

Part A.1 – What we trade?

In Asia NDF team, we trade “three” types of products, but essentially one of them is a mixture of the other two.

1. FX Spot

“Spot” in FX does not refer to immediate transaction. A spot trade refers to a transaction on a date known as *settlement* date. It differs for different regions.

USDHKD:	T+2
USDCNH:	T
USDTWD:	
USDSGD:	
USDINR:	
USDIDR:	
USDPHP:	
USDJPY:	T+2
USDTHB:	

For instance, if we buy USD 1mio USDHKD spot at 7.8090 at time T. It means that on T+2, we will receive 1mio USD and pay 7.8090mio HKD on T+2.

2. FX Swap

A swap is a two-leg transaction: there are two cashflow exchanges at two different timeframes. The following is the breakdown when we buy a 1M USDHKD swap at T+0:



Leg refers to the cashflow. The T+2 leg is known as near-leg, and the (T+2)+1M leg is far-leg.

On the floor, people don't say buy/sell a swap. We say “**SELL/BUY DOLLAR**” or “**BUY/SELL HKD**”. When we say “**BUY USDHKD**”, we always refer to far-leg, i.e., buying USD selling HKD at far-leg.

Here we see that **FX swap is a tool to borrow/lend money**. The swap in the figure is *borrowing HKD and lending out USD for 1 month*.

Notice that spot is T+2, so what happens for T+1? Can we do a swap before T+2? The answer is **YES**.

- Overnight swap (O/N): Near-leg is T+0, far-leg is T+1.
- Tomorrow/next swap (T/N): Near-leg is T+1, far-leg is T+2.
- Spot/next swap (S/N): Near-leg is T+2, far-leg is T+3.

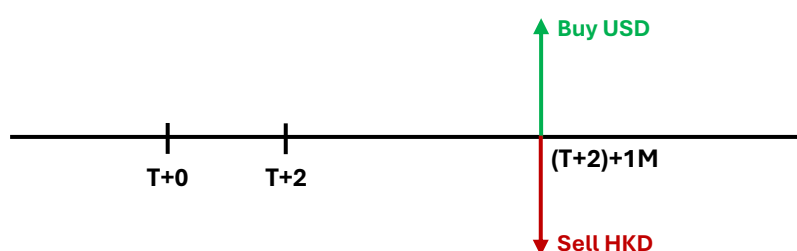
Example: We buy 1mio USDHKD T/N at 7.8095. Spot now is 7.8090.

The cashflows incurred are T+1: -1,000,000 USD and +7,809,500 HKD.
T+2: +1,000,000 USD and -7,809,000 HKD.

We lent our 1mio USD out and borrowed HKD at T/N rate on T+1.
One day later we will get back the 1mio USD using the spot rate at T+2.

3. FX Forward (FX Outright; FX O/R)

It is a single-leg transaction. If we buy USDHKD 1M outright, then we have:



Essentially it is a combination of 1M swap with spot (buy 1M USDHKD swap and buy spot).

	T+0	T+2	(T+2)+1M
Buy 1M USDHKD swap		-USD +HKD	+USD -HKD
Buy spot		+USD – HKD	
Overall (1M O/R)			+USD -HKD

Part A.2 – Interest Rate Parity

There are two interest rate parities: *covered interest rate parity* (CIP) and *uncovered IRP* (UIP).

1. Covered Interest Rate Parity (CIP)

CIP assumes *no-arbitrage* conditions and determines the price of a forward contract. The mathematical expression of it is (assume USDHKD):

$$S \times (1 + r_{\text{HKD}} \cdot t) = F \times (1 + r_{\text{USD}} \cdot t)$$

S : Spot exchange rate of USDHKD

F : Forward exchange rate (agreed exchange rate)

t : Fraction of year¹ (for denominator, HKD is 365 whereas USD uses 360).

Intuition: Assume we have 1mio USD, then the following two actions should have same payoff:

- Put the 1mio USD in treasury, and exchange it 1 year later.
- Exchange the 1mio USD into HKD first, then put the HKD into Hong Kong riskfree bonds.

The first action is L.H.S. of the equation and second action is R.H.S. of the equation.

2. Uncovered Interest Rate Parity (UIP)

UIP is based on CIP. It imposes a very strong assumption of “money markets are freely-traded and equilibrium will be attained”. That is, for USDHKD,

$$\mathbb{E}[S_T] = F = S \times \frac{1 + r_{\text{HKD}} \cdot t}{1 + r_{\text{USD}} \cdot t}.$$

It can be interpreted as the expectation of “currency with higher yield will depreciate; vice versa”. However, in real life we often see it fail, as the markets are driven by too many forces and friction.

