## -E1 solution analyze

대부분 학생들의 코드는 동일했으나 세부적으로 pandas와 numpy사용에 차이가 있는 부분이 있어서 해당부분을 보내드립니다.

```
def transition(given_pi,states,P_normal,P_speed):
    P_out = np.zeros(shape=(8,8))

for i in range(len(states)):
    action_dist=given_pi.iloc[i,:]

    P = action_dist['normal']*P_normal + action_dist['speed']*P_speed
```

#### #alternative way

```
def transition(given_pi, states, P_normal, P_speed):
    P_out=pd.DataFrame(np.zeros((len(states),len(states))),index=states, columns=states)

for s in states:
    action_dist=given_pi.loc[s]
    P=action_dist['normal']*P_normal+action_dist['speed']*P_speed
    P_out.loc[s]=P.loc[s]

return P_out
```

★추가적으로 pi 50을 선언할 때도 차이가 있었습니다.

```
pi_50 = np.hstack((np.repeat(0.5,len(states)).reshape(8,1),np.repeat(0.5,len(states)).reshape(8,1)))
pi_50 = pd.DataFrame(pi_50,states,["normal","speed"])
print(pi_50)

#alternative way

pi_50=pd.DataFrame(np.c_[np.repeat(0.5,len(states)),np.repeat(0.5,len(states))], index=states, columns=['normal_50]
```

dataframe만으로 pi\_50을 선언한 인원도 있었습니다.

1. Iterative estimation of state-value function for given policy (pi\_speed)

```
R=np.hstack((np.repeat(-1.5,4),-0.5,np.repeat(-1.5,2),0)).reshape(-1,1)
states=np.arange(0,70+10,step=10)
P=np.matrix([[.1,0,.9,0,0,0,0,0],
             [.1,0,0,.9,0,0,0,0],
             [0,.1,0,0,.9,0,0,0],
             [0,0,.1,0,0,.9,0,0],
             [0,0,0,.1,0,0,.9,0],
             [0,0,0,0,.1,0,0,.9],
             [0,0,0,0,0,.1,0,.9],
             [0,0,0,0,0,0,0,1]])
P=pd.DataFrame(P,columns=states)
R
## array([[-1.5],
##
          [-1.5],
##
          [-1.5],
##
          [-1.5],
          [-0.5],
##
##
          [-1.5],
          [-1.5],
##
          [ 0. ]])
##
gamma=1.0
epsilon=10**(-8)
v_old=np.array(np.zeros(8,)).reshape(8,1)
v_new=R+np.dot(gamma*P,v_old)
while np.max(np.abs(v_new-v_old))>epsilon:
    v_old=v_new
    v_new=R+np.dot(gamma*P, v_old)
print(v_new.T)
## [[-5.80592905 -5.2087811 -4.13926239 -3.47576467 -2.35376031 -1.73537603
     -1.6735376 0.
##
                            ]]
```

#### 2. Rewritten with intermediate saving

```
R=np.hstack((np.repeat(-1.5,4),-0.5,np.repeat(-1.5,2),0)).reshape(-1,1)
states=np.arange(0,70+10,step=10)
P=np.matrix([[.1,0,.9,0,0,0,0,0],
             [.1,0,0,.9,0,0,0,0],
             [0,.1,0,0,.9,0,0,0],
             [0,0,.1,0,0,.9,0,0],
             [0,0,0,.1,0,0,.9,0],
             [0,0,0,0,.1,0,0,.9],
             [0,0,0,0,0,.1,0,.9],
             [0,0,0,0,0,0,0,1]])
P=pd.DataFrame(P,columns=states)
gamma=1.0
epsilon=10**(-8)
v_old=np.array(np.zeros(8,)).reshape(8,1)
v_new=R+np.dot(gamma*P,v_old)
results=v_old.T
results=np.vstack((results,v_new.T))
while np.max(np.abs(v_new-v_old)) > epsilon:
    v_old=v_new
    v_new=R+np.dot(gamma*P, v_old)
    results=np.vstack((results,v_new.T))
results=pd.DataFrame(results, columns=states)
```

