Exercise9SebastianPineda

January 27, 2019

Machine Learning Lab - Exercise Sheet 9

Author: Sebastian Pineda Arango ID: 246098 Universität Hildesheim - Data Analytics Master In this notebook, we want to develop spam classifier using suppoert vector machines. For that, we use two libraries: LIBSVM and Scikit-learn.

The library LIBSVM was installed from this repository: https://www.lfd.uci.edu/~gohlke/pythonlibs/#libsvm

Where we use the following command for the installation:

Command used: "pip install libsvm-3.23-cp36-cp36m-win_amd64.whl"

Some help to change the parameters of the libsvm model was takne from: https://lmb.informatik.uni-freiburg.de/lectures/old_lmb/svm_seminar/java/libsvmdemo.html

Datasets Two datasets are used to create the spam classifier. The datasets are donwloaded from the following sources: * Dataset 1: https://archive.ics.uci.edu/ml/datasets/Spambase

Dataset 2: https://archive.ics.uci.edu/ml/datasets/SMS+Spam+Collection

Support vector machines The support vector machines is, in general, a linear classifeir which aims to find a separating hyperplane so that the margin between one class and another is maximized. The idea of margin is depicted in the following image (own authorship):

That means that the support vector machines optimization problem could be expressed in the following way [2]:

$$\min_{\mathbf{w},b} \frac{1}{2} ||\mathbf{w}||$$
s.t. $y_i(\mathbf{w}^T \mathbf{x}_i + b) \ge 1$

0.1 Exercise 1: Spam filter using SVM

A spam filter is created using spam dataset 1 and the library "libsvm". This library accept format in the following way (libsvm format):

```
< label >< index1 >:< value >< index2 >:< value2 > ...
```

There is a function in scikit-learn that enables the creation of dataset in this format: $load_svm_light_file()$. However, we implement the function to convert a sparse matriz into this libsvm format. The following steps are performed:

- Importing libraries
- Importing data
- Exploring data
- Splitting data in train-test

- Cross validation
- Choosing the best final model

```
In [1]: #Importing libraries
       from svmutil import *
       import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
       %matplotlib inline
In [75]: #Importing data
        data1 = pd.read_csv("data\spambase\spambase.data", header=None)
        data1.rename(columns={57:"y"}, inplace = 0.6)
        data1.shape
Out[75]: (4601, 58)
In [76]: #Exploring the data
        data3.head()
Out [76]:
                                                                  9 ...
                               3
                                          5
                                                6
                                                      7
        0 0.00 0.64
                       0.64
                             0.0 0.32 0.00 0.00
                                                   0.00
                                                         0.00
                                                               0.00 ...
                                                                         0.00
                                                                              0.000
                                                   0.07
        1 0.21 0.28
                       0.50
                             0.0
                                  0.14 0.28
                                             0.21
                                                         0.00
                                                               0.94 ...
                                                                         0.00
                                                                              0.132
        2 0.06 0.00 0.71
                             0.0 1.23 0.19
                                             0.19
                                                   0.12
                                                         0.64
                                                               0.25 ...
                                                                         0.01
                                                                              0.143
        3 0.00 0.00 0.00
                             0.0 0.63 0.00 0.31
                                                   0.63
                                                         0.31
                                                               0.63 ...
                                                                         0.00 0.137
                                                         0.31 0.63 ...
        4 0.00 0.00 0.00 0.0 0.63 0.00 0.31 0.63
                                                                        0.00 0.135
            50
                   51
                          52
                                 53
                                        54
                                            55
                                                  56
                                                      У
        0 0.0 0.778 0.000
                             0.000
                                    3.756
                                            61
                                                 278
                                                      1
        1 0.0 0.372 0.180 0.048 5.114
                                           101
                                                1028
                                                      1
        2 0.0 0.276 0.184 0.010 9.821
                                           485
                                                2259
                                                      1
        3 0.0 0.137
                       0.000 0.000 3.537
                                            40
                                                 191
                                                      1
        4 0.0 0.135 0.000 0.000 3.537
                                            40
                                                 191
                                                      1
         [5 rows x 58 columns]
In [77]: data1.groupby('y')['y'].count()
Out[77]: y
        0
             2788
        1
             1813
        Name: y, dtype: int64
In [78]: print("Mean of y value:", np.mean(data3['y']))
Mean of y value: 0.39404477287546186
```

