C2_Exercises

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Method 1 - eigen-decomposition (p. 12)

```
import numpy as np
P = np.matrix([[0.7,0.3],
              [0.5,0.5]])
values , vectors = np.linalg.eig(P.T)
print(values)
## [1. 0.2]
print(vectors)
## [[ 0.85749293 -0.70710678]
## [ 0.51449576 0.70710678]]
x_1 = vectors[:,0]
v = x_1/sum(x_1)
print("The stationary distribution")
## The stationary distribution
print(v)
## [[0.625]
## [0.375]]
```

p. 15

```
import numpy as np
P = np.matrix([[0.7,0.3],
             [0.5,0.5]])
n = np.size(P,0)
I = np.eye(n)
A = np.c_[P-I,np.repeat(1,n)]
b = np.append(np.repeat(0,n),np.array([1]))
print(A)
## [[-0.3 0.3 1.]
## [ 0.5 -0.5 1. ]]
print(b)
## [0 0 1]
v = np.dot(np.linalg.inv(np.dot(A,A.T)),np.dot(A,b.T).T)
print(v)
## [[0.625]
## [0.375]]
Motivation (p. 17)
P = np.matrix([[0.7,0.3],
             [0.5, 0.5]
np.dot(P,P) #matrix multiplication
## matrix([[0.64, 0.36],
         [0.6 , 0.4 ]])
P**3
## matrix([[0.628, 0.372],
          [0.62 , 0.38 ]])
##
```

```
P**4
## matrix([[0.6256, 0.3744],
          [0.624 , 0.376 ]])
P**20
## matrix([[0.625, 0.375],
          [0.625, 0.375]])
p. 19
P = np.matrix([[0,1],[1,0]])
P**2
## matrix([[1, 0],
         [0, 1]])
P**3
## matrix([[0, 1],
          [1, 0]])
"Man can learn nothing unless he proceeds from the known to the unknown. - Claude Bernard"
```