## DT2470 Lab 01: Teh Signal Processings

by Bob L. T. Sturm

In this first lab you will practice some fundamental concepts of signal processing. You will analyse a chosen sampled sound in the time-, frequency-, and time-frequency domains. You will write something intelligent about your analysis, observing things like periodicity, frequency content, harmonicity, etc. You will also learn to extract low-level features from audio and music signals. In the next lab, you will use these features for some machine learning madness.

The lab report you submit should be a testament to your intelligence, as well as a reflection of your willingness to be a part of this module. You are free to use whatever software you want, e.g., python, MATLAB, Processing, C++, etc. But I give tips below in python. Here's some helpful links as well:

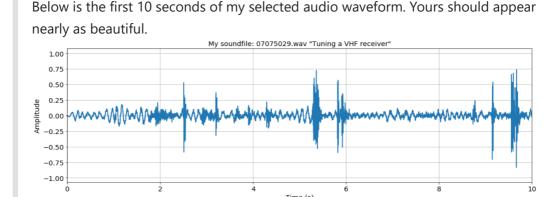
- Numpy API
- Scikit-learn API
- MatPlotlib API
- Numpy Cheat Sheet
- Pydub API

I also include some images so you can confirm whether you are on the right track, or just to have a brief pause to laugh at how far your answer is from being correct.

Names: Sergi Andreu and Carsten van de Kamp

## Part 1: Basics

1. Choose an audio file to work with from http://bbcsfx.acropolis.org.uk. Download it, load it using pydub (see pydub.AudioSegment), and plot a portion of the waveform with the appropriate axes labeled "Amplitude" and "Time (s)". The time axis **must be** in seconds. (Use the sample rate of your soundfile to find that.) If your audio file has more than one channel, just look at one channel.



In [1]:

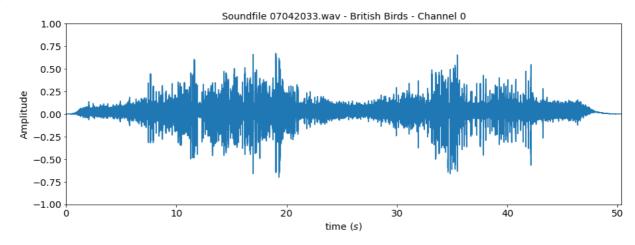
# Downloading and unzipping our audio file

```
import wget
         from zipfile import ZipFile
         snd_dir = 'tmp/snd'
         if not os.path.exists(snd_dir):
            os.makedirs(snd dir)
         url = 'https://sound-effects-media.bbcrewind.co.uk/zip/07042033.wav.zip?download'
         filename = '07042033.wav'
         # DownLoad
         file = wget.download(url, snd_dir)
         # Unzip
         zip = ZipFile(file)
         zip.extractall(snd_dir)
         zip.close
         34% [.....
                                                                                    ] 25
        80480 / 7381337100%
        / 7381337
Out[1]: <bound method ZipFile.close of <zipfile.ZipFile filename='tmp/snd/07042033.wav (1).z
        ip' mode='r'>>
In [2]:
        # Now we plot the entire audio file
        import pydub
         import matplotlib.pyplot as plt
         import numpy as np
         # The following makes the plot look nice
         params = {'legend.fontsize': 'x-large',
                   'figure.figsize': (15, 5),
                  'axes.labelsize': 'x-large',
                  'axes.titlesize':'x-large',
                  'xtick.labelsize':'x-large',
                  'ytick.labelsize':'x-large'}
         plt.rcParams.update(params)
         # add your code below
         #Load the sound file and some properties
         sound = pydub.AudioSegment.from file(snd dir + '/' + filename, format="wav", duratio
                                            channels = 2, frame_rate = 44100, sample_width
         sound_mono = sound.split_to_mono()
         samples = [[],[]]
         samples[0] = sound_mono[0].get_array_of_samples()
         samples[1] = sound_mono[1].get_array_of_samples()
         # Choose either of the 2 channels that are in the audio file
         ind = 0
         sample rate = sound mono[ind].frame rate
         nr_channels = sound_mono[ind].channels
         duration
                  = sound_mono[ind].duration_seconds
         # Normalizing both channels
         max_possible_amplitude_ch1 = sound_mono[0].max_possible_amplitude
         max_possible_amplitude_ch2 = sound_mono[1].max_possible_amplitude
         samples[0] = np.array(samples[0]) / max_possible_amplitude_ch1
         samples[1] = np.array(samples[1]) / max_possible_amplitude_ch2
```

```
#Plotting
time_axis = np.arange(0, duration, 1/sample_rate)

fig, ax = plt.subplots()
ax.plot(time_axis, samples[ind])
ax.set_xlim((0,duration))
ax.set_ylim((-1,1))
ax.set_ylim((-1,1))
ax.set_xlabel(r"time ($s$)")
ax.set_ylabel(r"Amplitude")
ax.set_title(f"Soundfile {filename} - British Birds - Channel {ind}")
```