After exploring the data, we have the following insights:

- There are 4601 samples and 57 features.
- The class label (y), which corresponds to 1 when it is spam and to 0 when it is not. There is 39.4% of data from class not-spam.
- If we look the documentation, the features are divided in the following way:
 - 48 features corresponds to the frequency of the word (in percentage). Where they take the frequency of the word, and divide it by the total number of words of the e-mail.
 - 6 features are percentage of given chars on the email.
 - 1 feature for the average length of uninterrupted sequence of capital letters.
 - 1 feature for the average length of uninterrupted sequence of capital letters.
 - 1 feature for the sum of length of uninterrupted sequences of capital letters.

Now we split data in training and test, where we assing 80% of the data to test.

```
In [6]: #Splitting train and test
        def split_train_test(data, train_pct, features, target):
            '''This functions divides "data" in train and test set.
            The percentage give to the train data is determined by "train_pct".
            The "features" argument determine a list of features to consider.
            The "target" arugment indicates the the variable to predict.'''
            #getting the total number of training samples
            data_size = data.shape[0]
            train_size = int(train_pct*data_size)
            #shuffling indexes to separate train and test randoming
            idx = np.arange(0,data_size)
            np.random.shuffle(idx)
            #creating test indexes
            train_idx = idx[:train_size]
            #creating test indexes
            test_idx = idx[train_size:]
            #selecting train data (features)
            X_train = data[features].iloc[train_idx,]
            #selecting train data (target)
            y_train = data[target].iloc[train_idx,]
            #selecting test data (features)
            X_test = data[features].iloc[test_idx,]
            #selecting test data (target)
```

```
y_test = data[target].iloc[test_idx,]

return X_train, y_train, X_test, y_test

In [105]: X = np.array(data3.iloc[:,:-1])
    y = np.array(data3.iloc[:,-1])
    col_names = data3.columns[:-1]

    X_train, y_train, X_test, y_test = split_train_test(data1, 0.8, col_names, 'y')

    X_train = np.array(X_train)
    y_train = np.array(y_train)
    X_test = np.array(X_test)
    y_test = np.array(y_test)

    print("Train size:", X_train.shape[0])
    print("Test size:", X_test.shape[0])

Train size: 3680
Test size: 921
```

Now we store the train data in libsym format, so that we can use it in future implementations.

We define a function that converts sparse matrices (with a lot of zero values) into *libsvm* format. Having this, we can input the matrices to the *libsvm* train function.

```
val=X[i,key]

#creating a dictionary with the last values
x= dict(zip(list(key[0]),list(val[0])))

#appending the dictionary (libsum format) to list
X_dok_format.append(x)

return X_dok_format
```

The main objective now is to pick the best hyperparameter C. To do that,we apply k-fold cross validation.

```
In [98]: #number of samples of training set
         n_train = X_train.shape[0]
         #number of folds
         n_folds = 5
         #initializing folds
         folds = []
         samples_fold = int(n_train/n_folds)
         \#creating\ the\ k-fold\ subsets
         for i in range(n_folds):
             folds.append((X_train[(i*samples_fold):((i+1)*samples_fold),:],
                            y_train[(i*samples_fold):((i+1)*samples_fold)]))
         folds_list = list(range(n_folds+1))
         #initialize list to store the man of each hyperparameter setting
         mean_test_folds = []
         mean_train_folds = []
         #list of hyperparameters
         c_list = [0.01,0.1,1,2,5,10,20,50,100]
         for c in c_list:
             print("Trying c=",c)
             test_acc_folds = []
             train_acc_folds = []
             for f in range(n_folds):
                     #list of folds
                     folds_list = list(range(n_folds))
```

