

1. (a) Given $\mathbf{G}_1(s) = \frac{2}{s^2 + 2s + 2} = \frac{K_1}{s + 1 - j1} + \frac{K_1^*}{s + 1 + j1}$, find K_1 . (6%)

(b) Given $\mathbf{F}_1(s) = \frac{2}{s + 2} + \frac{2}{s + 3}$, $\mathbf{F}_2(s) = e^{-2s}\mathbf{F}_1(s)$, find $f_2(t)$. (6%)

(c) Use initial value and final value theorems to find the initial and final values of $f(t)$ if

$$\mathbf{F}(s) = \frac{2s^2 + s + 1}{s(s^2 + 4s + 4)} \quad (10\%)$$

2. Find and use the transfer function $\mathbf{H}(s) = \mathbf{V}_o(s)/\mathbf{V}_i(s)$ of the circuit shown in Fig. 2 to determine the steady-state response $v_{oss}(t)$ if $v_i(t) = 10\cos 5t$ V. (22%)

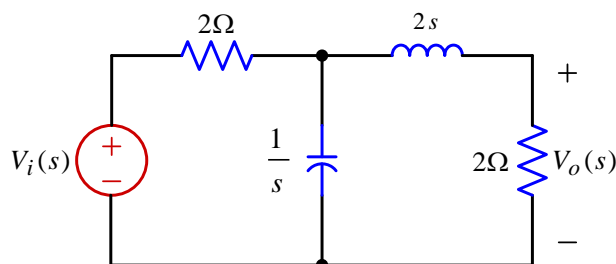


Fig. 2

3. 電動車等效模型如 Fig.3，此電路由電壓源 $v(t)$ 驅動， $v(t)$ 之傅立葉級數如下：

$$v(t) = \sum_{\substack{n=1 \\ n \text{ odd}}}^{\infty} \frac{10}{n\pi} \sin n\omega_0 t$$

(a) 畫出 $v(t)$ 前 2 項的振幅(amplitude)與(phase)相角頻譜(12%)

(b) 使用 $v(t)$ 前 2 項求出 $i(t)$ ($\omega_0 = 1000$) (12%)

(c) 計算吸收的平均功率(12%)

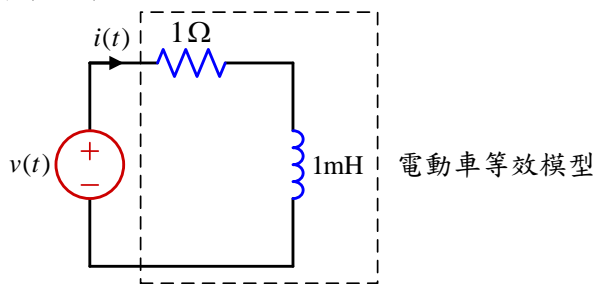


Fig. 3

4. 求出 Fig. 4 雙埠網路的阻抗參數，寫出詳細計算過程，並注意單位(20%)

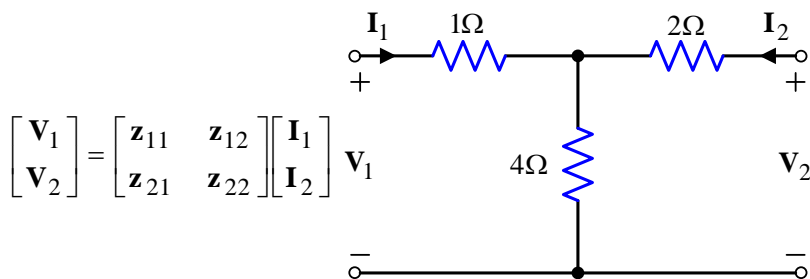


Fig. 4