IMAGE COMPRESSION FOR PRECISION LIVESTOCK FARMING

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ABSTRACT
The desire for quantitative, qualitative, individual tracing of livestock in the agricultural sector has created the need for more efficient data analysis, including image processing. Of this development depends the formation of a truly efficient and useful technical farming sector.

Image compression can be applied to many problems, methods have also been investigated for more classical interpolation problems such as zooming into an image by increasing its resolution.

Which is the algorithm you proposed? What results did you achieve? What are the conclusions of this work? The abstract should have **at most 200 words**. (*In this semester, you should summarize here execution times, memory consumption, compression ratio and accurracy*).

Keywords
Compression algorithms, machine learning, deep learning, precision livestock farming, animal health.

1. INTRODUCTION

Efficient algorithms for image compression always be a problem planted in all solutions that involve analysis, implementation, or image manipulation.

As an example, when a service stores a lot of images, theses need to be compressed when they are stored in servers this aiming to reduce the size of the images and the space needed to save them, reducing cost of infrastructure.

An efficient algorithm of image compression in the context of precision livestock farming allows to reduce costs and the accessibility to farms for implements software that help them to increase the lifetime of cattle.

1.1. Problem

The problem we confront is the need for efficient image compression algorithms, developed for the growing Precision Livestock farming sector.

With growing population, and hence food demands, the need for a more efficient agricultural industry is rapidly intensifying. For with higher demand comes less time available for production.

Additionally, in Colombia, there are 14 different unofficially controlled diseases which highly decrease productivity, animal reproductivity and the stability of the industry. Including, for example, Tuberculosis, brucellosis, bovine rabies and foot and mouth disease. [8]

Efficient image processing, focused on livestock health, could have a tall impact in overcoming these challenges.

1.2 Solution

In this work, we used a convolutional neural network to classify animal health, in cattle, in the context of precision livestock farming (PLF). A common problem in PLF is that networking infrastructure is very limited, thus data compression is required.

We wanted to explore different solutions for this problem, and Annalise conveniences for each one. With Nearest Neighbors we can appreciate a big loss of information and in some cases it's impossible recognize the picture, special in small dimensions. For these reasons we decided use linear interpolation for the compression of data, even if the disk size of the image is not reduced as in Nearest Neighbors. We want to maintain the effectiveness of the model and not generate a counterproductive effect.

1.3 Article structure

In what follows, in Section 2, we present related work to the problem. Later, in Section 3, we present the data sets and methods used in this research. In Section 4, we present the algorithm design. After, in Section 5, we present the results. Finally, in Section 6, we discuss the results, and we propose some future work directions.

2. RELATED WORKIn what follows, we explain four related works on the domain of animal-health classification and image compression in the context of PLF.

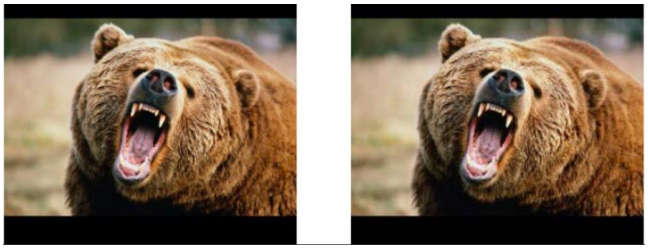
2.1 High-Performance System for Secure Image Communication in the Internet of Things

They create the BPG format which has many advantages over JPEG. It achieves a higher compression ratio with smaller size than JPEG for similar quality. The algorithm can be divided into 4 functions: BPG encoder, BPG decoder, JavaScript decoder and BPG decoding. The first takes the image in JPEG or PNG as input, performs BPG compression and returns the image in BPG format. The need for an algorithm supported by most browsers is a problem that BPG solves. [13]

The BPG encoder is based on HEVG encoding which is considered the greatest advance in compression techniques. HEVC offers great efficiency due to the smart approach used to reduce the area in pixels that is being encoded.