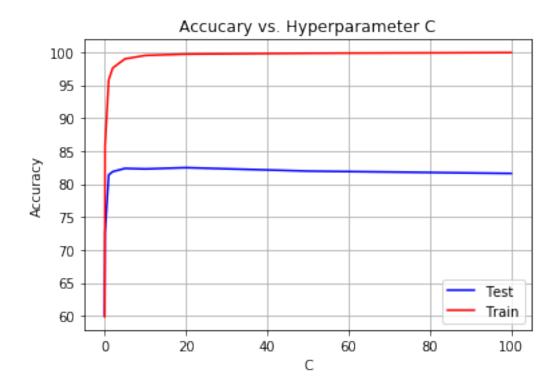
```
#selecting test dataset
                     X_test_fold = folds[f][0]
                     y_test_fold = folds[f][1]
                     #merging the folds to create the training dataset
                     X_train_fold = folds[folds_list[1]][0]
                     y_train_fold = folds[folds_list[1]][1]
                     for j in folds_list[1:]:
                         X_train_fold = np.vstack((X_train_fold, folds[j][0]))
                         y_train_fold = np.hstack((y_train_fold, folds[j][1]))
                     #converting data to libsum format
                     X_train_fold = convert_to_format(X_train_fold)
                     X_test_fold = convert_to_format(X_test_fold)
                     y_train_fold = list(y_train_fold)
                     y_test_fold = list(y_test_fold)
                     #training the model
                     param = '-c '+ str(c)
                     m = svm_train( y_train_fold, X_train_fold, param)
                     acc_train=svm_predict(y_train_fold, X_train_fold, m)
                     acc_test = svm_predict(y_test_fold, X_test_fold, m)
                     #finding accuracy over the fold
                     train_acc_folds.append(acc_train[1][0])
                     test_acc_folds.append(acc_test[1][0])
             #findning the mean across all the folds
             mean_train_folds.append(np.mean(train_acc_folds))
             mean_test_folds.append(np.mean(test_acc_folds))
Trying c= 0.01
Accuracy = 60.0204% (1767/2944) (classification)
Accuracy = 62.0924% (457/736) (classification)
Accuracy = 60.0204% (1767/2944) (classification)
Accuracy = 60.1902% (443/736) (classification)
Accuracy = 59.1372% (1741/2944) (classification)
Accuracy = 61.9565% (456/736) (classification)
Accuracy = 60.428% (1779/2944) (classification)
Accuracy = 56.7935% (418/736) (classification)
Accuracy = 59.7826% (1760/2944) (classification)
Accuracy = 59.375\% (437/736) (classification)
Trying c= 0.1
```

