

# A - Misdelivery

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 100 points

## Problem Statement

Mansion AtCoder has  $N$  rooms numbered from room 1 to room  $N$ .

Each room  $i$  is inhabited by one person named  $S_i$ .

You are to deliver a package addressed to Mr./Ms.  $Y$  in room  $X$ . Determine whether the destination is correct.

## Constraints

- $1 \leq N \leq 100$
- $1 \leq X \leq N$
- $N$  and  $X$  are integers.
- $S_i$  and  $Y$  are strings consisting of lowercase English letters with length between 1 and 10, inclusive.

## Input

The input is given from Standard Input in the following format:

```
N
S_1
S_2
⋮
S_N
X Y
```

## Output

Print Yes if the name of the person living in room  $X$  is  $Y$ , and No otherwise.

## Sample Input 1

```
3
sato
suzuki
takahashi
3 takahashi
```

## Sample Output 1

```
Yes
```

The person living in room 3 is takahashi, which matches the name on the package.

## Sample Input 2

```
3
sato
suzuki
takahashi
1 aoki
```

## Sample Output 2

No

The person living in room 1 is sato, which does not match the name on the package, aoki.

---

## Sample Input 3

```
2
smith
smith
1 smith
```

## Sample Output 3

Yes

Mansion AtCoder may have people with the same name living in different rooms.

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## Sample Input 4

```
2
wang
li
2 wang
```

## Sample Output 4

No

# B - Fibonacci Reversed

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 200 points

## Problem Statement

For a positive integer  $x$ , define  $f(x)$  as follows:

- Let  $s_x$  be the string obtained by representing  $x$  in decimal notation (without leading zeros), and let  $\text{rev}(s_x)$  be the string obtained by reversing  $s_x$ . The value of  $f(x)$  is the integer obtained by interpreting  $\text{rev}(s_x)$  as a decimal representation of an integer.

For example, when  $x = 13$ , we have  $\text{rev}(s_x) = 31$ , so  $f(x) = 31$ ; when  $x = 10$ , we have  $\text{rev}(s_x) = 01$ , so  $f(x) = 1$ . Particularly, for any positive integer  $x$ , the value of  $f(x)$  is a positive integer.

You are given positive integers  $X$  and  $Y$ . Define a sequence of positive integers  $A = (a_1, a_2, \dots, a_{10})$  as follows:

- $a_1 = X$
- $a_2 = Y$
- $a_i = f(a_{i-1} + a_{i-2})$  ( $i \geq 3$ )

Find the value of  $a_{10}$ .

## Constraints

- $1 \leq X, Y \leq 10^5$
- All input values are integers.

## Input

The input is given from Standard Input in the following format:

```
X Y
```

## Output

Print the value of  $a_{10}$ .

## Sample Input 1

```
1 1
```

## Sample Output 1

```
415
```

The values of the elements of  $A$  are as follows:

- $a_1 = 1$
- $a_2 = 1$
- $a_3 = 2$
- $a_4 = 3$
- $a_5 = 5$
- $a_6 = 8$
- $a_7 = 31$
- $a_8 = 93$
- $a_9 = 421$
- $a_{10} = 415$

Thus, print 415.

**Sample Input 2**

```
3 7
```

**Sample Output 2**

```
895
```

**Sample Input 3**

```
90701 90204
```

**Sample Output 3**

```
9560800101
```

# C - Alternated

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 350 points

## Problem Statement

You are given a string  $S$  of length  $2N$ .  $S$  contains exactly  $N$  occurrences of A and  $N$  occurrences of B.

Find the minimum number of operations (possibly zero) needed to make  $S$  have no adjacent identical characters, where an operation consists of swapping two adjacent characters in  $S$ .

## Constraints

- $1 \leq N \leq 5 \times 10^5$
- $N$  is an integer.
- $S$  is a string of length  $2N$  consisting of  $N$  occurrences of A and  $N$  occurrences of B.

## Input

The input is given from Standard Input in the following format:

```
N
S
```

## Output

Print the answer.

## Sample Input 1

```
3
AABBBBA
```

## Sample Output 1

```
2
```

By performing operations as follows, you can achieve a state with no adjacent identical characters in two operations:

- Swap the 2nd and 3rd characters.  $S$  becomes ABABBA.
- Swap the 5th and 6th characters.  $S$  becomes ABABAB.