Some of the metrics used for this compression algorithm are:

- RMSE: The average difference of squares, pixel by pixel
- PNSR: Light component
- SSIM: Correlated with human perception: Brightness, contrast and structure.
- MSSIM: Difference and Cross Correlation
- VIF: Mutual information



[13]

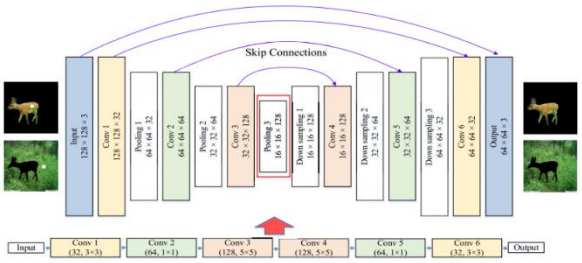
Test Image	Compression	Size (KB)	RMSE	SSIM	VIF	MSSIM	PSNR
Bear Image	JPEG (input image)	19.4	0.015	0.960	5.097	8.691	84.0
	BPG image	15.8	0.012	0.977	5.201	9.008	84.8

2.2 High-Efficiency Progressive Transmission and Automatic Recognition of Wildlife Monitoring Images with WISNs

Wireless Image Sensor Networks (WISN) are widely applied in wildlife monitoring, as they perform better in real-time remote monitoring. Traditional WISNs suffer from the limitations of low throughput, power consumption restrictions, and narrow transmission bandwidth. [14]

A convolutional codec was used to prioritize the transmission of the important region and ensure that staff can receive the region of greatest interest for the first time. [14]

They selected 1,000 images as a training set, 100 images as a validation set, and 200 images as a test set. All images are 128 × 128 pixels in size. The following figure uses the ADAM optimizer. [14]



For loss of training, they use the root mean square error (MSE) between the restored images as follows, which indicates the degree of inconsistency of the estimated value. Compared to the cross-entropy function, this loss function is related to the correct and incorrect prediction result to make the incorrect result become an average value.

2.3 Estimation of Primary Quantization Steps in Double-Compressed JPEG Images Using a Statistical Model of Discrete Cosine Transform

Double compression of images occurs when one compresses twice, possibly with different quality factors, a digital image.

Estimation of the first compression parameter of such a double compression is of a crucial interest for image forensics since it may help revealing, for instance, the software or the source camera. This paper proposes an accurate method for estimating the primary quantization steps in double-compressed JPEG images. [15]

In contrast with prior statistical model-based methods, the paper proposes to exploit the state-of-the-art statistical model of once-quantized DCT coefficients. This model can accurately capture statistics of DCT coefficients, which leads to improve considerably the estimation accuracy. [15]

The article proposes a method for the estimation of quantization steps (of pixel rounding) using a model of secondary DCT coefficients.

3. MATERIALS AND METHODS

In this section, we explain how the data was collected and processed and, after, different image-compression algorithm alternatives to solve improve animal-health classification.

3.1 Data Collection and Processing

We collected data from Google Images and Bing Images divided into two groups: healthy cattle and sick cattle. For healthy cattle, the search string was “cow”. For sick cattle, the search string was “cow + sick”.

In the next step, both groups of images were transformed into grayscale using Python OpenCV and they were transformed into Comma Separated Values (CSV) files. It was found out that the datasets were balanced.

The dataset was divided into 70% for training and 30% for testing. Datasets are available at https://github.com/mauriciotoro/ST0245-Eafit/tree/master/proyecto/datasets.

Finally, using the training data set, we trained a convolutional neural network for binary image-classification using Google Teachable Machine available at https://teachablemachine.withgoogle.com/train/image.

3.2 Lossy Image-compression alternatives

In what follows, we present different algorithms used to compress images. *(In this semester, examples of such*

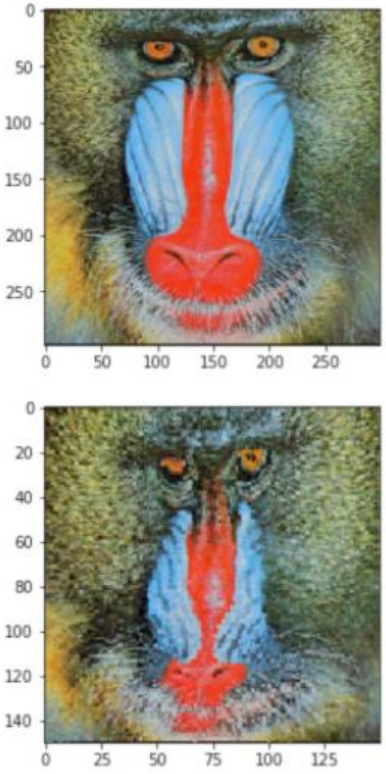
algorithms are Seam carving, image scaling, discrete cosine transform, wavelet compression and fractal compression).

