## 1 Code Listings

```
Listing 1: a7.m.
   function_names = ["Rosenbrock", "f(x) (n = 10)", "f(x) (n = 100)"];
   functions = {f_rosenbrock() a7_function(10) a7_function(100)};
   x0s = \{[-1.2; 1] \ a7\_function\_x0(10) \ a7\_function\_x0(100)\};
   epsilon = 1e-6;
   for i = 1:1
       f = functions{i};
       x0 = x0s\{i\};
10
        [x_k, k] = newton_inexact(f, x0, epsilon);
11
12
       disp(function_names(i));
       disp("Solution x:");
14
       disp(x_k);
15
       disp("Solution f(x):");
16
       disp("f(x) = " + f(x_k));
       disp("Number of iterations:");
18
       disp(k);
19
       disp("----");
20
   end
                                    Listing 2: f_rosenbrock.m.
  function f_rosenbrock = f_rosenbrock()
  f_rosenbrock = @(x) 100 * (x(2) - x(1)^2)^2 + (1 - x(1))^2;
   end
                                     Listing 3: a7_function.m.
   function f = a7_function(n)
   f = 0(x) 0;
   for i = 1:n
       F_i = 0(x) x(i) - 1;
       f = 0(x) f(x) + F_i(x) ^2;
   end
   F_n1 = 0(x) 0;
   for j = 1:n
       F_n1 = O(x) F_n1(x) + j * (x(j) - 1);
10
11
   f = 0(x) f(x) + F_n1(x) ^2;
12
   F_n2 = 0(x) F_n1(x)^2;
13
   f = 0(x) f(x) + F_n2(x)^2;
14
15
   end
16
```

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Listing 4: a7_function_x0.m.
   function x0 = a7_function_x0(n)
   x0 = zeros(n, 1);
   for i = 1:n
        x0(i) = 1 - i / n;
   end
   end
                                    Listing 5: newton_inexact.m.
   function [x, k] = newton_inexact(f, x0, epsilon)
_2 beta = 0.5;
_3 sigma = 1e-4;
  rho = 1e-8;
  p = 2.1;
   c1 = 1e-2;
   c2 = 1;
   k = 0;
   x = x0;
   grad_val = gradest(f, x).';
   n = norm(grad_val);
12
   while n > epsilon
13
        eta = min([c1 / (k + 1), c2 * n]);
14
15
        % CG method (to solve inexact Newton equation)
16
        d = cg(hessian(f, x), -grad_val, -grad_val, eta * n);
17
18
        if grad_val' * d > - rho * (norm(d)^p)
19
            d = -grad_val;
20
        end
21
22
        % Armijo update
        t = armijo(f, x, sigma, grad_val, d, beta);
24
25
        x = x + t*d;
26
        k = k + 1;
        grad_val = gradest(f, x).';
28
        n = norm(grad_val);
29
   end
   end
                                        Listing 6: armijo.m.
   function t = armijo(f, x_k, sigma, grad_val, d, beta)
   1 = 0;
   t = 1;
   f_val = f(x_k);
   rhs = sigma * grad_val.' * d;
   while f(x_k + t*d) > f_val + t*rhs
        1 = 1 + 1;
        t = beta ^ 1;
   end
   end
```

```
Listing 7: cg.m.
```

```
function x = cg(A, x0, b, epsilon)
_{2} x = x0;
_{3} g = A * x - b;
  d_cg = -g;
   while norm(g) > epsilon
       g_norm_2 = norm(g)^2;
       t_cg = g_norm_2 / (d_cg' * A * d_cg);
       x = x + t_cg * d_cg;
9
       g = g + t_cg * A * d_cg;
10
       beta_cg = norm(g)^2 / g_norm_2;
11
       d_cg = -g + beta_cg * d_cg;
12
   end
13
   end
14
```