

**Exercise 33: (Post correspondence problem light)****Exercise 34: (Decidable first-order logic)****a****b****Exercise 35: (Undecidable problem III: Mortal Matrices)****a**

This set of matrices is not a set of mortal matrices.

$A_1$  is just  $-1 \cdot \mathbb{E}$ , as well as  $A_2^2$ ,  $A_3 \cdot A_2$  and  $A_3^2$ , so multiplication with it will only result in the zero matrix if it is multiplied with the zero matrix. Similarly  $A_2 \cdot A_3$  is just  $\mathbb{E}$ . Furthermore,  $A_3$  is just  $A_1 \cdot A_2$

**b**

This set of matrices is a set of mortal matrices.

$$B_1 \cdot B_3 \cdot B_2 \cdot B_1 = \text{Zeromatrix}$$

**c****Exercise 36: (More Mortal Matrices)**

We wrote a small python program (see attachments of the mail) to brute force our way to a solution, which was quite clever considering the solution is quite long:

$$A \cdot B \cdot B \cdot A \cdot B \cdot A \cdot A \cdot B \cdot B \cdot B \cdot B \cdot A \cdot A \cdot A \cdot B \cdot B \cdot A = \text{Zeromatrix}$$