folds_list.pop(f)

```
Accuracy = 87.7717% (2584/2944) (classification)
Accuracy = 72.1467% (531/736) (classification)
Accuracy = 87.7717% (2584/2944) (classification)
Accuracy = 73.7772% (543/736) (classification)
Accuracy = 87.2962% (2570/2944) (classification)
Accuracy = 78.125\% (575/736) (classification)
Accuracy = 79.0421% (2327/2944) (classification)
Accuracy = 63.8587\% (470/736) (classification)
Accuracy = 86.9565% (2560/2944) (classification)
Accuracy = 75.1359% (553/736) (classification)
Trying c= 1
Accuracy = 95.9239% (2824/2944) (classification)
Accuracy = 81.25\% (598/736) (classification)
Accuracy = 95.9239% (2824/2944) (classification)
Accuracy = 80.8424% (595/736) (classification)
Accuracy = 95.6861% (2817/2944) (classification)
Accuracy = 80.2989% (591/736) (classification)
Accuracy = 95.4823% (2811/2944) (classification)
Accuracy = 82.0652% (604/736) (classification)
Accuracy = 95.8899% (2823/2944) (classification)
Accuracy = 82.4728% (607/736) (classification)
Trying c= 2
Accuracy = 97.4185% (2868/2944) (classification)
Accuracy = 81.3859% (599/736) (classification)
Accuracy = 97.4185% (2868/2944) (classification)
Accuracy = 81.7935% (602/736) (classification)
Accuracy = 97.5883% (2873/2944) (classification)
Accuracy = 81.25\% (598/736) (classification)
Accuracy = 97.5883% (2873/2944) (classification)
Accuracy = 82.7446% (609/736) (classification)
Accuracy = 97.928% (2883/2944) (classification)
Accuracy = 82.2011% (605/736) (classification)
Trying c= 5
Accuracy = 98.8111% (2909/2944) (classification)
Accuracy = 82.2011% (605/736) (classification)
Accuracy = 98.8111% (2909/2944) (classification)
Accuracy = 82.337% (606/736) (classification)
Accuracy = 99.1848% (2920/2944) (classification)
Accuracy = 81.7935% (602/736) (classification)
Accuracy = 98.913% (2912/2944) (classification)
Accuracy = 83.1522% (612/736) (classification)
Accuracy = 99.1168% (2918/2944) (classification)
Accuracy = 82.337% (606/736) (classification)
Trying c= 10
Accuracy = 99.4905% (2929/2944) (classification)
Accuracy = 81.3859% (599/736) (classification)
Accuracy = 99.4905% (2929/2944) (classification)
Accuracy = 81.25\% (598/736) (classification)
```

```
Accuracy = 99.5245% (2930/2944) (classification)
Accuracy = 81.7935% (602/736) (classification)
Accuracy = 99.4565% (2928/2944) (classification)
Accuracy = 83.6957% (616/736) (classification)
Accuracy = 99.4565% (2928/2944) (classification)
Accuracy = 83.288% (613/736) (classification)
Trying c= 20
Accuracy = 99.7622% (2937/2944) (classification)
Accuracy = 80.9783% (596/736) (classification)
Accuracy = 99.7622% (2937/2944) (classification)
Accuracy = 81.25\% (598/736) (classification)
Accuracy = 99.6264% (2933/2944) (classification)
Accuracy = 81.9293% (603/736) (classification)
Accuracy = 99.5924% (2932/2944) (classification)
Accuracy = 84.7826% (624/736) (classification)
Accuracy = 99.6943% (2935/2944) (classification)
Accuracy = 83.4239% (614/736) (classification)
Trying c= 50
Accuracy = 99.8641% (2940/2944) (classification)
Accuracy = 80.5707% (593/736) (classification)
Accuracy = 99.8641% (2940/2944) (classification)
Accuracy = 81.25\% (598/736) (classification)
Accuracy = 99.8302% (2939/2944) (classification)
Accuracy = 80.9783% (596/736) (classification)
Accuracy = 99.7283% (2936/2944) (classification)
Accuracy = 83.9674% (618/736) (classification)
Accuracy = 99.7962% (2938/2944) (classification)
Accuracy = 83.0163% (611/736) (classification)
Trying c= 100
Accuracy = 99.9321% (2942/2944) (classification)
Accuracy = 80.4348% (592/736) (classification)
Accuracy = 99.9321% (2942/2944) (classification)
Accuracy = 81.1141% (597/736) (classification)
Accuracy = 99.9321% (2942/2944) (classification)
Accuracy = 80.4348\% (592/736) (classification)
Accuracy = 99.8981% (2941/2944) (classification)
Accuracy = 83.4239% (614/736) (classification)
Accuracy = 99.8981% (2941/2944) (classification)
Accuracy = 82.6087% (608/736) (classification)
In [115]: plt.plot(c list, mean test folds, 'b')
          plt.plot(c_list, mean_train_folds, 'r')
          plt.grid()
          plt.legend(['Test', 'Train'])
          plt.xlabel("C")
          plt.ylabel("Accuracy")
          plt.title('Accucary vs. Hyperparameter C')
```

Out[115]: Text(0.5,1,'Accucary vs. Hyperparameter C')



In [116]: df =pd.DataFrame({'C':c_list, 'Average mean train':mean_train_folds, 'Average mean train_folds, 'Aver df[['C', 'Average mean test', 'Average mean train']] Out[116]: Average mean test Average mean train 0.01 60.081522 0 59.877717 1 0.10 72.608696 85.767663 2 1.00 81.385870 95.781250 3 2.00 81.875000 97.588315

98.967391

99.483696

99.687500

99.816576

99.918478

According to the table, the best model is the one with C=20, so we retrain the model with the whole train data set and compute accuracy on the test set. The accuracy on the test set is 85.342% which is close to the mean test accuracy of the k-fold cross validation (82.47%).