## Sample Input 2

```
3
AAABBB
```

## Sample Output 2

```
3
```

Note that you can only swap adjacent characters.

## Sample Input 3

```
17
AAABABABBBBABABBBABABABBBAAABABABBA
```

## Sample Output 3

15

# D - RLE Moving

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 425 points

## Problem Statement

There is an infinitely large grid. One cell of the grid is named cell  $(0, 0)$ .

The cell located  $r$  cells down and  $c$  cells right from cell  $(0, 0)$  is called cell  $(r, c)$ .

Here, " $r$  cells down" means " $|r|$  cells up" when  $r$  is negative, and " $c$  cells right" means " $|c|$  cells left" when  $c$  is negative.

Specifically, the cells around cell  $(0, 0)$  are as follows:

				↑ <b>U</b>			
		:	:	:	:	:	
	...	(-1,-2)	(-1,-1)	(-1,0)	(-1,1)	(-1,2)	...
← <b>L</b>	...	(0,-2)	(0,-1)	(0,0)	(0,1)	(0,2)	... <b>R</b> →
	...	(1,-2)	(1,-1)	(1,0)	(1,1)	(1,2)	...
		:	:	:	:	:	
				↓ <b>D</b>			

Initially, Takahashi is at cell  $(R_t, C_t)$  and Aoki is at cell  $(R_a, C_a)$ . They will each make  $N$  moves according to strings  $S$  and  $T$  of length  $N$  consisting of U, D, L, R.

For each  $i$ , Takahashi's and Aoki's  $i$ -th moves occur simultaneously: Takahashi moves one cell up if the  $i$ -th character of  $S$  is U, down if D, left if L, and right if R; Aoki moves similarly according to the  $i$ -th character of  $T$ .

Find the number of times Takahashi and Aoki are at the same cell immediately after a move during the  $N$  moves.

Since  $N$  is very large,  $S$  and  $T$  are given in the form  $((S'_1, A_1), \dots, (S'_M, A_M))$  and  $((T'_1, B_1), \dots, (T'_L, B_L))$ , where  $S$  is the string obtained by concatenating " $A_1$  copies of character  $S'_1, \dots, A_M$  copies of character  $S'_M$ " in this order, and  $T$  is given similarly.

## Constraints

- $-10^9 \leq R_t, C_t, R_a, C_a \leq 10^9$
- $1 \leq N \leq 10^{14}$
- $1 \leq M, L \leq 10^5$
- Each of  $S'_i$  and  $T'_i$  is one of U, D, L, R.
- $1 \leq A_i, B_i \leq 10^9$
- $A_1 + \dots + A_M = B_1 + \dots + B_L = N$
- All given values are integers.

Input

The input is given from Standard Input in the following format:

```
 $R_t$   $C_t$   $R_a$   $C_a$ 
 $N$   $M$   $L$ 
 $S'_1$   $A_1$ 
 $\vdots$ 
 $S'_M$   $A_M$ 
 $T'_1$   $B_1$ 
 $\vdots$ 
 $T'_L$   $B_L$ 
```

Output

Print the answer.

Sample Input 1

```
0 0 4 2
3 2 1
R 2
D 1
U 3
```

Sample Output 1

```
1
```

In this case,  $S = \text{RRD}$  and  $T = \text{UUU}$ , and the movements proceed as follows:

- Initially, Takahashi is at cell  $(0, 0)$  and Aoki is at cell  $(4, 2)$ .
- After the 1st move, Takahashi is at cell  $(0, 1)$  and Aoki is at cell  $(3, 2)$ .
- After the 2nd move, Takahashi is at cell  $(0, 2)$  and Aoki is at cell  $(2, 2)$ .
- After the 3rd move, Takahashi is at cell  $(1, 2)$  and Aoki is at cell  $(1, 2)$ .

Thus, the number of times Takahashi and Aoki are at the same cell immediately after a move is 1.

Sample Input 2

```
1000000000 1000000000 -1000000000 -1000000000
3000000000 3 3
L 1000000000
U 1000000000
U 1000000000
D 1000000000
R 1000000000
U 1000000000
```

Sample Output 2

```
1000000001
```

From the 2000000000-th move to the 3000000000-th move, Takahashi and Aoki are at the same cell immediately after a move for 1000000001 times.

