

# ML Overview

GeoComput & ML

2021-05-04 Tue

# Course Structure

## GeoComputation

- Linux environment
- Geo computational tools : gdal/ogr, pktools, grass, etc.

↑↑  
GeoCoding  
↓↓

## GeoModelling

- GeoMath
- GeoStats

# Class Survey

Topics	Speakers
Python	web
R	web
TensorFlow	guest ?
unSupervised Learning	LS
Image processing ?	LS ?
ML Optimisation	LS
rivernetwork delineation	GA + LS
from project discussions	GA + LS

# Course Outlook

Dates	Contents	Speaker
0504	projects + ML overview	LS
0506	projects + ML opt.	LS
0511	unsupervised learning	LS
0518	specific topics	LS + GA
0520	ANN	guest
0525	ANN	guest
0527	LSTM	guest
0601	presentation day	
0604	presentation day	

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- Model Analysis  
solution determination

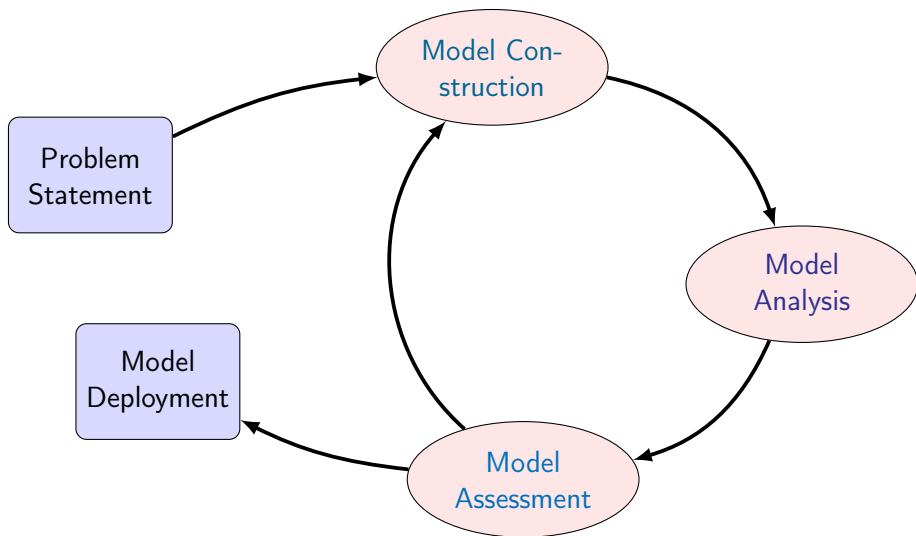
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- Model Deployment  
presentation : map output

# Iterative Process

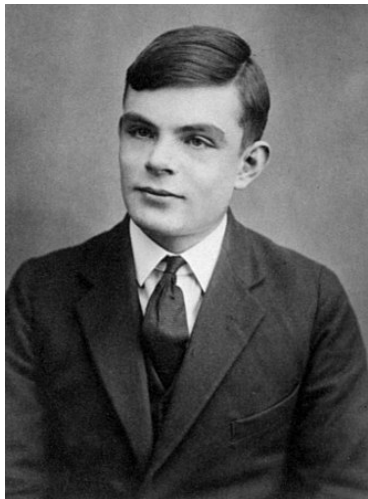


## Broad Sense

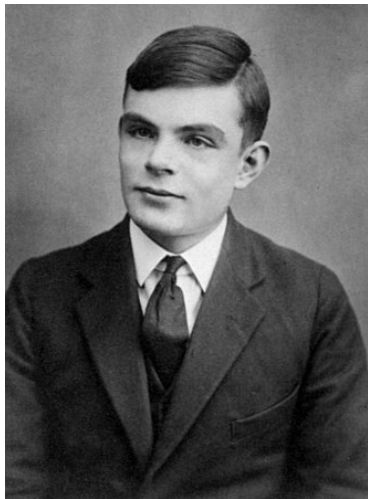
- Prediction and/or Analytics
- Coding languages