# results.head()

```
## 0 10 20 30 40 50 60 70

## 0 0.000 0.0000 0.0000 0.000 0.000 0.0000 0.000 0.0

## 1 -1.500 -1.5000 -1.5000 -1.500 -0.500 -1.5000 -1.500 0.0

## 2 -3.000 -3.0000 -2.1000 -3.000 -2.000 -1.5500 -1.650 0.0

## 3 -3.690 -4.5000 -3.6000 -3.105 -2.285 -1.7000 -1.655 0.0

## 4 -5.109 -4.6635 -4.0065 -3.390 -2.300 -1.7285 -1.670 0.0
```

#### results.tail()

```
## 18 -5.805929 -5.208781 -4.139262 -3.475765 -2.35376 -1.735376 -1.673538 0.0
## 19 -5.805929 -5.208781 -4.139262 -3.475765 -2.35376 -1.735376 -1.673538 0.0
## 20 -5.805929 -5.208781 -4.139262 -3.475765 -2.35376 -1.735376 -1.673538 0.0
## 21 -5.805929 -5.208781 -4.139262 -3.475765 -2.35376 -1.735376 -1.673538 0.0
## 22 -5.805929 -5.208781 -4.139262 -3.475765 -2.35376 -1.735376 -1.673538 0.0
```

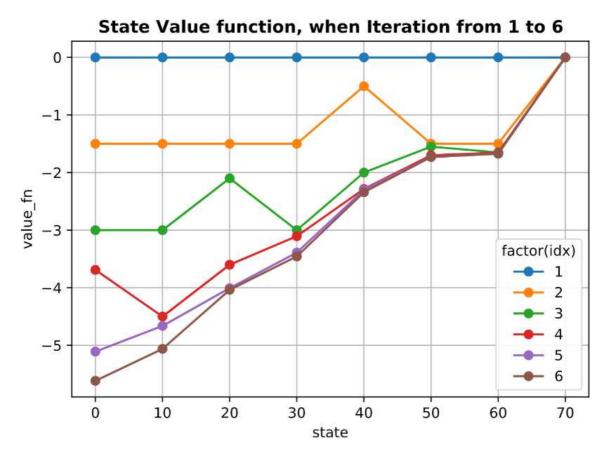
3. Plot(Iteration from 1 to 6 / Iteration from 7 to 12 / Iteration from 13 to 18)

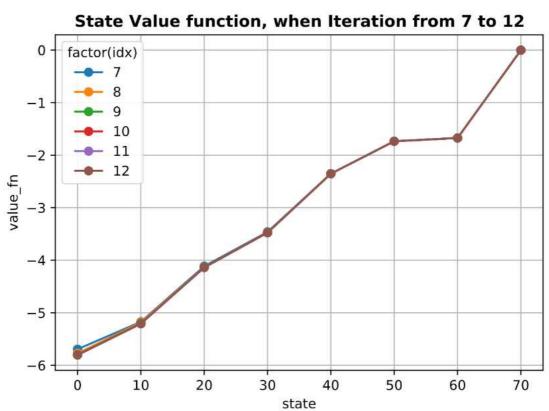
```
for i in range(6,12):
    plt.plot(states, result.iloc[i], marker='o', label=str(i+1))
    plt.grid(True)
plt.legend(title='factor(idx)')
plt.xlabel('state')
plt.ylabel('value_fn')
plt.title('State Value function, when Iteration from 7 to 12',fontweight='bold')
plt.show()
```

