

let

$x = 3$

$y = 2$

$F = \text{proc}(a, b, c) + (\varphi, -(b, c))$

in

let

$g = \text{proc}(s, m) (f \ s \ m + (s, m))$

$k = \text{proc}(t) \leftarrow (t, 4)$

in

let

$j = \text{proc}(x, w) \text{ if } (w \ 3) \text{ then}$
 $(g \times 3) \text{ else } (g \times 9)$

$\varphi = (f \ 2 \ 3 \ 4)$

in

$(j \ p \ k)$

empty

env_proc_F1
(a, b, c)
(2 3 4) 1

env_proc_F2
(a, b, c)
(1, 3, 4)
0

env1

'(x y F)

(3 2

closure (a b c)
+ (a, -(b, c)
empty-env)

env_proc_g

(s m)

(1, 3)

(F 1 3 4)

env2

'(g k)

'(closure (s, m) ...
env1)

(closure (+) ...
env1))

env_proc_j

'(x w)

'(1

closure (+)
... env1))

(g + 3)
(g 1 3)

e

'(j p)

(closure (x, w)
... env2)

1)

env_proc_w

(t)

(3)

→ ~~1~~
= 1

(w 3) = 1

> (t, 4)

(j p k)

(j 1 +)

closure

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env \emptyset ($(x \ y \ z \ f)$)

$(2 \ 3 \ 4 \ (\text{closure}(x, y, z) \ H(x, y, z) \ \text{empty-env}))$

let

$y = (f \ x \ y \ z)$

$x = (f \ y \ z \ x)$

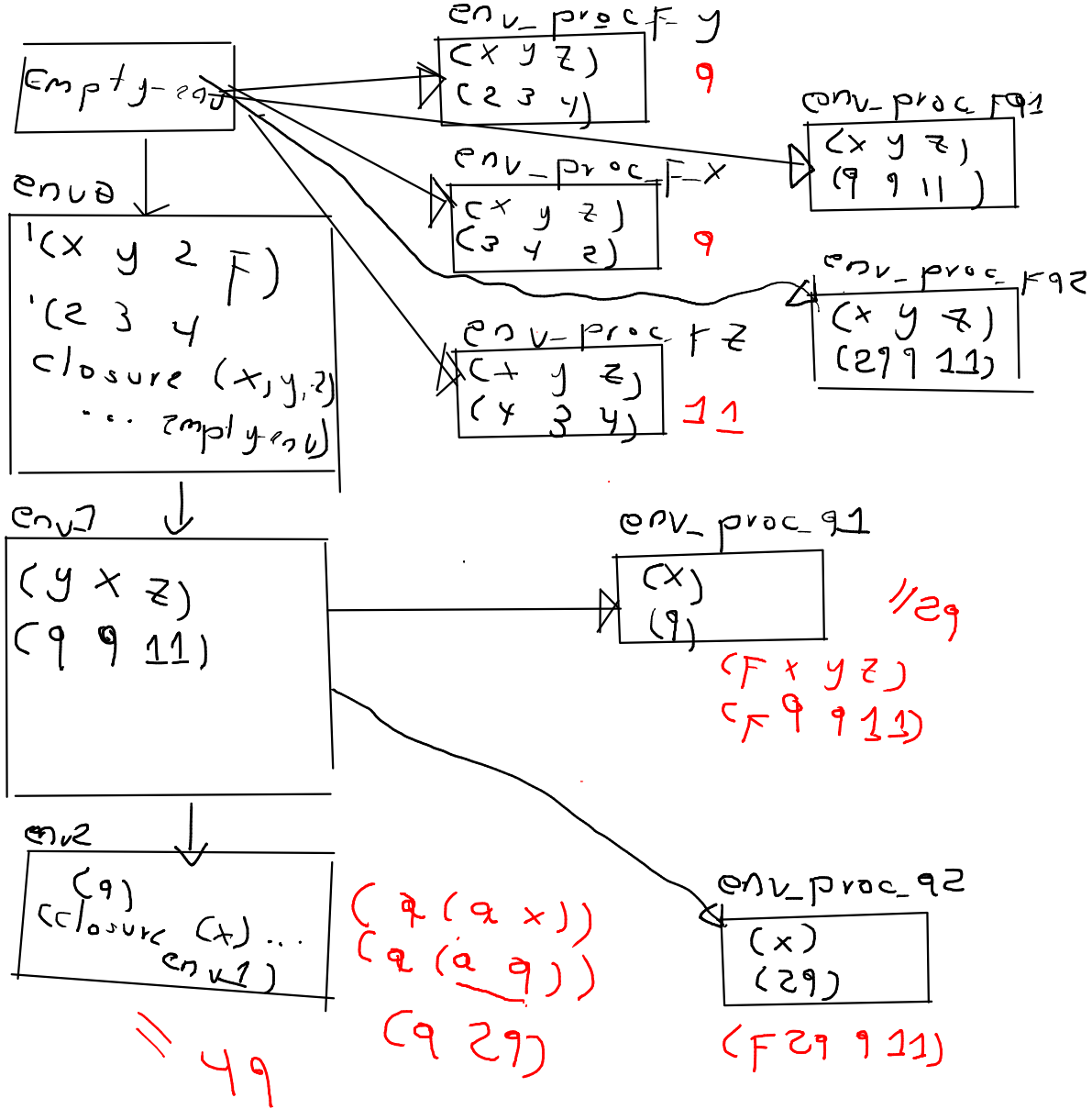
$z = (f \ z \ y \ z)$

in let

$q = \text{proc}(x) (f \ x \ y \ z)$

in

$(q \ (q \ x))$



Ejercicio del parcial