## Evaluation

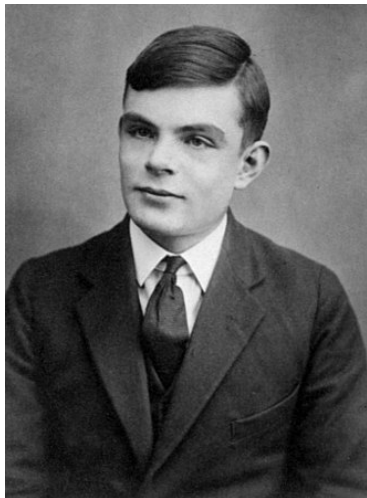
- Clear concepts
- Logic reasoning
- Numerical ability
- Presentability



- 1930s : Turing machine :  
mathematics into recipe



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- Turing test : indistinguishable from human reactions

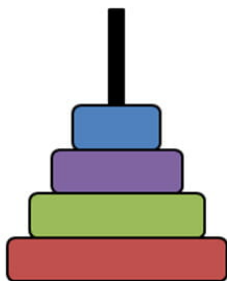


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# AI Foundation

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(A) Start

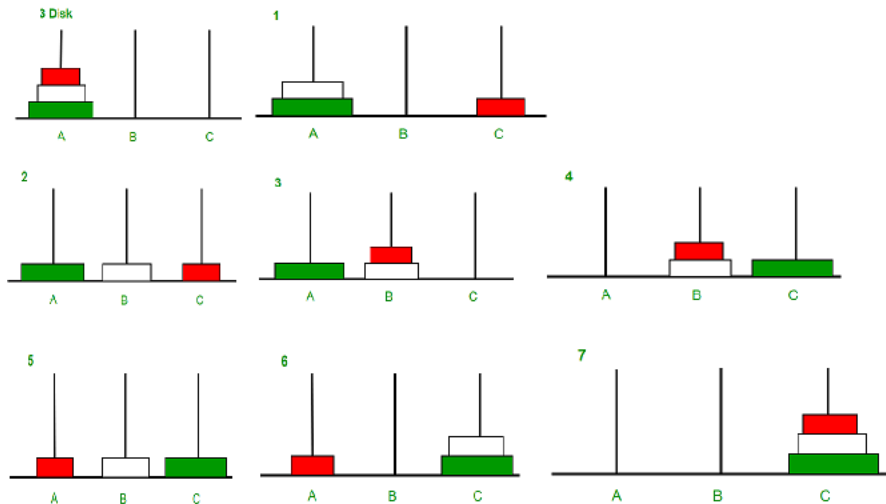


(B) Middle



(C) Goal

# Optimal Solution



# Combinatorial explosion



- average 200 possible moves
- anticipating next four moves
- more than 320 billion combinations

- 1970s : capturing human knowledge
- logic-based
- deduction
- logic knots

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$$\begin{aligned} P(C|+) &= \frac{P(+|C)P(C)}{P(+|C)P(C) + P(+|C^c)P(C^c)} \\ &= \frac{0.8 \times 0.1}{0.8 \times 0.1 + 0.96 \times 0.9} = 48\% \end{aligned}$$

# Deep Learning

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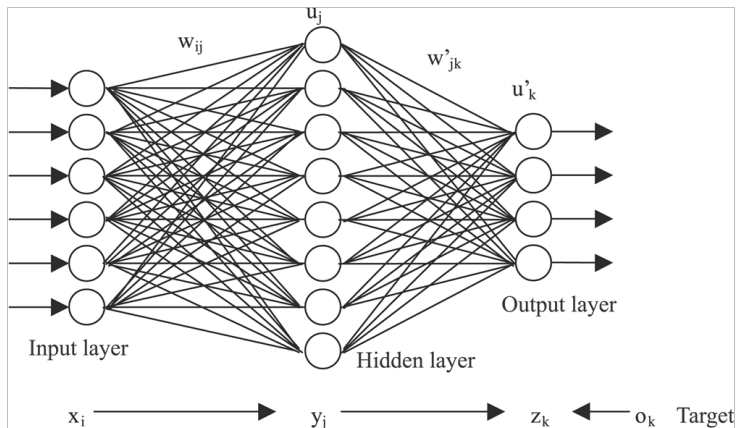
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# Well-posed Problem