Sample Input 3

```
3 3 3 2
1 1 1
L 1
R 1
```



### Sample Output 3

```
0
```

### Sample Input 4

```
0 0 0 0
1 1 1
L 1
R 1
```

### Sample Output 4

```
0
```

# E - Yacht

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 475 points

## Problem Statement

There are five six-sided dice. Each die has the numbers  $A_1, \dots, A_6$  written on its faces, and each face appears with probability  $\frac{1}{6}$ .

You will play a single-player game using these dice with the following procedure:

1. Roll all five dice, observe the results, and **keep** any number (possibly zero) of dice.
2. Re-roll all dice that are not kept, observe the results, and additionally keep any number (possibly zero) of the re-rolled dice. **The dice kept in the previous step remain kept.**
3. Re-roll all dice that are not kept and observe the results.
4. Choose any number  $X$ . Let  $n$  be the number of dice among the five dice that show  $X$ . The score of this game is  $nX$  points.

Find the expected value of the game score when you act to maximize the expected value of the game score.

## Constraints

- $A_i$  is an integer between 1 and 100, inclusive.

## Input

The input is given from Standard Input in the following format:

```
A_1 A_2 A_3 A_4 A_5 A_6
```

## Output

Print the answer. Your answer will be considered correct if the relative or absolute error from the true value is at most  $10^{-5}$ .

## Sample Input 1

```
1 2 3 4 5 6
```

## Sample Output 1

```
14.6588633742
```

For example, the game may proceed as follows (not necessarily optimal):

1. Roll all five dice and get 3, 3, 1, 5, 6. Keep the two dice that show 3.
2. Re-roll the three dice that are not kept and get 6, 6, 2. Additionally keep the two dice that show 6.
3. Re-roll the one die that is not kept and get 4.
4. Choose  $X = 6$ . The dice show 3, 3, 6, 6, 4, so the number of dice showing 6 is 2, and the score of this game is 12.

In this case, the expected value when acting optimally is  $\frac{143591196865}{9795520512} = 14.6588633742\dots$

## Sample Input 2

```
1 1 1 1 1 1
```

## Sample Output 2

```
5.0000000000
```

The dice may have faces with the same value written on them.

### Sample Input 3

```
31 41 59 26 53 58
```

### Sample Output 3

```
159.8253021021
```

# F - Erase between X and Y

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 525 points

## Problem Statement

There is a sequence  $A$ . Initially,  $A = (0)$ . (That is,  $A$  is a sequence of length 1 containing 0 as its only element).

You are given  $Q$  queries to process in order. The  $i$ -th query ( $1 \leq i \leq Q$ ) has one of the following forms:

- 1  $x$ : Insert  $x$  immediately after the location where  $x$  appears in  $A$ . Specifically, let  $A_j$  be the  $j$ -th element of the current  $A$  and  $n$  be the length of  $A$ . For  $p$  such that  $A_p = x$ , update  $A$  to  $(A_1, \dots, A_p, x, A_{p+1}, \dots, A_n)$ . It is guaranteed that  $A$  contains  $x$  immediately before processing this query.
- 2  $x$   $y$ : Remove all elements between  $x$  and  $y$  in  $A$ , and output the sum of the values of the removed elements. Specifically, let  $A_j$  be the  $j$ -th element of the current  $A$  and  $n$  be the length of  $A$ . For  $p$  and  $q$  such that  $A_p = x$  and  $A_q = y$ , output  $A_{\min(p,q)+1} + \dots + A_{\max(p,q)-1}$  and update  $A$  to  $(A_1, \dots, A_{\min(p,q)}, A_{\max(p,q)}, \dots, A_n)$ . It is guaranteed that  $A$  contains both  $x$  and  $y$  immediately before processing this query.

Note that for any sequence of queries, the same value never appears multiple times in  $A$  during the process of handling queries, and thus the position where a value appears in  $A$  is unique (if it exists).

## Constraints

- $1 \leq Q \leq 5 \times 10^5$
- For the  $i$ -th query:
  - If it is a type 1 query:
    - $0 \leq x < i$
    - $A$  contains  $x$  immediately before processing the query.
  - If it is a type 2 query:
    - $0 \leq x < y < i$
    - $A$  contains both  $x$  and  $y$  immediately before processing the query.
- All input values are integers.