3.2.1 Seam Carving

This technique was invented on the 2007 paper by Shai Avidan and Ariel Shamir "Seam Carving for Content-Aware Image Resizing".

A seam is defined as an optimal 8-connected path of pixels, that is, that are connected to each other sharing an edge or a corner. Seams range from either the top of an image to its bottom or from side to side, contain one pixel per row or column (depending on their orientation) and their path is defined by an energy function. The output of this functions can be determined by several mathematical functions They are, however, created with the underlying idea that, rapid change on pixel intensity indicates a more relevant part of the image, and hence will have higher energy. [6] [10]

The algorithm then removes one seam at a time, starting with the ones with the lowest energy value, until the desire compression is achieved. [6] [10] Additionally, Seam Carving can be used to resize an image to any size, not just compression. [6] [10]

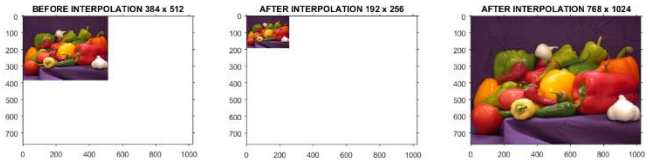


[6]

3.2.2 Nearest-neighbor interpolation

This algorithm is one of the simplest ways of resizing an image. This method, when resizing, simply selects a neighboring pixel´s and assumes is intensity value. [1] [2] [3]

It is commonly used in real-time 3d rendering, as in the zoom tool in Photoshop. [1]



[3]

3.2.3 Discrete Cosine Transform (DCT)

This algorithm takes the spatial domain of an image, as in it takes the intensity values of pixel clusters in the picture, to transform it into a frequency domain. This final domain is determined by expressing the image as a two-dimensional matrix and then applying the DCT formula (shown
below). [10]

$$B_{pq} = \alpha_p \alpha_q \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} A_{mn} \cos \frac{\pi(2m+1)p}{2M} \cos \frac{\pi(2n+1)q}{2N}, \quad \begin{matrix} 0 \le p \le M-1 \\ 0 \le q \le N-1 \end{matrix}$$

$$\alpha_p = \begin{cases} 1/\sqrt{M}, & p = 0 \\ \sqrt{2/M}, & 1 \le p \le M-1 \end{cases} \quad \alpha_q = \begin{cases} 1/\sqrt{N}, & q = 0 \\ \sqrt{2/N}, & 1 \le q \le N-1 \end{cases}$$

This formula essentially searches for a superposition of cosines whose outputs better represent the original pixel clusters. Then quantization is applied, that is discrete values are selected, and redundant data is removed. [10]

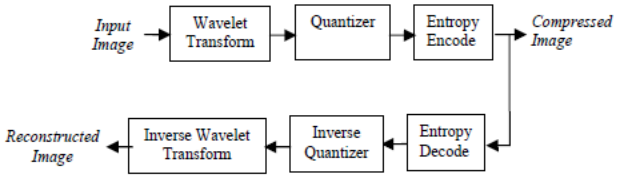
To get the original image back, the inverse formula must be applied. Because of the quantization process, the quality of reconstructed image and compression ratio is improved. [10]

3.2.4 Discrete Wavelet Transform (DWT)

Wavelets are signals which are local in time and scale, with generally an irregular shape, who can separate the fine details in a larger signal, like the ones given by an image color intensity. They can be used to decompose them into components. [10]

DWT uses wavelets to decompose images into four sub-images, denominated LL, LH, HL and HH. Each of these sub-images extracts different features of the original. Of this, the most relevant is LL, which can take care of fine detail

and so is used for further decomposition. Then quantization is applied to get wavelet coefficients and the entropy coding is applied on wavelet coefficients to get the compressed image data. [10] [12]

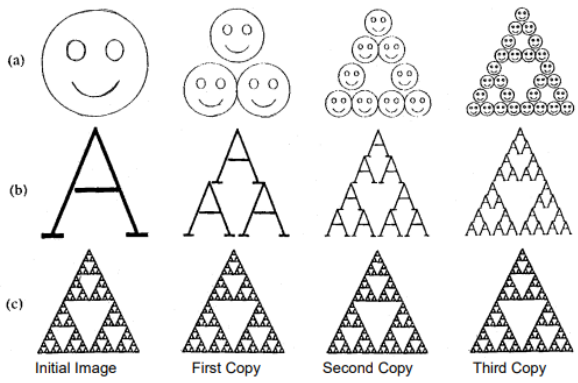


[12]

