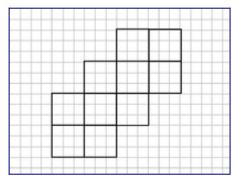
Decomino

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A **decomino**, or **10-omino**, is a <u>polyomino</u> of order 10, that is, a polygon in the plane made of 10 equal-sized <u>squares</u> connected edge-to-edge.[1] When <u>rotations</u> and <u>reflections</u> are not considered to be distinct shapes, there are 4,655 different <u>free</u> decominoes (the free decominoes comprise 195 with holes and 4,460 without holes). When reflections are considered distinct, there are 9,189 *one-sided* decominoes. When rotations are also considered distinct, there are 36,446 *fixed* decominoes.[2]

Symmetry



The unique decomino with two axes of reflection symmetry, both aligned with the diagonals

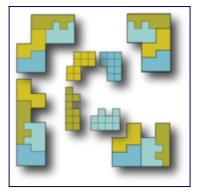
The 4,655 free decominoes can be classified according to their symmetry groups:[2]

- 4,461 decominoes have no <u>symmetry</u>. Their symmetry group consists only of the <u>identity</u> <u>mapping</u>.
- 90 decominoes have an axis of <u>reflection symmetry</u> aligned with the gridlines. Their symmetry group has two elements, the identity and the reflection in a line parallel to the sides of the squares.
- 22 decominoes have an axis of reflection symmetry at 45° to the gridlines. Their symmetry group has two elements, the identity and a diagonal reflection.
- 73 decominoes have point symmetry, also known as <u>rotational symmetry</u> of order 2. Their symmetry group has two elements, the identity and the 180° rotation.

- 8 decominoes have two axes of reflection symmetry, both aligned with the gridlines. Their symmetry group has four elements, the identity, two reflections and the 180° rotation. It is the dihedral group of order 2, also known as the <u>Klein four-group</u>.
- 1 decomino has two axes of reflection symmetry, both aligned with the diagonals. Its symmetry group is also the dihedral group of order 2 with four elements.

Unlike both octominoes and nonominoes, no decomino has rotational symmetry of order 4.

Packing and tiling



A <u>self-tiling tile set</u> consisting of decominoes

195 decominoes have holes. This makes it trivial to prove that the complete set of decominoes cannot be <u>packed</u> into a rectangle, and that not all decominoes can be <u>tiled</u>.

The 4,460 decominos without holes comprise 44,600 unit squares. Thus, the largest square that can be tiled with distinct decominoes is at most 210 units on a side (210 squared is 44,100). Such a square containing 4,410 decominoes was constructed by Livio Zucca.[3]

References

1.

- <u>Golomb, Solomon W.</u> (1994). Polyominoes (2nd ed.). Princeton, New Jersey: Princeton University Press. <u>ISBN</u> <u>0-691-02444-8</u>.
- Redelmeier, D. Hugh (1981). "Counting polyominoes: yet another attack". Discrete Mathematics. **36** (2): 191–203. <u>doi:10.1016/0012-365X(81)90237-5</u>.
- 3. <u>Iread.it: Maximal squares of polyominoes</u>

• <u>v</u> • <u>t</u> • <u>e</u> Polyform

Polyominoes

<u>Polyomino</u>

- <u>Domino</u>
- <u>Tromino</u>
- <u>Tetromino</u>
- Pentomino
- <u>Hexomino</u>
- <u>Heptomino</u>
- Octomino
- Nonomino
- Decomino
- Polyominoid

Higher dimensions

- <u>Polycube</u>
- <u>Polyabolo</u>
- <u>Polydrafter</u>
- Polyhex

Others

- Polyiamond
- Pseudo-polyomino
- Polystick
- Blokus
- Soma cube
- Snake cube

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