

Deliver 3

Poisson Editing

Team 12

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M2: Optimisation and Inference for Computer Vision

Masters in Computer Vision

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Summary

Mandatory tasks

Part I: Implement the importing gradients method

Step I: Read the Patrick Perez's paper

Step II: Face the problem. Going into *start.m* file

Step III: From Laplace equation to Poisson equation

Part II: Test it with your own images

Optional tasks

Part I: Implement the mixing gradients method

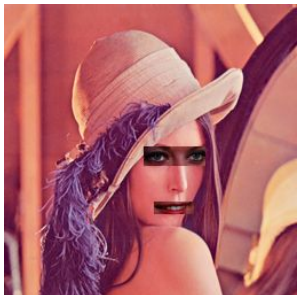
Mandatory tasks

Part I: Implement the importing gradients method

In this deliver we were asked to solve the image editing problem of cloning areas from one image to another one, where these areas could present discontinuities. We coded the importing gradients method from Patrick's paper to inpaint an area using seamless cloning.

The idea is that we have to use a generic interpolation machinery based on solving Poisson equations. It permits the seamless importation source image regions into a destination region.

These changes can be arranged to affect the texture, the illumination, and the color of objects lying in the region.



VS



Mandatory tasks

Part I: Implement the importing gradients method

So far, we did methods to fill regions only using the boundary conditions. We know from previous delivers that it works pretty well in some cases. Although, for image editing applications, this simple method produces an unsatisfactory, blurred interpolant, and this can be overcome in a variety of ways.

We added a guidance field vector field, \mathbf{v} , as a new constraint for the well known inpainting minimization problem. Being f an unknown function in the inpainting domain Ω and f^* the destination function outside the domain Ω .

$$\min_f \iint_{\Omega} |\nabla f - \mathbf{v}|^2 \text{ with } f|_{\partial\Omega} = f^*|_{\partial\Omega},$$

The basic choice for the guidance field \mathbf{v} is a gradient field taken directly from a source image, \mathbf{g} .

$$\mathbf{v} = \nabla g,$$

We ended up with a solution that is the unique solution of the following Poisson equation with Dirichlet boundary conditions:

$$\Delta f = \Delta g \text{ over } \Omega, \text{ with } f|_{\partial\Omega} = f^*|_{\partial\Omega}.$$

Mandatory tasks

Part II: Test it with your own images



Mandatory tasks

Part II: Test it with your own images (I)

Mars landscape



Shanghai skyline



Random Martian city



Mandatory tasks

Part II: Test it with your own images (II)

Barcelona from air



Independence Day 3. Now in Barcelona



UFO



Mandatory tasks

Part II: Test it with your own images (III)



Sergio Sancho



Barney Stinson

Someone



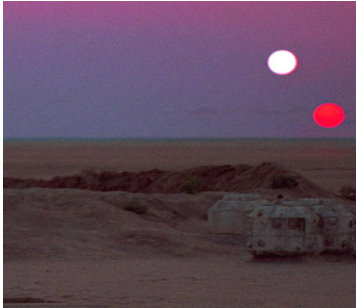
Mandatory tasks

Part II: Test it with your own images (IV)

Desert hiking



Tatooine



Tatooine desert hiking



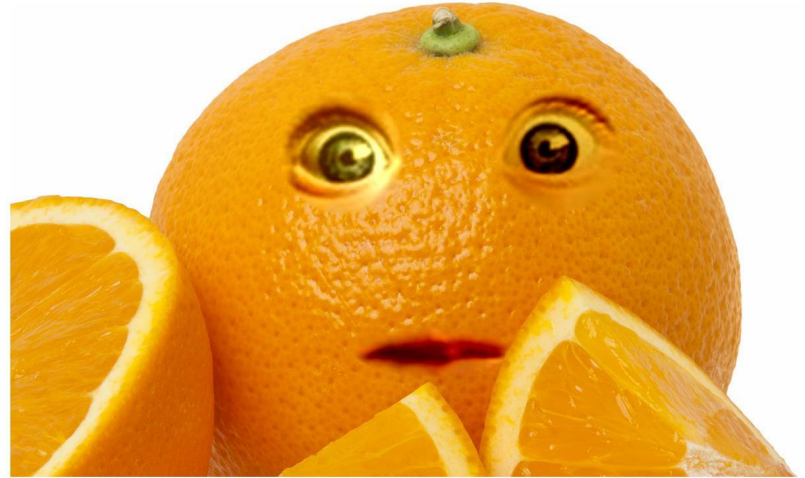
Mandatory tasks

Part II: Test it with your own images (V)

Orange



Excited orange



Excited baby



Mandatory tasks

Part II: Test it with your own images (VI)

Mountains



Hot-air balloon



Different color intensities depending on the position



It is a interesting to see how the intensities changes depending on the boundary conditions. In this set of images, we go from lighter to darker intensities

Mandatory tasks

Part II: Test it with your own images (VII)

White wall



Banksy's drawing



Banksy's Graffiti



Optional tasks

Part I: Implement the mixing gradients method

As we saw in the previous examples, the importing gradient method has some limitations. No trace of the destination image f^* is kept inside the inpainting domain Ω .

In this situation is desirable to combine properties of f^* with those on g . In our image, on the transparent or on the flat regions we would like to see the texture from the f^* image.

The Poisson methodology allows non-conservative guidance fields to be used, which gives scope to more compelling effect. We only need to change the guidance field \mathbf{v} .



$$\mathbf{x} \in \Omega, \mathbf{v}(\mathbf{x}) = \begin{cases} \nabla f^*(\mathbf{x}) & \text{if } |\nabla f^*(\mathbf{x})| > |\nabla g(\mathbf{x})|, \\ \nabla g(\mathbf{x}) & \text{otherwise.} \end{cases}$$

Optional tasks

Part I: Implement the mixing gradients method

The image below is the result of doing the mixing gradient method. We can see how the color information of the source image distorts the result.



We come up with a solution. We transfer the intensity pattern from the source, not the color. We turned the source image monochrome beforehand. We only keep the color information in the flowers region.

