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Que1)Plot ahistogram, 10, 13, 18, 22, 27, 32, 38, 40, 45, 51, 56, 57, 88, 90, 92, 94, 99
            import matplotlib.pyplot as plt data=[10, 13, 18, 22, 27, 32, 38, 40, 45, 51, 56, 57, 88, 90, 92, 94, 99]
            #Plottingthe histogram
            plt.hist(data, bins=10, edgecolor='black')
            #Setting labels for the x and yaxis plt.xlabel('Values') plt.ylabel('Frequency')
          #Addingatitlefor the histogram plt.title('Histogram of Data')
           #Displaying the histogram
           pits.show()
This will produce a histogram with 10 bins and the xaxis representing the values and the yaxis representing the frequency.
  Que 2) In aquant test of the CAT Bram, the population standard deviation is known to be 100. A sample of 25 tests taken has a mean of 520. Construct an 80% Clabout the mean.
                   To construct an 80% confidence interval (CI) about the mean, we can use the following formula:
                   CI = \bar{x} \pm (t\alpha/2 * (s/\sqrt{n}))
                   Where:
                   \bar{x} is the samplemean t\alpha/2 is the t-value for the desired level of confidence and degrees of freedom (df=n-1)
                   s is the samplestandard deviation
                   is the samplesize
Given that the population standard deviation is known to be 100, we can use it as the samplest and ard deviation for the formula. Also, since we want an 80% CI, we need to find the t-value for the middle 80% of the t-dstribution with 24
                   Using at + table or a statistical software, we can find that the t-value for the middle 80\% of the t-d stribution with 24 degrees of freedom is approximately 1.317. \\
                   Substituting the given values into the formula, we get:
                  CI = 520 \pm (1.317 * (100/\sqrt{25}))
= 520 \pm (1.317 * 20)
= 520 \pm 26.34
                   Therefore, the 80% confidence interval about the mean is (493.66, 546.34).
  Que3) A car believes that the percentage of citizens in city ABC that owns avehide is 60% or less. A sales manager disagrees with this. Heconducted a hypothesis testing surveying 250 residents & found that 170 residents responded yes to owning avehide a) State the null & atternate hypothesis.

b) At a 10% significance level, is there enoughe vidence to support the ideathat vehideowner in ABC city is 60% or less.
           a)The null hypothesis (H0) is that the percentage of citizens in city ABC who own a vehicle is equal to or greater than 60%. The alternate hypothesis (Ha) is that the percentage of citizens in city ABC who own a vehicle is less than 60%.
              Symbolically, we can write: H_0 > 0.060 where prepares the population proportion of vehicle owners in cityABC. Where prepresents the population proportion of vehicle owners in cityABC.
  b)To test the hypothesis, we need to calculate the test statistic and compare it to the critical value. The appropriate test for this scenario is a one-tailed z-test for a proportion. The formula for the test statistic is: z = (\hat{p}^2 - p0)/\sqrt{(p0 \times (1-p0)/n)} where:
      φ is the sampleproportion of vehicle owners p0 is the hypothesized population proportion under the null hypothesis
       n is the samplesize
     Substituting the given values, we get:

z = (170/250 - 0.60) / \sqrt{(0.60 * 0.40 / 250)}
                 =-2 22
     Using aztable or a statistical software, we can find that the critical z-value for a one-tailed test with a 10% significance level is -1.28 (since the alternate hypothesis is one-tailed and is testing for a lower proportion than the hypothesized value). Since the calculated test statistic (2.22) is less than the critical z-value (-1.28), were ject the null hypothesis. This means that there is enoughevidence to support the idea that the percentage of citizens in city ABC who own a vehicle is less than 60% of the calculated test statistic (-2.22) is less than the critical z-value (-1.28), were ject the null hypothesis. This means that there is enoughevidence to support the idea that the percentage of citizens in city ABC who own a vehicle is less than 60% of the calculated test statistic (-2.22) is less than the critical z-value (-1.28), were ject the null hypothesis. This means that there is enoughevidence to support the idea that the percentage of citizens in city ABC who own a vehicle is less than 60% of the calculated test statistic (-2.22) is less than the critical z-value (-1.28), were ject the null hypothesis. This means that there is enoughevidence to support the idea that the percentage of citizens in city ABC who own a vehicle is less than 60% of the calculated test statistic (-2.22) is less than the critical z-value (-1.28).
  Que4) What is the value of the 99 percentile?
                   2,2,3,4,5,5,5,6,7,8,8,8,8,9,9,10,11,11,12
                   To find the value of the 99th percentile, we need to arrange the given data in according order:
                   2,2,3,4,5,5,5,6,7,8,8,8,8,8,9,9,10,11,11,12
                   The 99th percentile is the value below which 99% of the data falls. To find it, we can use the following formula:
                   n = (P/100) * N
                   n is the index of the percentile we want to find
                   P is the desired percentile (in this case, 99)
N is the total number of observations
                 Substituting the given values, we get:
                 n = (99/100)*20
= 19.8
                Since the index must be a whole number, we round up to the next integer to get:
              Therefore, the 99th percentileis the value at the 20th position in the sorted data 2,2,3,4,5,5,5,6,7,8,8,8,8,8,9,9,10,11,11,12
The value at the 20th position is 12. Therefore, the value of the 99th percentileis 12.
  Que5) In left & right-skewed data, what is the relationship between mean, median & mode?
                 Draw the graph to represent the same
               In a left-skewed data, the mean is less than the median, which is less than the mode. This means that there are more observations on the left side of the distribution, causing it to skew to the left. In a right-skewed data, the mean is greater than the median, which is greater than the mode. This means that there are more observations on the right side of the distribution, causing it to skew to the right. Here is an example of a left-skewed distribution and a right-skewed distribution with their respective mean, median, and mode:
                Left-skewed distribution:
  \overline{/}
  ABC
  Mean: to the left of B
  Median: at B
Mode: to the right of B
  Right-skewed distribution:
  ABC
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Mean: to the right of B Median: at B Mode: to the left of B