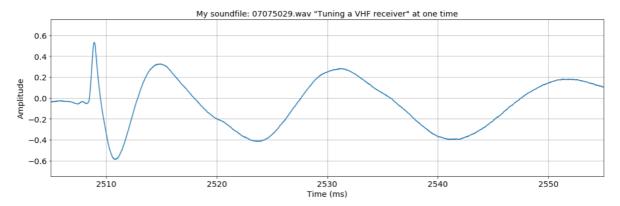
Out[2]: Text(0.5, 1.0, 'Soundfile 07042033.wav - British Birds - Channel 0')

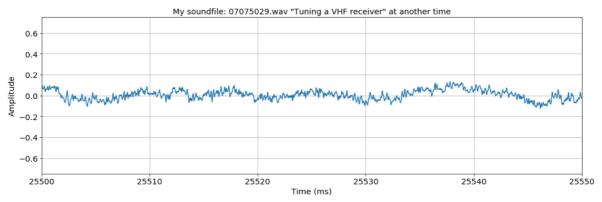


Out[3]: 0:00 / 0:50

1. With the audio file you have chosen, zoom into two different 100 ms portions that have audio data and plot them.

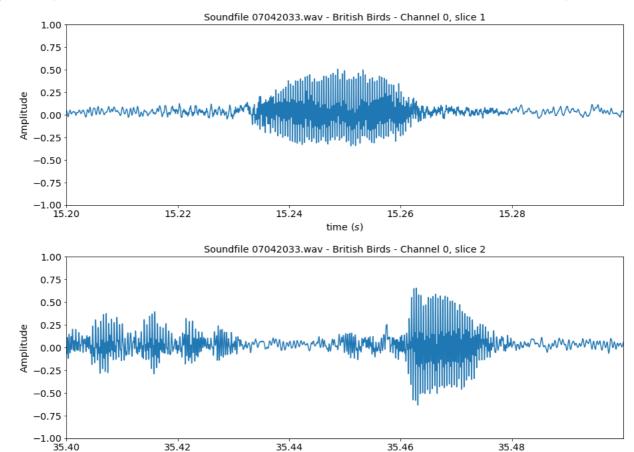
Below is what mine looks like. We can see the sound appears quite different at both times. At about 2500 ms we see a sudden rise that decays and oscillates. At about 26 s we see a noisy waveform that has a small amplitude.





```
In [4]:
         # add your code below
         # Choose two interesting time intervals of length 0.1s
         time_interval = 0.1
         time_interval1 = [15.2, 15.3]
         time_interval2 = [35.4, 35.5]
         # Slicing the time axis and audio samples
         num_samples1 = int((time_interval1[1] - time_interval1[0]) * sample_rate)
         num_samples2 = int((time_interval2[1] - time_interval2[0]) * sample_rate)
         slice1_first_idx = int(time_interval1[0]*sample_rate)
         slice2 first idx = int(time interval2[0]*sample rate)
         time_axis1 = time_axis[slice1_first_idx : slice1_first_idx + num_samples1]
         time axis2 = time axis[slice2 first idx : slice2 first idx + num samples2]
         samples_slice1 = samples[ind][slice1_first_idx : slice1_first_idx + num_samples1]
         samples_slice2 = samples[ind][slice2_first_idx : slice2_first_idx + num_samples2]
         # Plotting
         fig1, ax1 = plt.subplots()
         fig2, ax2 = plt.subplots()
         ax1.plot(time axis1, samples slice1)
         ax2.plot(time_axis2, samples_slice2)
         ax1.set xlim((time axis1[0],time axis1[-1]))
         ax1.set_ylim((-1,1))
         ax1.set_xlabel(r"time ($s$)")
         ax1.set_ylabel(r"Amplitude")
         ax1.set_title(f"Soundfile {filename} - British Birds - Channel {ind}, slice 1")
         ax2.set_xlim((time_axis2[0],time_axis2[-1]))
         ax2.set ylim((-1,1))
         ax2.set_xlabel(r"time ($s$)")
         ax2.set_ylabel(r"Amplitude")
         ax2.set_title(f"Soundfile {filename} - British Birds - Channel {ind}, slice 2")
```

