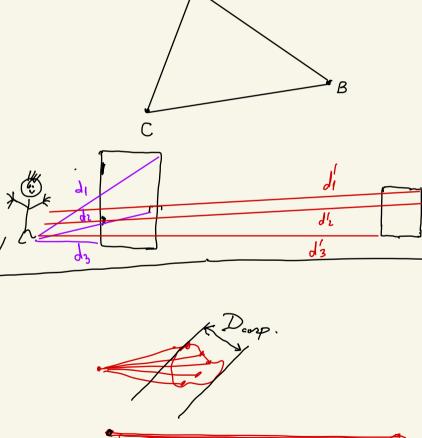
15 Decembrie 2021

Conceptul de punctiformitate.

Ce înseamnă că donă corpuri mut punctiforme?



dz10Derp

Expresia materatică a legii lui Conlomb.
(Interactivuen electrică dintre donă corpuni
punctiforme)

(The nactionen electrica dente dona corpuni punctiforme)

$$\overrightarrow{AB} = \overrightarrow{OB} - \overrightarrow{OA}$$
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7,5+7,7+2,E 0 B = x2 [1+y2] + 2 b AB = (x,-x,) 2 + (>,->,) = (2,-2,) & | AB | = / (x,-x,)2+ (y,-y,)2+ (2,-2)2

 $\overrightarrow{F} = k \frac{Q_1 Q_2}{|\overrightarrow{AB}|^3} \cdot \overrightarrow{AB}$ = Legea hi Conloreb

în forma vectoriolar $\left|\overrightarrow{F}_{AB}\right| = k \cdot \frac{|Q_1Q_2|}{|\overrightarrow{AB}|^3} \cdot |\overrightarrow{AB}|$

 $|\vec{F}_{AB}| = k \frac{|Q_1Q_2|}{|\vec{AB}|^2}$ = Legen lui Coulomb in forma scalaroi

 $\frac{1}{F} = \left[\frac{Q_1 Q_2}{\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (t_2 - t_1)^2}} \right]^3 \left[(x_2 - x_1) \frac{1}{1} + (y_2 - y_1) \frac{1}{1} + (t_2 - t_1) \frac{1}{k} \right]$ = FAGX 2+ FBY 3+ F. R

$$\frac{f}{f_{B_{\frac{1}{2}}}} = k \frac{d_{1}d_{2}(z_{2}-z_{1})}{[(x_{1}-x_{1})^{2}+(y_{2}-y_{1})^{2}+(z_{2}-z_{1})^{2}]^{3/2}}$$

Ex. 1) Cu ce forti ne atrag electronal si protonal dienter-un stom de hidrogen?

$$|\vec{F}| = F = k \frac{|e(-e)|}{\hbar^2} = \frac{ke^2}{\pi^2}$$

$$R = 0.5 \text{ Å} = 0.5 \cdot 10 \text{ m} = 5 \cdot 10 \text{ m}$$

$$F = \frac{9 \cdot 10 \cdot (1.6 \cdot 10^{-19})^{2}}{(5 \cdot 10^{11})^{2}} \text{ N} = \frac{9 \cdot 10 \cdot 1.6^{2} \cdot 10^{-22}}{25 \cdot 10^{-22}} \text{ N} = \frac{9 \cdot 1.6^{2}}{25 \cdot 10^{-22}} \text{ N} = \frac{9 \cdot 1.6^{2}}{2$$

$$= \frac{9 \cdot 2.56}{25} \cdot 10^{7} N = \frac{9 \cdot 25.6 \cdot 10^{7} \cdot 10^{7}}{25} N$$

$$= \frac{9 \cdot 10^{8}}{25} N = \frac{90 \cdot 10^{7} \cdot 10^{8}}{25} N = \frac{90}{25} \cdot 10^{8} N$$

$$= \frac{90.4}{100} \cdot 10^{8} N = 3.6 \cdot 10^{8} N \text{ } \text{...}$$

$$N_{0} Cl \qquad \text{apa} \qquad N_{0}^{4}$$

$$Cl \qquad \text{No} \qquad Cl \qquad \text{apa} \qquad N_{0}^{4}$$