Sympy Tutorial

- *sp.init_printing()* is specifically for SymPy mathematical expressions and sets a global display format used to print/display expressions in nice math like format
- display() is similar but more versatile and can handle multiple types of objects, but needs to be called explicitly each time (called as from IPython.display import display)
- *sympy.symbols()*: core way to create symbolic objects . accepts string containing the names of the symbols you want, separated by spaces or commas. returns the Symbol objects, which you typically assign to Python variables.
- *sympy.var()* :Shortcut for symbols() with automatic assignment, It automatically creates the Symbol objects and assigns them to Python variables with the same names.

```
In [1]:
        import sympy as sp
        import numpy as np
In [2]: # Define symbolic variables x and y
        x,y = sp.symbols('x y')
        # printed as y+4 and not any value as its treated a symbolic variable
        y+4
        # to enable symolic printing similar to latex,
        # #use sympy.init printing() with display() function
        sp.init printing()
        y+4
Out[2]: y+4
In [3]: print(x**y)
       x**y
In [4]: from IPython.display import display
        display(x**y)
        display(np.sqrt(2))
        display(sp.sqrt(2))
       x^y
       1.4142135623731
       \sqrt{2}
In [5]: x,y = sp.symbols('x y')
        display(y*x**2)
```

```
# symbols also works with greek letters
mu,sigma = sp.symbols('mu sigma')
y_guass = 1/(sigma*sp.sqrt(2*sp.pi))*sp.exp(-(x-mu)**2/(2*sigma**2))
display(y_guass)
```

```
x^2y = rac{\sqrt{2}e^{-rac{(-\mu+x)^2}{2\sigma^2}}}{2\sqrt{\pi}\sigma}
```

• using *sym.subs()*

subs() is a method used to substitute values or expressions into symbolic expressions, thus evaluating symbolic expression at that value subs(x,2) -> replace x with 2 expr.subs(old, new) - replaces old with new expr.subs({old1: new1, old2: new2}) - multiple substitutions

```
In [6]: # Define symbolic variables
x, y = sp.symbols('x y')

# Create an expression
expr = x**2 + 2*x + y
display(expr)
# Basic substitution - replace x with 2
# # Returns: 4 + 2*2 + y = 8 + y
display(expr.subs(x, 2))

# Multiple substitutions using a dictionary
# this is 3^2 + 2*3 + 1 = 9 + 6 + 1 = 16
display(expr.subs({x: 3, y: 1}))

# Substitute expressions
display(expr.subs(x,y))
```

```
x^{2} + 2x + y
y + 8
16
y^{2} + 3y
```

Why Latex

```
display(sp.sqrt(4)x) # gives 2x and not desired $ sqrt(4) x

without using sp.init_printing
display(sp.sqrt(x)*sp.sqrt(x)) # gives x and not desired

sqrt(x) * sqrt(x) $
```

So, we can use latex for this using sym.latex for printing and evaluating The *sympy.latex* function in SymPy is used to convert symbolic expressions into LaTeX strings, which can be rendered nicely in Jupyter Notebooks or other environments that support LaTeX rendering.

```
In [7]:
        # Define symbolic variables
        x, y = sp.symbols('x y')
        # Create an expression
        expr = x**2 + 2*x + y
        display(expr) # prints x^{2} + 2x + y
        # display(sp.latex()) dont give correct view)
        display(sp.latex(expr)) # prints string 'x^{2} + 2x + y'
        #method 2
        from IPython.display import display, Math
        # Display the LaTeX string using Math and display : display(Math(sp.latex()))
        display(Math(sp.latex(expr)))
        # suppose want to print latex string 3/4
        print('3/4') # prints
                                3/4
        display('3/4') # prints '3/4'
        display(sp.latex('3/4')) # prints \\mathtt{\\text{3/4}}'
        display(Math(sp.latex('3/4'))) # prints 3/4
        # use sp.sympify(expr) to convert the string to a sympy expression
        display(Math(sp.latex(sp.sympify('3/4')))) # prints correctly
```

```
x^{2} + 2x + y
x^{3}/4
x^{3}/4
x^{3}/4
x^{3}/4
```

Latex tutorial

display(Math()) is used to display a mathematical expression formatted using LaTeX syntax within a notebook cell, allowing you to present complex equations with proper formatting

for using latex in python code , use \ , first \ is used to escape the second \

which specifies following latex code, as compared with \ used in markdown which specifies latex code directly

```
In [ ]: # use sp.latex with display and Math
display(Math('\\sigma = \\mu \\times \\sqrt{5}' ))
```

using *sp.symbols, sp.eq* and *sp.latex*

```
In []: # method 2
# create symbols
sigma, mu = sp.symbols('sigma mu')
# Create the equation using sp.Eq
expr = sp.Eq(sigma, mu * sp.sqrt(5))
# use sp.latex with display and Math
display(Math(sp.latex(expr, order='old')))
# display sqrtx * sqrt x
display(Math('\\sqrt(x) \\times \\sqrt(x) {or} \\sqrt{x} \\sqrt{x}'))
# display fractions: \\frac{numerator}{denominator}
display(Math('\\frac{3}{4}'))
# markdown in latex: use \\text{markdown}
display(Math('\\text{The answer is } \\frac{1}{2} \\text{.}'))
```

Note: In following expression, The symbols *x, y, m, n, k, +, -*,

subscripts (*_), and superscripts (^*) are all directly understood by LaTeX without needing a backslash., so there is no need of \

```
In []: # display subscript: use _tobeSubscripted
    display(Math('x_mm'))
    # display more chars in subscript: _{tobeSubscripted}
    display(Math('x_{mm}'))
    # display superscript : ^{tobeSuperscripted}
    display(Math('x_{mm}) + y^{n+2k-15}'))
```

write text as is in latex:

The *\text{}* command tells LaTeX to treat the content inside the curly braces as normal text.

```
In [21]: display(Math(r'\text{The area of a circle is } A = \pi r^2'))
```

The area of a circle is $A = \pi r^2$

• Latex in markdown cell: here, we dont use \ for latex but single quote and dollar sign

so, we write

dollar \sigma = \mu \times \sqrt{5} dollar

$$\sigma = \mu \times \sqrt{5}$$

some common latex commands

Math	LaTeX	Example	Output
Fraction	{}	$P(A)=\frac\{n(A)\}\{n(U)\}$	$P(A) = \frac{n(A)}{n(U)}$
Square root	\sqrt()	\sqrt{x+y}	$\sqrt{x+y}$
Superscript	u^n	u_n=u_1r^{n-1}	$u_n = u_1 r^{n-1}$
Subscript	u_n	u_n=u_1+(n-1)d	$u_n = u_1 + (n-1)d$
Greek letters	\alpha	\alpha \beta \pi \Gamma	$lphaeta\pi\Gamma$
Text		A=\pi r^2\text{ ,where r is the radius}	$A = \pi r^2$, where r is the radius
Sigma	\sum	n=\sum \limits _{i=1} ^{\infty} f_i	$n=\sum_{i=1}^{\infty}f_i$
Limit	\lim	\lim\limits_{x\to\infty}	$\lim_{x\to\infty}$
Integration	\int	\int\limits_{a}^{b} x^2 dx	$\int_{a}^{b} x^{2} dx$
Trig	\sin	\sin()	$\sin(x+y)$
Comparison	\leq	\leq \geq \approx \neq	≤≥≈≠
Overline		\overline{x}	\overline{x}
Tilde ~	\sim	X\sim N(\mu, \sigma^2)	$X \sim N(\mu, \sigma^2)$
Number sets		\mathbb{I, R, Q, N, Z}	$\mathbb{I}, \mathbb{R}, \mathbb{Q}, \mathbb{N}, \mathbb{Z}$

write command to display the following

```
With x = -2, x^2 + 4 \implies -2^2 + 4 = 8
With x=-1, x^2+4 \Rightarrow -1^2+4=5
With x=0, \quad x^2+4 \quad \Rightarrow \quad 0^2+4=4
With x=1, \quad x^2+4 \quad \Rightarrow \quad 1^2+4=5
With x=2, x^2+4 \Rightarrow 2^2+4=8
second way to display
With x = -2, x^2 + 4 \implies -2^2 + 4 = 8
With x=-1,\quad x^2+4\quad\Rightarrow\quad -1^2+4=5
With x=0, \quad x^2+4 \quad \Rightarrow \quad 0^2+4=4
With x = 1, x^2 + 4 \implies 1^2 + 4 = 5
With x=2, x^2+4 \Rightarrow 2^2+4=8
```

```
In [22]: expr = x^{**}2 + 4
         for i in range(-2, 3):
             display(Math('\\text{With } x=%g, \\quad x^2+4 \\quad \\Rightarrow \\quad %
          # breakdown
         # Constructs a formatted string using
         # # Math('\\text{With } x=%g, \\quad x^2+4 \\quad \\Rightarrow \\quad %g^2+4 =
         # #This string uses LaTeX notation to create a
         # nicely formatted mathematical expression. The %g placeholders are replaced wi
         # The \text{} command tells LaTeX to treat the content inside the curly braces
         # x=%g, when combined with the first i in % (i, i, expr.subs(x,i)) part, gives
         # %g^2+4 , when combined with the second i in % (i, i, expr.subs(x,i)) part, g
         # %q , when combined with the expr.subs(x,i) in % (i, i, expr.subs(x,i)) part,
         # with \#expr.subs(x, i) calculating the result of the expression with x repla
         print("second way to display")
         for i in range(-2, 3):
             ans = (x^{**2} + 4).subs(x, i)
             display(Math('\\text{With } x=%g, \\quad x^2+4 \\quad \\Rightarrow \\quad %
```

With
$$x = -1$$
, $x^2 + 4 \Rightarrow -1^2 + 4 = 5$
With $x = 0$, $x^2 + 4 \Rightarrow 0^2 + 4 = 4$
With $x = 1$, $x^2 + 4 \Rightarrow 1^2 + 4 = 5$
With $x = 2$, $x^2 + 4 \Rightarrow 2^2 + 4 = 8$
second way to display
With $x = -2$, $x^2 + 4 \Rightarrow -2^2 + 4 = 8$
With $x = -1$, $x^2 + 4 \Rightarrow -1^2 + 4 = 5$
With $x = 0$, $x^2 + 4 \Rightarrow 0^2 + 4 = 4$
With $x = 1$, $x^2 + 4 \Rightarrow 1^2 + 4 = 5$
With $x = 2$, $x^2 + 4 \Rightarrow 2^2 + 4 = 8$

solve these exercises

LaTeX exercises

1)
$$4x + 5y - 8z = 17$$

2)
$$\sin(2\pi f t + \theta)$$

$$3) \quad e = mc^2$$

4)
$$\frac{4+5x^2}{(1+x)(1-x)}$$

display(Math('e=mc^2')) display(Math('\\frac{4+5x^2}{(1+x)(1-x)}'))
$$4*x+5*y-8*z=17$$

$$\sin(2\pi ft+\theta)$$
 $e=mc^2$

$$\frac{4 + 5x^2}{(1+x)(1-x)}$$