Out[4]: Text(0.5, 1.0, 'Soundfile 07042033.wav - British Birds - Channel 0, slice 2')



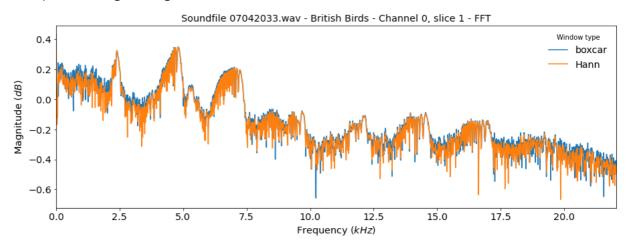
1. For each of the segments you looked at above, window them, and compute their Fourier transforms. Plot their dB magnitude spectra. Appropriately label your axes with "Magnitude (dB)" and "Frequency (kHz)". The frequency axis **must be** in kiloHertz, and limited to 0 to the Nyquist frequency (half the sampling rate). Window the audio with 1) boxcar, or 2) Hann. (This means you will have create four plots in total, or two plots with two lines each.)

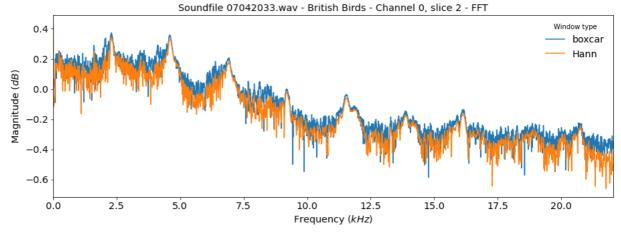
time (s)

```
In [5]:
         # add your code below
         from scipy.signal import get_window
         def FFT_window_segment(sample_slice, window_type):
             Computes the FFT magnitude and phase of an audio sample with a certain window ty
             The window size is equal to the sample size
             window = get_window(window_type, len(sample_slice))
             windowed sample = window*sample slice
             FFT_windowed_sample = np.fft.fft(windowed_sample)
             mag = np.abs(FFT_windowed_sample)
             phase = np.angle(FFT_windowed_sample)
             return mag, phase
         Nyquist = sample rate/2
         Nyquist idx = int(Nyquist * time interval)
                                                                        # index of the Nyquist
         frequencies = np.arange(0, Nyquist, 1/time_interval) /1000
                                                                        # (kHz) # the resolut
         # Compute the FFT for the different segments with both boxcar and Hann window
         mag1_b, phase1_b = FFT_window_segment(samples_slice1, 'boxcar')
         mag1_h, phase1_h = FFT_window_segment(samples_slice1, 'hann')
         mag2 b, phase2 b = FFT window segment(samples slice2, 'boxcar')
         mag2 h, phase2 h = FFT window segment(samples slice2, 'hann')
```

```
# Plotting
fig1, ax1 = plt.subplots()
ax1.plot(frequencies, np.log10(mag1 b[:Nyquist idx])/5, label='boxcar')
ax1.plot(frequencies, np.log10(mag1_h[:Nyquist_idx])/5, label='Hann')
ax1.set_xlim((0,Nyquist/1000))
ax1.set_title(f"Soundfile {filename} - British Birds - Channel {ind}, slice 1 - FFT"
ax1.set_xlabel(r'Frequency $(kHz)$')
ax1.set ylabel(r'Magnitude $(dB)$')
ax1.legend(title='Window type', frameon=False)
fig2, ax2 = plt.subplots()
ax2.plot(frequencies, np.log10(mag2_b[:Nyquist_idx])/5, label='boxcar')
ax2.plot(frequencies, np.log10(mag2_h[:Nyquist_idx])/5, label='Hann')
ax2.set_xlim((0,Nyquist/1000))
ax2.set title(f"Soundfile {filename} - British Birds - Channel {ind}, slice 2 - FFT"
ax2.set_xlabel(r'Frequency $(kHz)$')
ax2.set_ylabel(r'Magnitude $(dB)$')
ax2.legend(title='Window type', frameon=False)
```