3.2.4 Fractal Encoding

Fractal identifies redundant data in an image and removes it to be compressed. [10]

It functions by dividing the image into non-overlapping blocks and then, by mathematical methods comparing them between each other. If the blocks do not surpass an error tolerance of similarity, the information is recorded. Otherwise, the blocks are subdivided and the whole process repeated. [10]



3.3 Lossless Image-compression alternatives

In what follows, we present different algorithms used to compress images. *(In this semester, examples of such algorithms are Borrows & Wheeler Transform, LZ77, LZ78, Huffman coding and LZS).*

3.3.1 Burrows-Wheeler Transform (BWT)

This algorithm was invented by Michael Burrows and David Wheeler in 1994. It is commonly used in data compression, as in bzip2. [9]

BWT begins by creating a table with all possible permutations of a given string. It then rearranges alphabetically and returns the last column of the table. This final column can be later be used as a base to reconstruct the whole string without data loss. [7]

Transformation				
Input	All Rotations	Sorting All Rows into Lex Order	Taking Last Column	Output Last Column
^BANANA|	^BANANA| |^BANANA A|^BANAN NA|^BANA ANA|^BAN NANA|^BA ANANA|^B BANANA|^	ANANA|^B ANA|^BAN A|^BANAN BANANA|^ NANA|^BA NA|^BANA ^BANANA| |^BANANA	ANANA|^B ANA|^BAN A|^BANAN BANANA|^ NANA|^BA NA|^BANA ^BANANA| |^BANANA	BNN^AA|A

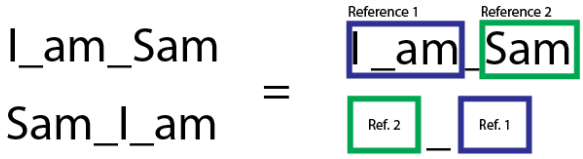
3.3.2 LZ77, LZ78 and LZSS

LZ77 and LZ78 are dictionary-based lossless schemes. These compressors replace sub-strings in a dataset with shorter codewords, stored in dictionaries. [11]

In LZ77 the codewords are composed in base of the most recently encoded data, also called search buffer. These code-words are pointers to the longest match in the buffer for a given sub-string. [11]

The LZ77 approach needs the patterns to occur close to each other to be efficient. The ZL78 does not have this need, for it uses not a buffer. Instead, the dictionary in this scheme is an indexed list of some previously encountered sub-strings. [11]

Finally, we have the LZSS scheme, which was derived from LZ77. This scheme has two main differences from its predecessor. First, unlike LZ77, LZSS does not permit the dictionary reference to be longer that the sub-string it is replacing. Second, it uses one-bit flags to indicate whether the next chunk of data is a literal (byte) or a reference to an offset/length pair. [5]



[11]

3.3.4 Huffman Encoding

A variable length coding technique. It identifies frequently occurring patterns in a data set and assigns them a code word. The more frequent the pattern, the shorter the word assigned. [11]

For this, the algorithm uses a binary tree, constructer from bottom up, where the leaf nodes represent the patterns and their corresponding probability, located in descending order. It then adds the lower probabilities and repeats this process until two or less probabilities are left. This generates the binary tree. Finally, the algorithm assigns the corresponding code words and saves the data. [11]

4. ALGORITHM DESIGN AND IMPLEMENTATION

In what follows, we explain the data structures and the algorithms used in this work. The implementations of the data structures and algorithms are available at Github[1].

4.1 Data Structures

We use a 2d Array to represent the image in their 2 components x and y. Each position of the array represents the intensity of the corresponding pixel. This facilitates the access to the pixels.

	0	1	2	3	4
0	245	245	245	245	245
1	230	220	240	200	192
2	220	214	219	234	193
3	212	200	209	194	197

Figure 1: 2D array with the 20 first pixels of an image.

4.2 Algorithms

In this work, we propose a compression algorithm which is a combination of a lossy image-compression algorithm and a lossless image-compression algorithm. We also explain how decompression for the proposed algorithm works.

Note, we apply the following algorithm to each row separately, to reduce memory consumption.

The complete compression algorithm goes as follows:

1. We first apply a lossy scaling linear interpolation algorithm.
2. We then apply a Borrow wheeler transform.
3. Finally, we apply a lossless run length encoding algorithm that returns a string to be stored or manipulated as desired.

