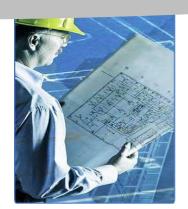


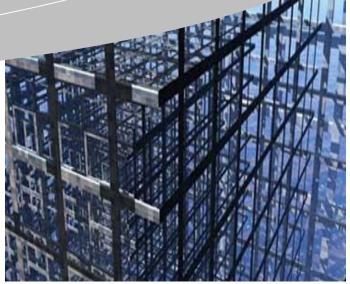
Dynamically Routing UAVs in the Aftermath of a Severe Tornado

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Presentation Outline



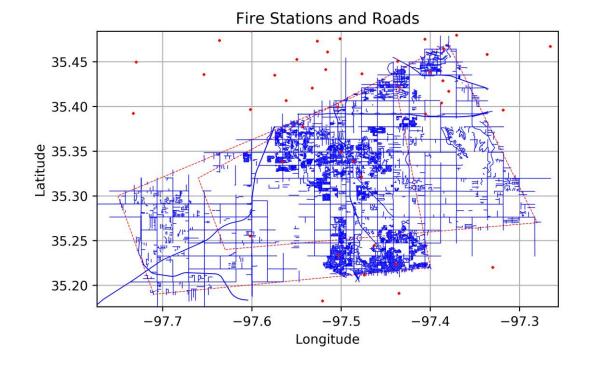
- Past work and limitations of past work
- Some relevant literature
- The new plan
- A naive policy
- Next steps



Past Work and Context

- Allocates and routes semiautonomous UAVs with weather data and geospatial indicators
 - Weather warnings
 - Severe weather sightings
 - Roads
- Uses a fixed wing, gaspowered UAV

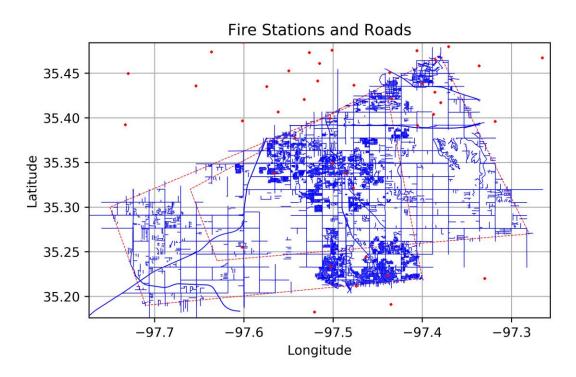


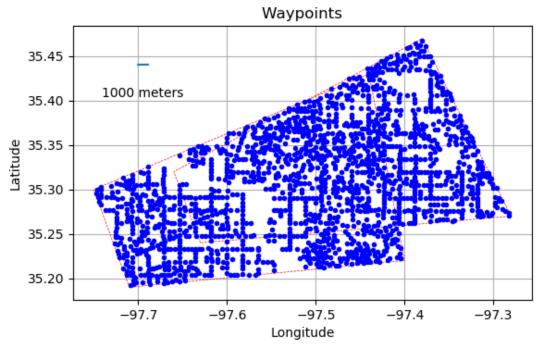




Past Work and Context: Data Generation

Fire Station	SBW	LSR
Where drones are launched and retrieved, aka 'depots'	The box indicating severe weather	A sighting of severe weather







DCVRP: Problem Formulation and Constraints (1/2)

Sets:

$i,j \in W$	Set of waypoints (customers)		
$s \in S$	Set of stations (depots where		
	drones depart)		
$i \in V = W \cup S$	Set of hubs and customers		

Parameters:

t_{ij}	Time (cos	st) of	going	from i to j
_				_

- E The upper limit of time a drone can fly (endurance)
- K The upper limit on the number of drones available
- M Big number, specifically $\max_{j}[t_{ij}]$

Variables:

 $x_{ijk} \in \{0,1\}$ Arc i to j is traveled by drone from depot kLoad variables specifying the total load serviced by vehicle since its last visit to a depot by the time it reaches customer node i. $ar{t} \in \mathbb{R}^+$ Time it takes for the longest drone to complete it's tour



