# → Project 1: Wine Data Set

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The primary question we are looking to answer is: can you classify a wine as type one, two, or three b chemical properties, such as alcohol or magnesium? Can we predict the type of wine (one, two, or thr classification model?

Here is an overview of of our data:

- 13 features (dependent variables / dimension of data)
- 1 discrete prediction (independent variable 1/2/3) dim(y)= 1
- 178 number of instances (number of observations)
- · task: classification

(source: class powerpoint)

```
# Loading useful packages and modules
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
sns.set()
import sklearn
from itertools import count
# Read in the wine data for each type
# Data sourced from https://archive.ics.uci.edu/ml/datasets/wine/wine.data/
wines = pd.read csv("wine.data", sep=",")
# name the columns
wines.columns = [ 'type'
                  ,'alcohol'
               , 'malicAcid'
               ,'ash'
               , 'ashAlcalinity'
               , 'magnesium'
               ,'totalPhenols'
               ,'flavanoids'
               , 'nonFlavanoidPhenols'
               , 'proanthocyanins'
               , 'colorIntensity'
               ,'hue'
```

```
,'od280_od315'
,'proline'
```

# ▼ Exploration of Data.

It is important to understand the quantitative analysis of our data.

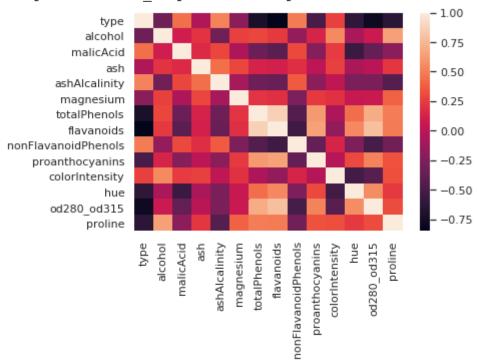
wines.describe()

₽			_			
<b>L</b> ₹	alPhenols	flavanoids	nonFlavanoidPhenols	proanthocyanins	colorIntensity	
	178.000000	178.000000	178.000000	178.000000	178.000000	178.00
	2.295112	2.029270	0.361854	1.590899	5.058090	0.95
	0.625851	0.998859	0.124453	0.572359	2.318286	0.22
	0.980000	0.340000	0.130000	0.410000	1.280000	0.48
	1.742500	1.205000	0.270000	1.250000	3.220000	0.78
	2.355000	2.135000	0.340000	1.555000	4.690000	0.96
	2.800000	2.875000	0.437500	1.950000	6.200000	1.12
	3.880000	5.080000	0.660000	3.580000	13.000000	1.71