Out[5]: <matplotlib.legend.Legend at 0x22f163fa220>

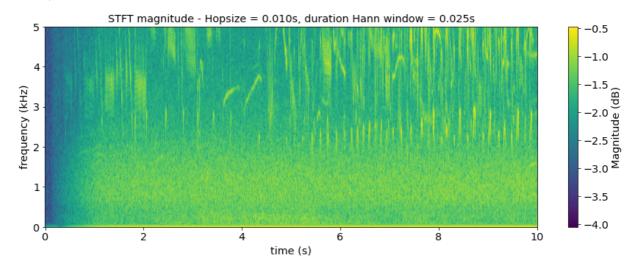


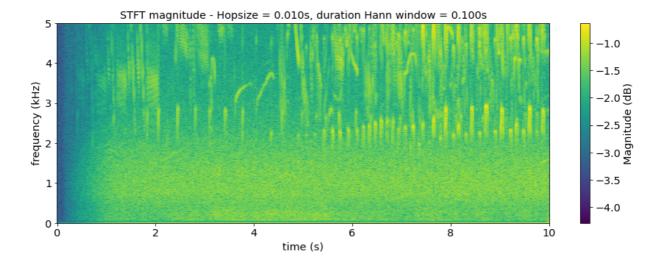


1. For the first 10 seconds of your audio file, compute and plot its dB magnitude short-time Fourier transform using a Hann window of duration 25 ms with a window hopsize of 10 ms, and an FFT size of 8192 samples. Do the same using a Hann window of duration 100 ms with a window hopsize of 10 ms. Appropriately label your axes with "Frequency (kHz)" and "Time (s)". The frequency axis must be in kiloHertz, and limited to 0 to 5 kHz. The time axis must be in seconds. Choose a colormap that you feel describes your personality (https://matplotlib.org/3.1.1/tutorials/colors/colormaps.html). See scipy.signal for help.

```
In [6]: # add your code below
         from scipy.signal import stft
         # Slice first 10s
         num samples in 10s = int(10 * sample rate)
         start = int(num samples in 10s * 0)
         end = int(num_samples_in_10s * 1)
         time_axis10s = time_axis[start : end]
         samples_slice10s = samples[ind][start : end]
         nperseg1 = 0.025 * sample_rate
                                              # Length of each segment = window duration
         hopsize1 = 0.010 * sample_rate
         noverlap1 = nperseg1 - hopsize1
                                              # Number of points to overlap between segments,
         nperseg2 = 0.100 * sample_rate
                                              # Length of each segment = window duration
         hopsize2 = 0.010 * sample_rate
         noverlap2 = nperseg2 - hopsize2
                                              # Number of points to overlap between segments,
         # Compute short-time Fourier transform
         f1, t1, Zxx1 = stft(samples_slice10s, fs=sample_rate, window='hann', nperseg=nperseg
         f2, t2, Zxx2 = stft(samples_slice10s, fs=sample_rate, window='hann', nperseg=nperseg
         # Get the right units
         f1_kHz = f1/1000
         f2_kHz = f2/1000
         dB_mag1 = np.log(np.abs(Zxx1))/5
         dB_mag2 = np.log(np.abs(Zxx2))/5
         #Plotting
         fig1, ax1 = plt.subplots()
         im1 = ax1.pcolormesh(t1, f1_kHz, dB_mag1, shading='nearest', cmap='viridis')
         ax1.set_xlabel('time (s)')
         ax1.set_ylabel('frequency (kHz)')
         ax1.set_ylim((0,5))
         ax1.set_title(f'STFT magnitude - Hopsize = 0.010s, duration Hann window = 0.025s')
         fig1.colorbar(im1, label = 'Magnitude (dB)')
         fig2, ax2 = plt.subplots()
         im2 = ax2.pcolormesh(t2, f2_kHz, dB_mag2, shading='nearest', cmap='viridis')
         ax2.set_xlabel('time (s)')
         ax2.set_ylabel('frequency (kHz)')
         ax2.set_ylim((0,5))
         ax2.set_title(f'STFT magnitude - Hopsize = 0.010s, duration Hann window = 0.100s')
         fig2.colorbar(im2, label = 'Magnitude (dB)')
```