## Input

The input is given from Standard Input in the following format:

```
Q
query1
query2
⋮
queryQ
```

Here, query <sub>$i$</sub>  represents the  $i$ -th query and is given in one of the following forms:

```
1 x
```

```
2 x y
```

## Output

Let  $q$  be the number of type 2 queries. Output  $q$  lines. The  $i$ -th line should contain the value to be output for the  $i$ -th type 2 query.

## Sample Input 1

```
6
1 0
1 1
1 0
2 2 3
1 2
2 0 5
```

## Sample Output 1

```
1
5
```

Initially,  $A = (0)$ .

- 1st query: Insert 1 immediately after 0.  $A$  becomes  $(0, 1)$ .
- 2nd query: Insert 2 immediately after 1.  $A$  becomes  $(0, 1, 2)$ .
- 3rd query: Insert 3 immediately after 0.  $A$  becomes  $(0, 3, 1, 2)$ .
- 4th query: Remove the elements between 2 and 3, namely 1, and output the sum of the removed values, which is 1.  $A$  becomes  $(0, 3, 2)$ .
- 5th query: Insert 5 immediately after 2.  $A$  becomes  $(0, 3, 2, 5)$ .
- 6th query: Remove the elements between 0 and 5, namely 3, 2, and output the sum of the removed values, which is 5.  $A$  becomes  $(0, 5)$ .

## Sample Input 2

```
2
1 0
2 0 1
```

## Sample Output 2

```
0
```

In the 2nd query, we remove all elements between 0 and 1, but there are actually no such elements, so no elements are removed and the output value is 0.

## Sample Input 3

```
10
1 0
1 1
2 0 2
2 0 2
1 0
1 5
2 0 5
2 2 6
1 6
1 9
```

## Sample Output 3

```
1
0
0
0
```

# G - Increase to make it Increasing

Time Limit: 2 sec / Memory Limit: 1024 MiB

Score : 600 points

## Problem Statement

You are given a length- $N$  integer sequence  $A = (A_1, A_2, \dots, A_N)$ . You are also given  $M$  pairs of integers  $(L_1, R_1), (L_2, R_2), \dots, (L_M, R_M)$  ( $1 \leq L_i \leq R_i \leq N$ ).

You can perform the following operation on sequence  $A$  any number of times (possibly zero):

- Choose an integer  $i$  with  $1 \leq i \leq M$ , and add 1 to each of  $A_{L_i}, A_{L_i+1}, \dots, A_{R_i}$ .

Determine whether it is possible to make  $A$  non-decreasing, and if possible, find the minimum number of operations required.

## Constraints

- $1 \leq N \leq 300$
- $1 \leq M \leq 300$
- $1 \leq A_i \leq 300$
- $1 \leq L_i \leq R_i \leq N$
- All input values are integers.

## Input

The input is given from Standard Input in the following format:

```
N M
A_1 A_2 ... A_N
L_1 R_1
L_2 R_2
⋮
L_M R_M
```

## Output

If it is possible to make  $A$  non-decreasing, print the minimum number of operations required. If it is impossible, print -1.

## Sample Input 1

```
4 3
4 2 3 2
2 2
2 3
4 4
```

## Sample Output 1

```
4
```

For example, by performing operations four times as follows, you can make  $A$  non-decreasing:

- Choose  $i = 1$  and perform the operation.  $A$  becomes  $(4, 3, 3, 2)$ .
- Choose  $i = 3$  and perform the operation.  $A$  becomes  $(4, 3, 3, 3)$ .
- Choose  $i = 3$  and perform the operation.  $A$  becomes  $(4, 3, 3, 4)$ .
- Choose  $i = 2$  and perform the operation.  $A$  becomes  $(4, 4, 4, 4)$ .

Conversely, it is impossible to make  $A$  non-decreasing with three or fewer operations. Thus, print 4.

## Sample Input 2

```
3 2
3 1 2
2 2
1 2
```

## Sample Output 2

```
-1
```

No matter how you perform operations, it is impossible to make  $A$  non-decreasing.

---

## Sample Input 3

```
4 4
1 1 2 3
1 1
2 2
3 3
4 4
```

## Sample Output 3

```
0
```

$A$  is already non-decreasing, so no operations are needed.

---

## Sample Input 4

```
8 12
35 29 36 88 58 15 25 99
5 5
1 6
3 8
8 8
4 8
7 7
5 7
3 3
2 6
1 6
6 7
5 7
```

## Sample Output 4

```
79
```