82.364130

82.282609

82.472826

81.956522

81.603261

5.00

10.00

20.00

50.00

100.00

5

6

7

8

```
X_test = convert_to_format(X_test)
y_test = list(y_test)

m = svm_train(y_train, X_train, '-c 20')
p=svm_predict(y_test, X_test, m)

Accuracy = 85.342% (786/921) (classification)
```

0.2 Part B: Pre-processing and learning SVM

The seconde dataset is donwloaded This dataset is the mixture of different datasets of SMS message. They are labeled as SPAM or HAM. However, we get row text, therefore, the columns should be processed to get features that can be used on a learning algorithm.

To perform this task, the following steps are done:

- Importing the data
- Importing stop_words
- Converting to lower case
- Taking out special characters and numbers
- Counting word
- Term frequency matrix
- Grid seach
- Choosing and training of final model
- Evaluating final model

After importing, the stop words are imported from the library "stop_words". This library contains a large list of stop words for english that can be used to preprocess the dataset.

ham U dun say so early hor... U c already then say... ham Nah I don't think he goes to usf, he lives aro...

Now, the text is processed so that all letters are converted to lower case, and numbers an special characters are eliminated. We also filter all stops words from training set.

```
In [4]: data2.Text = data2.Text.apply(lambda x: x.lower()) ###All lower casetext
       data2.Text = data2.Text.apply(lambda x: re.sub(r'[^\w\s]','',x)) #only alpha-numeric a
       #filtering stop words from all samples
       for stop_word in en_stop:
           data2.Text = data2.Text.apply(lambda x: re.sub(r' '+stop_word+' ',' ', x) )
       data2.Text.head()
Out[4]: 0
           go jurong point crazy available bugis n great ...
                                   ok lar joking wif u oni
           free entry wkly comp win fa cup final tkts st...
       3
                        u dun say early hor u c already say
                 nah dont think goes usf lives around though
       Name: Text, dtype: object
In [8]: #splitting train and test
       X_train, y_train, X_test, y_test = split_train_test(data2, 0.8, ['Text'], 'Label')
       print("Shape of train:", X_train.shape)
       print("Shape of test:", X_test.shape)
Shape of train: (4457, 1)
Shape of test: (1115, 1)
```

In order to convert text to numbers, we perform a tf-idf transformation. TF-IDF transfrmation finds for each term t in a document d the normalized frequency (tf) and the inverse frequency (idf):

```
tf(t,d) = \frac{f(t,d)}{max\{f(t,d):ted\}}idf(t,D) = log \frac{|D|}{|\{deD:ted\}|}Where:
```

- |D|: is the number of samples (numer of documents)
- $|\{d \in D : t \in d\}|$: is the number of documents where the term t appears

```
Finally, the TFIDF is calculated as [1]: tfidf(t, d, D) = tf(t, d) \times idf(t, D)
```