DCVRP: Past Problem Formulation and Constraints (2/2)

Objective Function:

 $\min \bar{t}$ (1)

Maximum tour time:

$$\sum_{\substack{i \in V \\ j \neq i}} \sum_{\substack{j \in W \\ j \neq i}} t_{ij} x_{ijs} \leq \bar{t} \qquad \forall s \in S \quad (2)$$

Endurance limit:

$$\sum_{i \in V} \sum_{\substack{j \in V \\ j \neq i}} t_{ij} x_{ijs} \le E \qquad \forall s \in S \quad (3)$$

Drone used indicator:

$$\sum_{j \in W} x_{sjs} \le K \qquad \qquad s \in S \qquad (4)$$

Flow constraints:

$$\sum_{\substack{j \in W \\ j \neq i}} \sum_{s \in S} x_{ijs} = 1$$

$$i \in V$$
 (5)

$$\sum_{\substack{i \in V \\ i \neq j}} x_{ijs} - \sum_{\substack{k \in V \\ j \neq k}} x_{jks} = 0 \qquad \qquad s \in S \\ j \in V \qquad (6)$$

Load and subtour elimination constraints:

$$z_{\rm ss} = 0 \qquad \qquad s \in S \qquad (7)$$

$$(z_{is} + t_{ij} - z_{js}) \le M(1 - x_{ijs})$$

$$i \in V$$

$$j \in W$$

$$s \in S$$

$$i \neq j$$
(8)

$$(z_{is} + t_{ij} - z_{js}) \ge -M(1 - x_{ijs})$$

$$i \in V$$

$$j \in W$$

$$s \in S$$

$$i \ne j$$

$$(9)$$



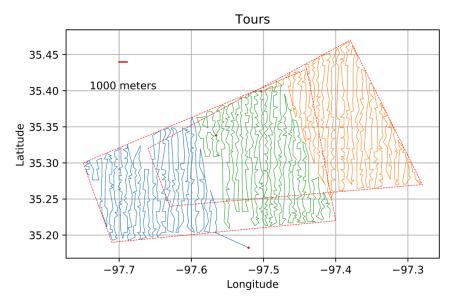
Limitations

What was done

- Demonstration of data available and its use to allocate and route UAVs
- Proposed a multi-depot VRP with an objective function that minimized the time it took to search the entire area

What are the Limits

- Do not need entire area
- Identify where damage is quickly as possible





Relevant literature

- Reviewing literature with the following attributes:
 - Wilderness or Urban SAR or Combat Environments
 - Autonomous or semi-autonomous flying vehicles, with preference to fixed wing aircraft
 - No preference to disaster type
- Common tools are decision policies (Combat/Military) and preplanned routes (SAR)
- Most applicable article from the literature is using a fleet UAVs in a combat environment
 - Radio silence, uses a region sharing strategy, pre-planned route, and a decision policy to react to information



The New Plan

- Create an initial route as before
- Conjecture: The best indicator of damage is damage
- As drones search the area, operators can begin to uncover and identify damage
- Rescuers can be dispatched when damage is identified
- If damage is identified in a given area, it increases the likelihood an adjacent area(s) will have damage.



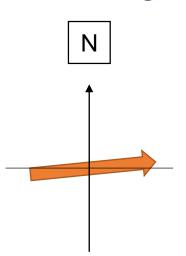


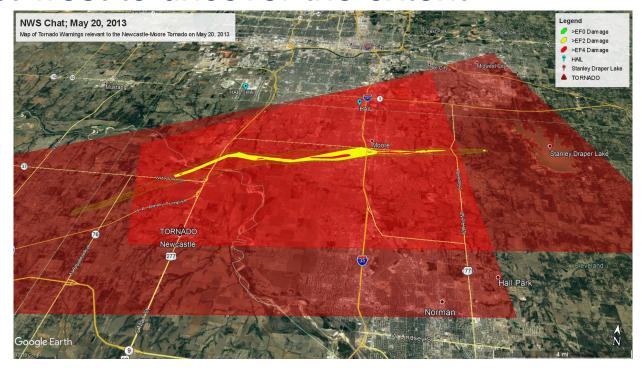
A Naive Policy

• Consider most tornadoes in the continental United States move in a west-to-east or southwest-to-northeast direction