¹ Depends on the rate you chose. If r_{HKD} and r_{USD} are annualized effective riskfree rates (such as US OIS rate), then the equation is correct within 1 year. For more than 1 year, exponential is needed, e.g. $S(1 + r_{\text{HKD}})^2 = F(1 + r_{\text{USD}})^2$. However, you will find deviations from the Bloomberg data. It is because Bloomberg uses something called *zero rates*, which applies 360-day-one-year rule.

Part A.3 – Money in Pips

In FX, we express money in “pips” (percentage in point). Theoretically it refers to 0.0001 (1/100 of bps). However, some currencies have a relatively high face value which makes 0.0001 too small to talk about. For instance, USDKHKD = 7.8090, so it is okay to use 0.0001 as a unit; but USDJPY = 156.98, 0.0001 is too small.

For this reason, we *usually* quote five significant figures of a currencies, and “1 pip” refers to the smallest increment for the five significant figures. That is why for JPY, 1 pip = 0.01 instead of 0.0001.

One of the most important things for FX trader is to know how much 1 pip in their currencies is. That is, we ask the question “if the spot goes up 1 pip, given USD 1mio notional, what is my PnL?”.

An example is USDKHKD = 7.8090. If I invest 1mio USD and spot goes to 7.8091 (+1 pip), I will earn \$12.8057. We then say 1 pip = \$12.8 for HKD. If we “earn 50 pips” in HKD, we earned 12.8*50 = \$640 for each 1mio.

Trick: To calculate this, there are two ways I recommend. Choose the best for yourself.

Method 1 – Direct calculation (but smartly):

The change of position is $1\text{mio} \times \frac{0.0001}{7.8090} = 1,000,000 \times \frac{1}{78090} = 100 \times \frac{1}{7.8090} \approx \frac{100}{7.8} = 12.82$.

With this idea, you can apply it to any currency.

For example, USDSGD = 1.3423, 1 pip will be $\frac{100}{1.34} = 74.63$.

For instance, USDJPY = 156.88, then 1 pip will be $\frac{100}{1.56} = 64.10$.

Method 2 – Percentage

First convert everything to bps, then remember 1 bps refers to \$100 for each 1mio.

For instance, if USDKHKD is up 0.0008, what is the PnL if we invested 1mio? We first find the increase in % term, which is 1 bps ($0.0008/7.8090 = 0.0001$). Then it means we have \$100 PnL.

(Verify with method 1: $12.82 \times 8 = \$102.56$.)

If USDJPY is up 300 pips, what is the PnL if we invest 100mio?

$3.00/156.88$ is around 2%, which is 200bps = \$20,000 per 1mio.

Therefore, PnL = $20,000 \times 100 = \$2,000,000$.

(Verify with method 2: $64.10 \times 300 \times 100 = \$1,923,000$.)

Part A.4 – Swap Points

From Part II, we know that interest rate parity (usually referring CIP) indicates that the price of a forward

$$F = S \times \frac{1 + r_{\text{HKD}} \cdot t}{1 + r_{\text{USD}} \cdot t}.$$

For instance, if $r_{\text{USD}} = 5\%$, $r_{\text{HKD}} = 2.5\%$, $S = 7.8090$, then the 6M USDHKD forward will be priced² at

$$F_{6M} \approx 7.8090 \times \frac{1 + 2.5\% \times 0.5}{1 + 5\% \times 0.5} = 7.713768.$$

Recall that a swap can be replicated by spot and forward. Then, a 6M swap will be priced at

$$F_{6M} - S = 7.713768 - 7.8090 = -0.095232,$$

or -952.32 pips. We call this -952.32 pips as **swap points**. In FX, when we talk about FX swap and forward, we usually use swap points. With this idea, we define

$$\begin{aligned} \text{Swap points} &= \text{Far Leg o/r} - \text{Near Leg o/r} \\ &= F_{\text{Near Leg}} \times \frac{(r_{\text{HKD}} - r_{\text{USD}}) \cdot t}{1 + r_{\text{USD}} \cdot t}. \end{aligned}$$

For S/N and swaps with longer tenors, spot is the near-leg. So $F = S + \text{swap points}$.