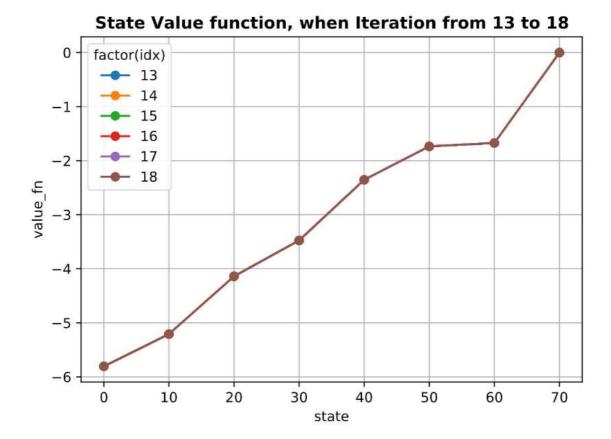
#for문을 활용한 방식

```
plt.plot(states,results.iloc[0],marker='o',label='1')
plt.plot(states,results.iloc[1],marker='o',label='2')
plt.plot(states,results.iloc[2],marker='o',label='3')
plt.plot(states,results.iloc[3],marker='o',label='4')
plt.plot(states,results.iloc[4],marker='o',label='5')
plt.plot(states,results.iloc[5],marker='o',label='6')
plt.grid(True)
plt.legend(title='factor(idx)')
plt.xlabel('state')
plt.ylabel('value_fn')
plt.title('State Value function, when Iteration from 1 to 6',fontweight='bold')
plt.show()
```

#모든 선언을 직접 작성한 형식







## 4. Pi (S->A)

```
states = np.array(range(0,80,10)).astype(str)
pi_speed=np.c_[np.repeat(0,len(states)),np.repeat(1,len(states))]
pi_speed=pd.DataFrame(pi_speed, columns=['normal','speed'],index=states)
pi_speed
```

speed	normal		##
1	0	0	##
1	0	10	##
1	0	20	##
1	0	30	##
1	0	40	##
1	0	50	##
1	0	60	##
1	0	70	##

#### 5. S->R

```
## array([[-1.5],
## [-1.5],
## [-1.5],
## [-0.5],
## [-1.5],
## [-1.5],
## [-1.5],
```

6. S\*A->S (해당부분은 가장먼저 언급한 선언방식에 차이가 있는 코드입니다.)

# 7. Test (대부분의 학생이 동일하였고, 단순 결과값 도출 선언문이었습니다.)

ni	-	peed	
PI	-	peeu	

##		normal	speed
##	0	0	1
##	10	0	1
##	20	0	1
##	30	0	1
##	40	0	1
##	50	0	1
##	60	0	1
##	70	0	1

transition(pi\_speed, states=states, P\_normal=P\_normal, P\_speed=P\_speed)

##		0	10	20	30	40	50	60	70
##	0	0.1	0.0	0.9	0.0	0.0	0.0	0.0	0.0
##	10	0.1	0.0	0.0	0.9	0.0	0.0	0.0	0.0
##	20	0.0	0.1	0.0	0.0	0.9	0.0	0.0	0.0
##	30	0.0	0.0	0.1	0.0	0.0	0.9	0.0	0.0
##	40	0.0	0.0	0.0	0.1	0.0	0.0	0.9	0.0
##	50	0.0	0.0	0.0	0.0	0.1	0.0	0.0	0.9
##	60	0.0	0.0	0.0	0.0	0.0	0.1	0.0	0.9
##	70	0.0	0.0	0.0	0.0	0.0	0.0	0.0	1.0

#### 8. Final implementation

```
def policy_eval(given_pi):
    R=reward_fn(given_pi)
    P=transition(given_pi, states=states, P_normal=P_normal, P_speed=P_speed)

gamma=1.0
    epsilon=10**(-8)

v_old=np.repeat(0,8).reshape(8,1)
    v_new=R+np.dot(gamma*P, v_old)

while np.max(np.abs(v_new-v_old))>epsilon:
    v_old=v_new
    v_new=R+np.dot(gamma*P,v_old)

return v_new.T
```