## Definition

A computer program is said to learn from experience  $E$  w.r.t. some tasks  $T$  and performance measure  $P$ , if its performance at tasks  $T$  as measured by  $P$  improves with experience  $E$ .

For example, a computer programs learns to play Go game might improves its performance as measured by its ability to win, through the experience of playing against itself.

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- hyperparameters tuning

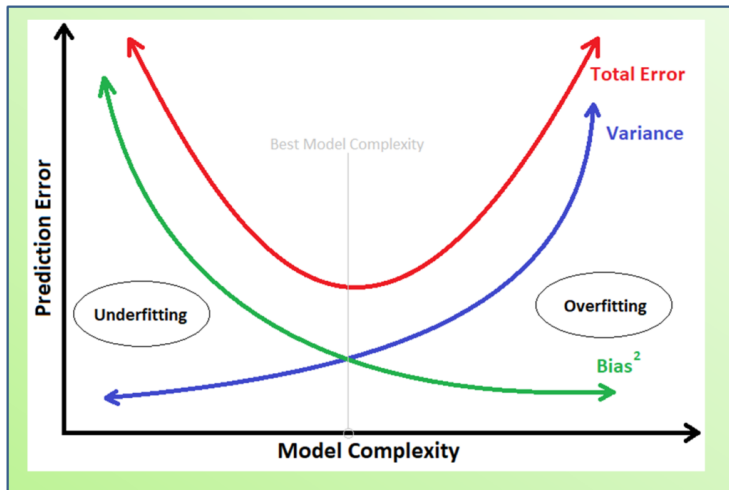
# Bias vs. Variance

Given  $y = f(x) + \epsilon$

$$E[y] = E[f + \epsilon] = E[f] = f$$

$$\begin{aligned} E[(y - \hat{f})^2] &= E[(f + \epsilon - \hat{f})^2] \\ &= E[(f - E[\hat{f}] + \epsilon - \hat{f} + E[\hat{f}])^2] \\ &= E[(f - E[\hat{f}])^2] + E[\epsilon]^2 + E[(E[\hat{f}] - \hat{f})^2] - 2E[(E[\hat{f}] - \hat{f})(f - E[\hat{f}])] \\ &= E[(f - E[\hat{f}])^2] + E[\epsilon]^2 + E[(E[\hat{f}] - \hat{f})^2] - 2(E[\hat{f}]f - E[\hat{f}]f + E[\hat{f}]E[\hat{f}] - E[\hat{f}]E[\hat{f}]) \\ &= \text{Bias}(\hat{f}^2) + \text{Var}[\hat{f}] + \sigma^2 \end{aligned}$$

# Bias vs. Variance





Let  $p_{MDL}(\mathbf{x}; \theta)$  be a parametric family of probability distribution over the same space indexed by  $\theta$ .




$$\theta_{ML} = \arg \max_{\theta} \sum \log(p_{MDL}(\mathbf{x}; \theta))$$

$$\theta_{ML} = \arg \max_{\theta} \mathbb{E}[x \sim \hat{p}_{DAT}] \log(p_{MDL}(\mathbf{x}; \theta))$$

$\theta$  as a prior distribution :  $p(\theta)$

$$p(\theta|x^{(1)} \dots x^{(m)}) = \frac{p(x^{(1)}, \dots, x^{(m)}|\theta)p(\theta)}{p(x^{(1)}, \dots, x^{(m)})}$$

# References

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