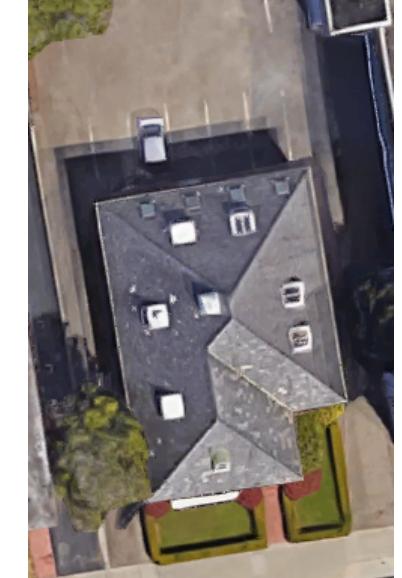
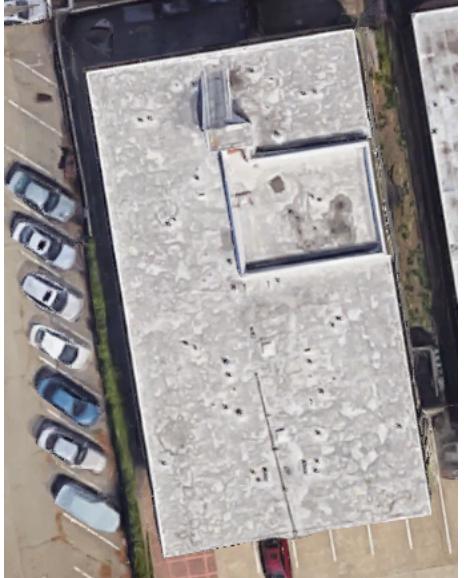
Tensorflow (deep neural networks)

PyTorch (deep neural networks)

...

# Demo: Roof shape classification

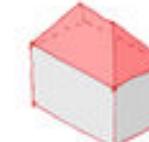
Will do this demo in a Jupyter notebook.



Flat



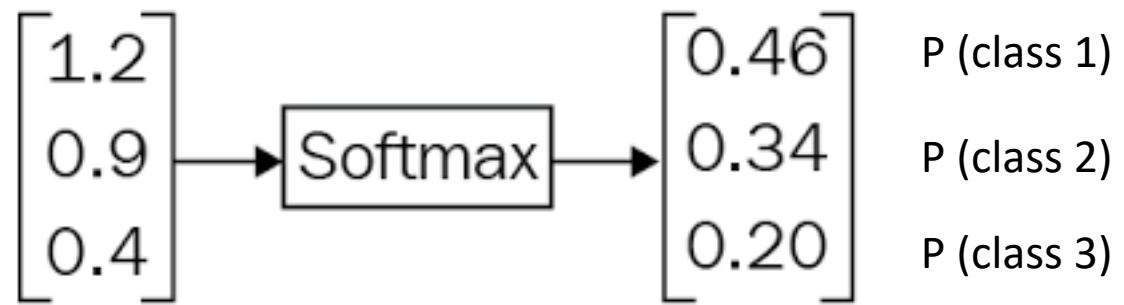
Gabled



Hipped

## Softmax

$$S(y_i) = \frac{e^{y_i}}{\sum_j e^{y_j}}$$



Probabilities, sum is 1.0