= c(+) · dv + v(+) · dc (c(+) v'(+) + v(+) c'(+)) $= (4-t^2)(3) + (1+3t)(-2t)$ $\frac{d}{dr}(1+3t)=3 \qquad \frac{d}{dr}(4-t^2)=-2t$ So n'(+) = 12-3t2 - Zt - 6t2 $= -9t^2 - 2t + 12$ 1) Since initially means t=0, $n^{1(0)}=-9(0)-2(0)t/2>0$

* C(+) is a parabola, v(+) is linear

dn = h(+) = d+ (c(+) v(+))

The change in n(t) is given by its derivative,

2) Achange in Schoular can happen at a critical point, where
$$n(t) = 0$$
. We have to solve
$$-9t^2 - 2t + 12 = 0$$
 by the quadratic formula

so initially, n(+) is increasing.

 $t = \frac{2 \pm \sqrt{4 - 4(9)(12)}}{-18} = -\frac{1}{9} \pm \frac{\sqrt{109}}{9} \approx -1.27, +1.049$ this one makes Since since it

the entical point is t≈ 1.05 sec is positive