For O/N and T/N, **spot becomes the far-leg**. So $F = S - \text{swap points}$.

The series of swap points with different tenors is called **swap curve**. In Bloomberg, we can use the [FRD] command to get the curve:

[Fig of FRD command]

² Note that in reality it may not be $t = 0.5$ as the actual $t = \text{days to maturity} / (360 \text{ or } 365)$.

Also, the actual price is likely to deviate from the parity due to hedging activities. This will be mentioned in later parts.

Part A.5 – Carry Trade

Carry trade assumes **no change in swap curve** (spot and forward prices all unchanged). It is an unrealistically strong assumption but it provides insights into our trade's safety of margin.

There are two types of carry: spot carry and FX swap carry.

Spot carry: Long/sell spot and roll it via T/N.

Assume we buy USD 100mio USDHKD spot at 7.8095 on July 15.

	July 15 (Today)	July 16	July 17 (Spot)
Long spot			+USD 1,000,000 -HKD 7,809,500

One day later, on July 16, the obligation becomes

	July 16 (Today)	July 17	July 18 (Spot)
Long spot (Traded rate = 7.8095)		+USD 1,000,000 -HKD 7,809,500	

However, trading desk usually does not have actual cash to settle the contract. To fulfill the obligation, we use T/N (short-term funding) to *roll* the obligation over the next day.

	July 16 (Today)	July 17	July 18 (Spot)
Long spot previously (Traded rate = 7.8095)		+USD 1,000,000 -HKD 7,809,500	
T/N swap (assume -3pips)		-USD 1,000,000 +HKD 7,809,800	+USD 1,000,000 -HKD 7,809,500
Overall		+HKD 300	+USD 1,000,000 -HKD 7,809,500

Notice how we have the same obligation on T+2, but with an extra HKD300 earned on July 17. Karen called it 空手套白狼 (catching wolf with empty hands). This is the *carry* we earned from the carrying USDHKD spot. The “free” carry comes from interest rate parity and the expected depreciation of USD which eventually did not happen.

We can repeat the rolling continuously until we do not want the spot position anymore. If we earn carry from the trade (e.g. long USDHKD in the example), we say it is a **+ve carry trade**. Reversely, if we short USDHKD in this example, it is a **-ve carry trade**.

If the spot or T/N points on July 16 changes, then the money will no longer be free. For instance, if the spot actually goes down to 7.8090 (USD depreciates against HKD), assume T/N unchanged³, then

	July 16 (Today)	July 17	July 18 (Spot)
Long spot previously (Traded rate = 7.8095)		+USD 1,000,000 -HKD 7,809,500	
T/N swap (assume -3pips)		-USD 1,000,000 +HKD 7,809,300	+USD 1,000,000 -HKD 7,809,000
Overall		-HKD 200	+USD 1,000,000 -HKD 7,809,000

The obligation has changed and we actually lost money on July 17.

Then what is the point of carry? The answer is that it tells us how much spot can change before we lose money. If T/N is -3 pips, then spot is allowed to drop by 3 pips before we lose money. **If we think the spot will not drop by more than 3 pips, then we should enter the trade.**

FX Swap Carry: Long/sell swap and roll it using swaps.

Assume we sell USDHKD 3M swap on T+0, with spot 7.8090 and -195 swaps points.

	T+2 (Spot)	(T+2)+1M	(T+2)+2M	(T+2)+3M
Sell USDHKD 3M	+USD 1,000,000 -HKD 7,809,000			-USD 1,000,000 +HKD 7,789,500

Currently the 1M swap is at -75 points, we can immediately buy a USDHKD 1M swap:

	T+2 (Spot)	(T+2)+1M	(T+2)+2M	(T+2)+3M
Sell USDHKD 3M	+USD 1,000,000 -HKD 7,809,000			-USD 1,000,000 +HKD 7,789,500
Buy USDHKD 1M (Traded rate = 7.8090)	-USD 1,000,000 +HKD 7,809,000	+USD 1,000,000 -HKD 7,801,500		
Overall		+USD 1,000,000 -HKD 7,801,500		-USD 1,000,000 +HKD 7,789,500

Assume the swap curve does not change, we can repeat the 1M swap trade two more times.

³ Note that T/N should change if rates are unchanged, according to interest rate parity. Swap points = $S \times \frac{\Delta r \cdot t}{1 + r_{USD}}$.