As for the decompression we merely follow the inverse process:

1. We first apply an inverse run length encoding to get back the array.
2. We then apply an inverse Burrow wheeler transform to get the original array ready to be turned back into an image.

We implemented linear interpolation with 2 variants: With scaling and without scaling of dimensions of the image. In some cases, the image is needlessly large, for these cases we need to use linear interpolation with scaling.

4.2.1 Linear interpolation with scaling

To calculate the value of each new pixel of the compressed image we take a block of 4 pixels from the original image and get its average value (intensity), the result will be saved in a new 2d array and all the four blocks receive this new average value.

$$p[y][x] = \frac{p[y][x] + p[y+1][x] + p[y][x+1] + p[y+1][x+1]}{4}$$

Figure 2: The formula used to calculate each new pixel value.

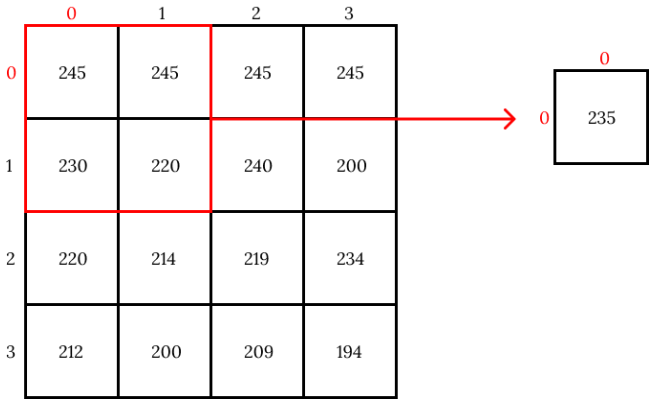


Figure 3: The graphic method of linear interpolation with scaling

4.2.2 Linear interpolation whiteout scaling

The method is the same, we take a block of 4 pixel from the original image and get the average. But unlike of the scaling method we save the result in the same position from the original image in the new compress image.

[1]https://github.com/sebasbeleno/ST0245-001

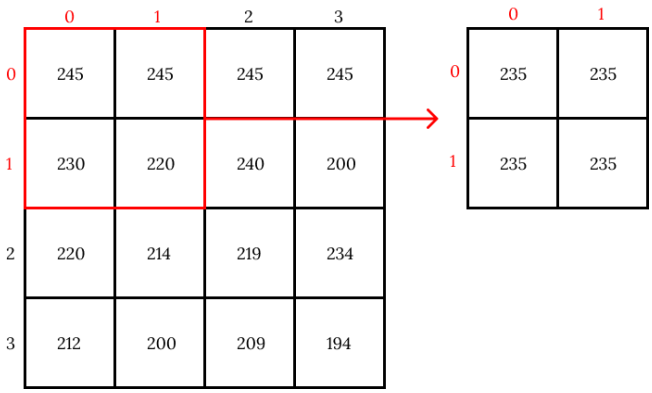


Figure 3: The graphic method of linear interpolation without scaling

4.2.3 Burrow Wheeler Transform

We apply a process identical to the one described previously, adapted to a number array. We take advantage of the data used being composed solely of grey scale images, so there is no need to store the whole RGB format, merely one integer to represent each pixel.

For example, 225,225,225 is stored as 225.

Is worth noting, apply the transform separately to each row of the matrix.

An array list was used to store the data inside the method which applies the Burrow Wheeler Transform.

Pythons sort function was used for sorting.

4.2.4 Run length encoding

This is a simple process that merely counts each consecutive apparition of identical integers, and the returns a string containing each integer and its apparition count.

In our case, the information is represented with a sting containing integers and commas, where the first integer is the original number and the one which follows is its apparition count, and so on.

For example, the array [1,1,1,1,1,1,1,2] would be transformed into the string 1,7,2,1.

4.2.4 Inverse run length encoding.

We simply use the information stored in the string to get back the array. Note, this array has the Burrow Wheeler transform applied to it.

To achieve this, we must generate all the original numbers in accordance with their specific counters.

4.2.5 Inverse Burrow Wheeler Transform

This is a slightly more unintuitive process:

1. We index each int by generating a tuple list while preserving their original order.
2. We obtain the first column of the iterations by sorting the now indexed array.
3. We can now deduce that the numbers present in the same row of the first and last columns must be consecutive. We add this numbers to the answer array.
4. We search for the last added number inside the last column, and we repeat the process until the whole array has been reconstructed.