# → Data Visualization

С→

<matplotlib.axes.\_subplots.AxesSubplot at 0x7f47de2eb588>

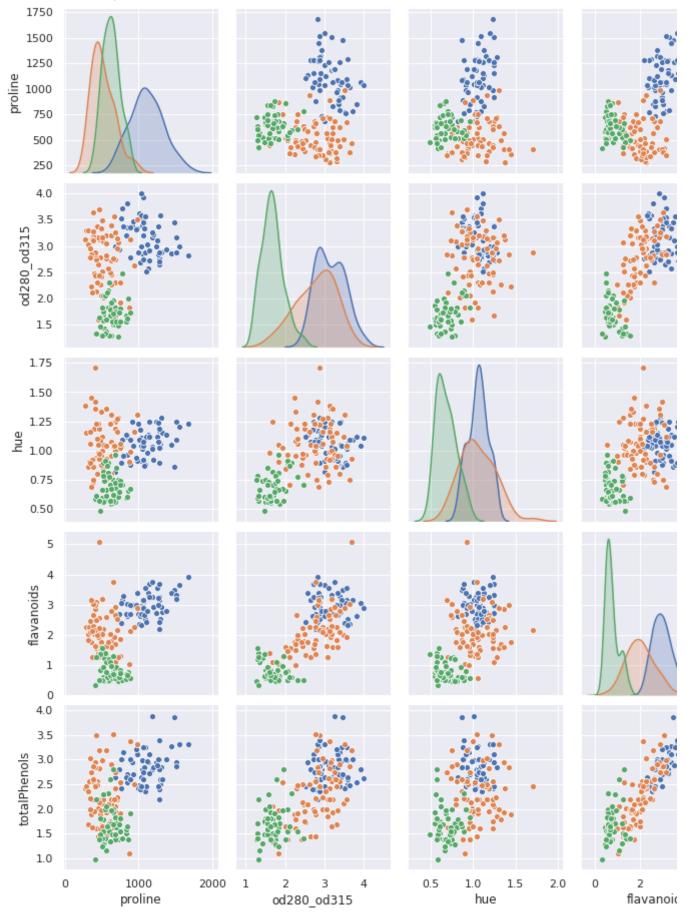


Since we have a mix of 13 variables, I created a correlation matrix that shows us the interactivity betv This shows how related, or unrelated some variables. For example, {type & proline}, {OD280/OD315 & {flavanoids & type}, and {total phenols & type} are the most unrelated. Meanwhile, on the opposite sid {flavanoids & total phenols}, {total phenols & OD280/OD315}, and {OD280/OD315 & flavanoids} seem related. From this, we can say that the variables of interest for classification are proline, OD280/OD31 and total phenols.

We want to explore these 5 attributes a bit, in terms of our raw data.

```
#create a sub-group
subGroup = wines[['type','proline', 'od280_od315', 'hue', 'flavanoids', 'totalPhenol
sns.pairplot(subGroup, hue = 'type')
```

<seaborn.axisgrid.PairGrid at 0x7f47dbfb5d30>



### Linear Regression Model

Source: our textbook

Simple & Multiple Linear Regression

```
# Encode wine class 1 as itself and all others as 0
subGroup.loc[subGroup['type'] != 1, 'type'] = 0
print(subGroup.groupby('type').size())
   type
                           119
               0
                                  59
               dtype: int64
               /usr/local/lib/python3.6/dist-packages/pandas/core/indexing.py:494: SettingWithCo
               A value is trying to be set on a copy of a slice from a DataFrame.
               Try using .loc[row_indexer,col_indexer] = value instead
               See the caveats in the documentation: <a href="http://pandas.pydata.org/pandas-docs/stable-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table-table
                     self.obj[item] = s
def linreg(inputs, targets):
      inputs = np.concatenate((inputs,-np.ones((np.shape(inputs)[0],1))), axis = 1)
      beta = np.dot(np.dot(np.linalg.inv(np.dot(np.transpose(inputs)), inputs)), np.transp
      outputs = np.dot(inputs,beta)
      beta = linreg.linreg(X train,train target)
      testin = np.concatenate((X_test, -np.ones((np.shape(X_test)[0],1))), axis = 1)
      testout = np.dot(X test, beta)
      error = np.sum((y_test - test_target))
```

#### → Train & Test Data

The sub-group of attributes narrows down the number of attributes we look at at allows us to uti within the training and testing of our data. In paticular, we can select the flavanoids and OD280/C attributes to examine as part of our model selection because they have the most linear distributi matches with our type prediction. The next step is to split our data into the training and testing d utilized the selection process from sklearn to split the data into training and testing into a 60-40 the data.

```
from sklearn import model_selection

X = np.array(subGroup[['od280_od315','flavanoids']])
y = np.array(subGroup['type'])

X_train, X_test, y_train, y_test = model_selection.train_test_split(X, y, test_size=0)

print(X_train.shape)
print(X_test.shape)

C \( \frac{(106, 2)}{(72, 2)} \)
```

# Preprocessing Our Data

Preprocessing our data allows us to be working the optimal version of our data. Specifically, the regression model allows our data to 'fit' together better. In an examination of linear regression, w c value of 10, which is associated with our Support Vector Model in terms of alpha, and a penalty The penalty of I2 refers to the ridge regression model, and this is utilized because we have alread the number of attributes.

```
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import auc, roc curve
#Logistical regession model; C=10 with 12 penalty
lr = LogisticRegression(C=10, penalty='12')
lr.fit(X_train,y_train)
ypred = lr.predict(X test)
fpr, tpr, thresholds = roc curve(y test,ypred, drop intermediate=False)
auc = auc(fpr,tpr)
# Plot ROC Curve
plt.plot(fpr,tpr, color='pink', lw=2)
plt.plot([0,1],[0,1], color='blue')
plt.xlabel('False Positive Rate')
plt.xlim([0.0,1.0])
plt.ylabel('True Positive Rate')
plt.ylim([0.0,1.05])
plt.title('Receiver Operator Curve')
plt.show()
print('AUC :' , auc)
```

₽



AUC: 0.8845454545454545

Our graph shows the plot for the true and false positivity rates as an examination of our data accurace there is an 88% chance that the model will be able to distinguish between the positive and negative can above shows us the way our model distinguishes. Since the blue line is the worst case scenario, and above that, we can conclude that the model is working well.