1 month later, with spot unchanged at 7.8090 and 1M swap point = -75 points:

	T+2	(T+2)+1M (Spot)	(T+2)+2M	(T+2)+3M
Rollover Position		+USD 1,000,000 -HKD 7,801,500		-USD 1,000,000 +HKD 7,789,500
Buy USDHKD 1M		-USD 1,000,000 +HKD 7,809,000	+USD 1,000,000 -HKD 7,801,500	
Overall		+HKD 7,500	+USD 1,000,000 -HKD 7,801,500	-USD 1,000,000 +HKD 7,789,500

1 more month later, with spot unchanged at 7.8090 and 1M swap point = -75 points:

	T+2	(T+2)+1M (Spot)	(T+2)+2M	(T+2)+3M
Rollover Position		+HKD 7,500	+USD 1,000,000 -HKD 7,801,500	-USD 1,000,000 +HKD 7,789,500
Buy USDHKD 1M			-USD 1,000,000 +HKD 7,809,000	+USD 1,000,000 -HKD 7,801,500
Overall		+HKD 7,500	+HKD 7,500	-HKD 12,000

In total we earned HKD3,000.

To make calculation easier, we can think of *paying and receiving swap points*.

What we did:	T+0 –	Sell 3M at -195 points	(pay 2.10 points per day ⁴)
	T+0 –	Buy 1M at -75 points	(receive 2.42 points per day)
	T+1M –	Buy 1M at -75 points	(receive 2.42 points per day)
	T+2M –	Buy 1M at -75 points	(receive 2.42 points per day)

In total we receive $-195 - (-75 \times 3) = 30$ points, which corresponds to HKD3,000.

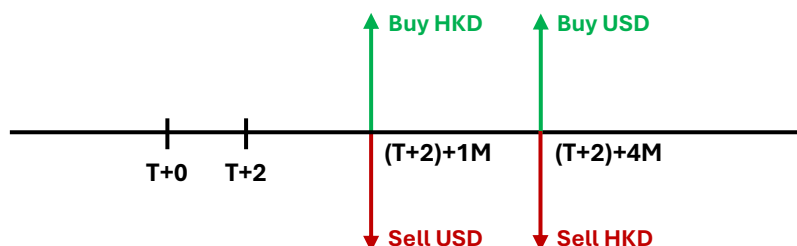
If we do this trade, we hope that the spot at T+1M and T+2M will not lower by more than 75 pips. In other words, **we have 75 pips safety of margin.**

⁴ In this example, 1M has 31 days and 3M has 93 days. Then, daily point for 1M is -2.42 pips/day and for 3M is -2.10 pips/day. We want to buy low sell high, so we buy 1M and sell 3M.

Part A.6 – Rolldown Trade

Rolldown is essentially similar to FX swap carry trade. But this time we do not hold till maturity. We still assume the strong assumption of an unchanged swap curve.

A “1x4” (1-by-4) is a forward-forward contract. Its cashflow graph is:



It can be interpreted as

- “forward-forward”: a contract that says you will enter a 3M outright 1 month later.
- “forward-swap”: a swap with near-leg of 1M and far-leg of 4M.

It can be replicated by sell/buy dollar 4M and buy/sell dollar 1M.

Assume 1M swap point = -75 points, 3M swap point = -195 points and 4M swap point = -255 points

Then a 1x3 should be currently priced as $F = -255 - (-75) = -180$ points. We sell one 1x3.

One month later, it becomes a 3M outright (near-leg becomes spot, far-leg become 3M). Assuming unchanged swap curve, we can buy it at -195 points.

We sold at -180 and paid at -195; we earned $-180 - (-195) = 15$ points.

Part A.7 – Implied Yields

US rates are the most traded rates in the world and hence it is extremely efficient and fair across different tenors, i.e. *smooth* (no bumps in the rate curves). For comparison, we may only have 1 trade per month for an illiquid tenor in some rate markets (such as Korea).

For this reason, often we do not know the actual rate to put in the interest rate parity. Using the last traded rate does not reflect the true rates. Since FX is more liquid than rates, we may use the FX forward price to back out the implied rate of the market.