Out[6]: <matplotlib.colorbar.Colorbar at 0x22f169e89a0>





1. Describe some of the advantages and nackdelar of using short or long time windows for time-frequency analysis.

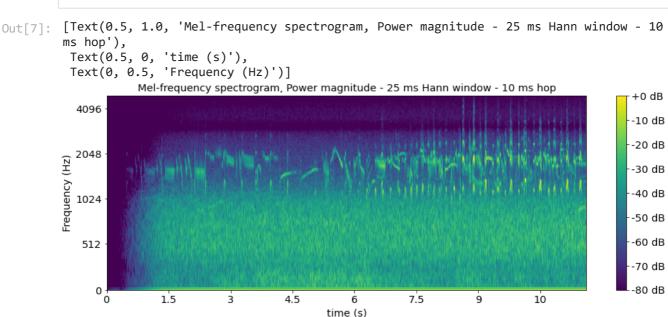
A long time window takes a bigger portion of sound into account and therefore there are probably more frequencies present in this window. This increases the frequency resolution of the STFT, but it reduces the time resolution. A very short time window has a low frequency resolution but has a higher time resolution making it easier to see at what time certain frequencies are present in the signal. Therefore, a trade-off has to be made between time and frequency resolution.

1. For the first 10 seconds of your audio file, use the librosa package to compute its Mel spectrogram using Hann windows of duration 25 ms with a window hopsize of 10 ms. Use 128 Mel bands and an FFT size of 8192 samples. Display the dB magnitude with reference to the max power observed, and limit your y-axis between 0 and 5 kHz. Use the same colormap as you used above. See

https://github.com/librosa/librosa/blob/main/examples/LibROSA%20demo.ipynb for help.

```
In [7]:
         import librosa
         import librosa.display
         hop_length = int(0.010 * sample_rate)
         win_length = int(0.025 * sample_rate)
         Mel_spectogram = librosa.feature.melspectrogram(y=samples_slice10s,
                                        sr=sample rate,
                                        n fft=8192,
                                        hop_length=hop_length,
                                        win length=win length,
                                        window='hann',
                                        n_{mels} = 128,
                                        power=2.0)
                                                    # power=2 gives the power spectrum
         # Compute power in dB relative to peak power
         S_dB = librosa.power_to_db(Mel_spectogram, ref=np.max)
         # Plotting
         fig, ax = plt.subplots()
         img = librosa.display.specshow(S_dB, x_axis='time', y_axis='mel', sr=sample_rate, fm
         fig.colorbar(img, ax=ax, format='%+2.0f dB')
         ax.set(title='Mel-frequency spectrogram, Power magnitude - 25 ms Hann window - 10 ms
```

```
xlabel = 'time (s)',
ylabel = 'Frequency (Hz)')
```



## Part 2: Extracting features

1. Write a function that will take in the samples of an audio file, a frame size in samples, a frame hop size in samples, and compute and return the number of waveform zero crossings in each frame. A waveform x[n] undergoes a zero crossing when sign(x[n]) and sign(x[n+1]) are different. You will have to slice x[n] into chunks of a specified size, and for each of those chunks, count the number of sign changes.

```
In [8]: # add your code below

def count_zero_crossings(sample):
    """
    Count the number of zero crossings in a single sample
    """
    n_zero_crossings = np.shape(np.nonzero(np.diff(np.sign(sample))))[1]
    return n_zero_crossings

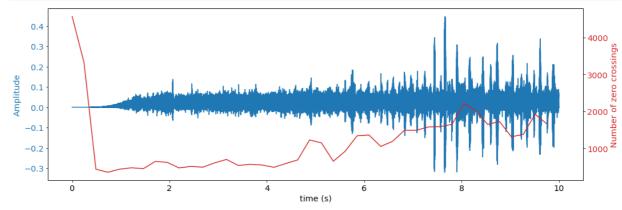
def slice_and_count_zero_crossings(sample, frame_size, hop_size):
    """
    Slice a sample according to frame_size and hop_size and find the number of zero crossings in each slice
    """
    L = np.shape(sample)[0]
    n_slices = int(( L - frame_size ) / hop_size)
    n_zeros = np.zeros((n_slices+1,))

for i in range(n_slices + 1):
    n_zeros[i] = count_zero_crossings(sample[i*hop_size : i*hop_size + frame_size)
    return n_zeros
```