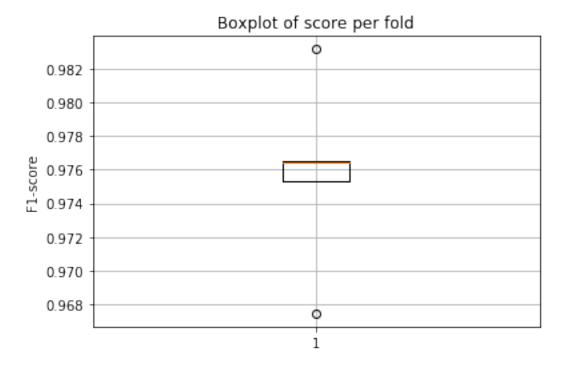
```
Out[10]: (4457, 7597)
In [11]: #getting the tf-idf transformation
         tfidf_transf = TfidfTransformer().fit(X_train_counts)
         X_train_tfidf = tfidf_transf.transform(X_train_counts)
         X_{train_tfidf}
Out[11]: <4457x7597 sparse matrix of type '<class 'numpy.float64'>'
                 with 39296 stored elements in Compressed Sparse Row format>
In [12]: #transforming test data
         X_test_counts = count_vect.transform(X_test.iloc[:,0])
         X_test_tfidf = tfidf_transf.transform(X_test_counts)
         X_test = X_test_tfidf.toarray()
         #transforming labels (originally the are strings)
         y_train = np.array([1 if i=="ham" else 0 for i in y_train])
         y_test = np.array([1 if i=="ham" else 0 for i in y_test])
In [13]: from sklearn.metrics import make_scorer, f1_score
         from sklearn.model_selection import GridSearchCV
         from sklearn import svm
         #creating the hyperaparameter list
         kernel_list = ['linear', 'rbf']
         c_list=[0.01, 0.1, 1, 10, 20, 30, 100]
         #creating initial classifier
         clf = svm.SVC( )
         #creating hyperparameter dicionary for grid searh
         parameters={'C':c_list, 'kernel':kernel_list}
         #creating scorer for grid search
         f1_scorer = make_scorer(f1_score)
         #performing grid search
         svm_grid = GridSearchCV(clf, parameters, cv=5, scoring=f1_scorer)
         #fitting data
         svm_grid.fit(X_train_tfidf, y_train)
         #choosing the best estimator
         best_svm= svm_grid.best_estimator_
         print("Best classifier:")
         best svm
Best classifier:
```

```
Out[13]: SVC(C=1, cache_size=200, class_weight=None, coef0=0.0,
           decision_function_shape='ovr', degree=3, gamma='auto', kernel='linear',
           max_iter=-1, probability=False, random_state=None, shrinking=True,
           tol=0.001, verbose=False)
In [14]: #printing the hyperparameter set list
         svm_grid.cv_results_['params']
Out[14]: [{'C': 0.01, 'kernel': 'linear'},
          {'C': 0.01, 'kernel': 'rbf'},
          {'C': 0.1, 'kernel': 'linear'},
          {'C': 0.1, 'kernel': 'rbf'},
          {'C': 1, 'kernel': 'linear'},
          {'C': 1, 'kernel': 'rbf'},
          {'C': 10, 'kernel': 'linear'},
          {'C': 10, 'kernel': 'rbf'},
          {'C': 20, 'kernel': 'linear'},
          {'C': 20, 'kernel': 'rbf'},
          {'C': 30, 'kernel': 'linear'},
          {'C': 30, 'kernel': 'rbf'},
          {'C': 100, 'kernel': 'linear'},
          {'C': 100, 'kernel': 'rbf'}]
In [15]: #creating table to plot
         x axis = [(i['C'], i['kernel']) for i in svm_grid.cv_results_['params']]
         y_axis = svm_grid.cv_results_['mean_test_score']
         pd.DataFrame({'C':x_axis, 'Mean F1':y_axis })
Out[15]:
                          C
                              Mean F1
             (0.01, linear) 0.927704
         0
                (0.01, rbf) 0.927704
         1
              (0.1, linear) 0.953030
         2
                 (0.1, rbf) 0.927704
         3
         4
                (1, linear) 0.986173
         5
                   (1, rbf) 0.927704
         6
               (10, linear) 0.986158
         7
                  (10, rbf) 0.927704
               (20, linear) 0.986031
         8
                  (20, rbf) 0.927704
         9
               (30, linear) 0.986031
         10
                  (30, rbf) 0.927704
         11
         12
              (100, linear)
                             0.986031
                 (100, rbf)
         13
                             0.927704
In [16]: #prediction on new (test) data
         pred_test = best_svm.predict(X_test_tfidf)
         f1_score(y_test, pred_test)
Out[16]: 0.9882111737570477
```