For instance, given the following data

- USDCNH Spot = 7.2714,
- USDCNH 1M swap point = -150 pips,
- USD 1M SOFR OIS rate = 5.33%⁵,

the implied yield (rate) for CNH is (assume 30 days to maturity)

$$\begin{aligned}\text{Swap points} &= S \cdot \frac{(r_{\text{HKD}} - r_{\text{USD}}) \cdot t}{1 + r_{\text{USD}} \cdot t} \\ -0.0150 &= 7.2714 \cdot \frac{(r_{\text{CNH}} - 5.33\%) \cdot \frac{30}{360}}{1 + 5.33\% \cdot \frac{30}{360}} \\ r_{\text{CNH}} &= 2.8436\%.\end{aligned}$$

It means that if we **buy** 1M USDCNH swap, we are

- Borrowing CNH at 2.8436% annualized rate for one month,
- Lending USD at 5.33% annualized rate for one month.

If T/N swap has an implied yield of 4.0921%, then we can **sell** T/N to

- Lending CNH at 4.0921% annualized rate for one month,
- Borrowing USD at 5.33% annualized rate for one month.

The USD part will cancel out each other, and we will be able to borrow CNH at 2.8436% and lend at 4.0921%. This will mean a $4.0921\% - 2.8436\% = 1.2485\%$ annualized profit for the trade, assuming an unchanged curve.

⁵ Overnight indexed swap (OIS) is an IRS between some floating rate (here SOFR rate) and fixed rate. It essentially says: what is the fixed rate you are willing to receive every day so that you will pay SOFR rate to your counterparty every day throughout the contract period. It is generally perceived as the risk-free rates for USD.

Note: Be aware that implied yield depends a lot on the USD rate. If the USD rate changes, it may not be a good idea to use implied yield to think of trades. It is because **interest rate differential** is the core behind swap carry, but not **implied yield**.

Use the above example, the T/N implied yield was 4.0921%, corresponding to a swap point of -2.5 pips. It is a good carry trade because we bought at -150 pips but sold at $-2.5 \times 30 = -75$ pips, earning 75 pips.

But what if the USD SOFR rate is actually 5.75% for T/N? The T/N swap point is actually $7.2714 \times \frac{(4.0921\% - 5.75\%) \div 360}{1 + 5.75\% \div 360} = -3.35$ pips. The trade will only earn $-3.35 \times 30 - (-150) = 50$ pips now, which is 33% worse (you lost 33% safety of margin!).

Same implied yield, but the ignorance on SOFR change exposed you to much higher risk!

Besides, if the USD rate is going to change, it means that there will be a FOMC meeting. If the final rate decision is different from the market expectation, the spot is going to change a lot! And this will definitely bring risks to our carry trade, which assumes no change in swap curve.

Rolldown trade with implied yield. We can apply the same idea to forward-forward trades. Instead of implied yield, we will find the *implied forward yield*.

For instance, given 1M USDCNH swap point = -150 pips and 3M swap point = -467 pips, spot = 7.2714, SOFR 1M = 5.33%, SOFR 3M = 5.00%, we know

- 1M implied yield = 2.8436%
- 3M implied yield = 2.7289%

Assuming no-arbitrage condition, we can find the implied forward yield:

$$\begin{aligned} 1 + r_{3M} \cdot t_{3M} &= (1 + r_{1M} \cdot t_{1M})(1 + r_{1M,3M} \cdot \Delta t) \\ 1 + 2.7289\% \cdot \frac{90}{360} &= \left(1 + 2.8436\% \cdot \frac{30}{360}\right) \left(1 + r_{1M,3M} \cdot \frac{90 - 30}{360}\right) \\ r_{1M,3M} &= 2.6652\% \end{aligned}$$

It means that the market expects the CNH to have an implied yield of 2.6652% between 1M and 3M time. It makes sense for $r_{1M,3M} < r_{3M} < r_{1M}$ because r_{3M} acts like an “average rate between spot to 3M”.

If we think that $r_{1M,3M}$ is too low, we can pay⁶ 1x3 USDHKD (sell/buy USD, buy/sell CNH). In this case, when the rate goes higher 1 month later, we can sell the 1x3 as 2M swap at a higher price.

⁶ It is the same as the convention in Rates team. We pay this 2.6652% and hope that the rate is actually higher. However, unlike IRS, we still need to consider USD rate for our trade as specified in the note. Eventually **interest rate differential** is what matters.

Note: Here let's analyze the risk involved in this specific trade (pay 1x3 and sell 1 month later).

One important question to ask is "what will happen if Fed cut the rate more than expected"? Here we assume the FOMC meeting is after 1M but before 3M.