#### → K-Fold Cross Validation

K-fold cross validation is utilized to measure the chance the change of the model over different s our data. I utilized a support vector machine, from my reseach, to help train the data in order to c it within our cross validation of our data. The cross validation utilizes k number number of group the data into. Essentially, we utilize the cross validation to train our data so that it can improve t accuracy of our MLP model and prediction.

```
from sklearn.model_selection import KFold, cross_val_score
from sklearn.svm import SVC

#utilize a support vector machine
svm = SVC(C=1000)
svm.fit(X_train, y_train)
yPredsvm = svm.predict(X_test)

# Cross validate our data
kfold = KFold(n_splits=10, random_state=0)
cv_results = cross_val_score(svm, X, y, cv=kfold)
```

/usr/local/lib/python3.6/dist-packages/sklearn/model\_selection/\_split.py:296: Fut
FutureWarning

```
from sklearn.metrics import accuracy_score, precision_score
# Use several evaluation metrics for the model
print('Accuracy: ' , accuracy_score(y_test,ypred))
print('Precision: ' , precision_score(y_test, ypred))

C Accuracy: 0.875
    Precision: 0.7407407407407407
```

From this, we see that our support vector model has trained our data and implemented into a k-fold c that examines teh accuracy and precision oof our data

## Entropy Decision Tree

We want to find a predicate value (to be used in the MLP computation), we can use an entropy detree to find it.

```
from sklearn.tree import DecisionTreeClassifier
# Using a Decision Tree
# With Entropy as the impurity measure
tree = DecisionTreeClassifier(criterion='entropy', max_depth=None, random_state=0)
tree.fit(X_train, y_train)
yPredTree = tree.predict(X test)
```

The predicate value found within the entropy decision tree is utilized to determine the homogeniality of determine if its been training well enough. The wellness of training is crucial to the weights and the him MLP.

# Multi-Layer Perceptron

A multi-layer perceptron is a type of Artifical Neural Network that utilizes three layers of nodes, an act and backpropagation for training to compute some error. The general algorithm for an MLP model is

- 1. an input vector is put into the input nodes
- 2. the inputs are fed forward through the network

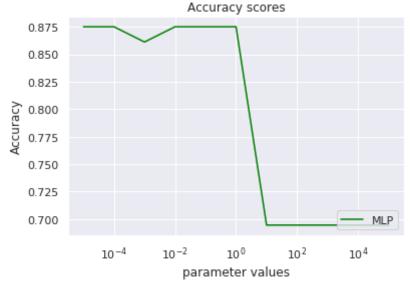
- the inputs and the first-layer weights *v* are used to decide whether the hidden nodes f The activation function g(.) is the sigmoid function ...
- the outputs of these neurons and the second-layer weights *w* are used to decide if the neurons fire or not.
- 3. the error is computed as the sum-of-squares difference between the network outputs and the ta
- 4. this error is fed *backwards* through the network in order to...
  - o first update the second-layer weights
  - o and then afterwards, the first-layer weights

Source: our textbook

```
from sklearn.neural_network import MLPClassifier
params, scores = [],[]
for x in range(-5,6):
    mlp = MLPClassifier(solver='lbfgs'
                    , activation = 'relu'
                    , alpha=10**x
                    , hidden_layer_sizes=(45,45,45,45) # a fraction of our input da
                    , random_state=1)
    mlp.fit(X_train, y_train)
    yPredMLP = mlp.predict(X test)
    score = accuracy_score(y_test,yPredMLP)
    params.append(mlp.alpha)
    scores.append(score)
plt.plot(params,scores,color='green', label='MLP')
plt.legend(loc='lower right')
plt.xscale('log')
plt.xlabel('parameter values')
plt.ylabel('Accuracy')
plt.title('Accuracy scores')
plt.show()
print("Accuracy: %0.5f" % max(scores))
\Box
```

/usr/local/lib/python3.6/dist-packages/sklearn/neural\_network/\_multilayer\_percept STOP: TOTAL NO. of ITERATIONS REACHED LIMIT.