1. Using your function, compute zero crossings of 46 ms frames hopped 50% of that for the audio file you used in part 1. (Ignore any frames at the end of audio files that are less than

that length.) Plot the first 10 seconds of your time domain waveform, and plot the series of zero crossings you extracted.

```
In [9]:
         # add your code below
         window_time_frame = 0.46
         frame_size = int(sample_rate * window_time_frame)
         hop_size = int(frame_size / 2)
         time = 10
         time_size = int(time * sample_rate)
         nzeros = slice_and_count_zero_crossings(samples[0], frame_size, hop_size)
         nwindows = int( (time_size - frame_size) / hop_size)
         nzeros = nzeros[:nwindows]
         time_axis1 = (time / nwindows) * np.arange(0, nwindows, 1)
         sample = samples[0][:time_size]
         time_axis2 = 1 / (sample_rate) * np.arange(0, time_size, 1)
         # Plottina
         fig, ax1 = plt.subplots()
         color = 'tab:blue'
         ax1.set xlabel('time (s)')
         ax1.set_ylabel('Amplitude', color=color) # we already handled the x-label with ax1
         ax1.plot(time_axis2, sample, color=color)
         ax1.tick_params(axis='y', labelcolor=color)
                                                    # instantiate a second set of axes that sh
         ax2 = ax1.twinx()
         color = 'tab:red'
         ax2.set ylabel('Number of zero crossings', color=color)
         ax2.plot(time_axis1, nzeros, color=color)
         ax2.tick_params(axis='y', labelcolor=color)
         fig.tight_layout()
                                                    # otherwise the right y-label is slightly
         plt.show()
```



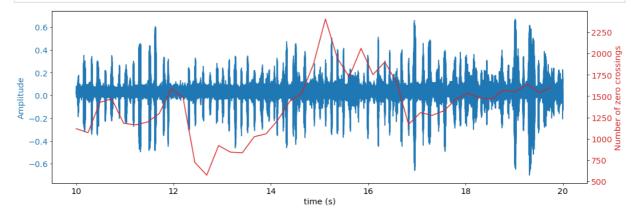
Because the first part of our sound file is not that interesting (noisy), we also plotted the part from t = 10 s to t = 20 s.

```
In [10]:
    nzeros = slice_and_count_zero_crossings(samples[0], frame_size, hop_size)
    nwindows = int( (time_size - frame_size) / hop_size)

    nzeros = nzeros[nwindows:2*nwindows]
    time_axis1 = (time / nwindows) * np.arange(nwindows, 2*nwindows, 1)

    sample = samples[0][time_size:2*time_size]
    time_axis2 = 1 / (sample_rate) * np.arange(time_size, 2*time_size, 1)
```

```
# Plotting
fig, ax1 = plt.subplots()
color = 'tab:blue'
ax1.set_xlabel('time (s)')
ax1.set_ylabel('Amplitude', color=color) # we already handled the x-label with ax1
ax1.plot(time_axis2, sample, color=color)
ax1.tick_params(axis='y', labelcolor=color)
ax2 = ax1.twinx()
                                          # instantiate a second set of axes that sh
color = 'tab:red'
ax2.set_ylabel('Number of zero crossings', color=color)
ax2.plot(time_axis1, nzeros, color=color)
ax2.tick_params(axis='y', labelcolor=color)
fig.tight layout()
                                          # otherwise the right y-label is slightly
plt.show()
```