The answer is it depends, but most likely we will earn more. It comes back to the core idea: **interest rate differential**. If the rate cut is more than expected, $r_{\text{CNH}} - r_{\text{USD}}$ will (likely) be lower. Hence, the 3M outright exposure will earn us money: 3M swap point will be less negative, which means we can sell at higher price.

However, we can only say *likely* to earn more because r_{CNH} will also change if r_{USD} gives surprises. In fact, the spot should also change (expected going higher since USD rate go unexpectedly lower) and affects our swap point in return .

To know how it approximately goes, we need to understand *hedging demands* (next chapter) and central bank policies.

Part A.8 – Failure of Covered Interest Rate Parity

All the above chapters assumed that CIP holds. It may seem granted as most of the university textbooks say an arbitrage will exist if CIP does not hold.

However, in real life CIP sometimes fails. During the 2008 financial crisis, EURUSD swaps showed strong and persistent CIP deviations. Short-term swap points were much higher than theory.

[EURUSD Fwd fig]

The reason behind is the **hedging demand** behind. USD has a **dollar smile**: USD strengthens when economy goes very well or very bad (safe heaven currency). When a crisis arises, people want USD and corporates need USD to hedge their risks (could be capital requirement risks, potential FX/counterparty risks etc.).

Besides spot market, another way to get USD is from the swap market. FX swap is essentially like a collateralized market: both parties need to pay something to get something. The seemingly safer feature made FX swap market popular during turmoil. People **buy/sell dollar** (buy EURUSD swap) to get short-term dollars, and push the swap point up.

In normal time, CIP generally holds, except for small frictions (liquidity, tax, transaction costs, ...). The parity gives us a good estimate of the swap points. However, when distress time comes, one must remember that the parity will fail.

Eventually the swap points, as well as anything on the market, are determined by demand and supply, instead of some equations or theorems. Prices will go up if there is more demand or less supply; vice versa. And that is it. What we should think about should be: will the demand/supply levels persist. If not, we trade against it. If yes, we trade along with it.

Part A.9 – Deliverable and Non-Deliverable Forwards

We do not have access to all the currency. For instance, CBC (Taiwan's Central Bank) does not allow offshore TWD delivery unless there is *real demand*⁷, and only onshore entities have access to onshore market. These capital restrictions are prevalent in emerging markets as they have less currency-defending power, and they want a stable exchange rate to facilitate international trade.

As mentioned before, the way we operate is to roll our position to the next day continuously using T/N. T/N as a short-term funding method gives us domestic currency, and so we can fulfill currency exchange obligations for spot trades. However, in Taiwan, we are neither onshore entities nor we have real demand (so we cannot enter forwards), and hence there is no T/N for us (T/N is made up by forwards).

In this case, people in the offshore market invented *non-deliverable forwards* for USDTWD. It is a USD cash-settled forward contract. Instead of exchanging the actual currency, both parties of NDF agreed to only exchange *the difference* in exchange rate in USD directly. In this way no TWD is needed, and so there is no restriction.

<u>Deliverable Forward (DF)</u>	<u>Non-Deliverable Forward (NDF)</u>
Party A sold a July-20 USDTWD DF with party B. Notional: USD10,000. Contract rate: 32.8000.	Party A sold a July-20 USDTWD NDF with party B. Notional: USD10,000. Contract rate: 32.8000.
On July-20 (Spot = 35.7050):	On July-20 (Fixing = 35.7050):
<div><div>Party A</div><div>USD 10,000</div><div>TWD 328,000</div><div>Party B</div></div>	<div><div>Party A</div><div>USD 813.6115</div><div>$\left(10,000 \times \frac{32.8000 - 35.7050}{35.7050} = -813.6115\right)$</div><div>Party B</div></div>

As seen from the example, for NDF we need an agreed price on the settlement rate, it is known as *fixing rate*. In Taiwan, it is the last traded price⁸ at 11:00 am Taipei time every day.

The exact fixing times and specifications defers for different regions, for example, at the time of writing:

- KRW: VWAP of daily transactions, published at 15:45 Seoul Time (UTC +9).
- INR: 15-minute random VWAP windows selected from 11:30-12:30 local time, published at 13:30 Mumbai Time (UTC +5:30).

⁷ Real demand refers to actual hedging needs. For instance, a Taiwan food exporter selling USDTWD forward to get back TWD in the future. CBC requires Taiwanese banks to verify trading contracts and actual USD receipt proofs before entering a DF with them. Hedging FX trades, market speculations and overhedging for real demand are not real demands.