Increase the number of iterations (max\_iter) or scale the data as shown in:
 https://scikit-learn.org/stable/modules/preprocessing.html
self.n\_iter\_ = \_check\_optimize\_result("lbfgs", opt\_res, self.max\_iter)



Accuracy: 0.87500

We have reached an 88% accruacy with our MLP model. We could train more data and process it mor cross-validation sequence to increase our accuracy. Every time we increase the number of times we data, we end up with a higher accuracy.

## → Python MLP

The below code is some of the MLP algorithm written in python, without the utilization of sklearr basic instantiation of the MLP algorithm.

```
class MLP:
    #our weights and biases
    def __init__(self, n_in, n_hid, n_out):
        self.W1 = np.random.randn(n_in, n_hid) * 0.01
        self.b1 = np.zeros(shape=(1, n_hid))
        self.W2 = np.random.randn(n_hid, n_out) * 0.01
        self.b2 = np.zeros(shape=(1, n_out))
        # For momentum
        self.VdW1 = np.zeros(shape=(n in, n hid))
        self.Vdb1 = np.zeros(shape=(1, n_hid))
        self.VdW2 = np.zeros(shape=(n_hid, n_out))
        self.Vdb2 = np.zeros(shape=(1, n_out))
        return
    #forward propogation neuron values
    def forward_prop(self, X):
        self.A0 = X
        self.Z1 = np.dot(self.A0, self.W1) + self.b1
        self.A1 = relu(self.Z1)
        self.Z2 = np.dot(self.A1, self.W2) + self.b2
        self.A2 = sigmoid(self.Z2)
        hat y = self.A2
        return hat y
    #backward prop neuron values, utilizing partial derivatives
    def backward prop(self, X, y):
        m = y.shape[0]
        self.dZ2 = self.A2 - y
        self.dW2 = 1/m * np.dot(self.A1.T, self.dZ2)
        self.db2 = 1/m * np.sum(self.dZ2, axis = 0, keepdims = True)
        self.dA1 = np.dot(self.dZ2, self.W2.T)
        self.dZ1 = self.dA1*dRelu(self.Z1)
        self.dW1 = 1/m * np.dot(self.A0.T, self.dZ1)
        self.db1 = 1/m * np.sum(self.dZ1, axis = 0, keepdims = True)
```

#mag+ \*agul+a

```
def gradient_descent(self, alpha):
        self.W1 = self.W1 - alpha*self.dW1
        self.b1 = self.b1 - alpha*self.db1
        self.W2 = self.W2 - alpha*self.dW2
        self.b2 = self.b2 - alpha*self.db2
        return
    def momentum(self, alpha, beta):
        self.VdW1 = beta*self.VdW1 + (1 - beta)*self.dW1
        self.W1 = self.W1 - alpha*self.VdW1
        self.Vdb1 = beta*self.Vdb1 + (1 - beta)*self.db1
        self.b1 = self.b1 - alpha*self.Vdb1
        self.VdW2 = beta*self.VdW2 + (1 - beta)*self.dW2
        self.W2 = self.W2 - alpha*self.VdW2
        self.Vdb2 = beta*self.Vdb2 + (1 - beta)*self.db2
        self.b2 = self.b2- alpha*self.Vdb2
        return
# MLP instantiation
MLP = MultiLayerPerceptron(n in, n hidden, n out)
train_cost, train_accuracy, test_cost, test_accuracy = [], [], []
for num epoch in range(0, numb epoch):
    # Forward Prop
    y pred train = MLP.forward prop(X train)
    # Results on train
    train cost.append( compute cost(y pred train, y train) )
    train_accuracy.append( compute_accuracy(y_pred_train, y_train) )
    # Backward
    MLP.backward_prop(X_train, y_train)
    # Update
    #MLP.M gradientDescent(alpha)
    MLP.momentum(alpha, beta)
```

#### Resources Utilized

- 1. DataCamp Deep Learning Tutorial
- 2. MLP Deep Learning Tutorial
- 3. K-Fold Validation Info.
- 4. textbook