4.3 Complexity analysis of the algorithms

We calculate the complexity of the complete algorithm following the process described before, considering that it is applied separately for each row.

Let r be the number of rows in the array and c the number of columns.

Then the lossless compression worst case complexity is

O(r*(c**2)*log(c)). The lossy compression algorithm has then a worst case time complexity of O(r*c) .

Therefore, the complete compression algorithm has a worst case time complexity of approximately O(r*(c**2)*log(c)).

Similarly, the complete decompression algorithm has a worst-case time complexity of O(r*c).

Algorithm	**Time Complexity**
Compression	O(r*(c**2)*log(c))
Decompression	O(r*c)

Table 2: Time Complexity of the image-compression and image-decompression algorithms.

Algorithm	**Memory Complexity**
Compression	O(r*c)
Decompression	O(r*c)

Table 3: Memory Complexity of the image-compression and image-decompression algorithms. *(Please explain what do N and M mean in this problem).*

4.4 Design criteria of the algorithm

Despite limiting the compression capability, we applied the algorithm to each row in isolation to reduce memory complexity. This compromise is what allowed to achieve such a small memory complexity.

We decided to make use of linear interpolation for its simple implementation, which is accompanied by fast performance. We did this knowing that the visual appeal of the images has no major importance for our purposes, since we merely need to correctly classify the images.

As for the Borrow Wheeler Transform, we chose it expecting much color repetition inside the compressed images, since the simple linear interpolation as well implemented promotes this.

Finally, we decided to make use of a run length encoding algorithm for it is well complemented by the Borrow wheeler transform. In fact, the compression achieved is only possible by the combination of these two algorithms.

Additionally, although the resultant compression is relatively slow, decompression by this method is quite fast, accompanied with low memory consumption (although perhaps not optimal).

5. RESULTS

5.1 Execution times

In what follows we explain the relation of the average execution time and average file size of the images in the data set, in Table 6.

	Average execution time (s)	***Average file size (MB)***
Compression	10 s	43 MB
Decompression	10.59 s	43 MB

Table 6: Execution time of the algorithms for different images in the data set.

5.3 Memory consumption

We present memory consumption of the compression and decompression algorithms in Table 7.

	Average memory consumption (MB)	***Average file size (MB)***
Compression	410 MB	43 MB
Decompression	100 MB	43 MB

Table 7: Average Memory consumption of all the images in the data set for both compression and decompression.

5.3 Compression ratio

We present the average compression ratio of the compression algorithm in Table 8.

	Healthy Cattle	***Sick Cattle***
Average compression ratio	1:1	1:1

Table 8: Rounded Average Compression Ratio of all the images of Healthy Cattle and Sick Cattle in txt format

	Healthy Cattle	***Sick Cattle***
Average compression ratio	1:3	1:3

Table 9: Rounded Average Compression Ratio of all the images of Healthy Cattle and Sick Cattle in png format

6. DISCUSSION OF THE RESULTS

We observe a very efficient memory consumption. We then conclude that our decision to perform the lossless algorithm to each individual row had a good impact in this respect.

The compression ratio was, unfortunately, much less than ideal when comparing txt files. Strangely enough, txt format appears to be much more memory expensive than png format.

Although the algorithm certainly reduces the size of the original txt files, the reduction is not big enough to be shown in the compression ratio.

When comparing with the much more noticeable compression in the png files, this suggests a poor performance from the Burrow Wheeler transform. That is to say, the lossless compression is not performing properly.

We conclude form this results that perhaps the Burrow Wheeler Transform was not ideal for our needs. This result could have been accentuated by our decision to apply the algorithm to each row individually, instead to the whole matrix.

We theorize that the Huffman encoding, for example, could have performed much better, since it would have been able to take better advantage of the limited amount of different integer numbers, corresponding to each color in the image.

Fortunately, the lossy compression showed much better results, as shown by the table comparing png files.

6.1 Future work

It is perfectly clear that the Burrow Wheeler Transform was not the right choice for solving this problem. We would like

to observe the different results when using perhaps more adequate compression methods, like Huffman encoding.

As for the lossy compression, the results were much better, but perhaps the quality of the image could be improved by using more complex methods, like the cosine transform.

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