⁸ It is usually the last traded price announced by the Taipei Forex Inc. Note that Taiwan has two FX brokers (TFEX/TAIFX and COFX, Cosmos FX). More will be covered in the later section.

Domestic Non-Deliverable Forwards (DNDF). An interesting product in Indonesia is known as DNDF. Unlike the usual NDF settling in foreign currency, DNDF adopts the fixing mechanism but is settled in local currency IDR.

Bank Indonesia (BI) did not impose regulations on NDF during the 2008 financial crisis. However, BI's study in 2012 found spillage is only significant from NDF market to spot market: the offshore market has affected the local spot market disproportionately⁹.

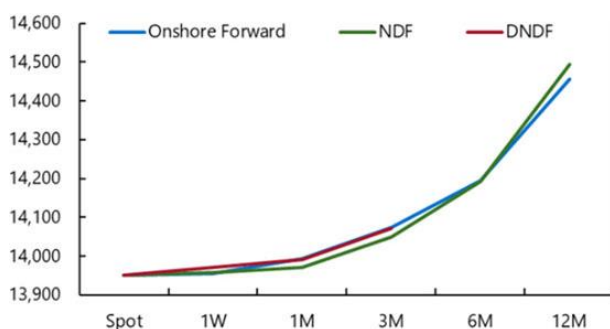
DNDF is used mainly as a monetary policy tool. For instance, if a central bank wants to appreciate their local currency, they can do in three ways:

- Sell USDIDR spot: Central bank need to sell USD in exchange for IDR.
- Sell USDIDR NDF: Central bank may get USD or may need to pay USD.
- Sell USDIDR DNDF: Central bank may get IDR or may need to pay IDR.

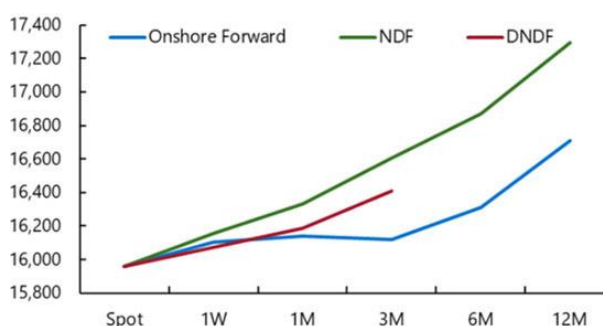
We can see that DNDF has the benefit of having **no** USD liability. The fact that BI can theoretically print IDR on their own serves as a protection. That being said, if depreciation pressure persists and grows, people trading DNDF can choose not to roll over DNDF positions and exchange for USD in spot and DF markets. This eventually will cause depreciation in the market.

BI intended to use DNDF as a bridge between DF and NDF, and to absorb USD demand during turmoil. One example is during the COVID-19, BI set the curve lower than NDF but slightly higher than DF, so that it helped to reduce the depreciation force on IDR spot market¹⁰.

IDR Forward Curve on 12/27/2019



IDR Forward Curve on 03/20/2020



We do not see many DNDF contracts outside Indonesia (Brazil does have DNDF, Philippines offers CRRP facility that acts like DNDF). And one thing to note is that the liquidity of NDF (in USD) is still much higher than DNDF.

⁹ Indonesia: Domestic NDF – Opportunities And Challenges. UOB Global Research (2022). [Link here](#).

¹⁰ Offshore Currency Markets: Non-Deliverable Forwards (NDFs) in Asia. IMF, Jochen (2020). [Link here](#).

Part B – Market-Specific Knowledge

After knowing the fundamentals of FX, the following sections will focus on the market-specific knowledge.

The current list of markets:

- Taiwan
- Hong Kong
- China

Part B.1 – Taiwan

As stated in Section A.9, CBC only allows onshore entities to access the onshore market. These entities are known as *authorized foreign exchange banks* (外匯指定銀行, abbreviated as AB later). By law¹¹, ABs can handle DF only if the client have *real demand*.

By the year end of 2023, there are 3,468 authorized bank (and branches) but most of them are domestic, only 37 are foreign branches. Bank of America is one of the 37 but still FX trading does not constitute *real demand*.

¹¹ Refer to *Regulations Governing Foreign Exchange Business of Banking Enterprises* (2021-01-28). Article 31, 47. *Foreign Exchange Regulation Act* (2009-04-29). Article 5.