1. Write a function that will take in the samples of an audio file, a frame size in samples, a hop size in samples, and a sampling rate, and compute and return the spectral centroid of each frame. The spectral centroid of a rectangular window of audio x[n] of length N (even) is defined as

$$R_{0.5}(x) = \frac{\sum_{k=0}^{N/2+1} \frac{F_s k}{N} |X[k]|}{\sum_{k=0}^{N/2+1} |X[k]|}$$

where X[k] is the DFT of x[n], and  $F_s$  is the sampling rate.

```
In [11]:
# add your code below

def spectral_centroid(sample, frame_size, hop_size, Fs):
    frame_size = int(frame_size)
    hop_size = int(hop_size)
    number_of_frames = int( np.floor( ( len(sample) - frame_size ) / hop_size ) )

start_idx = 0
R = np.empty(number_of_frames)

# Loop over every frame, then shift the frame index by the hop size
for frame_nr in np.arange(0,number_of_frames):
    frame = sample[start_idx : start_idx+frame_size]

X = np.fft.fft(frame)
X_abs = np.abs(X)

numerator = Fs / frame_size * np.sum(np.multiply(X_abs[0:int(frame_size/2)+2))
```

```
denominator = np.sum(X_abs[0:int(frame_size/2)+2])

R[frame_nr] = numerator / denominator

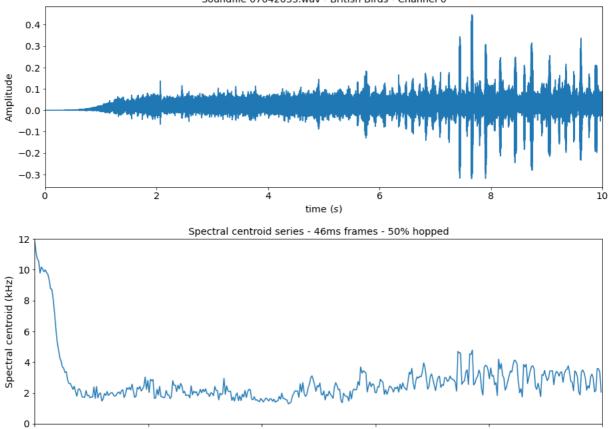
start_idx += hop_size

return R
```

1. Using your function, compute spectral centroid features for contiguous 46 ms frames hopped 50% for the audio file you used in part 1. (Ignore any frames at the end of audio files that are less than that length.) Plot the first 10 seconds of your time domain waveform, and plot the series of spectral centroids you extracted.

```
In [12]:
          # add your code below
          frame_size = 0.046 * sample_rate
          hop_size = 0.5*frame_size
          time = 10
          time_size = int(time * sample_rate)
          nwindows = int( (time_size - frame_size) / hop_size)
          R = spectral_centroid(samples[ind], frame_size, hop_size, sample_rate)
          R = R[:nwindows]
          sample = samples[ind][:time_size]
          time_axis1 = 1 / (sample_rate) * np.arange(0, time_size, 1)
          time_axis2 = (time / nwindows) * np.arange(0, nwindows, 1)
          # Plotting
          fig1, ax1 = plt.subplots()
          ax1.plot(time_axis1, sample)
          ax1.set_xlim((0,10))
          ax1.set_xlabel(r"time ($s$)")
          ax1.set_ylabel(r"Amplitude")
          ax1.set_title(f"Soundfile {filename} - British Birds - Channel {ind}")
          fig2, ax2 = plt.subplots()
          ax2.plot(time_axis2, R/1000)
          ax2.set_xlim((0,10))
          ax2.set_ylim((0,12))
          ax2.set_xlabel(r"time ($s$)")
          ax2.set_ylabel(r"Spectral centroid (kHz)")
          ax2.set_title(f"Spectral centroid series - 46ms frames - 50% hopped")
```

Out[12]: Text(0.5, 1.0, 'Spectral centroid series - 46ms frames - 50% hopped')



1. Using the librosa package (https://github.com/librosa), extract the first 10 MFCC features from your audio file using Hann windows of 25 ms duration and 10 ms hop size, and an FFT size of 8192 samples. Display the extracted MFCCs for the first 10 seconds.

time (s)

6

8

10

4

ź

```
In [13]:
          # add your code below
          hop_size1 = int(0.010 * sample_rate)
          time = 10
          time_size = int(time * sample_rate)
          mfccs = librosa.feature.mfcc(y=samples[ind][:time_size],
                                sr=sample_rate,
                                n mfcc=10,
                                n fft=8192,
                                hop_length=hop_size1,
                                window='hann'
          fig, ax = plt.subplots()
          img = librosa.display.specshow(mfccs, x_axis='time', ax=ax, sr=sample_rate)
          ax.set_ylabel("Index")
          ax.set_xlabel("Time (s)")
          fig.colorbar(img, ax=ax)
          ax.set(title='MFCC')
```