The f1-score on test (0.9882) is very similar to the one obtained during cross validation for the best hyeraparameter set (f1-score = 0.9861). It implies good generalization. We can also see from the next boxplot, that over the folds, the deviation from the mean score is very low.

```
In [20]: from sklearn.model_selection import cross_val_score

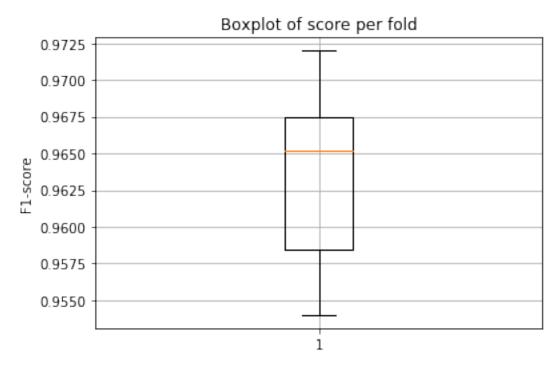
    metrics_svm = cross_val_score(best_svm, X_train_tfidf, y_train, cv=5)
    plt.boxplot(metrics_svm)
    plt.grid()
    plt.title("Boxplot of score per fold")
    plt.ylabel("F1-score")
Out[20]: Text(0,0.5,'F1-score')
```



1 Exercise 2: Compare SVM based spam flter wth another model (Gradient Boosting Tree)

Now we want to compare the previous model, with another model. For that, we choose gradient boosting trees implementation of scikit-learn. Thanks to the ensemble model involved in the GBT, they tend also to give a very good generalization. We find the best hyperparameter set for this model using cross-validation. The consiered hyperparameters are: max depth and number of estimators.

```
In [35]: #hyperparameter slist
        max_depth_list = [2,10,100]
        n_estimators_list=[5, 50, 100, 200]
         #creating hyperaparamter list for grid search
        parameters={'max_depth': max_depth_list, 'n_estimators': n_estimators_list}
         #creating scorer for f1-score
        f1_scorer = make_scorer(f1_score)
         #grid search over the hyperparameter set
         gbc_grid = GridSearchCV(gbc, parameters, cv=5, scoring=f1_scorer, verbose=1)
         gbc_grid.fit(X_train_tfidf, y_train)
         #choosing the best estimator
        best_gbc= gbc_grid.best_estimator_
        best_gbc
Fitting 5 folds for each of 12 candidates, totalling 60 fits
[Parallel(n_jobs=1)]: Done 60 out of 60 | elapsed: 6.3min finished
Out[35]: GradientBoostingClassifier(criterion='friedman_mse', init=None,
                       learning_rate=0.1, loss='deviance', max_depth=2,
                       max_features=None, max_leaf_nodes=None,
                       min_impurity_decrease=0.0, min_impurity_split=None,
                       min_samples_leaf=1, min_samples_split=2,
                       min_weight_fraction_leaf=0.0, n_estimators=200,
                       presort='auto', random_state=None, subsample=1.0, verbose=0,
                       warm_start=False)
In [36]: x_axis = [(i['max_depth'], i['n_estimators']) for i in rf_grid.cv_results_['params']]
        y_axis = rf_grid.cv_results_['mean_test_score']
        pd.DataFrame({'C':x_axis, 'Mean F1':y_axis })
Out[36]:
                      С
                          Mean F1
                 (2, 5) 0.932078
        0
                (2, 50) 0.967502
        1
               (2, 100) 0.973739
         2
         3
               (2, 200) 0.979350
         4
                (10, 5) 0.967793
         5
               (10, 50) 0.974688
         6
              (10, 100) 0.975831
        7
              (10, 200) 0.976863
        8
               (100, 5) 0.974640
        9
              (100, 50) 0.973663
         10 (100, 100) 0.973792
         11 (100, 200) 0.973658
```



With GBC the results are very similar to the ons obtained with SVM (only slighylt lower f1-score in test set). For svm the score on training set was: 0.9882 and for gradient boosting, we obtained 0.9816. However the main difference is on the standar deviation from the results in SVM and GB. We see that the standard deviation of the k-fold results is much lower than for GB. This shows that SVM is able to reach similar results for the different sets, therefore it has a better generalization. In fact, this is a well know property of the SVM [2].

1.1 References:

- [1] Term frequency inverse document frequency (tf-idf): https://es.m.wikipedia.org/wiki/Tf-idf
 - [2] C. Bishop. Machine Learning and Pattern Recogtion". Springer