 A naïve policy would be to fly in a north-south pattern until damage is identified, then fly east-west to uncover the extent

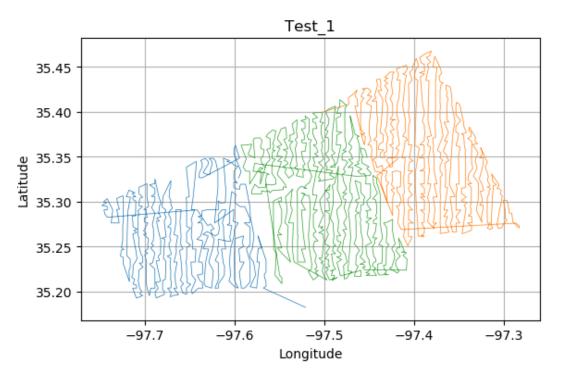
of the damage

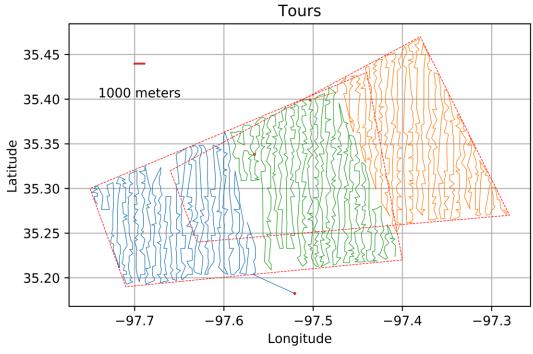






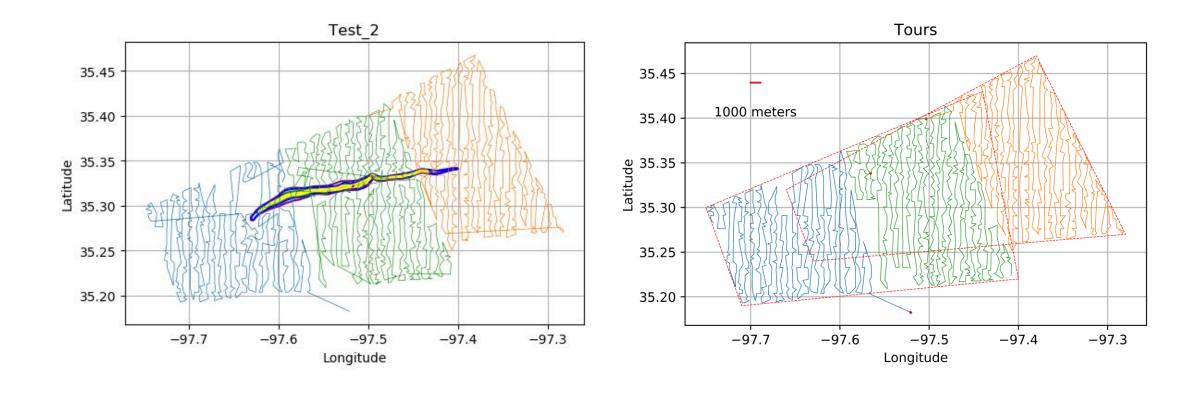
Testing a Naive Policy







Testing a Naive Policy





Conclusion and Next Steps

- The naive policy reacts to 'seeing' damage Where Damage Occurred (on average)...
- Regions with EF5 and EF4 damage could be dispatched up to 45 mins earlier.
- EF3 was 10 mins slower, Less damage up to 30 mins later.

But we can do better!

 Leverage the data and expertise of how Meteorologists draw storm warnings could mean we can better dynamically route the UAVs



Thank You!

